

cases	doc_1		doc_2		decision	id
	authors	<ul style="list-style-type: none"><li>Joao Faria Martins</li><li>Aleksandar Mikovic</li></ul>	authors	<ul style="list-style-type: none"><li>Joao Faria Martins</li><li>Aleksandar Mikovic</li></ul>	DUPLICATES	127
	title	Lie crossed modules and gauge-invariant actions for 2-BF theories	title	Lie crossed modules and gauge-invariant actions for 2-BF theories		
	publication_date	2010-06-04 14:24:58+00:00	publication_date	2010-08-02 00:00:00		
	source	SupportedSources.ARXIV	source	SupportedSources.INTERNET_ARCHIVE		
	journal	Adv. Theor. Math. Phys. Volume 15, Number 4 (2011), 1059-1084	journal			
	volume		volume			
	doi		doi			
	urls	<ul style="list-style-type: none"><li>http://arxiv.org/pdf/1006.0903v3</li><li>http://arxiv.org/abs/1006.0903v3</li><li>http://arxiv.org/pdf/1006.0903v3</li></ul>	urls	<ul style="list-style-type: none"><li>https://archive.org/download/arxiv-1006.0903/1006.0903.pdf</li></ul>		
	id	id-6973030443704445727	id	id-7870434330690001643		
	abstract	We generalize the BF theory action to the case of a general Lie crossed module $(H \curvearrowright G)$ , where $G$ and $H$ are non-abelian Lie groups. Our construction requires the existence of $G$ -invariant non-degenerate bilinear forms on the Lie algebras of $G$ and $H$ and we show that there are many examples of such Lie crossed modules by using the construction of crossed modules provided by short chain complexes of vector spaces. We also generalize this construction to an arbitrary chain complex of vector spaces, of finite type. We construct two gauge-invariant actions for 2-flat and fake-flat 2-connections with auxiliary fields. The first action is of the same type as the BFCG action introduced by Girelli, Pfeiffer and Popescu for a special class of Lie crossed modules, where $H$ is abelian. The second action is an extended BFCG action which contains an additional auxiliary field. However, these two actions are related by a field redefinition. We also construct a three-parameter deformation of the extended BFCG action, which we believe to be relevant for the construction of non-trivial invariants of knotted surfaces embedded in the four-sphere.	abstract	We generalize the BF theory action to the case of a general Lie crossed module $(H \hat{\curvearrowright} G)$ , where $G$ and $H$ are non-abelian Lie groups. Our construction requires the existence of $G$ -invariant non-degenerate bilinear forms on the Lie algebras of $G$ and $H$ and we show that there are many examples of such Lie crossed modules by using the construction of crossed modules provided by short chain complexes of vector spaces. We also generalize this construction to an arbitrary chain complex of vector spaces, of finite type. We construct two gauge-invariant actions for 2-flat and fake-flat 2-connections with auxiliary fields. The first action is of the same type as the BFCG action introduced by Girelli, Pfeiffer and Popescu for a special class of Lie crossed modules, where $H$ is abelian. The second action is an extended BFCG action which contains an additional auxiliary field. However, these two actions are related by a field redefinition. We also construct a three-parameter deformation of the extended BFCG action, which we believe to be relevant for the construction of non-trivial invariants of knotted surfaces embedded in the four-sphere.		
	versions		versions			