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	authors	<ul style="list-style-type: none">Biegert, M.	<table><tr><td>authors</td><td><ul style="list-style-type: none">Markus Biegert</td></tr><tr><td>title</td><td>Lattice Homomorphisms between Sobolev Spaces</td></tr><tr><td>publication_date</td><td>2008-07-17 00:00:00</td></tr><tr><td>source</td><td>SupportedSources.INTERNET_ARCHIVE</td></tr><tr><td>journal</td><td></td></tr><tr><td>volume</td><td></td></tr><tr><td>doi</td><td></td></tr><tr><td>urls</td><td><ul style="list-style-type: none">https://archive.org/download/arxiv-0805.4740/0805.4740.pdf</td></tr><tr><td>id</td><td>id-3074079583176126081</td></tr><tr><td>abstract</td><td>We show that every vector lattice homomorphism T between Sobolev spaces can be represented by a composition and a multiplication, that is, T is of the form $Tu(x)=u(h(x))g(x)$ for quasi every/almost every x and all u.</td></tr><tr><td>versions</td><td></td></tr></table>				authors	<ul style="list-style-type: none">Markus Biegert	title	Lattice Homomorphisms between Sobolev Spaces	publication_date	2008-07-17 00:00:00	source	SupportedSources.INTERNET_ARCHIVE	journal		volume		doi		urls	<ul style="list-style-type: none">https://archive.org/download/arxiv-0805.4740/0805.4740.pdf	id	id-3074079583176126081	abstract	We show that every vector lattice homomorphism T between Sobolev spaces can be represented by a composition and a multiplication, that is, T is of the form $Tu(x)=u(h(x))g(x)$ for quasi every/almost every x and all u.	versions		NOT DUPLICATES	1463
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