	doc_1		doc_2		decision	id
	authors	Fernández Delgado, Isabel Mira, Pablo	authors	Isabel Fernandez Pablo Mira		
	title	Constant mean curvature surfaces in 3-dimensional Thurston geometries	title	Constant mean curvature surfaces in 3-dimensional Thurston geometries		
	publication_date   2011-01-01 00:00:00		publication_date   2010-04-27 00:00:00			
	source	SupportedSources.CORE	source	SupportedSources.INTERNET_ARCHIVE	DUPLICATES 816	
	journal		journal			
	volume		volume			
cases	doi	10.1142/9789814324359_0076	doi			
	urls	https://core.ac.uk/download/288003420.pdf	urls	https://archive.org/download/arxiv-1004.4752/1004.4752.pdf		
	id	id-5415712182306693939	id	id7135597286022955052		
	abstract	This is a survey on the global theory of constant mean curvature surfaces in Riemannian homogeneous 3-manifolds. These ambient 3-manifolds include the eight canonical Thurston 3-dimensional geometries, i.e. R3, H3, S3, H2 ×R, S2 ×R, the Heisenberg space Nil3, the universal cover of PSL2(R) and the Lie group Sol3. We will focus on the problems of classifying compact CMC surfaces and entire CMC graphs in these spaces. A collection of important open problems of the theory is also presented. Ministerio de Educación y Ciencia MTM2007-65249 Junta de AndalucÃa FQM325 Junta de AndalucÃa P06-FQM-0164	abatwaat	This is a survey on the global theory of constant mean curvature surfaces in Riemannian homogeneous 3-manifolds. These ambient 3-manifolds include the eight canonical Thurston 3-dimensional geometries, i.e. R3, H3, S3, H2 \times R, S2 \times R, the Heisenberg space Nil3, the universal cover of PSL2(R) and the Lie group Sol3. We will focus on the problems of classifying compact CMC surfaces and entire CMC graphs in these spaces. A collection of important open problems of the theory is also presented.		
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