

# Unfair Game



You are playing a game of Nim with a friend. The rules are as follows:

- 1) Initially, there are  $N$  piles of stones. Two players play alternately.
- 2) In each turn, a player can choose one non empty pile and remove any number of stones from it. At least one stone must be removed.
- 3) The player who picks the last stone from the last non empty pile wins the game.

It is currently your friend's turn. You suddenly realize that if your friend was to play optimally in that position, you would lose the game. So while he is not looking, you decide to cheat and add some (possibly 0) stones to each pile. You want the resultant position to be such that your friend has no guaranteed winning strategy, even if plays optimally. You cannot create a new pile of stones. *You can only add stones, and not remove stones from a pile.* What is the least number of stones you need to add?

## Input Format

The first line contains the number of cases  $T$ .  $T$  cases follow. Each case contains the number  $N$  on the first line followed by  $N$  numbers on the second line. The  $i$ th number denotes  $s_i$ , the number of stones in the  $i$ th pile currently.

## Constraints

$$1 \leq T \leq 20$$

$$2 \leq N \leq 15$$

$$1 \leq s_i < 1000000000 (10^9)$$

## Output Format

Output  $T$  lines, containing the answer for each case. If the current position is already losing for your friend, output 0.

## Sample Input

```
3
2
1 3
3
1 1 1
4
10 4 5 1
```

## Sample Output

```
2
3
6
```

## Explanation

For the first case, add 2 stones to the first pile. Then, both piles will have 3 stones each. It is easy to verify that your friend cannot win the game unless you make a mistake.

For the second case, add 1 stone to the first pile, and 2 stones to the second pile.