| | elow before ent | ering your candidate information |
|--|-----------------|----------------------------------|
| Candidate surname | | Other names |
| Pearson Edexcel nternational Advanced Level | entre Number | Candidate Number |
| Friday 10 Janu | ary 2 | 020 |
| Morning (Time: 1 hour 20 minutes) | Paper R | eference WPH13/01 |
| | | |
| Physics International Advanced S Unit 3: Practical Skills in F | | y / Advanced Level |

Instructions

- Use **black** ink or **black** ball-point pen.
- Fill in the boxes at the top of this page with your name, centre number and candidate number.
- Answer **all** questions.
- Answer the questions in the spaces provided
 - there may be more space than you need.
- Show all your working in calculations with your answer clearly identified at the end of your solution.

Information

- The total mark for this paper is 50.
- The marks for **each** question are shown in brackets
 - use this as a guide as to how much time to spend on each question.
- The list of data, formulae and relationships is printed at the end of this booklet.

Advice

- Read each question carefully before you start to answer it.
- Try to answer every question.
- Check your answers if you have time at the end.

Turn over ▶







Answer ALL questions.

- 1 A student was asked to investigate how changing the temperature of a diode will change the potential difference at which the diode starts to conduct.
 - (a) Draw a labelled diagram showing how she could carry out this investigation using school laboratory apparatus.

(4)

(b) Identify one safety issue with this investigation and how it may be dealt with.

(2)

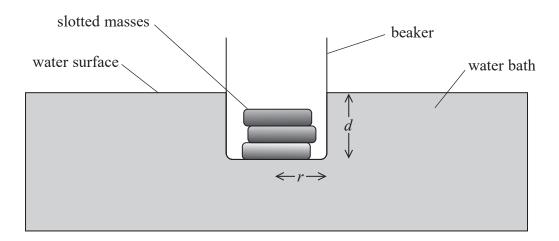
(Total for Question 1 = 6 marks)



2 A student investigated the relationship between the mass m a boat can carry and the depth d below the water surface of the lowest point of the boat.

He modelled the boat using a glass beaker.

He added 10 gram slotted masses and marked the position of the water surface on the beaker, as shown.



The student assumed the beaker was a cylinder with radius r cm and the water had a density of $1 \,\mathrm{g \, cm^{-3}}$.

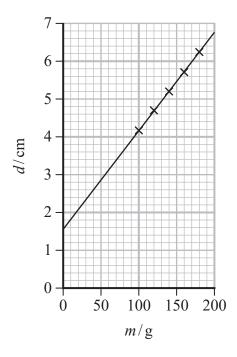
(a) Show that the upthrust U on the beaker could be calculated using the equation

$$U = \frac{\pi r^2 dg}{1000}$$

where d is in cm and U is in N.

| Where was in our wife of is in the | |
|------------------------------------|-----|
| | (4) |
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(b) The student marked the position of the water surface on the beaker for different values of m. He plotted a graph of d in cm against m in g.



When the beaker is in equilibrium upthrust = weight, leading him to the following equation

$$m = \rho \pi r^2 d$$

where $\rho = 1 \,\mathrm{g}\,\mathrm{cm}^{-3}$.

Determine the diameter of the beaker, using information from the graph.

(3)

.....

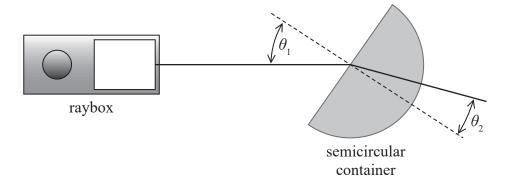
Diameter of beaker =

| (c) | The graph shows that the beaker would have a depth under the water surface with no mass added. | |
|-----|--|------|
| | Identify the source of the systematic error and how it could be corrected. | (2) |
| | | |
| | | |
| | (Total for Question $2 = 9$ may | rks) |

3 A student investigated the refraction of light as it travelled into salt solutions of different densities.

For a salt solution, as the density increases, the speed of light in the salt solution decreases.

She put the salt solution into a transparent semicircular container, as shown.

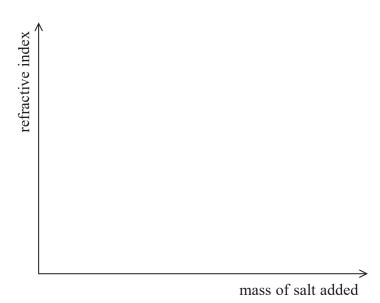


| (a) Describe a method the student could use to determine the density of the sait solution. | | | | | |
|--|-----|--|--|--|--|
| | (3) | | | | |
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(b) The student increased the density of the salt solution by adding different masses of salt.

Sketch, on the axes below, a graph to show how the refractive index of the salt solution varies with the mass of salt added.





(c) The relationship between the refractive index n, the angle of incidence θ_1 and the angle of refraction θ_2 is given by the equation

$$\sin\theta_1 = n\sin\theta_2$$

Describe a graphical method she could use to determine n.

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(d) The student measured only one pair of angles for each salt solution.

The measurements the student recorded for one salt solution were:

| Angle of incidence θ_1 | 33.0° |
|--------------------------------|-------|
| Angle of refraction θ_2 | 24.0° |
| Refractive index <i>n</i> | 1.34 |

(i) The uncertainty in the measurement of the angles was $\pm 0.5^{\circ}$.

Calculate the maximum and minimum values of n.

(3)

| | 1 | C | |
|---------|--------|------------|---|
| Maximum | Waliie | \cap t n | = |

Minimum value of $n = \dots$

(ii) Calculate the percentage uncertainty in the student's value of n.

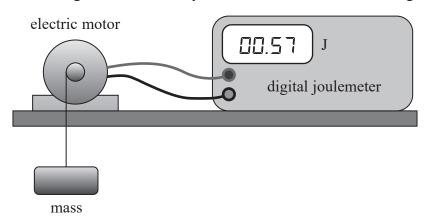
(2)

Percentage uncertainty =

(Total for Question 3 = 14 marks)



4 A group of students investigated the efficiency of an electric motor when lifting a mass.



The students used a joulemeter to measure the energy supplied to the motor to lift a mass a distance of 75 cm. They repeated the experiment twice before increasing the mass.

They calculated the change in gravitational potential energy of the mass and the mean energy supplied. Their results are shown in the table below.

| Mass / kg Change in gravitational potential energy / J | Change in gravitational | Energy supplied / J | | | |
|--|-------------------------|---------------------|---------|---------|-------|
| | potential energy / J | Trial 1 | Trial 2 | Trial 3 | Mean |
| 0.02 | 0.147 | 0.57 | 0.55 | 0.60 | 0.573 |
| 0.04 | 0.29 | 1.12 | 1.10 | 1.15 | 1.12 |
| 0.06 | 0.441 | 1.67 | 1.71 | 1.65 | 1.7 |
| 0.08 | 0.59 | 2.21 | 2.25 | 2.23 | 2.23 |
| 0.10 | 0.74 | 2.78 | 2.82 | 2.91 | 2.84 |
| 0.12 | | 3.32 | 3.36 | 3.33 | |

| (a) | Criticise | these | results. |
|-----|-----------|-------|----------|
|-----|-----------|-------|----------|

(2)

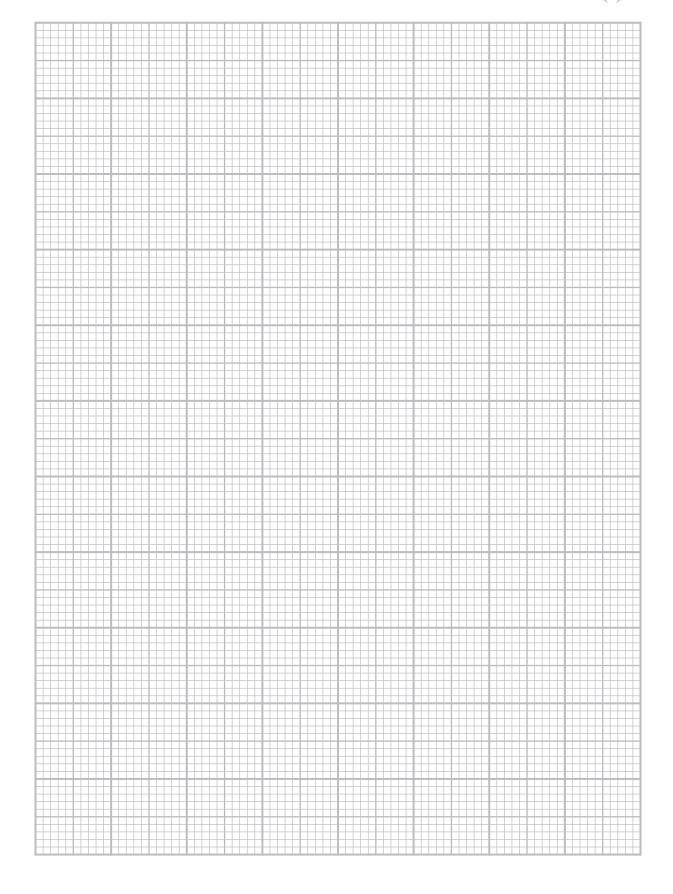
(b) Complete the last row of the table.

(3)



(c) Plot a graph of change in gravitational potential energy on the *y*-axis against mean energy supplied on the *x*-axis.

(5)

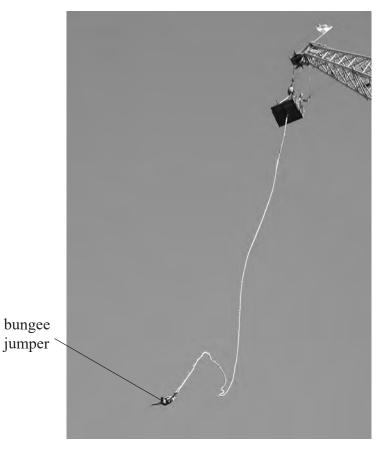


| (d) Determine the efficiency of the motor. | (2) |
|---|-------|
| | |
| | |
| Efficiency = | |
| (e) The students repeated the experiment with a much larger mass and determined that the efficiency of the motor was decreased. | |
| Describe how they should collect and use data to determine the mass at which the efficiency starts to decrease. | |
| | (3) |
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| (Total for Question 4 = 15 m | arks) |



(2)

The photograph shows a bungee jumper. The bungee jumper falls through a large distance and is then decelerated by the bungee rope.



(Source: © ELINA/Pearson Asset Library)

For safety, a bungee rope needs to be tested to ensure it can withstand the stress applied as it decelerates the falling bungee jumper.

One bungee rope has a diameter of $2\,\mathrm{cm}$. The manufacturer states that the rope can withstand a maximum force of $8000\,\mathrm{N}$.

| (a) | A teacher | is given a | sample of | the same | materiai v | viiii diaillei | ei i iiiii. | |
|-----|-------------|-------------|------------|-------------|------------|----------------|-------------|-------|
| | Justify the | e teacher's | decision 1 | that it wou | ld be safe | for her stu | dents to c | leter |

Justify the teacher's decision that it would be safe for her students to determine the breaking stress of the sample.

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| | | | | | | | | (4) |
|----------------|--------------------|---|---|---|---|---|---|---|
| wheth | er the s | student's | s result su | apports the | manufact | urer's val | ue. | (4) |
| acture | r gives | the brea | aking stre | ss of the r | ope as 2.5 | $5 \times 10^7 \mathrm{Pa}$ | l . | |
| | | | nple coul | d hold bef | ore breaki | ng was 1. | 9 kg. | |
| mple. | | | | | | | | |
| | breaki | ng stress | s, a stude | nt used 1 | U | 00 g slotted | oug slotted masses n | oog stotted masses hung vertie |
| m iui er | ple. m m was | ple. m mass tha was 0.95 r turer gives | m mass that the sar was 0.95 mm. turer gives the brea | ple. m mass that the sample coul was 0.95 mm. turer gives the breaking stre | ple. m mass that the sample could hold before was 0.95 mm. turer gives the breaking stress of the re- | ple. m mass that the sample could hold before breaking was 0.95 mm. turer gives the breaking stress of the rope as 2.5. | m mass that the sample could hold before breaking was 1.9 was 0.95mm . turer gives the breaking stress of the rope as $2.55 \times 10^7 \text{Pa}$ | ple. m mass that the sample could hold before breaking was 1.9 kg. |

TOTAL FOR PAPER = 50 MARKS



List of data, formulae and relationships

| Acceleration of free fall | $g = 9.81 \text{ m s}^{-2}$ | (close to Earth's surface) |
|---------------------------|-----------------------------|-----------------------------|
| receivation of free fair | g 7.01 m s | (close to Lartii s surface) |

Electron charge
$$e = -1.60 \times 10^{-19} \,\mathrm{C}$$

Electron mass
$$m_e = 9.11 \times 10^{-31} \text{kg}$$

Electronvolt
$$1 \text{ eV} = 1.60 \times 10^{-19} \text{ J}$$

Gravitational field strength
$$g = 9.81 \text{ N kg}^{-1}$$
 (close to Earth's surface)

Planck constant
$$h = 6.63 \times 10^{-34} \,\mathrm{J s}$$

Speed of light in a vacuum $c = 3.00 \times 10^8 \,\mathrm{m \, s^{-1}}$

Unit 1

Mechanics

Kinematic equations of motion
$$s = \frac{(u+v)t}{2}$$

$$v = u + at$$

$$s = ut + \frac{1}{2}at^2$$

$$v^2 = u^2 + 2as$$

Forces
$$\Sigma F = ma$$

$$g = \frac{F}{m}$$

$$W = mg$$

Momentum
$$p = mv$$

Moment of force
$$= Fx$$

Work and energy
$$\Delta W = F \Delta s$$

$$E_{\rm k} = \frac{1}{2} \, m v^2$$

$$\Delta E_{\rm grav} = mg\Delta h$$

$$P = \frac{E}{t}$$

$$P = \frac{W}{t}$$

$$efficiency = \frac{useful energy output}{total energy input}$$

Power

Materials

Density $\rho = \frac{m}{V}$

Stokes' law $F = 6\pi \eta r v$

Hooke's law $\Delta F = k\Delta x$

Elastic strain energy $\Delta E_{\rm el} = \frac{1}{2} F \Delta x$

Young modulus $E = \frac{\sigma}{\varepsilon}$ where

Stress $\sigma = \frac{F}{A}$

Strain $\varepsilon = \frac{\Delta x}{x}$

Unit 2

Waves

Wave speed $v = f\lambda$ Speed of a transverse wave on a string $v = \sqrt{\frac{T}{\mu}}$

Intensity of radiation $I = \frac{P}{A}$

Refractive index $n_1 \sin \theta_1 = n_2 \sin \theta_2$

 $n = \frac{c}{v}$

Critical angle $\sin C = \frac{1}{n}$

Diffraction grating $n\lambda = d\sin\theta$

Electricity

Potential difference $V = \frac{W}{Q}$

Resistance $R = \frac{V}{I}$

Electrical power, energy P = VI

 $P=I^2R$

 $P = \frac{V^2}{R}$

W = VIt

Resistivity $R = \frac{\rho l}{A}$

Current $I = \frac{\Delta Q}{\Delta t}$

I = nqvA

Resistors in series $R = R_1 + R_2 + R_3$

Resistors in parallel $\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$

Quantum physics

Photon model E = hf

Einstein's photoelectric $hf = \phi + \frac{1}{2} m v_{\text{max}}^2$

equation

de Broglie wavelength $\lambda = \frac{h}{p}$



