

cases	doc_1		doc_2		decision	id
					DUPLICATES	819
			authors	<ul style="list-style-type: none"><li>Isabel Fern�andez</li><li>Pablo Mira</li></ul>		
			title	Constant mean curvature surfaces in 3-dimensional Thurston geometries		
			publication_date	2010-04-27 00:00:00		
			source	SupportedSources.INTERNET_ARCHIVE		
			journal			
			volume			
			doi			
			urls	<ul style="list-style-type: none"><li>https://archive.org/download/arxiv-1004.4752/1004.4752.pdf</li></ul>		
			id	id7135597286022955052		
			abstract	This is a survey on the global theory of constant mean curvature surfaces in Riemannian homogeneous 3-manifolds. These ambient 3-manifolds include the eight canonical Thurston 3-dimensional geometries, i.e. $R^3$ , $H^3$ , $S^3$ , $H^2 \times R$ , $S^2 \times R$ , the Heisenberg space $Nil^3$ , the universal cover of $PSL_2(R)$ and the Lie group $Sol^3$ . We will focus on the problems of classifying compact CMC surfaces and entire CMC graphs in these spaces. A collection of important open problems of the theory is also presented. Mathematics Subject Classification (2010). 53A10, 53C42		
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