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| | **id** | id3976573950376003810 | **id** | id6536245698394927741 | | |
| | **abstract** | | **abstract** | We show that every vector lattice homomorphism $T$ between Sobolev spaces can be represented by a composition and a multiplication, that is, $T$ is of the form $Tu(x)=u(h(x))g(x)$ for quasi every/almost every $x$ and all $u$. | | |
| | **versions** | | **versions** | | | |