

Univariate Analysis

<u>Time</u>	<u>(y)</u> <u>profits</u>
Jan 1 ✓	—
Feb 2 ✓	—
March 3 ✓	—

Forecasting

- predict the future
- time series

$$\begin{matrix} \leftarrow x \rightarrow & \leftarrow y \rightarrow \\ x_1 & x_2 & x_3 & y \end{matrix}$$

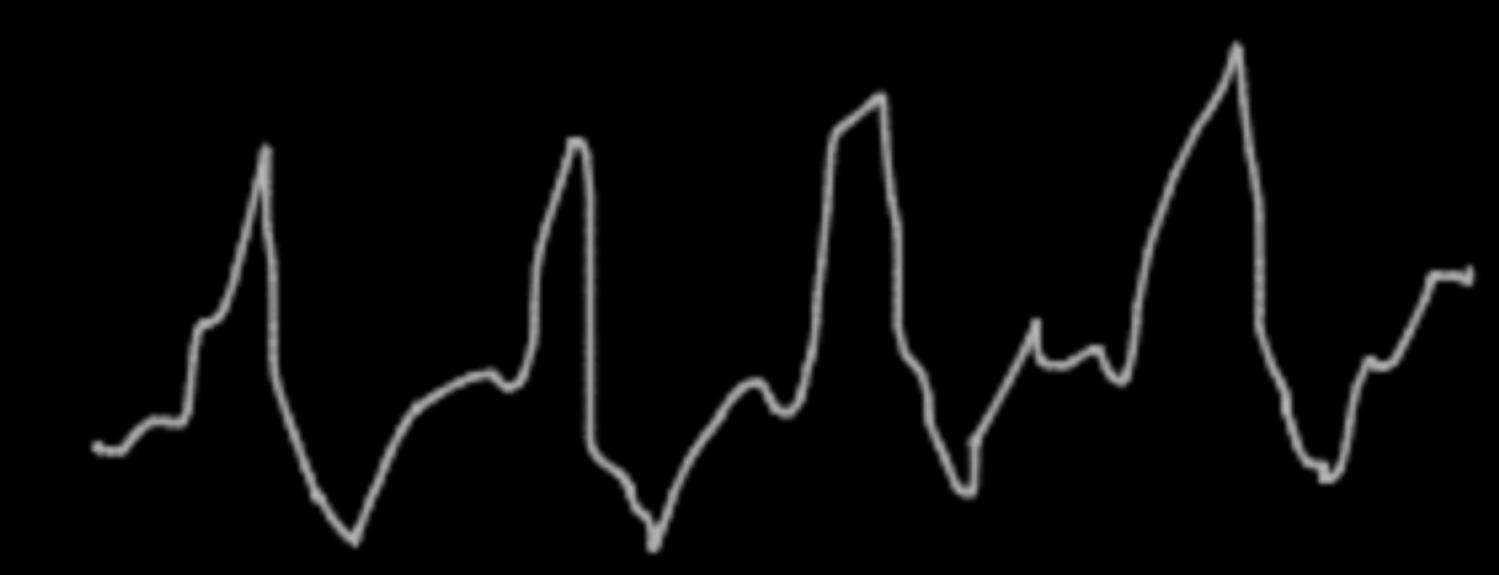
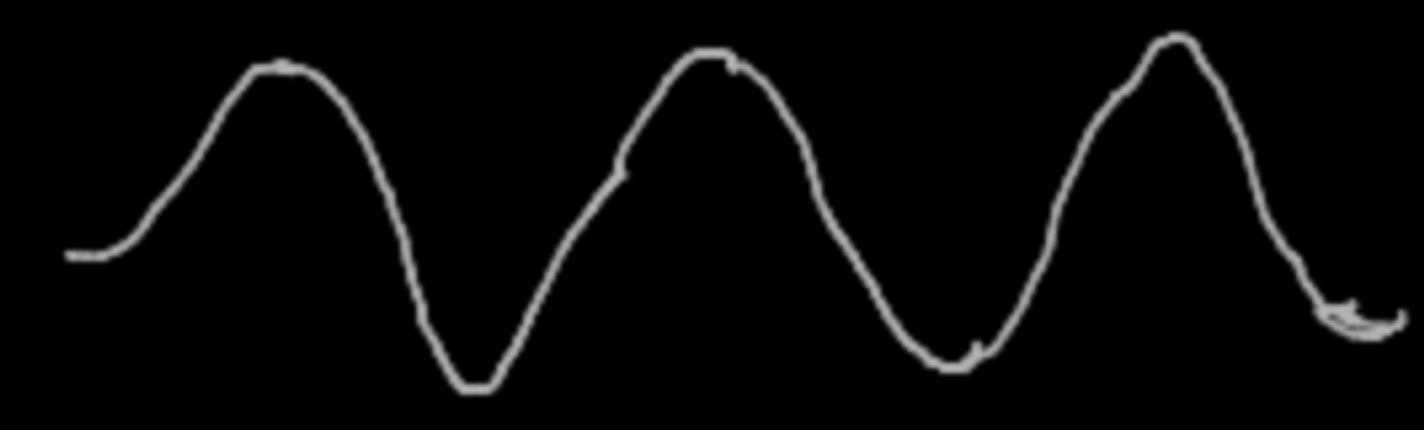
Monthly, daily, Weekly, Yearly, Etc.
ms, ns, hours, mins, ^{upto} days

Global Warming



→ time (ns)

Traffic



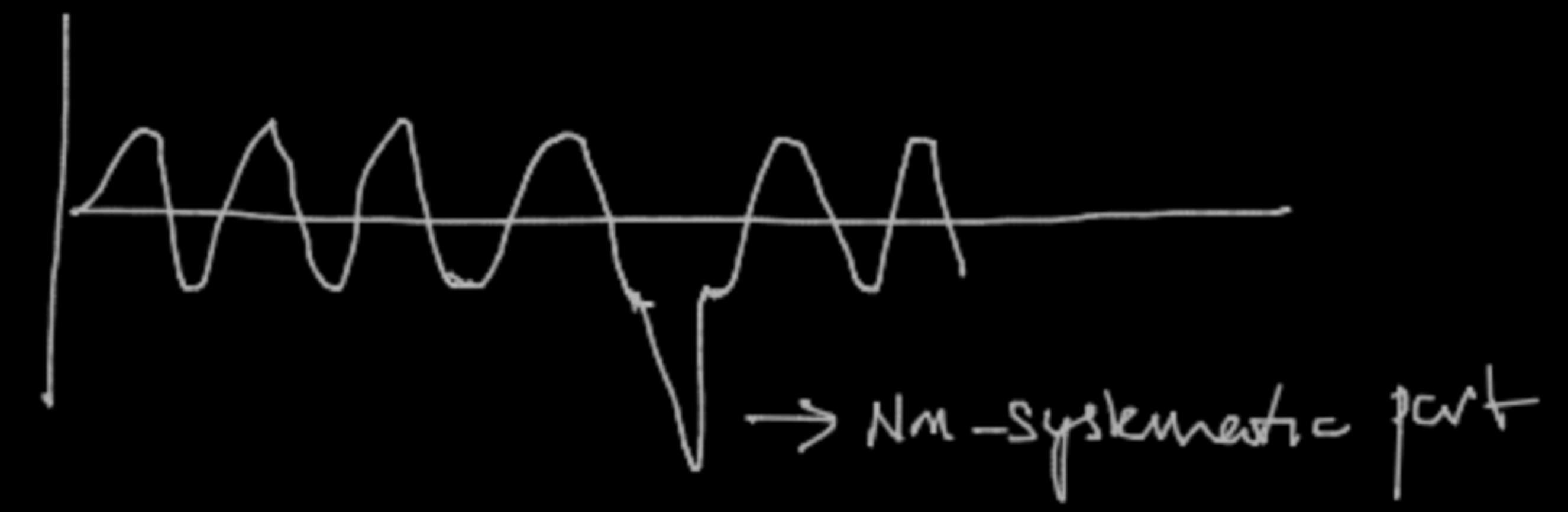
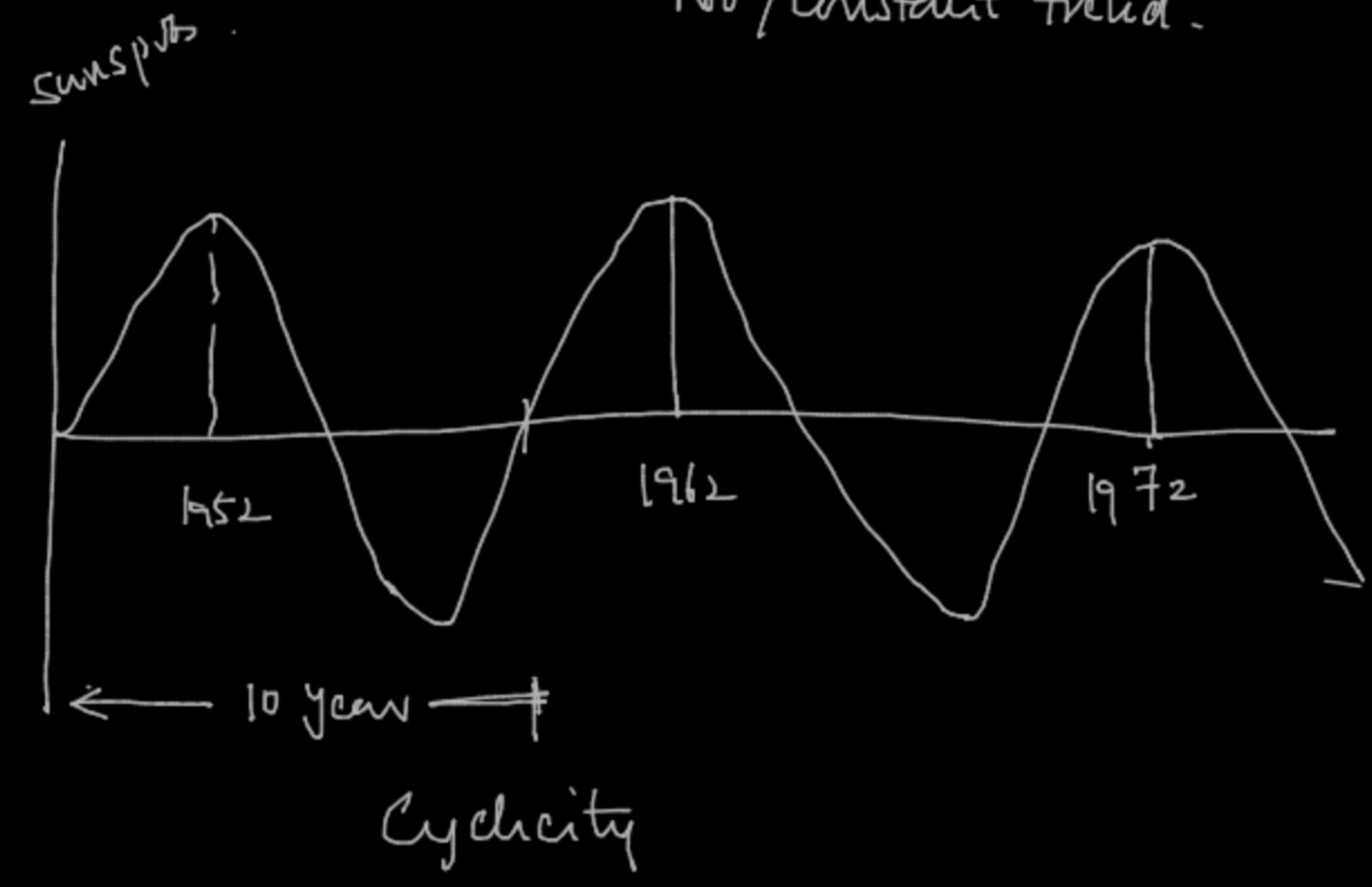
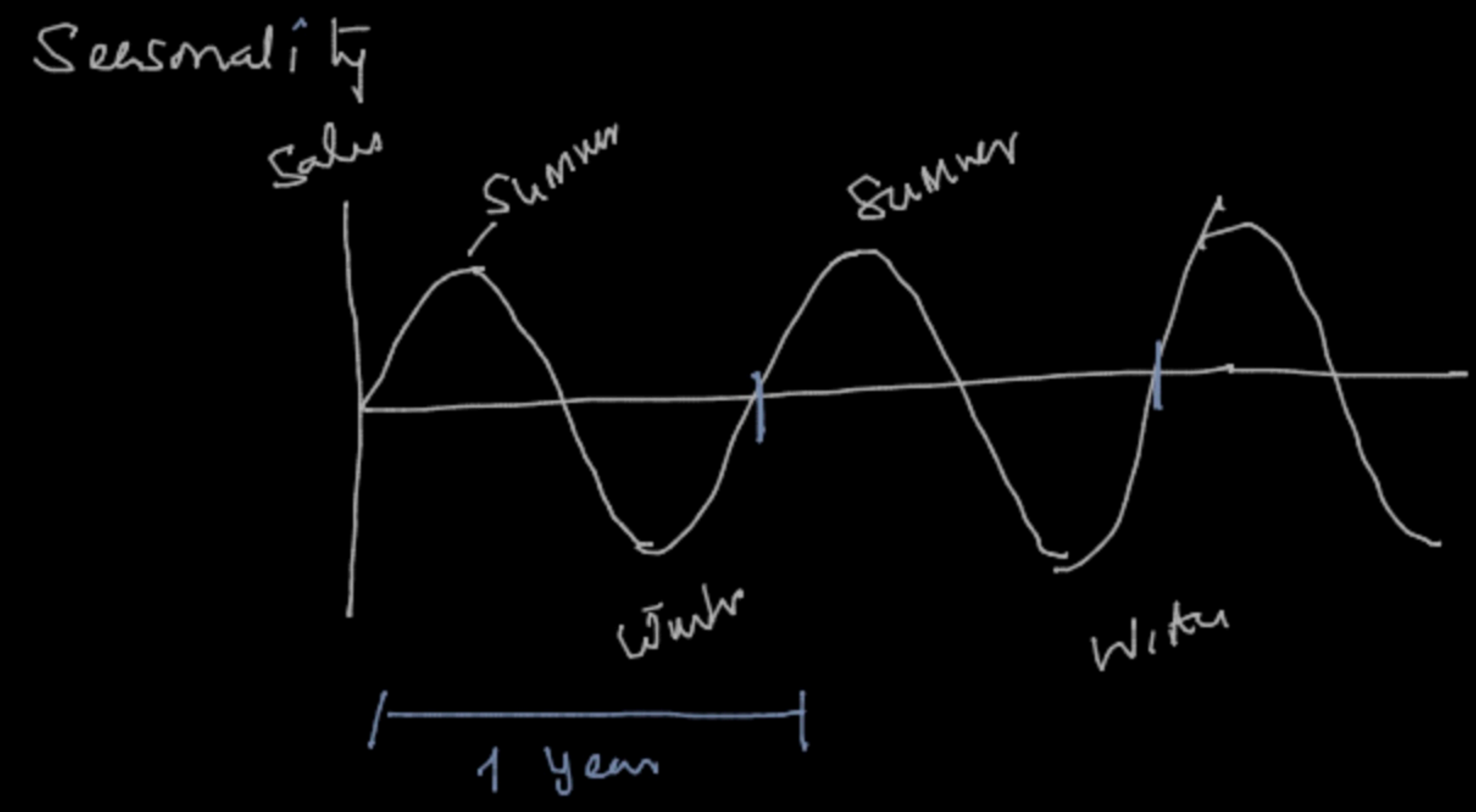
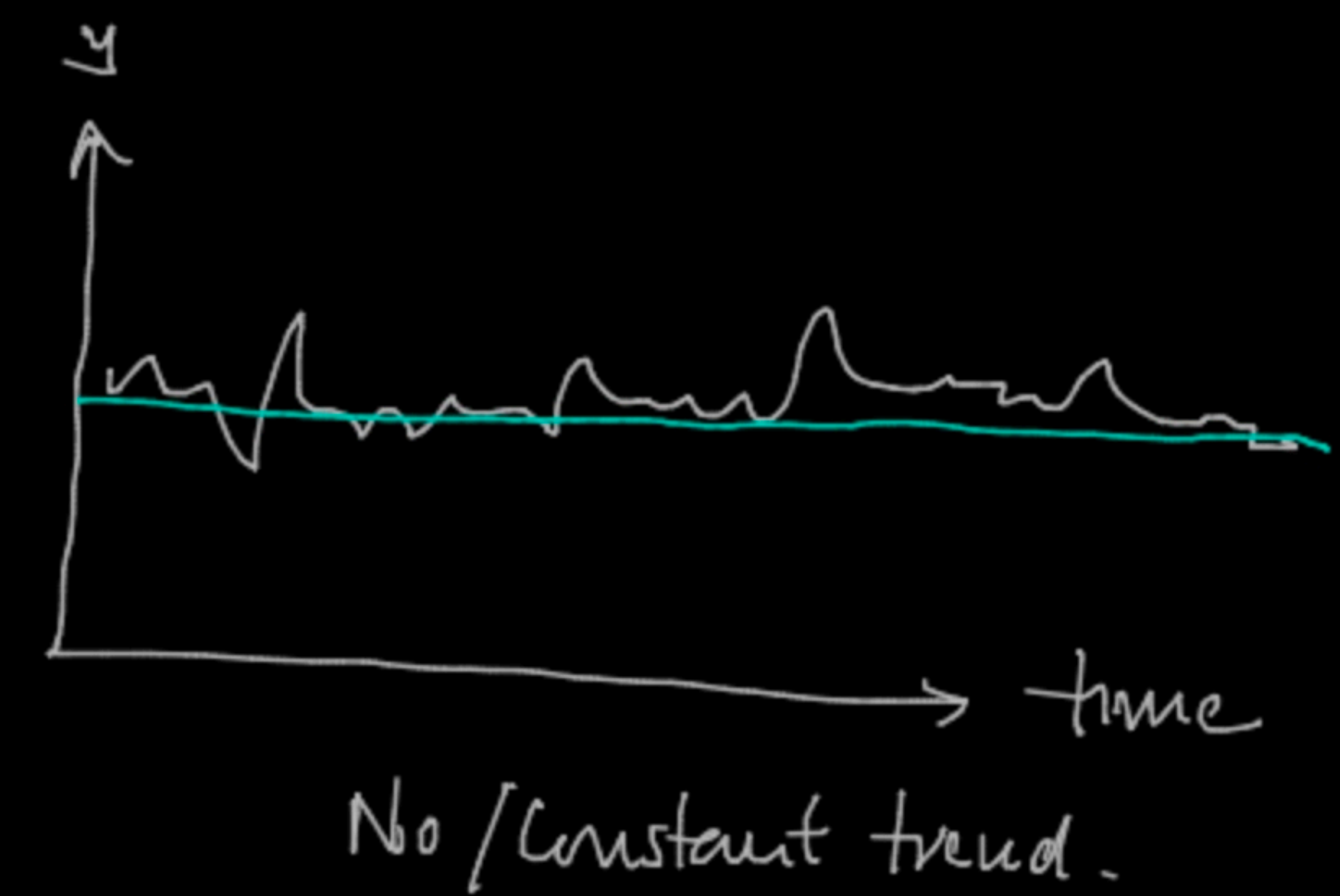
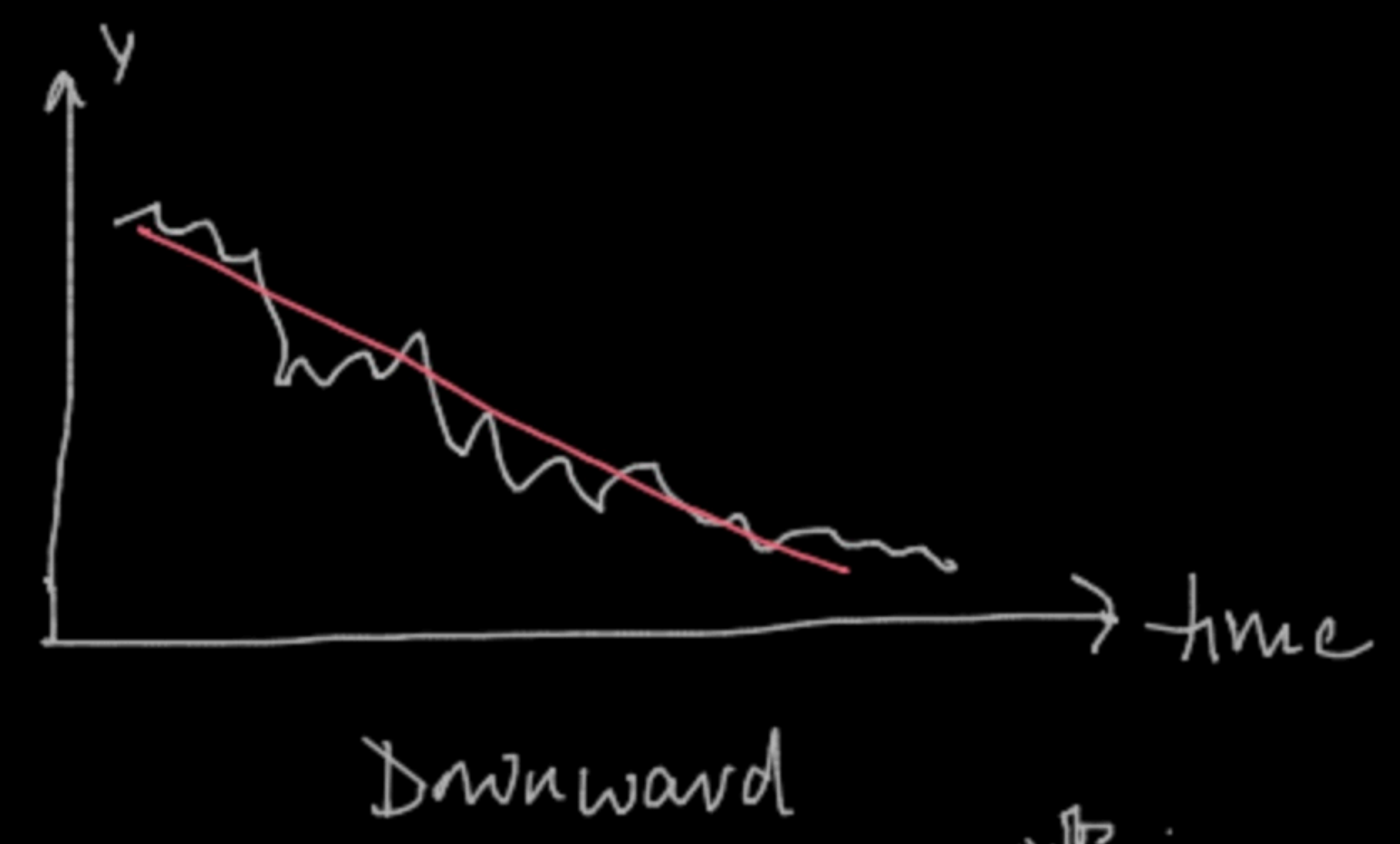
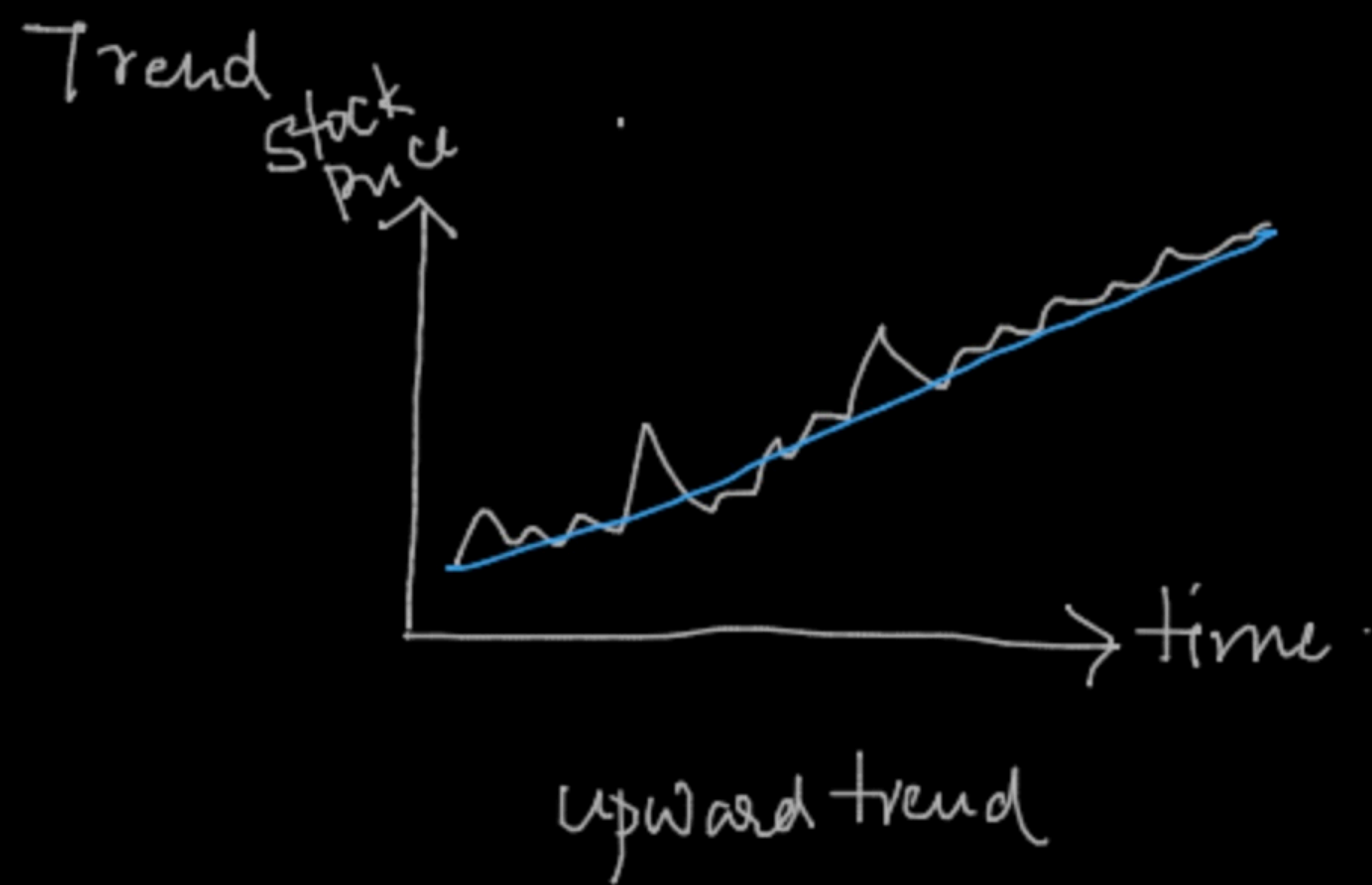
Time Series Data

Systematic

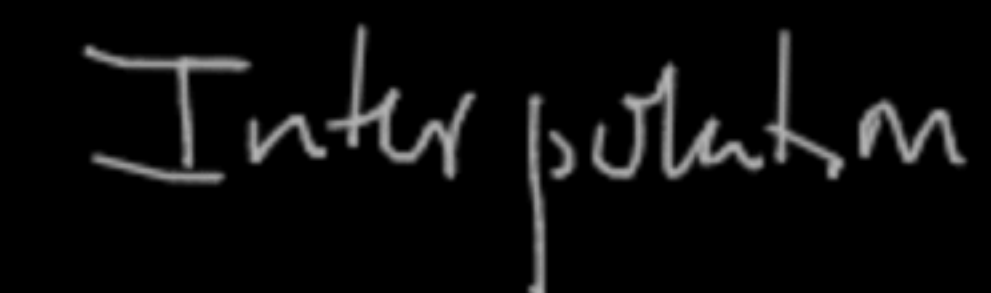
- Level
- Trend
- Seasonality ✓
- cyclicity

Non Systematic

- Errors
- one-time



2000 Jan

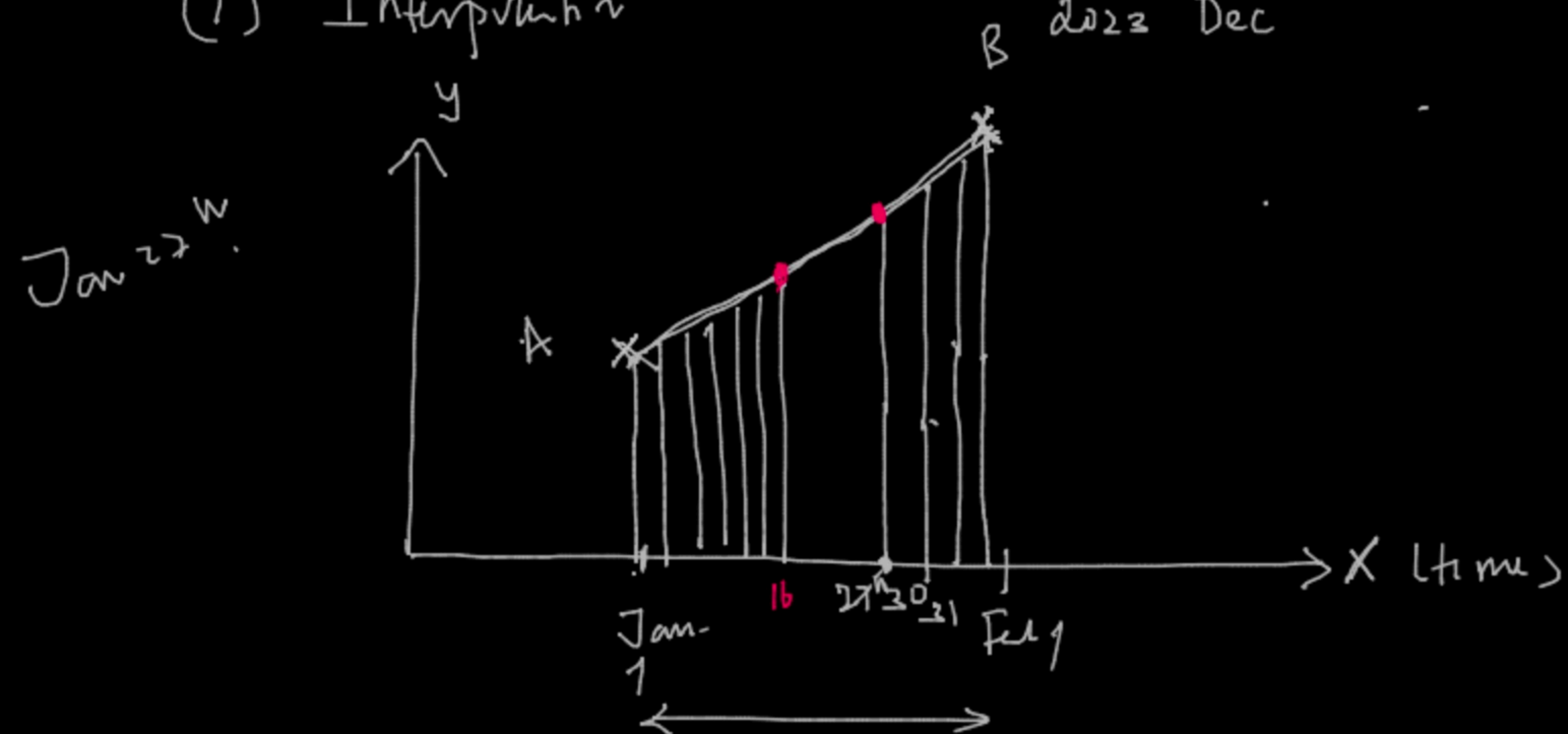


Monthly \rightarrow Daily

	May-	↓
2012	June	June.
2012	July	↑
2023	Dec	

Year	Month No	Value
2021	1	
2021	2	
2021	3	
2021	4	
2021	5	
2021	6	
2021	7	
2021	8	
2021	9	
2021	10	
2021	11	
2021	12	
2022	1	
2022	2	
2022	3	
2022	4	
2022	5	
2022	6	
2022	7	
2022	8	
2022	9	
2022	10	
2022	11	
2022	12	

(1) Interpretation



Splitting the data →

2/3

Time	y
Jan 2001	1
Feb 2001	2
Mar 2001	3
...	...
Dec 2012	144

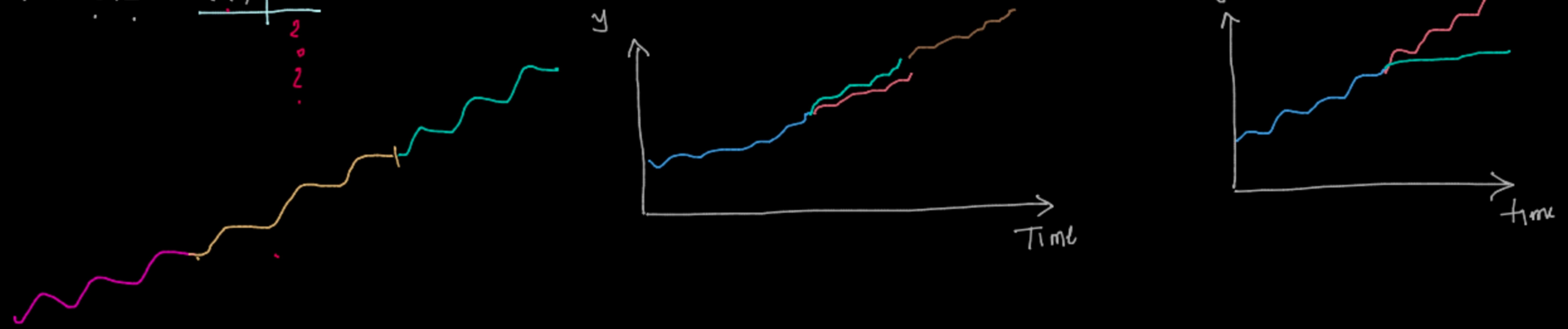
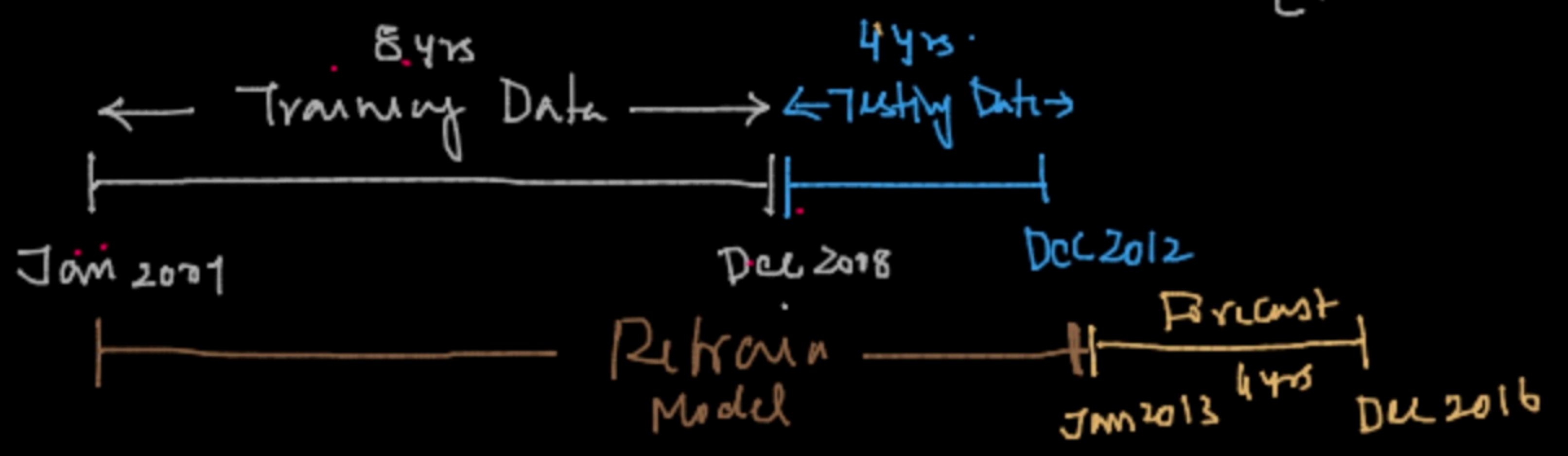
1/3

x_1	x_2	x_3	y
—	—	—	

80% {

20% {

Shuffled and Randomly Selected



Forecasting Models

1. Naive Model.
2. Moving Averages
3. Exponential Smoothing →
4. Auto regression Models

1. $\hat{y}_t = y_{t-1}$

	y	\hat{y}	$y - \hat{y}$	$(y - \hat{y})^2$
Dec	10	NaN	.	
Jan	9	10	.	
Feb.	10.5	9	.	
Mar		10.5	.	
				<u>MSE</u> ✓

$\hat{y}_t = y_{t-k}$

Time (t)	Stock y_t
Jan 23 1	y_{t-12}
2	.
3	.
.	.
.	.
Oct .	y_{t-3}
Nov 23 .	y_{t-2}
Dec 23 n	y_{t-1} -lags.
Jan 24	y_t
Feb 24	y_{t+1}

- Assumptions for residual
- Mean = 0
 - Normally dist
 - Constant Variance → Homoscedasticity
 - No auto correlation

2. Moving Averages

Centred Window	Time (t)	y_t	Tracking \hat{y}_t
	Jan	—	Null
—	Feb	—	Null
—	Mar	—	—
—	Apr	—	—
—	May	—	—
	Jun	—	—
	July	—	
	Aug	—	

Window size = 3
└─┬─┘
Tracking window Centred window

6 monthly
12 monthly

