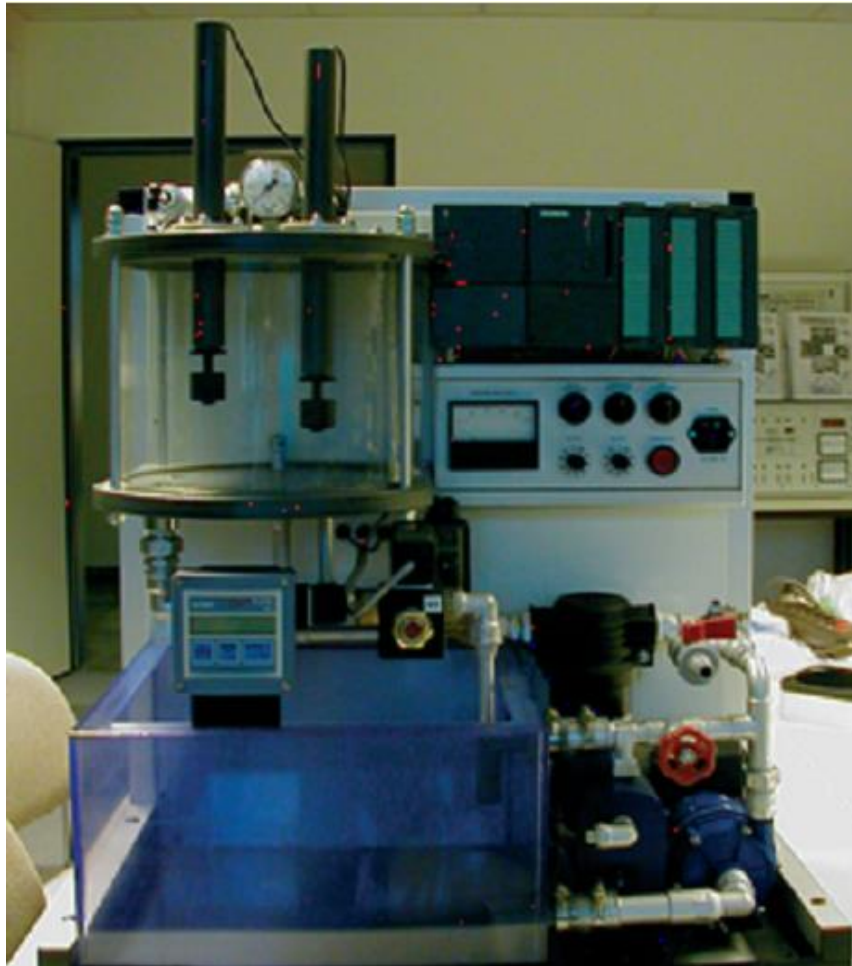


Pressure Control System



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1. Objectives

- To understand the characteristics of pressure control
- To understanding the whole procedure of the PID tuning and application by practicing the automatic PID control of the liquid flow of the pipe of the below liquid flow control experimental equipment.
- Understand the strengths and weaknesses of the three modes of the PID.
- Determine the model of a feedback system using block diagram algebra.
- Establish general properties of PID feedback from the closed-loop model.

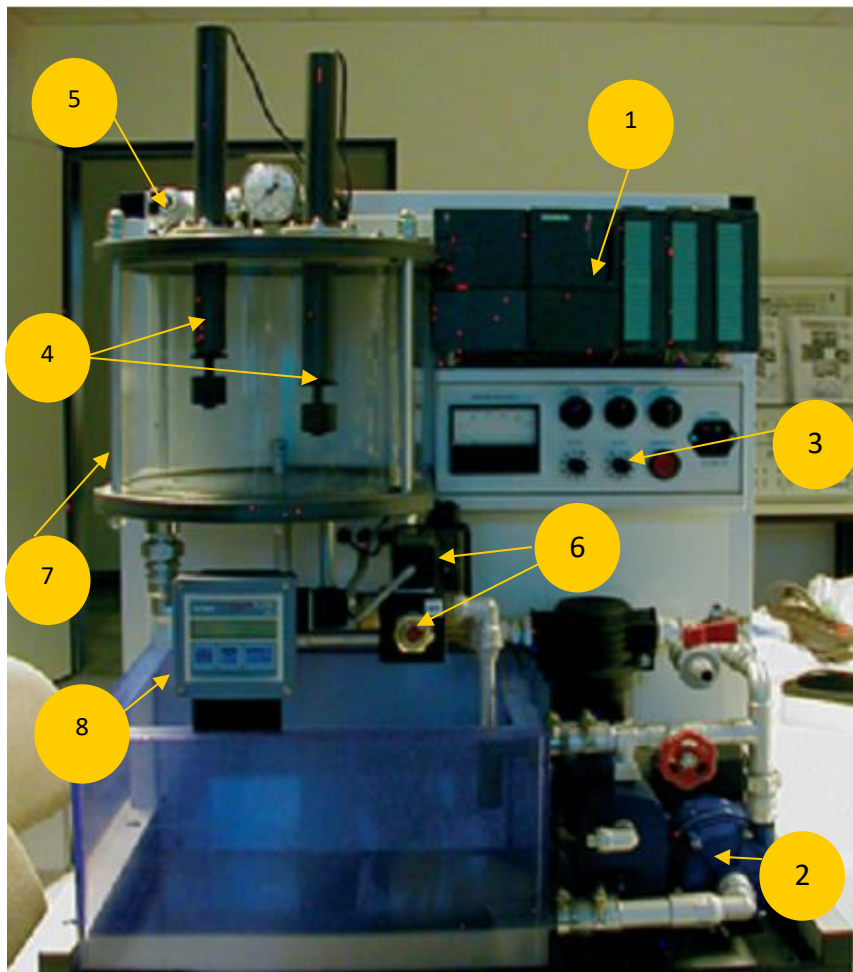


Figure 1. Experimental Equipment for Automatic Liquid flow Control

2. Theory

2.1 Pressure systems

Any phase of substance, solid, liquid or gas is stated by thermodynamic. The thermodynamic state of a system can be defined its pressure, enthalpy, and volume. If a gas phase alone is present, pressure and temperature are directly proportional but pressure and volume are inversely proportional ($PV=nRT$). The pressure is one criterion for boiling point of substance, saturated temperature of water is directly proportional with saturated pressure. Most of the processes handling the phase are normally related to both pressure and temperature. Since most of pressure used in industry is really high to drive the mass and energy to process, it is extremely important to attach the correct significance to the pressure measurement for safety.

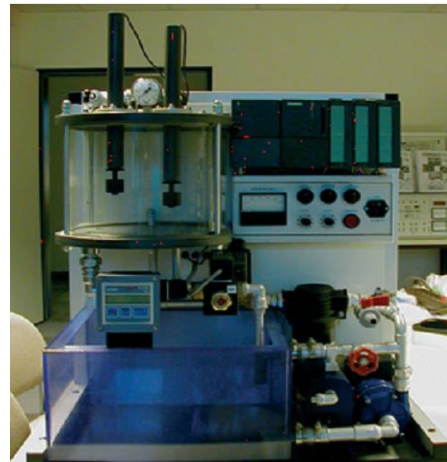
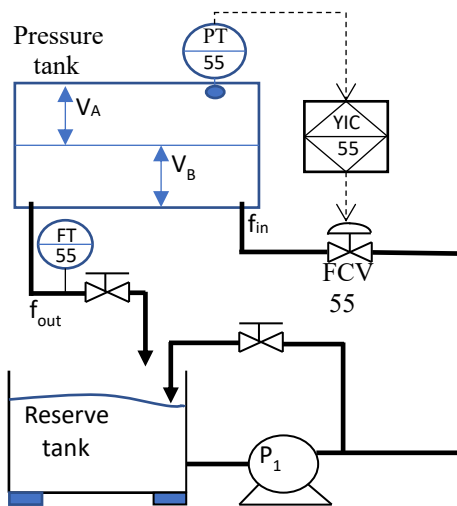


Figure 2. Equipment and P&ID diagram of pressure control systems

Mathematical model is created as

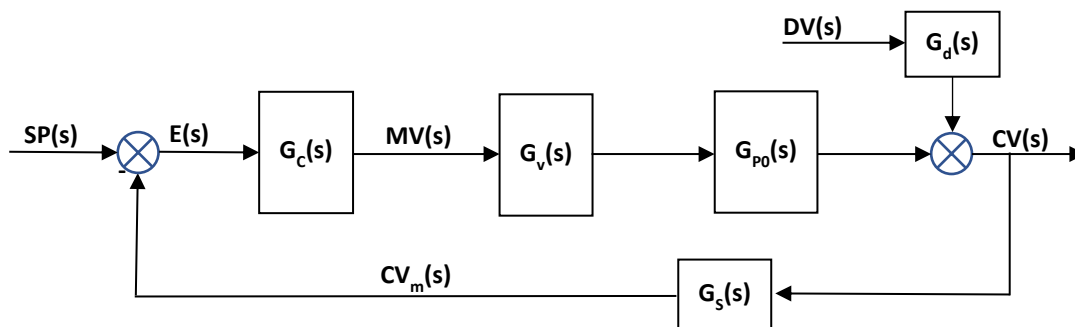


Figure3. Block diagram of mathematical model

Where,

$$G_{p0} = \frac{K_{p0}}{\tau_{p0}s + 1}; G_v = \frac{K_v}{\tau_v s + 1}; G_s = \frac{K_s}{\tau_s s + 1}; G_d = \frac{K_d}{\tau_d s + 1}$$

And,

$$CV_m(s) = \left(\frac{K_{p0}}{\tau_{p0}s + 1} \times \frac{K_v}{\tau_v s + 1} \times \frac{K_s}{\tau_s s + 1} \right) MV(s) + \left(\frac{K_d}{\tau_d s + 1} \times \frac{K_s}{\tau_s s + 1} \right) DV(s)$$

$$\approx \frac{K_p e^{-\theta_p s}}{\tau_p s + 1} MV(s) + \frac{K_d e^{-\theta_d s}}{\tau_d s + 1} DV(s) \quad (1)$$

$$CV_m(s) = G_p(s) \times MV(s) + G_d(s) \times DV(s) \quad (2)$$

When $DV(s) = 0$:

$$G_p(s) = \frac{CV_m(s)}{MV(s)} = \frac{K_p e^{-\theta_p s}}{\tau_p s + 1} \quad (3)$$

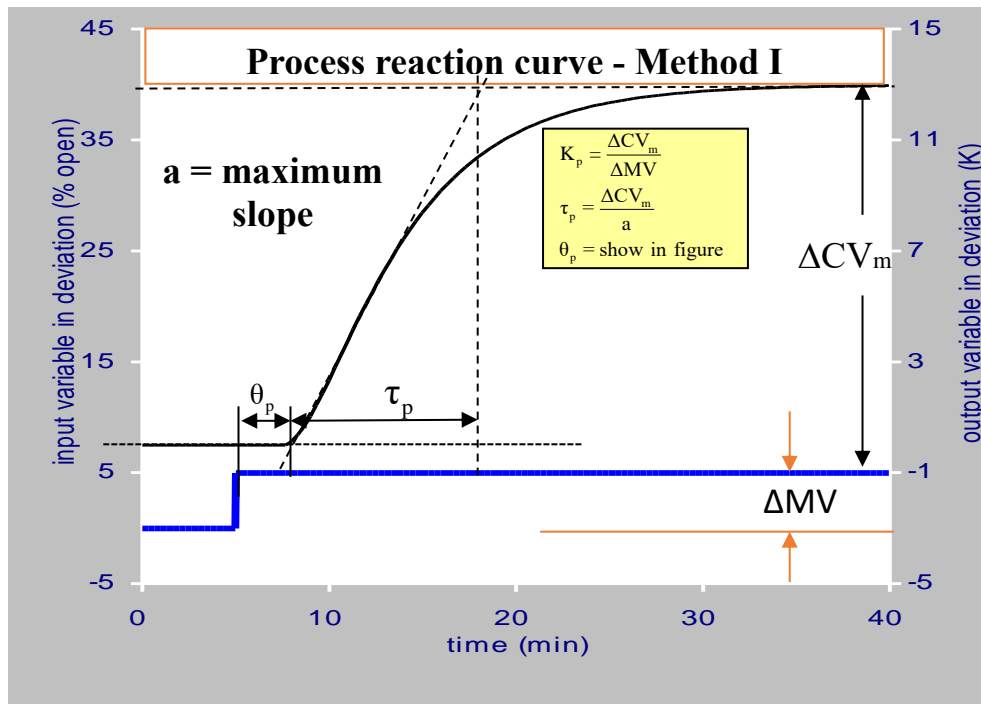
K_p : Process gain.

τ_p : Effective process time, time constant (s).

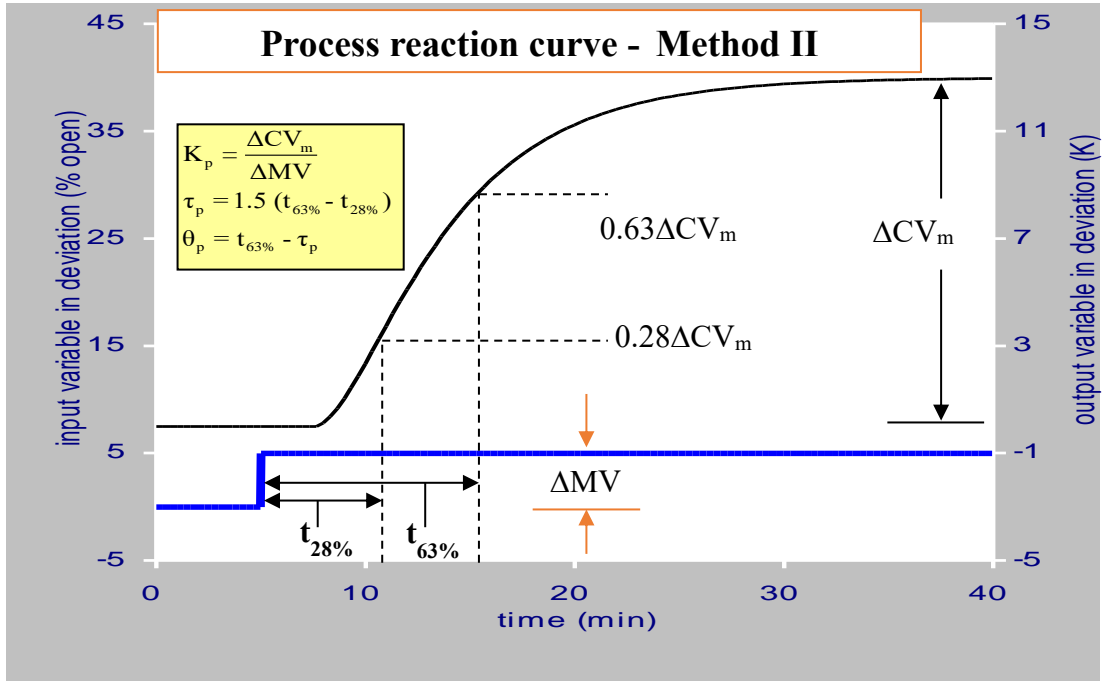
θ_p : Effective process dead time, time delay (s).

The transfer function corresponding to the three model parameters is equation (3). This is called the first order plus time delay model (FOPTD).

2.2 Development of mathematical model of process by open loop test method (semi-empirical model)



(a)



(b)

Figure 4. Reaction curve of $MV(t)$ and $CV_m(t)$ applied by step function.

First of all, the process dynamics should be identified in the form of the model to determine K_c , T_i (or K_i) and T_d (or K_d) of the PID controller appropriately. From figure 3 $MV(t)$ is being applied by step function when is no process disturbance or process is stable. The CV_m response on figure 4 is called “Reaction curve”, which K_p , τ_p and θ_p duration can be find out as:

- Keep the process steady state. Next, enter a step-wise process input of which the magnitude is ΔMV . Then, the following process reaction curve will be obtained.
- Draw a tangent line at the inflection point of the process reaction curve as shown in Figure 4 and obtain the model parameters of K_p , τ_p , θ_p as shown in Figure 4.

2.3 Closed-loop Control System

In Closed-loop control (Figure 5), the objective is to reduce the error signal to zero where

$$e(t) = sp(\tau) - cv(\tau) \quad (4)$$

The PID controller ($G_c(s)$) adjusts the control output ($mv(t)$, $co(\tau)$) to derive the process output ($cv(\tau)$, $pv(\tau)$) to the setpoint ($sp(\tau)$). $G_p(s)$ denotes the process. $mv(\tau)$ is the process input, equivalently, the control output ($co(\tau)$). The setpoint is a desired process

output ($sp(\tau)$). When the process input ($mv(\tau)$) varies for the variation of the process output ($pv(\tau)$) it is called closed-loop control system. The liquid level of the automatic liquid level control system corresponds to the process output.

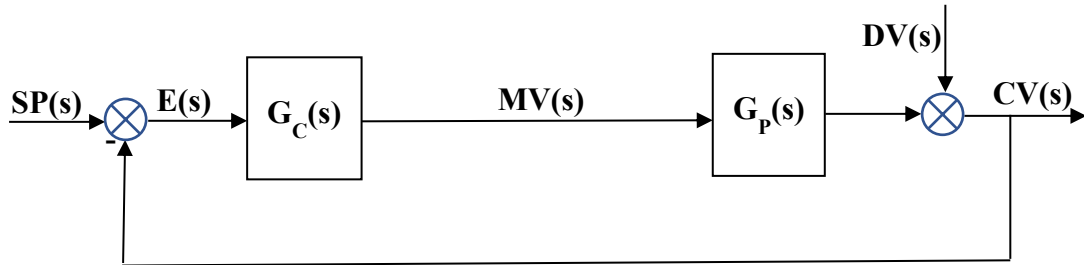


Figure 5. Closed-loop Control System

PID (Proportional-Integral-Derivative) Controller

PID Controller is composed of the following three parts.

Proportional (P): $mv_P(t) = K_c e(\tau)$ (5)

Integral (I) : $mv_I(t) = \frac{K_c}{\tau_i} \int_0^\tau e(\tau) d\tau = K_I \int_0^\tau e(\tau) d\tau$ (6)

Derivative (D) : $u_D(\tau) = k_c \tau_d \frac{de(\tau)}{d\tau} = K_D \frac{de(\tau)}{d\tau}$ (7)

The output of the PID controller is the linear combination of the three parts (proportional part, integral part and derivative part of the control error) as shown below.

$$mv(\tau) = mv_P(\tau) + mv_I(\tau) + u_D(\tau) = K_c e(\tau) + K_I \int_0^\tau e(\tau) d\tau + K_D \frac{de(\tau)}{d\tau} \quad (8)$$

Where, K_c , τ_c and τ_d are the proportional gain, integral time, derivative time, respectively. τ is time. Determining the parameters of K_c , τ_c and τ_d appropriately to achieve high control performance is called PID tuning.

Digital PID calculation

Now we derive a transfer function for a digital PID controller (see Appendix part 3), where, the sampling period is $\Delta\tau$.

- Discrete transfer function of a proportional part. The proportional of $e(t)$ in continuous time can be approximated by:

$$mv_P(\tau) = K_c e(\tau) = K_c e(k) \quad (9)$$

Where $e(k)$ is the error at the k th sampling instant for $k=1,2,\dots$

Taking the z-transform,

$$MV_P(z) = K_c e(\tau) = K_c E(z) \quad (10)$$

- Discrete transfer function of an integral part. The integral of $e(\tau)$ in continuous time can be approximated by a summation in to the integral

$$mv_I(\tau) = \frac{K_c}{\tau_i} \int_0^\tau e(\tau) dt = K_I \int_0^\tau e(\tau) d\tau \approx \frac{K_c}{\tau_i} \Delta t \sum_{k=0}^n e(k) \quad (11)$$

Taking the z-transform,

$$MV_I(z) = \frac{K_c}{\tau_i} \Delta \tau \left(\sum_{k=0}^n z^{-k} \right) E(z) \quad (12)$$

When n is large then,

$$MV_I(z) = \frac{1}{(1-z^{-1})} \frac{K_c}{\tau_i} \Delta \tau E(z) \quad (13)$$

- Discrete transfer function of a derivative part. This expression is known as the backward-difference approximation of t (equivalent to a first-order Taylor series)

$$MV_D(\tau) = k_c \tau_d \frac{de(\tau)}{d\tau} \approx k_c \tau_d \frac{e(k) - e(k-1)}{\Delta \tau} \quad (14)$$

Taking the z-transform,

$$MV_D(z) = k_c \tau_d \frac{1-z^{-1}}{\Delta \tau} E(z) \quad (15)$$

And,

$$\begin{aligned} MV_{PID}(z) &= MV_P(z) + MV_I(z) + MV_D(z) \\ &= \left(K_c + \frac{1}{(1-z^{-1})} \frac{K_c}{\tau_i} \Delta \tau + k_c \tau_d \frac{1-z^{-1}}{\Delta \tau} \right) E(z) \end{aligned} \quad (16)$$

Or,

$$(1 - z^{-1}) MV_{PID}(z) = K_c \left(1 + \frac{\Delta \tau}{\tau_i} + \frac{\tau_d}{\Delta \tau} - \left(1 + \frac{2\tau_d}{\Delta \tau} \right) z^{-1} + \frac{\tau_d}{\Delta \tau} z^{-2} \right) E(z) \quad (17)$$

Converting the controller transfer function into difference equation form gives

$$\begin{aligned} MV_{PID}(k) - MV_{PID}(k-1) &= \\ K_c \left(\left(1 + \frac{\Delta \tau}{\tau_i} + \frac{\tau_d}{\Delta \tau} \right) e(k) - \left(1 + \frac{2\tau_d}{\Delta \tau} \right) e(k-1) + \frac{\tau_d}{\Delta \tau} e(k-2) \right) \end{aligned} \quad (18)$$

A Digital PID calculation:

When implementing their equations in a computer program the equations can be rewrite as shown in equation (19). To do this calculation, previous error and control value must be stored. The calculation also requires the scan time Δt between updates.

$$\begin{aligned} MV_{PID}(k) &= MV_{PID}(k-1) + K_c \left(1 + \frac{\Delta \tau}{\tau_i} + \frac{\tau_d}{\Delta \tau} \right) e(k) - \\ &\quad - K_c \left(1 + \frac{2\tau_d}{\Delta \tau} \right) e(k-1) + K_c \frac{\tau_d}{\Delta \tau} e(k-2) \end{aligned} \quad (19)$$

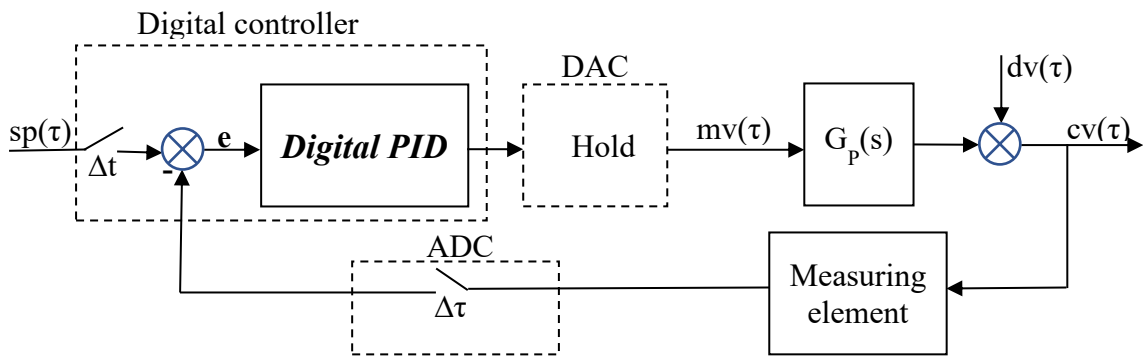


Figure 6. Simplified block diagram for digital control

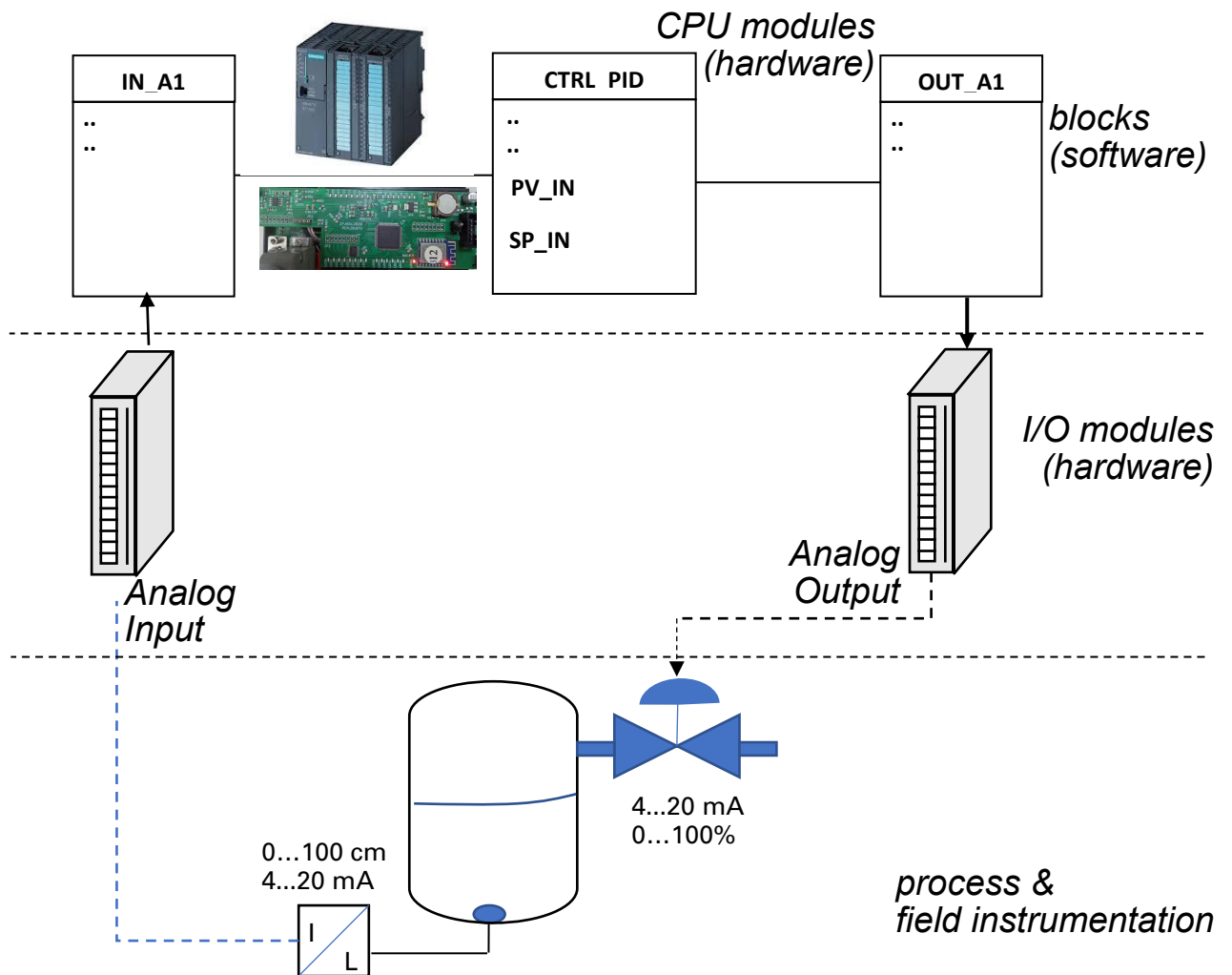


Figure 7. Block diagram for control systems

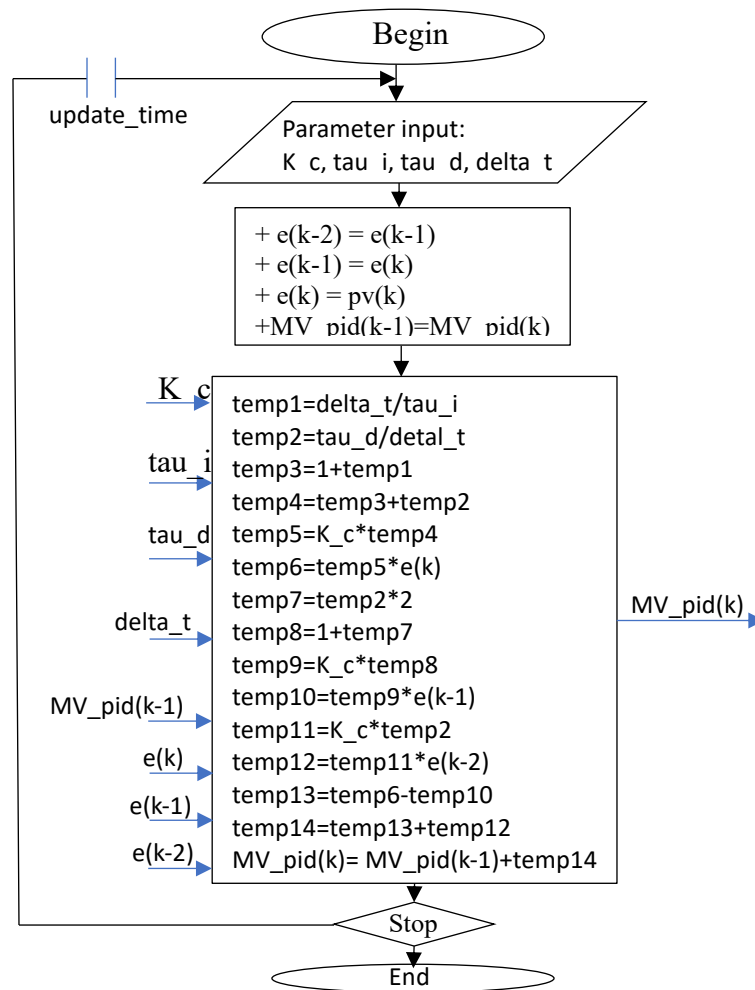


Figure 8. Flowchart of digital PID calculation

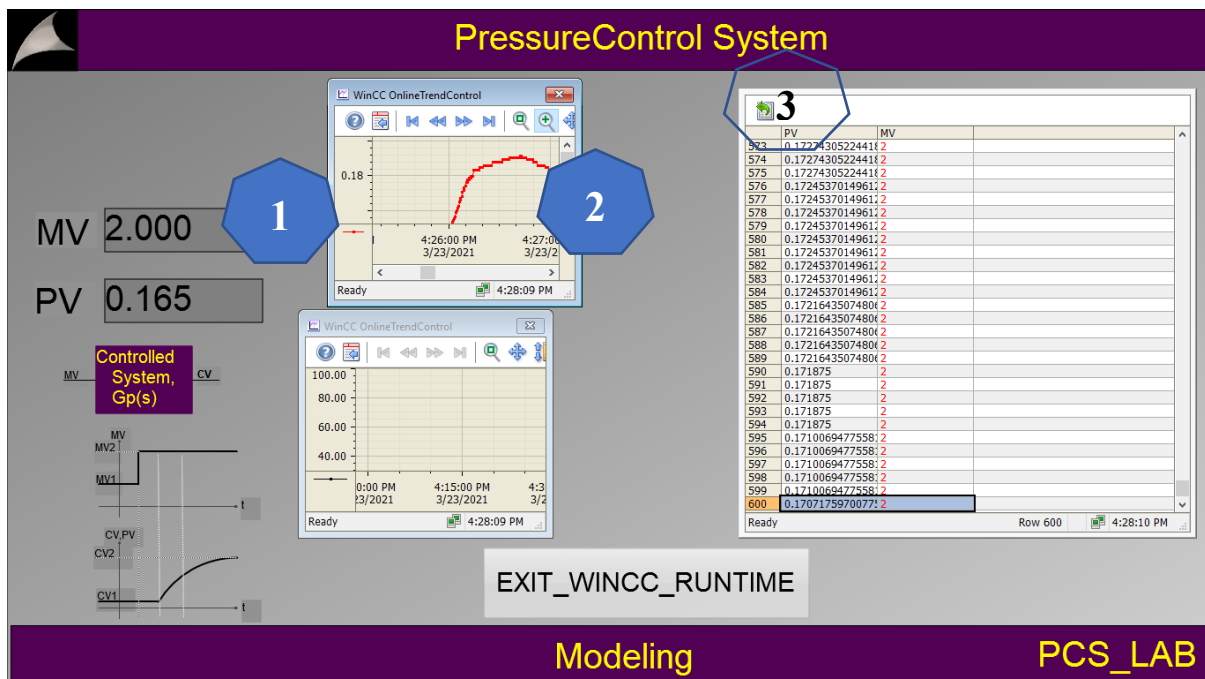


Figure 9. Pressure control screen

3. Experimental Equipment

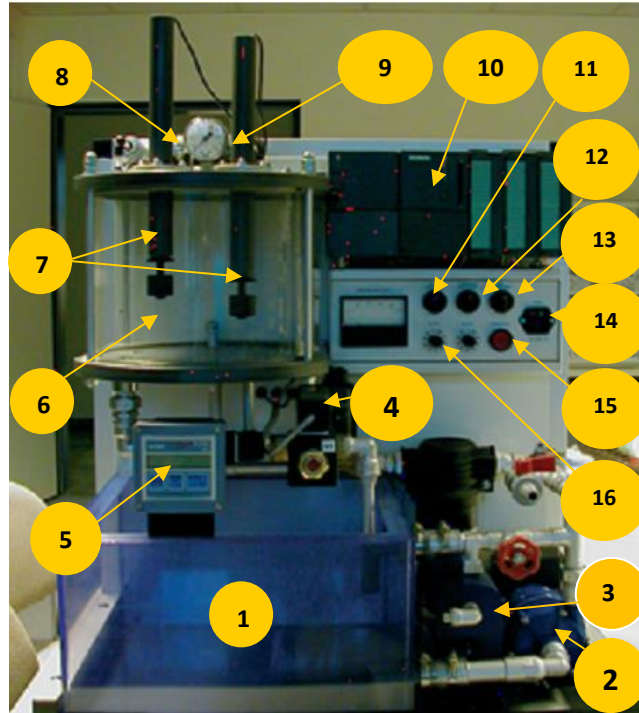


Figure 10. Experimental Equipment

1. Water tank; 2. Pump; 3. Compressor; 4. Control valve; 5. Flow sensor; 6. Pressure tank; 7. Limited switch; 8. Pressure sensor; 9. Pressure gauge; 10. PLC; 11. Manual/auto switch for control valve; 12. Manual/auto switch for Compressor; 13. Manual/auto switch for pump; 14. Power switch; 15. Run/Stop button and lamp; 16. Control valve adjusts.

3.1. Control valve

Control valve adjusts the valve opening in proportional to the electrical current (4...20 mA, 0...100%) set by the level control screen (Figure 9) or Control valve adjusts (Figure 10).

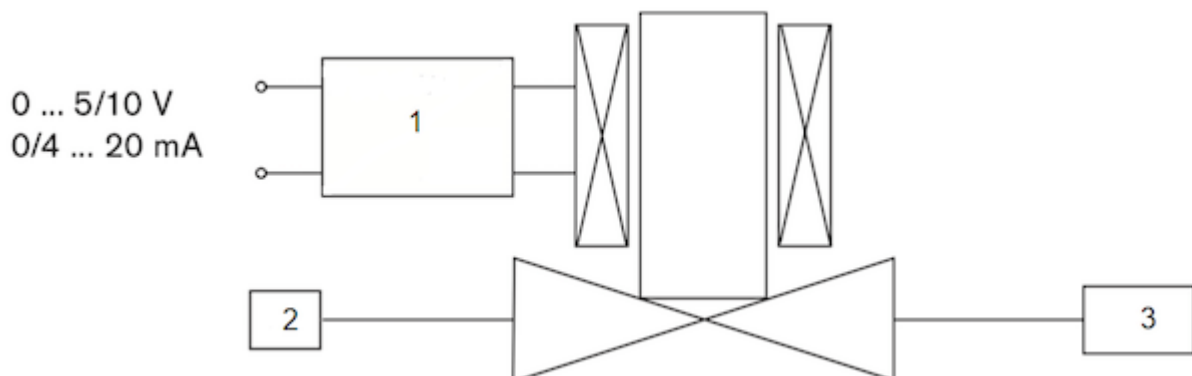


Figure 11. Operation of control valve: 1. Setpoint signal; 2. manipulated variable; 3. Controlled variable.

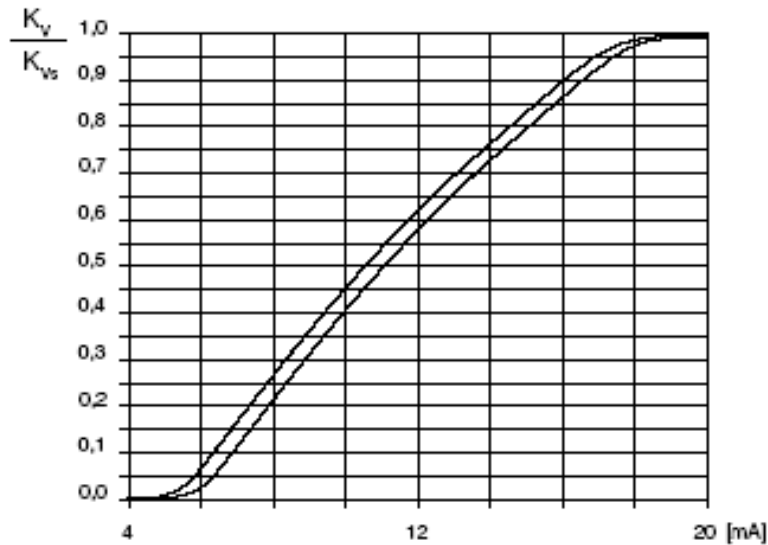


Figure 12. Proportional valve characteristics

3.2. Pressure sensor

The measurement range of the pressure sensor is 0...1 bar. It outputs 4...20 mA in proportional to 0...1 bar.

3.3. Flow sensor

The measurement range of the pressure sensor is 0...25 l/min. It outputs 4...20mA in proportional to 0...25 l/min.

4. Pressure and MV relationship

4.1 Start experiment

Step	Action	Remarks
1	Open the power switch (14, Figure 10); Set the pump (2, Fig.10) to manual mode; Set control valve (8, Fig.10) to auto mode	Switch power switch (14, Figure 10) to "ON"; Switch Manual/auto switch for pump (2, Figure 10) to "MAN"; Switch Manual/auto switch for control valve (19, Fig.10) to "AUTO"
2	Open the Pressure control screen (Fig.9)	By double click on the "flow_scada" icon on desktop
3	At the "Pressure control screen",	Set MV = 8% (1, Fig.9)

	manually open control valve (8, Fig.10)	
4	Observe Process value (PV) from the “Pressure control screen” and wait until it has to a constant value (p_s) (4, Fig.9)	Record PV and perfect Table 4.1
5	At the “Pressure control screen”, apply a step change to the control valve (4, Fig.10) by an additional 1%	Set $MV = MV+1$ (1, Fig.9)
6	Observe Process value (PV) from the “Pressure control screen” and wait until it has to a constant value (2, Fig.9) go to Step 4 until $MV=50\%$	

4.2 Results analysis

From the experimental data in the % of the MV from 8 to 50 %, the nonlinear regression analysis is working to determine the relationship between the pressure and MV. Refer to **Appendix part 4**

5. Process Modeling

5.1 Start experiment

Step	Action	Remarks
1	Open the power switch (14, Figure 10); Set the pump (2, Fig.10) to manual mode; Set control valve (8, Fig.10) to auto mode	Switch power switch (14, Figure 10) to “ON”; Switch Manual/auto switch for pump (2, Figure 10) to “MAN”; Switch Manual/auto switch for control valve (19, Fig.10) to “AUTO”
2	Open the Pressure control screen (Fig.9)	By double click on the “flow_scada” icon on desktop
3	At the “Pressure control screen”,	Set $MV = 8\%$ (1, Fig.9)

	manually open control valve (8, Fig.10)	
4	Observe Process value (PV) from the “Pressure control screen” and wait until it has to a constant value (p_s) (4, Fig.9)	Record PV and perfect Table 4.1
5	At the “Pressure control screen”, apply a step change to the control valve (4, Fig.10) by an additional 10%	Set $MV = MV + 10$ (1, Fig.9)
6	Observe Process value (PV) from the “Flow control screen” and wait until it has to a constant value (2, Fig.9)	This is the “Process reaction curve”
7	Get data from the recorder	Click (3, Fig.9), we have data of the process reaction curve (excel format)

5.2 Results analysis

Base on the “Process reaction curve” and experimental data, identify the Process Modeling ($G_p(s)$). Refer to **part 2.2 and Appendix part 5**

6. PID tuning

After we obtain the process model, the tuning parameters of K_c , τ_i , τ_d can be calculated by a PID tuning rule. In this work, the Ziegler-Nichols 1, Cohen-Coon, Haalman Method, DS Method, IMC tuning rule will be used among many available tuning rules.

Refer to **Appendix part 6**

7. Dynamic Simulation

After you define a model, you can simulate it, using a choice integration method. There are a lot of Simulink software help you to Simulink: Python, MATLAB, Mable,... In this practice we use MATLAB software, either from the Simulink menus or by entering commands in the MATLAB command window. The menus are particularly convenient for interactive work, while the command-line approach is very useful for running a batch of simulations. Using scopes and other display blocks, you can see the simulation

results while the simulation is running. In addition, you can change parameters and immediately see what happen. Because MATLAB and Simulink are integrated, you can simulate, analyses, and revise your models in either environment at any point.

Rise time, settling time, and other step-response characteristics of automatics system can get from by Simulink:

- Rise Time (τ_r) — Time it takes for the response to rise from 10% to 90% of the steady-state response.
- Settling Time (τ_s) — Time it takes for the error $e(\tau) = |cv(\tau) - cv_{final}|$ between the response $cv(t)$ and the steady-state response cv_{final} to fall below 2% of the peak value of $e(\tau)$.
- Settling Min — Minimum value of $cv(\tau)$ once the response has risen.
- Settling Max — Maximum value of $cv(\tau)$ once the response has risen.
- Overshoot (POT) — Percentage overshoot, relative to cv_{final} .
- Undershoot — Percentage undershoots.
- Peak — Peak absolute value of $cv(\tau)$
- Peak Time — Time at which the peak value occurs.

The following figure illustrates some of these quantities on a typical second-order response (Fig.13).

The exercise in this part, refer to **Appendix Simulink and Appendix part 7**

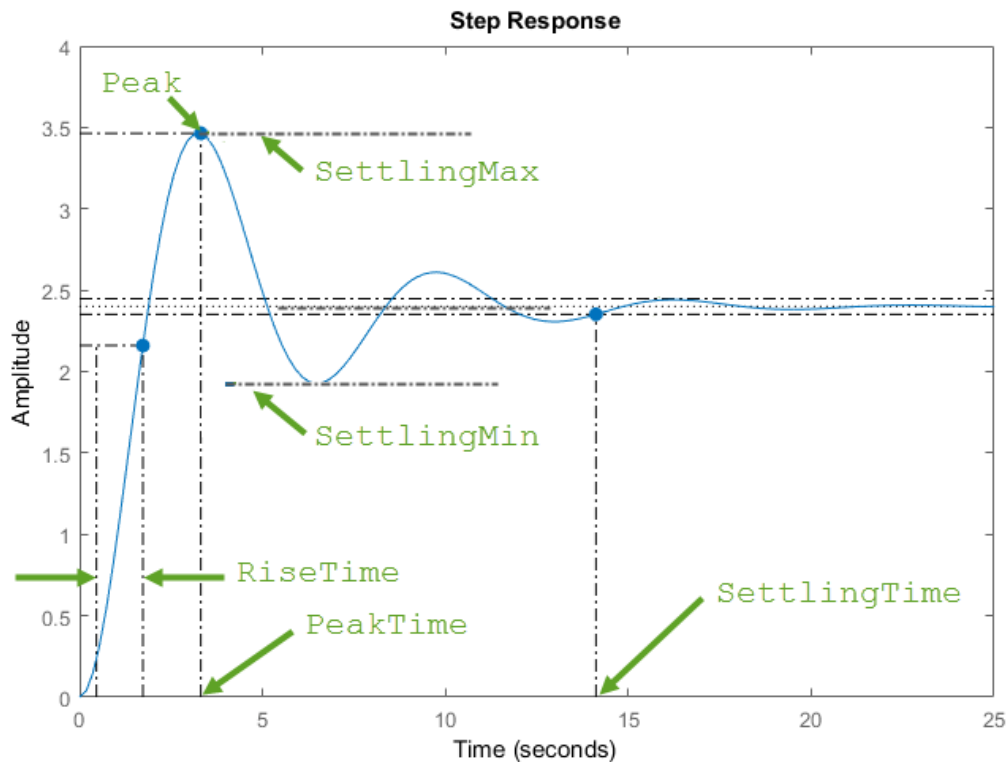


Figure 13. Step response of second-order (Source: MathWorks)

8. Process automation

From figure 7,

- A controller which receives inputs in form of digital or analog signal and process them via a programmed sequence using timers, counters, mathematical elements to generate outputs to control a determined process. There are a lot of type controller in control systems, but electronic device with microcontroller and PLC are two kind of device is use in the industry. There are two classes of PLC's: modular and compact, in form of modular, it is the one that has all the elements (Power supply, CPU, DI, DO, AI, AO, etc...) separated by functions and are interconnected via a rack or base.

- Sensor and actuators:

- + Sensors: They are to get information from the process. These elements are connected to the inputs of the PLC (DI, AI modular). There are different type of sensors:

- Proximity sensors (capacitive and inductive).
- Level sensors (Submersible pressure transmitters, level Optical, vibrating or tuning fork, ultrasonic, float, capacitance, radar, conductivity or resistance, etc...)
- Temperature sensors (Thermo-resistor, temperature gauge, pyrometer, thermocouple, etc...)
- Flow sensors (Differential Pressure Flow Meters, Positive Displacement Flow Meters, Velocity Flow Meters, Mass Flow Meters, Open Channel Flow Meters, ect...)
- Pressure sensors (Potentiometric pressure sensors, Inductive pressure sensors, Capacitive pressure sensors, Piezoelectric pressure sensors, Strain gauge pressure sensors, Variable reluctance pressure sensors)

All their elements are used to receive information from the controlled process. The digital signals (Proximity sensors) are connected to the digital signal input modular (DI), the analog signal (Level sensors, Temperature sensors, Flow sensors, Pressure sensors, Pressure sensors, etc...) are connected to the analog input modular (AI).

+ Actuators: They are connected to the analog signal output modular (AO) that control the components of the system to adjust them to the setpoint. Example, proportional valve, power adjust, etc...

- Human machine interfaces (HMI, PC, Display, etc...), They are used to monitor the process through information given in the PLC

The exercise in this part, refer to **Appendix TIA portal, Cube MX and Appendix part 8**

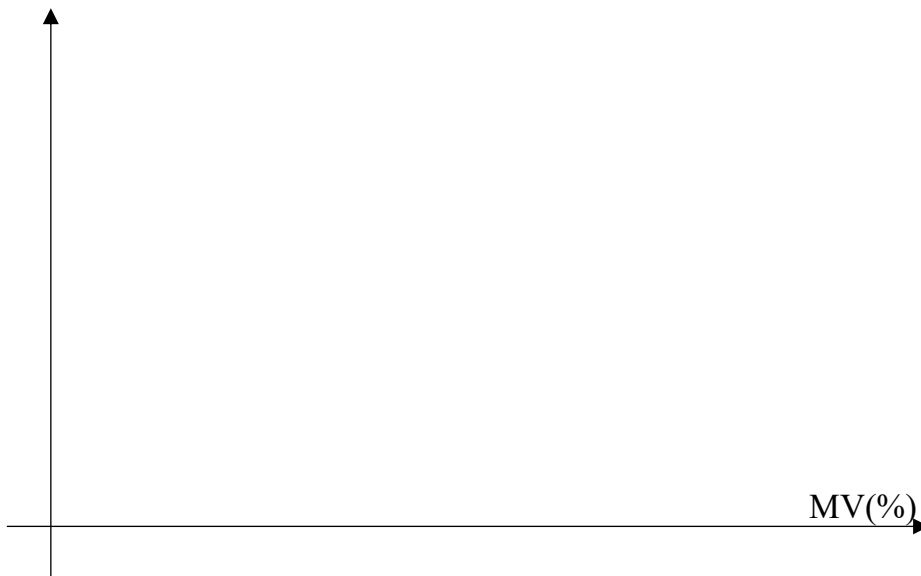
Appendix part 4

Table 4.1

MV(%)	f_out	p _s			
		Test 1	Test 2	Test 3	Average
8					
9					
10					
...					
...					
50					

The relationships between the identified parameters (MV and pressure) are shown in Figure **Appendix A.1** and the equations (**Appendix A.1**)

Flow l/min



p_s =

Appendix part 5

$$G_p(s) = \frac{CV_m(s)}{MV(s)} = \frac{K_p e^{-\theta_p s}}{\tau_p s + 1}$$

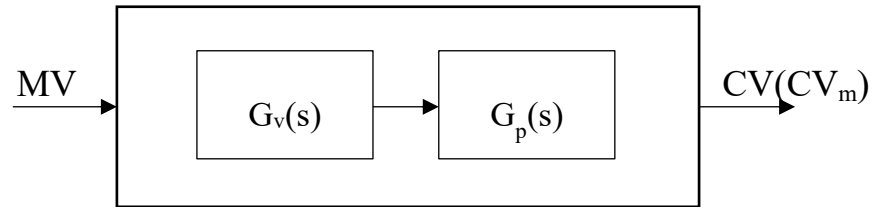


Table 5.1

Par	Test 1	Test 2	Test 3	Average
K_p				
τ_p				
θ_p				

$G_p(s) =$

Appendix part 6

Note: $K = K_p$; $\tau = \tau_p$; $\theta = \theta_p$

Table 6.1: Ziegler-Nichols 1

Con troller	K_c	τ_i	τ_d
P	$\frac{\tau}{k\theta} =$	-	-
PI	$\frac{0.9\tau}{K\theta} =$	$3.3\theta =$	-
PID	$\frac{1.2\tau}{K\theta} =$	$2\theta =$	$0.5\theta =$

Table 6.2: Cohen-Coon

Controller	K_c	τ_i	τ_d
P	$\frac{\tau}{K\theta} \left(1 + \frac{\theta}{3\tau}\right) =$	-	-
PI	$\frac{\tau}{K\theta} \left(0.9 + \frac{\theta}{12\tau}\right) =$	$\frac{\theta \left(30 + \frac{3\theta}{\tau}\right)}{9 + \frac{20\theta}{\tau}} =$	-
PID	$\frac{\tau}{K\theta} \left(\frac{16 + \frac{3\theta}{\tau}}{12}\right) =$	$\frac{\theta \left(32 + \frac{6\theta}{\tau}\right)}{13 + \frac{8\theta}{\tau}} =$	$\frac{4\theta}{11 + \frac{2\theta}{\tau}} =$

Table 6.3: Haalman

Con troller	K_c	τ_i	τ_d
P		-	-
PI	$\frac{2\tau}{3K\theta} =$	$\tau =$	-
PID			

Table 6.4: Direct Synthesis

$$G(s) = \frac{e^{-\theta s}}{\tau_c s + 1} \text{ or } T(s) = \frac{K_d s e^{-\theta s}}{(\tau_c s + 1)^2}$$

Con troller	K_c	τ_i	τ_d
P		-	-

PI (DS)	$\frac{\tau}{K(\tau_c + \theta)} =$ $\tau_c = \tau; \tau_c = 0.5\tau$	$\tau_i = \tau =$	-
PI (Chen & Seborg)	$\frac{T_i}{(\tau_c + \theta)K} =$	$\frac{\tau^2 + \theta\tau - (\tau_c - \tau)^2}{\tau + \theta} =$	

Table 6.4: IMC

Con troller	K_c	τ_i	τ_d
P		-	-
PI	$\lambda = 1.7\theta$ $\frac{(2\tau + \theta)}{2K\lambda} =$	$\tau + \frac{\theta}{2} =$	
PID	$\lambda = 0.25\theta$ $\frac{(2\tau + \theta)}{2(\lambda + \theta)} =$	$\tau + \frac{\theta}{2} =$	$\frac{\tau\theta}{(2\tau + \theta)} =$

Appendix part 7

Part 7.1: Step response of process curve

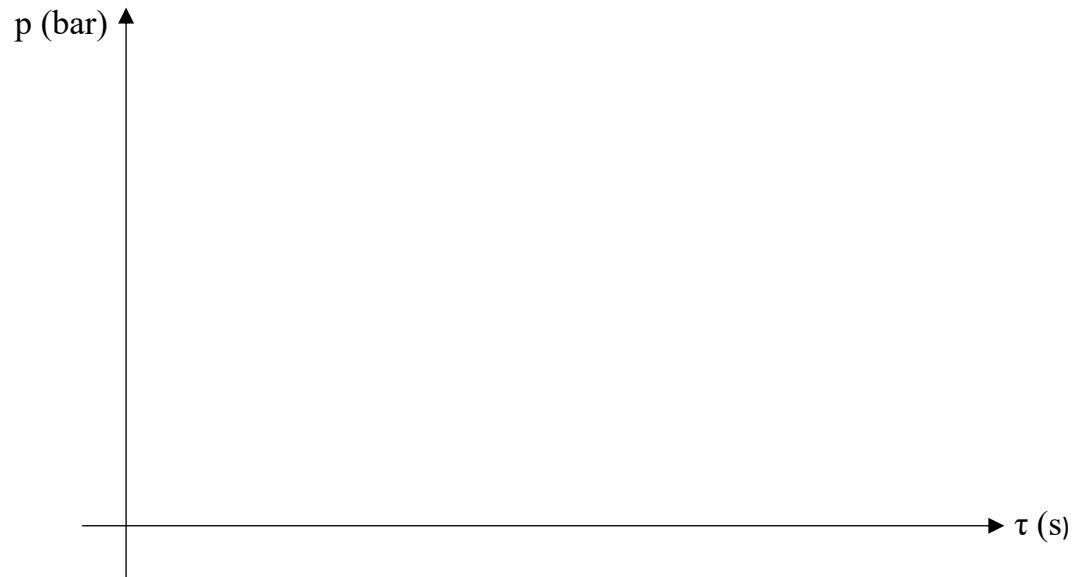


Table 7.1: Step-response characteristics

Step change (MV,%)	POT	τ_s	τ_r
0,1.1(τ)			
0,15.1(τ)			

Appendix part 7

Part 7.2: Step response of process curve with closed loop tuning (ZN-1)



Table 7.2: Step-response characteristics with closed loop tuning (ZN-1)

Setpoint change (Sp)	POT	τ_s	τ_r	e_∞
0,09.1(τ)				
0,2.1(τ)				

Part 7.2: Step response of process curve with closed loop tuning (Cohen-Coon)



Table 7.2: Step-response characteristics with closed loop tuning (Cohen-Coon)

Setpoint change (Sp)	POT	τ_s	τ_r	e_∞
0,09.1(τ)				
0,2.1(τ)				

Part 7.3: Step response of process curve with closed loop tuning (Haalman)



Table 7.3: Step-response characteristics with closed loop tuning (Haalman)

Setpoint change (Sp)	POT	τ_s	τ_r	e_∞
0,09.1(τ)				
0,2.1(τ)				

Part 7.4: Step response of process curve with closed loop tuning (Direct Synthesis)



Table 7.4: Step-response characteristics with closed loop tuning (Direct Synthesis)

Setpoint change (Sp)	POT	τ_s	τ_r	e_∞
0,09.1(τ)				
0,2.1(τ)				

Part 7.5: Step response of process curve with closed loop tuning (IMC)



Table 7.5: Step-response characteristics with closed loop tuning (IMC)

Setpoint change (Sp)	POT	τ_s	τ_r	e_∞
0,09.1(τ)				
0,2.1(τ)				

Appendix part 8

The structure of the system is show in Fig 8.1.

Fig.8. Experiment process pressure diagram with PLC

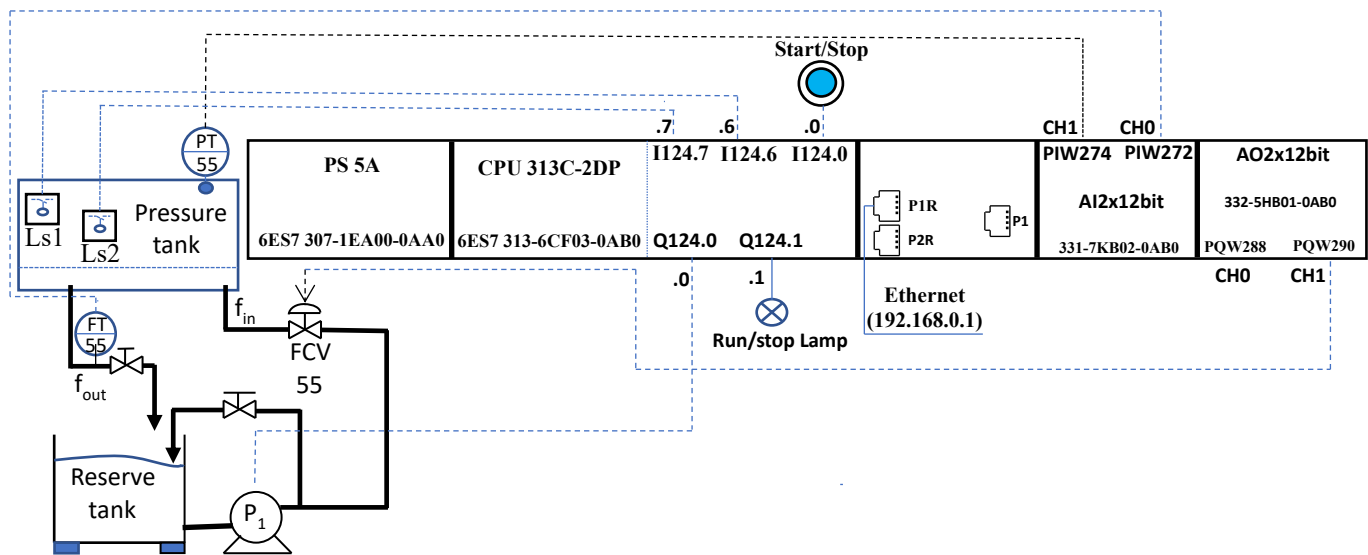


Table 8.1: Input/output address of process pressure systems

Add	Equipment's
I124.0	S1 Start/Stop button
I124.6	LS1 high limited sensor
I124.7	LS1 low limited sensor
Q124.0	P1 Pump
Q124.1	Start/ Stop lamp
AI 0 (PIW272)	Flow transmitter 0...25 l/min, 4...20 mA
AI 1 (PIW274)	Pressure transmitter 0...1bar, 4...20 mA

The structure of the system is show in Fig 8.2

Fig 8.2 Experiment process flow diagram with STM32 embedded board

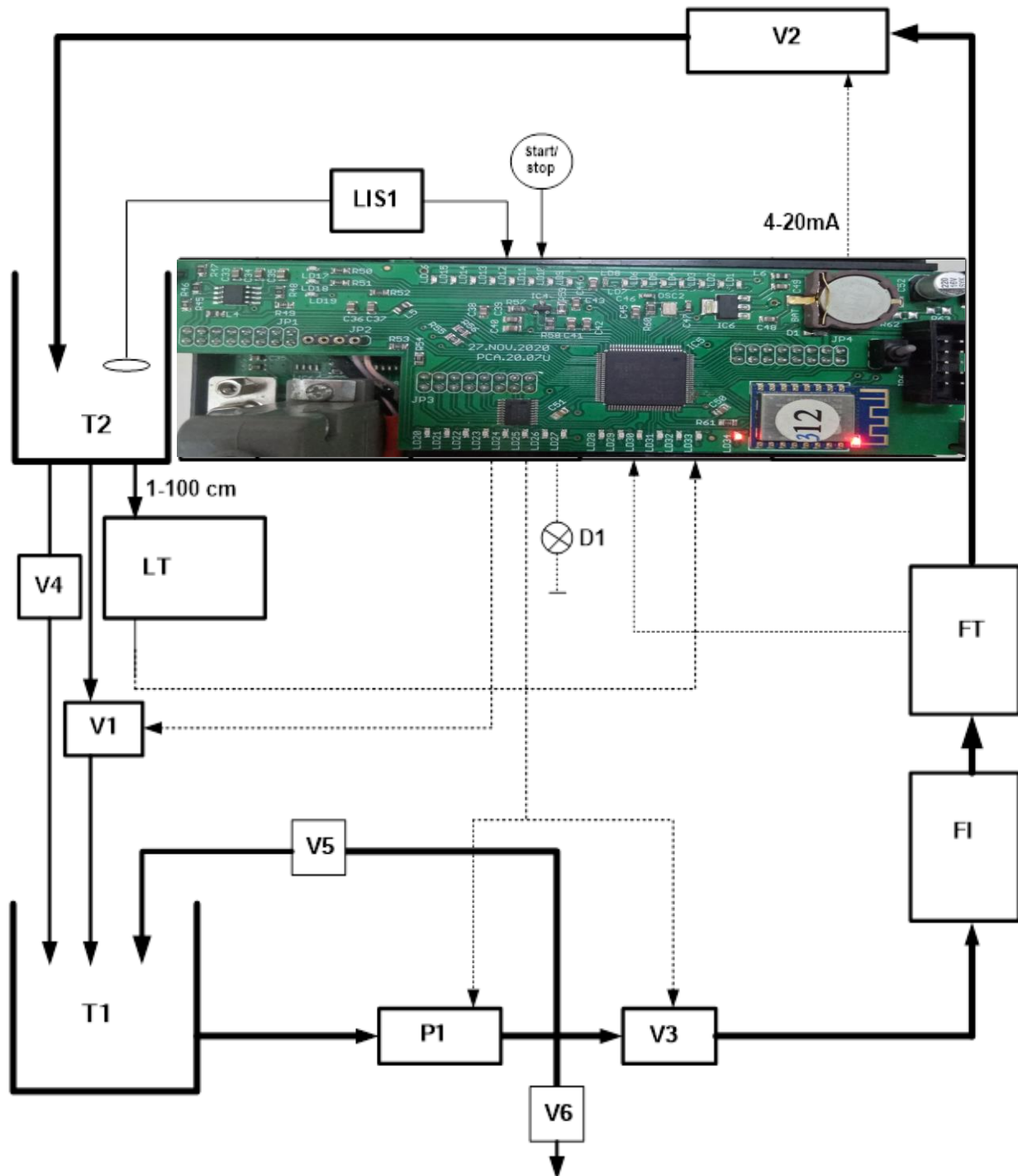


Table 8.2: Input/output address of process flow systems

STM32F205VCT6

1. Input:

No.	Sym	ARM - PIN	Note
1	IN1	PD.13	Timer 4 (Encoder)
2	IN2	PD.12	Timer 4 (Encoder)
3	IN3	PD.11	
4	IN4	PC.6 (PB.10)	Timer 8 (Encoder)
5	IN5	PC.7 (PE.15)	Timer 8 (Encoder)
6	IN6	PE.14	
7	IN7	PA.15 (PE.12)	
8	IN8	PC.8 (PE.13)	
9	IN9	PB.5	
10	IN10	PB.4	
11	IN11	PB.3	
12	IN12	PD.7	
13	IN13	PD.6	
14	IN14	PD.5	

2. Output:

No.	Sym	ARM - PIN	Note
1	OUT1	PB.0	Timer 3
2	OUT2	PA.7 (PB.1)	Timer 14
3	OUT3	PB.2	
4	OUT4	PE.7	
5	OUT5	PE.8	
6	OUT6	PE.9	
7	OUT7	PE.10	
8	OUT8	PE.11	
9	OUT9	PB.7	

10	OUT10	PB.6	
11	OUT11	PB.9	
12	OUT12	PE.0 (PE.6)	

3. Other:

No.	Sym	ARM - PIN	Note
1	AI.0	PC.0	Analog input CH0, 0...10Vdc, level CH
2	AI.1	PC.3	Analog input CH01, 0...10Vdc, flow CH
3	AO.0	PA.4	Analog output CH0, 0...10Vdc
4	A0.1	PA.5	Analog output CH1, 0...10Vdc, MV
5	TX.0	PA.2 (UART2-TX)	Serial communications Port.0, transmitted pin
6	RX.0	PA.3 (UART2-RX)	Serial communications Port.0, received pin
7	TX.1	PA.0 (UART4-TX)	Serial communications Port.1, transmitted pin
8	RX.1	PA.1 (UART4-RX)	Serial communications Port.1, received pin
9	DE.1/RE.1	PC.5	Serial communications Port.1, controlled pin
10	TX.2	PA.9 (UART1-TX)	Serial communications Port.2, transmitted pin (IOT)
11	RX.2	PA.10 (UART1-RX)	Serial communications Port.2, received pin (IOT)
12	Run-Stop	PD.2	Run / Stop program
15	Bus-Ena	PC.12	Exp In/Out
16	TX.3	PC.10 (UART3-TX)	Serial communications Port.3, transmitted pin (exp)
17	RX.3	PC.11 (UART3-RX)	Serial communications Port.3, received pin (exp)
18	POWER	PD.4	Lose power

4. Led Status:

No.	Sym	ARM - PIN	Note
1	RUN	PC.1	Run status
2	COM.0	PC.2	Communication status Port.0
3	COM.1	PA.6	Communication status Port.1
4	IOT	PE.5	Communication status IOT
5	In Out	PE.4	In/out status

[illegible]