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	authors	<ul style="list-style-type: none">Zhongwei Shen	authors	<ul style="list-style-type: none">Zhongwei Shen	DUPLICATES	77
	title	Lectures on Periodic Homogenization of Elliptic Systems	title	Lectures on Periodic Homogenization of Elliptic Systems		
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	urls	<ul style="list-style-type: none">http://arxiv.org/pdf/1710.11257v1http://arxiv.org/abs/1710.11257v1http://arxiv.org/pdf/1710.11257v1	urls	<ul style="list-style-type: none">https://www.semanticscholar.org/paper/5e7844a3c19b9349e71aecdbc11a58aca61794d5		
	id	id4408766698690418854	id	id2092484511626640937		
	abstract	In recent years considerable advances have been made in quantitative homogenization of partial differential equations in the periodic and non-periodic settings. This monograph surveys the theory of quantitative homogenization for second-order linear elliptic systems in divergence form with rapidly oscillating periodic coefficients, $\mathcal{L}_e = -\text{div} \big(A(x/e) \nabla \big)$, in a bounded domain Ω in \mathbb{R}^d . It begins with a review of the classical qualitative homogenization theory, and addresses the problem of convergence rates of solutions. The main body of the monograph investigates various interior and boundary regularity estimates (Hölder, Lipschitz, $W^{1,p}$, nontangnetial-maximal-function) that are uniform in the small parameter $e > 0$. Additional topics include convergence rates for Dirichlet eigenvalues and asymptotic expansions of fundamental solutions, Green functions, and Neumann functions. Part of this monograph is based on lecture notes for courses the author taught at several summer schools and at the University of Kentucky. Much of material in Chapters 6 and 7 is taken from his joint papers \cite{KLS-2013, KLS-2014} with Carlos Kenig and Fang-Hua Lin, and from \cite{KS-2011-L} with Carlos Kenig.	abstract	In recent years considerable advances have been made in quantitative homogenization of partial differential equations in the periodic and non-periodic settings. This monograph surveys the theory of quantitative homogenization for second-order linear elliptic systems in divergence form with rapidly oscillating periodic coefficients, $\mathcal{L}_e = -\text{div} \big(A(x/e) \nabla \big)$, in a bounded domain Ω in \mathbb{R}^d . It begins with a review of the classical qualitative homogenization theory, and addresses the problem of convergence rates of solutions. The main body of the monograph investigates various interior and boundary regularity estimates (Hölder, Lipschitz, $W^{1,p}$, nontangnetial-maximal-function) that are uniform in the small parameter $e > 0$. Additional topics include convergence rates for Dirichlet eigenvalues and asymptotic expansions of fundamental solutions, Green functions, and Neumann functions. Part of this monograph is based on lecture notes for courses the author taught at several summer schools and at the University of Kentucky. Much of material in Chapters 6 and 7 is taken from his joint papers \cite{KLS-2013, KLS-2014} with Carlos Kenig and Fang-Hua Lin, and from \cite{KS-2011-L} with Carlos Kenig.		
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