# **Interval Selection**



Given a set of n intervals, find the size of its largest possible subset of intervals such that no three intervals in the subset share a common point.

### **Input Format**

The first line contains an integer, s, denoting the number of interval sets you must find answers for. The  $s \cdot (n+1)$  subsequent lines describe each of the s interval sets as follows:

- 1. The first line contains an integer, n, denoting the number of intervals in the list.
- 2. Each line i of the n subsequent lines contains two space-separated integers describing the respective starting  $(a_i)$  and ending  $(b_i)$  boundaries of an interval.

#### **Constraints**

- $1 \le s \le 100$
- $2 \le n \le 1000$
- $1 \le a_i \le b_i \le 10^9$

#### **Output Format**

For each of the s interval sets, print an integer denoting the size of the largest possible subset of intervals in the given set such that no three points in the subset overlap.

## Sample Input

```
3
12
2 3
2 4
3
15
15
15
1 10
13
4 6
7 10
4
1 10
13
3 6
7 10
```

#### **Sample Output**

```
2
2
4
3
```

## **Explanation**

For set  $s_0$ , all three intervals fall on point 2 so we can only choose any 2 of the intervals. Thus, we print 2 on a new line.

For set  $s_1$ , all three intervals span the range from 1 to 5 so we can only choose any 2 of them. Thus, we print 2 on a new line.

For set  $s_2$ , we can choose all 4 intervals without having more than two of them overlap at any given point. Thus, we print 4 on a new line.

For set  $s_3$ , the intervals [1,10], [1,3], and [3,6] all overlap at point 3, so we must only choose 2 of these intervals to combine with the last interval, [7,10], for a total of 3 qualifying intervals. Thus, we print 3 on a new line.