	doc_1		doc_2		decision	id
cases			authors	Nguyen Cong Phuc     Monica Torres		
	-		title	Characterizations of signed measures in the dual of \$BV\$ and related isometric isomorphisms	]	
	authors	<ul><li>Nguyen Huu Huy Phuc</li><li>Monica Torres</li></ul>	publication_date	2015-03-20 19:54:26+00:00		
			source	SupportedSources.ARXIV		
	title	Characterizations of signed measures in the dual of \$BV\$ and related isometric isomorphisms	journal	None		
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				• http://arxiv.org/pdf/1503.06208v1		
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	journal	arXiv (Cornell University)		<ul> <li>http://arxiv.org/pdf/1503.06208v1</li> </ul>		1189
	volume		id	id-6350975287158879111		
	doi	None		We characterize all (signed) measures in $BV_{\frac{n-1}}(\mathbb{R}^n)^*$ , where $BV_{\frac{n-1}}(\mathbb{R}^n)$ is defined as the space of all functions		
	urls	https://openalex.org/W1812629752		\$\\$\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\		
	id	id1266858253512507843		is a finite vector-valued measure. As a consequence of our characterizations, an old issue raised in Meyers-Ziemer [MZ] is resolved by constructing a locally integrable		
	abstract			function \$f\$ such that \$f\$ belongs to \$BV(\mathbb{R}^n)^{*}\$ but \$ f \$ does not. Moreover, we show that the measures in \$BV_{\frac {n} {n-1}}(\mathbb{R}^n)^*\$ coincide with the measures in \$\dot W^{1,1}(\mathbb{R}^n)^*\$, the dual of the homogeneous Sobolev space \$\dot W^{1,1}(\mathbb{R}^n)\$, in the sense of isometric		
	versions			isomorphism. For a bounded open set \$\Omega\$ with Lipschitz boundary, we characterize the measures in the dual space \$BV_0(\Omega)^*\$. One of the goals of this paper is to make precise the definition of \$BV_0(\Omega)\$, which is the space of functions of bounded variation with zero trace on the boundary of \$\Omega\$. We show that the measures in \$BV_0(\Omega)^*\$ coincide with the measures in \$W^{1,1}_0(\Omega)^*\$. Finally, the class of finite measures in \$BV(\Omega)^*\$ is also characterized.		