# **Beautiful 3 Set**



You are given an integer n. A set, S, of triples  $(x_i, y_i, z_i)$  is beautiful if and only if:

- $0 \leq x_i, y_i, z_i$
- $\bullet \ \ x_i+y_i+z_i=n, \forall i:1\leq i\leq |S|$
- Let X be the set of different  $x_i$ 's in S, Y be the set of different  $y_i$ 's in S, and Z be the set of different  $z_i$  in S. Then |X|=|Y|=|Z|=|S|.

The third condition means that all  $x_i$ 's are pairwise distinct. The same goes for  $y_i$  and  $z_i$ .

Given n, find any beautiful set having a maximum number of elements. Then print the cardinality of S (i.e., |S|) on a new line, followed by |S| lines where each line contains 3 space-separated integers describing the respective values of  $x_i$ ,  $y_i$ , and  $z_i$ .

### **Input Format**

A single integer, n.

#### **Constraints**

• 1 < n < 300

### **Output Format**

On the first line, print the cardinality of S (i.e., |S|).

For each of the |S| subsequent lines, print three space-separated numbers per line describing the respective values of  $x_i$ ,  $y_i$ , and  $z_i$  for triple i in S.

#### Sample Input

# **Sample Output**

3 012

3

201

120

## **Explanation**

In this case, n=3. We need to construct a set, S, of non-negative integer triples  $(x_i,y_i,z_i)$  where  $x_i+y_i+z_i=n$ . S has the following triples:

1. 
$$(x_1, y_1, z_1) = (0, 1, 2)$$

2. 
$$(x_2, y_2, z_2) = (2, 0, 1)$$

3. 
$$(z_3, y_3, z_3) = (1, 2, 0)$$

We then print the cardinality of this set, |S|=3, on a new line, followed by 3 lines where each line contains three space-separated values describing a triple in S.