# Maximizing the Function

Consider an array of n binary integers (i.e., 0's and 1's) defined as  $A = [a_0, a_1, \ldots, a_{n-1}]$  .

Let f(i,j) be the bitwise XOR of all elements in the inclusive range between index i and index j in array A . In other words,  $f(i,j)=a_i\oplus a_{i+1}\oplus\ldots\oplus a_j$ . Next, we'll define another function, g:

$$g(x,y) = \sum_{i=x}^y \sum_{j=i}^y f(i,j)$$

Given array A and q independent queries, perform each query on A and print the result on a new line. A query consists of three integers, x, y, and k, and you must find the maximum possible g(x,y) you can get by changing at most k elements in the array from 0 to 1 or from 1 to 0.

**Note:** Each query is independent and considered separately from all other queries, so changes made in one query have no effect on the other queries.

### **Input Format**

The first line contains two space-separated integers denoting the respective values of n (the number of elements in array A) and q (the number of queries).

The second line contains n space-separated integers where element i corresponds to array element  $a_i$   $(0 \le i < n)$ .

Each line i of the q subsequent lines contains 3 space-separated integers,  $x_i$ ,  $y_i$  and  $k_i$  respectively, describing query  $q_i$  ( $0 \le i < q$ ).

#### **Constraints**

- $1 < n, q < 5 \times 10^5$
- $0 \le a_i \le 1$
- $0 \le x_i \le y_i < n$
- $0 \leq k_i \leq n$

#### **Subtask**

- ullet  $1 \leq n,q \leq 5000$  and  $0 \leq k_i \leq 1$  for 40% of the maximum score
- ullet  $n=5 imes 10^5$  ,  $m=5 imes 10^5$  and  $k_i=0$  for 20% of the maximum score

#### **Output Format**

Print q lines where line i contains the answer to query  $q_i$  (i.e., the maximum value of  $g(x_i,y_i)$  if no more than  $k_i$  bits are changed).

#### Sample Input

1				
	3 2			
	0 0 1 0 2 1 0 1 0			
	0 2 1			
	010			

## **Sample Output**

4 0

## **Explanation**

Given A=[0,0,1] , we perform the following q=2 queries:

- 1. If we change  $a_0=0$  to 1, then we get  $A^\prime=[1,0,1]$  and g(x=0,y=2)=4.
- 2. In this query,  $\emph{g}(\emph{x}=\emph{0},\emph{y}=\emph{1})=\emph{0}$ .