

Direct Connections



Enter-View (**EV**) is a linear, street-like country. By linear, we mean all the cities of the country are placed on a single straight line - the x -axis. Thus every city's position can be defined by a single coordinate, x_i , the distance from the left borderline of the country. You can treat all cities as single points.

Unfortunately, the dictator of telecommunication of EV (Mr. S. Treat Jr.) doesn't know anything about the modern telecom technologies, except for peer-to-peer connections. Even worse, his thoughts on peer-to-peer connections are extremely faulty: he believes that, if P_i people are living in city i , there must be at least P_i cables from city i to every other city of EV - this way he can guarantee no congestion will ever occur!

Mr. Treat hires you to find out how much cable they need to implement this telecommunication system, given the coordination of the cities and their respective population.

Note that The connections between the cities can be shared. Look at the example for the detailed explanation.

Input Format

A number T is given in the first line and then comes T blocks, each representing a scenario.

Each scenario consists of three lines. The first line indicates the number of cities (N). The second line indicates the coordinates of the N cities. The third line contains the population of each of the cities. The cities needn't be in increasing order in the input.

Output Format

For each scenario of the input, write the length of cable needed in a single line modulo **1,000,000,007**.

Constraints

$$1 \leq T \leq 20$$

$$1 \leq N \leq 200,000$$

$$P_i \leq 10,000$$

$$\text{Border to border length of the country} \leq 1,000,000,000$$

Sample Input

```
2
3
1 3 6
10 20 30
5
5 55 555 55555 555555
3333 333 333 33 35
```

Sample Output

```
280
463055586
```

Explanation

For the first test case, having **3** cities requires **3** sets of cable connections. Between city **1** and **2**, which has a population of **10** and **20**, respectively, Mr. Treat believes at least **10** cables should come out of city **1** for this connection, and at least **20** cables should come out of city **2** for this connection. Thus, the connection between city **1** and city **2** will require **20** cables, each crossing a distance of $3 - 1 = 2$ km. Applying this absurd logic to connection 2,3 and 1,3, we have

$[1, 2] \Rightarrow 20 \text{ connections} \times 2km = 40 \text{ km of cable}$

$[2, 3] \Rightarrow 30 \text{ connections} \times 3km = 90 \text{ km of cable}$

$[1, 3] \Rightarrow 30 \text{ connections} \times 5km = 150 \text{ km of cable}$

For a total of **280** , Output is **280** km of cable