Assignment 3, Methods 3, 2021, autumn semester

Aleksander Moeslund Wael, 09/12/2021

Importing packages

```
from matplotlib.colors import Colormap
import matplotlib.pyplot as plt
plt.rcParams['figure.dpi'] = 200 # HIGH DPI PLOTS PLEASE
import numpy as np
import warnings
warnings.filterwarnings('ignore')
```

EXERCISE 1 - Load the magnetoencephalographic recordings and do some initial plots to understand the data

1) Load megmag_data.npy and call it data using np.load. You can use join, which can be imported from os.path, to create paths from different string segments

```
In [ ]: data = np.load("megmag_data.npy")
```

i. The data is a 3-dimensional array. The first dimension is number of repetitions of a visual stimulus, the second dimension is the number of sensors that record magnetic fields (in Tesla) that stem from neurons activating in the brain, and the third dimension is the number of time samples. How many repetitions, sensors and time samples are there?

```
In []: data.shape
Out[]: (682, 102, 251)
```

There are 682 repetitions, 102 sensors and 251 time samples.

ii. The time range is from (and including) -200 ms to (and including) 800 ms with a sample recorded every 4 ms. At time 0, the visual stimulus was briefly presented. Create a 1-dimensional array called times that represents this.

```
In [ ]: times = np.arange(-200, 804, 4)
```

iii. Create the sensor covariance matrix Σ_{XX} :

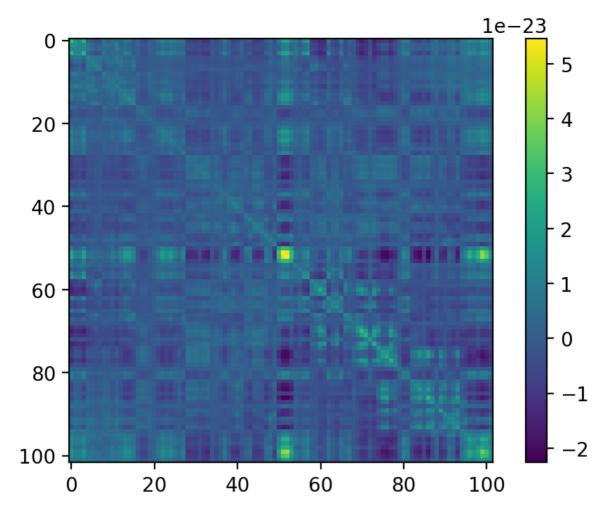
$$\Sigma_{XX} = rac{1}{N} \sum_{i=1}^{N} XX^T$$

N is the number of repetitions and X has s rows and t columns (sensors and time), thus the shape is $X_{s \times t}$. Do the sensors pick up independent signals? (Use plt.imshow to plot the sensor covariance matrix)

```
In [ ]:
    covar = np.zeros(shape = (102,102))
    for i in range(682):
        X = data[i]
        covar = covar + X @ np.transpose(X)

    covar = (1/682)*covar

    plt.close("all")
    plt.figure()
    plt.imshow(covar)
    plt.colorbar()
    plt.show()
```



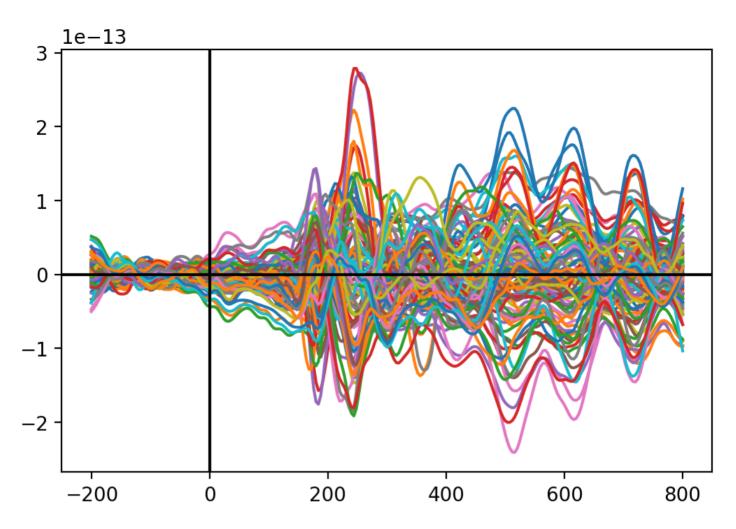
There is indeed covariance between the sensors, but it is unclear why this is. It might be that sensors pick up the same signals, OR they pick up different signals but with similar values

iv. Make an average over the repetition dimension using <code>np.mean</code> - use the <code>axis</code> argument. (The resulting array should have two dimensions with time as the first and magnetic field as the second with sensor as the first and time as the second)

```
In [ ]: datamean = data.mean(axis=0)
    datamean.shape
Out[ ]: (102, 251)
```

v. Plot the magnetic field (based on the average) as it evolves over time for each of the sensors (a line for each) (time on the x-axis and magnetic field on the y-axis). Add a horizontal line at y=0 and a vertical line at x=0 using plt.axvline and plt.axvline

```
plt.close("all")
plt.figure()
plt.plot(times, datamean.T)
plt.axvline(x = 0, color = "black")
plt.axhline(y = 0, color = "black")
plt.show()
```



vi. Find the maximal magnetic field in the average. Then use np.argmax and np.unravel_index to find the sensor that has the maximal magnetic field.

```
In [ ]: # finding the biggest value
    print(np.amax(datamean))

# finding the flat index for the biggest value
    print(np.argmax(datamean, axis = 1))

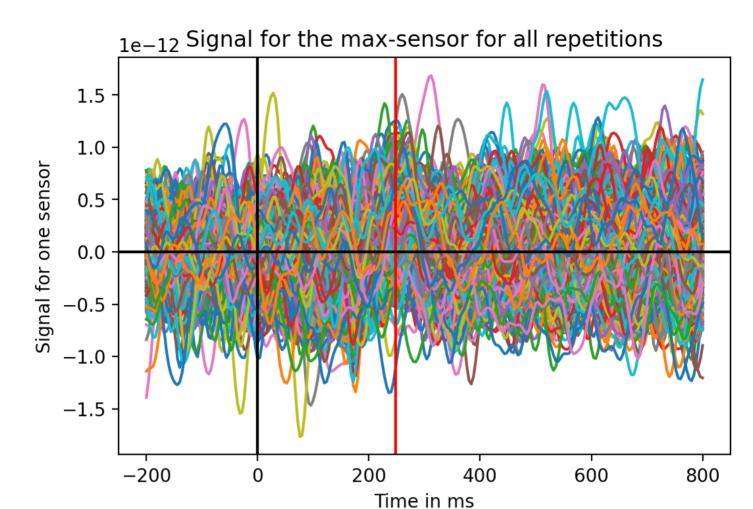
# converting flat index into tuple so i know which sensor it is
    print(np.unravel_index(np.argmax(datamean), shape = (102, 251))) # shape = the space where it searches for the index.

2.7886216843591933e-13
[127 95 5 133 94 94 94 111 96 95 95 95 214 208 207 201 96 95
246 96 238 112 207 222 0 145 139 0 113 113 112 111 111 112 113 111
111 143 111 167 142 112 111 203 111 110 172 202 212 151 179 180 179 180
142 112 143 136 111 200 177 111 144 112 113 143 201 203 157 179 179 111
112 112 98 95 96 99 128 129 141 141 94 94 94 95 95 95 139 139
94 95 95 94 95 95 181 206 180 180 180 0]
(73, 112)
```

The sensor with maximal magnetic field (on average) is no. 73

vii. Plot the magnetic field for each of the repetitions (a line for each) for the sensor that has the maximal magnetic field. Highlight the time point with the maximal magnetic field in the average (as found in 1.1.v) using plt.axvline

```
In []:
    plt.figure()
    plt.plot(times, data[:,73,:].T)
    plt.axvline(times[112], color = "red")
    plt.axvline(x = 0, color = "black")
    plt.axhline(y = 0, color = "black")
    plt.xlabel("Time in ms")
    plt.ylabel("Signal for one sensor")
    plt.title("Signal for the max-sensor for all repetitions")
    plt.show()
```



viii. Describe in your own words how the response found in the average is represented in the single repetitions. But do make sure to use the concepts signal and noise and comment on any differences on the range of values on the y-axis

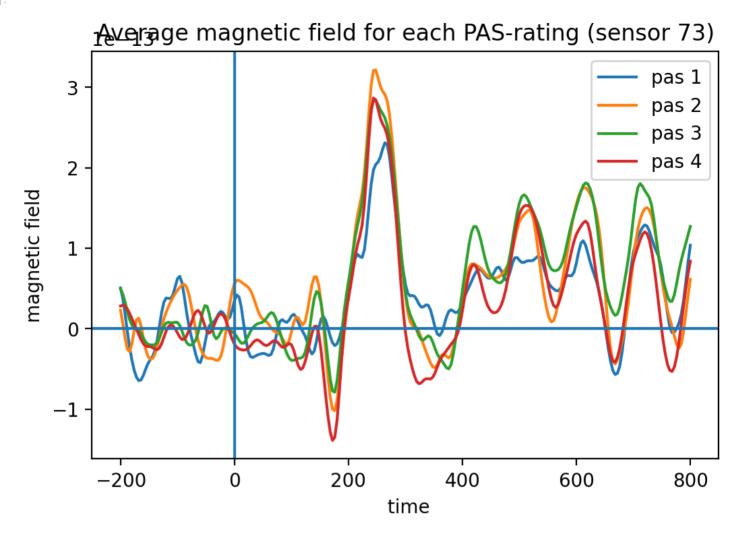
- As can be seen by the plot, there is some difference between repetitions. These can be due to hidden variables or noise in the data, which i'm not interested in modelling. Taking the mean of repetitions is a way of isolating the signal which is what matters for analysis.
- 2) Now load pas_vector.npy (call it y). PAS is the same as in Assignment 2, describing the clarity of the subjective experience the subject reported after seeing the briefly presented stimulus

```
In [ ]: y = np.load("pas_vector.npy")
```

- i. Which dimension in the data array does it have the same length as?
- It has the same length as repetitions, because there is a PAS rating per repitition.

ii. Now make four averages (As in Exercise 1.1.iii), one for each PAS rating, and plot the four time courses (one for each PAS rating) for the sensor found in Exercise 1.1.vi

```
In [ ]:
         # subsetting the data, so I'm only looking at sensor 73
         data_73 = data[:, 73, :]
         \# in y I find the indices for each different pas rating and assign them to new lists
         pas_1 = np.where(y == 1)
         pas_2 = np.where(y == 2)
         pas_3 = np.where(y == 3)
         pas_4 = np.where(y == 4)
         # finding the average brain activation in sensor 73 seperated by pas-rating
         sens_73_pas1_avg = np.mean(data_73[pas_1], axis = 0)
         sens_73_pas2_avg = np.mean(data_73[pas_2], axis = 0)
         sens_73_pas3_avg = np.mean(data_73[pas_3], axis = 0)
         sens_73_pas4_avg = np.mean(data_73[pas_4], axis = 0)
         # plotting this baby
         plt.figure
         plt.plot(times, sens_73_pas1_avg)
         plt.plot(times, sens_73_pas2_avg)
         plt.plot(times, sens_73_pas3_avg)
         plt.plot(times, sens_73_pas4_avg)
         plt.axvline()
         plt.axhline()
         plt.xlabel(" time")
plt.ylabel("magnetic field")
         plt.title("Average magnetic field for each PAS-rating (sensor 73)")
         plt.legend(["pas 1", "pas 2", "pas 3", "pas 4"])
         plt.show
```



iii. Notice that there are two early peaks (measuring visual activity from the brain), one before 200 ms and one around 250 ms. Describe how the amplitudes of responses are related to the four PAS-scores. Does PAS 2 behave differently than expected?

• I would expect the peaks at 250 to be ordered by PAS-rating with PAS-4 at the top (largest magnetic field). It seems that PAS-1 is the lowest as expected, by PAS-2 (which is described as a "weak glimpse") has a higher peak than PAS-3 and PAS-4 (which are quite similiar). This pattern is somewhat similar in the other peaks at 450-750 ms, though with some variability.

EXERCISE 2 - Do logistic regression to classify pairs of PAS-ratings

1) Now, we are going to do Logistic Regression with the aim of classifying the PAS-rating given by the subject

i. We'll start with a binary problem - create a new array called data_1_2 that only contains PAS responses 1 and 2. Similarly, create a y_1_2 for the target vector

```
In [ ]: # subsetting
    data_1_2 = data[y < 3,:,:]
    y_1_2 = y[y < 3]</pre>
```

ii. Scikit-learn expects our observations (data_1_2) to be in a 2d-array, which has samples (repetitions) on dimension 1 and features (predictor variables) on dimension 2. Our data_1_2 is a three-dimensional array. Our strategy will be to collapse our two last dimensions (sensors and time) into one dimension, while keeping the first dimension as it is (repetitions). Use np.reshape to create a variable X_1_2 that fulfils these criteria.

```
In [ ]:  # repetition as rows, and sensor and time as columns
    X_1_2 = data_1_2.reshape(214, -1)
    X_1_2.shape

Out[ ]:  (214, 25602)
```

iii. Import the StandardScaler and scale X_1_2

```
from sklearn.preprocessing import StandardScaler
sc = StandardScaler()
X_1_2_scaled = sc.fit_transform(X_1_2)
```

iv. Do a standard LogisticRegression - can be imported from sklearn.linear_model - make sure there is no penalty applied

```
from sklearn.linear_model import LogisticRegression
```

```
logR = LogisticRegression(penalty='none') # no regularisation
logR.fit(X_1_2_scaled, y_1_2)
```

Out[]: LogisticRegression(penalty='none')

v. Use the score method of LogisticRegression to find out how many labels were classified correctly. Are we overfitting? Besides the score, what would make you suspect that we are overfitting?

```
In [ ]: print(logR.score(X_1_2_scaled, y_1_2))
```

1.0

The score was perfect, so it seems we are overfitting. We aren't testing the model on new data, which is probably one of the reasons.

vi. Now apply the L1 penalty instead - how many of the coefficients (<code>.coef_</code>) are non-zero after this?

```
In [ ]: # Fitting
    logR = LogisticRegression(penalty="11", solver='liblinear', random_state=1) # With regularization
    fit1 = logR.fit(X_1_2_scaled, y_1_2)
    print(fit1)

# Finding nonzero coefs
    print(np.sum(fit1.coef_ != 0), "coefficients are non-zero.")
```

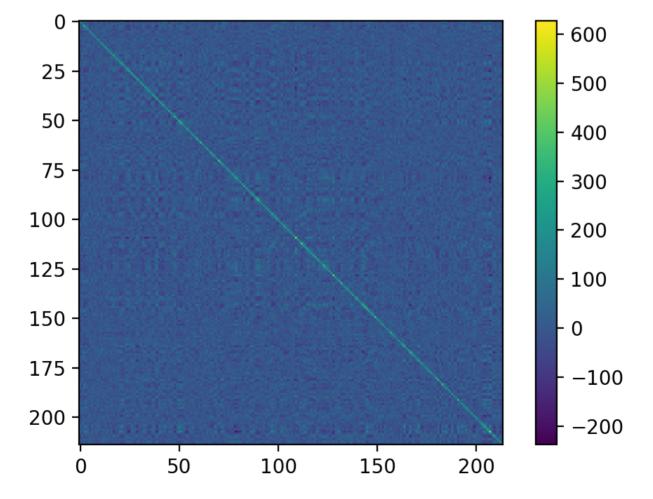
LogisticRegression(penalty='11', random_state=1, solver='liblinear')
282 coefficients are non-zero.

vii. Create a new reduced X that only includes the non-zero coefficients - show the covariance of the non-zero features (two covariance matrices can be made; $X_{reduced}X_{reduced}^T$ or $X_{reduced}^TX_{reduced}$ (you choose the right one)) . Plot the covariance of the features using plt.imshow . Compared to the plot from 1.1.iii, do we see less covariance?

```
In []:
    coefs = logR.coef_.flatten()
    non_zero = coefs != 0
    X_reduced = X_1_2_scaled[:, non_zero]

# Non-zero coefficients covariance matrix
    coef_covar = X_reduced @ np.transpose(X_reduced)

plt.close("all")
    plt.figure()
    plt.imshow(coef_covar)
    plt.colorbar()
    plt.show()
```



We see less covariance overall, the diagonal is very clear and defined. There is still covariance of the non-zero coefficients, but it is better than the sensor covariance matrix in 1.1.iii.

2) Now, we are going to build better (more predictive) models by using cross-validation as an outcome measure

i.Import cross_val_score and StratifiedKFold from sklearn.model_selection

```
In [ ]: from sklearn.model_selection import cross_val_score, StratifiedKFold
```

ii. To make sure that our training data sets are not biased to one target (PAS) or the other, create y_1_2_equal, which should have an equal number of each target. Create a similar X_1_2_equal. The function equalize_targets_binary in the code chunk associated with Exercise 2.2.ii can be used. Remember to scale X_1_2_equal!

```
def equalize_targets_binary(data, y):
              np.random.seed(7)
               targets = np.unique(y) ## find the number of targets
              if len(targets) > 2:
                           raise NameError("can't have more than two targets")
              counts = list()
               indices = list()
               for target in targets:
                           counts.append(np.sum(y == target)) ## find the number of each target
                            indices.append(np.where(y == target)[0]) ## find their indices
              min_count = np.min(counts)
                # randomly choose trials
              first choice = np.random.choice(indices[0], size=min count, replace=False)
              second_choice = np.random.choice(indices[1], size=min_count,replace=False)
              # create the new data sets
              new_indices = np.concatenate((first_choice, second_choice))
              new_y = y[new_indices]
              new_data = data[new_indices, :, :]
              return new_data, new_y
 # Making equal data with function
 y_1_2 = p_array(y_1_2) # Has to be array instead of list, thats why
 {\tt data\_1\_2\_equal}, \ {\tt y\_1\_2\_equal} \ = \ {\tt equalize\_targets\_binary(data\_1\_2, \ y\_1\_2)} \ \textit{\# Assigning new data} \ \textit
 X_1_2_{equal} = data_1_2_{equal.reshape(198, -1)}
 X_1_2_{equal} = sc.fit_transform(X_1_2_{equal})
```

iii. Do cross-validation with 5 stratified folds doing standard LogisticRegression (See Exercise 2.1.iv)

```
In [ ]: cv = StratifiedKFold()
    logR = LogisticRegression()
    logR.fit(X_1_2_equal, y_1_2_equal)
    scores = cross_val_score(logR, X_1_2_equal, y_1_2_equal, cv=5)
    print(np.mean(scores))
```

0.5402564102564102

iv. Do L2-regularisation with the following Cs= [1e5, 1e1, 1e-5]. Use the same kind of cross-validation as in Exercise 2.2.iii. In the best-scoring of these models, how many more/fewer predictions are correct (on average)?

```
In [ ]: | # With C = 1e5
         cv = StratifiedKFold()
         logR = LogisticRegression(C=1e5, penalty="12")
         logR.fit(X_1_2_equal, y_1_2_equal)
         scores = cross_val_score(logR, X_1_2_equal, y_1_2_equal, cv=5)
         print(np.mean(scores))
         # With C = 1e1
         cv = StratifiedKFold()
         logR = LogisticRegression(C=1e1, penalty="12")
         logR.fit(X_1_2_equal, y_1_2_equal)
         scores = cross_val_score(logR, X_1_2_equal, y_1_2_equal, cv=5)
         print(np.mean(scores))
         # With C = 1e-5
         cv = StratifiedKFold()
         logR = LogisticRegression(C=1e-5, penalty="12")
         logR.fit(X_1_2_equal, y_1_2_equal)
         scores = cross_val_score(logR, X_1_2_equal, y_1_2_equal, cv=5)
         print(np.mean(scores))
        0.5353846153846155
```

```
0.5252564102564102
0.5956410256410256
```

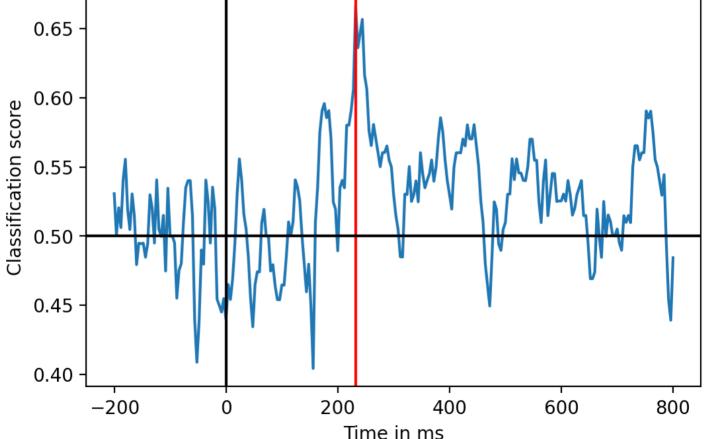
In []: # Difference between models 0.59564102564102564102564102

The best model (C=1e-5) is on average about 7% better at prediciting than with C=1e1.

v. Instead of fitting a model on all <code>n_sensors</code> * <code>n_samples</code> features, fit a logistic regression (same kind as in Exercise 2.2.iv (use the <code>C</code> that resulted in the best prediction)) for <code>each</code> time sample and use the same cross-validation as in Exercise 2.2.iii. What are the time points where classification is best? Make a plot with time on the x-axis and classification score on the y-axis with a horizontal line at the chance level (what is the chance level for this analysis?)

```
# I need 251 models.
         cv = StratifiedKFold()
         logR = LogisticRegression(C=1e-5, penalty="12", solver = "liblinear")
         cv scores = []
         # Subsettina time
         for i in range(251):
             t = sc.fit_transform(data_1_2_equal[:,:,i])
             logR.fit(t, y_1_2_equal)
             scores = cross_val_score(logR, t, y_1_2_equal, cv=5)
             cv_scores.append(np.mean(scores))
In [ ]:
         # Picking highest score
         print(np.amax(cv_scores)) # What is the max value?
         print(np.argmax(cv_scores)) # Where is the max value? (Indeci)
        0.6661538461538462
        108
In [ ]:
         plt.figure()
         plt.plot(times, cv_scores)
         plt.axvline(x = 0, color = "black")
         plt.axvline(times[108], color = "red")
         plt.axhline(y = 0.5, color = "black") # Chance level is 50% for binary classification
plt.xlabel("Time in ms")
         plt.ylabel("Classification score")
         plt.title("Classification scores at given times")
         plt.show()
         print(times[108]) # Where classification is best
         # Classification is best at 232 ms.
```





Classification is best between 200-250 and 300-450 ms.

```
In [ ]: | cv = StratifiedKFold()
          logR = LogisticRegression(C=1e-1, penalty="l1", solver = "liblinear")
          cv_scores = []
          # Subsetting time
          for i in range(251):
               t = sc.fit_transform(data_1_2_equal[:,:,i])
               logR.fit(t, y_1_2_equal)
               scores = cross_val_score(logR, t, y_1_2_equal, cv=5)
               cv_scores.append(np.mean(scores))
In [ ]: # Picking highest score
          print(np.amax(cv_scores))
          print(np.argmax(cv_scores)) # Indeci with highest classification
         0.6720512820512822
In [ ]:
          plt.figure()
          plt.plot(times, cv_scores)
plt.axvline(x = 0, color = "black")
          plt.axvline(times[111], color = "red")
plt.axvline(y = 0.5, color = "black") # Chance Level is 50% for binary classification
          plt.xlabel("Time in ms")
plt.ylabel("Classification score")
          plt.title("Classification scores at given times")
          plt.show()
          times[111]
```

O.65 - 0.60 - 0.55 - 0.50 - 0.45 - 0.40 - 0.

Out[]: 244

 $y_1_4 = []$

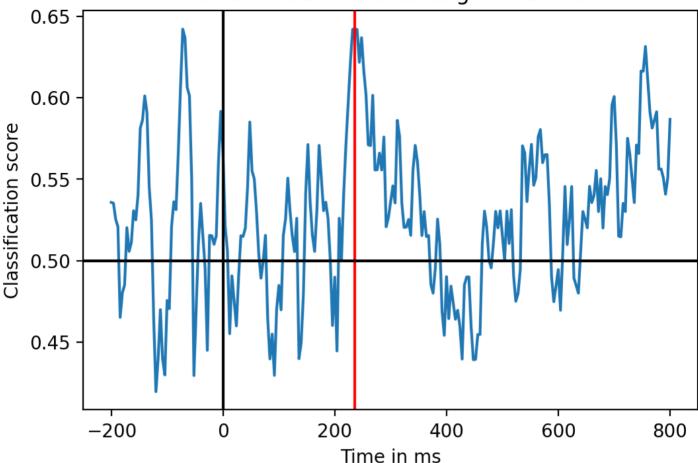
Classification is best at 244 ms.

vii. Finally, fit the same models as in Exercise 2.2.vi but now for data_1_4 and y_1_4 (create a data set and a target vector that only contains PAS responses 1 and 4). What are the time points when classification is best? Make a plot with time on the x-axis and classification score on the y-axis with a horizontal line at the chance level (what is the chance level for this analysis?)

```
for i in range(len(y)):
              if y[i] == 1:
                  y_1_4.append(1)
               if y[i] == 4:
                  y_1_4.append(4)
          # repetition as rows, and sensor and time as columns
          X_1_4 = data_1_4.reshape(359, -1)
          X_1_4.shape
         (359, 25602)
Out[ ]:
In [ ]: | # Scaling data
          X_1_4 scaled = sc.fit_transform(X_1_4)
In [ ]: # Making equal data with function
          y_1_4 = np.array(y_1_4) # Has to be array instead of list, thats why
          \verb|data_1_4_equal|, \ y\_1\_4\_equal| = equalize\_targets\_binary(data\_1\_4, \ y\_1\_4) \# \textit{Assigning new data}
          X_1_4_{equal} = data_1_4_{equal.reshape(198, -1)}
          X_1_4_equal = sc.fit_transform(X_1_4_equal)
In [ ]: | cv = StratifiedKFold()
          logR = LogisticRegression(C=1e-1, penalty="l1", solver = "liblinear")
          cv_scores_1_4 = []
          # Subsetting time
          for i in range(251):
               t = sc.fit_transform(data_1_4_equal[:,:,i])
              logR.fit(t, y_14_equal)
scores = cross_val_score(logR, t, y_14_equal, cv=5)
cv_scores_1_4.append(np.mean(scores))
In [ ]: # Picking highest score
          print(np.amax(cv_scores_1_4))
          print(np.argmax(cv_scores_1_4)) # Indeci with highest classification
         0.6423076923076924
         109
In [ ]: | # Plotting
          plt.figure()
          plt.plot(times, cv_scores_1_4)
          plt.axvline(x = 0, color = "black")
          plt.axvline(times[109], color = "red")
plt.axvline(y = 0.5, color = "black") # Chance Level is 50% for binary classification
          plt.xlabel("Time in ms")
          plt.ylabel("Classification score")
          plt.title("Classification scores at given times")
          plt.show()
```

times[109]

Classification scores at given times



Out[]: 236

Classification is best at 236 ms.

3) Is pairwise classification of subjective experience possible? Any surprises in the classification accuracies, i.e. how does the classification score for PAS 1 vs 4 compare to the classification score for PAS 1 vs 2?

It appears that it is more successful to classify 1 vs 2 compared to 1 vs 4, which is quite surprising as PAS-score can be viewed as a pseudo-variable where scores of 1 should be more similar to 2 than to 4, which is also apparent from the plot of PAS-ratings and magnetic field from sensor 73. The difference between the two max-scores is only about 3%, which isn't huge. I would say that pairwise classification for PAS is somewhat possible in the 200-400 ms range, but the scores are still low.

EXERCISE 3 - Do a Support Vector Machine Classification on all four PAS-ratings

1) Do a Support Vector Machine Classification

i. First equalize the number of targets using the function associated with each PAS-rating using the function associated with Exercise 3.1.i

```
In [ ]:
          # Define function
          def equalize_targets(data, y):
              np.random.seed(7)
               targets = np.unique(y)
              counts = list()
               indices = list()
               for target in targets:
                   counts.append(np.sum(y == target))
                   indices.append(np.where(y == target)[0])
               min_count = np.min(counts)
               first_choice = np.random.choice(indices[0], size=min_count, replace=False)
               second_choice = np.random.choice(indices[1], size=min_count, replace=False)
              third_choice = np.random.choice(indices[2], size=min_count, replace=False) fourth_choice = np.random.choice(indices[3], size=min_count, replace=False)
              new_indices = np.concatenate((first_choice, second_choice,
                                               third_choice, fourth_choice))
              new_y = y[new_indices]
              new_data = data[new_indices, :, :]
              return new data, new y
```

```
In [ ]: # Making data equal
data_equal, y_equal = equalize_targets(data, y)
```

```
print(data_equal.shape)
print(y_equal.shape)

(396, 102, 251)
```

ii. Run two classifiers, one with a linear kernel and one with a radial basis (other options should be left at their defaults) - the number of features is the number of sensors multiplied the number of samples. Which one is better predicting the category?

```
In []:
    # Import
    from sklearn.svm import SVC

# Making classes
    svm_linear = SVC(kernel="linear")
    svm_radial = SVC(kernel="rbf")

# Converting to 2d array
    X_equal = data_equal.reshape(396, -1)
    print(X_equal.shape)

# Scaling data
    X_equal_scaled = sc.fit_transform(X_equal)

# Fitting
    scores_svm_linear = cross_val_score(svm_linear, X_equal_scaled, y_equal, cv=cv)
    print("The linear basis classifier score is", np.mean(scores_svm_linear))

# Fitting
    scores_svm_radial = cross_val_score(svm_radial, X_equal_scaled, y_equal, cv=cv)
    print("The radial basis classifier score is", np.mean(scores_svm_radial))
```

(396, 25602)
The linear basis classifier score is 0.2928164556962025
The radial basis classifier score is 0.3333544303797468

(396,)

It appears that the radial classifier is best with mean scores of 0,33. Though chance level is at 0,25, so this is a pretty bad performance.

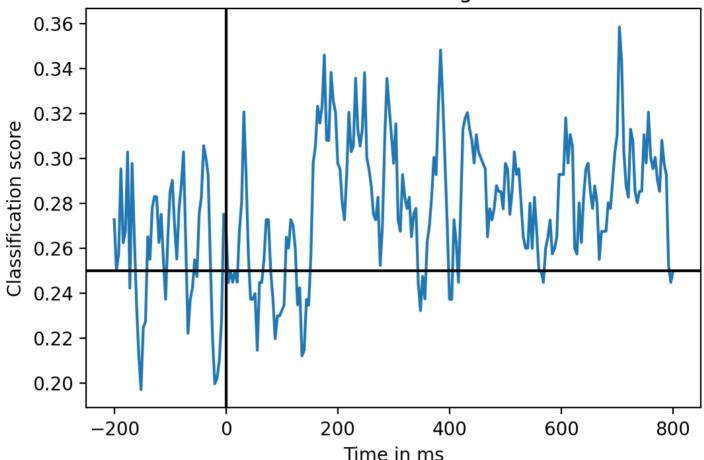
iii. Run the sample-by-sample analysis (similar to Exercise 2.2.v) with the best kernel (from Exercise 3.1.ii). Make a plot with time on the x-axis and classification score on the y-axis with a horizontal line at the chance level (what is the chance level for this analysis?)

```
In []: # I need 251 models.
    cv = StratifiedKFold()
    svm_radial = SVC(kernel="rbf")
    cv_scores_svm = []

# Subsetting time
for i in range(251):
    t = sc.fit_transform(data_equal[:,:,i])
    logR.fit(t, y_equal)
    scores = cross_val_score(svm_radial, t, y_equal, cv=5)
    cv_scores_svm.append(np.mean(scores))
```

```
In []: # Plotting
    plt.figure()
    plt.plot(times, cv_scores_svm)
    plt.axvline(x = 0, color = "black")
    plt.axhline(y = 0.25, color = "black") # Chance level is 25% for classification with 4 classes
    plt.xlabel("Time in ms")
    plt.ylabel("Classification score")
    plt.title("Classification scores at given times")
    plt.show()
```

Classification scores at given times



iv. Is classification of subjective experience possible at around 200-250 ms?

• It is better than chance level at this time, with classification scores around 0.30-0.34.

4 4 4 4 3 4 1 1 4 4 3 1 4 1 1 1 4 1 2 4 1 4 4 1 4 4 3 1 1 4 4 4 1 2 3 4 4

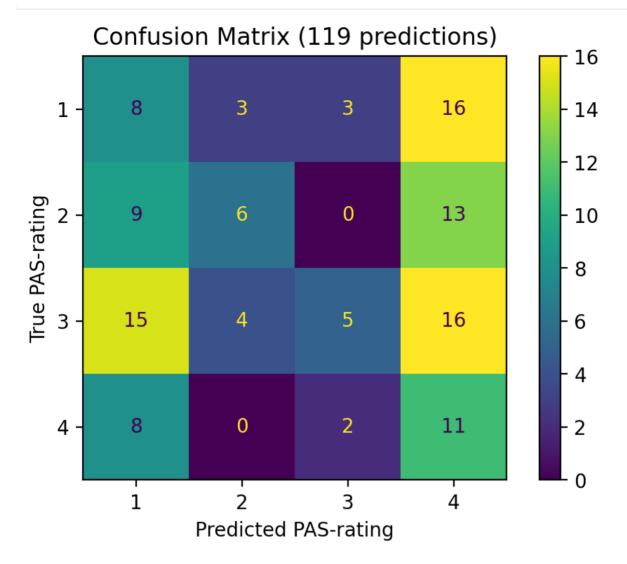
2) Finally, split the equalized data set (with all four ratings) into a training part and test part, where the test part if 30 % of the trials. Use train test split from sklearn.model selection

```
# Import
from sklearn.model_selection import train_test_split

# Splitting data
X_train, X_test, y_train, y_test = train_test_split(X_equal, y_equal, test_size=0.30)
```

i. Use the kernel that resulted in the best classification in Exercise 3.1.ii and fit the training set and predict on the test set. This time your features are the number of sensors multiplied by the number of samples.

ii. Create a confusion matrix. It is a 4x4 matrix. The row names and the column names are the PAS-scores. There will thus be 16 entries. The PAS1xPAS1 entry will be the number of actual PAS1, y_{pas1} that were predicted as PAS1, \hat{y}_{pas1} . The PAS1xPAS2 entry will be the number of actual PAS1, y_{pas1} that were predicted as PAS2, \hat{y}_{pas2} and so on for the remaining 14 entries. Plot the matrix



iii. Based on the confusion matrix, describe how ratings are misclassified and if that makes sense given that ratings should measure the strength/quality of the subjective experience. Is the classifier biased towards specific ratings?

• It appears that all PAS-ratings were often classified as PAS 4, but also quite often as 1, and is therefore biased towards these. It also means that it often correctly classifies PAS 1 and 4, but at the expense of misclassifying PAS 2 and 3. I would also assume that PAS ratings would more often be misclassified as the adjacent ratings, e.g. PAS 2 would more often be misclassified as 1 or 3 than 4. This doesn't seem to be the case though.