

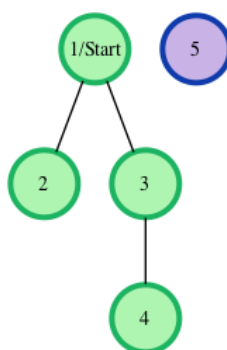
# Breadth First Search: Shortest Reach



Consider an undirected graph where each edge is the same weight. Each of the nodes is labeled consecutively.

You will be given a number of queries. For each query, you will be given a list of edges describing an undirected graph. After you create a representation of the graph, you must determine and report the shortest distance to each of the other nodes from a given starting position using the *breadth-first search* algorithm (BFS). Distances are to be reported in node number order, ascending. If a node is unreachable, print **-1** for that node. Each of the edges weighs 6 units of distance.

For example, given a graph with **5** nodes and **3** edges, **[1, 2]**, **[1, 3]**, **[3, 4]**, a visual representation is:



The start node for the example is node **1**. Outputs are calculated for distances to nodes **2** through **5**: **[6, 6, 12, -1]**. Each edge is **6** units, and the unreachable node **5** has the required return distance of **-1**.

## Function Description

Complete the `bfs` function in the editor below. It must return an array of integers representing distances from the start node to each other node in node ascending order. If a node is unreachable, its distance is **-1**.

`bfs` has the following parameter(s):

- *n*: the integer number of nodes
- *m*: the integer number of edges
- *edges*: a 2D array of start and end nodes for edges
- *s*: the node to start traversals from

## Input Format

The first line contains an integer *q*, the number of queries. Each of the following *q* sets of lines has the following format:

- The first line contains two space-separated integers *n* and *m*, the number of nodes and edges in the graph.
- Each line *i* of the *m* subsequent lines contains two space-separated integers, *u* and *v*, describing an edge connecting node *u* to node *v*.
- The last line contains a single integer, *s*, denoting the index of the starting node.

## Constraints

- $1 \leq q \leq 10$

- $2 \leq n \leq 1000$
- $1 \leq m \leq \frac{n \cdot (n-1)}{2}$
- $1 \leq u, v, s \leq n$

### Output Format

For each of the  $q$  queries, print a single line of  $n - 1$  space-separated integers denoting the shortest distances to each of the  $n - 1$  other nodes from starting position  $s$ . These distances should be listed sequentially by node number (i.e.,  $1, 2, \dots, n$ ), but *should not* include node  $s$ . If some node is unreachable from  $s$ , print  $-1$  as the distance to that node.

### Sample Input

```
2
4 2
1 2
1 3
1
3 1
2 3
2
```

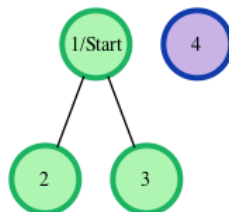
### Sample Output

```
6 6 -1
-1 6
```

### Explanation

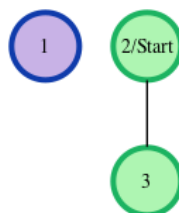
We perform the following two queries:

1. The given graph can be represented as:



where our *start* node,  $s$ , is node **1**. The shortest distances from  $s$  to the other nodes are one edge to node **2**, one edge to node **3**, and an infinite distance to node **4** (which it's not connected to). We then print node **1**'s distance to nodes **2**, **3**, and **4** (respectively) as a single line of space-separated integers: **6**, **6**, **-1**.

2. The given graph can be represented as:



where our *start* node,  $s$ , is node **2**. There is only one edge here, so node **1** is unreachable from node **2** and node **3** has one edge connecting it to node **2**. We then print node **2**'s distance to nodes **1** and **3** (respectively) as a single line of space-separated integers: **-1** **6**.

**Note:** Recall that the actual length of each edge is **6**, and we print  $-1$  as the distance to any node that's unreachable from  $s$ .

