

cases	doc_1		doc_2		decision	id
			authors	<ul style="list-style-type: none">Z. YoshidaP. J. Morrison	DUPLICATES	1071
	authors	<ul style="list-style-type: none">Zensho YoshidaPhilip J. Morrison	title	Unfreezing Casimir invariants: singular perturbations giving rise to forbidden instabilities		
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	id	id6072997055366149463	id	id8855027101422534416		
	abstract		abstract	The infinite-dimensional mechanics of fluids and plasmas can be formulated as "noncanonical" Hamiltonian systems on a phase space of Eulerian variables. Singularities of the Poisson bracket operator produce singular Casimir elements that foliate the phase space, imposing topological constraints on the dynamics. Here we proffer a physical interpretation of Casimir elements as \emph{adiabatic invariants} ---upon coarse graining microscopic angle variables, we obtain a macroscopic hierarchy on which the separated action variables become adiabatic invariants. On reflection, a Casimir element may be \emph{unfrozen} by recovering a corresponding angle variable; such an increase in the number of degrees of freedom is, then, formulated as a \emph{singular perturbation}. As an example, we propose a canonization of the resonant-singularity of the Poisson bracket operator of the linearized magnetohydrodynamics equations, by which the ideal obstacle (resonant Casimir element) constraining the dynamics is unfrozen, giving rise to a tearing-mode instability.		
	versions		versions			