

Time Complexity Estimates

Depth-First Search as implemented in `X.MyDFS.dfs(DirectedGraph<E> graph)`

I have used the recursive approach.

We are visiting each node only once. And in the worst case we need to visit all edges once.

Therefore the time complexity will be $O(N+E)$.

Breadth-First Search as implemented in `X.MyBFS.bfs(DirectedGraph<E> graph)`

I have used the Queue-approach.

And again, all nodes and edges in worst case need to be visited one time. Therefore the time complexity again will be $O(N+E)$.

Transitive Closure as implemented in `X.MyTransitiveClosure.computeClosure(DirectedGraph<E> graph)`

I have used the Slide-approach from the lecture. This is as I know a really slow solution (50-60 seconds) and I was trying to use a Tarjan to solve this but didn't succeed so that's why I will go with this solution instead.

Here we are looping through each node once and on each node we are running a dfs.

Therefore the time complexity will be $O(N*N+E)$.

Connected Components as implemented in `X.MyConnectedComponents.computeComponents(DirectedGraph<E> graph)`

I have used an approach where I loop through all nodes running a dfs on it and then I check if a node is already part of a component then we just merge it together. With this approach I only need to visit each node once. Therefore the time complexity will be $O(n \log n + \log e)$.