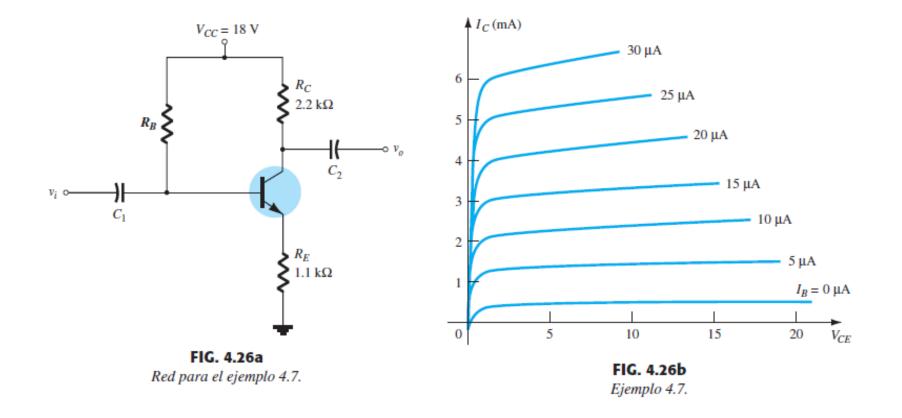
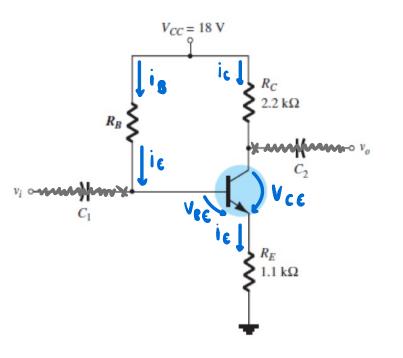
Problemas BJT



- a. Trace la recta de carga para la red de la figura 4.26a en las características del transistor que aparece en la figura 4.26b.
- b. Para un punto Q en la intersección de la recta de carga con una corriente de base de $20~\mu A$, determine los valores de I_{C_Q} y V_{CE_Q} .
- c. Determine la beta de cd en el punto Q.
- d. Utilizando la beta de la red determinada en la parte c, calcule el valor requerido de R_B y sugiera un posible valor estándar.



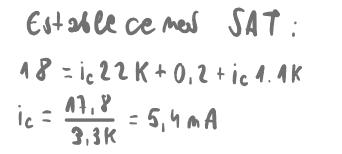
$$V_{CC} = i_{C}R_{C} + V_{CE} + i_{E}R_{E}$$

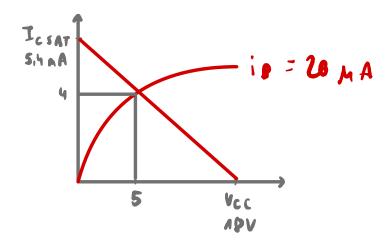
$$V_{CC} = i_{B}R_{B} + V_{BE} + i_{E}R_{E}$$

$$i_{E} = i_{C} + i_{B}$$

$$i_{CSA_{T}} \longrightarrow SA_{T} \rightarrow V_{CE/SA_{T}} = 0.2V$$

$$i_{C} \leq \beta i_{B}$$



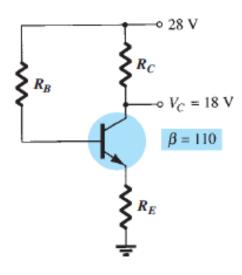


Supasición:

$$i \in = i_C + i_B = \beta i_B + i_B = (\beta + 1) i_B$$

Si $\beta > 100$; $(\beta + 1) \approx \beta$
 $[i \in \approx \beta i_B = i_C$

EJEMPLO 4.23 La configuración de polarización de emisor de la figura 4.61 tiene las siguientes especificaciones: $I_{C_Q} = \frac{1}{2}I_{\text{sat}}$, $I_{C_{\text{sat}}} = 8$ mA, $V_C = 18$ V, y $\beta = 110$. Determine R_C , R_E , y R_B .



$$I_{CSAT} = \frac{1}{2} i_{CSAT} = \frac{1}{4} A = ACTIVA$$

$$I_{CSAT} = \frac{1}{2} A = ACTIVA$$

$$I_{CSAT}$$

$$I_{CSAT} = \frac{1}{2}i_{CSAT} = 4_{AA} = 4_{CTIVA}$$

$$I_{CSAT} = 8_{AA}$$

$$I_{CSAT} = 8_{AA}$$

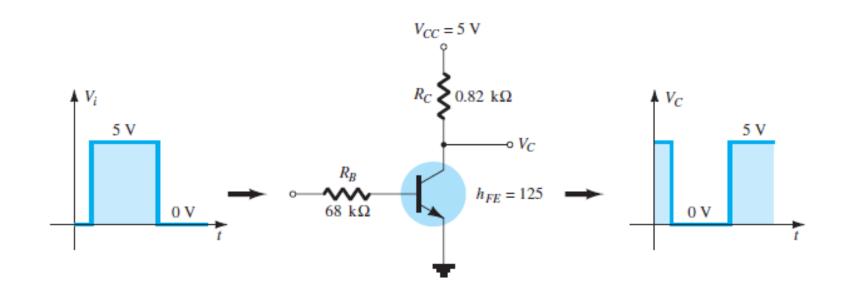
$$I_{c} = \beta I_{g} \rightarrow I_{g} = \frac{\gamma_{m}A}{440}$$

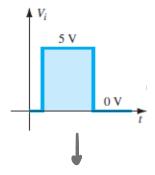
$$I_{c} = I_{c} + I_{g} = \gamma_{m} + \frac{\gamma_{m}}{440} \approx \gamma_{m}A$$

$$V_{ce} = i_c R_c + V_{ce} + i_e R_e / 4 \rightarrow 28 = 4 m R_c + 18 \rightarrow R_c = \frac{10}{4m} = 2.5 k \Omega$$

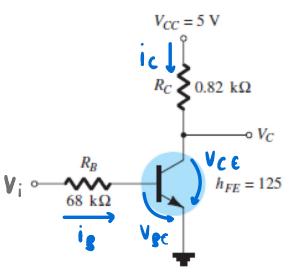
$$V_{cc} = i_B R_B + i_e R_e / 4$$

$$V_{cc} = i_B R_B + i_e R_e / 4$$





$$V_{c} = V_{c\varepsilon} \left\langle \begin{array}{c} SAT & V_{c\varepsilon} SAT = 0.2V \\ \hline CORTE & V_{c\varepsilon} = V_{cc} = 5V \\ \hline V_{i} = 0V \end{array} \right.$$

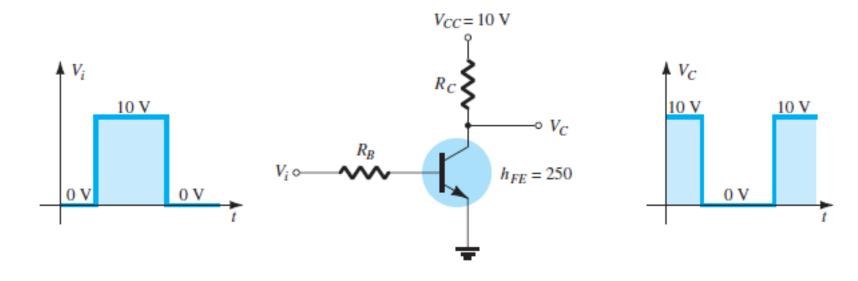


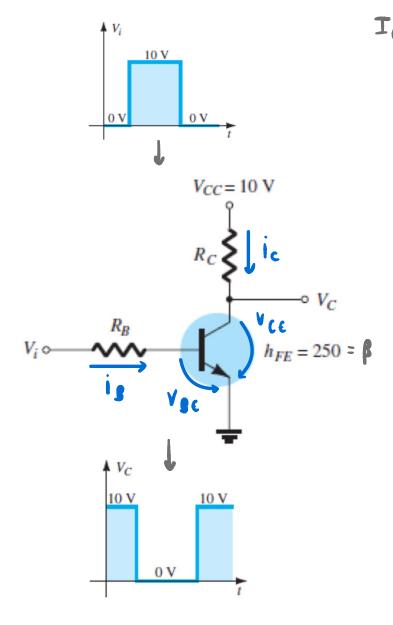
$$V_{CC} = i_{C} R_{C} + V_{CE}$$

$$V_{i} = i_{R} R_{R} + V_{RE} ; 5 = i_{R} COK + 0.7 \rightarrow i_{R} = 6.4 \mu A$$

$$V_{i} = i_{R} R_{R} + V_{RE} ; 5 = i_{R} COK + 0.7 \rightarrow i_{R} = 6.4 \mu A$$

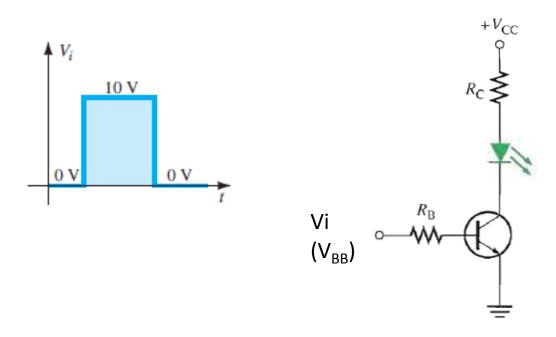
EJEMPLO 4.31 Determine R_B y R_C para el inversor de transistor de la figura 4.80 si $I_{C_{\text{sat}}} = 10 \text{ mA}$.

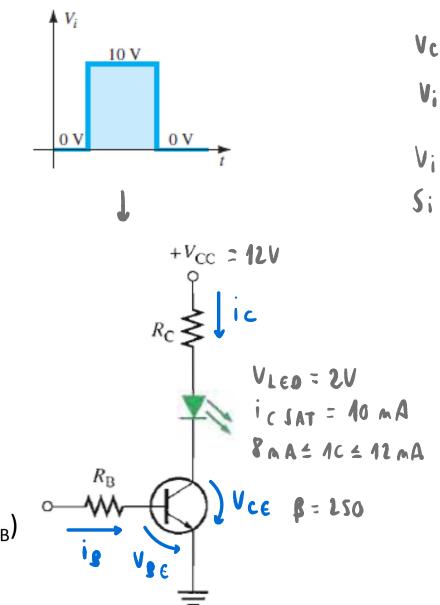




Vec = icRe + Vee
$$\rightarrow$$
 10 = icsAT Re + 0,1
10 = 10 M Re + 0,1 \rightarrow Re = 980 L
Vi = isRe + Vee \rightarrow 10 = igRe + 0,7 \rightarrow is = $\frac{10 \text{ m}}{20}$ = 0,04 m = 40 M A
Re = 250 = β

Vcc=12V;
$$V_{LED}$$
= 2V; β =250; $I_{LED-min}$ =8mA, I_{LED_nom} =12mA.





Vcc = ic Rc + VLEO + Vce

$$V_i = ig Rg + Vgg$$
 $V_i = 0 \longrightarrow CORTE \longrightarrow i_{LEO} = i_C = \emptyset A$ Led apagedo

 $S_i V_i = 10 \longrightarrow Led$ excendido

(Activa $\rightarrow SCI$) No recessorio (Probar 10 SAT)

Foregamos SA7 $\longrightarrow i_C \leq g_i g$
 $12 = 10 m R_C + 2 + 0, 2 ; R_C = 98 m \Omega$
 $12 = 10 m R_C + 2 + 0, 3 ; R_B = \frac{10m}{150} = 40 m \Omega$
 $12 = 10 m R_C + 2 + 0, 3 ; R_B = \frac{10m}{150} = 40 m \Omega$
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 $12 = 10 m R_C + 2 + 0, 3 ; R_C = \frac{10m}{150} = 40 m \Omega$