Accyracy, Precision, Recall, F-1 score etc. How many such metrics are there?

	Predicted condi	tion	Sources: [12][13][14][15][16][17][18][19] view-talk-ed		
Total population = P + N	Predicted positive (PP)	Predicted negative (PN)	Informedness, bookmaker informedness (BM) = TPR + TNR - 1	Prevalence threshold $= \frac{(PT)}{\sqrt{TPR \times FPR} - FPR}$ $= \frac{\sqrt{TPR \times FPR} - FPR}{TPR - FPR}$	
Positive (P)	True positive (TP), htt[b]	False negative (FN), miss, underestimation	True positive rate (TPR), recall, sensitivity (SEN), probability of detection, hit rate, power $= \frac{TP}{P} = 1 - FNR$	False negative rate (FNR), miss rate type II error [c] $= \frac{FN}{P} = 1 - TPR$	
Negative (N) ^[d]	False positive (FP), false alarm, overestimation	True negative (TN), correct rejection ^[e]	False positive rate (FPR), probability of false alarm, fall-out $ \frac{\text{type 1 error}}{\text{FP}} = \frac{\text{FP}}{\text{N}} = 1 - \text{TNR} $	True negative rate (TNR), specificity (SPC), selectivity $= \frac{IN}{N} = 1 - FPR$	
$\begin{aligned} & \text{Prevalence} \\ & = \frac{P}{P+N} \end{aligned}$	Positive predictive value (PPV), $\frac{\text{precision}}{=\frac{\text{TP}}{\text{PP}}} = 1 - \text{FDR}$	False omission rate (FOR) $= \frac{FN}{PN} = 1 - NPV$	Positive likelihood ratio (LR+) $= \frac{\text{TPR}}{\text{FPR}}$	Negative likelihood ratio (LR-) = FNR TNR	
Accuracy (ACC) $= \frac{\text{TP} + \text{TN}}{\text{P} + \text{N}}$	False discovery rate (FDR) $= \frac{FP}{PP} = 1 - PPV$	Negative predictive value (NPV) = $\frac{TN}{PN} = 1 - FOR$	Markedness (MK), deltaP (Δp) = PPV + NPV - 1	Diagnostic odds ratio (DOR) $= \frac{LR+}{LR-}$	
Balanced accuracy (BA) $= \frac{\text{TPR} + \text{TNR}}{2}$	$= \frac{F_1 \text{ score}}{\frac{2 \text{ PPV} \times \text{TPR}}{\text{PPV} + \text{TPR}}}$ $= \frac{2 \text{ TP}}{2 \text{ TP} + \text{FP} + \text{FN}}$	Fowlkes-Mallows index (FM) = $\sqrt{PPV \times TPR}$	Matthews correlation coefficient (MCC) =√TPR × TNR × PPV × NPV -√FNR × FPR × FOR × FDR	Threat score (TS), critical success index (CSI), Jaccard index = TP TP+FN+FP	

* No need to gremember because all of them are generated from TH, FP, FN, TP

* Most imp. are: accuracy, phecision, recall, F1 score

De Other imp methics are: TPR, FPR, TNR, FNR
Predicted

	И	P
Na N	TN	FP
Actual Pa P	EZ	TP
	Mp	Pp

Rule: Always divide by Actual

$$\frac{1}{TPR} = \frac{TP}{TP + FN}$$

Recall

$$FNR = \frac{FN}{FN + TP}$$

* Recap Process of Logistic Regression

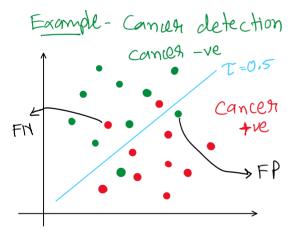
$$z_i \rightarrow \omega^T x + \omega_0 \rightarrow \sigma(z_i)$$

$$z_i \qquad [0, 1] \geq 0.5 \text{ class-1}$$

$$(-\omega, \omega)$$

Thereshold > 2 = 0.5

Should we always take T=0.5 9 If not, why & when should we take a different T9



detection

Let's consider FM:

OUR model has declared

these patients as cancer -ve'

so, they were not recommended

FP any further test | theatment.

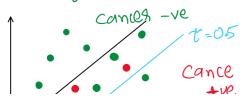
This may lead their condition

worsen. This is bad.

Lets talk about FP now: Our model has declared these patients as 'conncer. +ve'. Hence we will recommend them the next round of test. This is not as bad.

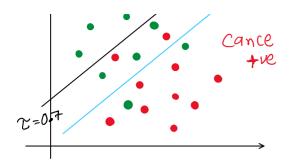
In such cases when we want out model to be made.

In such cases when we want out model to be more sensitive to either FN on FP more than the other one we change T.



This leads to another question:

Which value of T is



Which value of T is the 'best choice' 9

Answer to this question is:

R.O.C. CHANE

Receiver's Operating Characteristic Cyave

- How to cheate an ROC curive 9

Xi	Yi	Sig(Zi)
X1	1	0.3
X2	1	0.2
Х3	1	0.7
X4	0	0.6
X5	0	0.5

<u>step-1</u>: sout in descending order of 0(zi)

step 2: For each unique value of o(Zi), take T & compute & (y-phed)

			T= 0.7	T=0.6	T=0.5	T=0.3	T=0.2
Xi	Yi	Sig(Zi)	y_pred	y_pred	y_pred	y_pred	y_pred
X3	1	0.7	1	1	1	1	1
X4	0	0.6	0	1	1	1	1
X5	0	0.5	0	0	1	1	1
X1	1	0.3	0	0	0	1	1
X2	1	0.2	0	0	0	0	1

step-3: Calculate TPR & FPR for each T

$$\tau = 0.3$$

TN	FP
2	O
FN 2	TP 1

$$TPR = \frac{1}{3} = 0.3$$
 $TPR = \frac{1}{3} = 0.3$ $TPR = \frac{2}{3} = 0.6$ $TPR = 1$

$$TPR = \frac{2}{3} = 0.6$$

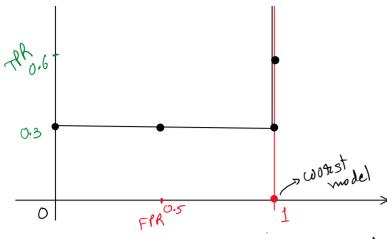
Idealy.

2

$$FPR = \frac{1}{2} = 0.5 \quad FPR = 1$$

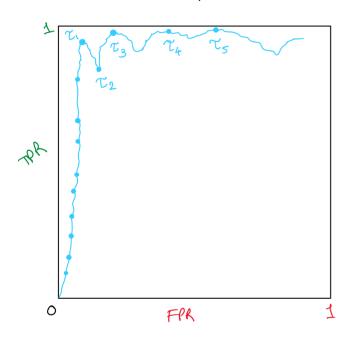
TP = 0 TN=0, FP=P, FN= 9 where p+q=n

$$\neg PR = \neg P/(\neg P + FN) = 0$$



TPR = TP/(TP+FN) = 0FPR = FP/(FP+TN) = 1TPR = 0 on FPR = 1FOR a best model: TPR = 1, FPR = 0

A real world RUC curve looks like:

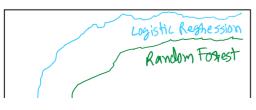


Clearly, T, is better than T₂
But, which one will you select from T₁
A T₃ ? Usually, classifying points
correctly (TPR) is more important than
carring about mis-classified points (FPR)
(usually, not always) therefore we will
select T₃,
If the difference in TPR is not significant

then we choose T with low FPR.eg, we will choose T_3 from T_3, T_4 & T_5 .

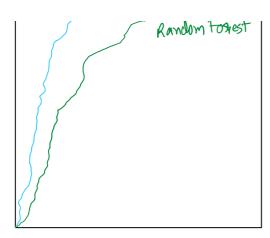
Imagine working with 15-20 confusion matrices to figure out the best choice of vs. pointing it out from an ROC curve!

In future, we are roing to use multiple different techniques to solve one problem. eg, to classify obese of non-obese people, we are trying out two ML techniques DLogistic Regression & 2 Random Forest. We will get two ROL curves one for each. Let's say they are like below:



Looking at the ROC curives,
which technique seems bettern?

Ans-Indictic Repression



WYMCH 1-11

Ans-Logistic Reghession

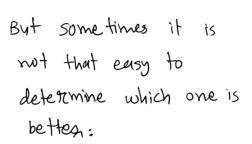
Why-Because it has higher

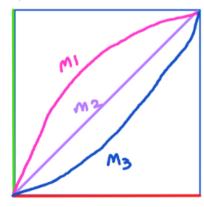
TPR compare to Random

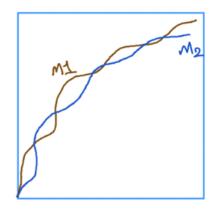
forest OR it's ROC curiue is

closer to the ideal model.

Sometimes it is easy to find which method is having higher TPR closer to the ideal ROC curve:







To solve this problem we need a number which we can use to compare the methods.

The solution is: Agea Under the Cygre - AUC

AUC-The method with higher AVC is better than the one with lower AVC.

This AUC is also called: ROC-AUC

The limitation of Goc-CLUC is that it doesn't work well with imballanced data.

For imballanced duta, we don't create LOC instead, we cheate PRC (frecision Recall Currue) & use pric-auc

Class Imbalanced

There is no clear distinction available about balanced | imbalanced data. But a widely accepted perception is: 50-50 = balanced

60-40 = slightly balanced

Imbalance -> 70-30 = slightly imbalanced

50-20 = imbalanced

90-10

95-5 | Highly imbalanced

99-1

- How do we find weather the data is balanced on not?
 - 1) value_counts()
 - @ countplot
- What age the phoblems with imbalanced data 9
 - (1) According and other a few metaics will no longer be reliable because
 - 2) madel stants becoming biased towards the majority class.

Understanding this paroblem:

Solution-1: class-weights

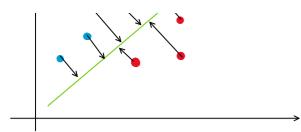
{::1,:2}

Liplaly Liplaly

Class-Weights

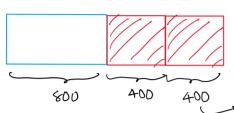
(interpretation of the class - weights)

Liplaly Liplaly



$$\geq (L_i)$$
 $-\frac{1}{n} \geq \frac{1}{2} \log \hat{y}_i + (1-\hat{y}_i) \log (1-\hat{y}_i)$

50/ution-2: Over sampling - Duplicate the present minority



class data randomly until its Size matches with the majority class.

400 skandom sampling with repeatition

Advantages: ONo data loss

Disadvantages:

ODuplication of duta

2 Chances of overtitting

incheases.

(3) Under sampling - Randomly select as many data points from majority class as in the minority class & only keep them.

eg, if minogity class has 100 datapoints & majority class has 900 then we will trandomly select data points from majority class & train our model on these 200 data points only.

Advantage:

Disadvantage:

1) Computationally 1) Data Loss in-expensive

2 Out randomly selected sample may not capture all the edge cases as well as the complete puttern of the entire data.