

Economics 134 L16. Natural Disasters

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Natural resources

Economics of natural resources:

- oil (L13)
- conservation (L14)
- water (L15)
- forests, wildfires (today)

Nature and civilization

Myriad interactions between the **environment** and where people **live**:

- tastes for natural beauty, wilderness
- risks associated with the wilderness

Today: empirical example of how we can use economic analysis to study

- how the environment shapes where people choose to live and their quality of life
- how these choices interact with economic policy

Conceptual framework

Housing demand and supply

Wildfires

Moral hazard

Case study: forest fires in the American West

Data

Empirical strategy

Results

Location choice

- Two places: **outside** and **inside** of a wildfire risk zone.
- N households, indexed by i , choose which place to live.
- Each household i 's relative willingness-to-pay to live in the wildfire zone is

$$\theta_i,$$

which is decreasing in i , i.e., $\theta_1 > \theta_2 > \dots$.

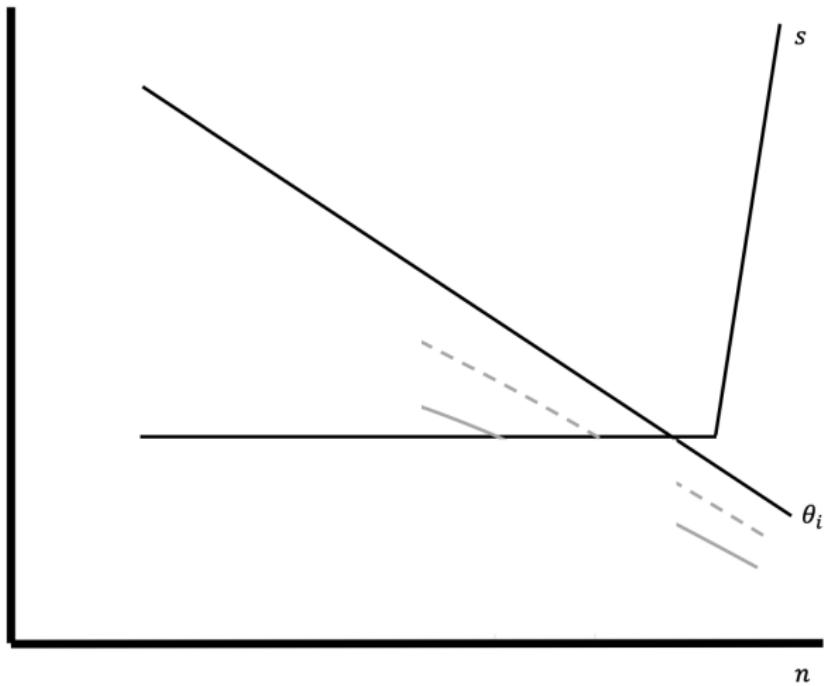
- The marginal cost of building the n^{th} house in the risky zone given by some nondecreasing function, $s(n)$.
- Then, without any wildfires, the number of households who live in the wildfire risk zone, n^* , will satisfy

$$\theta_{n^*} = s(n^*),$$

i.e., demand equals supply!

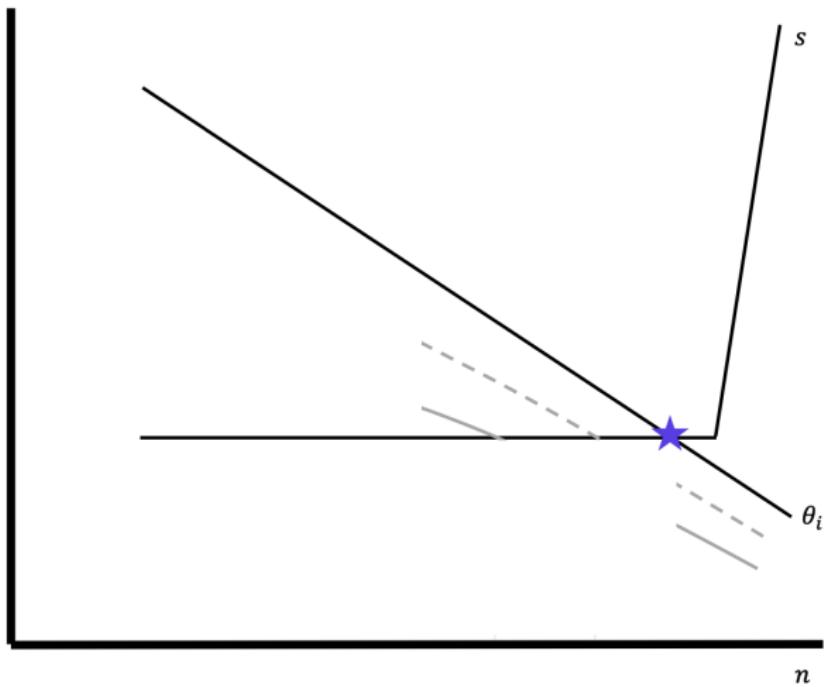
Equilibrium housing

Figure 1: The Market for Housing in a Risky Place



Equilibrium housing

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Wildfires

Now let's introduce wildfires.

In the wildfire risk zone, a fire occurs with probability p . (Outside the zone, a fire never occurs.)

- If a disaster occurs, the government can spend $f \geq 0$ to defend against it. The eventual **property damage** of the fire per household is given by

$$H(f)$$

which is decreasing in f (more firefighting, less damage).

- Someone has to pay the firefighters. Suppose **defensive spending** f is split equally across households in the risky zone, so that each pay f/n .

Wildfires, cont'd

The total (expected) value of living in a wildfire zone for household i , when there are n houses, is now

$$\theta_i - p \left[\frac{f}{n} + H(f) \right].$$

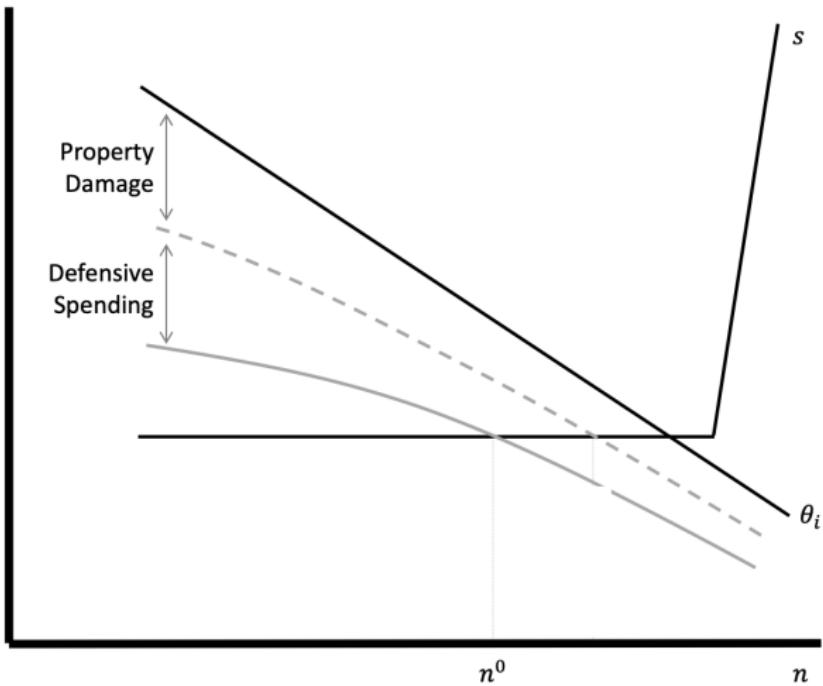
Equilibrium housing in the zone, n^0 , will be

$$\theta_{n^0} = s(n^0) + p \underbrace{\left[\frac{f}{n^0} + H(f) \right]}_{\text{defense} + \text{damage}},$$

and, clearly, $n^0 < n^*$.

Equilibrium housing with damages

Figure 1: The Market for Housing in a Risky Place



Moral hazard

A practical concern is the following:

If **someone else** (e.g., the state or federal government) pays the firefighters, then the expected value of living in the zone for a household becomes

$$\theta_i - pH(f),$$

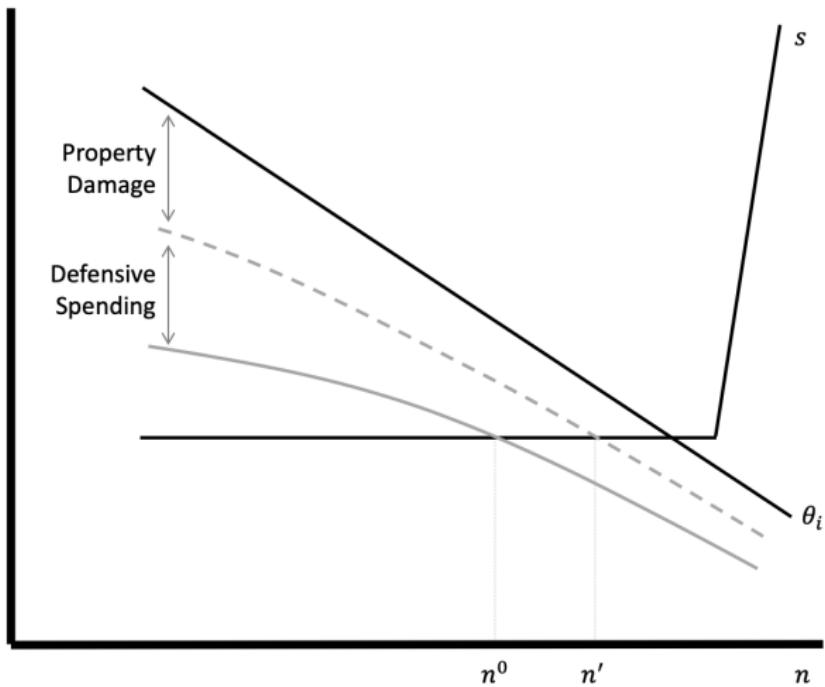
which will lead to greater development in riskier places, from n^0 to n' .

This is an example of what is known as "**moral hazard**."

- inefficiency that arises if households—while they bear the ultimate risk of fires, H —do not internalize the full cost of the risk (the firefighting expenses) when they choose where to live
- not about "morality": it's just another kind of externality, here arising from incomplete contracts

Moral hazard

Figure 1: The Market for Housing in a Risky Place



Moral hazard, cont'd

A related concern is somewhat subtler.

For a fixed n , the optimal firefighting expenditure is

$$\min_f [f + nH(f)].$$

More households increase protection, which lowers H (and further incentivizes development).

This is an additional form of moral hazard.

Discussion

From a measurement perspective, to assess moral hazard, we want

- ① the average cost of firefighting in the risky zone, pf/n
- ② the rate at which defense spending increases with more development, $f'(n)$

This is precisely the approach taken in a nice recent paper:

- Boomhower, Judson, and Baylis, Patrick (2023). “The economic incidence of wildfire suppression in the United States.” American Economic Journal: Applied Economics, 15(1), January.

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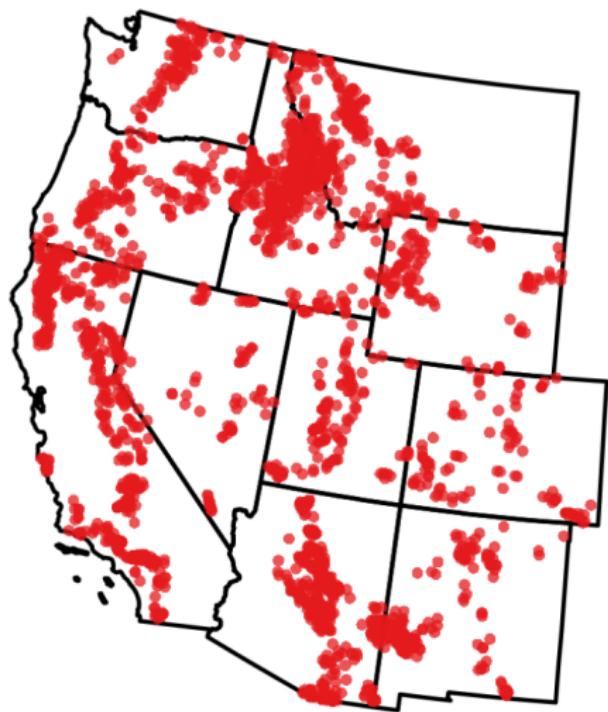
Results

Wildfires

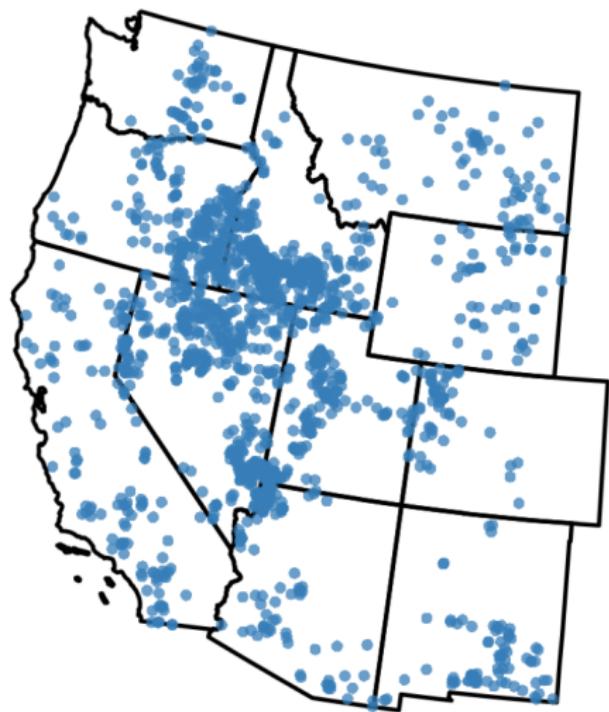
- Total property damages of **\$51 billion** from 1985–2017
 - increased human development, climate change, forest management
- Total federal firefighting costs, **\$43 billion**
 - firefighting on national forest land, US Forest Service (USFS)
 - FEMA also reimburses 75% of state and local expenses for large fires
 - 50–95% of costs come from efforts to protect homes
- Firefighting data from 2,419 fires on USFS land, from 1990–2016
- Parcel data from 8.6 million at-risk homes

Fires in the Western US, 1995–2016

USFS



BLM



Estimating equation

Goal is to determine how housing development patterns affect firefighting costs.

Consider fire i in national forest f and month t . Suppose that observed firefighting costs are

$$\ln \text{Cost}_{ift} = g(\text{Homes}_{it}) + \beta' X_{ift} + \varepsilon_{ift}$$

where Homes_{it} is the distance from the ignition point to the nearest home, and the controls X_{ift} include

- permanent fixed effect for the forest f
- state-by-time fixed effects
- terrain slope, aspect; weather conditions,

and ε_{ift} is the unobserved determinant of firefighting costs.

We can obtain a causal estimate of g with this regression if the error ε_{ift} is uncorrelated with the housing locations, Homes_{it} , conditional on the controls X_{ift} .

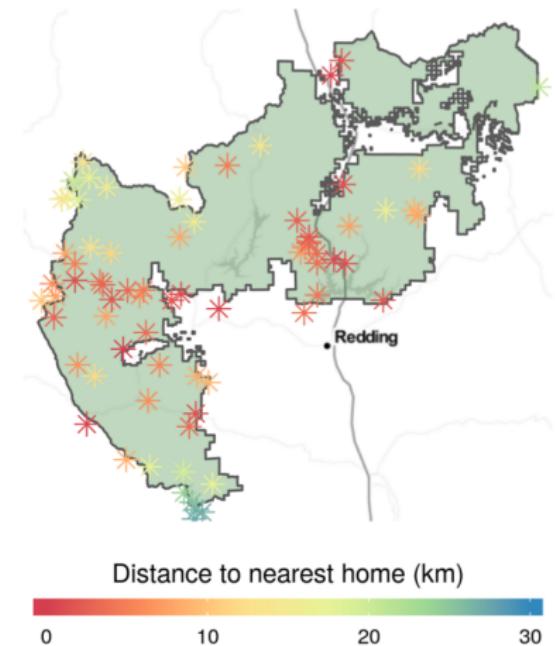
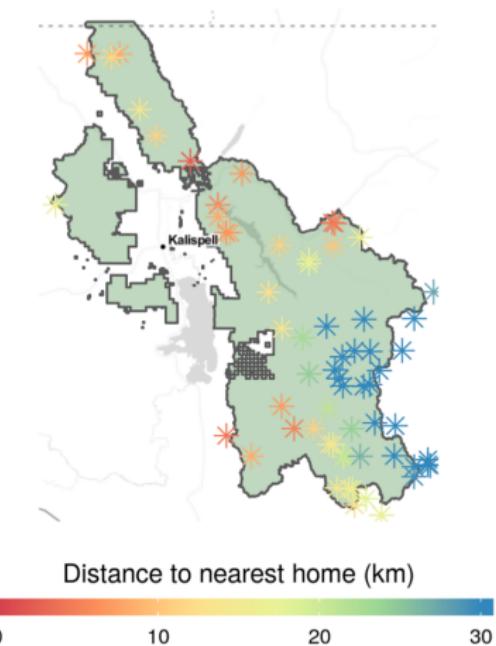
Source of identifying variation

Basic idea to identify the prior regression:

- many fires occur within the same forest and general time period
- some occur in locations close to houses, and some don't

focus on this narrower comparison ↪

Ignition locations



Notes: Each panel shows a single national forest area in green. Stars show individual wildfires colored by distance from ignition point to nearest home (top-coded at 30 km). Left map is Flathead National Forest (Montana); right map is Shasta Trinity National Forest (California).

Specifying distance

Baseline specification for g is a step function that takes on a different value for each of five distance bins:

- 0–10 km
- 10–20 km
- 20–30 km
- 30–40 km
- 40+ km

In the next slide, we will see results that give the value of g relative to the 0–10 km case ↵

Proximity and firefighting costs

Table 1: The Effect of Proximity to Homes on Firefighting Costs

	(1)	(2)	(3)	(4)	(5)
Distance to Homes (km)					
10–20	-0.34 (0.15)	-0.34 (0.15)	-0.42 (0.19)	-0.38 (0.21)	-0.46 (0.32)
20–30	-0.97 (0.28)	-0.90 (0.27)	-1.00 (0.37)	-0.97 (0.34)	-1.52 (0.57)
30–40	-1.73 (0.46)	-1.66 (0.45)	-1.67 (0.51)	-1.72 (0.50)	-2.50 (0.73)
40+	-2.09 (0.41)	-2.03 (0.38)	-1.93 (0.46)	-2.11 (0.45)	-2.21 (0.91)
Controls for Weather, Topography, and Vegetation	X	X	X	X	X
National Forest FE	X	X	X	X	X
Year by State FE	X	X		X	X
Month-of-Year by State FE	X	X		X	X
Month-of-Sample by State FE			X		
Lightning fires only				X	
Timber Fuels only					X
Fires	2,089	2,089	2,089	1,470	772
R ²	0.42	0.43	0.54	0.45	0.58

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Robust to different controls

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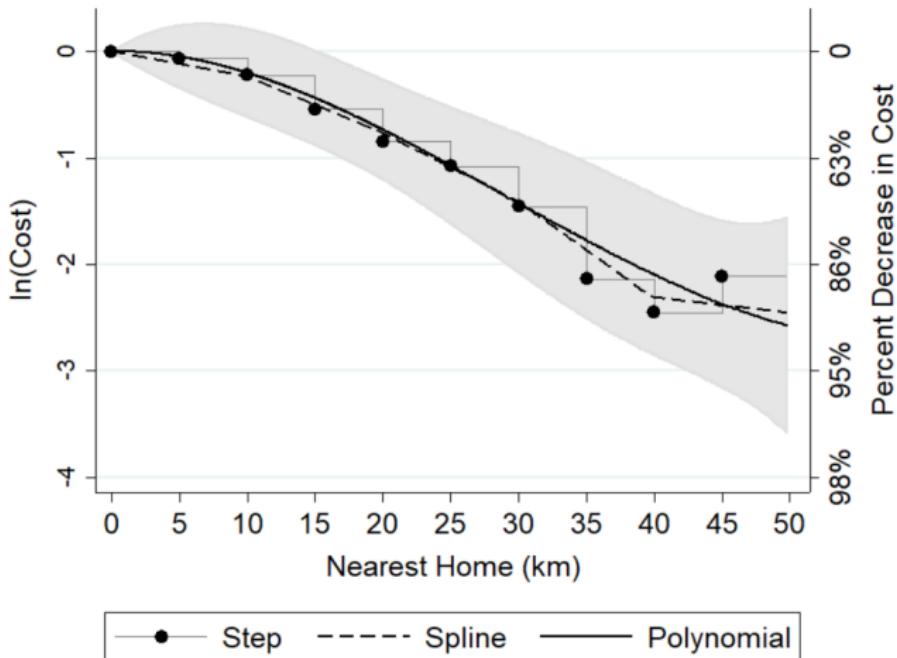
Robust to source of fire

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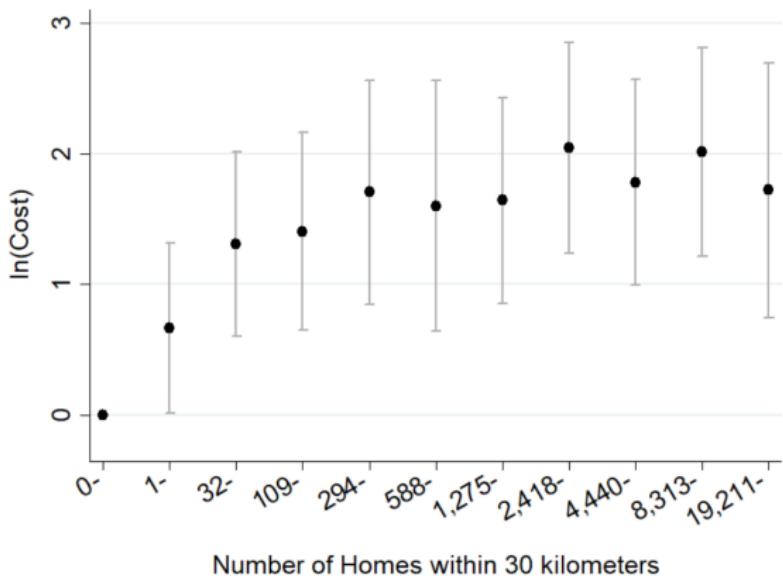
Robust to more flexible function g

Figure 3: The Effect of Homes on Firefighting Costs



Costs also depend on the number of homes

Figure 4: Non-linear Effects of the Number of Nearby Homes



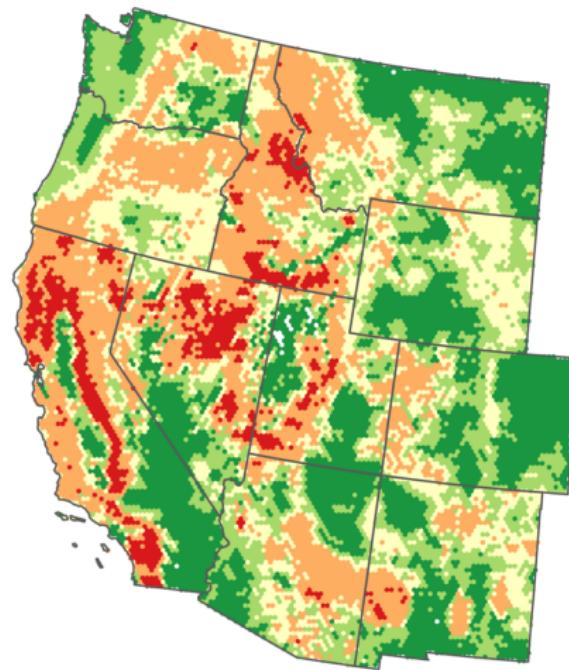
Notes: Figure shows point estimates and 95% confidence intervals from a regression of log firefighting cost on deciles of home counts within 30 kilometers of the fire's ignition point. The regression includes national forest fixed effects, state by month-of-year fixed effects, and state by year fixed effects. Standard errors are clustered by national forest.

Interpreting the estimates

Next step: calculate implied subsidy $\hat{s} = pf/n$ for each home, using

- these estimated coefficients
- map of fire risk
- map of homes (8.6 million homes near wildland; 44% of all western US homes)

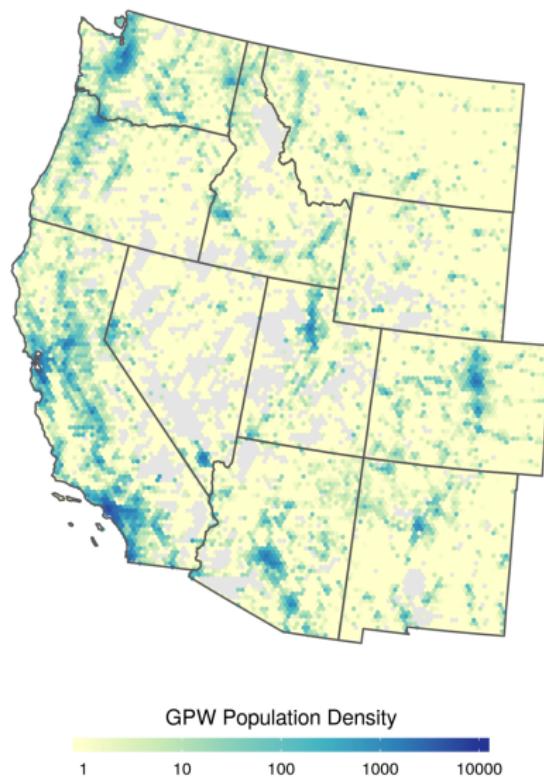
1. Fire risk



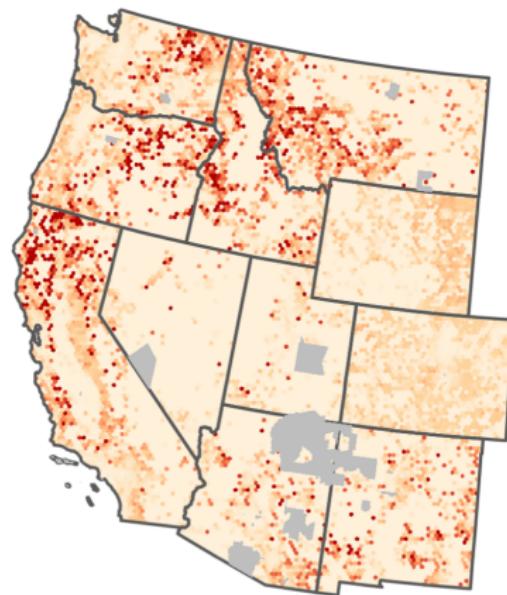
Wildfire Hazard Potential

Very low	Low	Moderate	High	Very High
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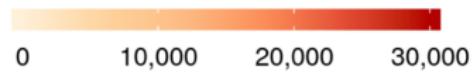
2. Population density



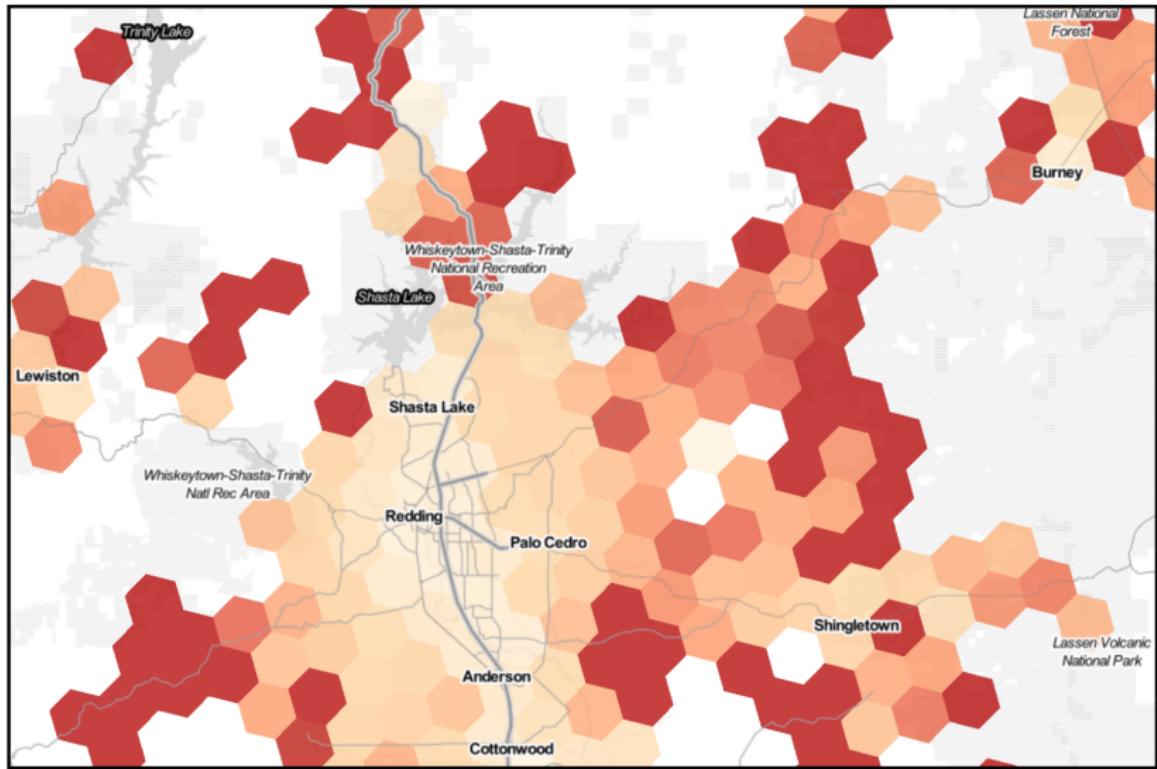
Expected protection costs



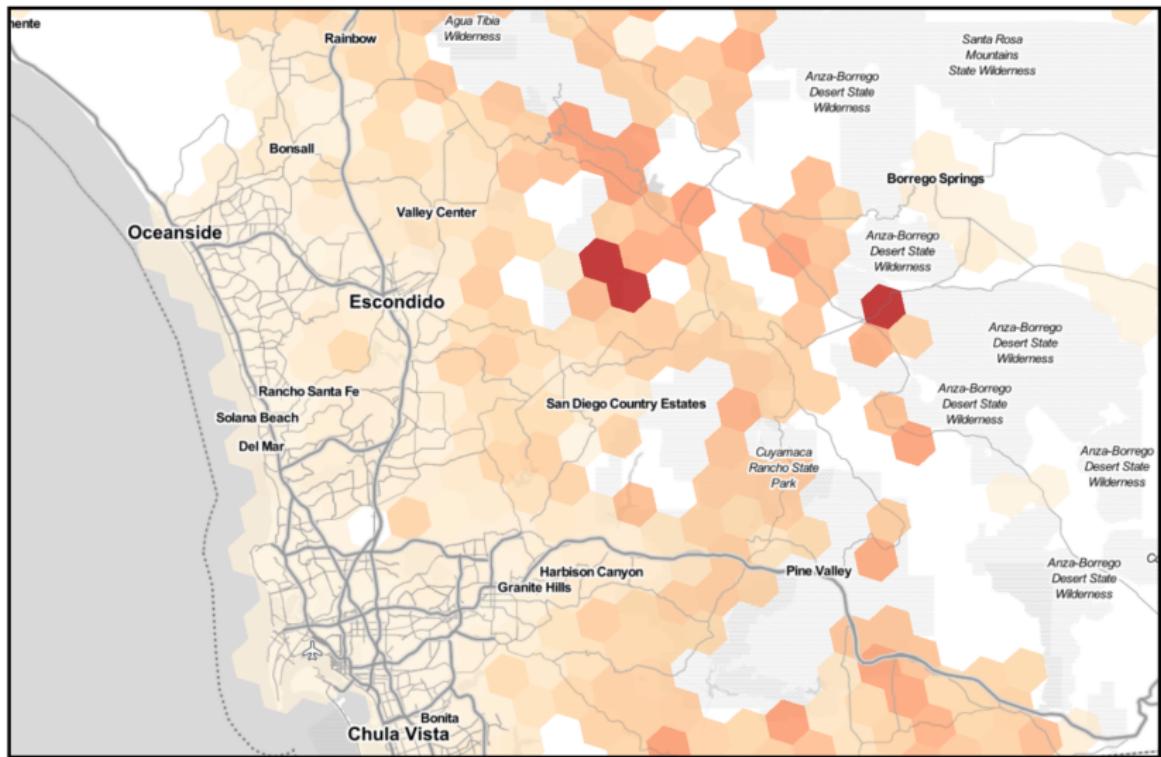
Expected Protection Cost (NPV)



Local variation, Shasta County

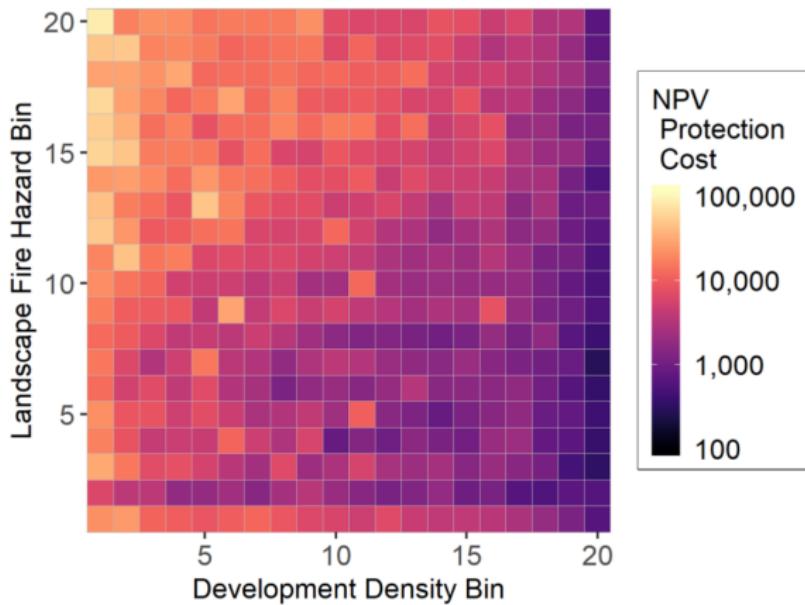


Local variation, San Diego County



Expected protection costs

Figure 5: Average Historical Protection Costs for 8.6 Million W.U.I. Homes



Notes: Figure shows average NPV of historical protection costs in each cell. The 20 horizontal-axis bins are defined by the grid cell-level distribution of population density. The 20 vertical-axis bins are defined by wildfire hazard potential (Dillon 2015).

Expected protection costs

Table 2: Expected Protection Costs for 8.6 Million Western Homes

	(1) Federal Suppression Only (\$)	(2) Suppression Plus (\$)	(3) California Only (\$)	(4) Share of Property Value (%)
Mean	1,077	2,408	2,712	1.6
p50	500	1,200	1,300	0.6
p90	2,100	5,200	6,600	3.6
p95	3,800	8,400	9,000	5.5
p99	12,700	22,700	18,200	19.6
N	8,633,554	8,633,554	3,483,715	8,633,554

Notes: This table describes the distribution of expected firefighting costs for homes in the western United States.

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Drawing things together

Suppose that p_h is the initial price of housing. We have an estimate,

$$\hat{s} = p \frac{f}{n},$$

of the expected protection cost.

Suppose the long-run price elasticity of demand for new housing is $\eta = -1$.

Then the counterfactual percentage increase in housing **without** the subsidy is

$$\underbrace{\frac{n' - n^0}{n^0}}_{\% \uparrow \text{ housing}} \approx \eta \cdot \underbrace{\frac{-\hat{s}}{p_h + \hat{s}}}_{\% \downarrow \text{ price}}.$$

Moral hazard

Table 3: Implied Changes in Housing Quantity

Wildfire Hazard Class	Density Group	Subsidy as % of Observed Price	Observed Number of Homes	% Increase in Quantity Due to Subsidy
<i>Panel A. Highest Risk Areas</i>				
5	0	36.2	11,331	26.6
4	0	21.9	28,118	18.0
1–3	0	15.9	111,713	13.7
5	1	13.5	15,019	11.9
4	1	11.0	31,968	9.9
1–3	1	6.1	154,463	5.7
5	2	5.8	26,010	5.5
4	2	7.0	60,453	6.5
1–3	2	4.0	265,348	3.8

Next time

After Thanksgiving, we will discuss innovation, renewable energy, and electric vehicles.