

HOMEWORK-0

Q11

a) The answer is 1, because as the limit of x approaches to infinity, we can compare the growth rate of the polynomials by their leading terms.
 x^3 grows faster than $7x^2$ as x approaches infinity. So, answer is 1.

b) The answer is 1 because of the same reason. The leading term x^7 grows faster than the leading term x^6 as x approaches infinity.

c) The answer is 2.

The leading term $4x^4$ grows faster than x^4 as x approaches infinity.

[Got visual help from desmos]

HOMWORK-0

Q1

a) The answer is 1, because as the limit of x approaches to infinity, we can compare the growth rate of the polynomials by their leading terms.
 x^3 grows faster than $7x^2$ as x approaches infinity. So, answer is 1.

b) The answer is 1 because of the same reason. The leading term x^7 grows faster than the leading term x^6 as x approaches infinity.

c) The answer is 2.

The leading term $4x^4$ grows faster than x^4 as x approaches infinity.

[Got visual help from desmos]

Q 21

$$a) \log_2(x) = 8$$

$$\Rightarrow 2^8 = x$$

$$\Rightarrow x = 256$$

$$b) \log_5(x) = \log_5(2) + 25$$

$$\Rightarrow \log_5(x) = \log_5$$

couldn't solve

$$c) x = \log_4(32)$$

we can rewrite this according to a definition of logarithm \Rightarrow

$$4^x = 32$$

$$\Rightarrow 4^x = 2^5$$

$$\Rightarrow 2^{2x} = 2^5$$

$$\therefore 2x = 5$$

$$\Rightarrow x = 5/2$$

Q3 | Howdy. Hello, Hey

Because we are changing the 0 index value of the array. Or we can say - call by reference.

Q41

```
import java.util.Random
```

```
public class Dice {  
    private int sides;  
    private Random random;  
    public Dice() {  
        this.sides = 6;  
        this.random = new Random();  
    }  
}
```

```
public Dice (int sides) {  
    this.sides = sides;  
    this.random = new Random();  
}
```

```
public int roll() {  
    return random.nextInt(sides);  
}
```

```
public static void main (String[] args) {  
    Dice dice = new Dice(6);  
    for (int i = 0; i < 3; i++) {  
        int roll = dice.roll();  
        System.out.println("Roll " + (i+1) + ": " + roll);  
    }  
}
```