	doc_1		doc_2		decision	id
cases	authors	• A. Kozhevnikov	authors	Alexander Kozhevnikov Alexander G. Ramm		
	authors	Alexander G.Ramm	title	Integral Operators Basic in Random Fields Estimation Theory		
	title	Integral Operators Basic in Random Fields Estimation Theory	<u> </u>	2004-05-03 15:24:04+00:00		
	publication_date 2004-05-03 00:00:00		source	SupportedSources.ARXIV		
	source	SupportedSources.SEMANTIC_SCHOLAR	journal	None		
	journal	arXiv: Mathematical Physics	volume			
	volume		doi			
	doi			http://arxiv.org/pdf/math-ph/0405002v1	DUPLICATES	310
	urls	https://www.semanticscholar.org/paper/c351553937b48e240f838cc1911a3956b14fb436	urls	 http://arxiv.org/abs/math-ph/0405002v1 http://arxiv.org/pdf/math-ph/0405002v1 	ng es	35 310
	id	id-8798107781112640688	:	id1851573468644438838		
	abstract versions	The paper deals with the basic integral equation of random field estimation theory by the criterion of minimum of variance of the error estimate. This integral equation is of the first kind. The corresponding integra\$ operator over a bounded domain \$\Omega \$ in \${\Bbb R}^{n}\$ is weakly singular. This operator is an isomorphism between appropriate Sobolev spaces. This is proved by a reduction of the integral equ\$ an elliptic boundary value problem in the domain exterior to \$\Omega .\$ Extra difficulties arise due to the fact that the exterior boundary value problem should be solved in the Sobolev spaces of negative order.	abstract	The paper deals with the basic integral equation of random field estimation theory by the criterion of minimum of variance of the error estimate. This integral equation is of the first kind. The corresponding integra\$ operator over a bounded domain \$\Omega \$ in \${\Bbb R}^{n}\$ is weakly singular. This operator is an isomorphism between appropriate Sobolev spaces. This is proved by a reduction of the integral equ\$ an elliptic boundary value problem in the domain exterior to \$\Omega .\$ Extra difficulties arise due to the fact that the exterior boundary value problem should be solved in the Sobolev spaces of negative order.		
			versions			