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	authors	<ul style="list-style-type: none">Anna AnopTetiana Kasirenko	authors	<ul style="list-style-type: none">A. AnopT. Kasirenko	DUPLICATES	1111
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	id	id-1194238734996323238	id	id-5885306826384845294		
	abstract	We investigate general elliptic boundary-value problems in H^s -Sobolev inner product spaces that form the extended Sobolev scale. The latter consists of all Hilbert spaces that are interpolation spaces with respect to the Sobolev Hilbert scale. We prove that the operator corresponding to an arbitrary elliptic problem is Fredholm in appropriate couples of the H^s -Sobolev spaces and induces a collection of isomorphisms on the extended Sobolev scale. We obtain a local a priori estimate for generalized solutions to this problem and prove a theorem on their local regularity in the H^s -Sobolev spaces. We find new sufficient conditions under which generalized derivatives (of a given order) of the solutions are continuous.	abstract	We investigate general elliptic boundary-value problems in H^s -Sobolev inner product spaces that form the extended Sobolev scale. The latter consists of all Hilbert spaces that are interpolation spaces with respect to the Sobolev Hilbert scale. We prove that the operator corresponding to an arbitrary elliptic problem is Fredholm in appropriate couples of the H^s -Sobolev spaces and induces a collection of isomorphisms on the extended Sobolev scale. We obtain a local a priori estimate for generalized solutions to this problem and prove a theorem on their local regularity in the H^s -Sobolev spaces. We find new sufficient conditions under which generalized derivatives (of a given order) of the solutions are continuous.		
	versions		versions			