

05 libaldo math intro

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```
[1]: from sympy import *
      from polyclass import *
      from libaldo_math import *
      from libaldo_show import *
      from physic_lib import *
      from IPython.display import display, Math
      init_printing()
```

0.0.1 Introduccion to libaldo_math library

The libaldo_math library includes several functions that will make the handling of equations and their solution easier. Although there are several ways to apply regular functions I have decided to include a short explanation as they make my life easier when solving algebraic problems, it is worth mentioning that all these functions are based on the sympy library which until today I think is the best of it. better but I think or have not yet learned how to handle variables and try to express them without using the Latex language which for me is very complicated, I hope it will be helpful

In this part I am going to separate it into 4 subparts and they are:

- * regulars functions
- * opemat() used to simplify
- * csolve() used to solve equations
- * fpoly() to get a lot of equations propieties and change

Of course i will try to compare whit sympy method..

Regular functions()

```
[2]: # frs():return numeric but symbolyc fraction
      # regular form
      3/5
```

```
[2]: 0.6
```

```
[3]: frs(3,5) # with libaldo_mat
```

```
[3]:  $\frac{3}{5}$ 
```

```
[4]: 1+2/3
```

```
[4]: 1.666666666666667
```

```
[5]: 1+frs(2,3)
```

```
[5]: 5  
      3
```

```
[6]: # pow number  
      2**(2/7)
```

```
[6]: 1.21901365420448
```

```
[7]: pow(2,2/7)
```

```
[7]: 1.21901365420448
```

```
[10]: kpow(2,frs(2,7))# with libaldo_mat
```

```
[10]: 22/7
```

```
[12]: sqrt(2/32)
```

```
[12]: 0.25
```

```
[13]: rpow(2,32) # with libaldo_mat
```

```
[13]: 32√2
```

```
[14]: sex2rad(90) # sexagesimal to radians
```

```
[14]:  $\frac{\pi}{2}$ 
```

```
[15]: rad2sex(pi/2)
```

```
[15]: 90.0
```

0.0.2 opemat() function is used to simplyfy follo the secuense string...

```
[16]: x,y,alpha=symbols('x y alpha')
```

```
[28]: Eq1= kpow(3*x+y,2)+kpow(-x*y+6*y+5*x,2)  
      Eq1
```

```
[28]:  $(3x + y)^2 + (-xy + 5x + 6y)^2$ 
```

```
[32]: Eq1= kpow(3*x+y,2)+kpow(-x-2*y,2)  
      Eq1
```

```
[32]:  $(-x - 2y)^2 + (3x + y)^2$ 
```

```
[34]: opemat(Eq1,'ef') # e=expand f=factor
```

```
[34]: 5 (2x2 + 2xy + y2)
```

```
[36]: opemat(Eq1,'es') # e=expand s=simplify
```

```
[36]: 10x2 + 10xy + 5y2
```

```
[37]: Eq2=2*sin(alpha)+3*cos(2*alpha)
Eq2
```

```
[37]: 2 sin (α) + 3 cos (2α)
```

```
[38]: opemat(Eq2,'xt') # trig expand and later
```

```
[38]: 2 sin (α) + 6 cos2 (α) − 3
```

```
[28]: Eq1= kpow(3*x+y,2)+kpow(-x*y+6*y+5*x,2)
Eq1
```

```
[28]: (3x + y)2 + (−xy + 5x + 6y)2
```

0.0.3 part(), inpart(), cpart()

```
[39]: # I hope the examples explain themselves that they do these functions
# creating simple Equation
Eq1= kpow(x,y)*rpow(3*y,2*x)/(kpow(sin(alpha),3))
Eq1
```

```
[39]: 
$$\frac{x^y (3y)^{\frac{x}{2}}}{\sin^3(\alpha)}$$

```

```
[40]: # part(expr,address)
part(Eq1,[0])
```

```
[40]: xy
```

```
[43]: part(Eq1,[0,0])
```

```
[43]: x
```

```
[44]: part(Eq1,[0,1])
```

```
[44]: y
```

```
[45]: part(Eq1,[1])
```

```
[45]: (3y) $\frac{x}{2}$ 
```

```
[46]: part(Eq1,[1,0])
```

[46]: $3y$

```
[47]: part(Eq1, [1, 1])
```

[47]: $\frac{x}{2}$

```
[48]: part(Eq1, [2])
```

[48]: $\frac{1}{\sin^3(\alpha)}$

```
[51]: part(Eq1, [2, 0, 0])
```

[51]: α

```
[54]: # inpart(expr, repl, address)
      beta=symbols('beta')
      Eq1
```

[54]: $\frac{x^y (3y)^{\frac{x}{2}}}{\sin^3(\alpha)}$

```
[56]: inpart(Eq1, beta, [2, 0, 0])
```

[56]: $\frac{x^y (3y)^{\frac{x}{2}}}{\sin^3(\beta)}$

```
[57]: # cpart(expr, address) Show where are the expression choice
      cpart(Eq1, [2, 0, 0])
```

[57]: $Set\left(\frac{x^y (3y)^{\frac{x}{2}}}{\sin^3(PART)}, \alpha\right)$

```
[58]: cpart(Eq1, [1, 1])
```

[58]: $Set\left(\frac{x^y (3y)^{PART}}{\sin^3(\alpha)}, \frac{x}{2}\right)$

0.0.4 csolve() is used to solve equations

csolve() is based in solve and solveset from sympy but whit a little change to get most usefull answer and if you want nice answer.. for exaple

```
[61]: Eq3= 3*x+15*y-20; Eq3 # we know that in python and sympy single eq if like_
      ↪ equal cero
```

[61]: $3x + 15y - 20$

```
[64]: # with sympy the return is a list and maybe not useful in this moment
solve(Eq3,x)
```

```
[64]:
```

$$\left[\frac{20}{3} - 5y \right]$$

```
[65]: # with libalido math
csolve(Eq3,x)
```

```
[65]:
```

$$\frac{20}{3} - 5y$$

```
[66]: # also we can store in new val and return nice answer like
x=csolve(Eq3,x,'x')
```

$$x = \frac{20}{3} - 5y$$

```
[68]: x,y,alpha=symbols('x y alpha')
```

```
[69]: Eq2=2*sin(alpha)+3*cos(2*alpha)-5*x
Eq2
```

```
[69]:
```

$$-5x + 2\sin(\alpha) + 3\cos(2\alpha)$$

```
[70]: csolve(Eq2,x)
```

```
[70]:
```

$$\frac{2\sin(\alpha)}{5} + \frac{3\cos(2\alpha)}{5}$$

```
[74]: x=csolve(Eq2,x,'x',kope='x') # solve x ,nice 'x=', simplyfy expand and sim trig
```

$$x = \frac{2\sin(\alpha)}{5} + \frac{6\cos^2(\alpha)}{5} - \frac{3}{5}$$

fpoly() is used to get info and maybe manage Eq and some internal function describe [here](#)

```
[ ]: x
```

```
[ ]:
```

$$\frac{2\sin(\alpha)}{5} + \frac{6\cos^2(\alpha)}{5} - \frac{3}{5}$$

```
[ ]: fpoly(x,'list') # list args Eq
```

```
[ ]:
```

$$\left[-\frac{3}{5}, \frac{2\sin(\alpha)}{5}, \frac{6\cos^2(\alpha)}{5} \right]$$

```
[ ]: fpoly(x,'n') # num term Eq
```

```
[ ]:
```

$$3$$

```
[ ]: fpoly(x,'free') # list symbols in Eq
```

```
[ ]: [α]
```

Here some fpoly optionssss

```
[2]: x,y,alpha=symbols('x y alpha') # some samples
```

```
[3]: Eq4=2*sin(alpha)+3*cos(2*alpha)-5*x+30*y
Eq4
```

```
[3]:  $-5x + 30y + 2\sin(\alpha) + 3\cos(2\alpha)$ 
```

```
[4]: fpoly(Eq4,'free') # list of symbols in Eq4
```

```
[4]: [y, x, α]
```

```
[5]: fpoly(Eq4,'n') # numargs like len(Eq4.args) whit sympy
```

```
[5]: 4
```

```
[6]: fpoly(Eq4,'list') # list of args in Eq4
```

```
[6]:  $[-5x, 2\sin(\alpha), 3\cos(2\alpha), 30y]$ 
```

```
[7]: fpoly(Eq4,'get',1) # get arg No 1
```

```
[7]:  $2\sin(\alpha)$ 
```

```
[8]: x
```

```
[8]:  $x$ 
```

```
[9]: fpoly(x,'list') # list args Eq
```

```
[9]: [x]
```

```
[10]: fpoly(x,'n') # num term Eq
```

```
[10]: 1
```

```
[11]: fpoly(x,'free') # list symbols in Eq
```

```
[11]: [x]
```

```
[12]: x,y,alpha=symbols('x y alpha')
```

```
[13]: Eq4=2*sin(alpha)+3*cos(2*alpha)-5*x+30*y
Eq4
```

```
[13]:  $-5x + 30y + 2\sin(\alpha) + 3\cos(2\alpha)$ 
```

```
[14]: fpoly(Eq4, 'free') # list symbols in Eq
```

```
[14]: [y, x,  $\alpha$ ]
```

```
[15]: fpoly(Eq4, 'n') # numargs like len(Eq4.args) whit sympy
```

```
[15]: 4
```

```
[16]: fpoly(Eq4, 'list') # list of args in Eq4
```

```
[16]: [-5x, 2 sin( $\alpha$ ), 3 cos(2 $\alpha$ ), 30y]
```

```
[17]: fpoly(Eq4, 'get', 1) # get arg No 1
```

```
[17]: 2 sin( $\alpha$ )
```

```
[ ]:
```