# AB\_Custom:

## **Description:**

First heuristic function returns number of the player's moves minus doubled number of opponent's moves.

### Implementation:

```
13 def custom_score(game, player):
14
      """Calculate the heuristic value of a game state from the point of view
15
      of the given player.
17
      This should be the best heuristic function for your project submission.
18
19
      Note: this function should be called from within a Player instance as
20
      `self.score()` -- you should not need to call this function directly.
21
22
      Parameters
23
     game : `isolation.Board`
          An instance of `isolation.Board` encoding the current state of the
25
          game (e.g., player locations and blocked cells).
2.6
27
     player : object
28
29
         A player instance in the current game (i.e., an object corresponding to
30
          one of the player objects `game.__player_1__` or `game.__player_2__`.)
31
      Returns
33
34
      float
          The heuristic value of the current game state to the specified player.
36
37
      return float(len(game.get legal moves(player))-2*len(game.get legal moves(game.get opponent(player))))
```

## Results & Analysis:

This scoring function is easy to implement and does not require significant computational power. The coring function formula is: "#\_my\_moves – 2\*#\_opponent\_moves". The quotient "2" before the number of opponent moves makes the player to behave more aggressively and try to actively reduce the number of opponent's moves. The player equipped with this scoring function demonstrates decent performance and can occasionally outperform the AB\_Improved heuristics. In 3 out of 10 game sessions, the winning percentage of AB\_Custom was higher than results of AB\_Improved function.

The key weakness of this function is its "blindness" to the positional situation of the game.

The screenshots below demonstrate the results of several matches.

Match #		# Opponent	_		roved Lost	_	AB_Custom Won   Lost				
	1	Random	10	i	0	9	i	1			
	2	MM_Open	5	i	5	7	i	3			
	3	MM_Center	8	I	2	6	ı	4			
	4	MM_Improved	7	Ι	3	7	Ι	3			
	5	AB_0pen	4	I	6	6	I	4			
	6	AB_Center	6	I	4	4	I	6			
	7	AB_Improved	5	I	5	3	I	7			
				-							
		Win Rate:	6 <sub>1</sub>	1.:	3%	66	۱. ا	9%			

Match	#	Opponent	AB_Im	ıpı	roved	AB_Custom			
			Won	Ì	Lost	Won	I	Lost	
1		Random	9	I	1	7	I	3	
2		MM_Open	7	I	3	7	I	3	
3		MM_Center	10	I	0	9	I	1	
4	MM_Improved		5	I	5	7	I	3	
5		AB_0pen	4	I	6	5	Ι	5	
6		AB_Center	6	I	4	6	Ι	4	
7	<pre>7 AB_Improved</pre>		3	I	7	3	I	7	
		Win Rate:	62	2.9	9%	62	2.9	9%	

Match	# Opponent	AB_Im	ıpı	roved	AB_0	AB_Custom				
		Won	ı	Lost	Won	ı	Lost			
1	Random	10	ı	0	10	I	0			
2	MM_Open	8	I	2	7	I	3			
3	MM_Center	6	ı	4	10	I	0			
4	MM_Improved	9	I	1	6	I	4			
5	AB_0pen	6	ı	4	7	I	3			
6	AB_Center	6	ı	4	6	ı	4			
7 AB_Improved		6	I	4	7	I	3			
			-							
Win Rate:		72	72.9%				75 . 7%			

Match	# Opponent	AB_Im	ıpı	roved	AB_Custom			
		Won		Lost	Won	I	Lost	
1	Random	10	I	0	10	I	0	
2	MM_Open	8	I	2	8	I	2	
3 MM_Center		9	I	1	7	I	3	
4	MM_Improved	6	I	4	6	I	4	
5	AB_Open	3	I	7	2	I	8	
6	AB_Center	6	I	4	2	I	8	
7	AB_Improved	4	I	6	7	I	3	
	Win Rate:	65 . 7%			60.0%			

# AB\_Custom\_2:

# Description:

The idea of this method is to analyze the game one step ahead. The algorithm is looping through the moves available in current situation and estimates the ratio of "#\_my\_moves" to "#\_opponent\_moves". The function returns the average ratio for all available moves.

# Implementation:

```
40 def custom_score_2(game, player):
      """Calculate the heuristic value of a game state from the point of view
41
42
      of the given player.
43
44
      Note: this function should be called from within a Player instance as
      `self.score()` -- you should not need to call this function directly.
45
46
47
      Parameters
48
49
     game : `isolation.Board`
50
          An instance of `isolation.Board` encoding the current state of the
51
          game (e.g., player locations and blocked cells).
52
53
     player : object
54
          A player instance in the current game (i.e., an object corresponding to
55
          one of the player objects 'game.__player_1__' or 'game.__player_2__'.)
56
57
     Returns
58
      float
59
60
          The heuristic value of the current game state to the specified player.
61
62
      # TODO: finish this function!
63
      n = len(game.get_legal_moves(player))
      if(n==0):
64
65
          return float ("-inf")
      s = 0
66
67
      for move in game.get legal moves(player):
          opponenet_moves = len(game.forecast_move(move).get_legal_moves(game.get_opponent(player)))
68
69
          if(opponenet moves==0):
70
              return float ("inf")
71
          else:
72
              s+=(len(game.forecast move(move).get legal moves(player))/opponenet moves)
73
74
      return float(s/n)
```

#### **Results & Analysis:**

Surprisingly, analyzing the game one step deeper does not improve the overall performance. In the series of ten matches this scoring function outperformed AB\_Improved just once.

In this type of games it is more preferred to let the minimax algorithm to go one level deeper instead of incorporating the deepening functionality into the scoring function. It makes even less practical sense in this case since it decreases the performance.

Few examples of the game results:

Match # Opponent			AB_Improved Won   Lost				stom Lost	AB_Custom_2 Won   Lost			
1	Random	10	i	0	8	i	2	7	i	3	
2	MM_Open	8	1	2	6	ı	4	6	I	4	
3	MM_Center	9	1	1	8	1	2	8	I	2	
4	MM_Improved	6	1	4	6	1	4	3	I	7	
5	AB_Open	3	1	7	7	ı	3	4	I	6	
6	AB_Center	4	1	6	5	ı	5	4	I	6	
7	AB_Improved	5	1	5	4	ı	6	4	I	6	
Win Rate:		6	64.3%			62.9%			51.4%		

Match #	latch # Opponent		AB_Improved			AB_Custom			AB_Custom_2			
		Won		Lost	Won		Lost	Won	1	Lost		
1	Random	8	-	2	8	1	2	10	-	0		
2	MM_Open	8	1	2	7	ı	3	7	1	3		
3	MM_Center	7	-	3	9	1	1	7	-	3		
4	MM_Improved	7	1	3	8	ı	2	3	1	7		
5	AB_Open	3	-	7	5	1	5	3	1	7		
6	AB_Center	6	1	4	6	ı	4	5	1	5		
7	AB_Improved	7	1	3	6	1	4	4	1	6		
	65.7%			70.0%			55 . 7%					

Match #	atch # Opponent		mpı	roved	AB_Custom			AB_Custom_2			
		Won	Ī	Lost	Won	1	Lost	Won	1	Lost	
1	Random	9	-	1	7	ı	3	10	ı	0	
2	MM_Open	7	-	3	7	I	3	7	1	3	
3	MM_Center	10	-	0	9	1	1	8	ı	2	
4	MM_Improved	5	-	5	7	ı	3	7	ı	3	
5	AB_Open	4	-	6	5	1	5	5	1	5	
6	AB_Center	6	-	4	6	ı	4	6	ı	4	
7	AB_Improved	3	I	7	3	I	7	5	I	5	
Win Rate:		6	2.9	9%	62.9%			68.6%			

# AB\_Custom\_3:

## Description:

This scoring function combines the "aggressive" behavior of "AB\_Custom" function with analysis of positional strength. The method finds a less occupied cluster on the board and estimates the distance between the player's position and center of that cluster. It uses the formula from "AB\_Custom" function as a basis ("#\_my\_moves – 2\*#\_opponent\_moves"), with addition of a "positional component".

The distance between the player and the center of less occupied cluster is defined as:

Manhattan distance is used to reduce the computational load.

The positional score is defined as:

score = (game\_height+game\_width-distance)/(game\_height+game\_width)

The score is higher when the player is closer to the cluster's center.

The overall score is a simple sum between difference of legal moves of two opponents and the positional score.

In cases when several potential moves have the same estimate of move difference, the minimax algorithm will select the move which brings the player closer to the less occupied part of the board.

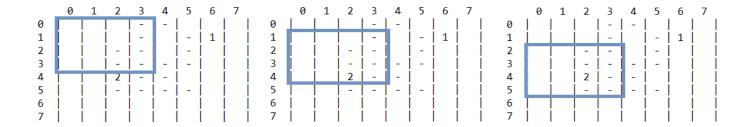
The positional score is calculated only when more than 20% of the board is occupied. Otherwise it returns the same value as "AB\_Custom" function.

# Less occupied cluster search:

The cluster size is defined as a quarter of the board.

The algorithm consecutively analyses all clusters on the board and selects the less occupied one.

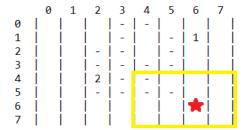
It starts in top left corner and moves down until the bottom border of the cluster is aligned with the bottom of the board.



Then, it shifts one position to the right and repeats the procedure.

	0	1	2	3	4	_ 5	6	7	
0				-	-				
1				-		-	1		
2			-	-		-			
3			-	_	-	-			
4			2	-	-				
5			-	-	-	-			
6									
7									ı

In this example, the algorithm would select the cluster in the bottom right with the center in cell (6,6):



## Implementation:

```
77 def custom_score_3(game, player):
       game_height = game.height
 78
 79
        game width = game.width
 80
       brd = game._board_state
 81
        if(game._board_state.count('1')<(game_height*game_width/5)):</pre>
 82
          return float(len(game.get_legal_moves(player))-2*len(game.get_legal_moves(game.get_opponent(player))))
 83
 84
       cluster_height = round(game.height/2)
       cluster_width = round(game.width/2)
 85
       1 = len(game. board state)-3-cluster height - game height*(cluster width-1)
 86
 87
 88
 89
       column_number = 0
 90
       min_open = game_height*game_width
 91
       min_cluster_pos_x = -1
 92
       min_cluster_pos_y = -1
 93
 94
       while i<=l:
 95
           val sum = 0
 96
            for k in range(0,cluster_width):
 97
               for n in range(0,cluster height):
 98
                    j = i+n+k*game_height
 99
                    val = game. board state[j]
                    val_sum+=val
            if(val_sum<min_open):</pre>
103
                min open=val sum
104
                min_cluster_pos_x = i-column_number*game_height
105
                min_cluster_pos_y = column_number
106
107
108
            if(i==(game height-cluster height+game height*column number)):
109
                column number+=1
                i+=cluster_width
            else:
112
113
        cluster_center_x = min_cluster_pos_x+int(cluster_height/2)
114
        cluster_center_y = min_cluster_pos_y+int(cluster_width/2)
115
116
       player_location = game.get_player_location(player)
117
        distance = abs(player_location[0]-cluster_center_x) + abs(player_location[1]-cluster_center_y)
118
        score = (game_height+game_width-distance)/(game_height+game_width)
       return float(len(game.get_legal_moves(player))-2*len(game.get_legal_moves(game.get_opponent(player)))+score)
119
```

### Results:

The player agent which employs the custom\_score\_3 function performed better than "AB\_Improved" in eight cases out of ten. Game results examples:

Match #  1 2 3 4 5 6 7	Opponent  Random MM_Open MM_Center MM_Improved AB_Open AB_Center AB_Improved  Win Rate:	AB_Imp Won   7	Lost 3 6 4 2 5	AB_Cus Won   8	Lost 2 3 6 2 6 4	AB_Cust Won   5   2   7   4   7   4   45.7	Lost 5 8 3 6 7 3 6	AB_Custo Won     7	-ost 3 3 2 5 7 3 4	
Match #	Opponent		proved	AB_Cu		AB_Cus		AB_Cus		
	Dan dan		Lost		Lost	Won		Won I		
1 2	Random MM_Open	10 8	0   2	8 I 6 I	2 4	7 I 6 I	3 4	10   8	0 2	
3	MM_Center		1 1	8 1		8 I	2	10 I	0	
4	MM_Improved		4	6 I		3		6 i	4	
5	AB_0pen		7	7 i	3	4 i	6	6 i	4	
6	AB_Center		6	5 i	5	4 [	6	7	3	
7	AB_Improved	5	1 5	4	6	4	6	6 I	4	
	Win Rate:	64	. 3%	62.	9%	51.	 4%	75.	7%	
Match #	0pponent		proved   Lost	AB_Cu Won	ustom   Lost		stom_2   Lost	AB_Cus Won		
1	Random	won 8	Lost L 2	won   8	Lost	10	Lost	won 9	Lost 1	
2	MM_Open		2	7	3	7	3	8	2	
3	MM_Center		3	9	1	7	3	10	0	
4	MM_Improved		3	8		3	7	7	_	
5	AB_Open	3	7	5	5	3	7	6	4	
6	AB_Center	6	4	6	4	5	5	6	4	
7	AB_Improved	7	3	6	4	4	6	5	5	
	Win Rate:	65	. 7%	70.	. 0%	55	. 7%	72	9%	
Match #	Opponent	AB_Imp		AB_Cus		AB_Custo		AB_Custo		
		Won		Won !		Won   L		Won   L		
1	Random	10   7	0 3	5 I 7 I	5 3	5	5 4	8	2	
2	MM_Open MM_Center	7   8	2	6	4	6   7	3	9   9	1 1	
4	MM_Improved	3	7	3	7	4 1	6	4	6	
5	AB_Open	6 i	4	5 i	5	4	6	3	7	
6	AB_Center	5 i	5	6 I	4	3	7	4 i	6	
7	AB_Improved	6 I	4	7	3	6 I	4	4	6	
	Win Rate:	64.3	3%	55 . 7	%	50.0%	, ,	58.6%		
Match #	Opponent	AB_Imp Won		AB_Cu Won		AB_Cus Won	tom_2 Lost	AB_Cus Won	tom_3 Lost	
1	Random	9	1	10 i	0	8		10 i	0	
2	MM_Open	5 I		7		7	3	6 I	4	
3	MM_Center	6	4	8	2	5 I	5	9	1	
4	MM_Improved	4		5 I		5 I		5 I	5	
5	AB_Open	5		3		5 I		7	3	
6	AB_Center	5 I		6 I		4		5 I	5	
7	AB_Improved	5 I	5	4	6	1 6 	4	6	4	
	Win Rate:	55.	7%	61.	4%	57.	1%	68.	6%	

# Conclusion:

In circumstances when it is not recommended to analyze deeper levels of the game tree inside of the scoring function it makes sense to analyze the positional strength. Before creating this scoring functions, I reviewed several examples available online. Most implementations analyze position of the player relative to center, edges, or corners of the board without consideration of availability (openness) of that areas. In my "custom\_score\_3" function, I assumed that the most desired (less occupied) area may be anywhere on the board and it moves during the game.

The testing results show that the player agent, which actively attempts to reduce the number of opponent's available moves while staying close to unoccupied regions, demonstrates stronger performance results and is able to beat the "AB\_Improved" algorithm in most of the matches.