

cases	doc_1		doc_2		decision	id
					DUPLICATES	238
			authors	<ul style="list-style-type: none"><li>Frederic Bernicot</li></ul>		
			title	Maximal inequalities for dual Sobolev spaces $W^{-1,p}$ and applications to interpolation		
			publication_date	2008-12-16 14:39:08+00:00		
			source	SupportedSources.ARXIV		
			journal	None		
			volume			
			doi			
			urls	<ul style="list-style-type: none"><li>http://arxiv.org/pdf/0812.3075v1</li><li>http://arxiv.org/abs/0812.3075v1</li><li>http://arxiv.org/pdf/0812.3075v1</li></ul>		
			id	id4234591875442442204		
			abstract	We firstly describe a maximal inequality for dual Sobolev spaces $W^{-1,p}$ . This one corresponds to a "Sobolev version" of usual properties of the Hardy-Littlewood maximal operator in Lebesgue spaces. Even in the euclidean space, this one seems to be new and we develop arguments in the general framework of Riemannian manifold. Then we present an application to obtain interpolation results for Sobolev spaces.		
			versions			
	authors	<ul style="list-style-type: none"><li>Frederic Bernicot</li></ul>				
	title	Maximal inequalities for dual Sobolev spaces $W^{-1,p}$ and applications to interpolation				
	publication_date	2008-12-16 00:00:00				
	source	SupportedSources.INTERNET_ARCHIVE				
	journal					
	volume					
	doi					
	urls	<ul style="list-style-type: none"><li>https://archive.org/download/arxiv-0812.3075/0812.3075.pdf</li></ul>				
	id	id-8941749427991816509				
	abstract	We firstly describe a maximal inequality for dual Sobolev spaces $W^{-1,p}$ . This one corresponds to a "Sobolev version" of usual properties of the Hardy-Littlewood maximal operator in Lebesgue spaces. Even in the euclidean space, this one seems to be new and we develop arguments in the general framework of Riemannian manifold. Then we present an application to obtain interpolation results for Sobolev spaces.				
	versions					