

MSc in Bioinformatics - UAB

Genomic Prediction of Complex Traits in Rice: Leveraging Structural Variation and Applying Deep Learning Methods

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14th September 2022

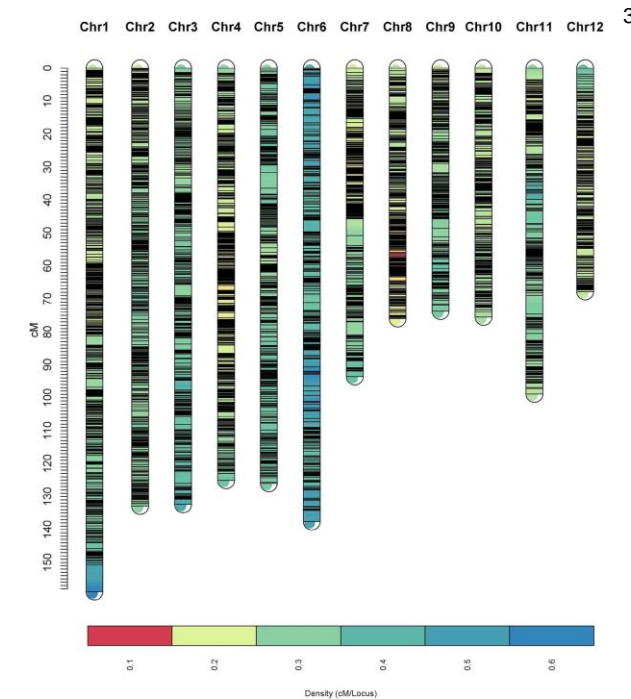


Complex traits are phenotypes controlled by many genes and environmental factors, and they often present a continuous variation



Important plant breeding targets!

Genomic prediction (GP): to use genome-wide molecular marker data to predict a given trait, exploiting the LD between markers and QTLs



Example of a genetic linkage map of rice

Challenges of genomic prediction:

Large- p small- n problem:
Need specific methods to fit the models

Marker set has to be representative
of the whole genome's haplotypes to
capture all **QTLs**



Proposed solutions:

Include structural variant (**SV**)
data in addition to SNPs

**Traits with a significant non-additive
genetic component:**
Linear models only represent well additive
effects, but not dominance or epistasis



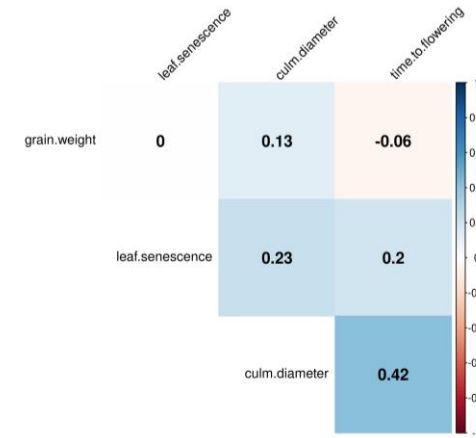
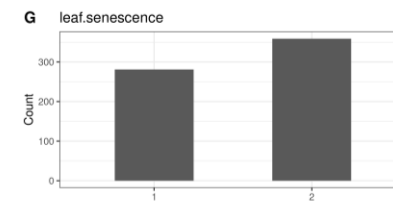
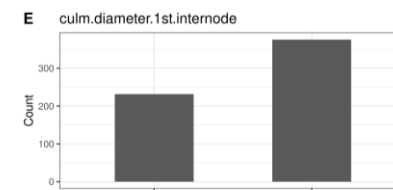
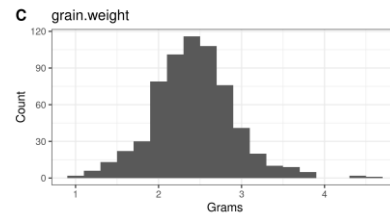
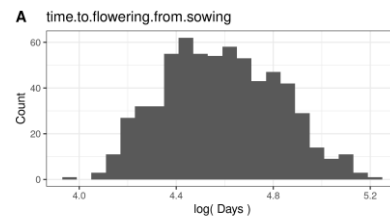
Implement deep learning (**DL**) models

1. Assess if the addition of **structural variation** data improves the prediction of complex traits in comparison to using only SNPs.
2. Evaluate how well **deep learning** performs for genomic prediction in comparison to **linear model methods**.
3. Compare the performance of different **deep learning implementations**, considering different input options of genotype data, network architectures and single or multiple output models.



1. Targets and Features

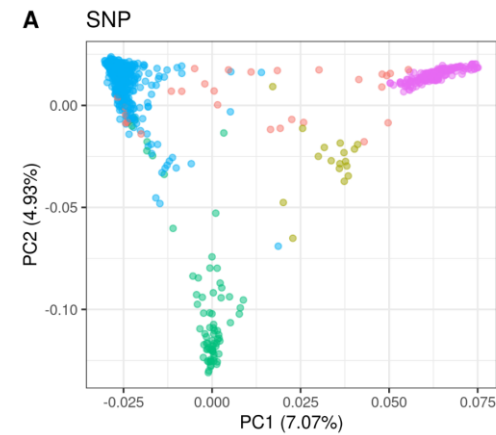
Targets
(traits)



Features
(marker sets)

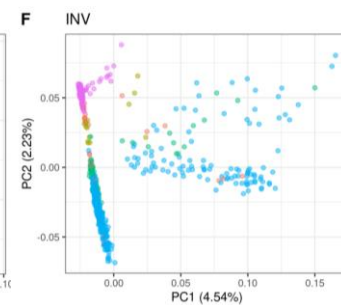
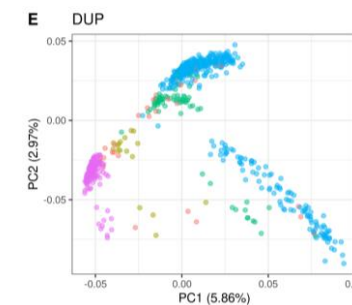
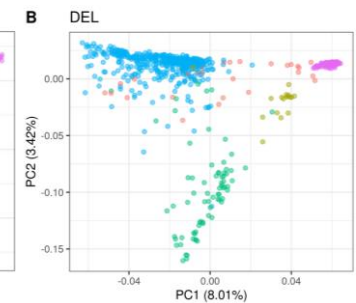
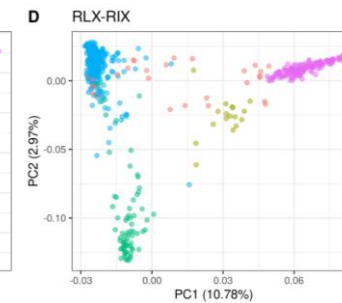
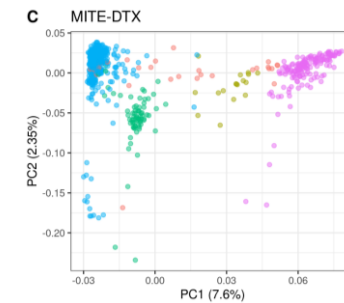
Marker set	No. of markers
SNP	228,871
MITE-DTX	52,120
RLX-RIX	21,571
DEL	139,229
DUP	14,638
INV	6,083

*MAF > 1%



Group

- ADM
- ARO
- AUS
- IND
- JAP



2. Genomic Variance Inference

Estimate the fraction of phenotypic variance explained by SVs compared to SNPs

$$\mathbf{y} = \mathbf{1}\mu + \mathbf{u}_{\text{SNP}} + \mathbf{u}_{\text{SV}} + \mathbf{e}$$

$$\mathbf{u}_{\text{SNP}} \sim N(\mathbf{0}, \mathbf{G}_{\text{SNP}} \sigma_{\text{SNP}}^2) \quad \mathbf{G}: \text{Genomic relationship matrix}$$

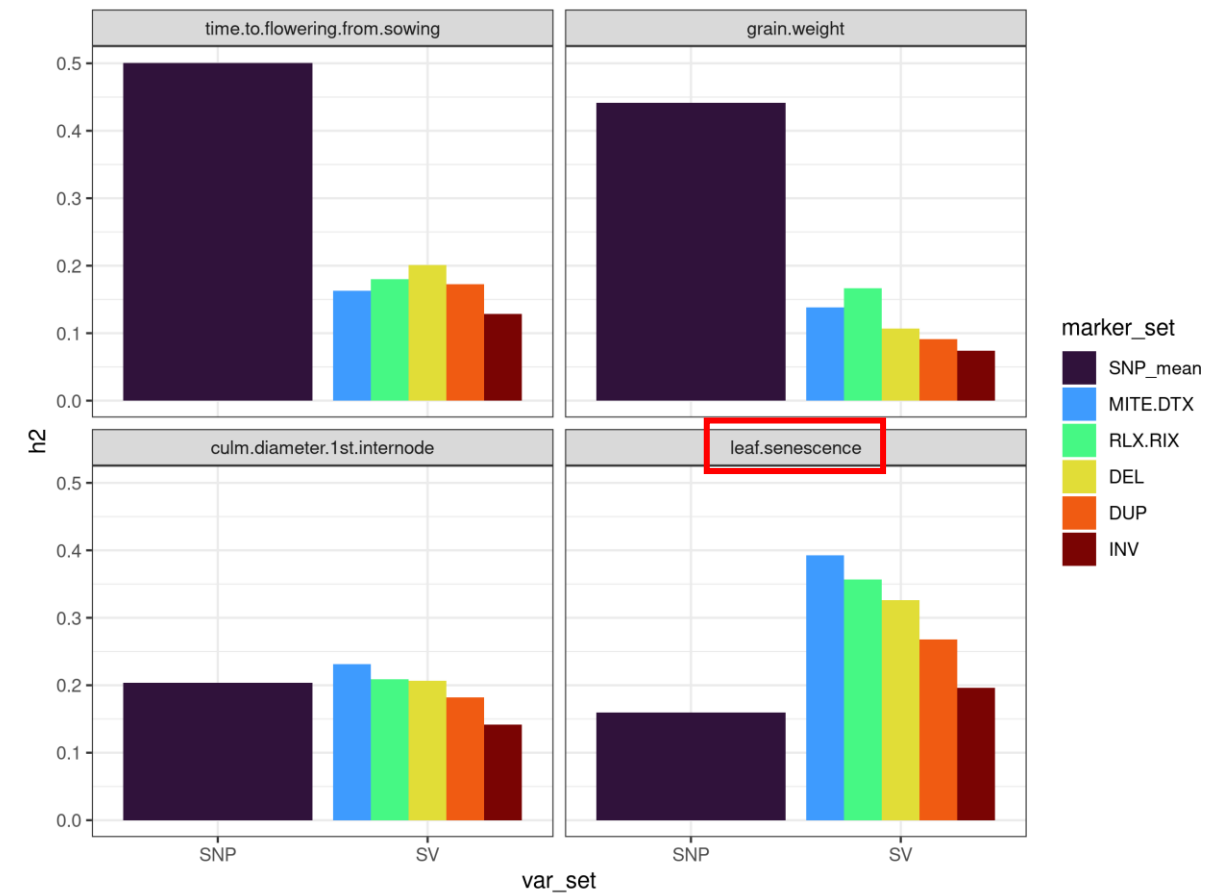
$$\mathbf{u}_{\text{SV}} \sim N(\mathbf{0}, \mathbf{G}_{\text{SV}} \sigma_{\text{SV}}^2) \quad \text{SV} = \{\text{MITE-DTX, RLX-RIX, DEL, DUP, INV}\}$$

$$\mathbf{e} \sim N(\mathbf{0}, \mathbf{I} \sigma_{\text{e}}^2)$$

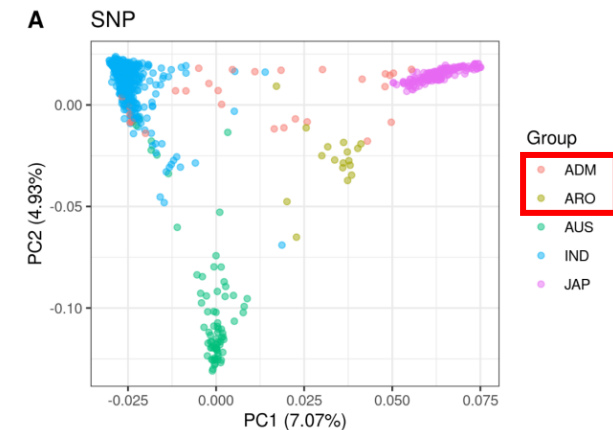
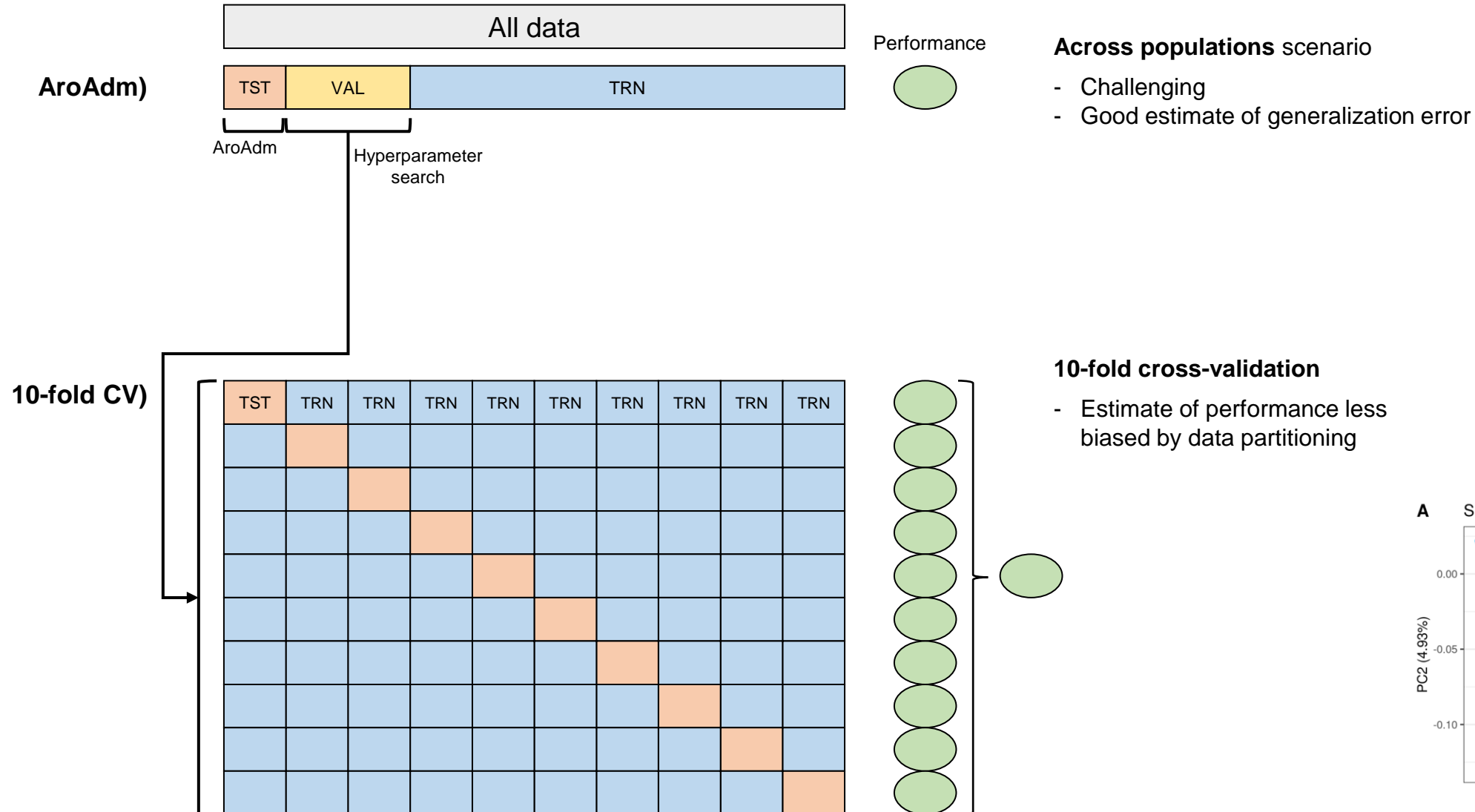


Bayesian RKHS regression

$$h_{\text{marker}}^2 = \frac{\sigma_{\text{marker}}^2}{\sigma_y^2} \quad \text{where} \quad \sigma_y^2 = \sigma_{\text{SNP}}^2 + \sigma_{\text{SV}}^2 + \sigma_{\text{e}}^2$$



1. Frameworks



2. Linear Models

Bayesian RKHS

$$RKHS_SNP \quad \mathbf{y} = \mathbf{1}\mu + \mathbf{u}_{SNP} + \mathbf{e}$$

$$RKHS_all \quad \mathbf{y} = \mathbf{1}\mu + \mathbf{u}_{SNP} + \mathbf{u}_{MD} + \mathbf{u}_{RR} + \mathbf{u}_{DEL} + \mathbf{u}_{DUP} + \mathbf{u}_{INV} + \mathbf{e}$$

Bayes C

$$\mathbf{y} = \mathbf{1}\mu + \mathbf{X}\boldsymbol{\beta} + \mathbf{e}$$

X: genotypes of the 10k most associated markers

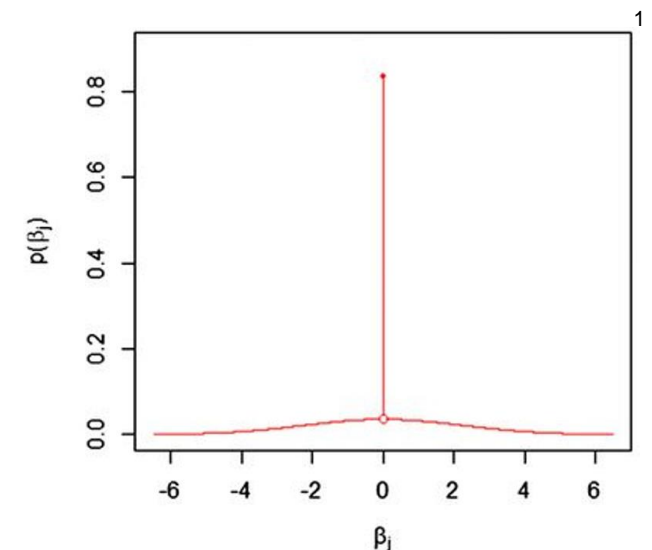
*Different GWAS for each train/test split

BayesC_SNP: top 10k SNPs

BayesC_all: top 10k markers irrespective of type

Shrinkage and selection of marker effects ($\boldsymbol{\beta}$)

$$\boldsymbol{\beta} \sim \pi N(\mathbf{0}, \mathbf{I}\sigma_{\boldsymbol{\beta}}^2) + (1 - \pi) DG(0)$$

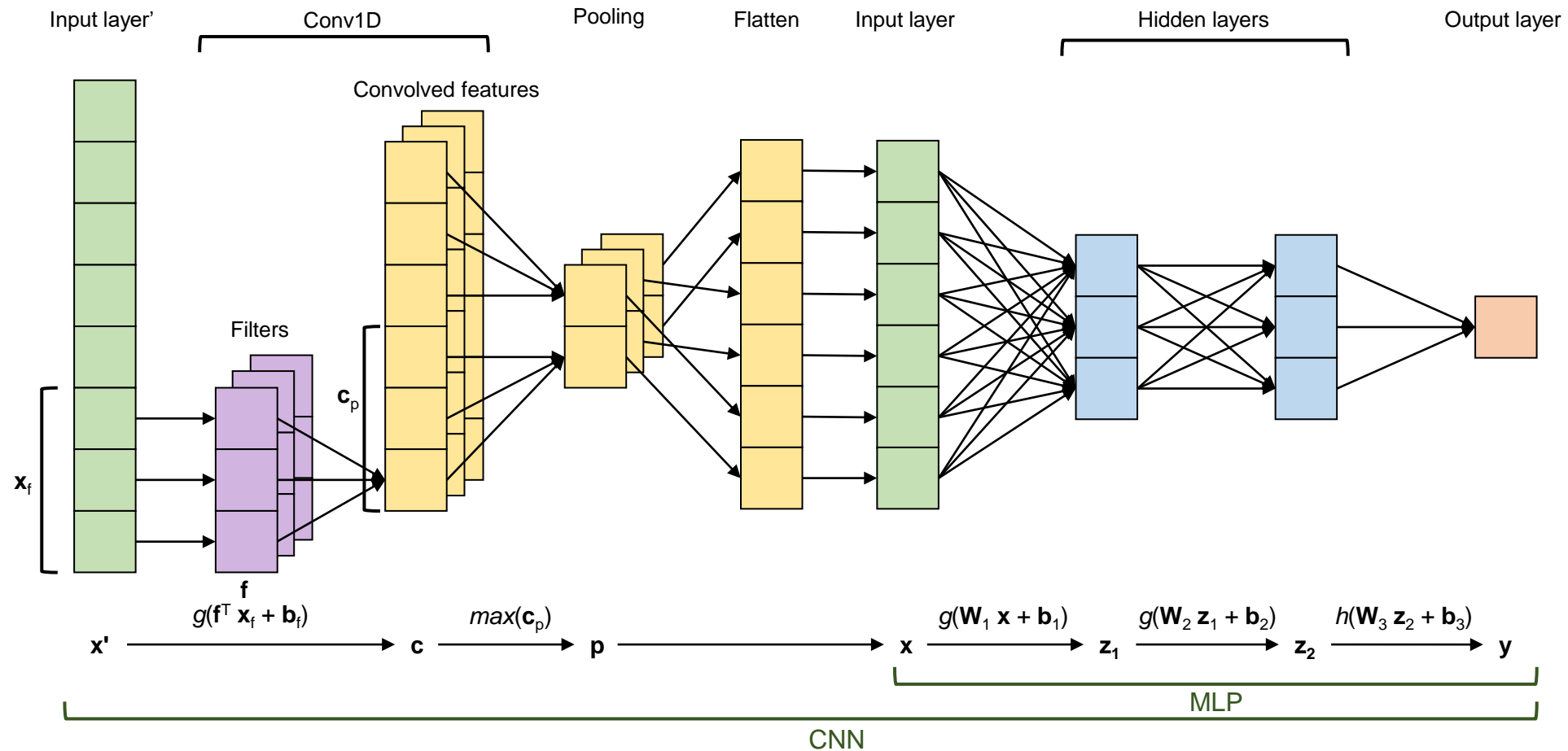


3. ANNs

ANN: multilayer stacks of neurons. Neurons compute non-linear transformations of the weighted sum of an input



Architectures: MLP and CNN



3. ANNs



Input options: top-m and kerPC

top-m

	m_1	m_2		$m_{10,000}$
a_1	0	2		1
a_2	1	0		0
a_n	0	1		0

kerPC

G matrix

eigen() →

	v_1	v_2		v_{738}
a_1	0.021	-0.019		0.023
a_2	0.027	0.012		0.026
a_n	0.029	-0.005		0.055

SNP — single.in
all — single.in (concatenated) / multi.in



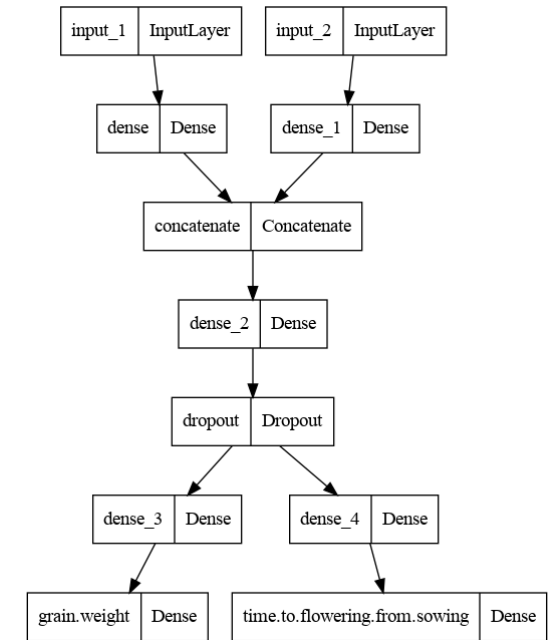
Output number: single.out and multi.out

3 multiple output models:

2.cont.traits

2.bin.traits

4.traits

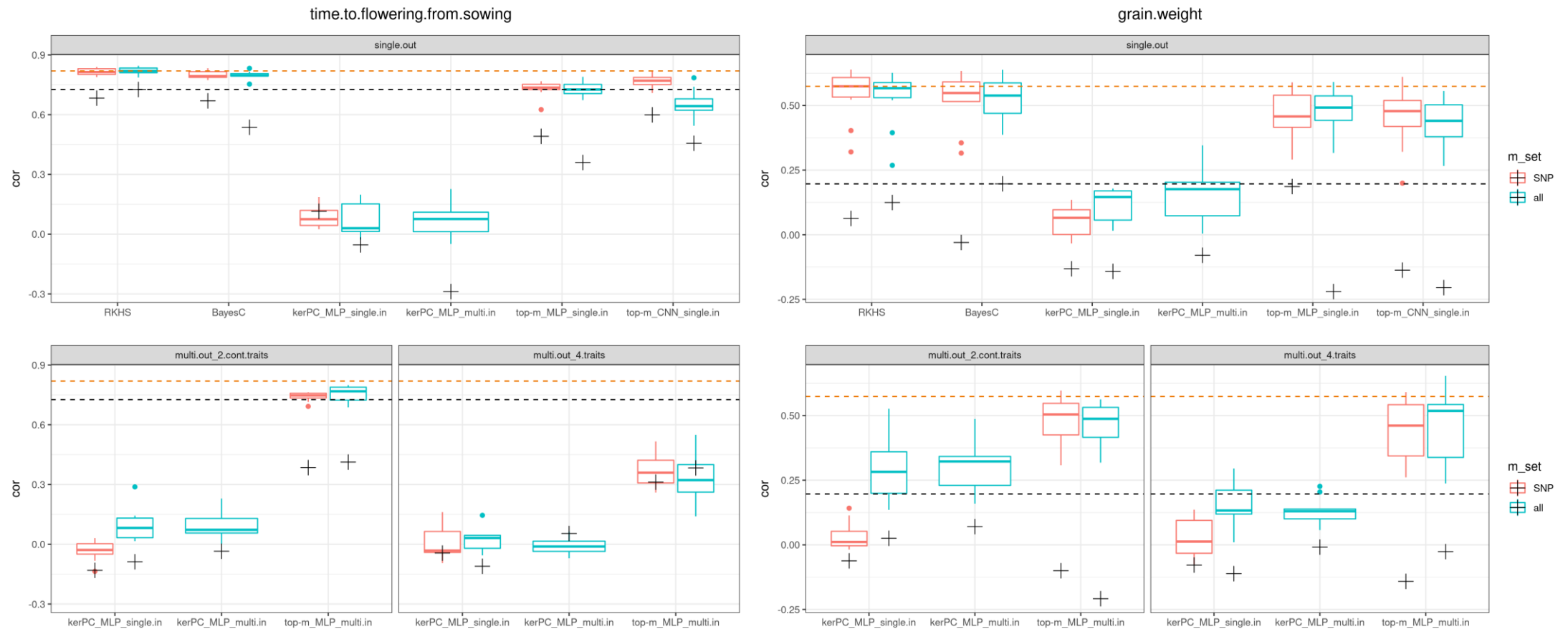


Input option	Architecture	Input number	Output number	Marker sets
kerPC	MLP	single.in	single.out / multi.out	SNP / all
kerPC	MLP	multi.in	single.out / multi.out	all
top-m	MLP	single.in	single.out	SNP / all
top-m	MLP	multi.in	multi.out	SNP / all
top-m	CNN	single.in	single.out	SNP / all

4. Results

Regression: cor (from 0 to 1)

Linear > top-m ANNs > kerPC ANNs



Prediction



Generalization across pops.



Prediction



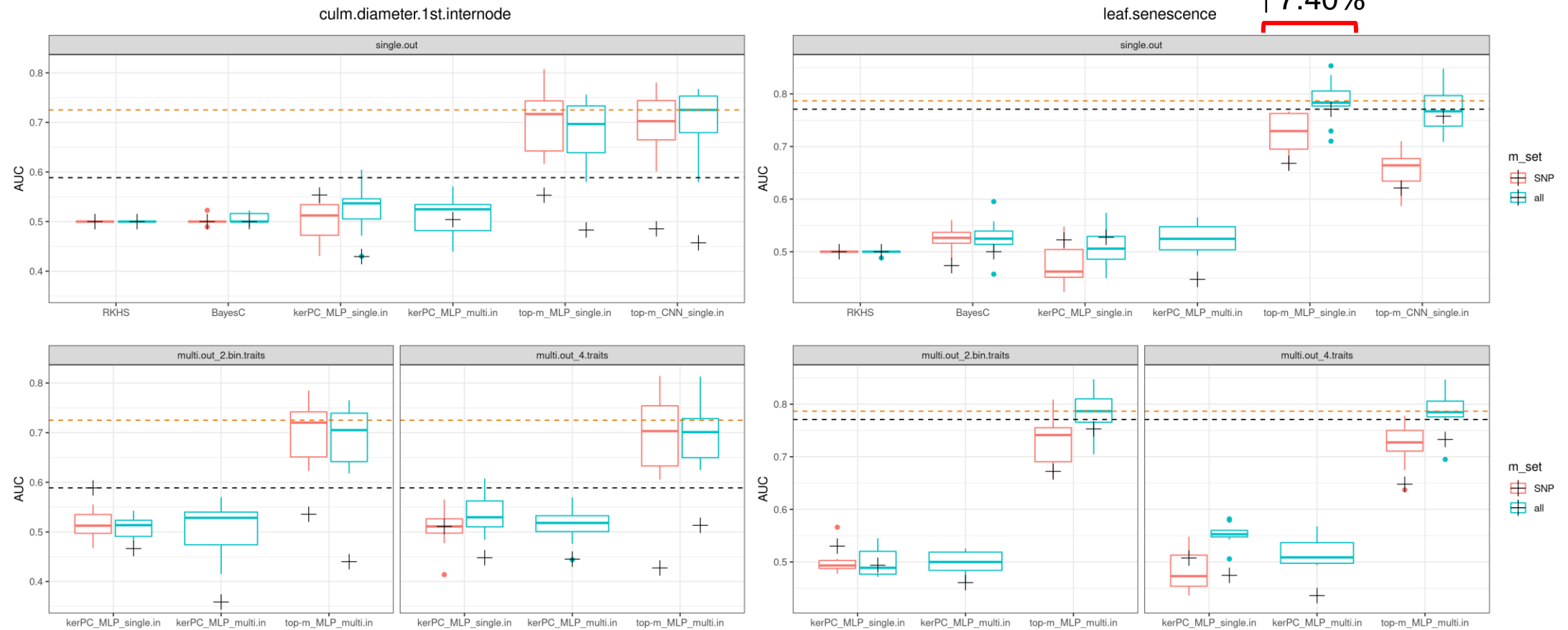
Generalization across pops.



4. Results

Classification: AUC (from 0.5 to 1)

top-m ANNs > Linear & kerPC ANNs



Prediction



Generalization across pops.



Prediction



Generalization across pops.



- **SVs can improve GP** for traits in which SVs are a significant source of genetic variance.
- **Linear models** perform very well for **regression**, but less so with classification.
- **ANN models** are competitive with linear models for regression, and they could be a good option for traits with important non-additive genetic effects. They can also deal with **classification** tasks.
- The **eigenvectors** of genomic relationship matrices are **not good input options** for ANNs.
- For the traits analyzed here, **CNNs** and **multi-trait** models **do not seem to pose an advantage** versus MLPs and single-trait models, respectively.
- Prediction across populations is more difficult for grain weight and culm diameter than for time to flowering and leaf senescence.

SVs
▼
QTL?

Linear
vs.
DL

DL
⚙️

*

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Citations and assets

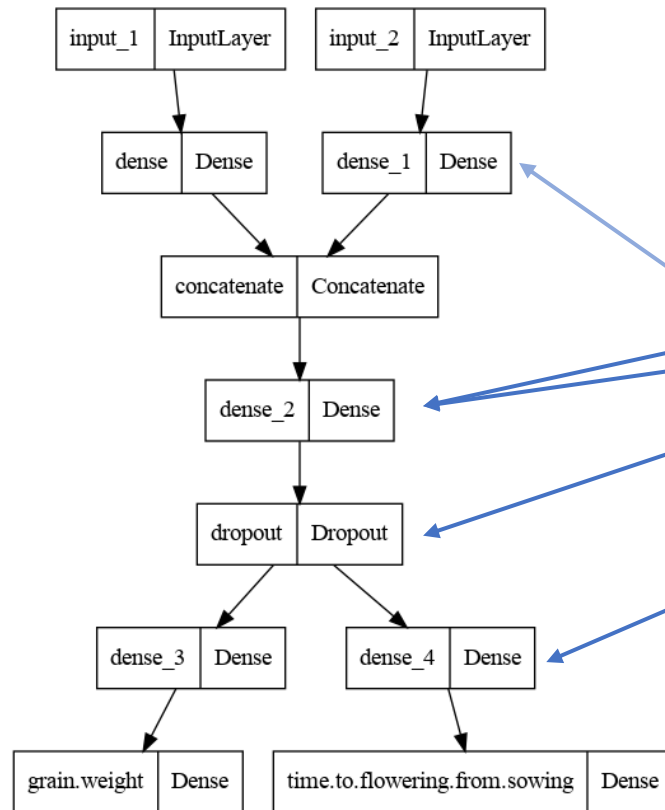
Qu P, Shi J, Chen T, Chen K, Shen C, Wang J, Zhao X, Ye G, Xu J, Zhang L. 2020. Construction and integration of genetic linkage maps from three multi-parent advanced generation inter-cross populations in rice. *Rice*. 13(1):1–16. doi:[10.1186/s12284-020-0373-z](https://doi.org/10.1186/s12284-020-0373-z).

de los Campos G, Hickey JM, Pong-Wong R, Daetwyler HD, Calus MPL. 2013. Whole-Genome Regression and Prediction Methods Applied to Plant and Animal Breeding. *Genetics*. 193(2):327–345. doi:[10.1534/genetics.112.143313](https://doi.org/10.1534/genetics.112.143313).

Presentation designed using resources from Flaticon.com.

3. ANNs

Hyperparameter tuning



Hyperparameter	Values	Models
activation	['relu', 'tanh', 'linear', 'softplus']	All
regularization_type	['L2', 'L1']	All
regularization_rate	[0.0, 0.1, 0.01, 0.001]	All
n_layers	'min_value': 1, 'max_value': 5, 'step': 1	All
units_x	[10, 20, 40, 80, 160]	All
dropout_rate	'min_value': 0.0, 'max_value': 0.3, 'step': 0.05	All
first_units	[10, 20, 40, 80, 160]	kerPC_MLP_multi.in, top-m_MLP_multi.in
last_units	[10, 20, 40, 80, 160]	top-m_MLP_multi.in, (kerPC_MLP_single.in), (top-m_MLP_single.in)
n_filters	[16, 32, 64, 128]	top-m_CNN_single.in