

cases	doc_1		doc_2		decision	id
			authors	<ul style="list-style-type: none"><li>Joaquim Bruna</li></ul>	DUPLICATES	312
	authors	<ul style="list-style-type: none"><li>J. Bruna</li></ul>	title	L^p estimates for Riesz transforms on forms in the Poincare space H^n		
	title	L^p estimates for Riesz transforms on forms in the Poincare space H^n	publication_date	2004-11-25 09:28:36+00:00		
	publication_date	2004-11-25 00:00:00	source	SupportedSources.ARXIV		
	source	SupportedSources.SEMANTIC_SCHOLAR	journal	None		
	journal	arXiv: Analysis of PDEs	volume			
	volume		doi			
	doi		urls	<ul style="list-style-type: none"><li>http://arxiv.org/pdf/math/0411569v1</li><li>http://arxiv.org/abs/math/0411569v1</li><li>http://arxiv.org/pdf/math/0411569v1</li></ul>		
	urls	<ul style="list-style-type: none"><li>https://www.semanticscholar.org/paper/e6f1e77723da123580af3f50791715599e3908fb</li></ul>	id	id8473789152861044096		
	id	id-7641292473930828713	abstract	Using hyperbolic form convolution with doubly isometry-invariant kernels, the explicit expression of the inverse of the de Rham laplacian acting on m-forms in the Poincar'\{e} space is found. Also, by means of some estimates for hyperbolic singular integrals, we obtain L^p-estimates for the Riesz transforms passing from the Laplacian to other covariant derivatives, in a range of p depending on m,n. Finally, using these, it is shown that the Laplacian defines topological isomorphisms in the scale of form Sobolev spaces, for m different from n/2,(n+1)/2,(n-1)/2.		
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