

cases	doc_1		doc_2		decision	id
	authors	<ul style="list-style-type: none">V. Gol'dshteinA. Ukhlov	authors	<ul style="list-style-type: none">V.Gol'dshteinA.Ukhlov	DUPLICATES	1311
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	id	id7615961242912841949	id	id4904304854109298407		
	abstract	The Riemann Mapping Theorem states existence of a conformal homeomorphism φ of a simply connected plane domain $\Omega \subset \mathbb{C}$ with non-empty boundary onto the unit disc $\mathbb{D} \subset \mathbb{C}$. In the first part of the paper we study embeddings of Sobolev spaces $\overset{\circ}{W}_{p}^1(\Omega)$ into weighted Lebesgue spaces $L_q(\Omega, h)$ with an "universal" weight that is Jacobian of φ i.e. $h(z):=J(z, \varphi)= \varphi'(z) ^2$. Weighted Lebesgue spaces with such weights depend only on a conformal structure of Ω . By this reason we call the weights $h(z)$ conformal weights. In the second part of the paper we prove compactness of embeddings of Sobolev spaces $\overset{\circ}{W}_{2}^1(\Omega)$ into $L_q(\Omega, h)$ for any $1 \leq q<\infty$. With the help of Brennan's conjecture we extend these results to Sobolev spaces $\overset{\circ}{W}_{p}^1(\Omega)$. In this case q is not arbitrary and depends on p and the summability exponent for Brennan's conjecture. Applications to elliptic boundary value problems are demonstrated in the last part of the paper.	abstract	The Riemann Mapping Theorem states existence of a conformal homeomorphism $\tilde{\varphi}$ of a simply connected plane domain $\tilde{\Omega} \subset \mathbb{C}$ with non-empty boundary onto the unit disc $\mathbb{D} \subset \mathbb{C}$. In the first part of the paper we study embeddings of Sobolev spaces $\tilde{W}_{p}^1(\tilde{\Omega})$ into weighted Lebesgue spaces $L_q(\tilde{\Omega}, h)$ with an "universal" weight that is Jacobian of $\tilde{\varphi}$ i.e. $h(z):=J(z, \tilde{\varphi})= \tilde{\varphi}'(z) ^2$. Weighted Lebesgue spaces with such weights depend only on a conformal structure of $\tilde{\Omega}$. By this reason we call the weights $h(z)$ conformal weights. In the second part of the paper we prove compactness of embeddings of Sobolev spaces $\tilde{W}_{2}^1(\tilde{\Omega})$ into $L_q(\tilde{\Omega}, h)$ for any $1 \leq q<\infty$. With the help of Brennan's conjecture we extend these results to Sobolev spaces $\tilde{W}_{p}^1(\tilde{\Omega})$. In this case q is not arbitrary and depends on p and the summability exponent for Brennan's conjecture. Applications to elliptic boundary value problems are demonstrated in the last part of the paper.		
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