# Intermediate Representations (Objectives)

Given an intermediate representation, the students will be able to describe the representation's advantages and disadvantages related to context-sensitive analysis and codeimproving transformations.

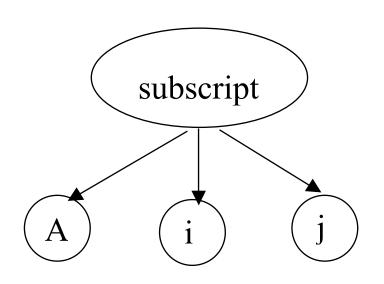
#### Motivation

- The multi-pass nature of a compiler motivates the need for different intermediate representations of a program.
- The intermediate representation (IR) includes:
  - some form of the actual program code
  - auxiliary tables
    - · symbol table
    - · constant table
    - · label table
- The compiler will need different representations during different phases.

## Taxonomy

- Graphical IRs
  - encode information about a program in a graph
  - abstract syntax tree
  - control-flow graph
- Linear IRs
  - resemble simple, assembly-like operations for some abstract machine
  - simple sequence of operations
    - Java bytecode
    - three-address code
- Hybrid IRs
  - combine elements of both
    - linear IR to represent sequence of operations plus a graphical IR to represent the control-flow of a program.

#### Level of Abstraction



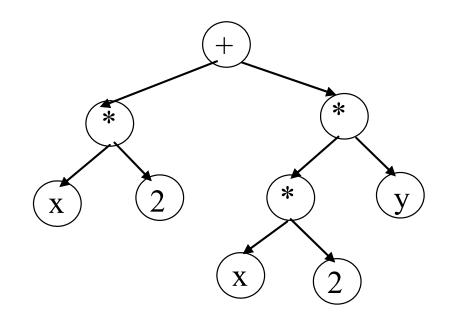
- $\rightarrow$  int A[1..10,1..10]
- reference A[i,j]

```
\begin{array}{lll} \text{loadi} & 1 & \Rightarrow r_1 \\ \text{sub} & r_j, r_1 \Rightarrow r_2 \\ \text{loadi} & 10 & \Rightarrow r_3 \\ \text{mul} & r_2, r_3 \Rightarrow r_4 \\ \text{sub} & r_i, r_1 \Rightarrow r_5 \\ \text{add} & r_4, r_5 \Rightarrow r_6 \\ \text{loadi} & @A & \Rightarrow r_7 \\ \text{load} & AO & r_7, r_6 \Rightarrow r_{Aij} \\ \end{array}
```

### AST

- Good for CSA, not optimization
- redundancy in representation

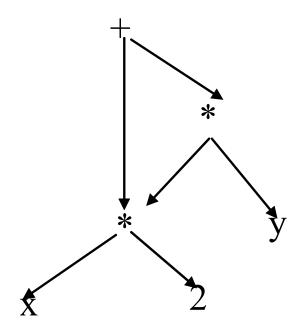
$$x * 2 + x * 2 * y$$



## Directed Acyclic Graphs

- eliminates redundancy by using a graph instead of a tree
- Good for simple optimization, not for CSA

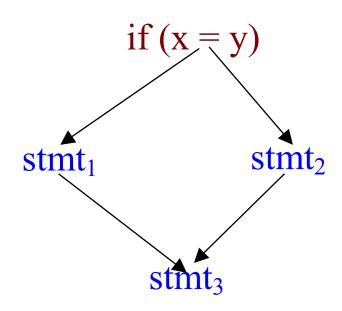
$$x * 2 + x * 2 * y$$



## Control-Flow Graphs

- models the way that control transfers between singleentry, single-exit sequences of instructions (basic blocks)
- clean representation of all of the run-time possibilities for the paths taken through a program.
- Useful for optimization, not CSA

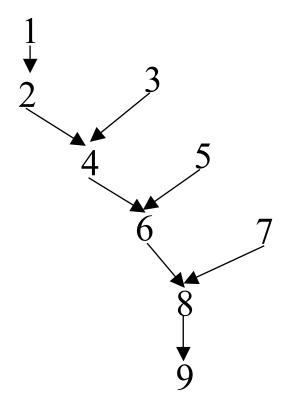
```
if (x = y)
  then stmt<sub>1</sub>;
  else stmt<sub>2</sub>;
stmt<sub>3</sub>;
```



## Data-Dependence Graph

- Encode the flow of data between operations
- Difficult for CSA, good for optimization

1.	loadAI	$r_{0},0$	$\Rightarrow$ $r_1$
2.	add	$r_1, r_1$	$\Rightarrow$ $r_1$
3.	loadAI	$r_0, 8$	$\Rightarrow$ $r_2$
4.	mult	$r_1, r_2$	$\Rightarrow$ $r_1$
5.	loadAI	r <sub>0</sub> , 16	$\Rightarrow$ $r_2$
6.	mult	$r_1, r_2$	$\Rightarrow$ $r_1$
7.	loadAI	$r_0, 24$	$\Rightarrow$ $r_2$
8.	mult	$r_1, r_2$	$\Rightarrow$ $r_1$
9.	storeAI	$r_1$	$\Rightarrow$ $r_0$ , $0$



#### One-address Code

- > stack machine code
  - operations manipulate the stack
- compact representation
- Example: Java bytecode
- Why is a compact representation important to Java?
- Difficult for CSA and optimization

```
\rightarrow x - 2 * y
```

```
push 2
push y
multiply
push x
subtract
```

#### Two-address Code

- a single operator and at most two names
- operation overwrites one of its operands if three names are required
- Good for PDP-11 which used two address instructions
- Destruction of one operand causes additional operations to preserve it if necessary.
- Not good for either CSA or optimization

 $\rightarrow$  x - 2 \* y

loadi load mult load sub  $2 \Rightarrow t_1$   $y \Rightarrow t_2$   $t_2 \Rightarrow t_1$   $x \Rightarrow t_3$   $t_1 \Rightarrow t_3$ 

#### Three-address Code

- good for optimizations
  - resembles machine instructions
  - For load/store architectures it can model values in registers
- not good for CSA
- example
  - quadruples

```
> x - 2 * y
```

## Name Spaces for Intermediates

- Compiler generates IR names for variables and compiler temporaries
- Effects quality of code and speed of the compiler
- Some choices
  - new name for each temporary
    - space and speed problems
  - reuse names as soon as previous use not needed
    - hurts optimization
  - same name for lexically identical operations
    - reveals redundancy
    - not too much space

## Naming

- Consider two reference to A[i] in a program
- first reference

load	i	$\Rightarrow r_1$
loadI	8	$\Rightarrow$ $r_2$
mult	$r_1, r_2$	$\Rightarrow$ $r_3$
loadAI	$\Theta A$	$\Rightarrow r_4$
add	$r_3, r_4$	$\Rightarrow$ $r_5$
loadAO	$0, r_5$	$\Rightarrow$ $r_6$

second reference in another part of the code

```
load
                                                  \Rightarrow r_4
loadI
                                                   \Rightarrow \mathbf{r}_3
mult
                              r_4, r_3
                                                  \Rightarrow r_7
loadAI
                              \Theta A
                                                  \Rightarrow \mathbf{r}_9
add
                              r<sub>7</sub>, r<sub>9</sub>
                                                  \Rightarrow r_1
loadAO
                              0, r_1
                                                  \Rightarrow r_2
```

What is the impact if lexically identical operations have the same name?

#### SSA Form

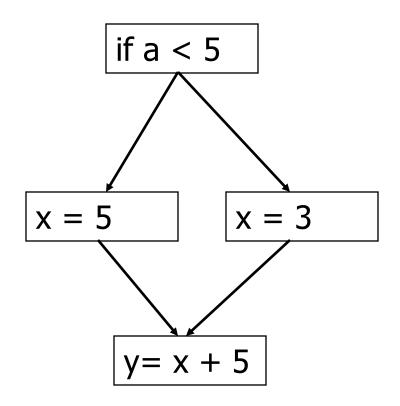
- each variable is defined once → each use has one reaching definition
- use \$\phi\$-nodes to merge multiple definitions reaching a single point

#### becomes

$$v_0 = 4$$
  
 $x_0 = v_0 + 5$   
 $v_1 = 6$   
 $y_0 = v_1 + 7$ 

#### Control Flow

- What do we do when there are multiple definitions reaching a single point?
- In the example to the right, which definition of x is used at in the computation of y?

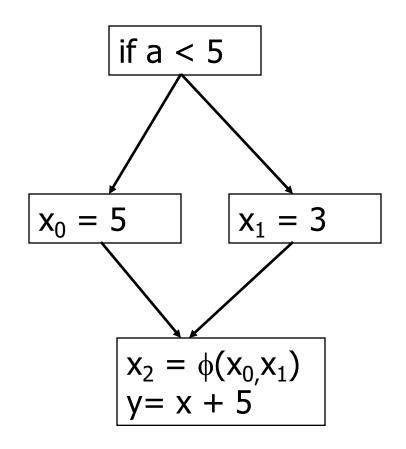


## 

Defn: Consider a block b in the CFG with predecessors {p<sub>1</sub>, p<sub>2</sub>, ..., p<sub>n</sub>} where n > 1. A \$\phi\$-node

$$T_0 = \phi(T_1, T_2, ..., T_n)$$

in b gives the value of  $T_i$  to  $T_0$  on entry to b if the execution path leading to b has  $p_i$  as the predecessor to b.



#### Other Intermediate Forms

- There are other intermediate forms that are used for optimization
  - control-dependence graph
  - program dependence graph
  - program dependence web