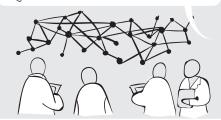
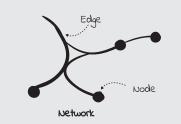
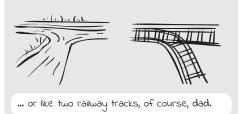
It's a common problem, having networks that with so many straight, intersecting edges everywhere that it is hard to say anything insigniful about it.



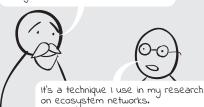
what you just saw was a method for visualising networks called **Confluent Drawings.**



It's called confluent, because the edges flow together smoothly like when two rivers combine...



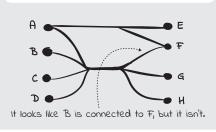
Fine.. So what was that and where did you learn it?



Another solution is to bundle edges that simply are spatially close to each other.

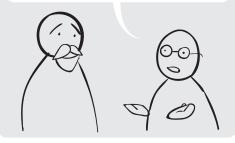


However, this can make edges hard to discern and creates ambiguity about what connects where.

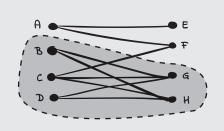


Other techniques simply collapse highly interconnected network parts into a single node.

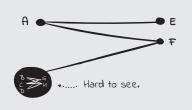
But it is not the only method available.



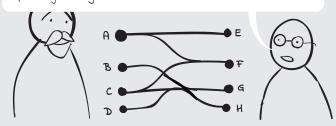
one solution is to bundle edges that simply are spatially close to each other.



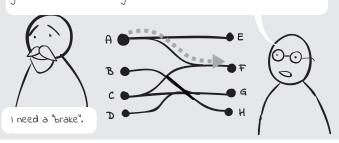
Problem with that is that it requires that we can "zoom in" to recover all the information.



Unlike those techniques, confluent drawing is unambiguous and doesn't require any zooming mechanisms.



To see whether A connects to F, you simply follow the edge the way you would follow a railway.



And like a train, you cannot take sharp turns, making it impossible to go from E to F, for example.

