Absolute Permutation



We define P to be a permutation of the first n natural numbers in the range [1, n]. Let pos[i] denote the value at position i in permutation P using 1-based indexing.

P is considered to be an absolute permutation if |pos[i]-i|=k holds true for every $i\in [1,n]$.

Given n and k, print the lexicographically smallest absolute permutation P. If no absolute permutation exists, print -1.

For example, let n=4 giving us an array pos=[1,2,3,4]. If we use 1 based indexing, create a permutation where every |pos[i]-i|=k. If k=2, we could rearrange them to [3,4,1,2]:

```
pos[i] i |Difference|
3 1 2
4 2 2
1 3 2
2 4 2
```

Function Description

Complete the *absolutePermutation* function in the editor below. It should return an integer that represents the smallest lexicographically smallest permutation, or -1 if there is none.

absolutePermutation has the following parameter(s):

- n: the upper bound of natural numbers to consider, inclusive
- k: the integer difference between each element and its index

Input Format

The first line contains an integer t, the number of test cases. Each of the next t lines contains 2 space-separated integers, n and k.

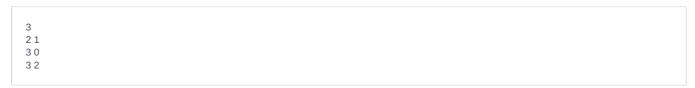
Constraints

- $1 \le t \le 10$
- $1 < n < 10^5$
- $0 \le k < n$

Output Format

On a new line for each test case, print the lexicographically smallest absolute permutation. If no absolute permutation exists, print -1.

Sample Input



Sample Output

```
21
123
-1
```

Explanation

Test Case 0: Position 1 2 Permutation 2 1 Absolute Difference 1 1 Test Case 1: Position 1 2 3 Permutation 1 2 3 Absolute Difference 0 0 0

Test Case 2:

No absolute permutation exists, so we print -1 on a new line.