Q-learning with function approximation tabular case -> Q(s,a) \text{\$\forall ses}, \text{\$\forall achou}\$

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\begin{align\*}
\frac{\pi\_{\text{\$\text{\$\pi\_{\text{\$\text{\$\pi\_{\text{\$\tex{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\ Q(s,a; w) parameters (weights) e.g. basis functions f, (s,a), ..., f, (s,a)  $Q(s,a;w) = \sum_{k=1}^{n} w_k f_k(s,a)$ NEC number of states  $a.g. \quad Q(s,a;\omega) = \begin{cases} \frac{1}{2} & \frac{1}{2} & \frac{1}{2} \\ \frac{1}{2} & \frac{1}{2} & \frac{1}{2} \end{cases} \qquad Q(s,n)$ 

Civen 
$$w^- \longrightarrow apdote fo$$
 new  $w$ 

$$L(w) = \frac{1}{4} \left( v_{4n} + v_{max} Q(s_{2n}, a; w^-) - Q(s_{4n}, a_{4n}) \right)^2$$

$$+ arget$$

$$v_i a_{im} = L(w) : w \leftarrow w^- - x \nabla_w L(w^-)$$

$$\nabla_w L(w) = -\left( v_{4n} + v_{max} Q(s_{2n}, a; v^-) - Q(s_{4n}, a; w^-) \right) \nabla_w Q(s_{4n}, a_{4n})$$

$$= -\frac{8}{4} \nabla_w$$

Muil 2015: experience replay -> update for a collection of historical states.  $L(\omega) = E(s,a,r,s') \sim D\left[\frac{1}{2}(r + \gamma \max_{\alpha} Q(s',a;\omega^{-}) - Q(s,a;\omega))^{2}\right]$ history target  $= \sum_{s,a,r,s'} \frac{1}{N} \left[ \left( - \right)^{2} \right]$   $(s,a,r,s') \in D$   $\nabla_{\omega} L(\omega) = - E_{(s,a,r,s') \sim D} \left[ \delta(s,a,r,s',\omega',\omega) \nabla_{\omega} Q(s,a,\omega) \right]$  $\omega \leftarrow \omega^- - \propto \nabla_{\omega} L(\omega^-)$ samples in history of were not operated with current Q, but with dd @ phicies -> need off-policy Q-learning