# Using a HMM Model for Gene Finding

Week - 13 presentation

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# Objective of the project

- Investigate how to use a hidden Markov model for gene finding in prokaryotes.
- 2 Staphylococcus genomes, each containing several genes.
- The genomes are between 1.8 million and 2.8 million nucleotides
- Use the 7 and 3 state models to infer genome structure:

C = coding

N = non-coding

R = reverse-coding

# Objective of the project

- Two genomes, and two true annotations given
- Compare the calculated annotations with the true annotations and determine accuracy.
- Determine best way to implement the least time consuming algorithm
- Train the HMM model on one genome and determine accuracy with true annotation again.

#### Implementation: Path to indices

```
def translate_path_to_indices_3state(obs):
    mapping = \{"C":0, "c":0, "N":1, "n":1, "R": 2, "r":2\}
    return [mapping[symbol.lower()] for symbol in obs]
def translate_path_to_indices_7state(obs):
    mapping = {"c":"012", "n":"3", "r":"456"}
    return [int(s) for s in [mapping[symbol.lower()] for symbol in obs]]
def translate_path_to_indices_7state(obs):
    lst1 = []
    c = 0
    r = 4
    for j in obs:
        if j is "N":
            lst1.append(3)
        if j is "C":
            lst1.append(c)
            if c != 2:
                c+=1
            else:
                c=0
        if j is "R":
            lst1.append(r)
            if r != 6:
                r+=1
            else:
                r=4
    return 1st1
```

#### Viterbi log function:

```
# Your implementations of compute_w_log and opt_path_prob_log from week 10
def viterbi log(model, x):
    """Function that calculates the optimal path for a sequence of observations and a model
        Input: model = hmm class model; x = indices of sequence of observations
        Output: z = optimal path of states"""
    K = len(model.init probs)
   N = len(x)
    ########### Log probs in model ############
    emission probs = make table(K, len(model.emission probs[0]))
    trans probs = make table(K, K)
    # init
    init probs = [log(y) for y in model.init probs]
    # emission
    for i in range(K):
        for j in range(len(model.emission probs[i])):
            emission probs[i][j] = log(model.emission probs[i][j])
    #transition
    for i in range(K):
        for j in range(K):
            trans probs[i][j] = log(model.trans probs[i][j])
```

## Viterbi log function:

```
############# Calculate w matrix ###########
w = make_table_log(K, N)
# Base case: fill out w[i][0] for i = 0..k-1
for i in range(K):
    w[i][0] = init_probs[i] + emission_probs[i][x[0]]
# Inductive case: fill out w[i][j] for i = 0..k, j = 0..n-1
for j in range(1, N):
    for i in range(K):
        for t in range(K):
            w[i][j] = max(w[i][j], emission_probs[i][x[j]] + w[t][j-1] + trans_probs[t][i])
######### Backtracking ###########
z = [None] * N
max ind = None
max path = float("-inf")
#start with the state with higher probability in last column
for i in range(K-1):
    if(max path < w[i][N-1]):</pre>
        max path = max(max path, w[i][N-1])
        z[N-1] = i
#check which state did we come from
for n in range(N-2, -1, -1):
    for k in range(K):
        if(w[k][n] + emission_probs[z[n+1]][x[n+1]] +
           trans_probs[k][z[n+1]]) == w[z[n+1]][n+1]:
            z[n] = k
            break
return z
```

## Training by counting

```
# Your code to get hmm 7 state genome1 using training by counting on genome 1,
# predict an annotation of genome 2, and compare the prediction to true-ann2.fa
def training by counting(K, D, x, z):
    matrix trans = make table(K,K)
    matrix emission = make table(K,D)
    N = len(x)
    matrix init = [0 for i in range(K)]
    matrix init[z[0]] = 1
    #transition probs matrix calculation
    for i in range(len(z)-1):
        curr state = z[i]
        next state = z[i+1]
        matrix_trans[curr_state][next_state] += 1
    #Make list of sums of rows in matrix
    lst sum = []
    for 1st in matrix trans:
        lst_sum.append(sum(lst))
```

## Training by counting

```
#Divide all values in list in matrix with the corresponding
#index in the list of sums.
for i in range(K):
    for j in range(K):
        matrix_trans[i][j] = matrix_trans[i][j] / lst_sum[i]
#emission probs matrix calculation
for n in range(N):
    matrix emission[z[n]][x[n]] +=1
    #Make list of sums of rows in matrix
lst sum = []
for 1st in matrix emission:
    lst sum.append(sum(lst))
#Divide all values in list in matrix with the corresponding
#index in the list of sums.
for i in range(K):
    for j in range(D):
        matrix emission[i][j] = matrix emission[i][j] / lst_sum[i]
return hmm(matrix init, matrix trans, matrix emission)
```

#### Results - Given models

Accuracy (predicted vs true annotation)	3-state model		7-state model	
Prediction on genome 1	31.87%	Q1	39.19%	Q2
Prediction on genome 2	35.09%	Q3	37.19%	Q4

Performance (elapsed	3-state model		7-state model			
time in seconds)	jupyter	Python 3.6	Python 2.7	jupyter	Python 3.6	Python 2.7
Prediction on genome 1	9.973	9.207	5.636	38.373	36.855	19.394
Prediction on genome 2	10.879	10.799	6.814	45.581	44.803	24.442

#### Results - Trained models

Accuracy (predicted vs true annotation)	3-state model		7-state model	
Prediction on genome 1	31.87%	Q1	39.19%	Q2
Prediction on genome 2	35.09%	Q3	37.19%	Q4

Accuracy (predicted vs true annotation)	3-state model	7-state model
Trained on genome 2 Prediction on genome 1	59.20% Q8	76.43% Q7
Trained on genome 1 Prediction on genome 2	57.37% Q6	78.30% Q5

#### Discussion

- Trained models > Given models

#### Discussion

- Trained models > Given models

```
init probs 7 state = [0.00, 0.00, 0.00, 1.00, 0.00, 0.00, 0.00]
init probs = [0, 0, 0, 1, 0, 0, 0]
trans probs = [
                                                           trans probs 7 state = [
   0.
                                                               [0.00, 0.00, 0.90, 0.10, 0.00, 0.00, 0.00],
                    1.
                                                               [1.00, 0.00, 0.00, 0.00, 0.00, 0.00, 0.00],
   0.99667 0.
                            0.00333 0.
                                                               [0.00, 1.00, 0.00, 0.00, 0.00, 0.00, 0.00],
   0.0016
                            0.99713 0.00126 0.
                                                               [0.00, 0.00, 0.05, 0.90, 0.05, 0.00, 0.00],
                  0.
                                                   0.
            0.
                                    0.
                                           1.
   0.
                                                               [0.00, 0.00, 0.00, 0.00, 0.00, 1.00, 0.00],
   0.
                                                               [0.00, 0.00, 0.00, 0.00, 0.00, 0.00, 1.00],
   0.
                            0.0031 0.9969
                                                               [0.00, 0.00, 0.00, 0.10, 0.90, 0.00, 0.00],
                                                           emission probs 7 state = [
emission probs = [
                                                               # A C G T
   # A C G
                                                               [0.30, 0.25, 0.25, 0.20],
   [ 0.3 0.17 0.33 0.19],
                                                               [0.20, 0.35, 0.15, 0.30],
   [ 0.34 0.21 0.14 0.31],
                                                               [0.40, 0.15, 0.20, 0.25],
   [ 0.3 0.16 0.15 0.39],
                                                               [0.25, 0.25, 0.25, 0.25],
   [ 0.32 0.18 0.19 0.32],
                                                               [0.20, 0.40, 0.30, 0.10],
   [ 0.38 0.16 0.16 0.3 ],
                                                               [0.30, 0.20, 0.30, 0.20],
   [ 0.31 0.14 0.21 0.34],
                                                               [0.15, 0.30, 0.20, 0.35],
   [ 0.19 0.33 0.17 0.3 ],
```