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		• Thanasutives, P.	authors	Pongpisit Thanasutives Masayuki Numao Ken-ichi Fukui		
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	journal		urls	 https://web.archive.org/web/20210514094809/https://arxiv.org/pdf/2104.14320v2.pdf 		$\ _{207}$
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	urls	 http://xplorestaging.ieee.org/ielx7/9533266/9533267/09533606.pdf? arnumber=9533606 http://dx.doi.org/10.1109/ijcnn52387.2021.9533606 	I i	Recently, researchers have utilized neural networks to accurately solve partial differential equations (PDEs), enabling the mesh-free method for scientific computation. Unfortunately, the network performance drops when encountering a high nonlinearity domain. To improve the generalizability, we introduce the novel approach of employing multi-task learning techniques, the uncertainty-weighting loss and the gradients surgery, in the context of learning PDE solutions. The multi-task scheme exploits the benefits of learning shared representations, controlled by cross-stitch modules, between multiple related PDEs, which are obtainable by varying the PDE		
	id	id-4858413925544463040	abstract	parameterization coefficients, to generalize better on the original PDE. Encouraging the network pay closer attention to the high		
	abstract			nonlinearity domain regions that are more challenging to learn, we also propose adversarial training for generating supplementary high-		
	versions			loss samples, similarly distributed to the original training distribution. In the experiments, our proposed methods are found to be effective and reduce the error on the unseen data points as compared to the previous approaches in various PDE examples, including		
				high-dimensional stochastic PDEs.		
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