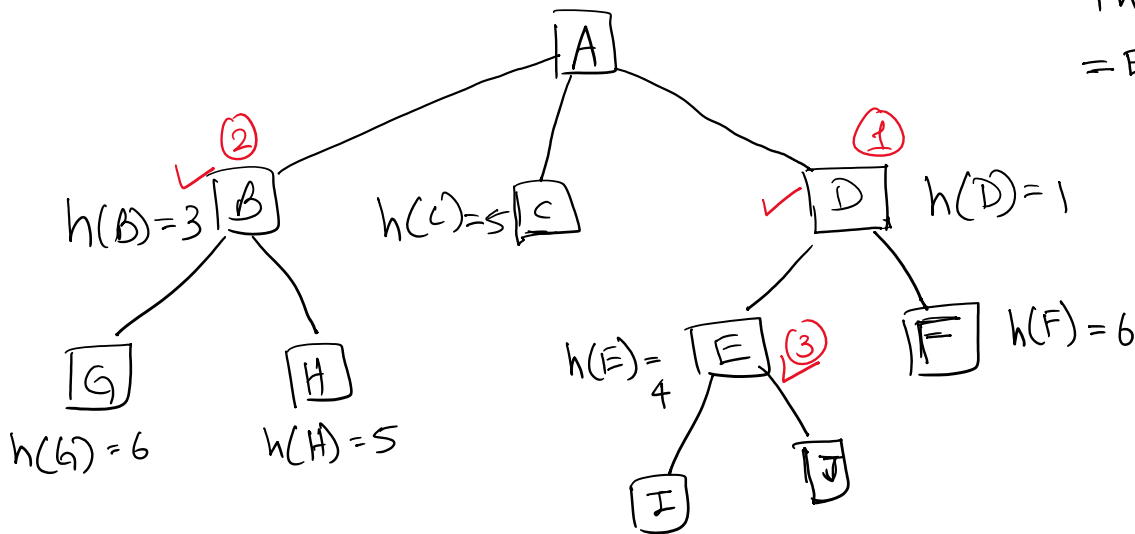


## ★ Best First Algorithm



$h(\text{Node})$  = Heuristic value of that node  
 = Estimated cost to reach to goal node from that node

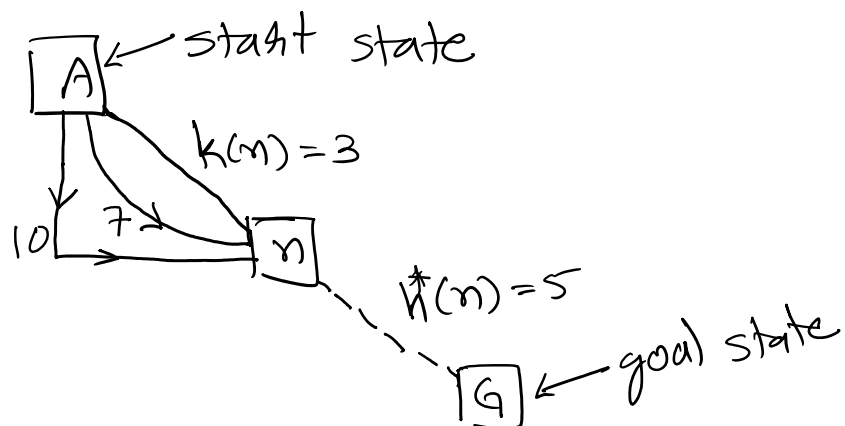
## ★ Algorithm 'A' Family:

Any algorithm that considers an evaluation function

$f(n) = k(n) + h^*(n)$  is called **Algorithm A** where

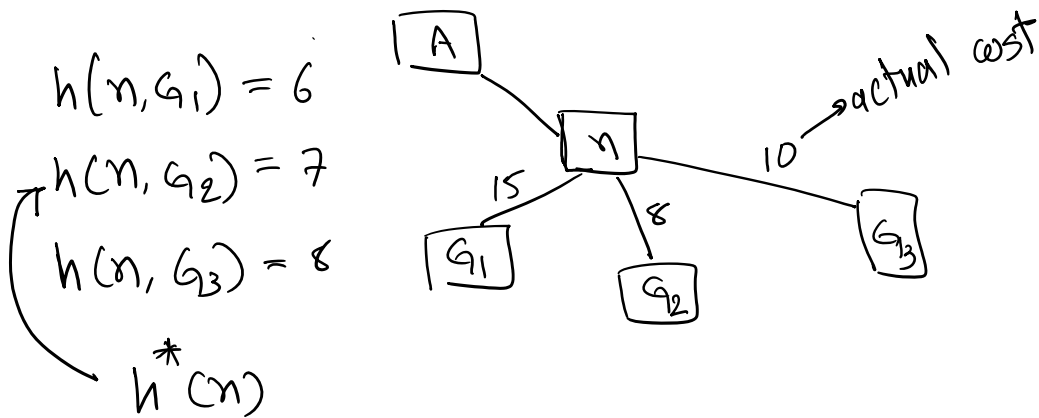
$k(n)$  = Actual cost to reach to node 'n' from the start node through the shortest path (minimum cost)

$h^*(n)$  = Heuristic value of node 'n'  
 (Estimate of the cost to reach to goal node from node 'n')



→ In case of multiple goal states:

→ Let's say  $h^*(n)$  is the heuristic value of node 'n' to reach to the nearest goal node. (actual cost)



$$f(n) = g(n) + h^*(n)$$

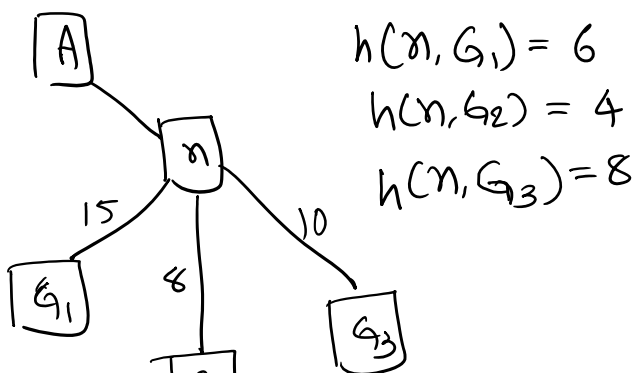
### ★ Algorithm A\*:

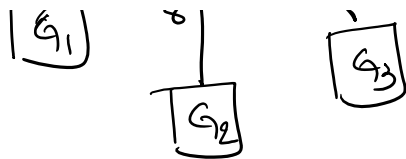
If  $h^*(n)$  is minimum of all  $h(n, G_1), h(n, G_2), \dots, h(n, G_n)$

then that type of Algorithm A are called  $A^*$  Algorithms.

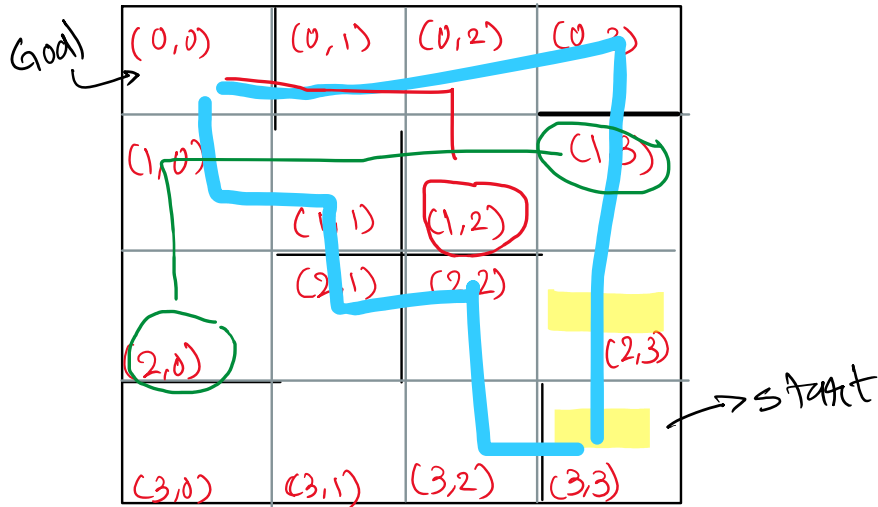
The above example would become  $A^*$  algorithm if

$$h(n, G_2) < h(n, G_1) \text{ \& \& } h(n, G_2) < h(n, G_3)$$





## ★ Program logic:



Heuristic function = Manhattan Distance

h-value = black f-value = blue

g-value = red

