

cases	doc_1		doc_2		decision	id
					DUPLICATES	44
	authors	<ul style="list-style-type: none"><li>Robert F. Penna</li><li>Claire Zukowski</li></ul>	authors	<ul style="list-style-type: none"><li>Robert F. Penna</li><li>Claire Zukowski</li></ul>		
	title	Kinematic space and the orbit method	title	Kinematic space and the orbit method		
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	urls	<ul style="list-style-type: none"><li>https://web.archive.org/web/20210427095843/https://pure.uva.nl/ws/files/54650898/Penna_Zukowski2019_Article_KinematicSpaceAndTheOrbitMetho.pdf</li></ul>	urls	<ul style="list-style-type: none"><li>https://web.archive.org/web/20191018145927/https://arxiv.org/pdf/1812.02176v1.pdf</li></ul>		
	id	id4650231769472721312	id	id-4963571021521682259		
	abstract	Kinematic space has been defined as the space of codimension-2 spacelike extremal surfaces in anti de Sitter (AdS d+1 ) spacetime which, by the Ryu-Takayanagi proposal, compute the entanglement entropy of spheres in the boundary CFT d . It has recently found many applications in holography. Coadjoint orbits are symplectic manifolds that are the classical analogues of a Lie group's unitary irreducible representations. We prove that kinematic space is a particular coadjoint orbit of the d-dimensional conformal group SO(d, 2) . In addition, we show that the Crofton form on kinematic space associated to AdS 3 , that was shown to compute the lengths of bulk curves, is equal to the standard Kirillov-Kostant symplectic form on the coadjoint orbit. Since kinematic space is K��hler in addition to symplectic, it can be quantized. The orbit method extends the kinematic space dictionary, which was originally motivated through connections to integral geometry, by directly translating geometrical properties of holographic auxiliary spaces into statements about the representation theory of the conformal group.	abstract	Kinematic space has been defined as the space of codimension-2 spacelike extremal surfaces in anti de Sitter (AdS_d+1) spacetime which, by the Ryu-Takayanagi proposal, compute the entanglement entropy of spheres in the boundary CFT_d. It has recently found many applications in holography. Coadjoint orbits are symplectic manifolds that are the classical analogues of a Lie group's unitary irreducible representations. We prove that kinematic space is a particular coadjoint orbit of the d-dimensional conformal group SO(d,2). In addition, we show that the Crofton form on kinematic space associated to AdS_3, that was shown to compute the lengths of bulk curves, is equal to the standard Kirillov-Kostant symplectic form on the coadjoint orbit. Since kinematic space is K��hler in addition to symplectic, it can be quantized. The orbit method extends the kinematic space dictionary, which was originally motivated through connections to integral geometry, by directly translating geometrical properties of holographic auxiliary spaces into statements about the representation theory of the conformal group.		
	versions		versions			