



Modeling white mold with more than genomics

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Outline

1. Introduction

- White mold
- Model and data sources

2. Environmental data

- Features and models
- Models with GxE
- Random regression

3. Secondary traits

- High-throughput phenotyping
- Identification of key traits

4. Conclusion

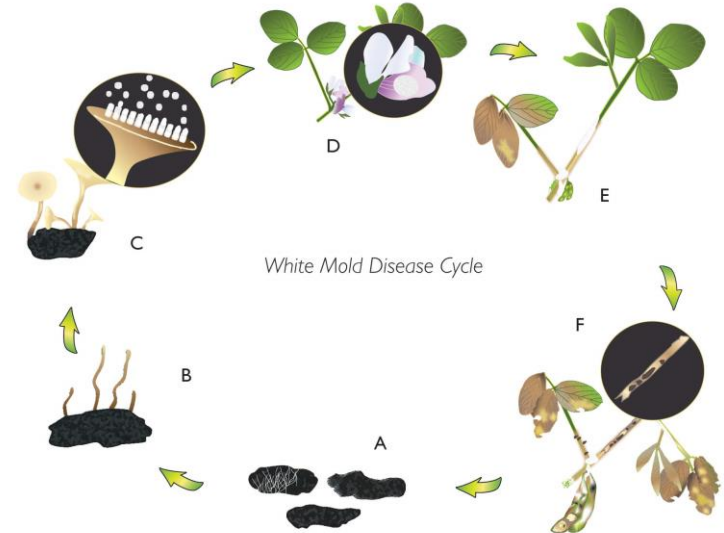


<http://www.sclerotia.org/lifecycle/apothecia>

Sclerotinia sclerotiorum



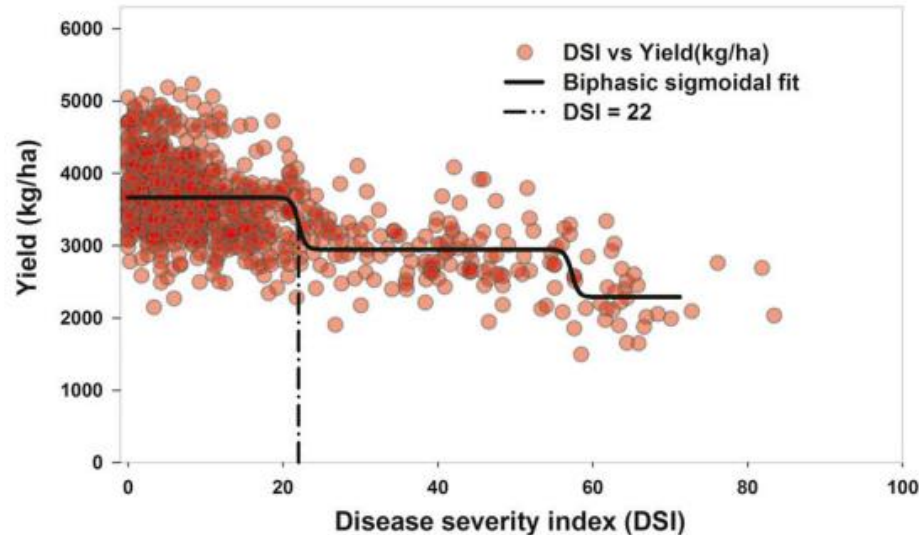
<https://www.pioneer.com/CMRoot/Pioneer/US/agronomy/cropfocus/soybeans/White-Mold-Soybeans.pdf>



Source: <https://soybeanresearchinfo.com/soybean-disease/white-mold/>

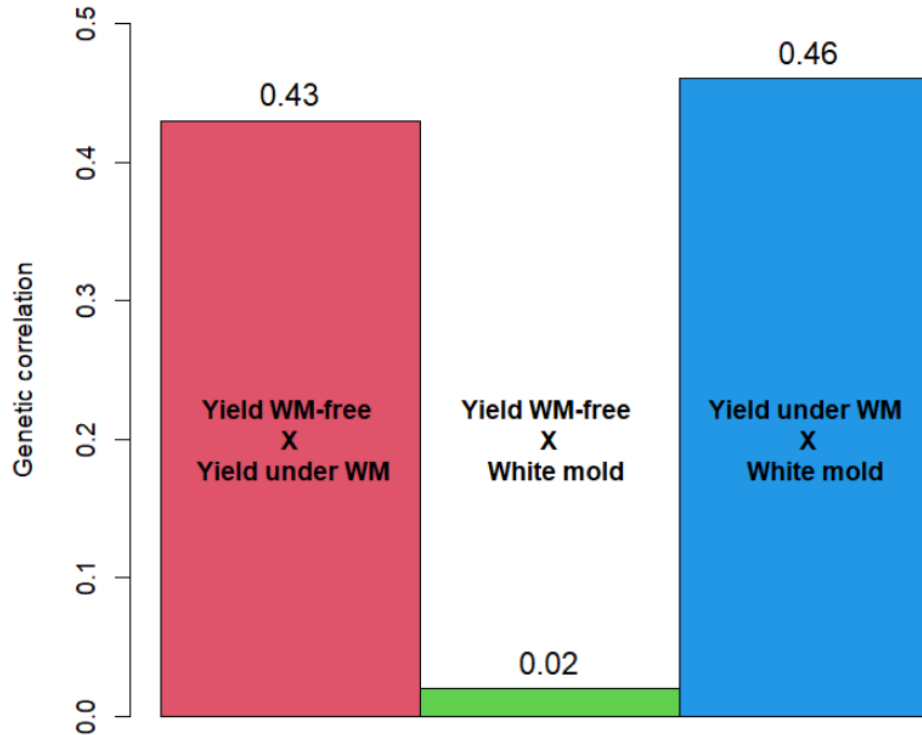
White mold can decrease yield by up to 60%

(Cunha et al. 2010, [10.1111/j.1365-3059.2010.02279.x](https://doi.org/10.1111/j.1365-3059.2010.02279.x))



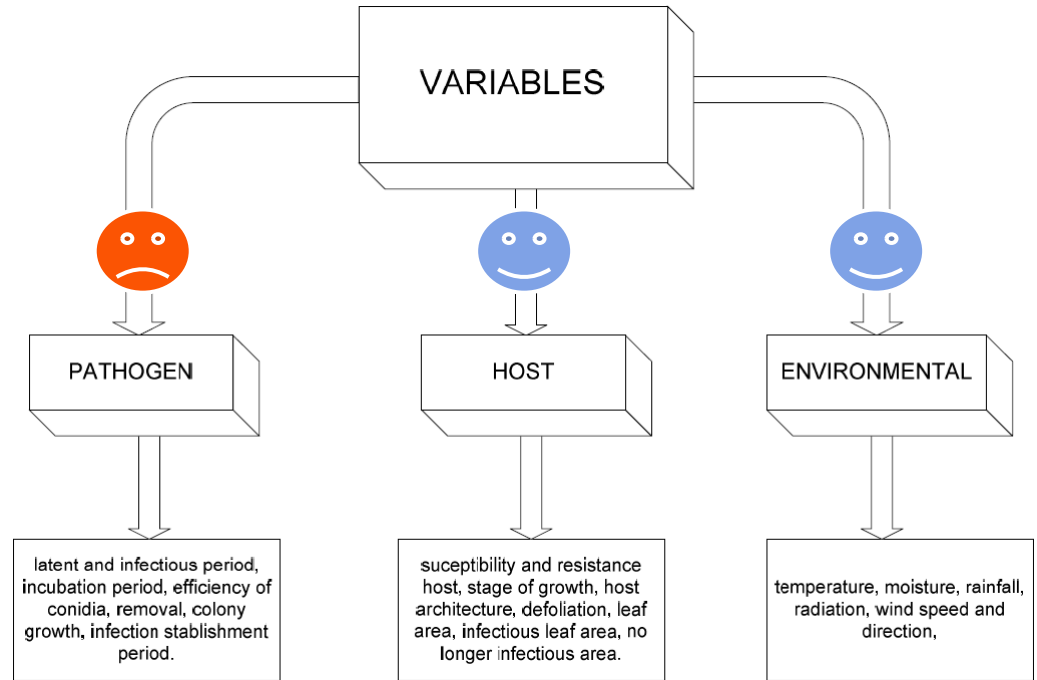
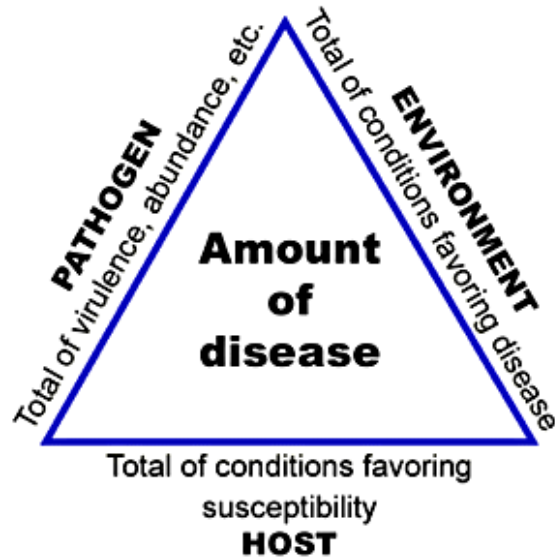
Fall et al. (2018) Phytopathology 108(4)
<https://doi.org/10.1094/PHYTO-12-16-0446-R>

WM and its genetic correlation to yield



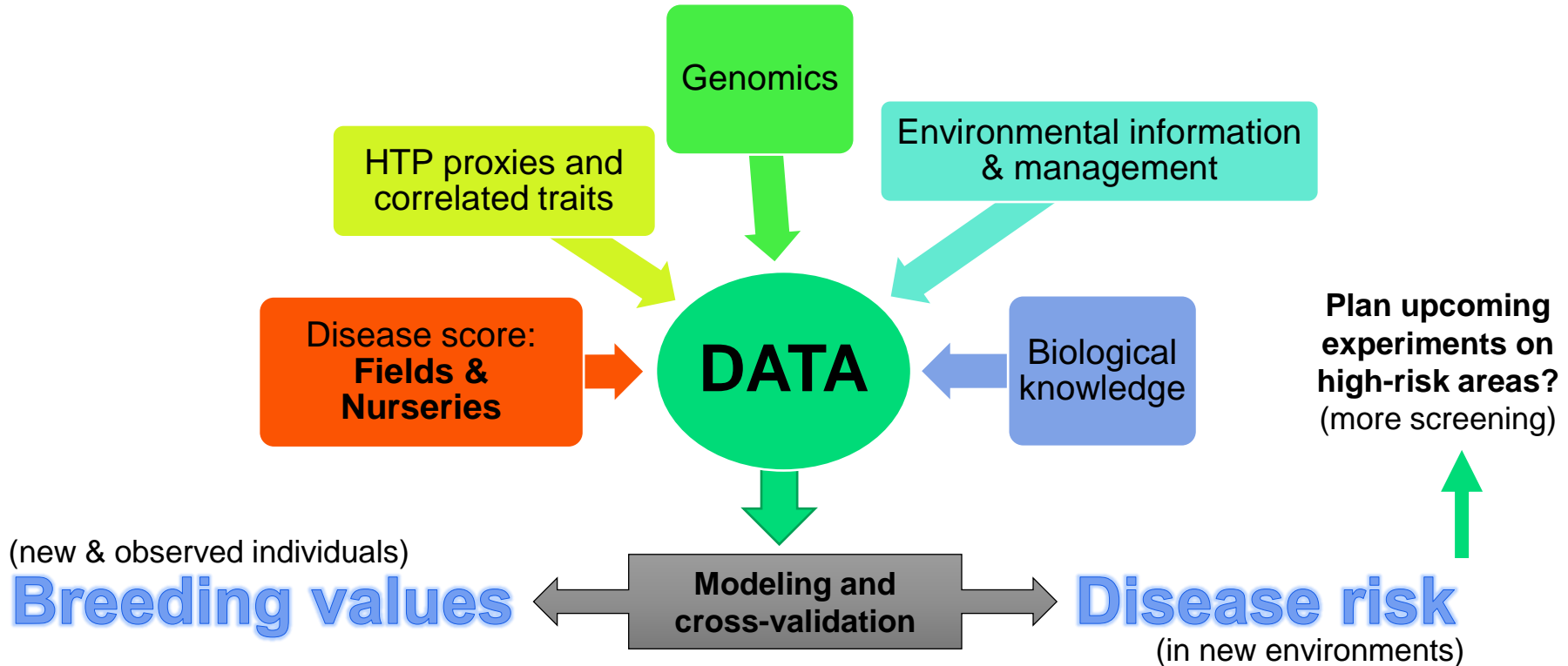
Topic 1: Models with environmental data

Disease principles



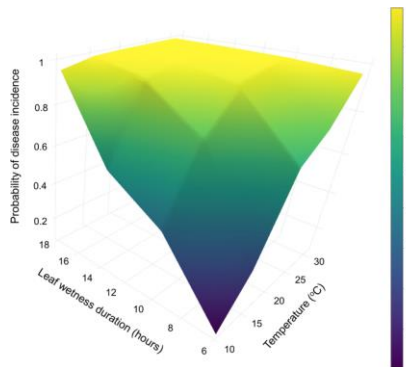
Contreras-Medina, L. M., et al. "Mathematical modeling tendencies in plant pathology." *African Journal of Biotechnology* 8.25 (2009).

Model construction

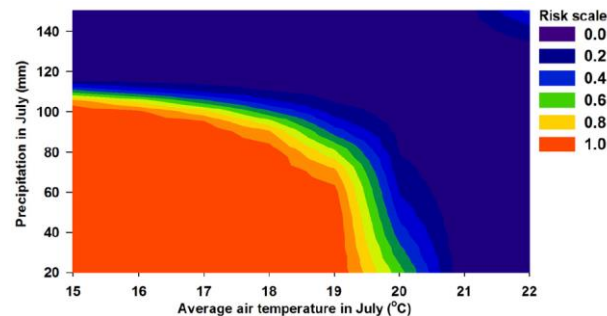


Some things we know about white mold

- Conducive conditions: **Cold-wet**, dense canopy, high fertility
- Timing: Sclerotinia spores **infects flowers** (30+ days, R1-R4)
- Existing inoculum: Is the previous crop a host? beans, canola, alfalfa, sunflower
- QTLs reported on chromosomes: **1, 3, 4, 7, 8, 10, 11, 17, 19, 20**
 - Iqaira and François ([10.1186/s12870-014-0408-y](https://doi.org/10.1186/s12870-014-0408-y)), Jing et al. 2021 ([10.1016/j.ygeno.2020.10.042](https://doi.org/10.1016/j.ygeno.2020.10.042)), Zhang et al. 2021 ([10.1007/s13353-021-00654-z](https://doi.org/10.1007/s13353-021-00654-z)), Kandell et al 2018 ([10.3389/fpls.2018.00505](https://doi.org/10.3389/fpls.2018.00505)), Antwi-Boasiako et al. 2021 ([10.1007/s10681-021-02909-6](https://doi.org/10.1007/s10681-021-02909-6))

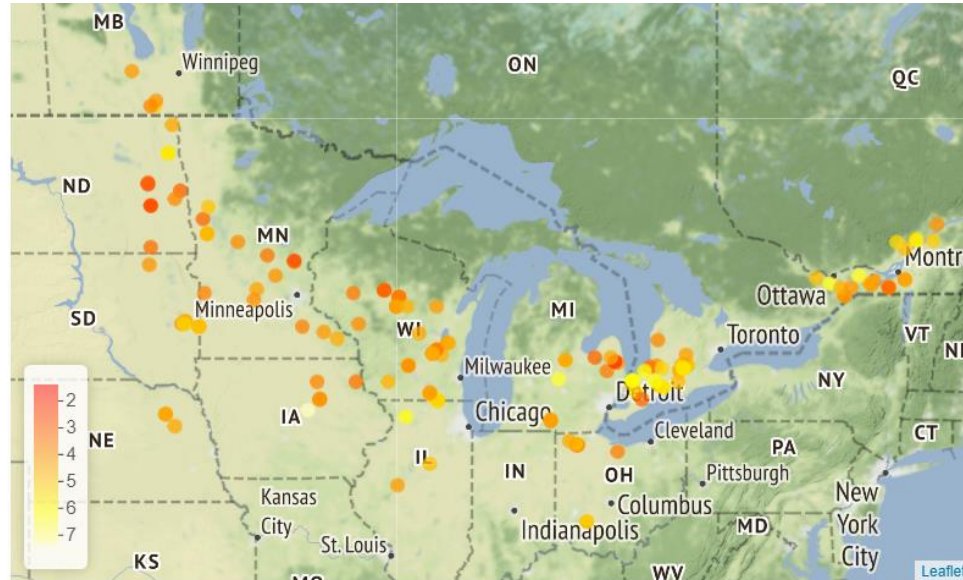


Shahoveisi et al. (2022) <https://doi.org/10.1038/s41598-021-04743-1>



Fall et al. (2018) <https://doi.org/10.1094/PHYTO-12-16-0446-R>

Dataset

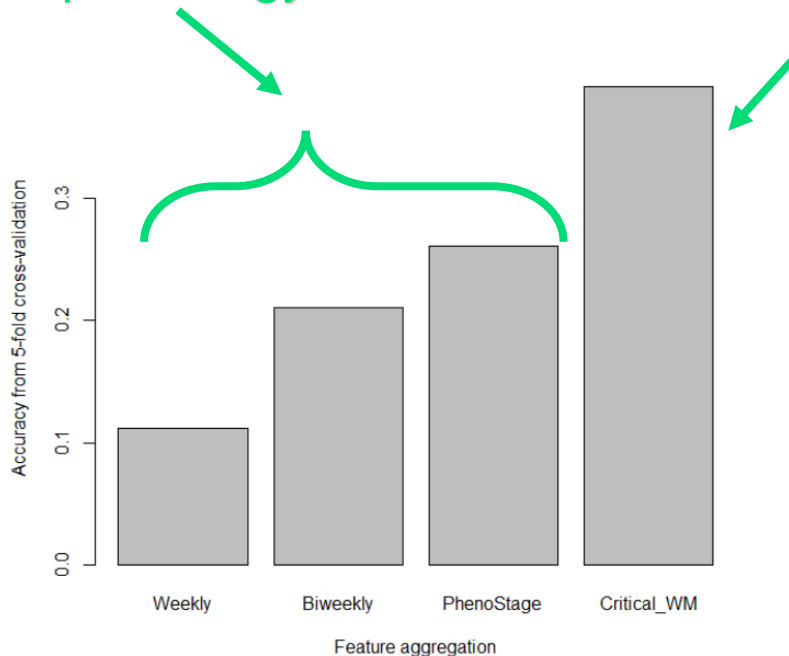


23K observations
16K genotypes
166 environments
(over 7 years)

All-in approach vs tailored features

All env. features in the model,
aggregated by time or phenology

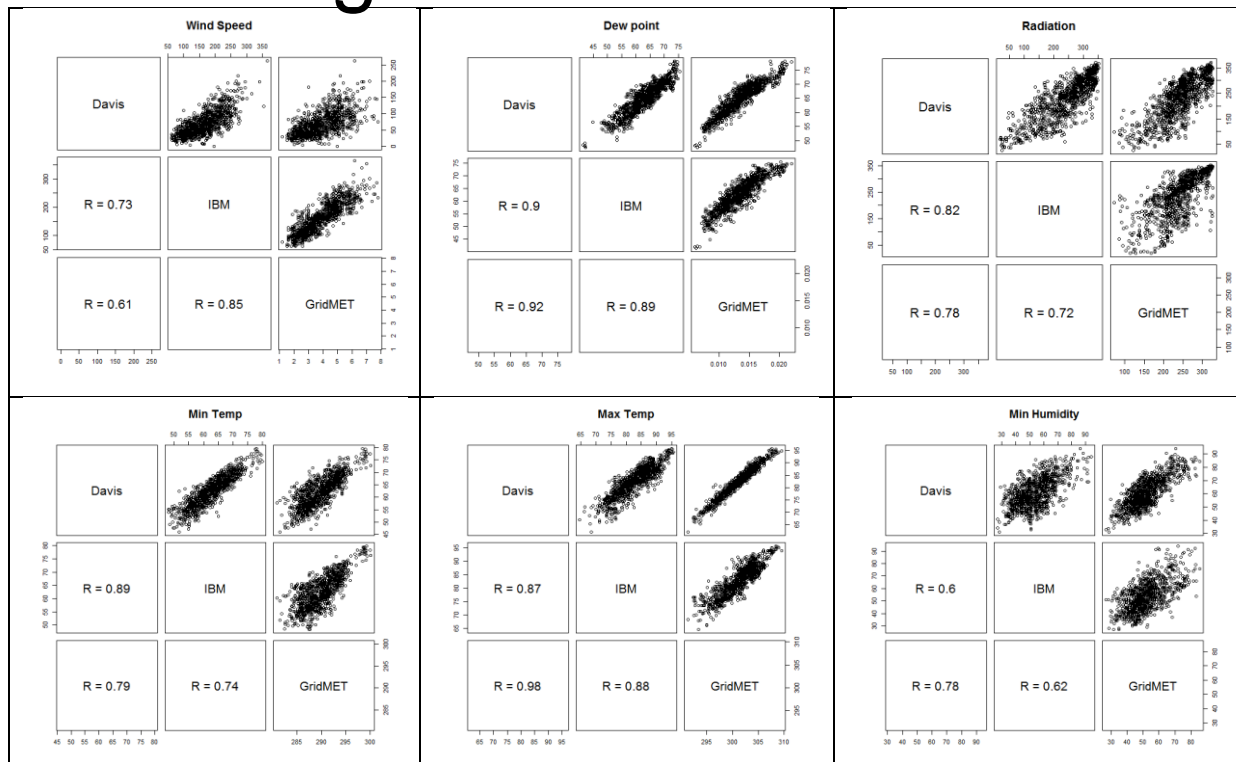
Only features
pertinent to WM,
aggregated R1-R3



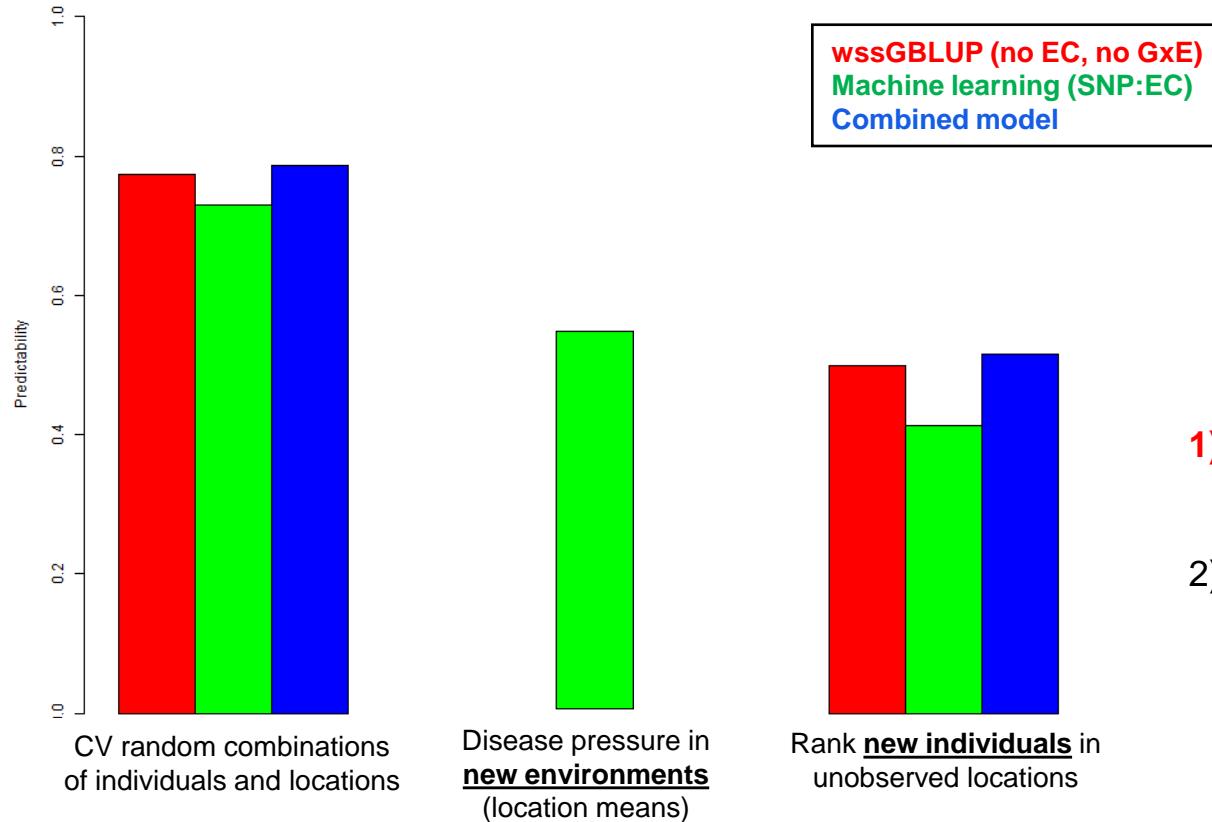
* Predictions of environmental means
based on Gaussian kernel fit with REML

(SIDE NOTE)

Variation among source of environmental data



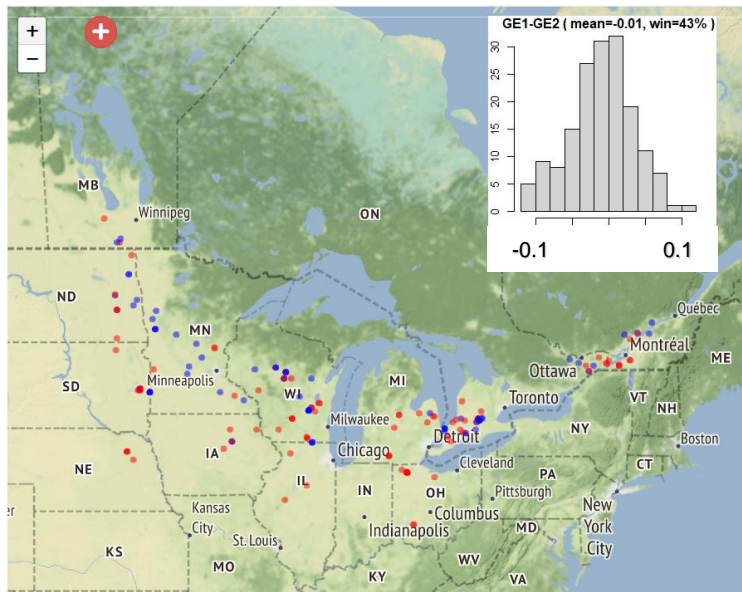
Model testing and validation



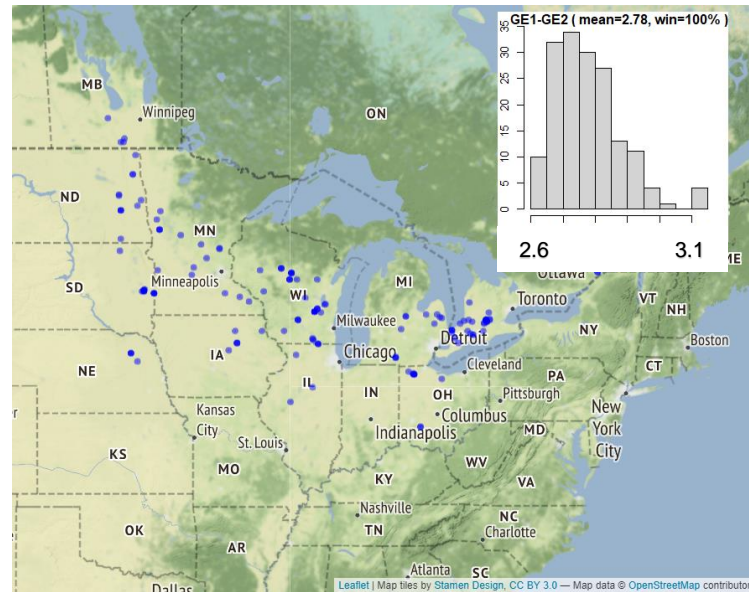
- 1) Genetic architecture is largely additive, minor GxE
- 2) ML models can predict OK the disease pressure ($r \cong 0.55$)

Product placement with GxE?

GxE depicts the reranking of genotypes with similar levels of disease resistance



Resistant cultivars will always outperform susceptible ones, despite GxE variation



Random Regression

For the random regression model

$$y = Xb + \sum_i^I Z_i u_i + e$$

$$V(Z_i u_i) = Z_i G Z_i' \sigma_i^2$$

$$V(u_{i,i'}) = 0$$

$$V(e) = I \sigma_e^2$$

Good when there are
few, but important ECs

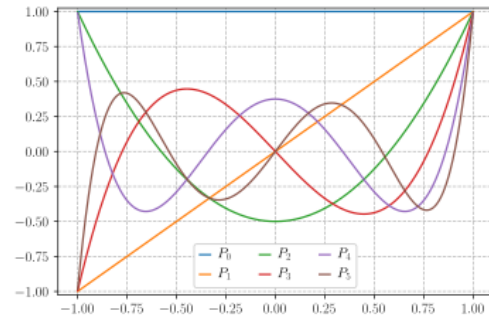
What are the random effects?

X = Permanent environment → AOI means

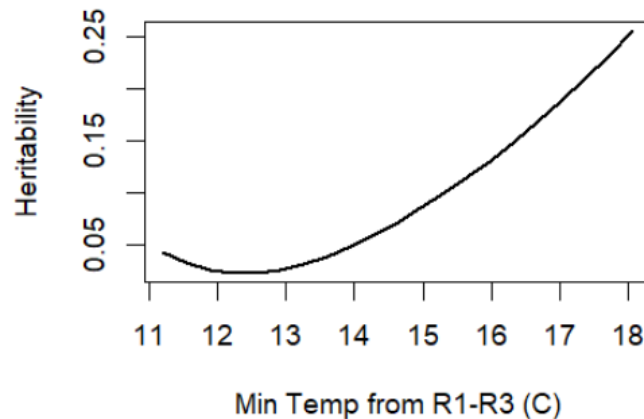
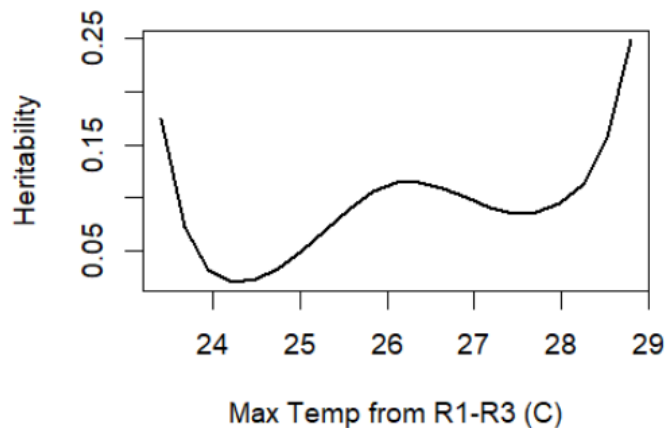
$Z_{i=0}$ = Common genetic factor

$Z_{i \neq 0}$ = Polynomial of some order from some EC →

Legendre Polynomials



Random regression uses specific environmental factors to modulate GEBVs and genetic variance



Avg. plot-level $h^2 = 0.28$

Topic 2: Models with secondary traits

High-throughput phenotyping

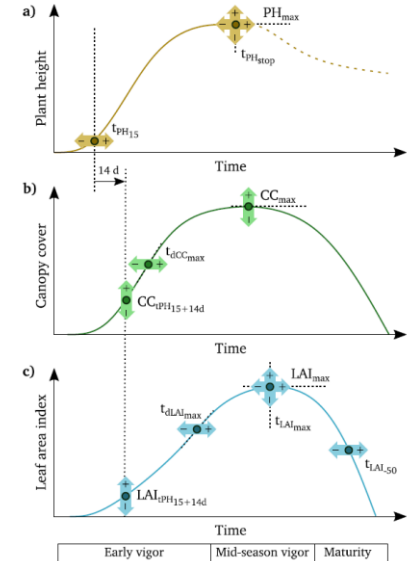


Singh A.K. et al. (2021) High-Throughput Phenotyping in Soybean.
https://doi-org.ezproxy.lib.purdue.edu/10.1007/978-3-030-73734-4_7

**But no direct HTP
measurements of WM (yet)**

Correlation(HTP, main trait)

Intermediate traits	t_{PH15}	0.05	-0.17	Early vigor
	$CC_{t_{PH15}}$	-0.59	0.61	
	$t_{dCC_{max}}$	0.61	-0.7	
	$LAI_{t_{PH15}}$	-0.47	0.61	
	$t_{dLAI_{max}}$	0.46	-0.91	Mid-season vigor
	PH_{max}	0.11	0.13	
	LAI_{max}	-0.26	0.36	
	$t_{LAI_{max}}$	0.77	-0.93	
	$t_{LAI_{50}}$	0.04	0.72	
	Protein Yield Target traits			



Roth et al. (2022) High-throughput field phenotyping of soybean: Spotting an ideotype. <https://doi.org/10.1016/j.rse.2021.112797>

Identification of key traits

- **Candidate traits**: Bandwidth transformations, ratios or models
(e.g., Mfuka 2019 used NDVI; Vigier et al. 2004 used R_{636} - R_{685})
- **Multivariate models**: Fit multiple correlated traits in the same model to capture their genetic covariance:

$$\begin{bmatrix} y_1 \\ y_2 \end{bmatrix} = \begin{bmatrix} X_1 & 0 \\ 0 & X_2 \end{bmatrix} \begin{bmatrix} b_1 \\ b_2 \end{bmatrix} + \begin{bmatrix} Z_1 & 0 \\ 0 & Z_2 \end{bmatrix} \begin{bmatrix} u_1 \\ u_2 \end{bmatrix} + \begin{bmatrix} e_1 \\ e_2 \end{bmatrix}$$

with

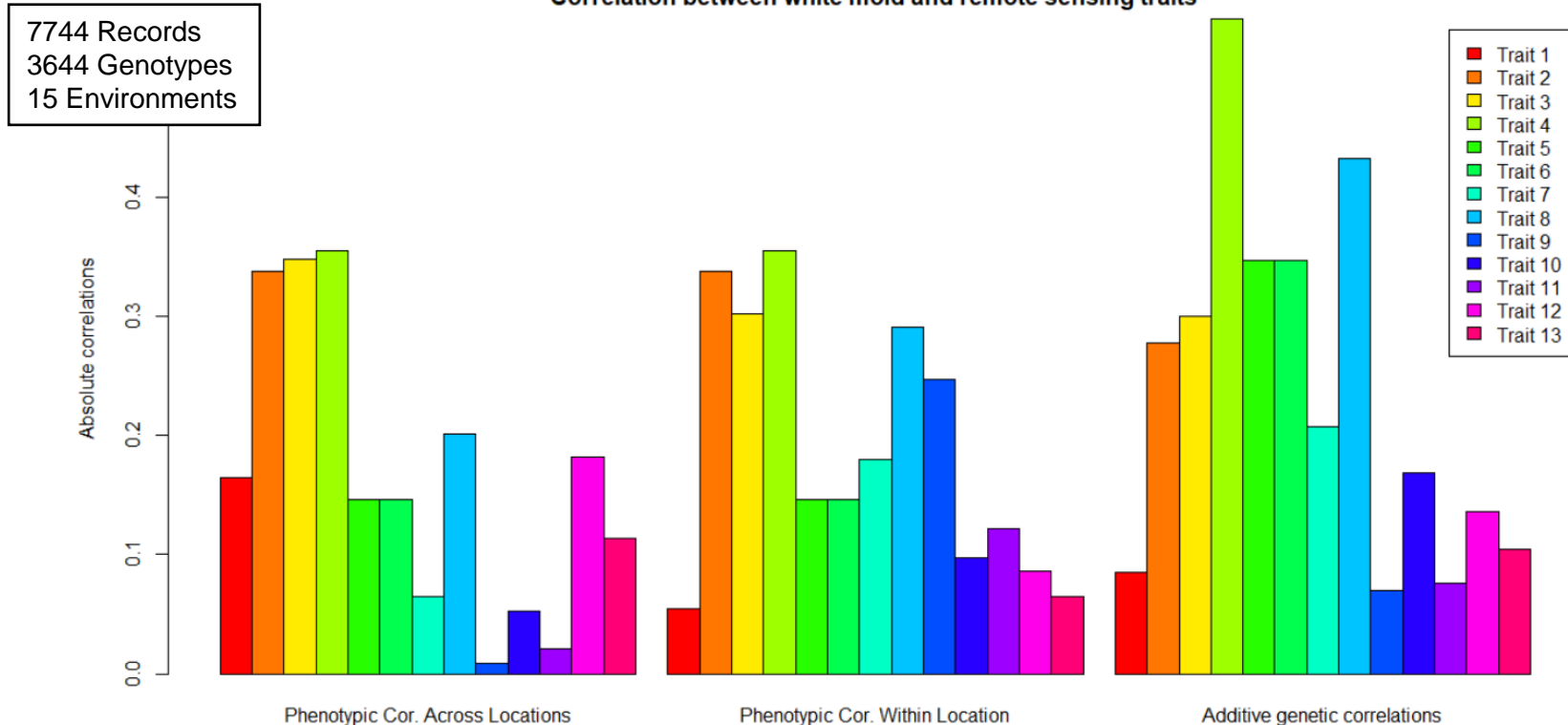
$$\text{Var} \begin{pmatrix} u_1 \\ u_2 \end{pmatrix} = \begin{bmatrix} \text{Var}(u_1) & \text{Cov}(u_1, u_2) \\ \text{Cov}(u_1, u_2) & \text{Var}(u_2) \end{bmatrix}$$

Key advantage

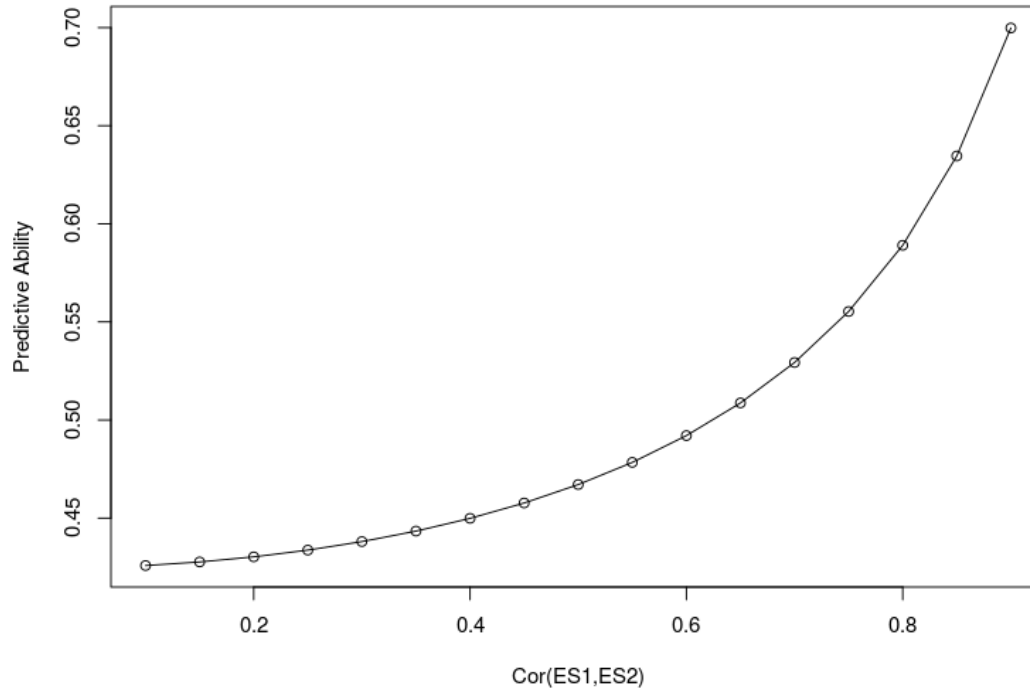
Leverage information from secondary and/or proxy traits through the genetic covariance

Identification of key traits

Candidate traits



Use of secondary traits

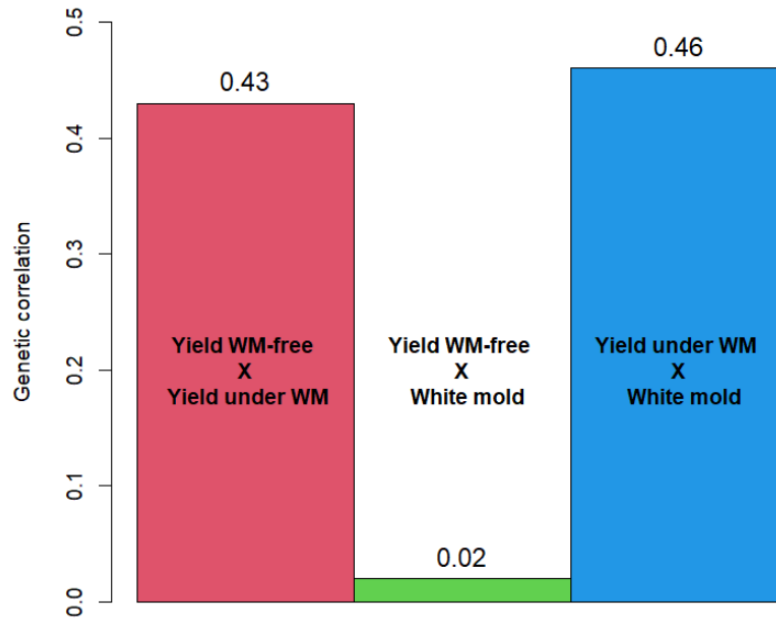


Empirical calculation

Formulas available in Wientjes et al. (2016) Genetics 202(2)
<https://doi.org/10.1534/genetics.115.183269>

$h_1^2 = h_2^2 = 0.5$
Pop: 20 FS + 10 HS

Use of secondary traits



Alternatively, improve **yield under white mold** as a separate trait from yield

Thank you for your attention!

Remarks:

- 1) Biologically meaningful features are generally preferred over 'all-in' approach
- 2) GxE re-ranks genotypes with similar resistance levels (but not from "R" to "S")
- 3) Secondary traits from HTP can be used to increase GEBV accuracy

Questions??

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