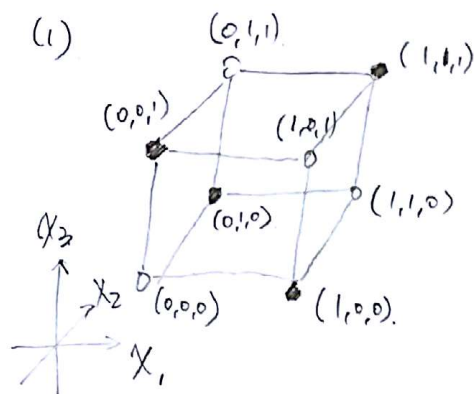


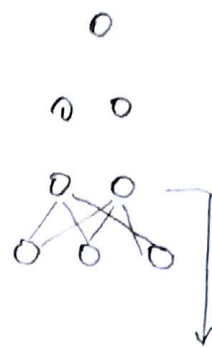
*1.

(1)



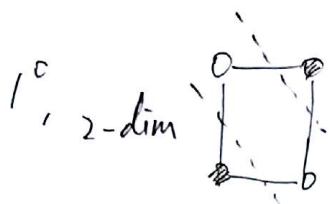
x_1, x_2, x_3	XOR
0 0 0	0
1 0 0	1
0 1 0	1
1 1 0	0
0 0 1	1
1 0 1	0
0 1 1	0
1 1 1	1

3-2;2-1

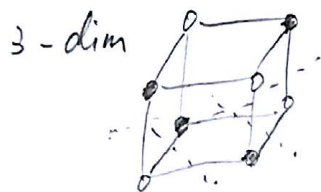
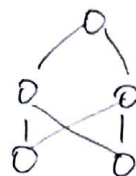


two neural cannot cut 3 hyper plane.

(2)



x_1, x_2	XOR
0 0	0
0 1	1
1 0	1
1 1	0



x_1, x_2, x_3	XOR
0 0 0	0
1 0 0	1
0 1 0	1
1 1 0	0
0 0 1	1
1 0 1	0
0 1 1	0
1 1 1	1



we can use 3rd hyper plane to cut 3rd dimension.

2°. Similar to previous 2-dim & 3-dim description,
if $k-1$ dim ($k-1$ input) is able to accomplish the
 $k-1 - k-1 - 1$ network XOR function, we can use
 k th hyper plane to implement k -dim XOR function.

3°. By mathematical induction, we can prove that.
 $N - N - 1$ network is able to accomplish the N input
XOR function.

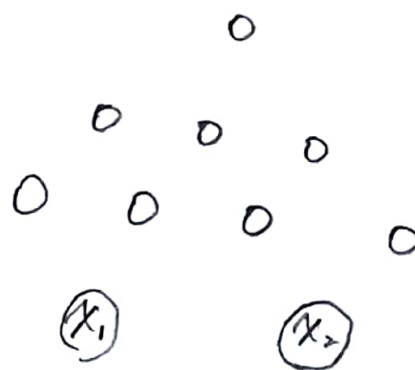
*2 (1) Let "0" represent 0, "x" represent 1

Thus

(3rd Layer)

	H_2	H_3	H_4
H_2	1	0	0
H_1	0	0	1
	0	1	0

x_1



Let H_1, H_2, H_3 & H_4 be the 1st layer's hyperplane
Thus we've got:

(1st Layer)

	H_3	H_4
H_2	0011	1011
H_1	0010	1110
	0000	1000

x_1

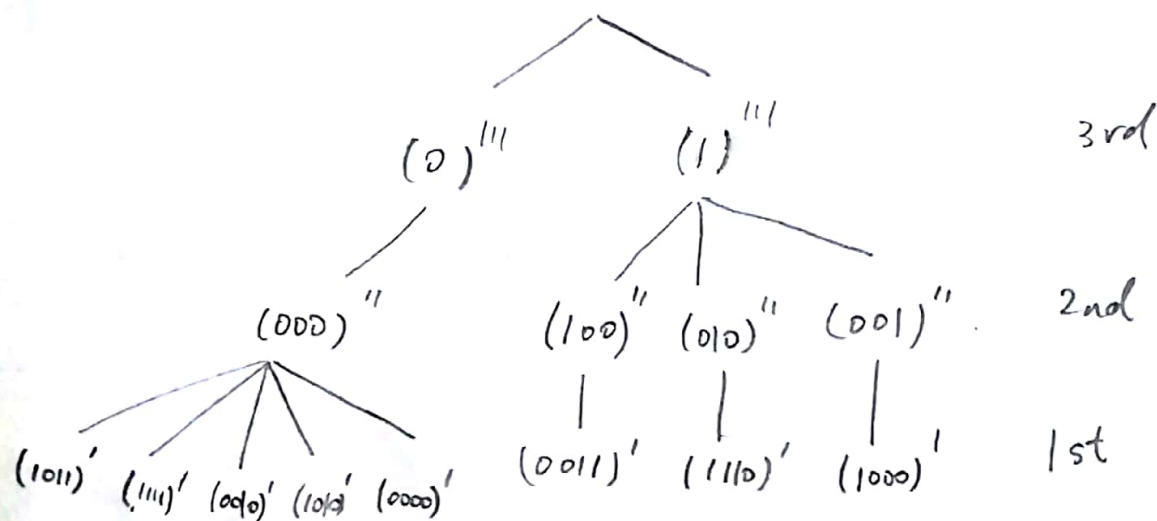
Let 3 nodes in 2nd layer be 2st hyperplane

(2st layer)

	H_3	H_4
H_2	100	000
H_1	000	010
	000	000

x_1

So hidden Tree:



(2) (1,3) would be on (0010)', (000)'' and (0)'''

3-2

(2-4-3-1)



Because the output target $[-1, 1]$ so I use tanh function

