

cases	doc_1		doc_2		decision	id
			authors	<ul style="list-style-type: none">Amy DeCelles	DUPLICATES	1339
	authors	<ul style="list-style-type: none">Amy T. DeCelles	title	An exact formula relating lattice points in symmetric spaces to the automorphic spectrum		
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	doi	10.1215/ijm/1391178549	urls	<ul style="list-style-type: none">https://archive.org/download/arxiv-1104.5406/1104.5406.pdf		
	urls	<ul style="list-style-type: none">https://web.archive.org/web/20170809220047/http://personal.stthomas.edu/dece4515/mynotes/lattice_pt_app.pdf	id	id-5075560136478636149		
	id	id2926402585987525659	abstract	We extract an exact formula relating the number of lattice points in an expanding region of a complex semi-simple symmetric space and the automorphic spectrum from a spectral identity, which is obtained by producing two expressions for the automorphic fundamental solution of the invariant differential operator $(\hat{a}^* \hat{f} \hat{a}^* \hat{I})_{1/2}$. On one hand, we form a Poincaré series from the solution to the corresponding differential equation on the free space G/K , which is obtained using the harmonic analysis of bi- K -invariant functions. On the other hand, a suitable global automorphic Sobolev theory, developed in this paper, enables us to use the harmonic analysis of automorphic forms to produce a solution in terms of the automorphic spectrum.		
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