

# Ones and Twos



You are using at most **A** number of 1s and at most **B** number of 2s. How many different evaluation results are possible when they are formed in an expression containing only addition **+** sign and multiplication **\*** sign are allowed?

Note that, multiplication takes precedence over addition.

For example, if **A=2** and **B=2**, then we have the following expressions:

- **1**, **1\*1** = 1
- **2**, **1\*2**, **1\*1\*2**, **1+1** = 2
- **1+2**, **1+1\*2** = 3
- **2+2**, **2\*2**, **1+1+2**, **1\*2\*2**, **1\*1\*2\*2**, **1\*2+1\*2**, **1\*1\*2+2**, **1\*2+2** = 4
- **1+2+2**, **1+1\*2+2** = 5
- **1+1+2+2**, **1+1+2\*2** = 6

So there are 6 unique results that can be formed if  $A = 2$  and  $B = 2$ .

## Input Format

The first line contains the number of test cases  $T$ ,  $T$  testcases follow each in a newline. Each testcase contains 2 integers  $A$  and  $B$  separated by a single space.

## Constraints

$1 \leq T \leq 10^5$   
 $0 \leq A \leq 1000000000$   
 $0 \leq B \leq 1000$

## Output Format

Print the number of different evaluations modulo (%)  $(10^9+7)$ .

## Sample Input

```
4
0 0
2 2
0 2
2 0
```

## Sample Output

```
0
6
2
2
```

## Explanation

- When  $A = 0$ ,  $B = 0$ , there are no expressions, hence 0.
- When  $A = 2$ ,  $B = 2$ , as explained in the problem statement above, expressions leads to 6 possible solutions.
- When  $A = 0$ ,  $B = 2$ , we have **2**, **2+2** or **2\*2**, hence 2.
- When  $A = 2$ ,  $B = 0$ , we have **1** or **1\*1**, **1+1** hence 2.

