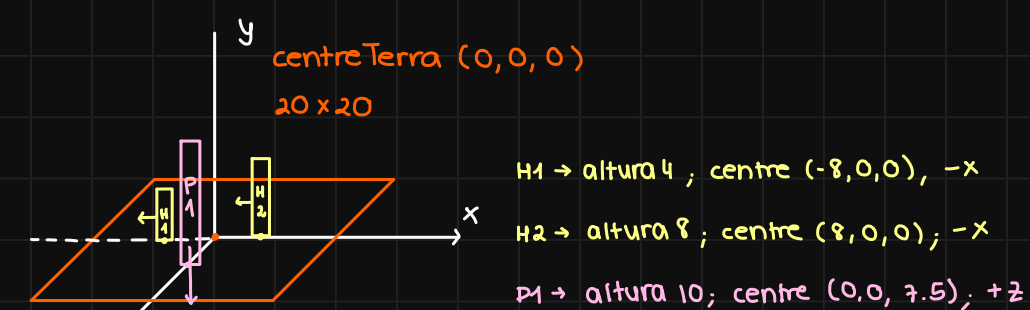


notebook

GOOD MONDAYS PAPER



a) Homer : (Hminx, Hminy, Hminz), (Hmaxx, Hmaxy, Hmaxz), +z ⇒ -x

```
glm::mat4 TGHomer (centre, alçada) {
```

```
    TG = I; // resetagem TG
```

```
    escala = alçada / (Hmaxy - Hminy);
```

```
    cBase = ((Hminx + Hmaxx)/2, Hminy, (Hminz + Hmaxz)/2);
```

```
    TG = TG * translate (centre);
```

```
    TG = TG * rotate (-90, (0,1,0));
```

```
    TG = TG * scale (escala, escala, escala);
```

```
    TG = TG * translate (-cBase);
```

```
    return (TG);
```

```
}
```

b) TG1 = TGHomer ((-8,0,0), 4)

```
modelMatrix (TG1);
```

```
pintaModel (Homer);
```

TG2 = TGHomer ((8,0,0), 8)

```
modelMatrix (TG2);
```

```
pintaModel (Homer);
```

TG3 = TGPatriúo ((0,0,3.5), 10)

```
modelMatrix (TG3);
```

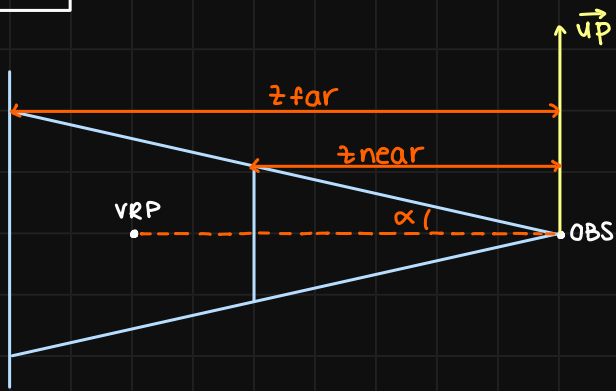
```
pintaModel (Patriúo);
```

TG4 = I;

```
modelMatrix (TG4);
```

```
pintaModel (Terra);
```


CAMARA



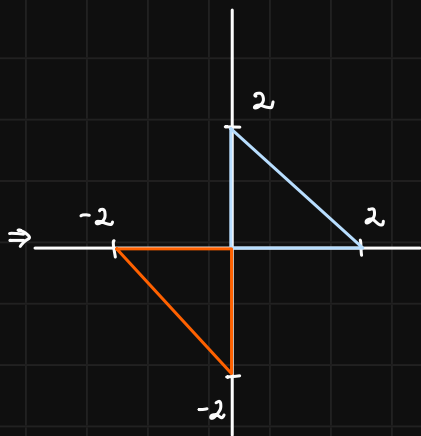
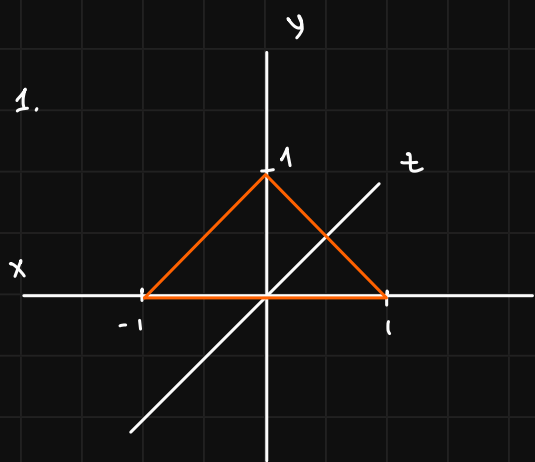
- VRP = centro de la escena (caja contenedora)
- OBS = punto de origen de la cam \Rightarrow OBS = VRP + $d \cdot \overbrace{(0,0,1)}^{\text{dir. de visión}}$
plano al que queremos que sea paralelo ↙
- u_p = vector vertical que orienta la cam.

CAMARA PERSPECTIVA

- ra_w = relación de aspecto $\Rightarrow ra_w = a_w / h_w$ $h_w = 2 \cdot z_{near} \cdot \tan(\alpha)$
- z_{near} = distancia entre el OBS y el inicio de la escena $\Rightarrow z_{near} = \frac{d=2R}{d} - Radi$
- z_{far} = distancia entre el OBS y el final de la escena $\Rightarrow z_{far} = d + Radi$
- FOV = grado de apertura de la cámara $\Rightarrow FOV = 2\alpha = 2 \cdot \arcsin(ra_w)$

FORMULITAS

- $\alpha = \arcsin\left(\frac{R}{d}\right) \Rightarrow FOV = 2 \arcsin\left(\frac{R}{d}\right)$
- $P_{medio} = (P_{max} + P_{min}) / 2$
- $R = \sqrt{(P_{med,x})^2 + (P_{med,y})^2 + (P_{med,z})^2}$



tg-triangle() {

 TG2 = I;

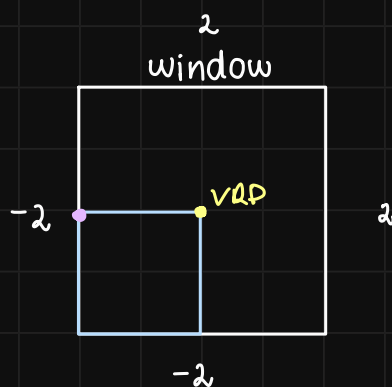
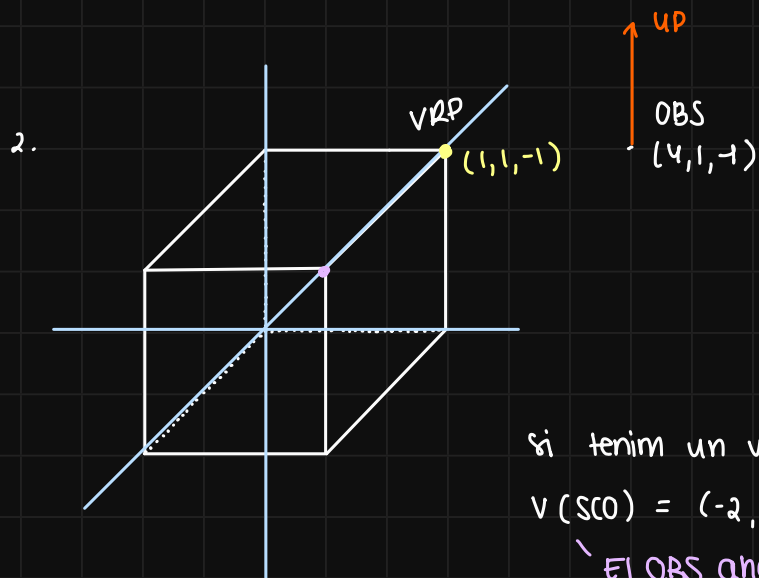
 TG2 = TG * rotate(-45, (0, 0, 1))

 TG2 = TG * scale(2/√2, 2/√2, 2/√2)

 TG2 = TG * translate(0, -1, 0)

 return(TG2)

* mi lado vale $\sqrt{2}$ yo quiero que valga 2 \Rightarrow escala = $2/\sqrt{2}$



OBS - VRP

$d = (4, 1, -1) - (1, 1, -1) = (3, 0, 0)$

$z_{near} = 3$ costat ub

$z_{far} = 3 + 2 = 5$

* punt mes proper i punt més llunyà

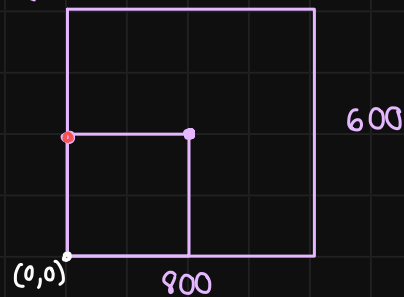
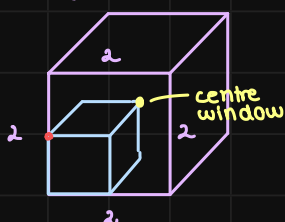
Si tenim un viewport de 800x600 dona les coord. del cub del V(1,1,1) en

$V(SCO) = (-2, 0, -3)$

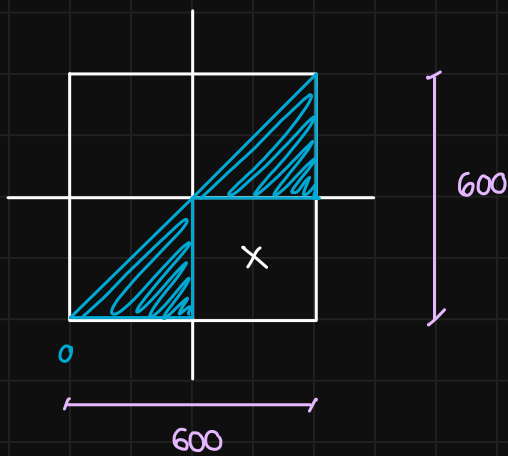
$V(SCN) = (-1, 0, 1)$

$V(SCD) = (0, 300)$

El OBS ahora es el (0,0,0)



3. Cuadrat $V1(-1, -1, 0)$, $V2(1, -1, 0)$, $V3(1, 1, 0)$, $V4(-1, 1, 0)$

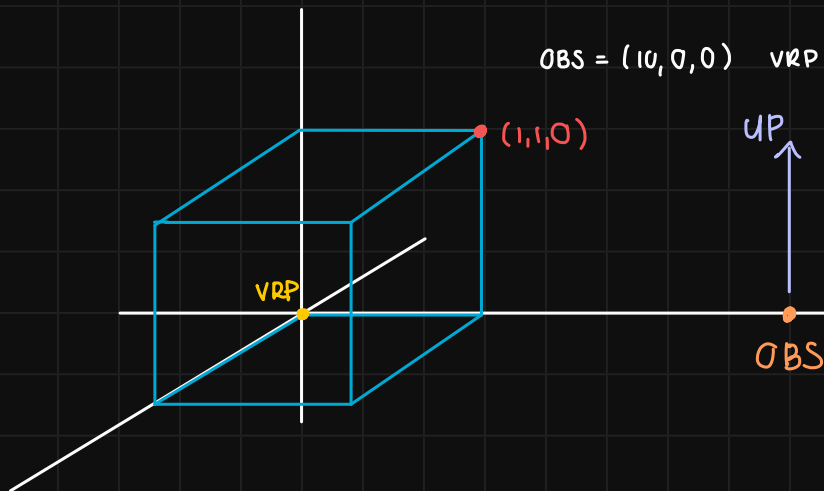


$x > 300 + y < 300$ o $y > x \Rightarrow$ color fons
sino pinta RGB (0,0,1) Blue

4. RGB (0.7, 0.7, 0)

a) RGB (0.7, 0, 0)

5.



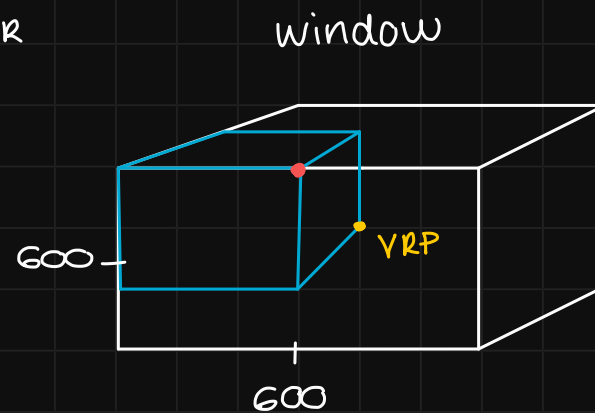
OBS = (10, 0, 0) VRP = (0, 0, 0) UP = (0, 1, 0)

$z_{near} = 5 \rightarrow 5 = 10 - R$

$z_{far} = 15$

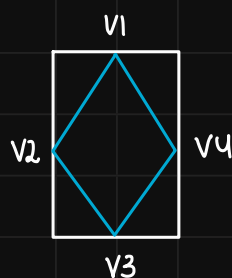
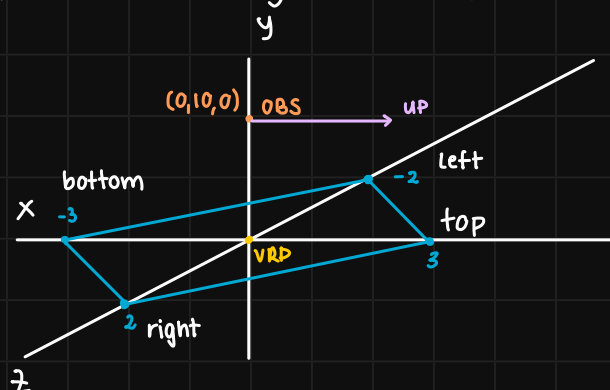
$d = 10$ $R = 5$

$P = (300, 600)$



6. $V1(3,0,0)$, $V2(0,0,-2)$, $V3(-3,0,0)$, $V4(0,0,2)$

a) càmera ortogonal viewport 400×800



$VM = lookAt(OBS, VRP, UP)$
 $PM = ortho(left, right, bottom, top, z_{near}, z_{far})$

$VM = lookAt(0,10,0, 0,0,0, 1,0,0)$

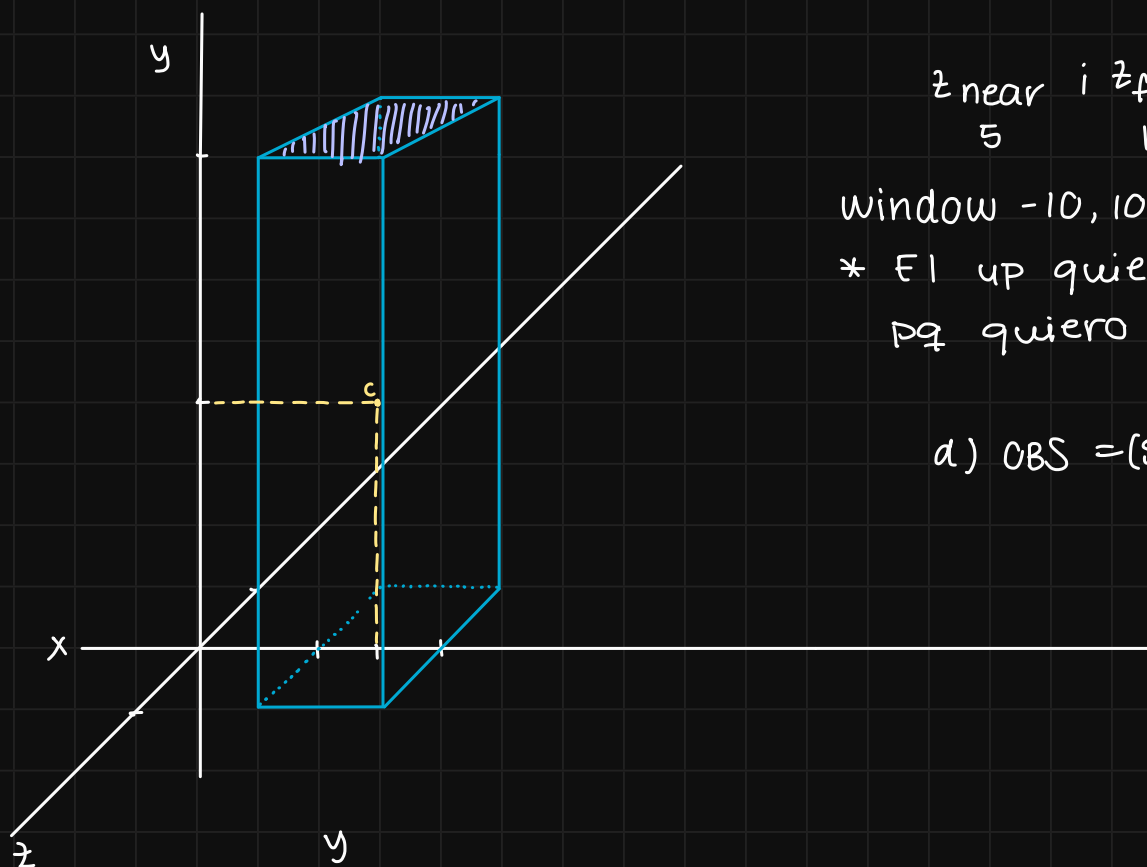
$PM = ortho(-2, 2, -3, 3, 8, 12)$

b) $ra_w = a_w / h_w = 2 - (-2) / 3 - (-3) = 2/3$

7. CMY \rightarrow dibuix color verd (RGB(0,1,0)) però surt de color cian (CMY(1,0,0)), que ha passat?

CMY(1,0,1) \Rightarrow no tenia tinta groga.

9. centre escena (5,10,0), capsa contenedora $10 \times 20 \times 10$ (x,y,z), usem un viewport quadrat.

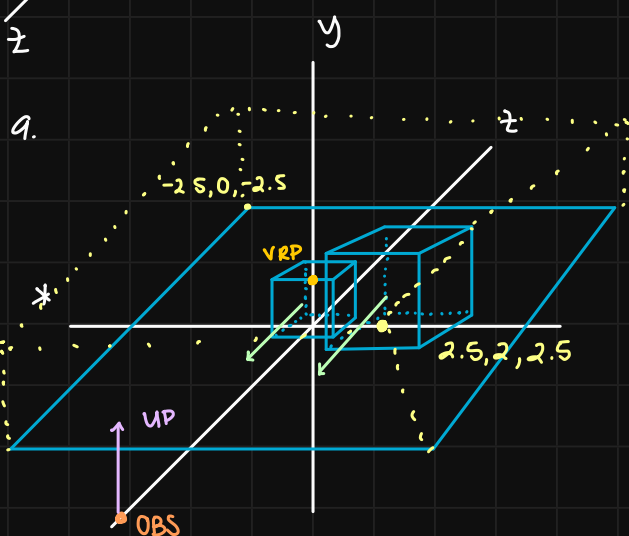


z_{near} i z_{far}
 5 10

window -10,10,-10,10 = cubo 5×5

* El up quiero que esté en las x o las z
 pq quiero ver un cuadrado

d) OBS = (5,20,0); VRP = (5,10,0); UP = (-1,0,0)



* Centrat a l'origen, 5×5

* Patriu d'alçada 1 ($1 \times 1 \times 1$), centrat al (0,0,0), z+

* Patriu d'alçada 2 ($2 \times 2 \times 2$), centrat al (1.5,0,0), z+

a) Parametres càmera, esfera contenedora max. viewport

viewport quadrat

$$P_{mitj} = \frac{(2.5, 2, 2.5) + (-2.5, 0, -2.5)}{2} = \frac{2}{2} = (0, 1, 0)$$

VRP(0,1,0)

UP(0,1,0)

OBS = (0,1,0) + d(0,0,1)

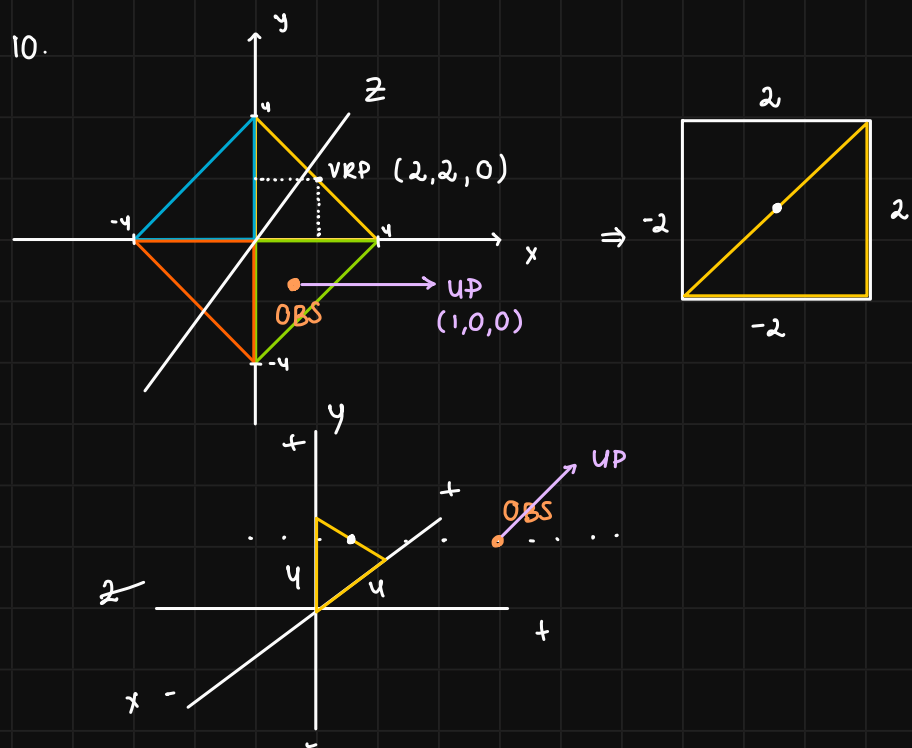
FOV = $2 \arcsin(R/d)$

ra = 1

$z_{near} = d - R$

$z_{far} = d + R$

10.



$VM = \text{lookAt}(OBS, VRP, UP)$

$PM = \text{ortho}(\text{left}, \text{right}, \text{bottom}, \text{top}, 1, 3)$

$VRP(2, 2, 0) \rightarrow OBS = (2, 2, 0) + d(0, 0, 1)$

$d = 2 \cdot R$

$z_{near} = d - R, \quad 1 = d - R, \quad d = 1 + R$

$z_{far} = d + R, \quad 3 = d + R, \quad d = 3 - R$

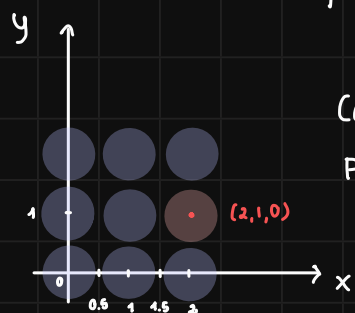
$2R = 2, \quad R = 1$

$d = 2$

$OBS = (2, 2, 0) + 2(0, 0, 1) = (2, 2, 2)$

11. $\text{pintaEsfera}(1) \rightarrow$ pinta esfera de $R = 5$ centrada al $(0, 0, 0)$

* Usando esto queremos:



Cada esfera te $R = 0.5$

Plà xy

escala = $0.5 / 5 = 0.1$

$TG_vermella() \{$

$TG = I;$

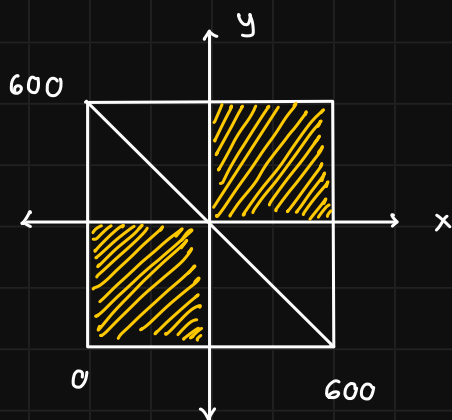
$TG = TG * \text{translate}(2, 1, 0);$

$TG = TG * \text{scale}(0.1, 0.1, 0.1);$

$\text{return}(TG);$

$\}$

12.



$\text{if}((x > 300 \ \&\& \ y > 300) \ || \ (x < 300 \ \&\& \ y < 300)) \ \text{color} = (1, 1, 0, 1)$
 $\text{else} \ \text{color} = (1, 1, 1, 1)$

13. n° VAO i n° VBO para hacer la Escena del Ej. 9 (2 patricios + 1 suelo)

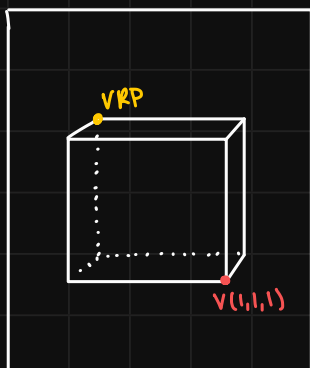
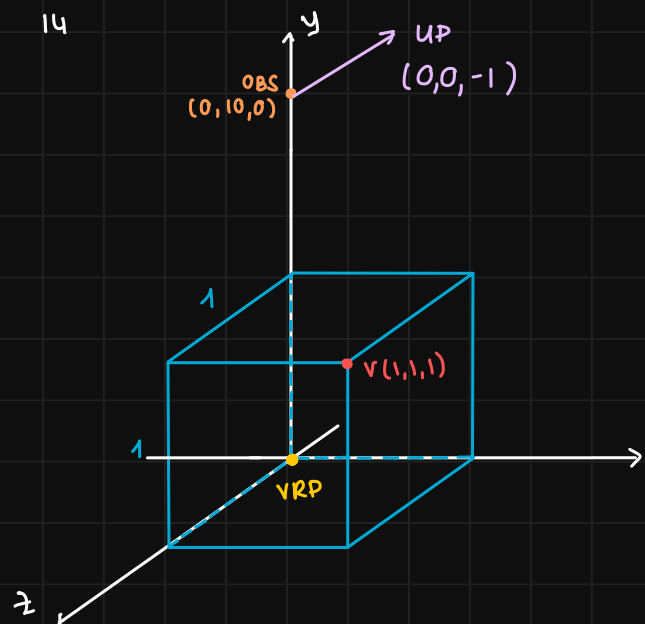
a) Per cada model volem guardar els vertexs

$VAO = 2 \quad VBO = 2 \quad (1 \text{ VAO i } 1 \text{ VBO} \times \text{model})$

b) Per cada model volem els vertexs i el color

$VAO = 2 \quad VBO = 4 \quad (1 \text{ VAO i } 2 \text{ VBO} \times \text{model})$

14



viewport 800×600



$ra_v = \frac{800}{600} = 4/3$

