

cases	doc_1		doc_2		decision	id
	authors	<ul style="list-style-type: none"><li>V. Los</li><li>A. Murach</li></ul>	authors	<ul style="list-style-type: none"><li>Valerii Los</li><li>Aleksandr Murach</li></ul>	DUPLICATES	1191
	title	Isomorphism theorems for some parabolic initial-boundary value problems in $H^{\tilde{\alpha}}$ -rmander spaces	title	Isomorphism theorems for some parabolic initial-boundary value problems in $H^{\tilde{\alpha}}$ -rmander spaces		
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	id	id3207097661706212868	id	id-5537020325044177205		
	abstract	Abstract In $H^{\tilde{\alpha}}$ -rmander inner product spaces, we investigate initial-boundary value problems for an arbitrary second order parabolic partial differential equation and the Dirichlet or a general first-order boundary conditions. We prove that the operators corresponding to these problems are isomorphisms between appropriate $H^{\tilde{\alpha}}$ -rmander spaces. The regularity of the functions which form these spaces is characterized by a pair of number parameters and a function parameter varying regularly at infinity in the sense of Karamata. Owing to this function parameter, the $H^{\tilde{\alpha}}$ -rmander spaces describe the regularity of functions more finely than the anisotropic Sobolev spaces.	abstract	In $H^{\alpha}$ -ormander inner product spaces, we investigate initial-boundary value problems for an arbitrary second order parabolic partial differential equation and the Dirichlet or a general first-order boundary conditions. We prove that the operators corresponding to these problems are isomorphisms between appropriate $H^{\alpha}$ -ormander spaces. The regularity of the functions which form these spaces is characterized by a pair of number parameters and a function parameter varying regularly at infinity in the sense of Karamata. Owing to this function parameter, the $H^{\alpha}$ -ormander spaces describe the regularity of functions more finely than the anisotropic Sobolev spaces.		
	versions		versions			