

cases	doc_1		doc_2		decision	id
	authors	<ul style="list-style-type: none">Saksman, E.Soto, T.	authors	<ul style="list-style-type: none">Eero SaksmanTomás Soto	DUPLICATES	1066
	title	Traces of Besov, Triebel-Lizorkin and Sobolev Spaces on Metric Spaces	title	Traces of Besov, Triebel-Lizorkin and Sobolev spaces on metric spaces		
	publication_date	2017-12-20 00:00:00	publication_date	2016-06-28 14:31:02+00:00		
	source	SupportedSources.CROSSREF	source	SupportedSources.ARXIV		
	journal		journal	None		
	volume		volume			
	doi	10.1515/agms-2017-0006	doi			
	urls	<ul style="list-style-type: none">http://content.sciendo.com/view/journals/agms/5/1/article-p98.xmlhttps://www.degruyter.com/document/doi/10.1515/agms-2017-0006/xmlhttps://www.degruyter.com/document/doi/10.1515/agms-2017-0006/pdfhttp://dx.doi.org/10.1515/agms-2017-0006	urls	<ul style="list-style-type: none">http://arxiv.org/pdf/1606.08729v1http://arxiv.org/abs/1606.08729v1http://arxiv.org/pdf/1606.08729v1		
	id	id5970823729187709964	id	id-1004513865114827234		
	abstract		abstract	We establish trace theorems for function spaces defined on general Ahlfors regular metric spaces Z . The results cover the Triebel-Lizorkin spaces and the Besov spaces for smoothness indices $s < 1$, as well as the first order Hajlasz-Sobolev space $M^{1,p}(Z)$. They generalize the classical results from the Euclidean setting, since the traces of these function spaces onto any closed Ahlfors regular subset $F \subset Z$ are Besov spaces defined intrinsically on F . Our method employs the definitions of the function spaces via hyperbolic fillings of the underlying metric space.		
	versions		versions			