

cases	doc_1		doc_2		decision	id
	authors	<ul style="list-style-type: none"><li>Luca Capogna</li><li>Enrico Le Donne</li></ul>	authors	<ul style="list-style-type: none"><li>Luca Capogna</li><li>Enrico Le Donne</li></ul>	DUPLICATES	15
	title	Smoothness of subRiemannian isometries	title	Smoothness of subRiemannian isometries		
	publication_date	2016-01-01 00:00:00	publication_date	2014-02-25 00:00:00		
	source	SupportedSources.INTERNET_ARCHIVE	source	SupportedSources.INTERNET_ARCHIVE		
	journal	Johns Hopkins University Press	journal			
	volume		volume			
	doi	10.1353/ajm.2016.0043	doi			
	urls	<ul style="list-style-type: none"><li>https://web.archive.org/web/20200307074858/https://arpi.unipi.it/retrieve/handle/11568/982603/465854/Capogna_LeDonne-isometries-2015-03-11.pdf</li></ul>	urls	<ul style="list-style-type: none"><li>https://web.archive.org/web/20200824005328/https://arxiv.org/pdf/1305.5286v2.pdf</li></ul>		
	id	id-3588486963777601662	id	id7154251145831301905		
	abstract	We show that the group of isometries (i.e., distance-preserving homeomorphisms) of an equiregular subRiemannian manifold is a finite-dimensional Lie group of smooth transformations. The proof is based on a new PDE argument, in the spirit of harmonic coordinates, establishing that in an arbitrary subRiemannian manifold there exists an open dense subset where all isometries are smooth.	abstract	We show that the group of isometries (i.e., distance-preserving homeomorphisms) of an equiregular subRiemannian manifold is a finite-dimensional Lie group of smooth transformations. The proof is based on a new PDE argument, in the spirit of harmonic coordinates, establishing that in an arbitrary subRiemannian manifold there exists an open dense subset where all isometries are smooth.		
	versions		versions			