

cases	doc_1		doc_2		decision	id
	authors	<ul style="list-style-type: none">Shibing ChenRupert FrankTobias Weth	authors	<ul style="list-style-type: none">Shibing ChenRupert L. FrankTobias Weth	DUPLICATES	1312
	title	Remainder terms in the fractional Sobolev inequality	title	Remainder terms in the fractional Sobolev inequality		
	publication_date	2013-01-01 00:00:00	publication_date	2012-05-25 00:00:00		
	source	SupportedSources.INTERNET_ARCHIVE	source	SupportedSources.INTERNET_ARCHIVE		
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	urls	<ul style="list-style-type: none">https://web.archive.org/web/20180722143614/https://authors.library.caltech.edu/77132/1/1205.5666.pdf	urls	<ul style="list-style-type: none">https://archive.org/download/arxiv-1205.5666/1205.5666.pdf		
	id	id-7967561717252834819	id	id368981238239953157		
	abstract	We show that the fractional Sobolev inequality for the embedding $s \hat{\wedge} (0, N)$ can be sharpened by adding a remainder term proportional to the distance to the set of optimizers. As a corollary, we derive the existence of a remainder term in the weak $L^N N \hat{\wedge} s$ -norm for functions supported in a domain of finite measure. Our results generalize earlier work for the non-fractional case where s is an even integer.	abstract	We show that the fractional Sobolev inequality for the embedding $L^{2N/N-s(\wedge N)}, s \hat{\wedge} (0,N)$ can be sharpened by adding a remainder term proportional to the distance to the set of optimizers. As a corollary, we derive the existence of a remainder term in the weak $L^{N/N-s}$ -norm for functions supported in a domain of finite measure. Our results generalize earlier work for the non-fractional case where s is an even integer.		
	versions		versions			