

Data-driven and Learning-based Control

Reward in Reinforcement Learning

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Types of reward



The **reward** $r^{(k+1)}$ in RL is a scalar feedback signal $\in \mathbb{R}$ that indicates how well the controller is doing at step k.

The RL aim is to learn a controller π able to maximize the expected cumulative discounted reward

$$\sum_{k} \gamma^{k} r^{(k+1)}.$$

Therefore, if we are interested in training a controller for a specific task achievement:

A task should be fully describable through the reward.



Power of reward

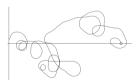
1 Introduction

Therefore, reward plays a crucial role in RL.

Incorrect reward settings can lead to undesirable task performance behaviors.

- Example 1: Bicycle Riding
 - Positive rewards for progress led to suboptimal behavior (riding in circles).

- Example 2: Soccer-Playing Robot
 - Positive rewards for ball touches led to suboptimal behavior (vibrating near the ball).



These examples suggest that shaping rewards must obey certain conditions if they are not to mislead the agent into learning suboptimal policies.



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2 Types of reward

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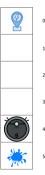
► Types of reward



Sparse reward

2 Types of reward

Sparse rewards are those given to only a small handful of states.



Reward function:

- 5 if $x^{(k)} \neq 5$ and $x^{(k+1)} = 5$ 1 if $x^{(k)} \neq 0$ and $x^{(k+1)} = 0$
- 0 otherwise



Dense reward

2 Types of reward

Dense rewards aim to evaluate the agent in many different states.

$$r^{(k+1)} = -||x^{(k+1)} - x_{\mathsf{des}}||$$



• Reward function:

$$r^{(k+1)} = -||x^{(k+1)} - 5||$$



Potential-based reward

2 Types of reward

Potential-based reward shaping aims to improve the learning speed of RL agent by extracting and utilizing extra knowledge while performing a task.

$$r^{\prime(k+1)} = r^{(k+1)} + \gamma \phi\left(x^{(k+1)}\right) - \phi\left(x^{(k)}\right)$$



• Reward function:

 $\begin{array}{l} 5 \ \ \text{if } x^{(k)} \neq 5 \ \text{and } x^{(k+1)} = 5 \\ 1 \ \ \text{if } x^{(k)} \neq 0 \ \text{and } x^{(k+1)} = 0 \\ - \left(||x^{(k+1)} - 5|| - ||x^{(k)} - 5|| \right) \ \ \text{otherwise} \end{array}$



Questions' time!

