



ALMA MATER STUDIORUM
UNIVERSITÀ DI BOLOGNA
CAMPUS DI FORLÌ

91258 / B0385

Natural Language Processing

Lesson 16. Recurrent Neural Networks

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Previously

- CNNs for text

Table of Contents

1. Introduction
2. Keeping the past in mind
3. RNNs in Keras

Chapter 8 of Lane et al. (2019)

Introduction

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CNNs

- Good for analysing *full* texts (\sim sentences)
- Words tending to appear close to each other are spotted and play a joint role

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What is missing?

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What is missing?

- Keeping track of what happened long ago
- Memory
- Language is **not an image** —no snapshots
- Language is a **sequence**; both text and speech

Keeping the past *in mind*

Remembering the Past

$w_0 w_1 w_2 w_3 \dots w_{t-1} w_t w_{t+1}$

(Lane et al., 2019, p. 250)

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- To understand a text at time t , we need to consider what happened at time $t - k$

(Lane et al., 2019, p. 250)

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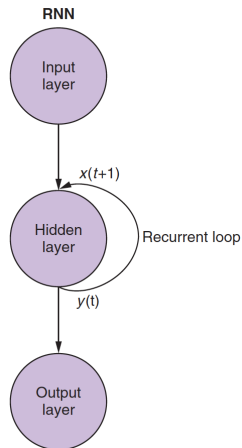
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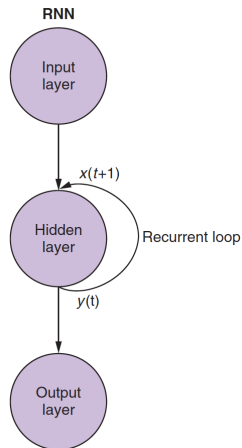


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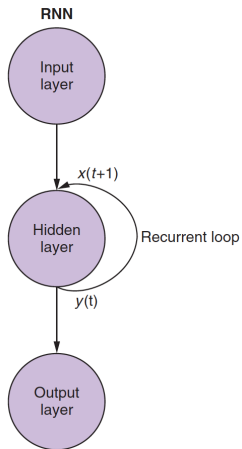
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- RNNs combine what happened **before** with what is happening **now**



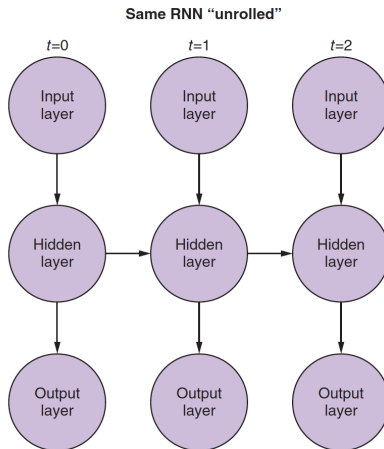
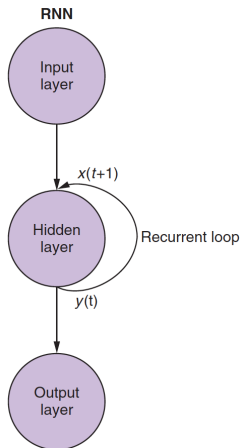
(Lane et al., 2019, p. 250)

Full feed-forward networks that consider their own output



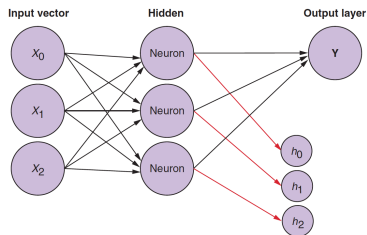
(Lane et al., 2019, p. 252)

Full feed-forward networks that consider their own output



(all three columns are the same)

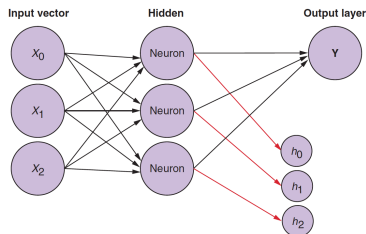
Zooming into the unrolled RNN: t and $t + 1$



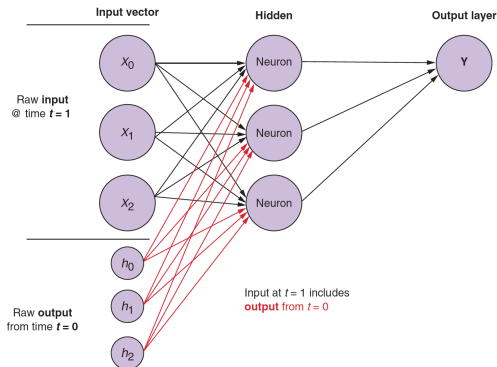
$t = 0$

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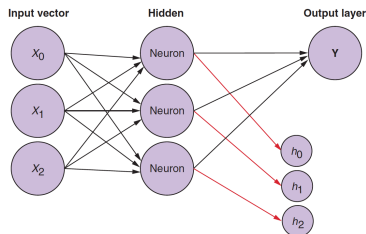
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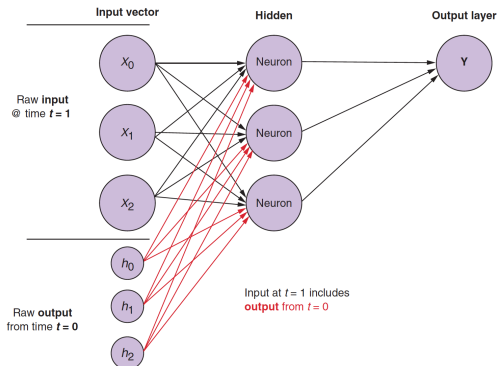
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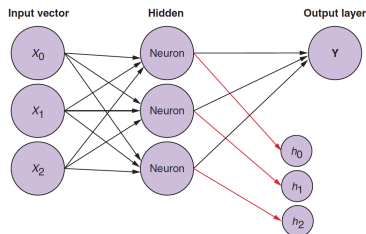


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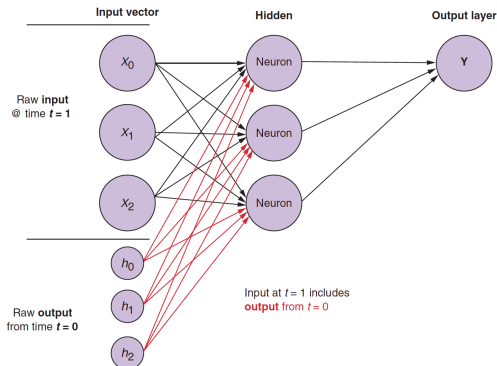
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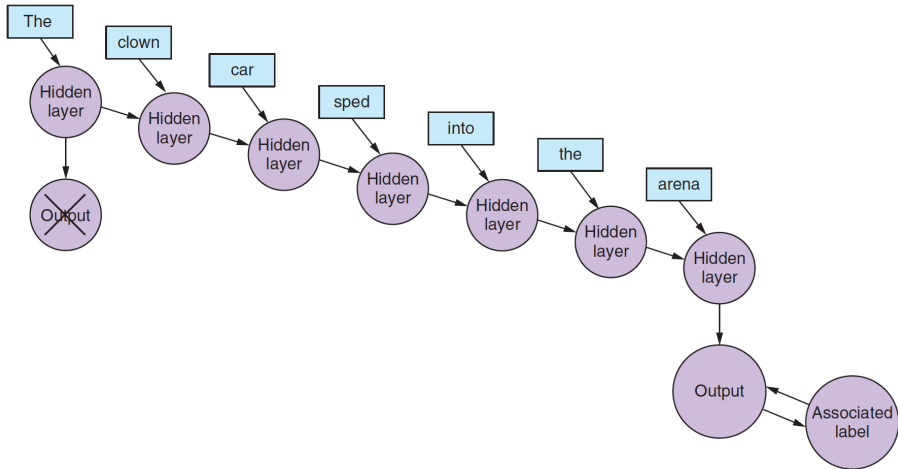


$t = 1$

- The red arrows are just *standard* connections, with weights
- Now we can feed the text, **one word at a time**

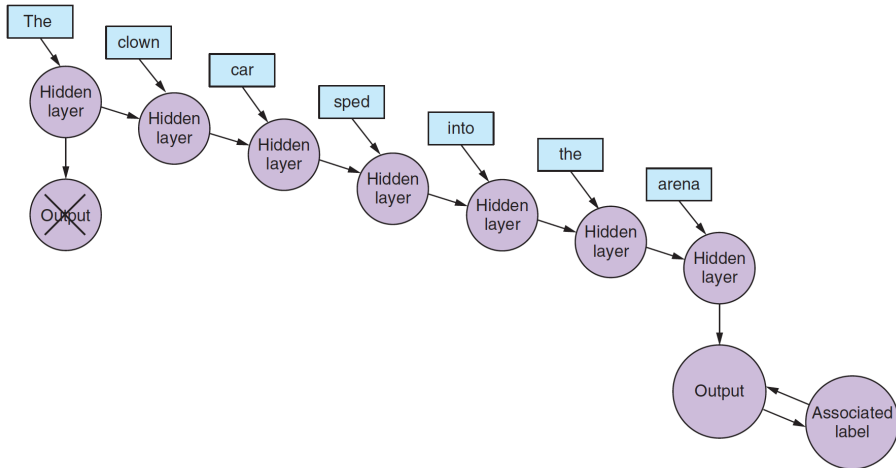
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“Multiple inputs, one output”



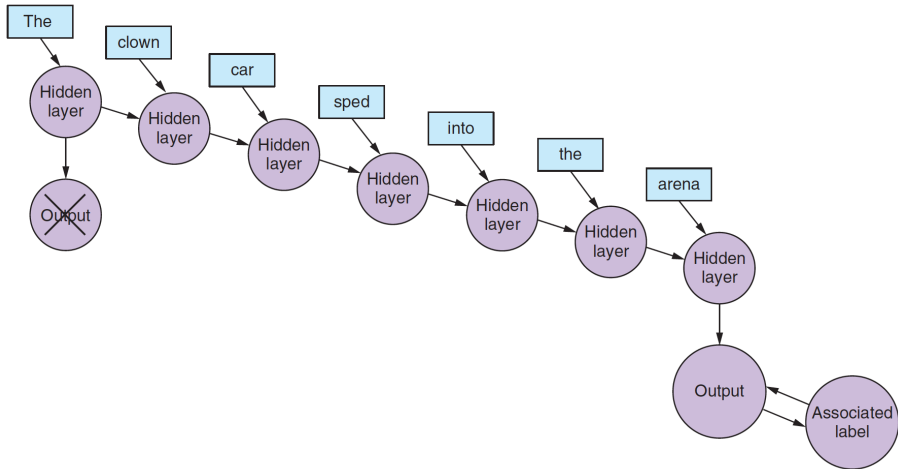
(Lane et al., 2019, p. 254)

“Multiple inputs, one output”



- No more length constraints (although we have to be reasonable)

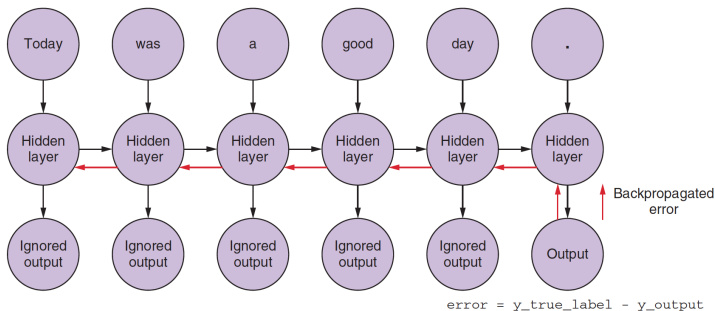
“Multiple inputs, one output”



- No more length constraints (although we have to be reasonable)
- No more a bunch of snapshots; there is a sense of time

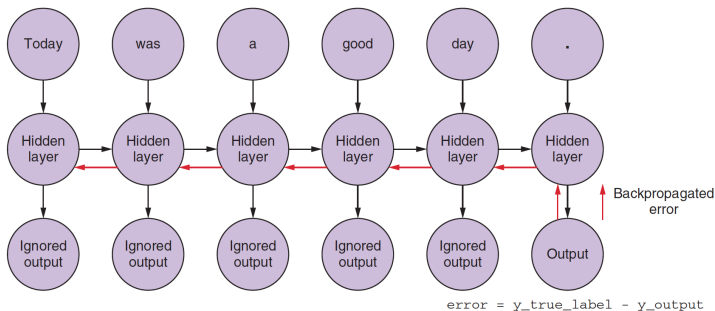
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Backpropagation through Time: the “Vanilla” Way



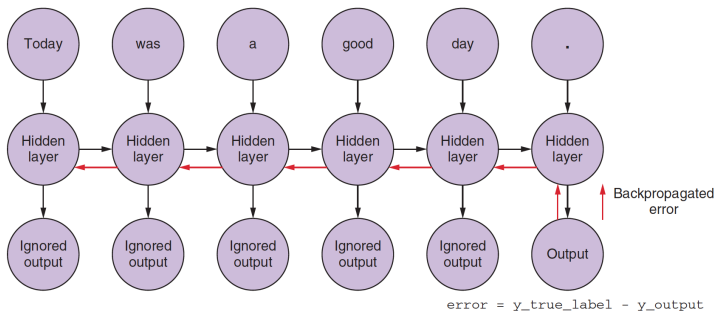
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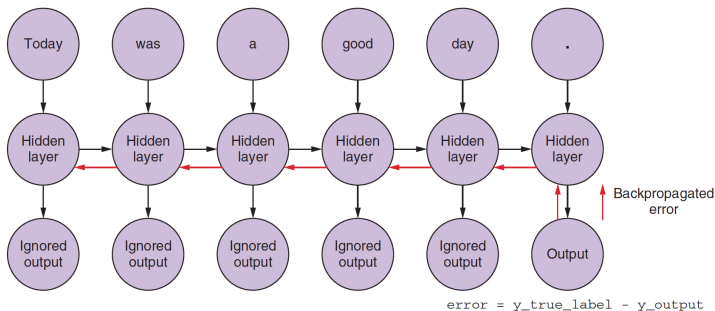
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- The same chain rule is applied to do backpropagation; but this time it heads to “the past”

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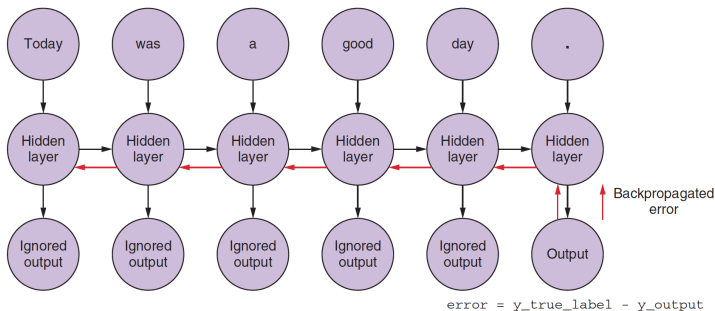
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- The weight corrections are calculated for each t

(Lane et al., 2019, p. 256)

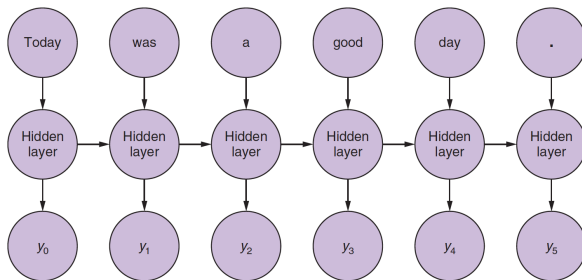
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- The weight corrections are calculated for each t
- The combined updates are applied **only** until reaching $t = 0$

(Lane et al., 2019, p. 256)

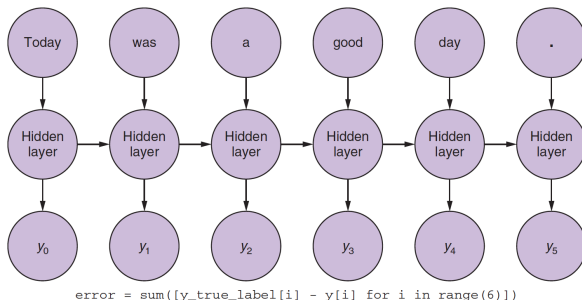
Backpropagation through Time: the Better Way



```
error = sum([y_true_label[i] - y[i] for i in range(6)])
```

(Lane et al., 2019, p. 258)

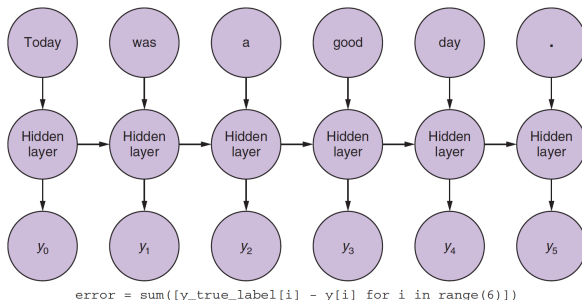
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- We compute the loss combining all intermediate outputs

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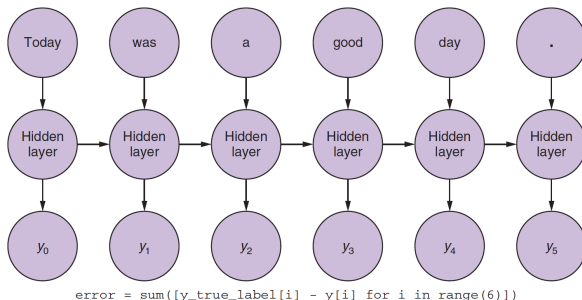
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- We compute the loss combining all intermediate outputs
- The weight corrections are still additive: the update is applied until
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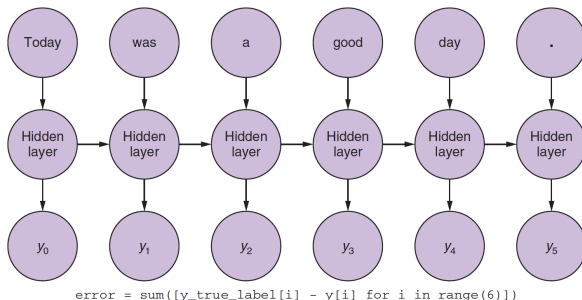
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RNNs in Keras

RNN in Keras: what we have so far

We have setup a simple recurrent neural network

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- A Dense layer expects a *flat* vector

Example derived from

<https://stackoverflow.com/questions/43237124/role-of-flatten-in-keras> ↻ 🔍 🔍

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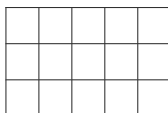
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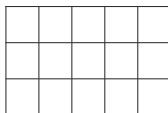
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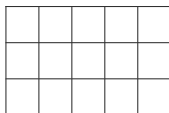
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`embedding_dims` comes from the embedding space; hard to change, but possible: other embeddings, 1-hot

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Try some sensitive configurations and keep track of all the settings and outputs¹

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References

- Fernicola, F., S. Zhang, F. Garcea, P. Bonora, and A. Barrón-Cedeño
2020. Ariemozione: Identifying emotions in opera verses. In *Italian Conference on Computational Linguistics*.
- Lane, H., C. Howard, and H. Hapkem
2019. *Natural Language Processing in Action*. Shelter Island, NY: Manning Publication Co.