# Perceptron Simple y Multicapa

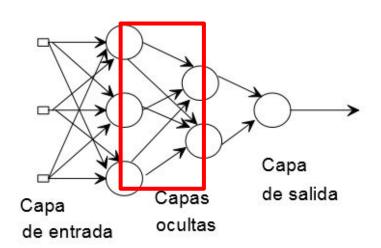
Gomez, Lucas

Volcovinsky, Bruno

Sartorio, Alan

# Modelo

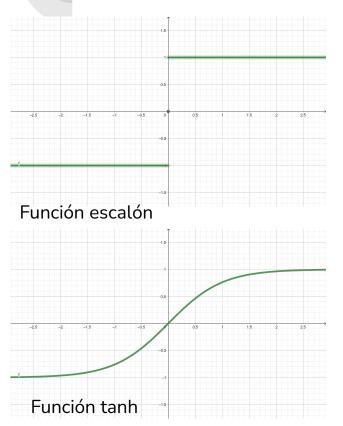
# Modelo

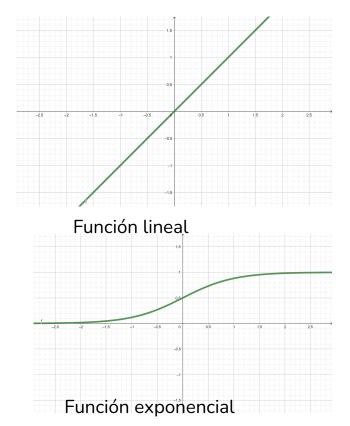


Cada capa es representada como una matriz de pesos, uniendo los perceptrones de la capa anterior con la siguiente.

$$\begin{pmatrix} W_{11} & W_{12} & W_{13} \\ W_{21} & W_{22} & W_{23} \end{pmatrix}$$

### Funciones de activación







### Funciones de activación

Se buscó generalizar los distintos modelos en una misma implementación. Para ello, se observó que la actualización de pesos en la función escalón tomaba como derivada la función constante y=1

Con función de activación no lineal:

$$\Delta w = \eta(\zeta^{\mu} - O^{\mu})g'(h^{\mu})\xi_i^{\mu}$$

Con función de activación escalón:

$$\Delta w = \eta (\zeta^{\mu} - O^{\mu}) \xi_i^{\mu}$$

# **Ejercicio 1**

# Datos para el entrenamiento

#### AND:

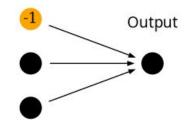
$$x = \{\{-1, 1\}, \{1, -1\}, \{-1, -1\}, \{1, 1\}\}\}$$
$$y = \{-1, -1, -1, 1\}$$

#### XOR:

$$x = \{\{-1, 1\}, \{1, -1\}, \{-1, -1\}, \{1, 1\}\}\}$$

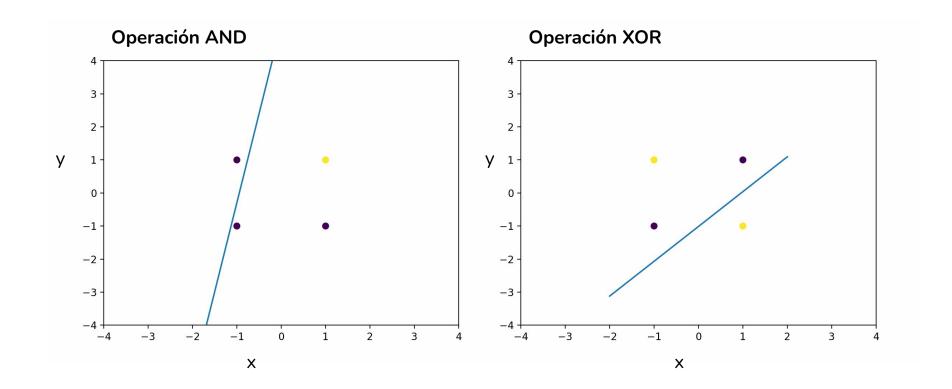
$$y = \{1, 1, -1, -1\}$$

Input



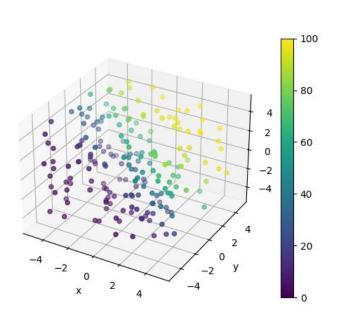
capas: 2, 1

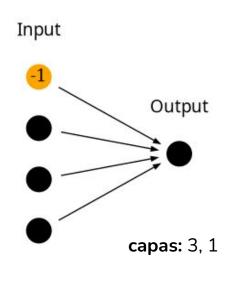
# Solución



# Ejercicio 2

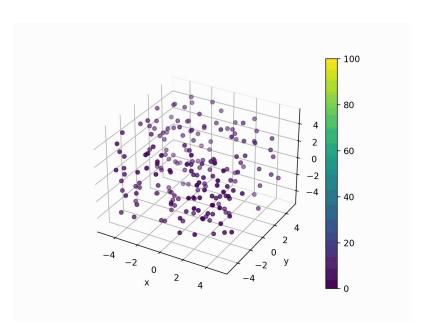
### Datos de entrenamiento



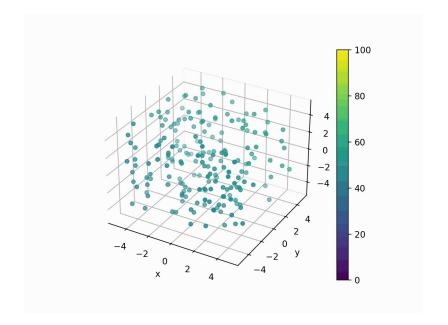


# Solución

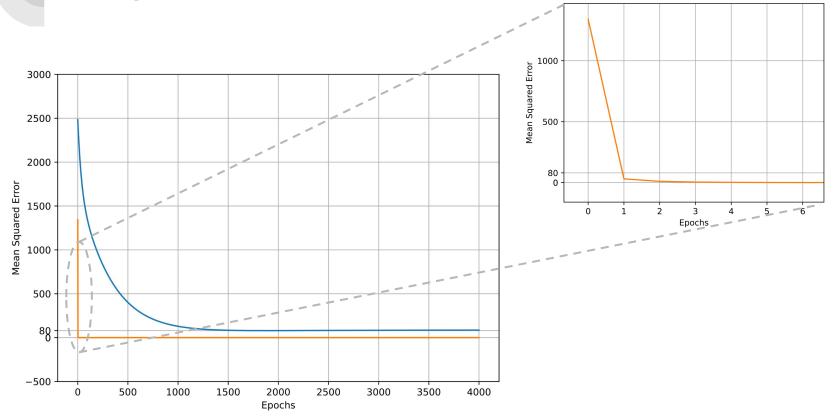
#### Con activación lineal:



### Con activación exponencial (b=0.3):



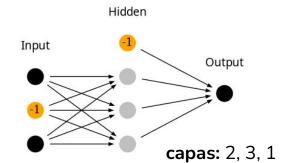
## **Error**



# Ejercicio 3



# Función lógica 'O exclusivo'

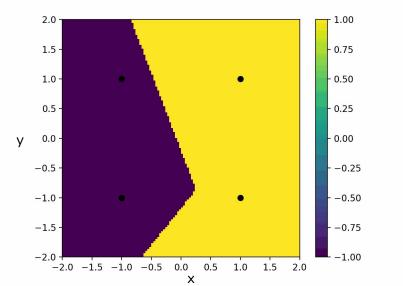


XOR:

$$x = \{\{-1, 1\}, \{1, -1\}, \{-1, -1\}, \{1, 1\}\}\}$$

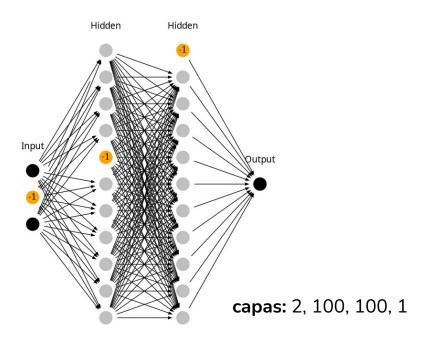
$$y = \{1, 1, -1, -1\}$$

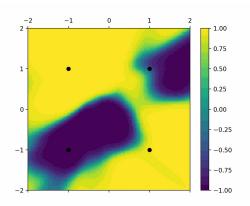
Utilizando un perceptrón multicapa es posible separar los puntos que se indican en la entrada del problema.

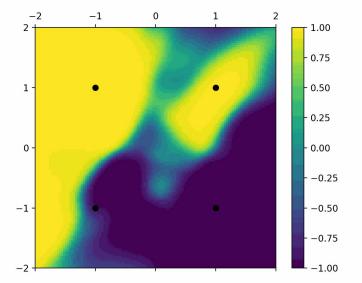


# Función lógica 'O exclusivo

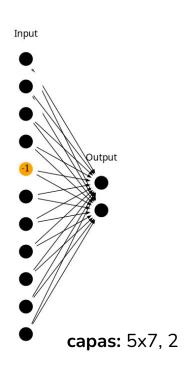
Con función de activación tanh

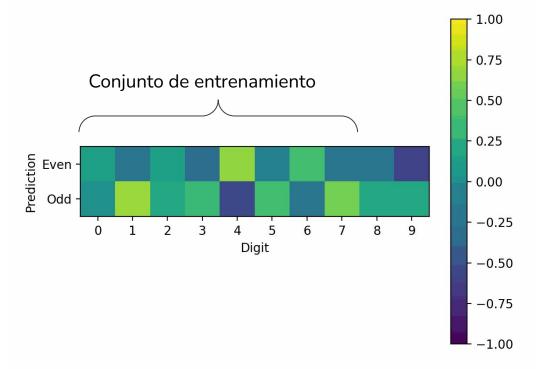




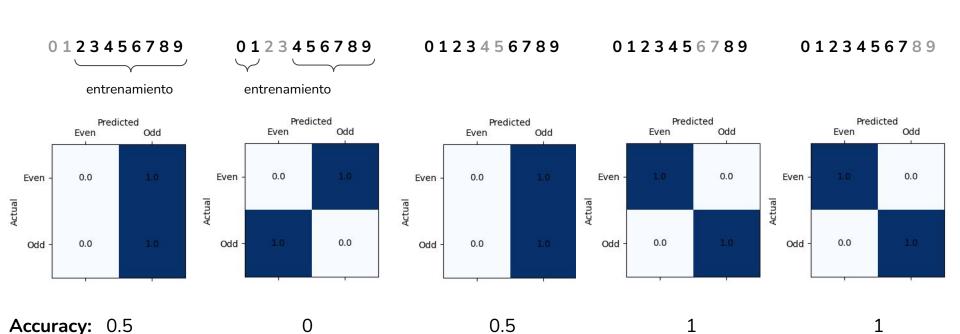


### Datos de entrada

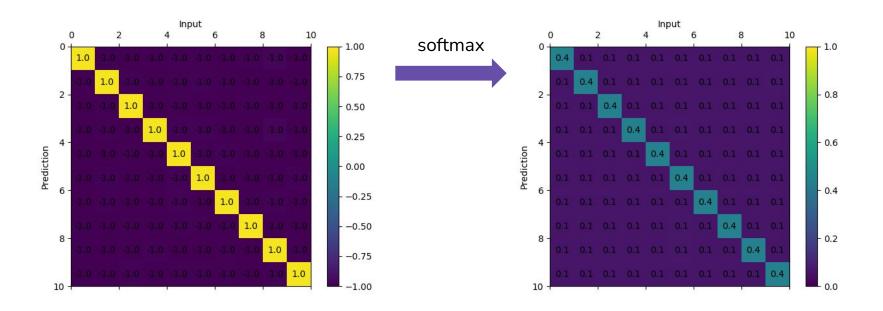




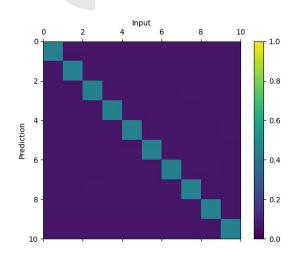
### Validación Cruzada

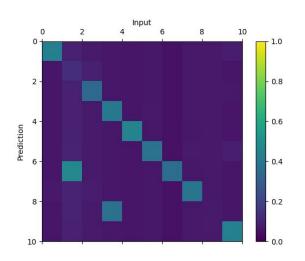


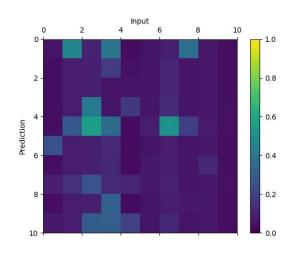
### Utilizando softmax



# Píxeles afectados por ruido







Probabilidad de error = 0.002

Probabilidad de error = 0.2

Probabilidad de error = 0.5

# Conclusiones