| Name: | | |
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1. Show that if $a, b \in \mathbb{Z}$, then $a^2 - 4b + 2 \neq 0$.

| Solution: |
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2. Show that there are irrational numbers a and b such that a^b is rational.

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3. We denote by $\{0,1\}^n$ sequences of 0's and 1's of length n. Show that it is possible to order elements of $\{0,1\}^n$ so that two consecutive strings are different only in one position.

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4. Let us define n! as follows: 1! = 1 and $n! = (n-1)! \cdot n$. Show that $n! \geq 2^n$ for any $n \geq 4$.

Solution: