

Summary of Matlab Signal processing Toolbox

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Important for exam

- Theoretically, you can finish the exam without Matlab. But Matlab is strongly recommended in the exam.
- You need to install 'Observer' (not 'exam monitor' anymore).
- **You have to disable Matlab copilot before the exam!**
- **Using copilot in the exam, detected by 'Observer', will be considered as cheating.**
- But you are allowed to use '**help ...**' in Matlab to consult the use of function.

Computation

`conv(x,h,'same')`

convolution multiplication

`real()`

Get the real part of a number

`imag()`

Get the imagine part of a number

`log10()`

Calcultion of $\ln()$

`root()`

Calculate roots of a polynomial

`[r,p,k]=residue(b,a)`

Partial fraction decomposition (s)

`[r,p,k]=residuez(b,a)`

Partial fraction decomposition (z^{-1})

`syms s`

Symbolic notation

`subs(eq, var, num)`

Substitute a var in equation by number

Fourier transform & Z transform

<code>fft()</code>	Compute Fast Fourier Transform (FFT)
<code>ifft()</code>	Compute inverse Fast Fourier Transform (IFFT)
<code>fftshift()</code>	Shift zero-frequency component to the center
<code>ifftshift()</code>	Inverse zero-frequency shift
<code>ztrans()</code>	Z transform of a symbolic section
<code>iztrans()</code>	Inverse Z transform of a symbolic section

Spectrum analysis

<code>abs()</code>	Magnitude spectrum
<code>angle()</code>	Phase angle
<code>bode()</code>	Bode plot

Transfer function and response

<code>Hs = tf(b, a)</code>	Create an analog filter (s-domain)
<code>Hz = tf(b, a, Ts)</code>	Create a digital filter (z-domain)
<code>y = impulse(sys,t)</code>	Impulse response
<code>y = freqs(b,a,w)</code>	Frequency response for analog filter
<code>y = freqz(b,a,n)</code>	Frequency response for digital filter
<code>[num,den] = zp2tf(z,p,k)</code>	Convert(z,p,k) to transfer function's numerator and denominator
<code>[z,p,k] = tf2zp(b,a)</code>	From transfer function to find its zeros, poles and gain
<code>[p,z] = pzmap(sys)</code>	Zero-pole plot, also receive the zeros and poles values
<code>pzplot(sys)</code>	Zero-pole plot
<code>y = lsim(sys, x, t)</code>	Simulate an input signal passing through filter
<code>y = filter(b,a,x)</code>	Filtered result with input x and transfer function (b,a)

Second order sections (SOS)

$$[\text{sos}, g] = \text{tf2sos}(b, a)$$

Transfer function coefficients, specified as vectors. Express the transfer function in terms of b and a as

$$H(z) = \frac{B(z)}{A(z)} = \frac{b_1 + b_2 z^{-1} + \dots + b_{n+1} z^{-n}}{a_1 + a_2 z^{-1} + \dots + a_{m+1} z^{-m}}.$$

Second-order section representation, returned as a matrix. sos is an L -by-6 matrix

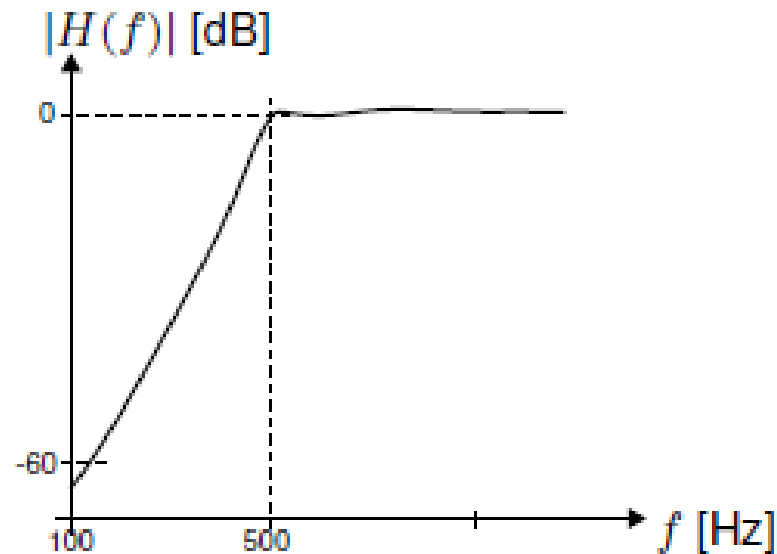
$$\text{sos} = \begin{bmatrix} b_{01} & b_{11} & b_{21} & 1 & a_{11} & a_{21} \\ b_{02} & b_{12} & b_{22} & 1 & a_{12} & a_{22} \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ b_{0L} & b_{1L} & b_{2L} & 1 & a_{1L} & a_{2L} \end{bmatrix}$$

whose rows contain the numerator and denominator coefficients b_{ik} and a_{ik} of the second-order sections of $H(z)$:

$$H(z) = g \prod_{k=1}^L H_k(z) = g \prod_{k=1}^L \frac{b_{0k} + b_{1k} z^{-1} + b_{2k} z^{-2}}{1 + a_{1k} z^{-1} + a_{2k} z^{-2}}.$$

Example: Design of high pass filter

Design a 0.5 dB Chebyshev highpass filter with cutoff frequency 500Hz, sampling frequency 8kHz.



```
% construct analog filter
[b,a] = cheby1(4,0.5,2*pi*500,'high','s');
Hs=tf(b,a);

% convert it to digital filter (bilinear)
Hz = c2d(Hs, 1/8000,'tustin');
bode(Hz)

% convert to second order sections
bb = cell2mat(Hz.Numerator);
aa = cell2mat(Hz.Denominator);
[ss,g] = tf2sos(bb,aa);
Hz1 = tf(ss(1,1:3), ss(1,4:6), 1/8000);
Hz2 = tf(ss(2,1:3), ss(2,4:6), 1/8000);
Hz_csc = g*Hz1*Hz2;
bode(Hz_csc)
```


Analog filter design

<code>[b,a] = butter(N, wa, 's')</code>	Analog Butterworth filter
<code>[b,a] = cheby1(N, Rp, wa, 's')</code>	Analog Chebyshev type I filter
<code>[b,a] = besself(N, wa)</code>	Analog Bessel filter
<code>[z,p,k] = buttap(n)</code>	Butterworth frequency-normalized filter
<code>[z,p,k] = cheb1ap(n,Rp)</code>	Chebyshev type I frequency-normalized filter
<code>[z,p,k] = besslap(n)</code>	Bessel frequency-normalized filter
<code>[bt, at] = lp2lp(b,a,Wo)</code>	Transform lowpass analog filters to lowpass
<code>[bt, at] = lp2hp(b,a,Wo)</code>	Transform lowpass analog filters to highpass
<code>[bt, at] = lp2bp(b,a,Wo,Bw)</code>	Transform lowpass analog filters to bandpass
<code>[bt, at] = lp2bs(b,a,Wo,Bw)</code>	Transform lowpass analog filters to bandstop

Digital Filter

`fir1(n,Wn,ftype>window)`

Generate a `n_order` FIR filter with window

`barlett(L)`

Barlett window length `L`

`hamming(L)`

Hamming window length `L`

`hanning(L)`

Hanning window length `L`

`kaiser(L, beta)`

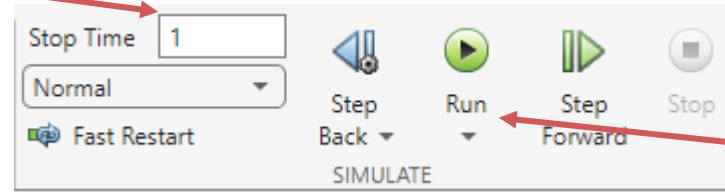
Kaiser window length `L`

`Hz = c2d(Hs, Ts, method)`

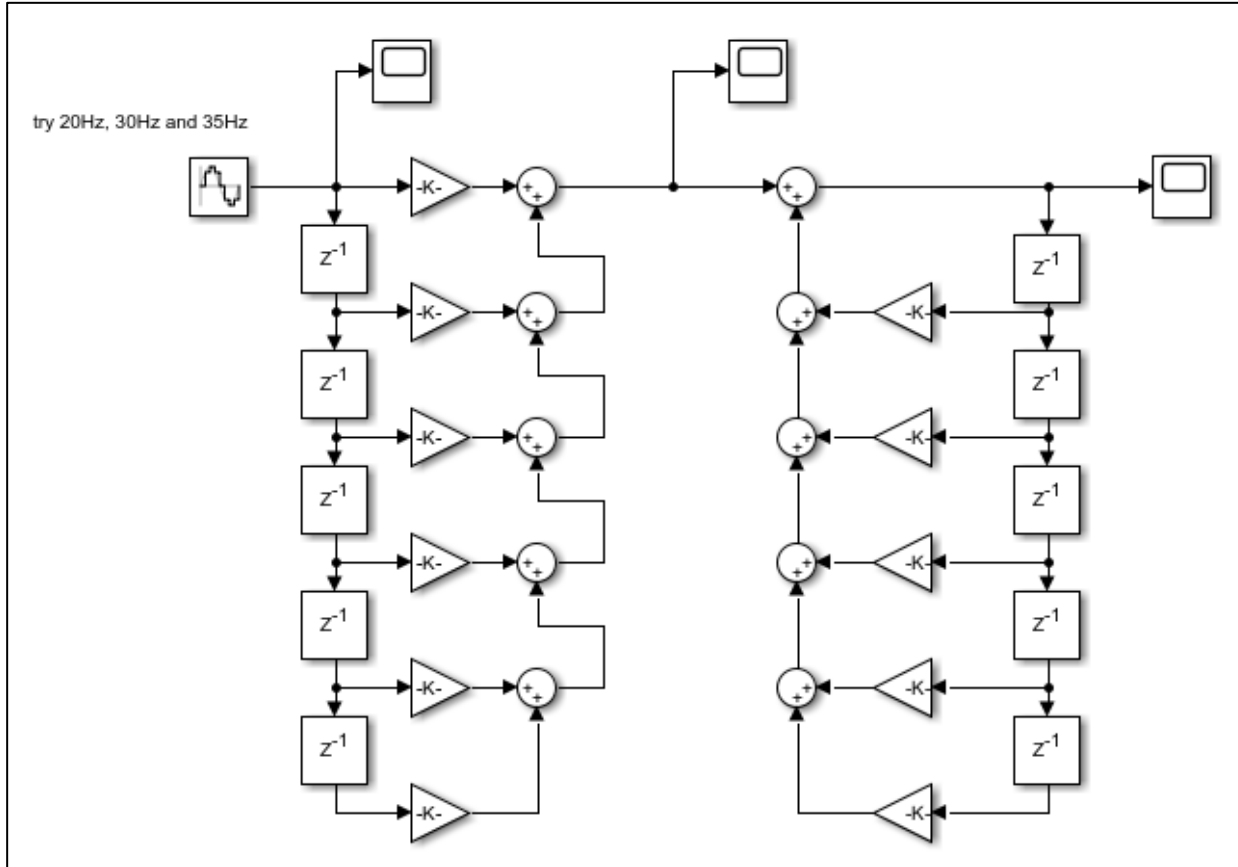
Convert analog filter `Hs` to digital filter `Hz` (method: 'matched', 'impulse', 'tustin')

Realization

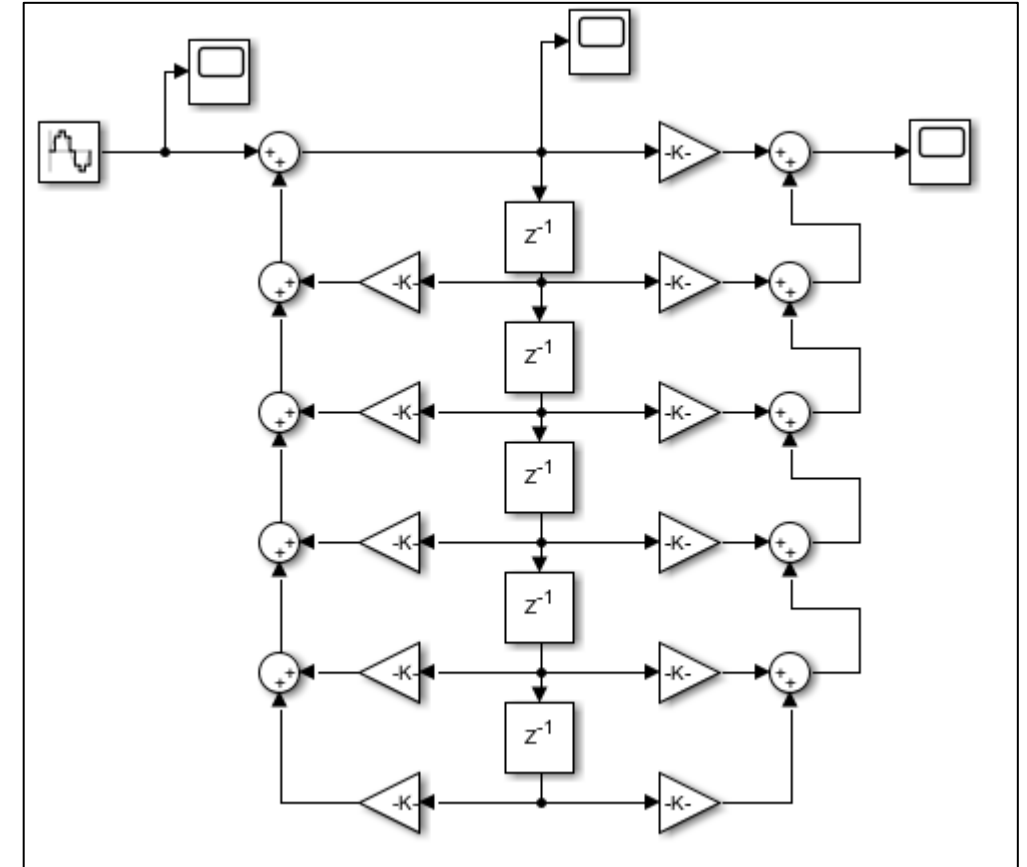
Set time (how long)



Click it to run the simulation



Direct Type I



Direct Type II

APP in Matlab- GUI

