

ERCOT Load Forecasting

https://github.com/alex-lopez70/ChuangWhiteheadLopez_ENV797_TSA_FinalProject/

Daniel Whitehead, Alex Lopez, Jessalyn Chuang

Contents

1	Introduction and Motivation	3
2	Relevance and Objectives	3
3	Dataset Information	3
3.1	Description	3
3.2	Data Wrangling	4
4	Data Exploration	5
4.1	ERCOT Load	5
4.2	ERCOT Temperature	7
4.3	ERCOT Fuel Mix	9
5	Methodology and Models	11
5.1	Models with Daily Data	11
5.1.1	STL + ETS	11
5.1.2	TBATS	12
5.1.3	ARIMA + Fourier Terms	13
5.1.4	Neural Networks	15
5.2	Models with Monthly Data	17
5.2.1	Seasonal ARIMA	17
5.2.2	State Space Exponential Smoothing	18
5.2.3	Structural Bayesian State Space Model	19
5.2.4	Scenario Generation	20
6	Results and Model Comparisons	21
7	Conclusions	23
8	References	23

List of Figures

1	ERCOT Load from January 2017 to April 2025	5
2	ACF for Load	6
3	PACF for Load	6
4	ERCOT Temperature from January 2017 to April 2025	7
5	ACF for Temperature	8
6	PACF for Temperature	8
7	ERCOT Fuel Mix from January 2017 to April 2025	9
8	ACF for Natural Gas	10
9	PACF for Natural Gas	10
10	Forecasting Results from STL + ETS	11
11	Observed Data and Forecasting Results from STL + ETS	11
12	Forecasting Results from TBATS	12
13	Observed Data and Forecasting Results from TBATS	12
14	Forecasting Results from ARIMA+Fourier with $K=c(2,3)$	13
15	Forecasting Results from ARIMA+Fourier with $K=c(2,4)$	13
16	Forecasting Results from ARIMA+Fourier with $K=c(2,6)$	14
17	Forecasting Results from ARIMA+Fourier with $K=c(3,6)$	14
18	Observed Data and Forecasting Results from AF23, AF24, AF26, AF36 Models	14
19	Forecasting Results from Neural Network with $K=c(2,4)$	15
20	Forecasting Results from Neural Network with $K=c(2,6)$	15
21	Forecasting Results from Neural Network with $K=c(3,6)$	16
22	Observed Data and Forecasting Results from NN24, NN26, NN36 Models	16
23	Residuals (SARIMA)	17
24	Forecasting Results from SARIMA	17
25	Residuals (SSES)	18
26	Forecasting Results from SS Exponential Smoothing	18
27	Residuals (SSBSM)	19
28	Forecasting Results from SS Basic Structure Model	19
29	ERCOT Load Scenario Generation	20
30	Comparison of Models Used to Forecast Daily Load	22
31	Comparison of Models Used to Forecast Monthly Load	22

1 Introduction and Motivation

Load growth used to be fairly stagnant and was managed by implementing more efficiency measures (Walton, 2023). However, with innovation in electrical technologies (EVs, heat pumps, etc.) and the introduction of new load sources (crypto mining and data centers), electrical load has skyrocketed in recent years. As a result, we need new and innovative measures of responding to this load growth, such as demand response, interconnection reform, among others. The ability to forecast load growth is an interesting task, because there are both general trends (growth in electric technologies, climate change, and increasing electrification, among others) and seasonal trends (periodic variations in energy demand and consumption) that impact load.

2 Relevance and Objectives

In the US, ERCOT is a market witnessing tremendous load growth. In 2018, summer peak load record was 69.5 GW, but in just 5 years, this record was broken with a 16 GW increase, with the new record hitting 85.6 GW (Wilson and Zimmerman, 2023). Moreover, ERCOT set a new winter demand peak in February 2025 with load being above 80 GW for the first time, similar figures usually seen in summer months, which highlights load growth not being exclusive to the summer (Kleckner, 2025). A lot of this can be attributed to crypto mining facilities, data centers, and industrial electrification (Guo, 2025).

At the same time, ERCOT has had some really exciting developments, from being the wholesale market with the greatest growth in solar PV and battery storage, to having the fastest interconnection process out of all the ISO/RTOs in the US, making ERCOT one of the most dynamic electric wholesale markets in North America. These developments have all helped ERCOT respond to load growth in the wake of extreme weather events like Winter Storm Uri in 2021. In this context, being able to better forecast load growth in ERCOT will help contribute to greater innovation in policy and technology to support load growth while continuing to reliably serve pre-existing load.

3 Dataset Information

The ERCOT load dataset was collected from GridStatus.io, a website and Python library that provides a uniform API for accessing electricity supply, demand, and pricing data for the major ISOs in the United States (<https://www.gridstatus.io/live>).

3.1 Description

Using its “Export Data” tool, we queried hourly temperature and daily load and fuel mix data for ERCOT from January 2017 to April 2025. Below is a description of the data set retrieved:

Table 1: Data Set Description

	Load	Temperature	Fuel Mix
Units	MW	°F	MW
Frequency	Daily	Hourly	Daily
Subsets		ERCOT Zone	Fuel (Coal and lignite, Hydro, Nuclear, Solar, Wind, Natural Gas)

3.2 Data Wrangling

The earliest available data for ERCOT fuel mix was from January 2017, so we decided to retrieve load, temperature, and fuel mix data from January 2017 onwards. After importing each of these three data sets (daily values except for temperature data) for the dates 1 January 2017 to 4 April 2025 and converting them to data frames, we created a new ‘Date’ column for each of the three date sets that converted the time given in the ‘interval_start_local’ to a YYYY-MM-DD format. Regarding the temperature data, since it is hourly data divided by zone, we first found the hourly average for each zone, then the daily average for each zone, and finally we found the daily average using all the zones in ERCOT by using `rowMeans()`, `group_by()`, and `summarise()`. We split the data into training and testing subsets: testing data encompasses the last 365 days of data, while the rest was classified as the training data.

Since we are working with higher frequency data with multiple seasonalities, we are using the `msts` class from package `forecast` to create time series objects for our daily data sets. Unlike the `ts()` function, reserved for data exhibiting single seasonality, the `msts()` function allows for non-integer frequency specification. We therefore created eight time series objects, one for load, one for temperature, and one for each of the fuels we are analyzing, namely coal and lignite, hydro, nuclear, solar, wind, and natural gas, with a ‘seasonal.period = c(7, 365.25)’ for each. Below are summaries of the data structures of each of the three wrangled data frames (for load, temperature, and fuel mix) that were then used to create time series objects by using `msts()`:

Table 2: ERCOT Load Summary

Variable	Description	Units
interval_start_local	Start Time for the Day (Local)	Character
interval_start_utc	Start Time for the Day (UTC)	Character
interval_end_local	End Time for the Day (Local)	Character
interval_end_utc	End Time for the Day (UTC)	Character
load	Load (MW)	Numeric
Date	Date (YYYY-MM-DD)	Date

Table 3: ERCOT Daily Temperature Summary

Variable	Description	Units
Date	Date (YYYY-MM-DD)	Date
mean(Average)	Average Daily Temperature (°F)	Numeric

Table 4: ERCOT Fuel Mix Summary

Variable	Description	Units
interval_start_local	Start Time for the Day (Local)	Character
interval_start_utc	Start Time for the Day (UTC)	Character
interval_end_local	End Time for the Day (Local)	Character
interval_end_utc	End Time for the Day (UTC)	Character
coal_and_lignite	Generation from Coal and Lignite (MW)	Numeric
hydro	Generation from Hydro (MW)	Numeric
nuclear	Generation from Nuclear (MW)	Numeric
solar	Generation from Solar (MW)	Numeric
wind	Generation from Wind (MW)	Numeric
natural_gas	Generation from Natural Gas (MW)	Numeric

4 Data Exploration

To better understand the dynamics of electricity consumption and generation in the ERCOT region, we wanted to visualize our time series data (using the `autoplot()` function). These visuals gave us insights into long-term trends and seasonal patterns in ERCOT load, temperature, and the evolving fuel mix. By looking at these trends, we could spot times of high demand and see how temperature changes affect energy use. We also noticed shifts in the fuel mix, showing how the region is moving toward more sustainable energy sources.

4.1 ERCOT Load

The ERCOT load has shown a steady increase from 2017 to 2025. This rise reflects growing residential and industrial electricity consumption, which could be attributed to population growth, economic development, and infrastructure expansion across Texas. Seasonal fluctuations are also apparent, with noticeable peaks during periods of extreme temperatures, particularly in the summer and winter months.

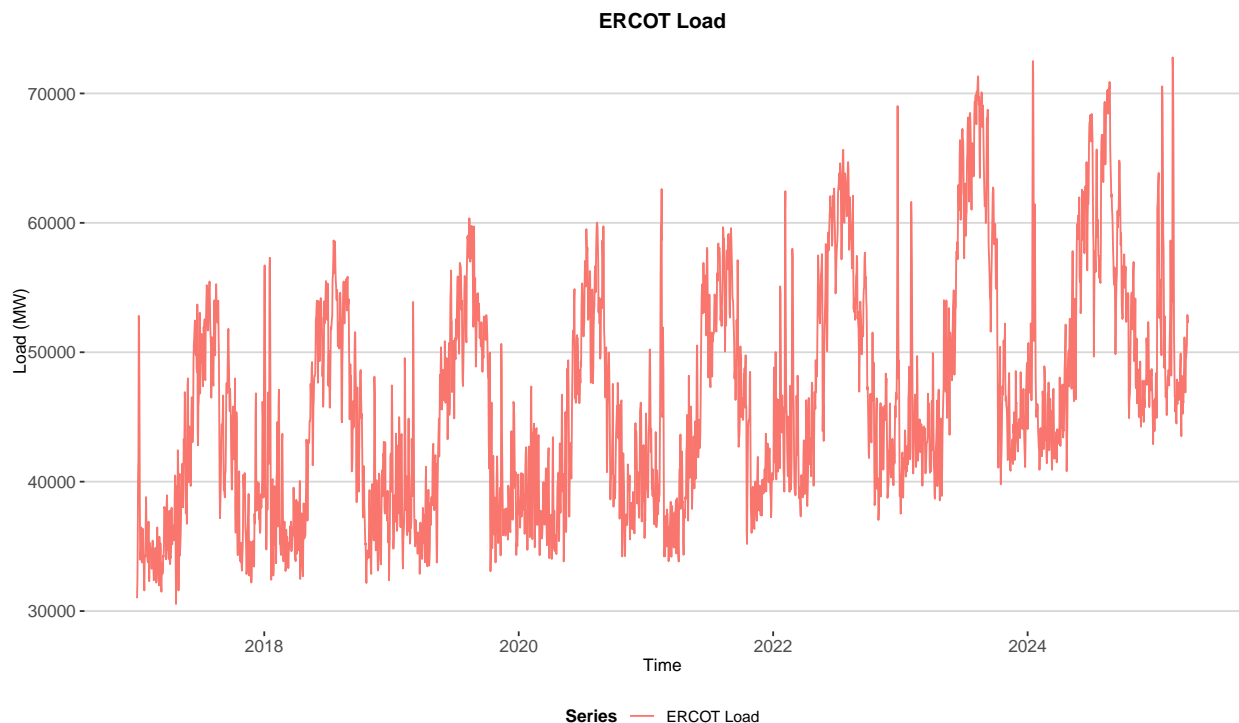


Figure 1: ERCOT Load from January 2017 to April 2025

The ACF of the ERCOT load series shows a slow decay, suggesting non-stationarity and a strong trend over time. The irregular PACF, with spikes at various lags, points to the seasonal components in the data, and it gives some insight into how seasonality can be incorporated into an auto-regressive model. The results of the ACF and PACF plots align with our visualizations, which reveal a steady rise in load from 2017 to 2025 and clear seasonal peaks during periods of extreme temperatures. These patterns show the impact of long-term growth and seasonal demand shifts in Texas's electricity consumption.

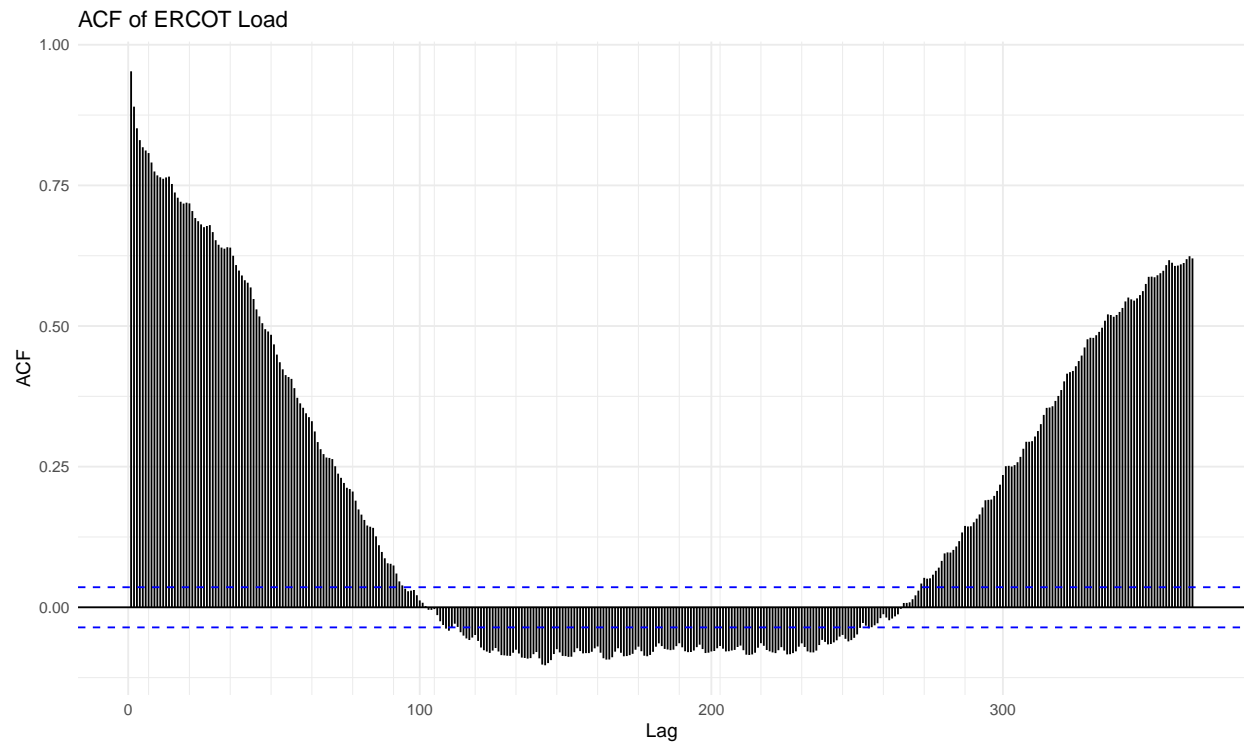


Figure 2: ACF for Load

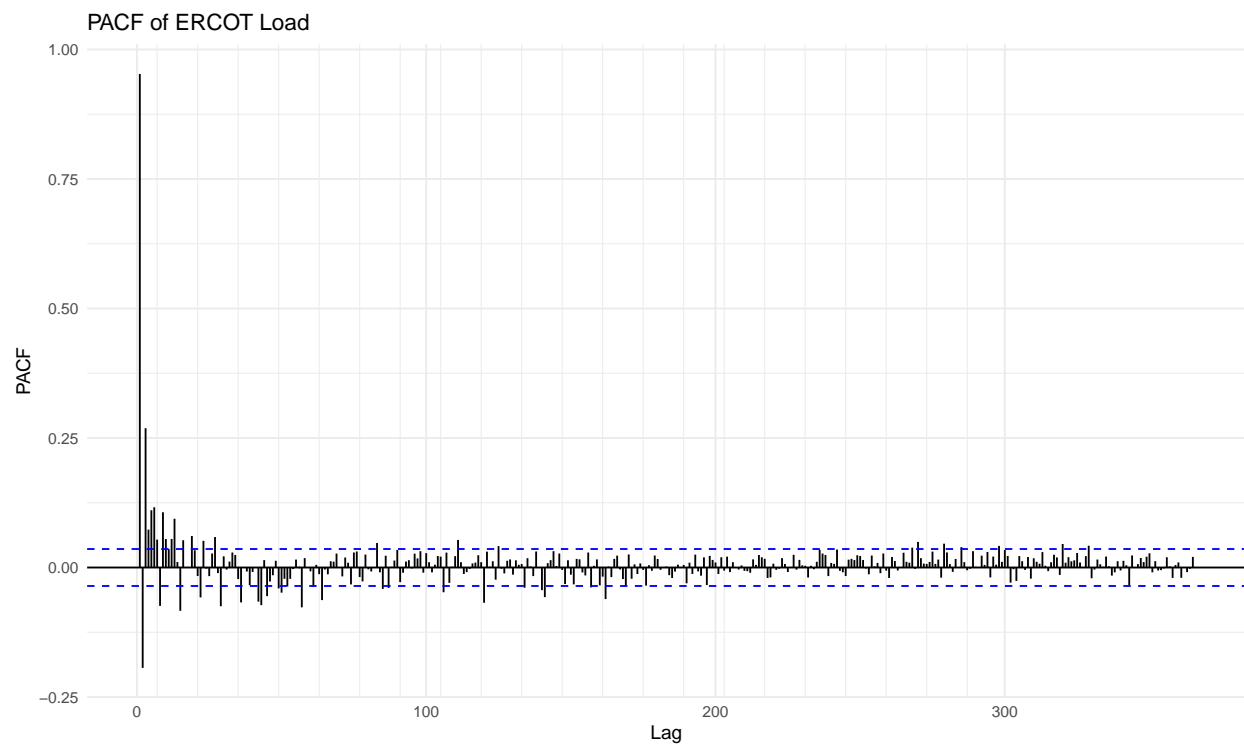


Figure 3: PACF for Load

4.2 ERCOT Temperature

The temperature data was averaged daily for each zone and then combined to get an overall ERCOT-wide daily average. This change helped us match the temperature data with load and fuel mix data. As expected, temperature patterns showed strong seasonality, with summer highs and winter lows corresponding to fluctuations in load.

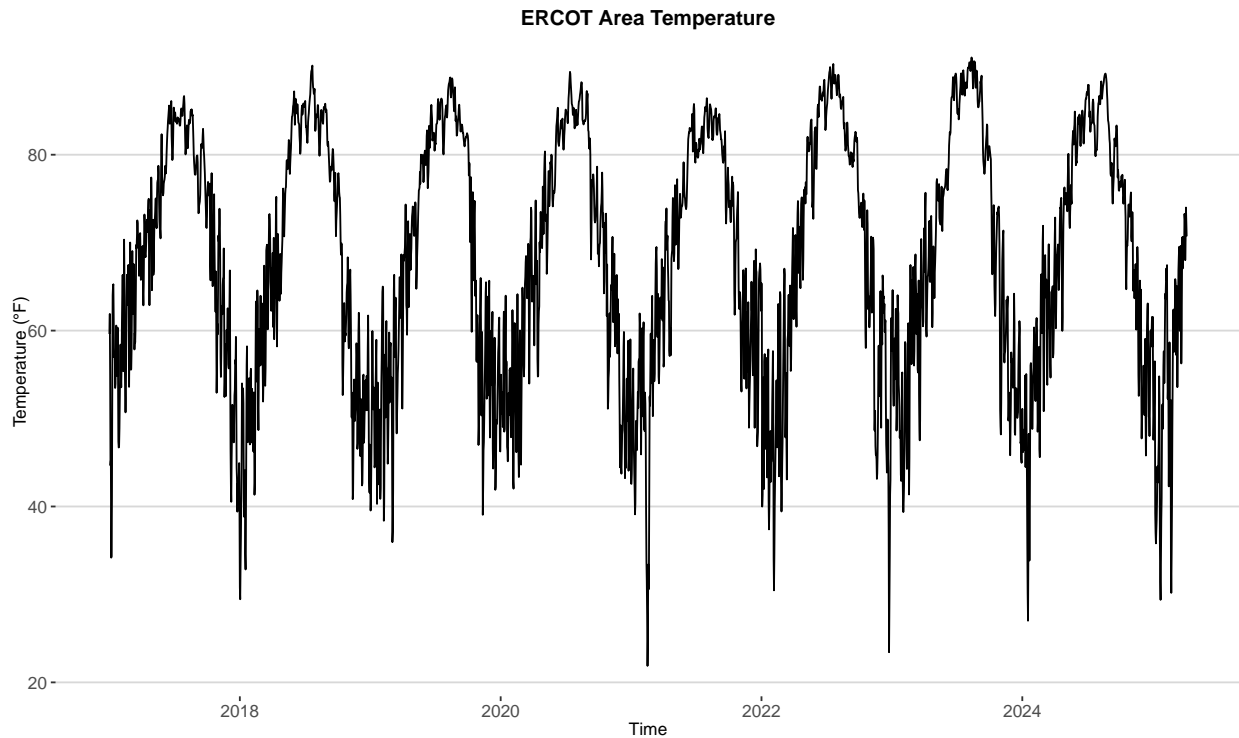


Figure 4: ERCOT Temperature from January 2017 to April 2025

The ERCOT temperature series also exhibits a decaying ACF, indicating non-stationarity and potential long-term trends in temperature over time. The PACF of the temperature is similar to the PACF of the load, with an initial short decay over the first 10 lags followed by scattered significant spikes, suggesting both short-term autocorrelation and possible seasonal components. These results seemed to match up with our data for the ERCOT load, meaning it may have a significant role as an exogenous variable in scenario generation.

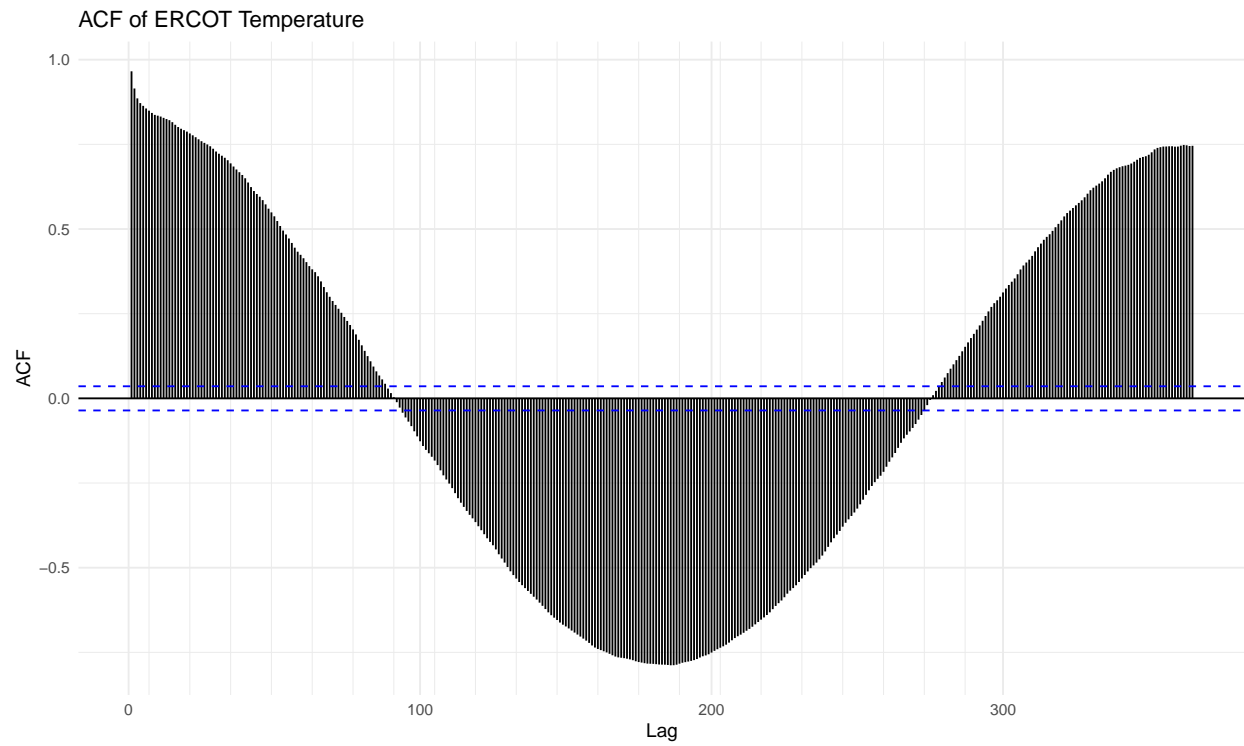


Figure 5: ACF for Temperature

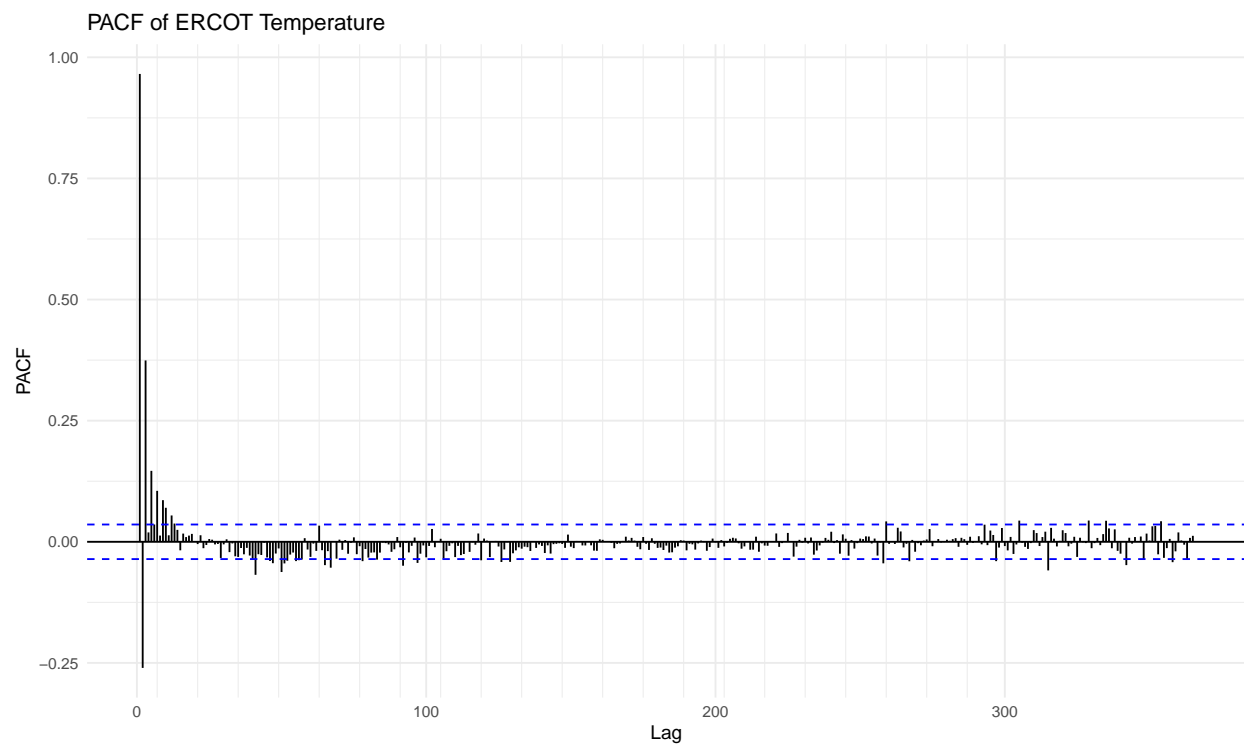


Figure 6: PACF for Temperature

4.3 ERCOT Fuel Mix

ERCOT's fuel mix shows significant shifts over time. Natural gas seems the most relevant and responsive energy source, as its load shape closely mirrors the overall ERCOT demand curve. Coal and lignite usage has declined steadily, and this aligns with national efforts to reduce reliance on fossil fuels, as renewables such as wind and solar have shown steady increase. ERCOT's nuclear generation and hydroelectric power have both remained stable, though we should note that hydroelectric has very minimal contribution to ERCOT's energy mix.

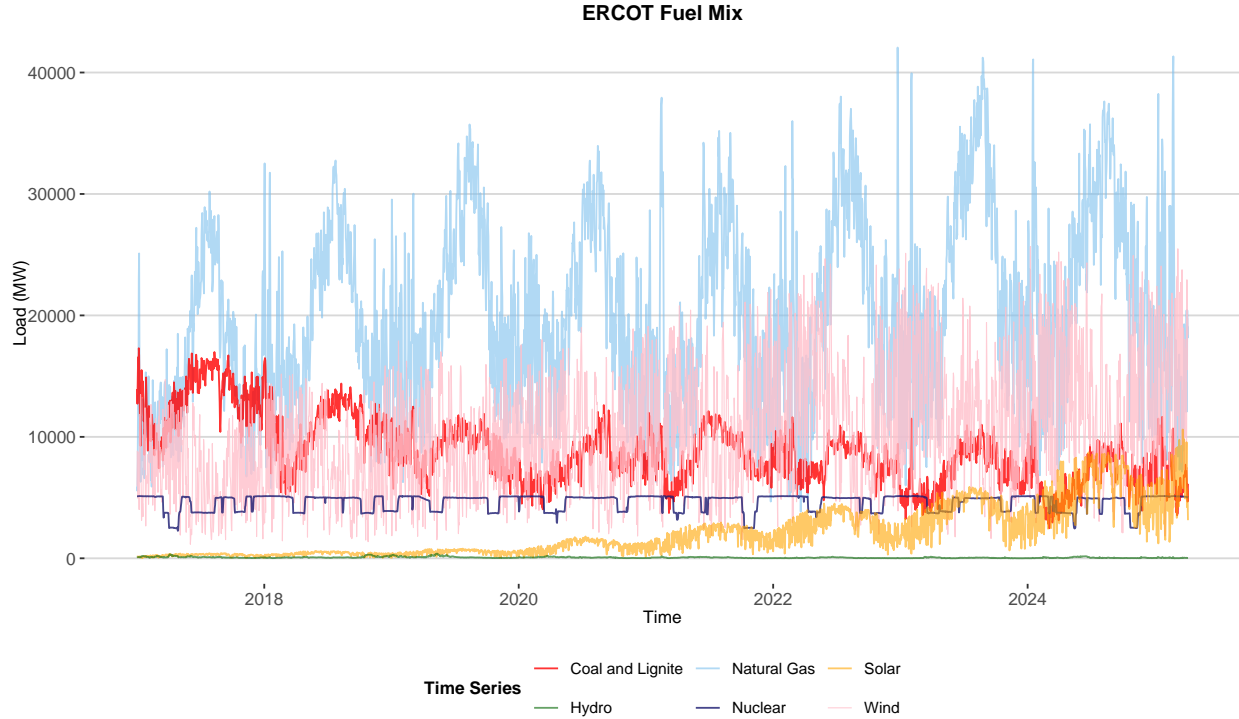


Figure 7: ERCOT Fuel Mix from January 2017 to April 2025

Though all fuel mix ACFs and PACFs show non-stationary elements and seasonal components, natural gas is the most applicable to display for our ACF/PACF analysis, as the ACF and PACF of natural gas prices closely resemble those of ERCOT load and temperature, showing a gradual decay in the ACF and irregular spikes in the PACF. The shape of these plots highlights the impact of natural gas in contributing to electricity demand and makes it an important variable in scenario generation.

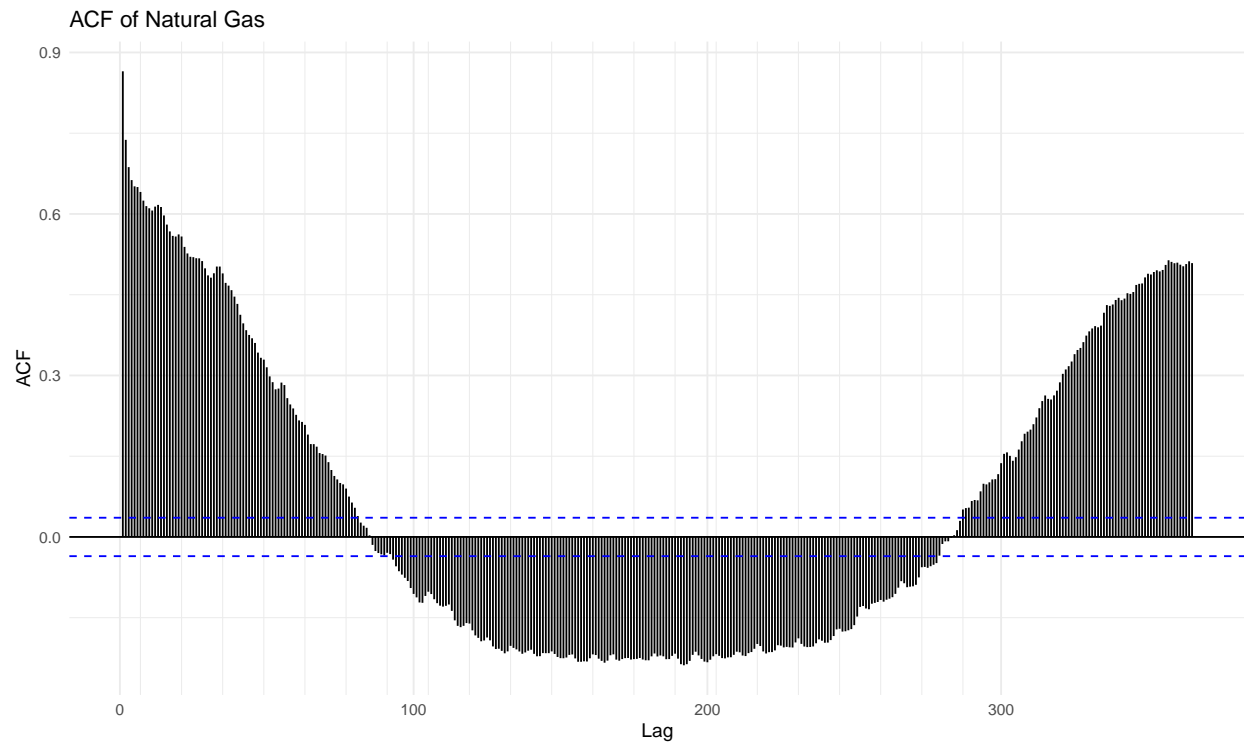


Figure 8: ACF for Natural Gas

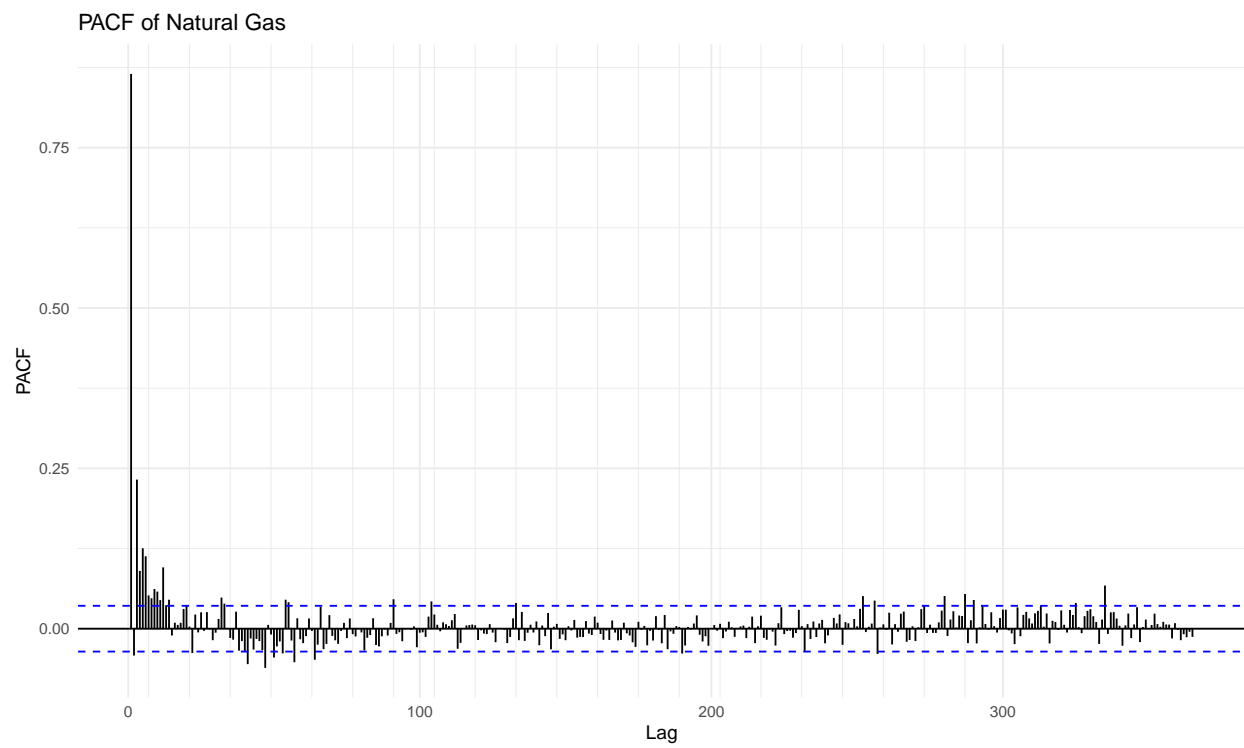


Figure 9: PACF for Natural Gas

5 Methodology and Models

Modeling ERCOT load is inherently complex due to the presence of multiple seasonal patterns, non-linearities, and variability driven by weather, human behavior, and market conditions. To capture these dynamics, we used a variety of time series models, each offering unique strengths.

5.1 Models with Daily Data

5.1.1 STL + ETS

STL + ETS combines two powerful methods: Seasonal and Trend decomposition using Loess (STL) and Exponential Smoothing (ETS). STL decomposes the time series into its seasonal, trend, and remainder components by using local smoothing techniques. Then, ETS applies exponential smoothing to each of the seasonal, trend, and remainder components to produce forecasts. This hybrid approach is particularly effective for modeling complex and potentially evolving seasonal patterns and trends in load data, as it allows the model to adapt to changing dynamics over time. By separately forecasting each component, it ensures better accuracy in the final forecast, especially when the data exhibits smooth, but also varying, seasonality or trends.

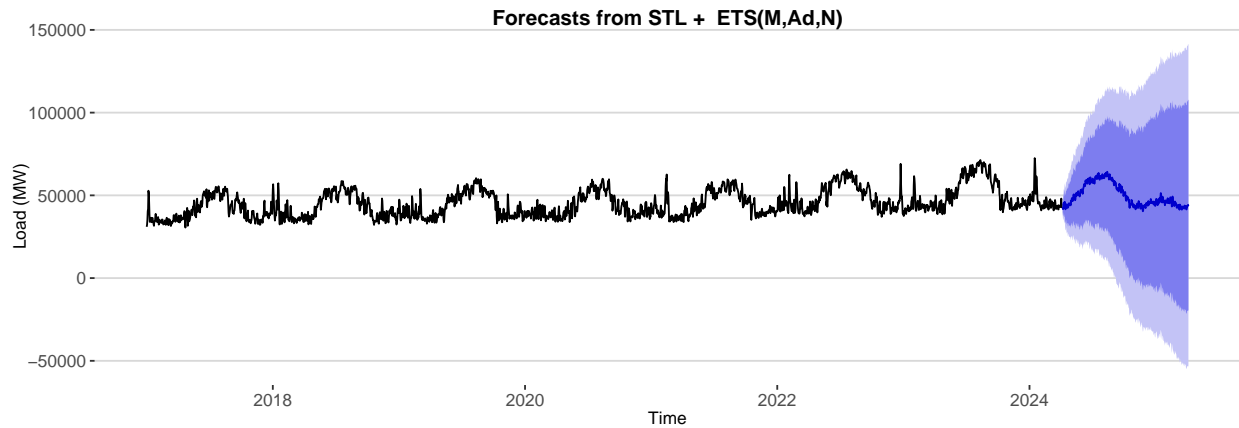


Figure 10: Forecasting Results from STL + ETS

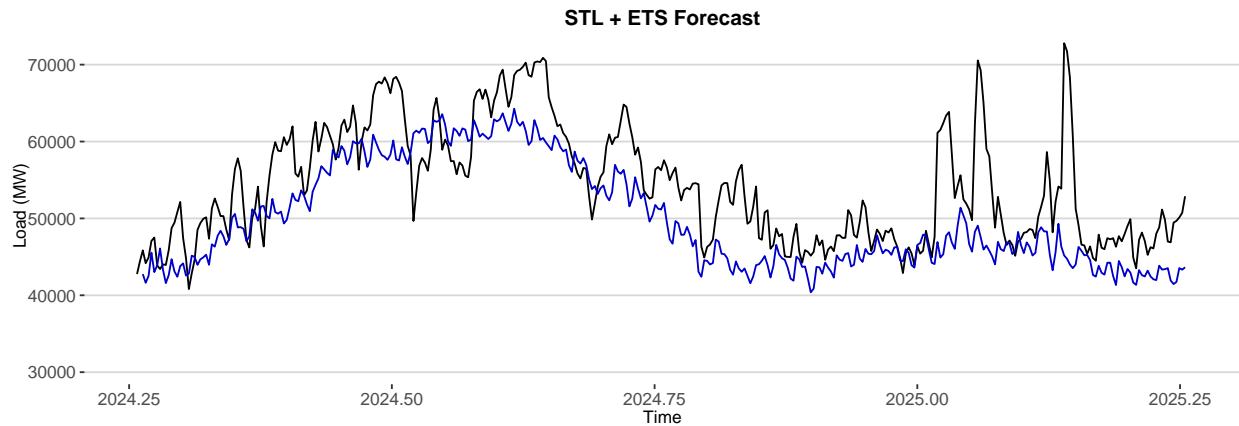


Figure 11: Observed Data and Forecasting Results from STL + ETS

5.1.2 TBATS

TBATS (Trigonometric Seasonalities, Box-Cox Transformation, ARMA Errors, Trend, and Seasonal Components) is well-suited for modeling ERCOT load due to its ability to capture multiple and non-integer seasonalities, such as daily and weekly cycles, as well as complex seasonal interactions. The model's flexibility in handling complex patterns and its scalability for longer-term forecasts make it a valuable method for accurate long-term load forecasting in dynamic systems like ERCOT.

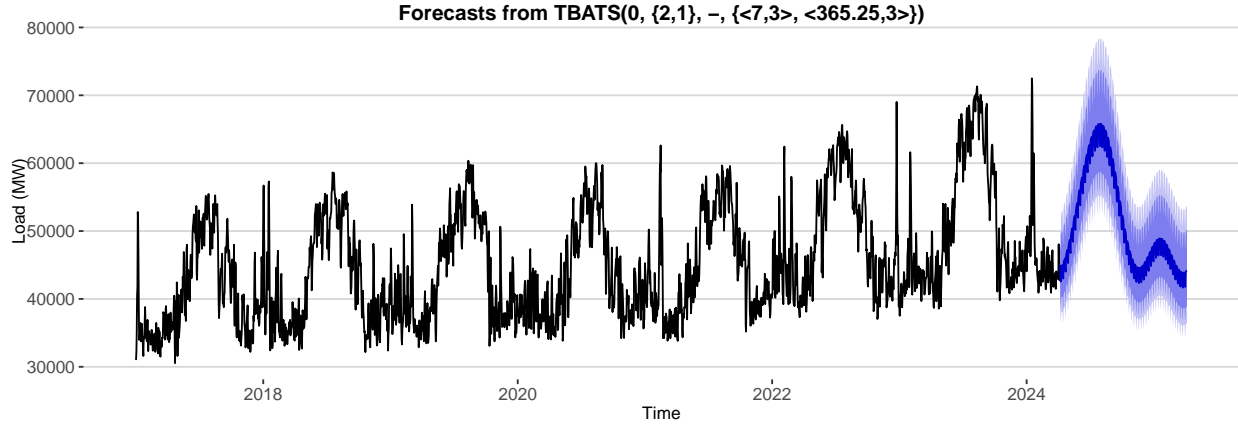


Figure 12: Forecasting Results from TBATS

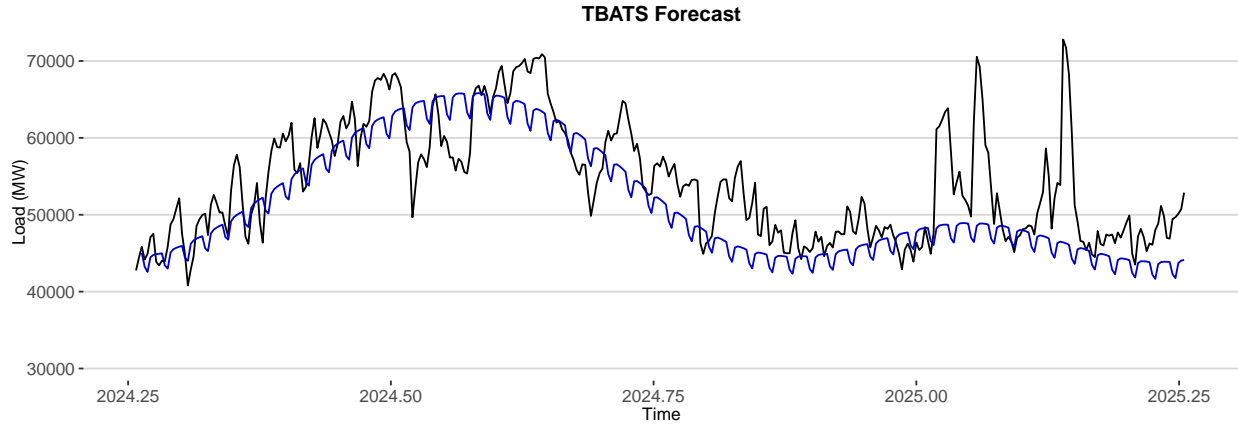


Figure 13: Observed Data and Forecasting Results from TBATS

5.1.3 ARIMA + Fourier Terms

This method integrates traditional autoregressive modeling with Fourier terms as exogenous regressors, effectively capturing recurring seasonal patterns like daily temperature-related demand fluctuations. This approach enhances ARIMA's forecasting performance for load data by explicitly modeling periodicities without the need for differencing seasonal components.

Since the ARIMA + Fourier terms model is a good option for modeling multiple seasonalities, we ran a few models with a variety of K parameters. K is a vector of integers specifying the number of sine and cosine terms for each of the seasonal periods. For our four ARIMA + Fourier models, we used the following K parameters: $K=c(2,3)$; $K=c(2,4)$; $K=c(2,6)$; and $K=c(3,6)$. This means that there are 10, 12, 16, and 18 total regressors, respectively, represented by the Fourier terms, allowing us to capture the seasonal patterns typically present in load data such as the one analyzed in this report.

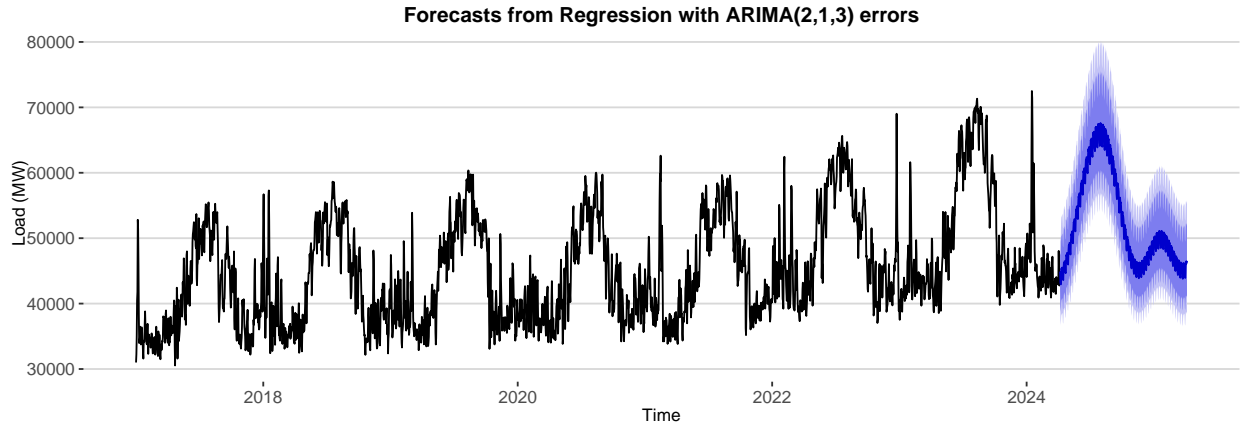


Figure 14: Forecasting Results from ARIMA+Fourier with $K=c(2,3)$

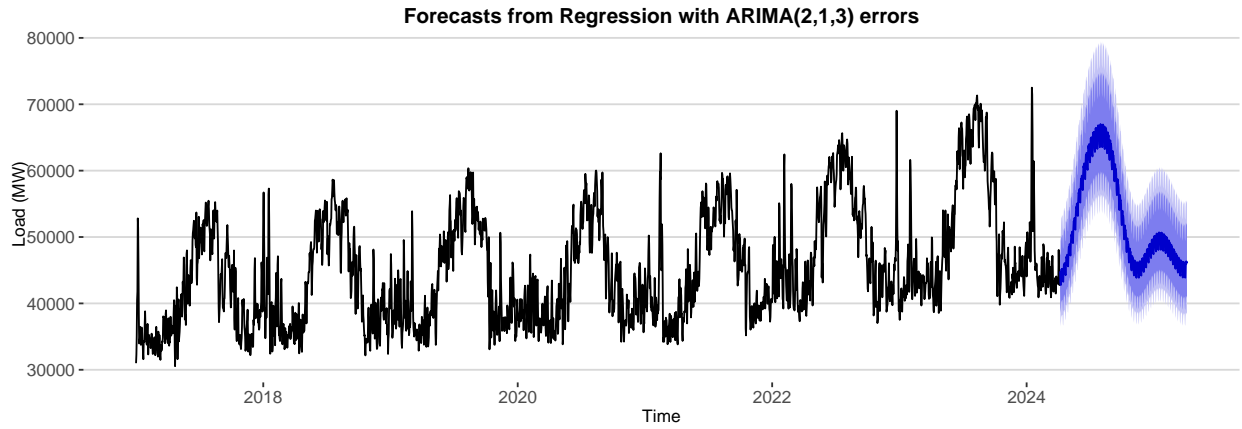


Figure 15: Forecasting Results from ARIMA+Fourier with $K=c(2,4)$

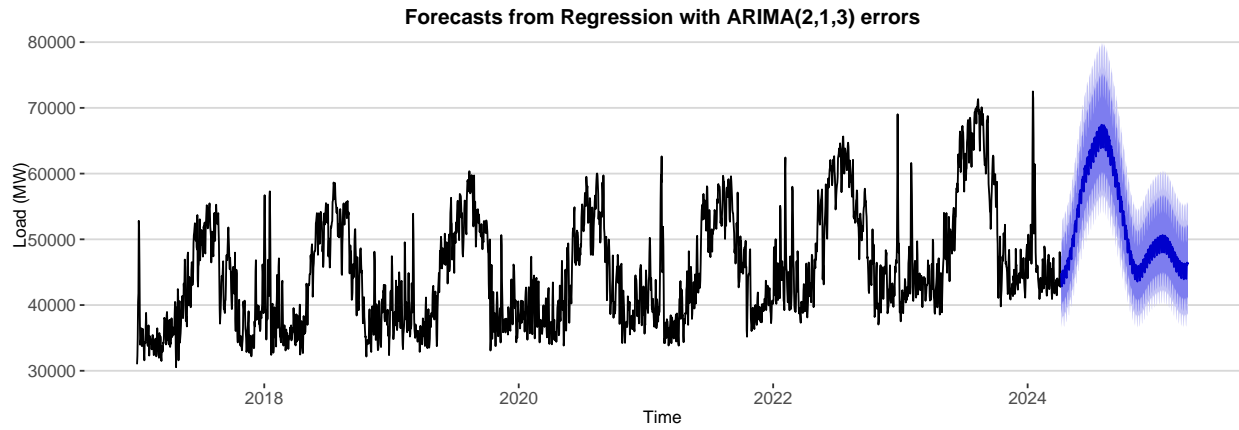


Figure 16: Forecasting Results from ARIMA+Fourier with $K=c(2,6)$

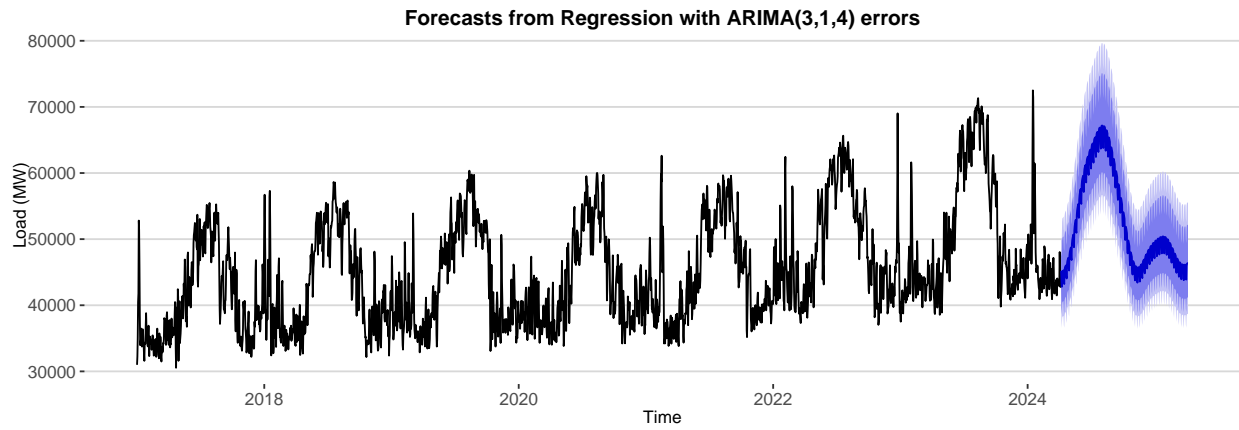


Figure 17: Forecasting Results from ARIMA+Fourier with $K=c(3,6)$

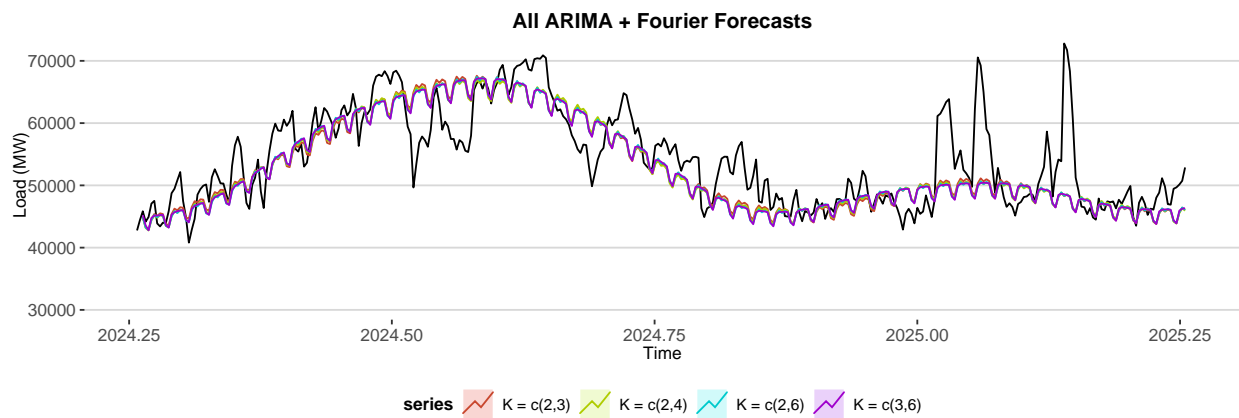


Figure 18: Observed Data and Forecasting Results from AF23, AF24, AF26, AF36 Models

5.1.4 Neural Networks

Neural networks incorporate lagged values and Fourier terms as inputs to model complex time series like ERCOT load data. They excel at capturing non-linear relationships that traditional linear models (like ARIMA) may struggle with. By using historical load patterns and multiple seasonal indicators, neural networks can adapt to complex seasonal behaviors, including interactions between short-term and long-term effects. The inclusion of lagged inputs (p) and seasonal lags (P) allows the neural network to model both short- and long-term dependencies, making it analogous to SARIMA models, but with the added advantage of capturing non-linearity.

For our three Neural Network models, we used the following K parameters: $K=c(2,4)$; $K=c(2,6)$; and $K=c(3,6)$. This means that there are 12, 16, and 18 total exogenous regressors modeled by Fourier terms, respectively. In each neural network model, the autoregressive parameters were set to $p=1$ and $P=1$. Each model therefore incorporates the most recent observation and one seasonal observation. This allows the models to learn both short-term dependencies (like immediate trends or sudden spikes) and long-term seasonal structure (like daily or weekly cycles). Combined with the Fourier terms, this structure enhances the model's ability to capture the complex, non-linear, and multi-seasonal behavior characteristic of ERCOT load data.

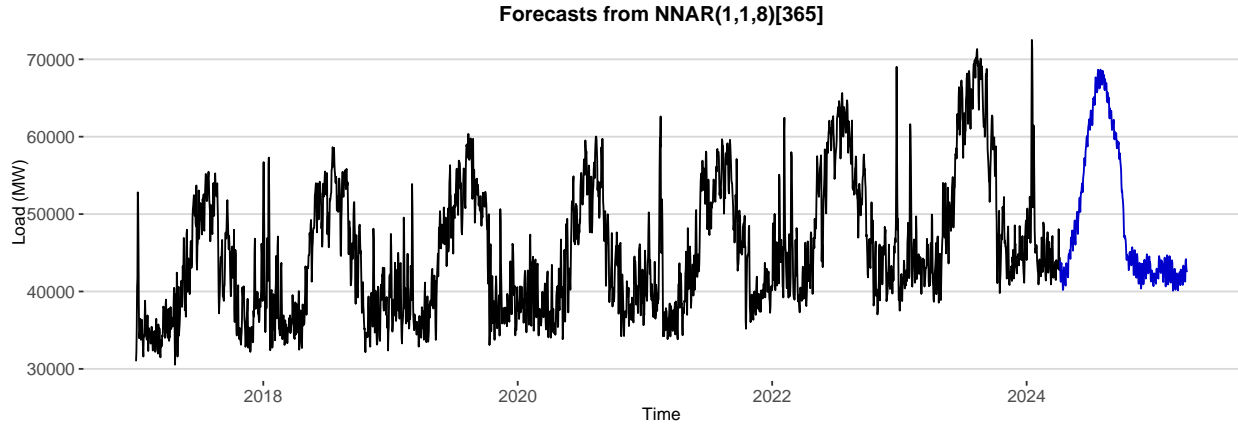


Figure 19: Forecasting Results from Neural Network with $K=c(2,4)$

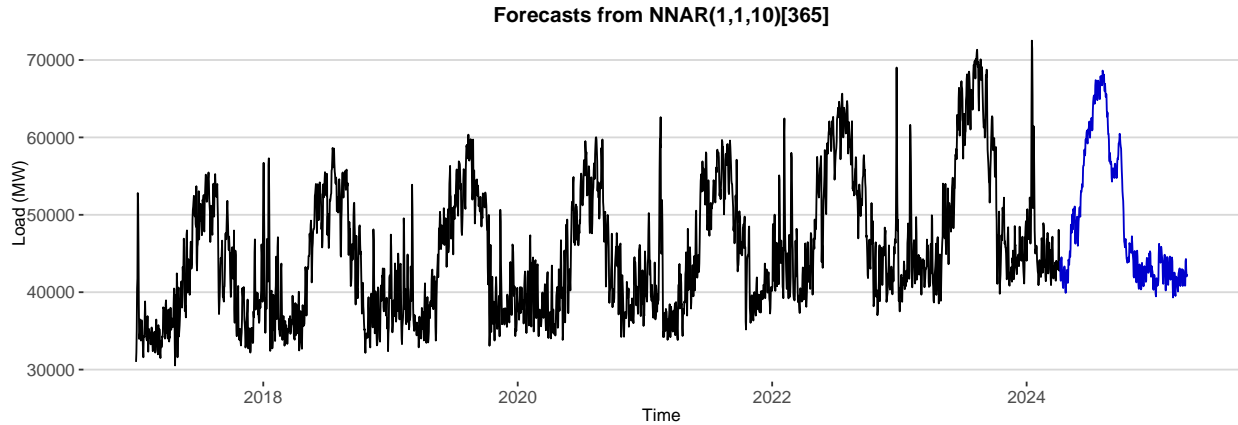


Figure 20: Forecasting Results from Neural Network with $K=c(2,6)$

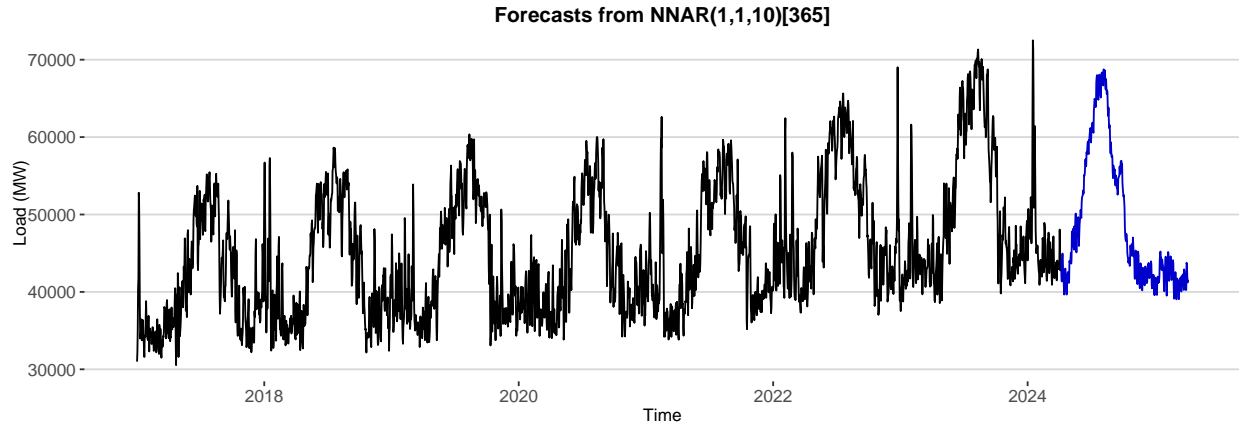


Figure 21: Forecasting Results from Neural Network with $K=c(3,6)$

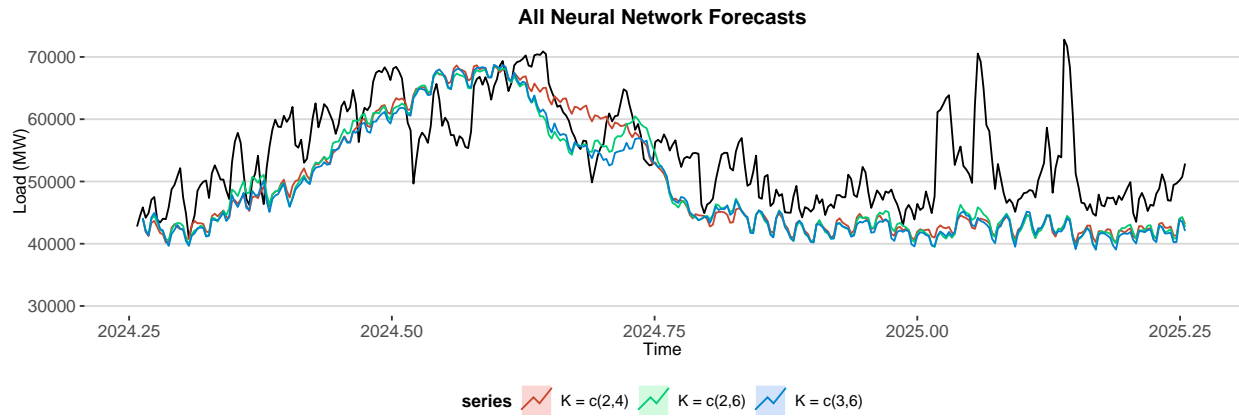


Figure 22: Observed Data and Forecasting Results from NN24, NN26, NN36 Models

5.2 Models with Monthly Data

5.2.1 Seasonal ARIMA

The seasonal ARIMA (SARIMA) autofits single-seasonality patterns through differencing and autoregressive/moving average components. This model is suitable when ERCOT load displays dominant recurring seasonal trends. Although it cannot model multiple seasonalities simultaneously, SARIMA remains a strong baseline for data with clear, stable seasonal structure.

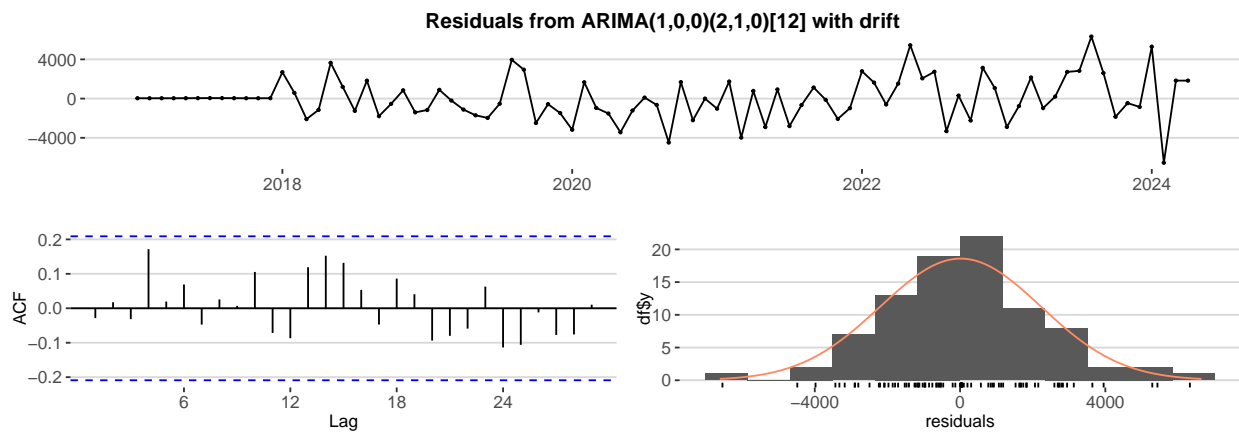


Figure 23: Residuals (SARIMA)

```
##  
## Ljung-Box test  
##  
## data: Residuals from ARIMA(1,0,0)(2,1,0)[12] with drift  
## Q* = 13.485, df = 15, p-value = 0.5649  
##  
## Model df: 3. Total lags used: 18
```

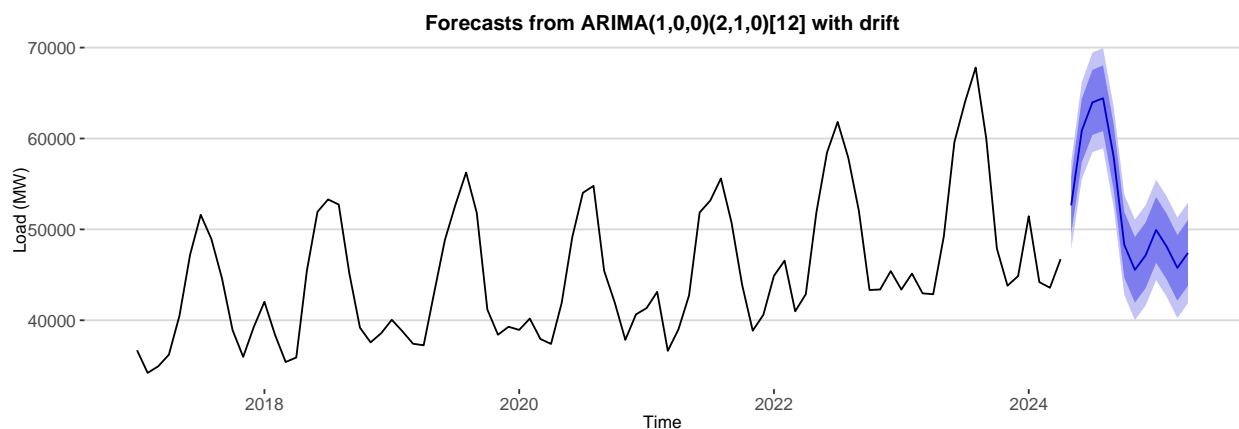


Figure 24: Forecasting Results from SARIMA

5.2.2 State Space Exponential Smoothing

State Space Exponential Smoothing (SSES) offers a probabilistic and flexible approach to forecasting, modeling uncertainty while capturing both trend and seasonality. It automatically selects among additive or multiplicative trend and seasonal components based on the data, making it well-suited for monthly ERCOT load data where seasonal strength and trend can evolve over time. Its ability to model uncertainty and structural changes without manual re-specification is especially useful when trying to capture varying patterns.

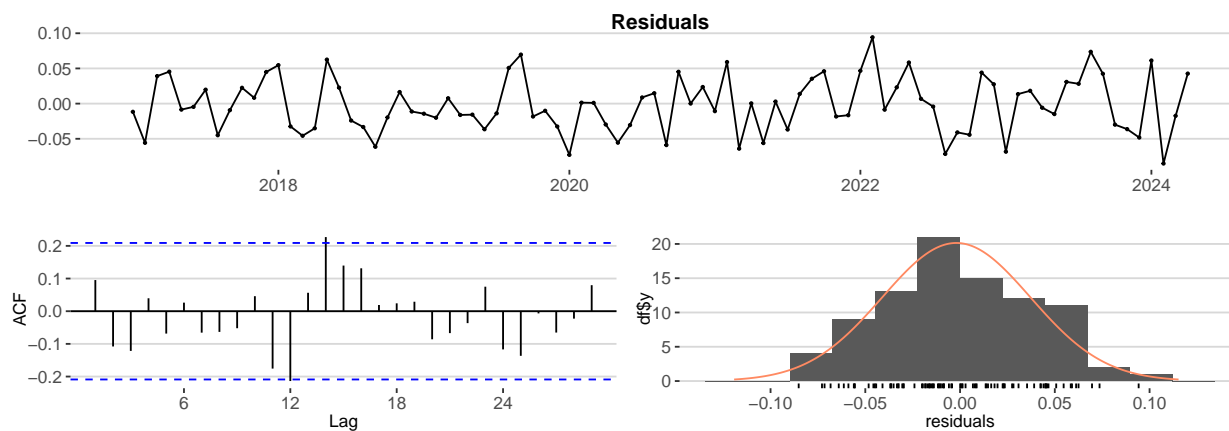


Figure 25: Residuals (SSES)

```
##
##  Ljung-Box test
##
## data:  Residuals
## Q* = 23.142, df = 18, p-value = 0.1852
##
## Model df: 0.   Total lags used: 18
```

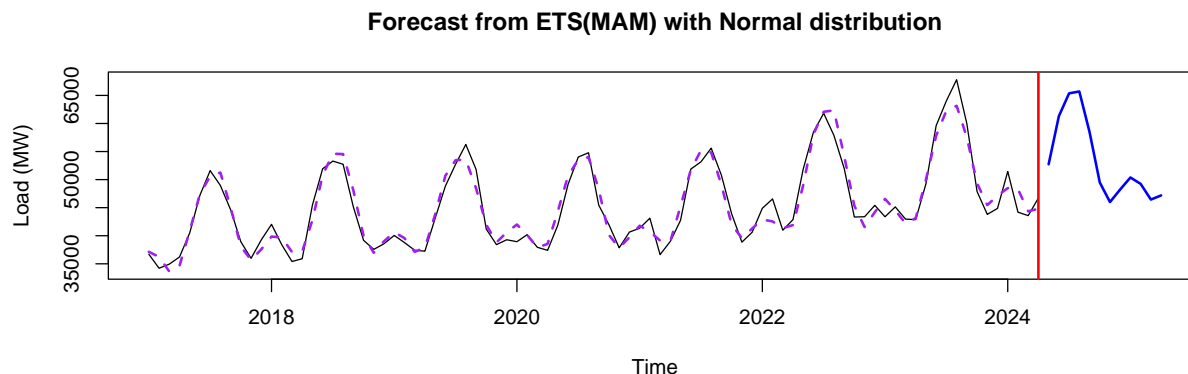


Figure 26: Forecasting Results from SS Exponential Smoothing

5.2.3 Structural Bayesian State Space Model

Structural Bayesian State Space Model (SSBSM) is also a probabilistic framework, and it assumes that all components (trend, seasonality, irregularity) are stochastic and can evolve over time. This allows each element to change dynamically, providing robustness in the face of structural shifts due to climate variability, policy changes, or demand-side management. For monthly ERCOT load forecasting, this model is a suitable option when long-term patterns are not fixed and may change unpredictably.

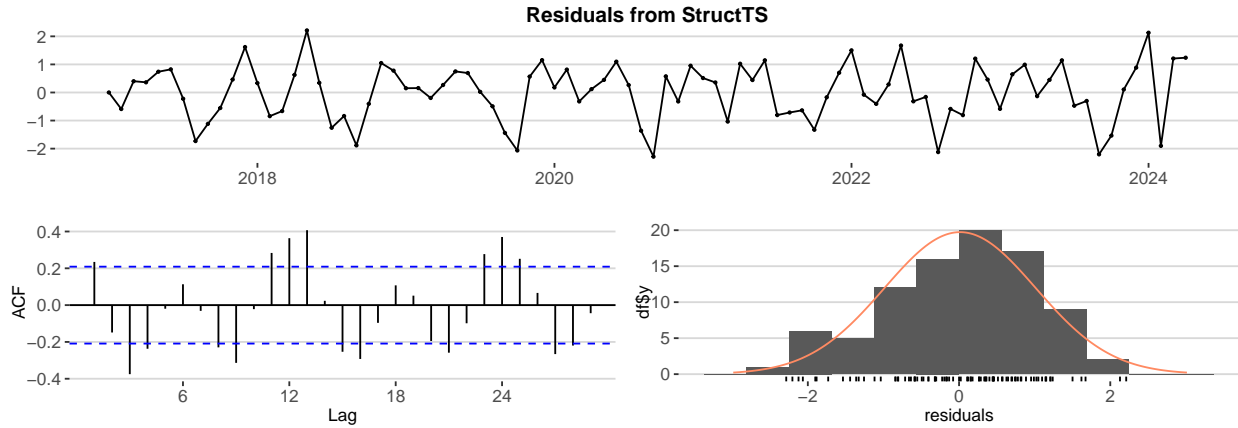


Figure 27: Residuals (SSBSM)

```
##
##  Ljung-Box test
##
## data:  Residuals from StructTS
## Q* = 100.29, df = 18, p-value = 1.961e-13
##
## Model df: 0.   Total lags used: 18
```

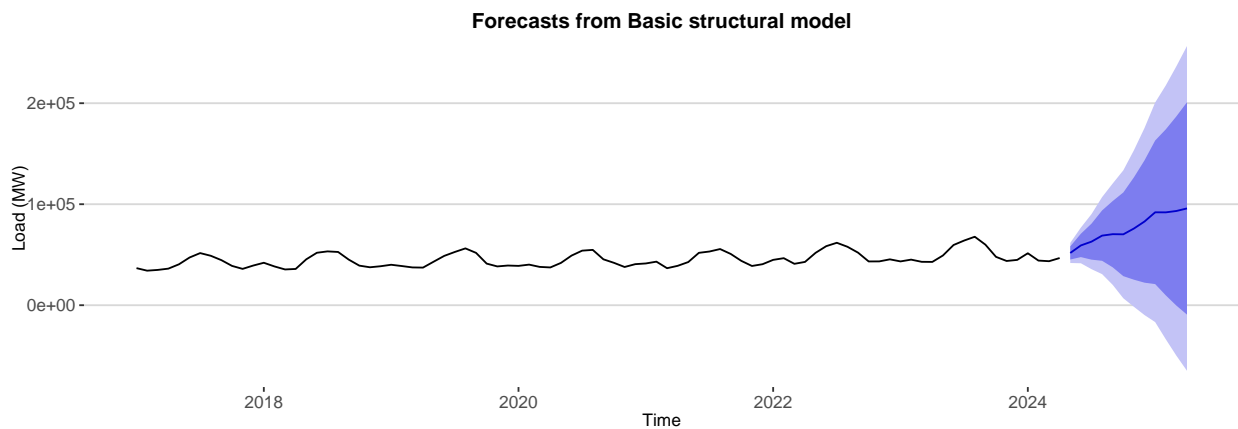


Figure 28: Forecasting Results from SS Basic Structure Model

5.2.4 Scenario Generation

Lastly, we did scenario generation using Cholesky decomposition, which allowed us to create multiple realistic future ERCOT load forecasts by simulating correlated input variables. First, we calculate the historical covariance matrix of the load and the 7 predictors. Then, using Cholesky decomposition, we broke this matrix into a lower triangular matrix that captures the variables' dependencies. By multiplying random normal samples by this matrix, we generated new input scenarios that preserve historical correlations. These are then fed into an ARIMA + Fourier forecasting model to produce a range of potential load trajectories. Doing this helps to capture uncertainty in both the predictors and their influence on load.

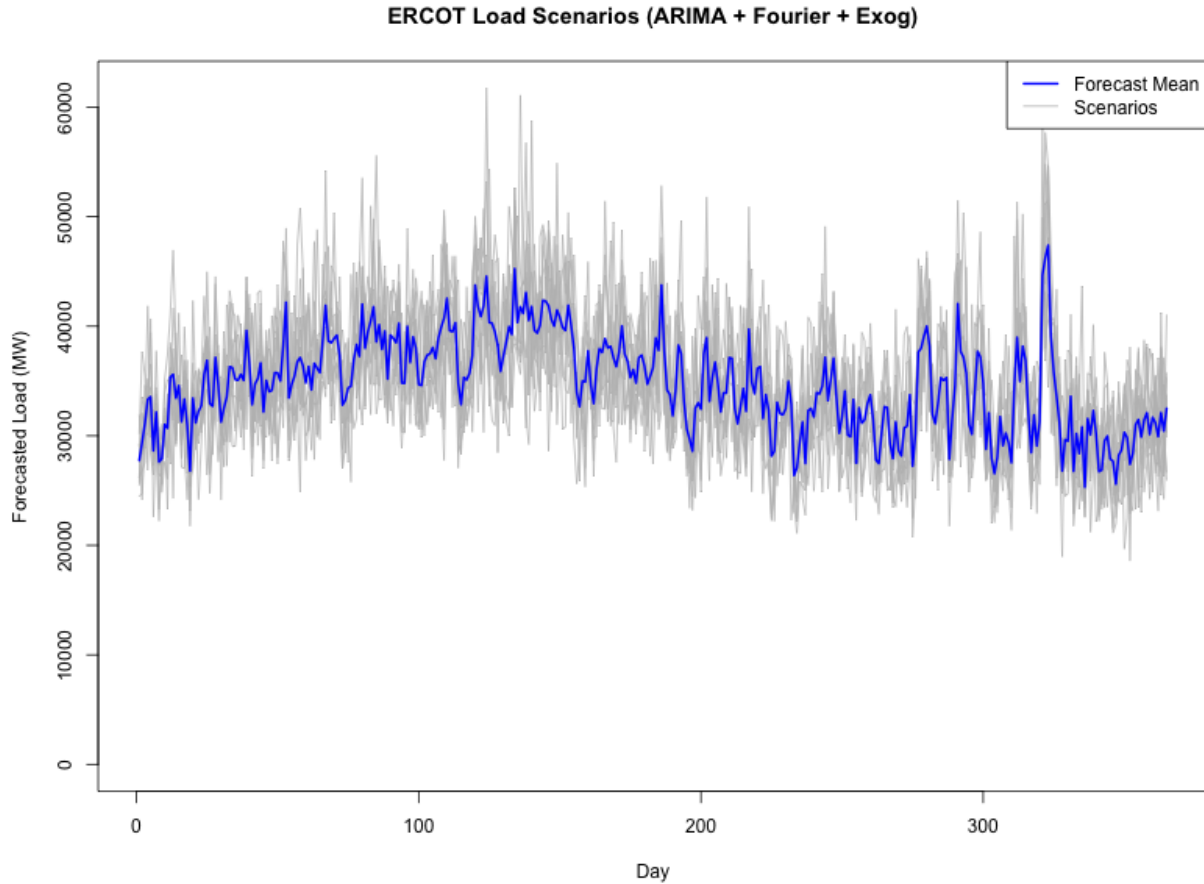


Figure 29: ERCOT Load Scenario Generation

This ARIMA + Fourier + exogenous variables model with Cholesky-based scenario generation shows overall trends well, but it doesn't seem to capture large spikes in load that we were expecting (i.e. more values in the 60-70 GW range). The scenarios mostly stay close to the mean of the original data set and don't reflect the more extreme values we sometimes see in actual data. This might be because Cholesky decomposition uses a multivariate normal distribution, which keeps the correlations between variables but tends to produce values clustered around the average, without many extreme highs or lows.

6 Results and Model Comparisons

Table 5: Forecast Accuracy for Load

Model	ME	RMSE	MAE	MPE	MAPE	ACF1	Theil's U
NN24	4362.752	7731.014	6161.221	8.08616	11.27736	0.91331	2.66029
NN26	5245.005	7752.327	6367.270	9.54623	11.51576	0.88995	2.64404
NN36	4393.755	7606.073	6084.019	8.14946	11.16011	0.90554	2.62815
SARIMA	1891.987	3125.671	2638.377	3.61048	4.86036	-0.06288	0.59759
SSES	1183.083	2929.559	2383.270	2.31508	4.38636	-0.02696	0.55750
SSBM	-21702.918	28172.579	22554.935	-42.77079	44.23444	0.81247	5.64407
STL+ETS	4320.595	6453.940	4992.943	7.57688	8.85220	0.83777	2.13999
TBATS	2905.599	5794.056	4369.840	5.03801	7.80851	0.86071	1.94380
AF23	1458.268	5148.588	3746.586	2.31101	6.68713	0.85424	1.72536
AF24	1521.098	5166.958	3756.300	2.42856	6.70843	0.85414	1.73282
AF26	1545.030	5166.779	3745.856	2.47411	6.68810	0.85374	1.73143
AF36	1514.696	5155.774	3732.166	2.41897	6.66264	0.85621	1.72704

According to the forecast accuracy metrics of our models, particularly the Mean Absolute Percentage Error (MAPE), the best model for forecasting daily load was the ARIMA + Fourier terms model with K parameter $K=c(3,6)$, the Fourier terms representing 18 exogenous regressors. The best model for forecasting monthly load was the State Space Exponential Smoothing model, closely followed by the SARIMA model.

After plotting the forecasting models for daily load, with actual test load data shown in black, it appears that the models failed to capture large swings in daily load. Despite this, visually, it looks like the models performed well in capturing the general trends and seasonality of the daily load data.

Compared to the forecasting models for daily load, from only looking at the plot, the forecasting models for monthly load appear to have performed better (with the exception of the SSBSM model). The SARIMA and SSES models exhibit a very similar trend and seasonality to that of the test load data in black. In contrast, the SSBSM model appears to diverge strongly from what is expected to occur, which suggests it may be extrapolating a certain trend too aggressively.

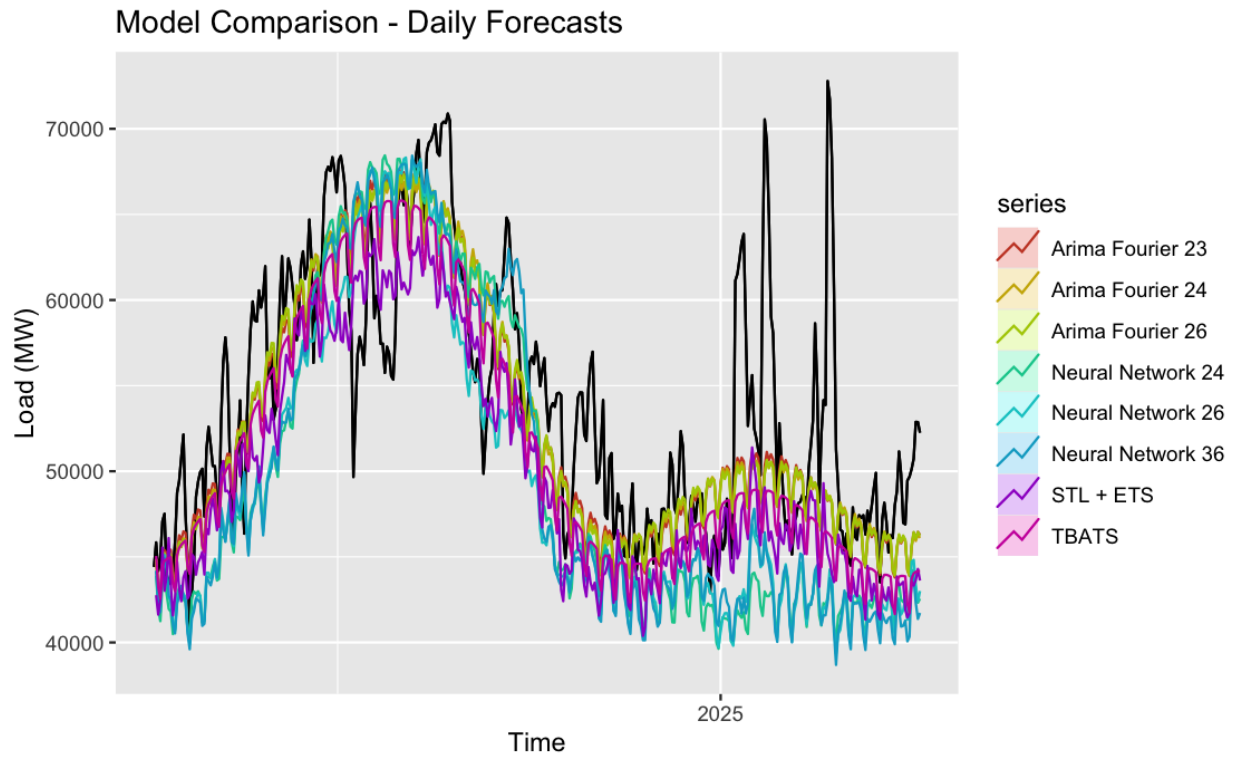


Figure 30: Comparison of Models Used to Forecast Daily Load

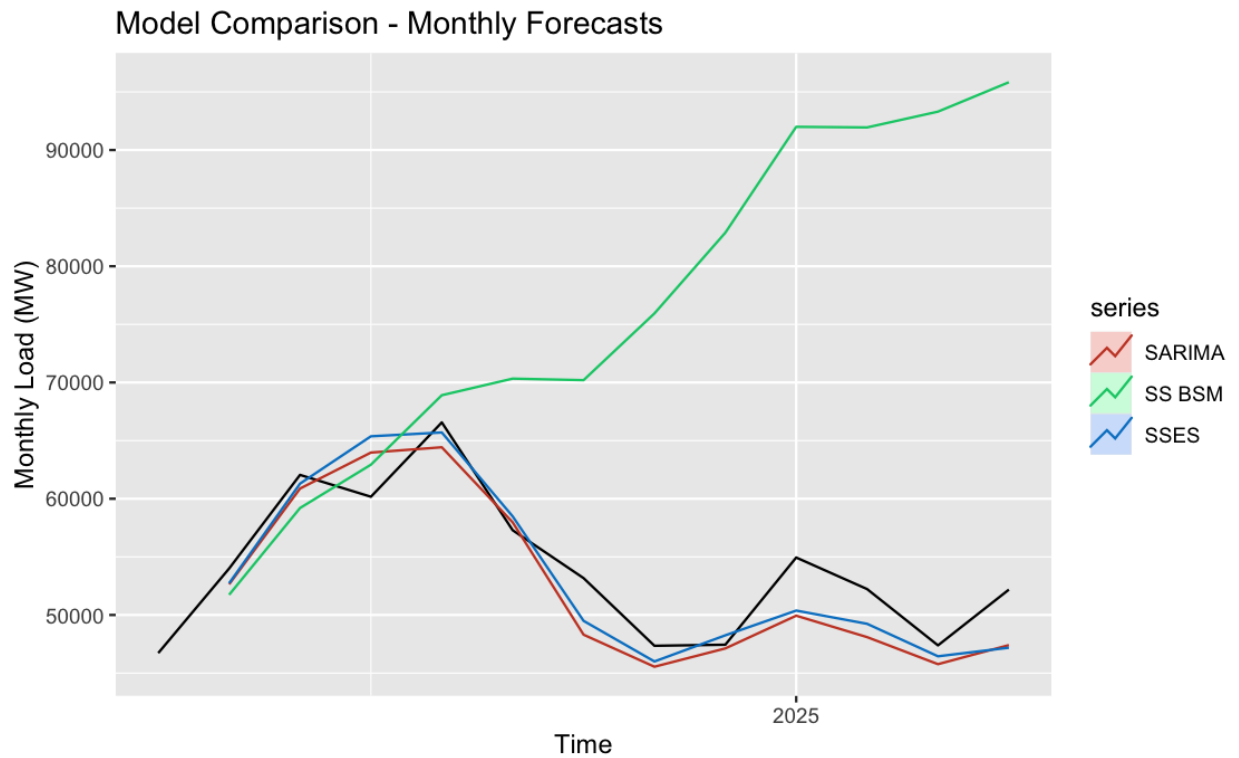


Figure 31: Comparison of Models Used to Forecast Monthly Load

7 Conclusions

According to the results of our models, we can conclude that daily forecasting improves with more flexible approaches like ARIMA with Fourier terms and non-linear models like Neural Networks, which can adapt to short-term variability and capture complex patterns in the data. Simpler and more stable models like SARIMA and SSES are more effective for monthly forecasting, as they generalize better over longer horizons with less overfitting.

For scenario generation, Cholesky decomposition offers a straightforward way to create realistic-looking variations by preserving the correlation structure in the data. However, it tends to produce values clustered around the mean and struggles to represent rare, high-impact events like extreme load spikes. This could limit its usefulness in stress-testing or planning for outlier conditions, which are increasingly important in energy systems under more volatile conditions.

Load forecasting is an important tool for power system planning and operation. Accurate forecasts help grid operators have a reliable balance between electricity supply and demand, avoid blackouts, and minimize operational costs. They also support market participants in making decisions about bidding and generation schedules. As the grid becomes more complex and dynamic with increasing renewable integration, extreme weather events, and changing consumption patterns, flexible forecasting methods become even more essential for maintaining grid reliability and efficiency.

8 References

1. Guo, Kayla. Data centers are booming in Texas. What does that mean for the grid? Published 24 Jan. 2025. <https://www.texastribune.org/2025/01/24/texas-data-center-boom-grid/>.
2. Kleckner, Tom. Batteries, Solar Help ERCOT Meet Record Winter Peak, 20 Feb. 2025, <https://www.rtoinsider.com/98816-batteries-solar-help-ercot-meet-record-winter-peak/>.
3. Walton, Robert. “US Electricity Load Growth Forecast Jumps 81% Led by Data Centers, Industry: Grid Strategies.” Utility Dive, 13 Dec. 2023, www.utilitydive.com/news/electricity-load-growing-twice-as-fast-as-expected-Grid-Strategies-report/702366/.
4. Zimmerman, Zach, and John D Wilson. The Era of Flat Power Demand Is Over, Dec. 2023, gridstrategiesllc.com/wp-content/uploads/2023/12/National-Load-Growth-Report-2023.pdf.

9 Acknowledgment of AI Assistance

ChatGPT was used for troubleshooting code syntax and working through sections of scenario generation as this was newer material. All models and forecasts were executed and validated locally in RStudio by the authors.