

|       |                  |   |  |   |          |    |
|-------|------------------|---|--|---|----------|----|
| cases | doc_1            |   | doc_2  |   | decision | id |
|       | authors          | <ul style="list-style-type: none"><li>Josef F. Dorfmeister</li><li>Jun-ichi Inoguchi</li><li>Shimpei Kobayashi</li></ul>  | DUPLICATES   | 7 |          |    |
|       | title            | A loop group method for affine harmonic maps into Lie groups  |  |   |          |    |
|       | publication_date | 2016-01-01 00:00:00   |  |   |          |    |
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|       | volume           |   |  |   |          |    |
|       | doi              | 10.1016/j.aim.2016.04.018   |  |   |          |    |
|       | urls             | <ul style="list-style-type: none"><li>https://web.archive.org/web/20190426154847/https://eprints.lib.hokudai.ac.jp/dspace/bitstream/2115/71318/1/DoInKo2-2016-April-11-revise-black.pdf</li></ul>   |  |   |          |    |
|       | id               | id9013977629142772455   |  |   |          |    |
|       | abstract         | We generalize the Uhlenbeck-Segal theory for harmonic maps into compact semi-simple Lie groups to general Lie groups equipped with torsion free bi-invariant connection. . suggestions to improve the paper. In particular, Section 3.5 has been modified according to the suggestion by him/her. 1. Preliminaries 1.1. Basic facts. Let M be a manifold and E a vector bundle over M and denote by $\hat{I}^{\pm}(E)$ the space of all smooth sections of the vector bundle E. The space $\hat{I}^{\pm}(\wedge^r T^* M \hat{\wedge} S^{\pm} E)$ is denoted by $\hat{I}^{\pm}(r)(E)$ . An element of $\hat{I}^{\pm}(r)(E)$ is called an E-valued r-form on M . In case $E = M \hat{\wedge} V$ is a trivial vector bundle over M with standard fiber V , then $\hat{I}^{\pm}(r)(M \hat{\wedge} V)$ is denoted by $\hat{I}^{\pm}(r)(M ; V )$ . An element of $\hat{I}^{\pm}(r)(M ; V )$ is called a V -valued r-form on M . By definition, for $\hat{I}^{\pm} \hat{\wedge}^{\pm} \hat{I}^{\pm}(r)(M ; V )$ and $X_1 , X_2 , \hat{A} \cdot \hat{A} \cdot \hat{A} \cdot , X_r \hat{\wedge}^{\pm} \hat{I}^{\pm}(T M )$ , $\hat{I}^{\pm}(X_1 , X_2 , \hat{A} \cdot \hat{A} \cdot \hat{A} \cdot , X_r) \hat{\wedge}^{\pm} C \hat{\wedge}^{\pm} \hat{Z}(M, V )$ . Next let G be a Lie group with Lie algebra g. Take a bilinear map $\hat{A}_{\mu} : g \hat{\wedge} g \hat{\wedge}^{\pm} g$ . Then for $\hat{I}^{\pm}, \hat{I}^2 \hat{\wedge}^{\pm} \hat{I}^{\pm}(1(M ; g))$ , we define a g-valued 2-form $\hat{A}_{\mu}(\hat{I}^{\pm} \hat{\wedge}^{\pm} \hat{I}^2)$ by $\hat{A}_{\mu}(\hat{I}^{\pm} \hat{\wedge}^{\pm} \hat{I}^2)(X, Y) := \hat{A}_{\mu}(\hat{I}^{\pm}(X), \hat{I}^2(Y)) \hat{\wedge}^{\pm} \hat{A}_{\mu}(\hat{I}^{\pm}(Y), \hat{I}^2(X))$ 3 |  |   |          |    |
|       | versions         |   |  |   |          |    |
|       |                  |   |  |   |          |    |
|       |                  | authors   | <ul style="list-style-type: none"><li>Josef F. Dorfmeister</li><li>Jun-ichi Inoguchi</li><li>Shimpei Kobayashi</li></ul>   |   |          |    |
|       |                  | title   | A loop group method for affine harmonic maps into Lie groups   |   |          |    |
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|       |                  | urls  | <ul style="list-style-type: none"><li>https://web.archive.org/web/20200829123302/https://arxiv.org/pdf/1405.0333v1.pdf</li></ul>   |   |          |    |
|       |                  | id  | id4408682632419762124  |   |          |    |
|       |                  | abstract  | We generalize the Uhlenbeck-Segal theory for harmonic maps into compact semi-simple Lie groups to general Lie groups equipped with torsion free bi-invariant connection. |   |          |    |
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