

High Performance Computing

Autumn, 2018

Lecture 4

Importing/running code

Consider our `mysqrt.py` file

- **Within python terminal, can import module:**

```
In [60]: import mysqrt
```

- **To ‘re-import’ module after making changes to code, use `importlib.reload`:**

```
In [61]: import importlib
```

```
In [62]: importlib.reload(mysqrt)
```

Importing/running code

Consider our `mysql.py` file

- **Within python terminal, can import module:**

```
In [60]: import mysql
```

- **To 're-import' module after making changes to code, use `importlib.reload`:**

```
In [61]: import importlib
```

```
In [62]: importlib.reload(mysql)
```

- **Can also use `run` command:**

```
In [63]: run mysql
```

- **Scripts can be executed from Unix terminal:**

```
$ python mysql.py
```

Timing and performance

There are a few simple approaches for getting timing information:

- **Can use** `run -t` or `run -p` **when running scripts in ipython terminal**
- **Can also use** `timeit` **command, e.g.** IN [01]: `timeit mysql.py`

Timing and performance

There are a few simple approaches for getting timing information:

- **Can use** `run -t` or `run -p` when running scripts in `ipython` terminal
- **Can also use** `timeit` command, e.g. IN [01]: `timeit mysql.py`
- **Set *timers* in your code using the `time` module, e.g.**

```
#Newton's method
```

```
t1 = time.time() #start timer 1
```

```
tp1 = time.process_time() #start timer 2
```

```
for i in range(imax):
```

```
    x1 = x0/2 + a/(2*x0)
```

```
    print("iteration %d, x = %16.14f" %(i+1,x1))
```

```
    del_x = abs(x1-x0)
```

```
    if del_x < tol:
```

```
        print("converged!")
```

```
        break
```

```
    x0 = x1
```

```
t2 = time.time() #t2-t1 gives wallclock time
```

```
tp2 = time.process_time() #tp2-tp1 gives cpu time -- depends on number of cores!
```

Random walks and Brownian motion

- Consider equations of the form:

$$X(t+dt) = X(t) + F[X(t),dt]$$

- Here, X and F , are both random variables
- Simplest example: $F = \pm dx$ based on flip of a coin \rightarrow random walk
 - $\langle X(t+n*dt) \rangle = 0$
 - $\text{Var}\{X(t+n*dt)\} = v t$ where $v = dx^2/dt = \text{constant}$
- If we consider particle motion, F should be a *continuous* random variable

Numpy example: Brownian motion

- Consider Brownian motion on a line:

$$X(t + dt) = X(t) + \sqrt{dt} \mathcal{N}(0, 1)$$

- What is the best way to compute a single realization with T steps?
- To compute an ensemble of M realizations?
- Simplest approach: two for loops

Numpy example: Brownian motion

- Consider Brownian motion on a line:

$$X(t + dt) = X(t) + \sqrt{dt} \mathcal{N}(0, 1)$$

- What is the best way to compute a single realization with T steps?
- To compute an ensemble of M realizations?
- Simplest approach: two for loops
- However, with interpreted languages, avoid for loops whenever possible!
 - *vectorize your code*