

Propensity Modeling using Random Forests and Neural Networks

March 4, 2024

0.1 Installation of Requisite Libraries

```
[1]: #pip install openpyxl
```

```
[2]: #pip install xgboost
```

```
[3]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.metrics import mean_squared_error, mean_absolute_percentage_error
#from prophet import Prophet
from sklearn.model_selection import GridSearchCV
from sklearn.model_selection import train_test_split
import xgboost as xgb
import seaborn as sns
from datetime import timedelta
```

0.2 Data Import and Preliminary Examination

```
[4]: pd.set_option('display.float_format', '{:.2f}'.format)
```

```
[5]: df = pd.read_excel('/Users/alam_n/Documents/Python/
↳Creators_case_study_sample_data.xlsx')

df.head(10)
```

```
[5]:
```

	CID	Sex	Aged	Hasaspouse	Reliesuponsomeone	duration	Youtube	TV	\
0	1	Male	0	No	No	34	Yes		
1	2	Male	0	No	No	2	Yes		
2	3	Female	0	No	No	2	Yes		
3	4	Female	0	No	No	8	Yes		
4	5	Male	0	No	Yes	22	Yes		
5	6	Female	0	No	No	10	No		
6	7	Male	0	No	Yes	62	Yes		
7	8	Male	0	No	No	16	Yes		
8	9	Male	0	Yes	No	58	Yes		
9	10	Male	0	No	No	49	Yes		

	Multiple Screens	Music Service	Hasmorethan3Playlists	...	\
0	No	Hulu Music	Yes	...	
1	No	Hulu Music	Yes	...	
2	No	Yotube Music	No	...	
3	Yes	Yotube Music	No	...	
4	Yes	Yotube Music	No	...	
5	No Youtube TV	Hulu Music	Yes	...	
6	No	Hulu Music	Yes	...	
7	No	No	No music service	...	
8	Yes	Yotube Music	No	...	
9	Yes	Yotube Music	No	...	

	Haslistenedtomorethan5audiobooks	TechSupport	Listens Podcast	\
0	Yes	No	No	
1	No	No	No	
2	No	No	No	
3	Yes	No	Yes	
4	No	No	Yes	
5	No	No	No	
6	No	No	No	
7	No music service	No music service	No music service	
8	Yes	No	Yes	
9	Yes	No	Yes	

	Listens Music	subscription type	online invoice	monthly invoice	\
0	No	One year	No	56.95	
1	No	Month-to-month	Yes	53.85	
2	No	Month-to-month	Yes	70.70	
3	Yes	Month-to-month	Yes	99.65	
4	No	Month-to-month	Yes	89.10	
5	No	Month-to-month	No	29.75	
6	No	One year	No	56.15	
7	No music service	Two year	No	18.95	
8	Yes	One year	No	100.35	
9	Yes	Month-to-month	Yes	103.70	

	TotalCharges	At risk	type of payment
0	1889.50	No	courier check
1	108.15	Yes	courier check
2	151.65	Yes	echeck
3	820.50	Yes	echeck
4	1949.40	No	cc
5	301.90	No	courier check
6	3487.95	No	online banking
7	326.80	No	cc
8	5681.10	No	cc
9	5036.30	Yes	online banking

[10 rows x 21 columns]

```
[6]: #dropping customer id (CID) field as it is just an index field and is not
      ↳required by the model
```

```
df = df.drop('CID', axis = 1)
```

```
[7]: # Check the datatypes
      print(df.dtypes)
```

```
Sex                object
Aged               int64
Hasaspouse         object
Reliesuponsomeone  object
duration          int64
Youtube TV        object
Multiple Screens   object
Music Service      object
Hasmorethan3Playlists object
Followsmorethan5artists object
Haslistenedtomorethan5audiobooks object
TechSupport       object
Listens Podcast    object
Listens Music      object
subscription type  object
online invoice     object
monthly invoice    float64
TotalCharges       float64
At risk            object
type of payment    object
dtype: object
```

```
[8]: # Descriptive Statistics per class
      pd.set_option('display.expand_frame_repr', False)

      df_desc = pd.DataFrame(round(df.groupby("At risk").describe().stack(),2))
      df_desc
```

```
[8]:
```

		Aged	duration	monthly invoice	TotalCharges
At risk					
No	count	3635.00	3635.00	3635.00	3625.00
	mean	0.12	37.68	61.33	2568.88
	std	0.33	24.28	31.15	2348.40
	min	0.00	0.00	18.25	18.80
	25%	0.00	15.00	25.00	592.65
	50%	0.00	38.00	64.85	1681.60
	75%	0.00	61.00	87.57	4308.25

	max	1.00	72.00	118.65	8670.10
Yes	count	1260.00	1260.00	1260.00	1260.00
	mean	0.27	17.98	74.09	1532.40
	std	0.44	19.87	25.03	1916.79
	min	0.00	1.00	19.00	19.10
	25%	0.00	2.00	55.35	115.00
	50%	0.00	9.00	79.50	658.38
	75%	1.00	29.25	94.25	2337.02
	max	1.00	72.00	118.35	8684.80

```
[9]: #missing value check
print(df.isnull().sum())

missing_cols = pd.DataFrame(df.isnull().sum(), columns=[ 'NA_count'])

#counting number of fields with NAs
print('Number of fields with missing values:',len(missing_cols[missing_cols.
↪NA_count>0]))
```

```
Sex                                0
Aged                              0
Hasaspouse                        0
Reliesuponsomeone                 0
duration                         0
Youtube TV                       0
Multiple Screens                  0
Music Service                     0
Hasmorethan3Playlists            0
Followsmorethan5artists          0
Haslistenedtomorethan5audiobooks 0
TechSupport                      0
Listens Podcast                   0
Listens Music                     0
subscription type                0
online invoice                    0
monthly invoice                   0
TotalCharges                      10
At risk                           0
type of payment                   0
dtype: int64
Number of fields with missing values: 1
```

```
[10]: df.shape
```

```
[10]: (4895, 20)
```

```
[11]: #Since we have 4895 rows, and only 10 rows have missing values for 1 field,
↪(TotalCharges), we will drop those rows
```

```
df = df.dropna(subset = ['TotalCharges'])
```

0.3 Distribution of Numerical Fields

```
[12]: import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns

# Convert 'TotalCharges' to numeric from float
df['TotalCharges'] = pd.to_numeric(df['TotalCharges'], errors='coerce')

# Create a 3 by 3 grid of subplots
fig, axs = plt.subplots(3, 3, figsize=(15, 10))

axs = axs.flatten()

# Plot box plots
axs[0].boxplot(df['TotalCharges'].dropna())
axs[1].boxplot(df['duration'])
axs[2].boxplot(df['monthly invoice'])

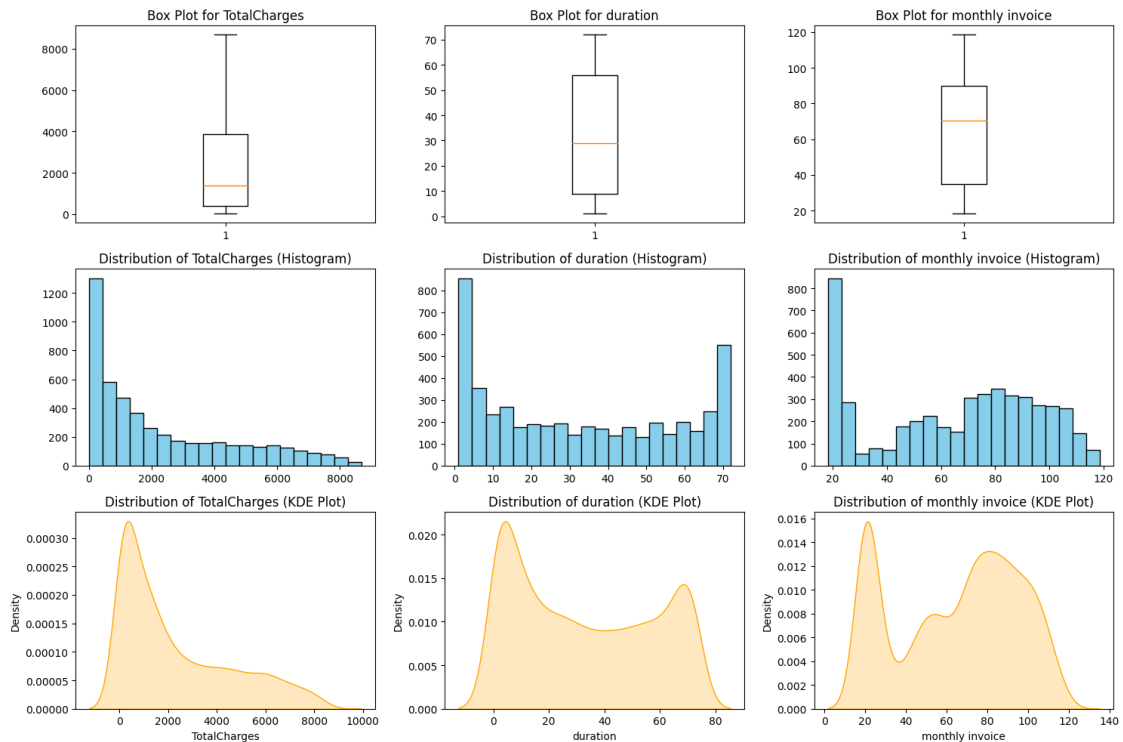
# Plot histograms
axs[3].hist(df['TotalCharges'].dropna(), bins=20, color='skyblue',
            edgecolor='black')
axs[4].hist(df['duration'], bins=20, color='skyblue', edgecolor='black')
axs[5].hist(df['monthly invoice'], bins=20, color='skyblue', edgecolor='black')

# Plot KDE plots
sns.kdeplot(df['TotalCharges'].dropna(), ax=axs[6], color='orange', fill=True)
sns.kdeplot(df['duration'], ax=axs[7], color='orange', fill=True)
sns.kdeplot(df['monthly invoice'], ax=axs[8], color='orange', fill=True)

# Set titles for each subplot
axs[0].set_title('Box Plot for TotalCharges')
axs[1].set_title('Box Plot for duration')
axs[2].set_title('Box Plot for monthly invoice')
axs[3].set_title('Distribution of TotalCharges (Histogram)')
axs[4].set_title('Distribution of duration (Histogram)')
axs[5].set_title('Distribution of monthly invoice (Histogram)')
axs[6].set_title('Distribution of TotalCharges (KDE Plot)')
axs[7].set_title('Distribution of duration (KDE Plot)')
axs[8].set_title('Distribution of monthly invoice (KDE Plot)')

# Adjust to prevent clipping of titles
plt.tight_layout()
```

```
# Show the plots
plt.show()
```



0.3.1 Observations:

1. None of these numerical continuous fields follow a normal distribution.
2. TotalCharges follows an approximate log-normal pattern, whereas the others are normally distributed.
3. Let us observe the distributions for customers who are at risk.

0.4 Risk vs Non Risk - Class Wise Distributions of Numerical Fields

```
[13]: #Separating all at risk and non risk customers so that we can check class wise
      ↪distributions

df_risk = df.loc[df['At risk'] == 'Yes']

df_norisk = df.loc[df['At risk'] == 'No']
```

0.4.1 Distribution for At Risk customers

```
[14]: import warnings

# Suppress all warnings
warnings.filterwarnings("ignore")

df_risk['TotalCharges'] = pd.to_numeric(df_risk['TotalCharges'],
    ↪errors='coerce')

#3 by 3 grid of subplots
fig, axs = plt.subplots(3, 3, figsize=(15, 10))

axs = axs.flatten()

# Plot box plots
axs[0].boxplot(df_risk['TotalCharges'].dropna())
axs[1].boxplot(df_risk['duration'])
axs[2].boxplot(df_risk['monthly invoice'])

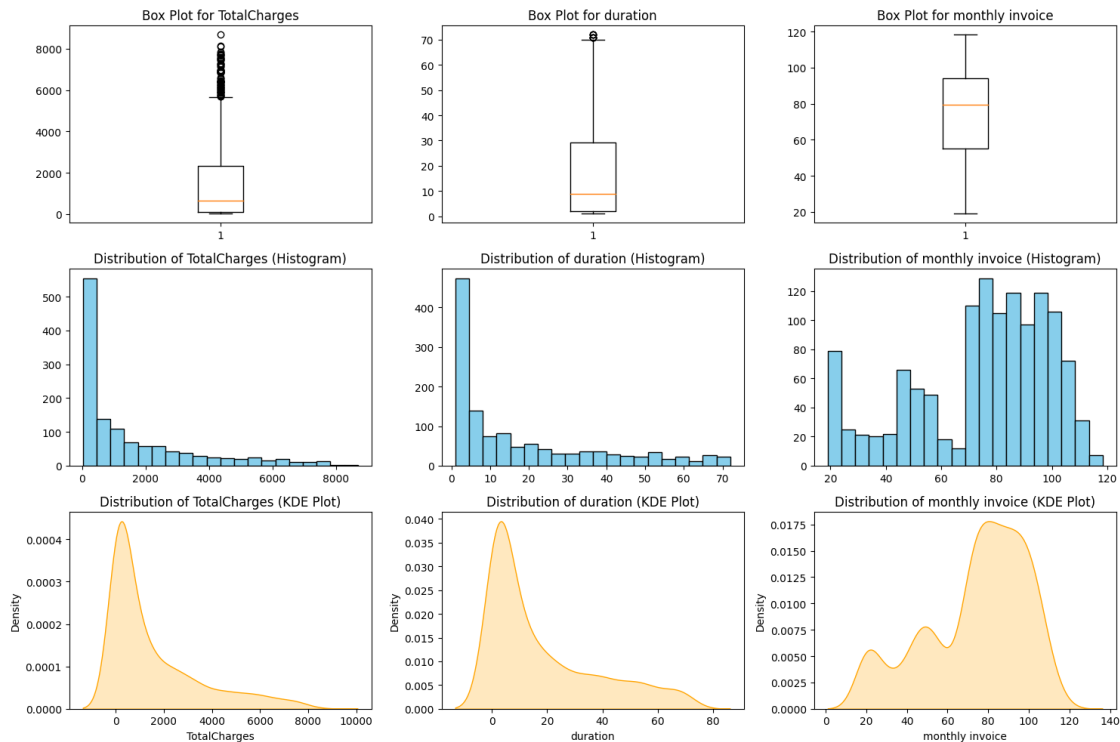
# Plot histograms
axs[3].hist(df_risk['TotalCharges'].dropna(), bins=20, color='skyblue',
    ↪edgecolor='black')
axs[4].hist(df_risk['duration'], bins=20, color='skyblue', edgecolor='black')
axs[5].hist(df_risk['monthly invoice'], bins=20, color='skyblue',
    ↪edgecolor='black')

# Plot KDE plots
sns.kdeplot(df_risk['TotalCharges'].dropna(), ax=axs[6], color='orange',
    ↪fill=True)
sns.kdeplot(df_risk['duration'], ax=axs[7], color='orange', fill=True)
sns.kdeplot(df_risk['monthly invoice'], ax=axs[8], color='orange', fill=True)

# titles for each subplot
axs[0].set_title('Box Plot for TotalCharges')
axs[1].set_title('Box Plot for duration')
axs[2].set_title('Box Plot for monthly invoice')
axs[3].set_title('Distribution of TotalCharges (Histogram)')
axs[4].set_title('Distribution of duration (Histogram)')
axs[5].set_title('Distribution of monthly invoice (Histogram)')
axs[6].set_title('Distribution of TotalCharges (KDE Plot)')
axs[7].set_title('Distribution of duration (KDE Plot)')
axs[8].set_title('Distribution of monthly invoice (KDE Plot)')

# Adjust to prevent clipping of titles
plt.tight_layout()
```

```
# Show the plots
plt.show()
```



0.4.2 Observations

1. When isolating at risk customers, the distributions change significantly.
2. Customers with total charges within the range 0-2000, duration within 0-20, and monthly invoice within 70-110 pose the maximum risk.
3. We observe that most at risk customers have total charges < 6000, even though we have some outliers above the 8000 band.

0.5 EDA of Categorical Fields

```
[16]: #separating categorical fields
cat_feat = ['Sex', 'Hasaspouse', 'Reliesuponsomeone', 'Youtube TV', 'Multiple_
↳Screens',
            'Music Service', 'Hasmorethan3Playlists',
↳'Followsmorethan5artists', 'Haslistenedtomorethan5audiobooks',
            'TechSupport', 'Listens Podcast', 'Listens Music', 'subscription_
↳type', 'online invoice',
            'type of payment']
```



```
[17]: import seaborn as sns
import matplotlib.pyplot as plt

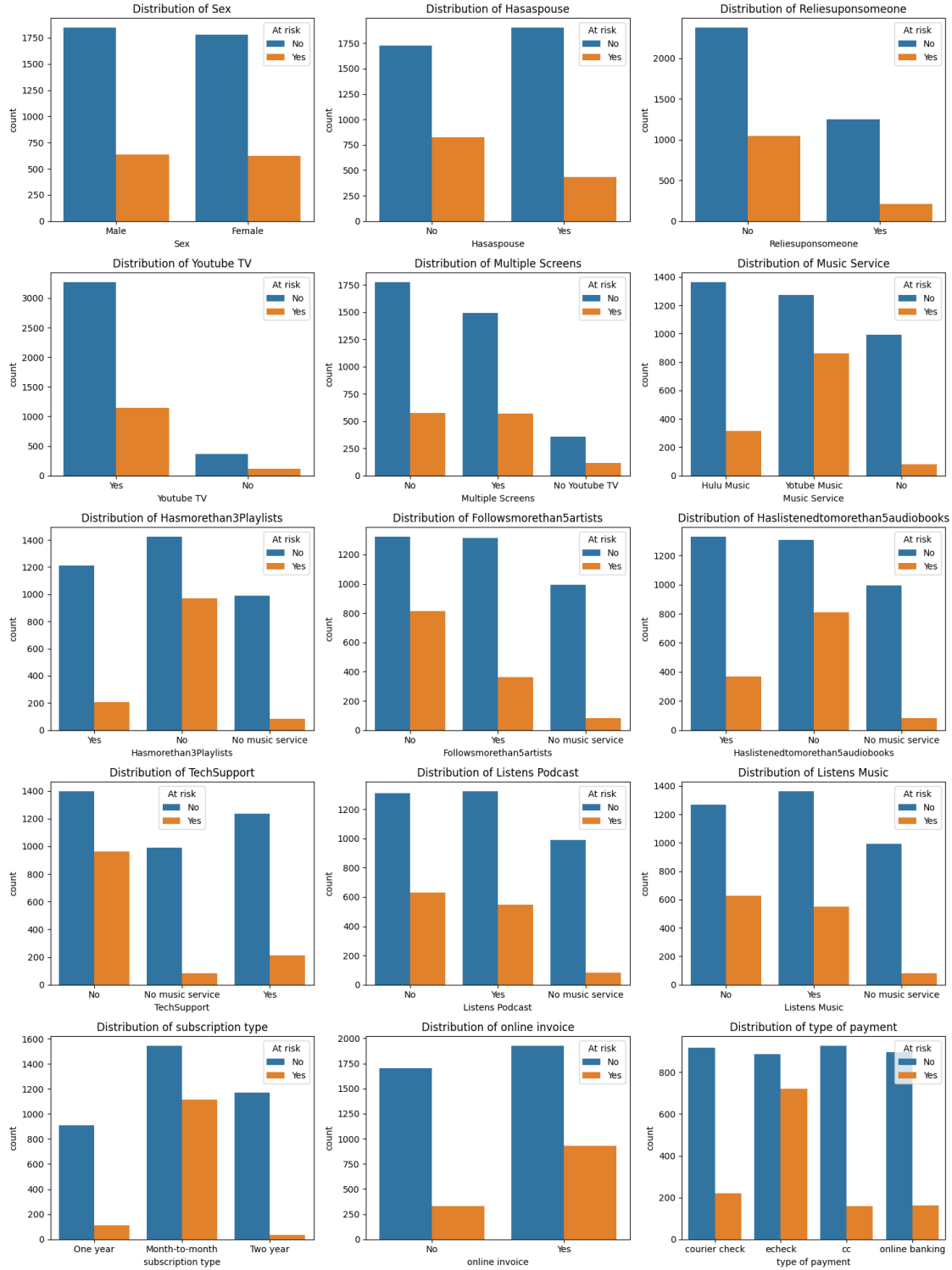
fig, axs = plt.subplots(5, 3, figsize=(15, 20))

# Flatten the axs array to simplify indexing
axs = axs.flatten()

for i, feature in enumerate(cat_feat):
    sns.countplot(x=feature, hue='At risk', data=df, ax=axs[i])
    axs[i].set_title(f'Distribution of {feature}')

plt.tight_layout()

plt.show()
```



0.5.1 Observations

1. No observed differentiation in terms of sex.

2. For music service, a stark difference is observed for YouTube Music, as availers of this service demonstrate a significantly higher level of risk.
3. Customers with less than 3 playlists, and customers who have listened to less than 5 podcasts also demonstrate a very similar pattern as they demonstrate a significantly higher level of risk.
4. Customers who don't opt for tech support are at a high risk level.
5. Customers who opt for month to month subscription types are at a high risk level.
6. Customers who opt for 'echeck' as their preferred mode of payment are at a high risk level.

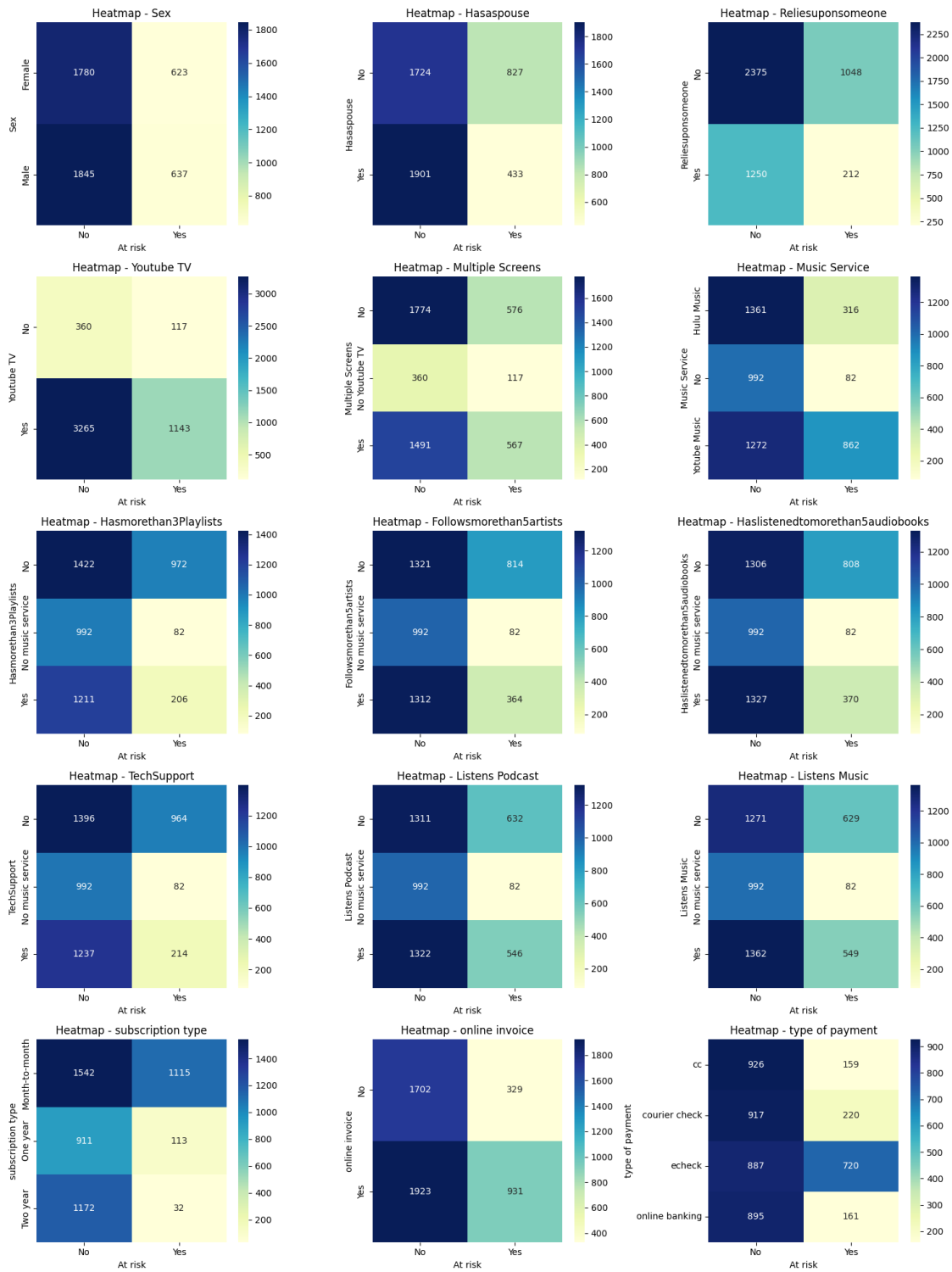
```
[18]: fig, axs = plt.subplots(5, 3, figsize=(15, 20))

axs = axs.flatten()

for i, feature in enumerate(cat_feat):
    crosstab_result = pd.crosstab(df[feature], df['At risk'])
    sns.heatmap(crosstab_result, annot=True, cmap='YlGnBu', fmt='g', ax=axs[i])
    axs[i].set_title(f'Heatmap - {feature}')

plt.tight_layout()

plt.show()
```



0.5.2 Observations

The heat maps mirror the observations from our bar charts, but where the bar charts give us a visual measure, the heat maps provide a more quantitative view.

0.6 Feature Engineering

0.6.1 Encoding target variable

```
[19]: #Encoding target variable 'At risk' with 0 or 1
```

```
df['At risk'] = df['At risk'].replace({'Yes':1, 'No':0})
```

```
[20]: # Find index of 'At risk' column
idx=df.columns.get_loc('At risk')
```

```
# Move the 'At risk' column to the end of the DataFrame
cols = list(df.columns)
cols.append(cols.pop(idx))
df = df[cols]

df.head()
```

```
[20]:      Sex  Aged Hasaspouse Reliesuponsomeone  duration Youtube TV Multiple
Screens Music Service Hasmorethan3Playlists Followsmorethan5artists
Haslistenedtomorethan5audiobooks TechSupport Listens Podcast Listens Music
subscription type online invoice  monthly invoice  TotalCharges type of payment
At risk
0   Male    0           No           No           34           Yes
No   Hulu Music           Yes           No
Yes           No           No           No           One year           No
56.95           1889.50  courier check           0
1   Male    0           No           No           2           Yes
No   Hulu Music           Yes           Yes
No           No           No           No  Month-to-month           Yes
53.85           108.15  courier check           1
2  Female    0           No           No           2           Yes
No  Yotube Music           No           No           Month-to-month           Yes
70.70           151.65  echeck           1
3  Female    0           No           No           8           Yes
Yes  Yotube Music           No           No           Month-to-month           Yes
Yes           No           Yes           Yes  Month-to-month           Yes
99.65           820.50  echeck           1
4   Male    0           No           Yes           22           Yes
Yes  Yotube Music           No           Yes           Month-to-month           Yes
No           No           Yes           No           Month-to-month           Yes
89.10           1949.40           cc           0
```

```
[21]: df.head()
```

```
[21]:      Sex  Aged Hasaspouse Reliesuponsomeone  duration Youtube TV Multiple
Screens Music Service Hasmorethan3Playlists Followsmorethan5artists
Haslistenedtomorethan5audiobooks TechSupport Listens Podcast Listens Music
subscription type online invoice  monthly invoice  TotalCharges type of payment
At risk
0    Male    0          No                No    34          Yes
No    Hulu Music                Yes                No
Yes          No                No                No    One year                No
56.95    1889.50  courier check    0
1    Male    0          No                No    2          Yes
No    Hulu Music                Yes                Yes
No          No                No                No  Month-to-month                Yes
53.85    108.15  courier check    1
2  Female    0          No                No    2          Yes
No  Yotube Music                No                No
No          No                No                No  Month-to-month                Yes
70.70    151.65    echeck    1
3  Female    0          No                No    8          Yes
Yes  Yotube Music                No                No
Yes          No                Yes                Yes  Month-to-month                Yes
99.65    820.50    echeck    1
4    Male    0          No                Yes    22         Yes
Yes  Yotube Music                No                Yes
No          No                Yes                No  Month-to-month                Yes
89.10    1949.40          cc    0
```

```
[22]: #creating a duplicate master df
```

```
df_master = df
```

0.6.2 Train-Test Split before Encoding and Normalization to prevent Leakage

```
[23]: #Split the data into 70% training, 15% testing, and 15% validation sets

#Splitting the dataset into 2 random sets in the ratio 70:30, the first returned
↳set is the training set
df_train, temp_data, df_train_target, temp_target = train_test_split(df.iloc[:,
↳], df.iloc[:, -1], test_size=0.3, random_state=42)

#Splitting the second returned set into 2 random sets in the ratio 50:50, to
↳get test and validation sets
df_test, df_valid, df_test_target, df_valid_target =
↳train_test_split(temp_data, temp_target, test_size=0.5, random_state=42)

# Print the size of each set
```

```
print("Train set size: ", len(df_train))
print("Test set size: ", len(df_test))
print("Validation set size: ", len(df_valid))
```

```
Train set size: 3419
Test set size: 733
Validation set size: 733
```

0.6.3 Encoding nominal categorical variables

We will perform target encoding of the nominal categorical variables based on the value of target variable. For this, we will define a function first.

```
[24]: #function for target encoding
def target_encoding(df, col, target_col):
    prob_risk= df.groupby(col)[target_col].mean() # Calculate the probability of
    ↪risk for each category
    prob_dict = prob_risk.to_dict() # Create a dictionary mapping each category
    ↪to its probability ratio
    df[col] = df[col].map(prob_dict) # Replace the original categorical variable
    ↪with its probability ratio encoding
    return df
```

```
[25]: #Train set

#target encoding of all categorical fields
for col in cat_feat:
    df_train = target_encoding(df_train, col, 'At risk')

df_train = df_train.drop('At risk', axis = 1)
df_train.head()
```

```
[25]:      Sex  Aged  Hasaspouse  Reliesuponsomeone  duration  Youtube TV  Multiple
Screens  Music Service  Hasmorethan3Playlists  Followsmorethan5artists
Haslistenedtomorethan5audiobooks  TechSupport  Listens Podcast  Listens Music
subscription type  online invoice  monthly invoice  TotalCharges  type of
payment
2668  0.25    1      0.19                0.30          25      0.26
0.28          0.41                0.15                0.38
0.37          0.40                0.31          0.29                0.11
0.32          89.05      2177.45                0.45
2542  0.25    0      0.19                0.14          71      0.26
0.28          0.08                0.08                0.08
0.08          0.08                0.08          0.08                0.03
0.16          25.35      1847.55                0.15
4313  0.25    0      0.32                0.30          29      0.24
0.24          0.18                0.40                0.38
0.37          0.40                0.31          0.33                0.11
```

0.32		24.85		788.05		0.18	
1076	0.25	0	0.32		0.30	30	0.26
0.23		0.41			0.40		0.38
0.37		0.40		0.30		0.29	0.41
0.32		90.25		2755.35		0.45	
2748	0.26	0	0.32		0.30	9	0.24
0.24		0.18			0.15		0.38
0.22		0.16		0.30		0.29	0.41
0.16		58.50		539.85		0.18	

```
[26]: #Test set

#target encoding of all categorical fields
for col in cat_feat:
    df_test = target_encoding(df_test, col, 'At risk')

df_test = df_test.drop('At risk', axis = 1)
df_test.head()
```

```
[26]: Sex Aged Hasaspouse Reliesuponsomeone duration Youtube TV Multiple
Screens Music Service Hasmorethan3Playlists Followsmorethan5artists
Haslistenedtomorethan5audiobooks TechSupport Listens Podcast Listens Music
subscription type online invoice monthly invoice TotalCharges type of
payment
2957 0.27 0 0.16 0.11 68 0.26
0.27 0.38 0.14 0.21
0.15 0.43 0.27 0.29 0.01
0.34 110.20 7467.50 0.46
1962 0.26 0 0.36 0.33 66 0.26
0.25 0.21 0.14 0.21
0.15 0.43 0.35 0.33 0.01
0.34 61.15 4017.45 0.16
1188 0.27 0 0.16 0.11 35 0.26
0.27 0.38 0.40 0.21
0.42 0.43 0.27 0.33 0.44
0.34 89.65 3161.60 0.16
3228 0.27 0 0.36 0.33 2 0.26
0.25 0.38 0.40 0.40
0.42 0.43 0.35 0.33 0.44
0.34 70.30 144.00 0.46
596 0.26 0 0.16 0.33 56 0.26
0.25 0.38 0.14 0.21
0.15 0.43 0.27 0.29 0.10
0.34 105.60 6068.65 0.13
```

```
[27]: #Validation set
```



```
#target encoding of all categorical fields
for col in cat_feat:
    df_valid = target_encoding(df_valid, col, 'At risk')

df_valid = df_valid.drop('At risk', axis = 1)
df_valid.head()
```

```
[27]: Sex Aged Hasaspouse Reliesuponsomeone duration Youtube TV Multiple
Screens Music Service Hasmorethan3Playlists Followsmorethan5artists
Haslistenedtomorethan5audiobooks TechSupport Listens Podcast Listens Music
subscription type online invoice monthly invoice TotalCharges type of
payment
156 0.24 0 0.33 0.31 72 0.27
0.29 0.08 0.08 0.08
0.08 0.08 0.08 0.08 0.03
0.17 20.25 1566.90 0.15
2623 0.29 0 0.20 0.31 72 0.27
0.25 0.41 0.14 0.38
0.26 0.14 0.27 0.28 0.03
0.33 110.90 8240.85 0.15
748 0.24 0 0.33 0.31 50 0.27
0.25 0.20 0.14 0.38
0.26 0.14 0.27 0.28 0.11
0.33 82.50 4179.10 0.15
499 0.24 0 0.20 0.18 72 0.27
0.25 0.41 0.14 0.24
0.37 0.14 0.36 0.35 0.03
0.33 90.35 6563.40 0.15
4214 0.24 0 0.33 0.18 12 0.27
0.29 0.20 0.42 0.38
0.37 0.43 0.36 0.35 0.43
0.33 44.55 480.60 0.44
```

0.6.4 Normalization (min-max scaling) of continuous numerical fields

Observing the distribution of the 3 continuous numerical fields - TotalCharges, duration and monthly invoice, we find none of them resemble a Gaussian distribution. In such cases, normalisation does a better job than standardisation, so we will normalise these fields. Also, normalisation is more sensitive to outliers and preserves the shape of the original distribution.

```
[28]: from sklearn.preprocessing import MinMaxScaler

# Initialize the MinMaxScaler
scaler = MinMaxScaler()

# List of columns to be scaled
columns_to_scale = ['TotalCharges', 'duration', 'monthly invoice']
```

```

# Fit and transform the training dataset
df_train[columns_to_scale] = scaler.fit_transform(df_train[columns_to_scale])

# Transform the test dataset using the scaler fitted on the training dataset
df_test[columns_to_scale] = scaler.transform(df_test[columns_to_scale])

# Transform the validation dataset using the scaler fitted on the training
↪dataset
df_valid[columns_to_scale] = scaler.transform(df_valid[columns_to_scale])

```

```
df_valid.head()
```

0.7 Building the Models

We will use two approaches. We will first use a random forest classifier, as the dataset is not very large and RF classifiers work better with smaller sets. As an alternative approach, we will use a deep learning model (using neural networks) and compare the performance. These models work better with larger datasets as the model gets to learn more, so it will be interesting to see how it performs for a smaller dataset.

0.7.1 First Approach - Random Forest Classifier

```

[71]: from sklearn.model_selection import train_test_split
      from sklearn.ensemble import RandomForestClassifier
      from sklearn.metrics import accuracy_score

# Create a Random Forest Classifier
rf_classifier = RandomForestClassifier(n_estimators=100, random_state=42)

# Train the classifier on the training data
rf_classifier.fit(df_train, df_train_target)

# Make predictions on the testing data
y_pred = rf_classifier.predict(df_test)

# Calculate the accuracy of the classifier
accuracy = accuracy_score(df_test_target, y_pred)
print("Accuracy:", accuracy)

# Calculate F1 score
f1 = f1_score(df_test_target, y_pred, average='weighted')
print("F1 Score:", f1)

# Calculate precision
precision = precision_score(df_test_target, y_pred, average='weighted')
print("Precision:", precision)

# Calculate recall

```

```

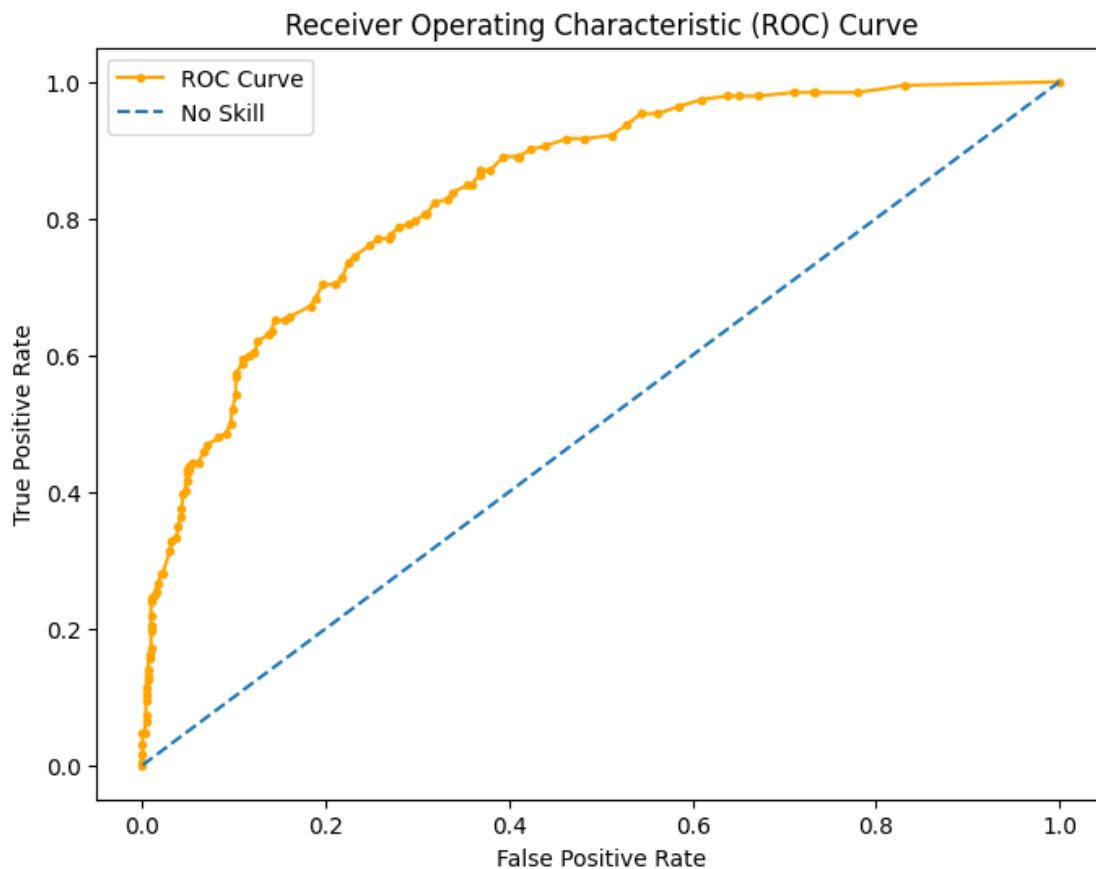
recall = recall_score(df_test_target, y_pred, average='weighted')
print("Recall:", recall)

# Calculate ROC curve
y_probs = rf_classifier.predict_proba(df_test)
fpr, tpr, thresholds = roc_curve(df_test_target, y_probs[:, 1])

# Plot ROC curve
plt.figure(figsize=(8, 6))
plt.plot(fpr, tpr, marker='.', label='ROC Curve', color = 'orange')
plt.plot([0,1], [0,1], linestyle='--', label='No Skill')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.title('Receiver Operating Characteristic (ROC) Curve')
plt.legend()
plt.show()

```

Accuracy: 0.8130968622100955
 F1 Score: 0.8083042924918922
 Precision: 0.8061362719289819
 Recall: 0.8130968622100955

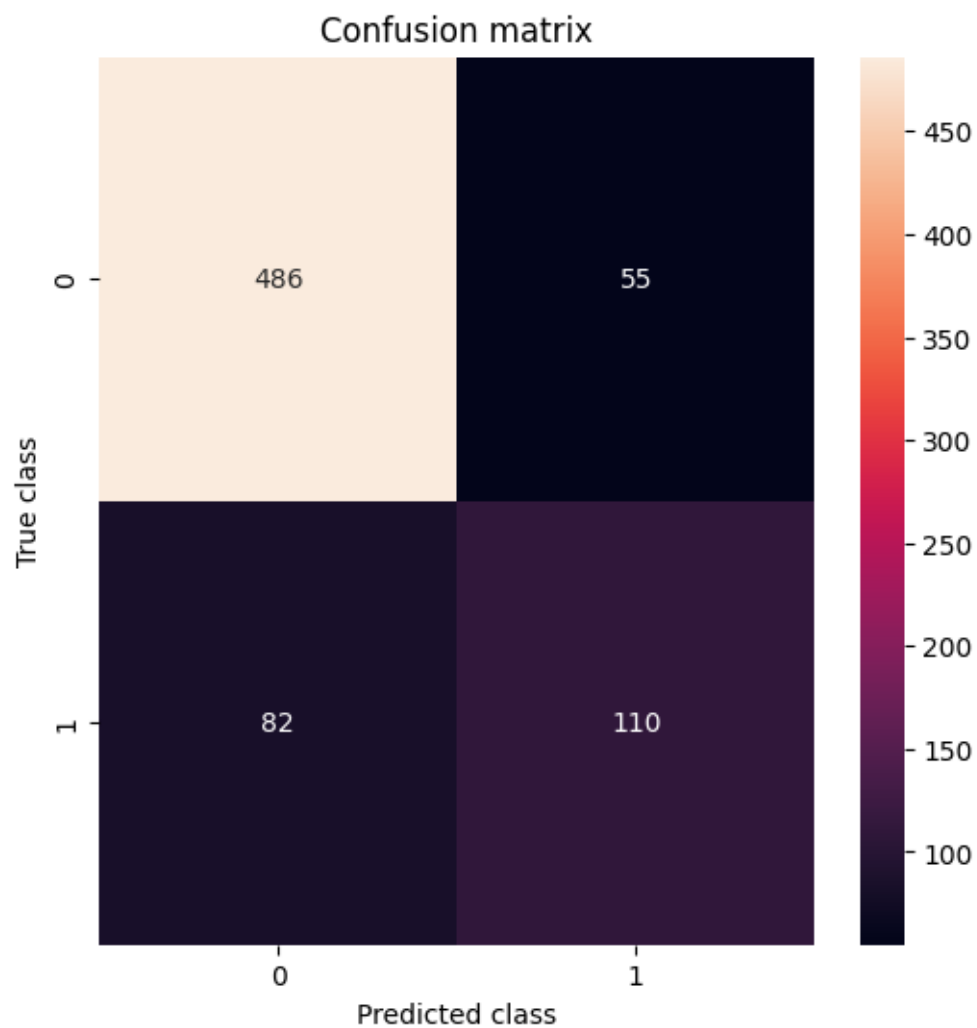


```
[72]: from sklearn.metrics import accuracy_score, precision_score, confusion_matrix, \
      ↪ f1_score, recall_score
import seaborn as sns
import matplotlib.pyplot as plt

test_x_predictions = y_pred

conf_matrix = confusion_matrix(df_test_target, y_pred)

plt.figure(figsize=(6, 6))
sns.heatmap(conf_matrix, annot=True, fmt="d")
plt.title("Confusion matrix")
plt.ylabel('True class')
plt.xlabel('Predicted class')
plt.show()
```



0.7.2 Feature Importance - Random Forest Model

```
[55]: # Import necessary libraries

import numpy as np

import matplotlib.pyplot as plt

# Extract feature importances

importances = rf_classifier.feature_importances_

# Get the indices of features sorted by importance

indices = np.argsort(importances)[::-1]

# Rearrange feature names based on importance

feature_names = df_train.columns

# Plot the feature importances

plt.figure(figsize=(10, 6))

plt.title("Feature Importances")

plt.bar(range(df_train.shape[1]), importances[indices], align="center")

plt.xticks(range(df_train.shape[1]), [feature_names[i] for i in indices],
          ↪rotation=45, ha='right')

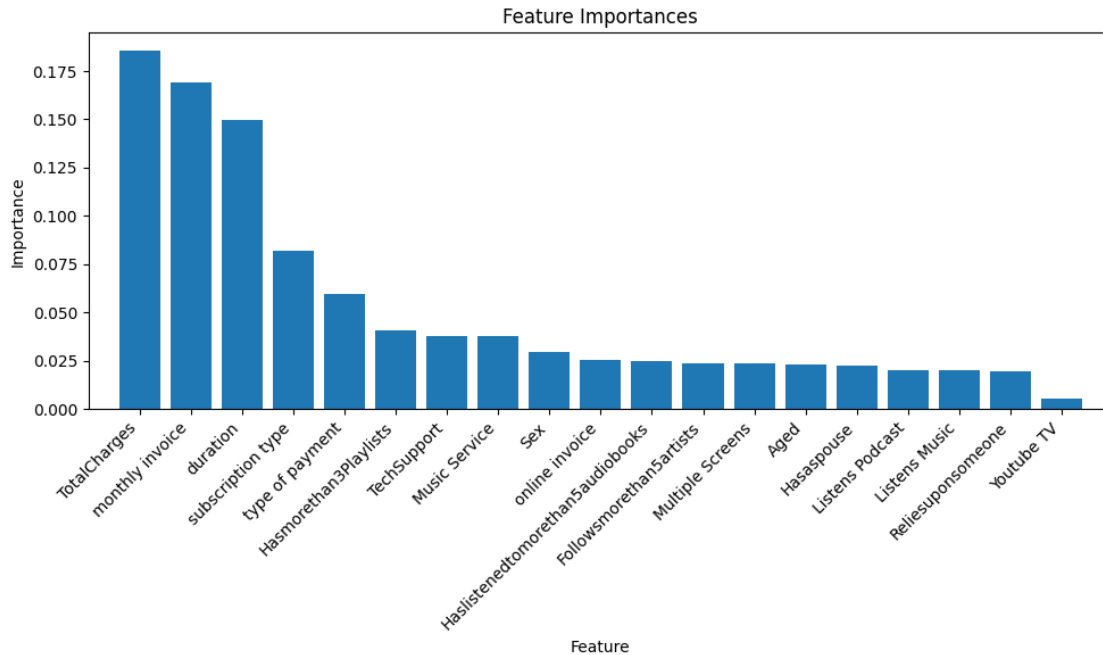
plt.xlim([-1, df_train.shape[1]])

plt.xlabel("Feature")

plt.ylabel("Importance")

plt.tight_layout()

plt.show()
```



Analysis of the features reveals that in terms of importance - TotalCharges, monthly invoice and duration are the 3 most important features. This is in line with our EDA effort where we observed that distributions for these 3 variables differed significantly for the At Risk vs Non risk classes.

0.7.3 Second Approach - Neural Network Classifier

We will build a sequential neural network classifier, where layers can be added one by one in a linear stack.

Points to note: 1. Input layer - Dense (fully connected) layer with 100 units, using the ReLU (Rectified Linear Unit) activation function. The `input_shape` parameter is set to `(input_dim)`, where `input_dim` is the number of features in the input data. 2. First dropout layer - Dropout rate of 0.2. Dropout is a regularization technique that helps prevent overfitting by randomly setting a fraction of input units to 0 at each update during training. 3. Hidden layer - Another dense layer with 20 units and ReLU activation. 4. Second dropout layer - Another dropout layer with a dropout rate of 0.2. 5. Output layer - Single unit with sigmoid activation function. This is suitable for binary classification tasks, where the output represents the probability of the positive (At risk = Yes) class. 6. We will employ the 'adam' optimizer function, and for the loss function we will use 'binary_crossentropy'.

```
[30]: #pip install tensorflow
import tensorflow as tf
```

```
[73]: nb_epoch = 80
batch_size = 256
input_dim = df_train.shape[1] #num of predictor variables
learning_rate = 0.0001
```

```

#Initialising Model
model = tf.keras.models.Sequential()
model.add(tf.keras.layers.Dense(100, input_shape=(input_dim,),
    ↪activation='relu'))
model.add(tf.keras.layers.Dropout(0.2))
model.add(tf.keras.layers.Dense(units=20,activation="relu"))
model.add(tf.keras.layers.Dropout(0.2))
#Adding Output Layer
model.add(tf.keras.layers.Dense(units=1,activation="sigmoid"))

#Compiling Model

model.compile(optimizer=tf.keras.optimizers.
    ↪Adam(learning_rate=learning_rate),loss="binary_crossentropy",metrics=[tf.
    ↪keras.metrics.Recall()])
# model.compile(optimizer=keras.optimizers.
    ↪Adam(learning_rate=learning_rate),loss=weighted_binary_crossentropy, metrics
    ↪= ['accuracy'])

class_weight = {0:1.,1:5.}
#Fitting Model
model.fit(df_train, df_train_target,
        epochs=nb_epoch,
        batch_size=batch_size,
        shuffle=True,
        class_weight = class_weight,
        validation_data=(df_valid, df_valid_target)
    )

```

WARNING:absl:At this time, the v2.11+ optimizer `tf.keras.optimizers.Adam` runs slowly on M1/M2 Macs, please use the legacy Keras optimizer instead, located at `tf.keras.optimizers.legacy.Adam`.

```

Epoch 1/80
14/14 [=====] - 0s 5ms/step - loss: 1.3512 - recall_3:
0.9289 - val_loss: 0.7585 - val_recall_3: 1.0000
Epoch 2/80
14/14 [=====] - 0s 2ms/step - loss: 1.3279 - recall_3:
0.9713 - val_loss: 0.7685 - val_recall_3: 1.0000
Epoch 3/80
14/14 [=====] - 0s 2ms/step - loss: 1.3116 - recall_3:
0.9839 - val_loss: 0.7775 - val_recall_3: 1.0000
Epoch 4/80
14/14 [=====] - 0s 2ms/step - loss: 1.3019 - recall_3:
0.9931 - val_loss: 0.7837 - val_recall_3: 1.0000
Epoch 5/80
14/14 [=====] - 0s 2ms/step - loss: 1.2889 - recall_3:

```

0.9954 - val_loss: 0.7898 - val_recall_3: 1.0000
 Epoch 6/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2784 - recall_3:
 1.0000 - val_loss: 0.7929 - val_recall_3: 1.0000
 Epoch 7/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2739 - recall_3:
 0.9966 - val_loss: 0.7953 - val_recall_3: 1.0000
 Epoch 8/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2652 - recall_3:
 0.9920 - val_loss: 0.7964 - val_recall_3: 1.0000
 Epoch 9/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2507 - recall_3:
 0.9931 - val_loss: 0.7954 - val_recall_3: 1.0000
 Epoch 10/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2380 - recall_3:
 0.9977 - val_loss: 0.7936 - val_recall_3: 1.0000
 Epoch 11/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2338 - recall_3:
 0.9966 - val_loss: 0.7913 - val_recall_3: 1.0000
 Epoch 12/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2214 - recall_3:
 0.9908 - val_loss: 0.7840 - val_recall_3: 0.9898
 Epoch 13/80
 14/14 [=====] - 0s 1ms/step - loss: 1.2135 - recall_3:
 0.9931 - val_loss: 0.7815 - val_recall_3: 0.9847
 Epoch 14/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1983 - recall_3:
 0.9862 - val_loss: 0.7752 - val_recall_3: 0.9847
 Epoch 15/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1888 - recall_3:
 0.9828 - val_loss: 0.7660 - val_recall_3: 0.9847
 Epoch 16/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1843 - recall_3:
 0.9771 - val_loss: 0.7622 - val_recall_3: 0.9745
 Epoch 17/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1688 - recall_3:
 0.9736 - val_loss: 0.7561 - val_recall_3: 0.9745
 Epoch 18/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1656 - recall_3:
 0.9667 - val_loss: 0.7515 - val_recall_3: 0.9694
 Epoch 19/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1447 - recall_3:
 0.9587 - val_loss: 0.7467 - val_recall_3: 0.9694
 Epoch 20/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1471 - recall_3:
 0.9576 - val_loss: 0.7425 - val_recall_3: 0.9592
 Epoch 21/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1322 - recall_3:

0.9599 - val_loss: 0.7349 - val_recall_3: 0.9541
 Epoch 22/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1251 - recall_3:
 0.9461 - val_loss: 0.7271 - val_recall_3: 0.9541
 Epoch 23/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1179 - recall_3:
 0.9404 - val_loss: 0.7241 - val_recall_3: 0.9490
 Epoch 24/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1111 - recall_3:
 0.9381 - val_loss: 0.7205 - val_recall_3: 0.9490
 Epoch 25/80
 14/14 [=====] - 0s 1ms/step - loss: 1.1019 - recall_3:
 0.9404 - val_loss: 0.7138 - val_recall_3: 0.9439
 Epoch 26/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0915 - recall_3:
 0.9323 - val_loss: 0.7042 - val_recall_3: 0.9439
 Epoch 27/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0953 - recall_3:
 0.9128 - val_loss: 0.7052 - val_recall_3: 0.9439
 Epoch 28/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0849 - recall_3:
 0.9312 - val_loss: 0.7048 - val_recall_3: 0.9388
 Epoch 29/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0850 - recall_3:
 0.9048 - val_loss: 0.6980 - val_recall_3: 0.9388
 Epoch 30/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0751 - recall_3:
 0.9151 - val_loss: 0.7012 - val_recall_3: 0.9388
 Epoch 31/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0744 - recall_3:
 0.9151 - val_loss: 0.6942 - val_recall_3: 0.9388
 Epoch 32/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0692 - recall_3:
 0.9060 - val_loss: 0.6846 - val_recall_3: 0.9286
 Epoch 33/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0598 - recall_3:
 0.9106 - val_loss: 0.6886 - val_recall_3: 0.9337
 Epoch 34/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0644 - recall_3:
 0.9025 - val_loss: 0.6815 - val_recall_3: 0.9286
 Epoch 35/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0536 - recall_3:
 0.8945 - val_loss: 0.6831 - val_recall_3: 0.9286
 Epoch 36/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0467 - recall_3:
 0.9083 - val_loss: 0.6817 - val_recall_3: 0.9235
 Epoch 37/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0477 - recall_3:

0.8956 - val_loss: 0.6824 - val_recall_3: 0.9235
 Epoch 38/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0446 - recall_3:
 0.9025 - val_loss: 0.6714 - val_recall_3: 0.9184
 Epoch 39/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0411 - recall_3:
 0.9025 - val_loss: 0.6780 - val_recall_3: 0.9184
 Epoch 40/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0311 - recall_3:
 0.9002 - val_loss: 0.6726 - val_recall_3: 0.9133
 Epoch 41/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0320 - recall_3:
 0.8945 - val_loss: 0.6695 - val_recall_3: 0.9133
 Epoch 42/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0373 - recall_3:
 0.8876 - val_loss: 0.6667 - val_recall_3: 0.9133
 Epoch 43/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0376 - recall_3:
 0.8922 - val_loss: 0.6653 - val_recall_3: 0.9133
 Epoch 44/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0267 - recall_3:
 0.8933 - val_loss: 0.6611 - val_recall_3: 0.9133
 Epoch 45/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0325 - recall_3:
 0.8876 - val_loss: 0.6608 - val_recall_3: 0.9133
 Epoch 46/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0293 - recall_3:
 0.8853 - val_loss: 0.6681 - val_recall_3: 0.9133
 Epoch 47/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0240 - recall_3:
 0.8842 - val_loss: 0.6639 - val_recall_3: 0.9133
 Epoch 48/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0241 - recall_3:
 0.8819 - val_loss: 0.6647 - val_recall_3: 0.9133
 Epoch 49/80
 14/14 [=====] - 0s 2ms/step - loss: 1.0239 - recall_3:
 0.8761 - val_loss: 0.6608 - val_recall_3: 0.9133
 Epoch 50/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0156 - recall_3:
 0.8773 - val_loss: 0.6663 - val_recall_3: 0.9133
 Epoch 51/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0086 - recall_3:
 0.8888 - val_loss: 0.6578 - val_recall_3: 0.9133
 Epoch 52/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0177 - recall_3:
 0.8773 - val_loss: 0.6572 - val_recall_3: 0.9082
 Epoch 53/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0155 - recall_3:

0.8853 - val_loss: 0.6543 - val_recall_3: 0.9082
 Epoch 54/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0162 - recall_3:
 0.8761 - val_loss: 0.6515 - val_recall_3: 0.9082
 Epoch 55/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0042 - recall_3:
 0.8888 - val_loss: 0.6532 - val_recall_3: 0.9082
 Epoch 56/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0080 - recall_3:
 0.8784 - val_loss: 0.6496 - val_recall_3: 0.9082
 Epoch 57/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0070 - recall_3:
 0.8761 - val_loss: 0.6540 - val_recall_3: 0.9082
 Epoch 58/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9990 - recall_3:
 0.8819 - val_loss: 0.6524 - val_recall_3: 0.9082
 Epoch 59/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0057 - recall_3:
 0.8876 - val_loss: 0.6537 - val_recall_3: 0.9082
 Epoch 60/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0025 - recall_3:
 0.8681 - val_loss: 0.6548 - val_recall_3: 0.9082
 Epoch 61/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0084 - recall_3:
 0.8830 - val_loss: 0.6482 - val_recall_3: 0.9082
 Epoch 62/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9954 - recall_3:
 0.8681 - val_loss: 0.6453 - val_recall_3: 0.9082
 Epoch 63/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0059 - recall_3:
 0.8773 - val_loss: 0.6431 - val_recall_3: 0.9031
 Epoch 64/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9972 - recall_3:
 0.8681 - val_loss: 0.6481 - val_recall_3: 0.9082
 Epoch 65/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9918 - recall_3:
 0.8727 - val_loss: 0.6493 - val_recall_3: 0.9082
 Epoch 66/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9874 - recall_3:
 0.8876 - val_loss: 0.6454 - val_recall_3: 0.9031
 Epoch 67/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9989 - recall_3:
 0.8658 - val_loss: 0.6408 - val_recall_3: 0.9031
 Epoch 68/80
 14/14 [=====] - 0s 1ms/step - loss: 0.9987 - recall_3:
 0.8819 - val_loss: 0.6414 - val_recall_3: 0.9031
 Epoch 69/80
 14/14 [=====] - 0s 1ms/step - loss: 1.0005 - recall_3:

```

0.8739 - val_loss: 0.6400 - val_recall_3: 0.8980
Epoch 70/80
14/14 [=====] - 0s 1ms/step - loss: 0.9922 - recall_3:
0.8761 - val_loss: 0.6487 - val_recall_3: 0.9031
Epoch 71/80
14/14 [=====] - 0s 1ms/step - loss: 0.9948 - recall_3:
0.8784 - val_loss: 0.6480 - val_recall_3: 0.9031
Epoch 72/80
14/14 [=====] - 0s 1ms/step - loss: 0.9963 - recall_3:
0.8716 - val_loss: 0.6504 - val_recall_3: 0.9082
Epoch 73/80
14/14 [=====] - 0s 2ms/step - loss: 0.9938 - recall_3:
0.8750 - val_loss: 0.6368 - val_recall_3: 0.8980
Epoch 74/80
14/14 [=====] - 0s 1ms/step - loss: 0.9919 - recall_3:
0.8750 - val_loss: 0.6373 - val_recall_3: 0.8980
Epoch 75/80
14/14 [=====] - 0s 1ms/step - loss: 0.9894 - recall_3:
0.8693 - val_loss: 0.6372 - val_recall_3: 0.8980
Epoch 76/80
14/14 [=====] - 0s 1ms/step - loss: 0.9930 - recall_3:
0.8761 - val_loss: 0.6404 - val_recall_3: 0.8980
Epoch 77/80
14/14 [=====] - 0s 1ms/step - loss: 0.9901 - recall_3:
0.8796 - val_loss: 0.6428 - val_recall_3: 0.8980
Epoch 78/80
14/14 [=====] - 0s 1ms/step - loss: 0.9909 - recall_3:
0.8899 - val_loss: 0.6374 - val_recall_3: 0.8980
Epoch 79/80
14/14 [=====] - 0s 1ms/step - loss: 0.9832 - recall_3:
0.8716 - val_loss: 0.6400 - val_recall_3: 0.8980
Epoch 80/80
14/14 [=====] - 0s 1ms/step - loss: 0.9972 - recall_3:
0.8624 - val_loss: 0.6354 - val_recall_3: 0.8980

```

[73]: <keras.src.callbacks.History at 0x2c3e925f0>

0.7.4 ROC Curve

```

[74]: from numpy import argmax
      from numpy import sqrt
      from sklearn.metrics import roc_curve

      test_x_predictions = model.predict(df_test)

      # calculate roc curves
      fpr, tpr, thresholds = roc_curve(df_test_target, test_x_predictions)
      # calculate the g-mean for each threshold

```

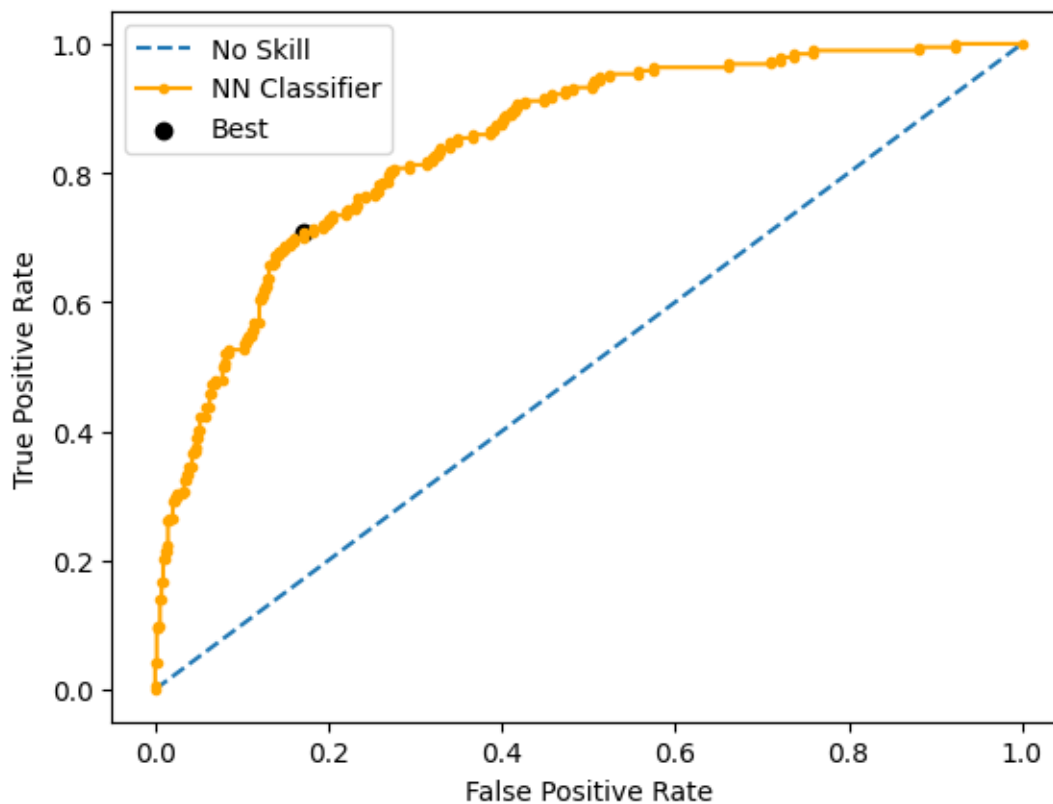
```

gmeans = sqrt(tpr * (1-fpr))
# locate the index of the largest g-mean
ix = argmax(gmeans)
print('Best Threshold=%f, G-Mean=%.3f' % (thresholds[ix], gmeans[ix]))
# plot the roc curve for the model
plt.plot([0,1], [0,1], linestyle='--', label='No Skill')
plt.plot(fpr, tpr, marker='.', label='NN Classifier', color = 'orange')
plt.scatter(fpr[ix], tpr[ix], marker='o', color='black', label='Best')
# axis labels
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend()
# show the plot
plt.show()

```

23/23 [=====] - 0s 433us/step

Best Threshold=0.762541, G-Mean=0.766



Here we calculate the ROC curve and identify the threshold that maximizes the geometric mean (G-mean) of sensitivity and specificity. Then the ROC curve is plotted, marking the operating point associated with the best G-mean. The black dot on the ROC curve represents the point corresponding to the best threshold.

Sensitivity= True Positives/(True Positives + False Negatives) || Specificity= True Negatives/(True Negatives + False Positives)

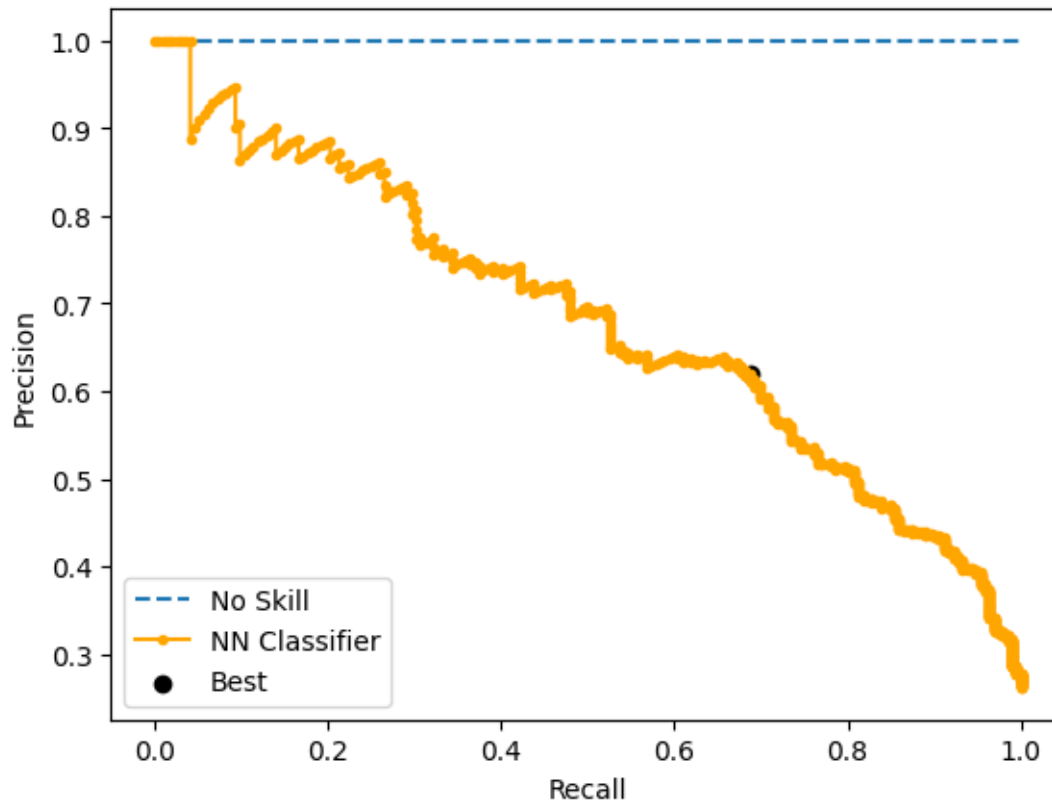
0.7.5 Precision-Recall Curve

```
[75]: from sklearn.metrics import precision_recall_curve

test_x_predictions = model.predict(df_test)

# calculate pr curve
precision, recall, thresholds = precision_recall_curve(df_test_target,
    ↪test_x_predictions)
# convert to f score
fscore = (2 * precision * recall) / (precision + recall)
# locate the index of the largest f score
ix = argmax(fscore)
print('Best Threshold=%f, F-Score=%.3f' % (thresholds[ix], fscore[ix]))
# plot the roc curve for the model
no_skill = len(df_test_target[df_test_target==1]) / len(df_test_target)
plt.plot([0,1], [no_skill,no_skill], linestyle='--', label='No Skill')
plt.plot(recall, precision, marker='.', label='NN Classifier', color = 'orange')
plt.scatter(recall[ix], precision[ix], marker='o', color='black', label='Best')
# axis labels
plt.xlabel('Recall')
plt.ylabel('Precision')
plt.legend()
# show the plot
plt.show()
```

23/23 [=====] - 0s 608us/step
Best Threshold=0.794167, F-Score=0.652



Here we calculate the Precision-Recall curve and identify the threshold that maximizes the F-score. Then we plot the Precision-Recall curve, marking the operating point associated with the best F-score. The black dot on the PR curve represents the point corresponding to the best threshold.

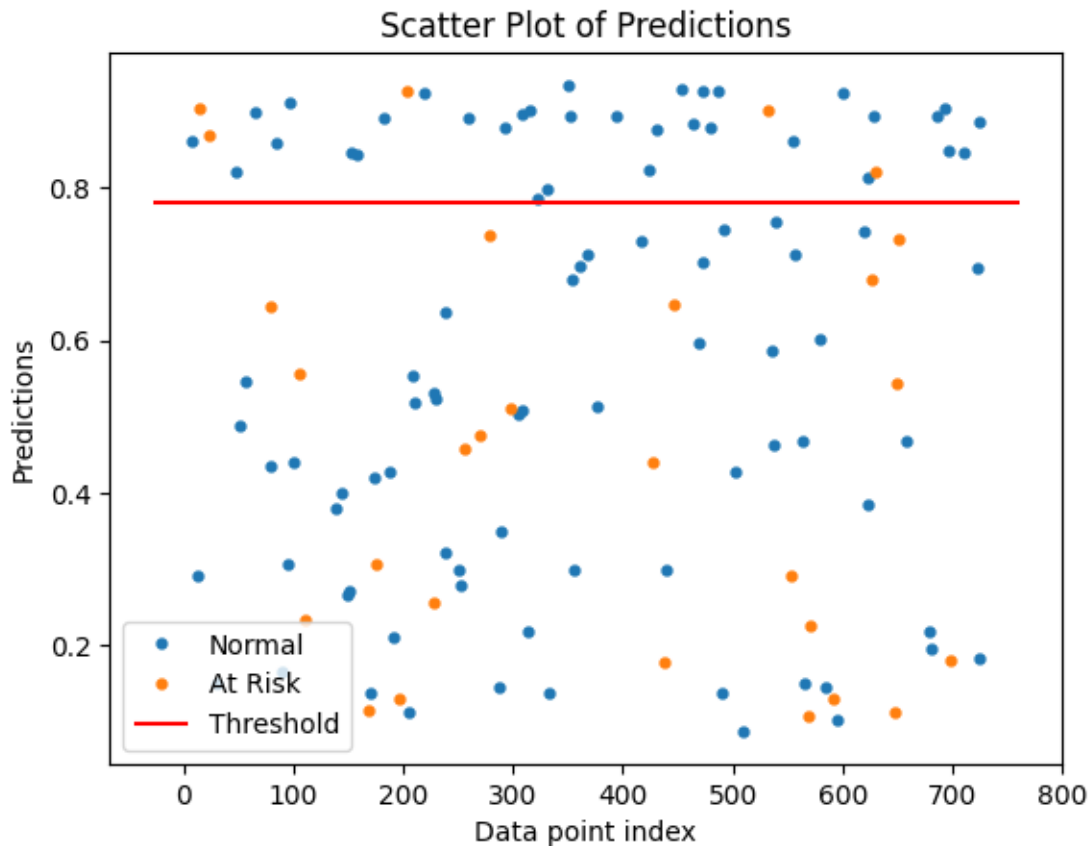
0.7.6 Predictions

```
[78]: test_x_predictions = model.predict(df_test)
test_x_predictions=pd.DataFrame(test_x_predictions, columns=['pred'])
df_test_target=pd.DataFrame(df_test_target, columns=['At risk'])
error_df_test = pd.DataFrame({'Pred': test_x_predictions['pred'],
                              'True_class': df_test_target['At risk']})
error_df_test = error_df_test.reset_index()

threshold_fixed = 0.78
groups = error_df_test.groupby('True_class')
fig, ax = plt.subplots()
for name, group in groups:
    ax.plot(group.index, group.Pred, marker='o', ms=3.5, linestyle='',
            label= "At Risk" if name == 1 else "Normal")
ax.hlines(threshold_fixed, ax.get_xlim()[0], ax.get_xlim()[1], colors="r",
        zorder=100, label='Threshold')
```

```
ax.legend()
plt.title("Scatter Plot of Predictions")
plt.ylabel("Predictions")
plt.xlabel("Data point index")
plt.show();
```

23/23 [=====] - 0s 535us/step



```
[77]: from sklearn.metrics import accuracy_score, precision_score, confusion_matrix, \
      ↪ f1_score, recall_score
import seaborn as sns
import matplotlib.pyplot as plt

test_x_predictions = model.predict(df_test)
threshold_fixed = 0.78
pred_y = [1 if e > threshold_fixed else 0 for e in test_x_predictions]
conf_matrix = confusion_matrix(df_test_target, pred_y)

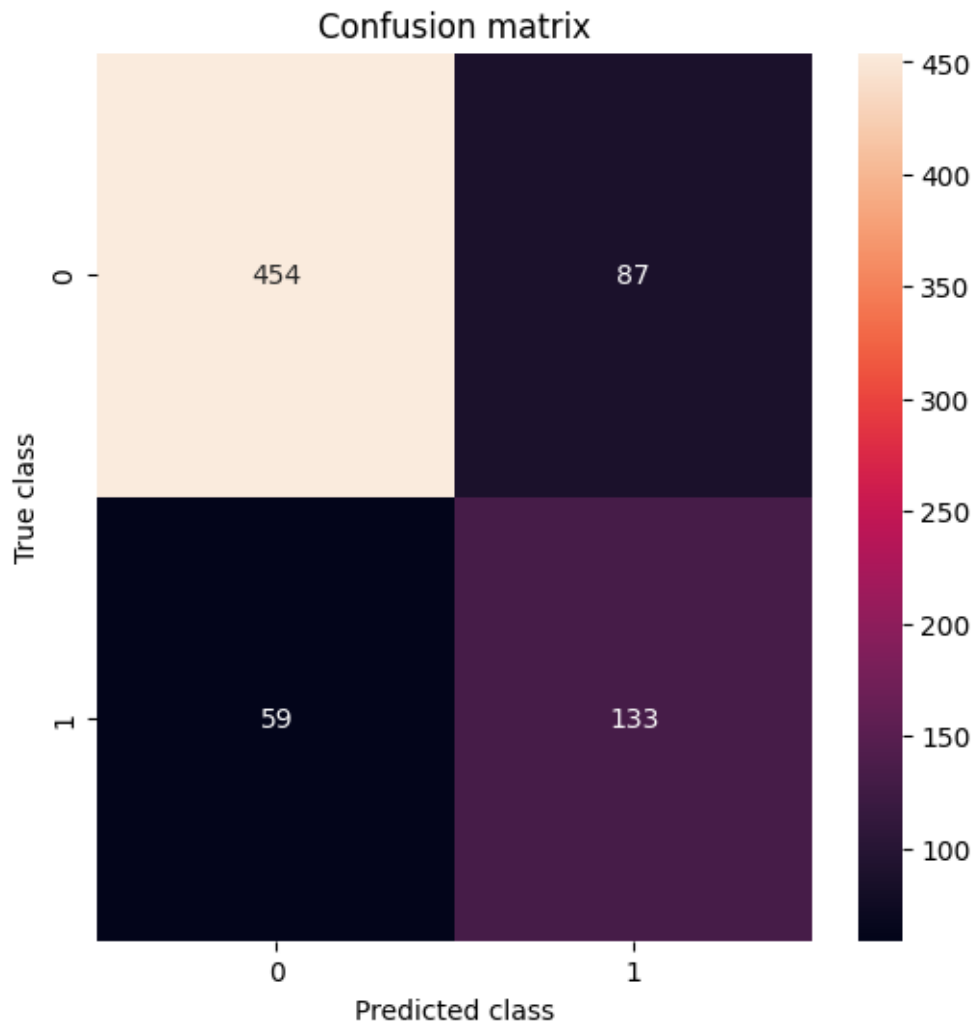
plt.figure(figsize=(6, 6))
sns.heatmap(conf_matrix, annot=True, fmt="d")
```



```
plt.title("Confusion matrix")
plt.ylabel('True class')
plt.xlabel('Predicted class')
plt.show()

print('F1 score:', f1_score(df_test_target, pred_y))
print('Recall:', recall_score(df_test_target, pred_y))
print('Accuracy:', accuracy_score(df_test_target, pred_y))
print('Precision:', precision_score(df_test_target, pred_y))
```

23/23 [=====] - 0s 546us/step



F1 score: 0.645631067961165
 Recall: 0.6927083333333334
 Accuracy: 0.800818553888131
 Precision: 0.6045454545454545

0.7.7 Observations

As expected, the random forest classifier outperforms the neural network classifier mainly because of the relatively small size of the dataset. With larger datasets, we can expect a different result.

0.7.8 Assessing Feature Importance of a Deep Learning Model using LIME (Local Interpretable Model Agnostic Explanation)

```
[36]: #pip install lime
import lime
from lime import lime_tabular
```

```
[116]: explainer = lime_tabular.LimeTabularExplainer(
        training_data=np.array(df_train),
        feature_names=df_train.columns,
        class_names=['No Risk', 'At Risk'],
        categorical_features=list([0,2,3,5,6,7,8,9,10,11,12,13,14,15,18]),
        mode='classification'
    )
```

```
[92]: def prob(data):
        preds = model.predict(data)
        preds_p = np.ravel(preds)
        preds_n = 1-preds
        preds_n = np.ravel(preds_n)
        return np.array(list(zip(preds_n,preds_p)))
```

```
[80]: df_test.head()
```

```
[80]:      Sex  Aged  Hasaspouse  Reliesuponsomeone  duration  Youtube TV  Multiple
Screens  Music Service  Hasmorethan3Playlists  Followsmorethan5artists
Haslistenedtomorethan5audiobooks  TechSupport  Listens Podcast  Listens Music
subscription type  online invoice  monthly invoice  TotalCharges  type of
payment
2957  0.27      0      0.16      0.11      0.94      0.26
0.27      0.38      0.14      0.21
0.15      0.43      0.27      0.29      0.01
0.34      0.92      0.86      0.46
1962  0.26      0      0.36      0.33      0.92      0.26
0.25      0.21      0.14      0.21
0.15      0.43      0.35      0.33      0.01
0.34      0.43      0.46      0.16
1188  0.27      0      0.16      0.11      0.48      0.26
0.27      0.38      0.40      0.21
0.42      0.43      0.27      0.33      0.44
0.34      0.71      0.36      0.16
3228  0.27      0      0.36      0.33      0.01      0.26
0.25      0.38      0.40      0.40
```

0.42	0.43	0.35	0.33	0.44
0.34	0.52	0.01	0.46	
596	0.26	0	0.16	0.33
0.25	0.38		0.14	0.77
0.15	0.43	0.27	0.29	0.26
0.34	0.87	0.70	0.13	0.21
				0.10

```
[121]: exp = explainer.explain_instance(
        data_row=df_test.iloc[9],
        predict_fn=prob
    )

exp.show_in_notebook(show_table=True, show_all=False)
```

157/157 [=====] - 0s 621us/step

<IPython.core.display.HTML object>

```
[122]: with plt.style.context("ggplot"):
        exp.as_pyplot_figure()
```

