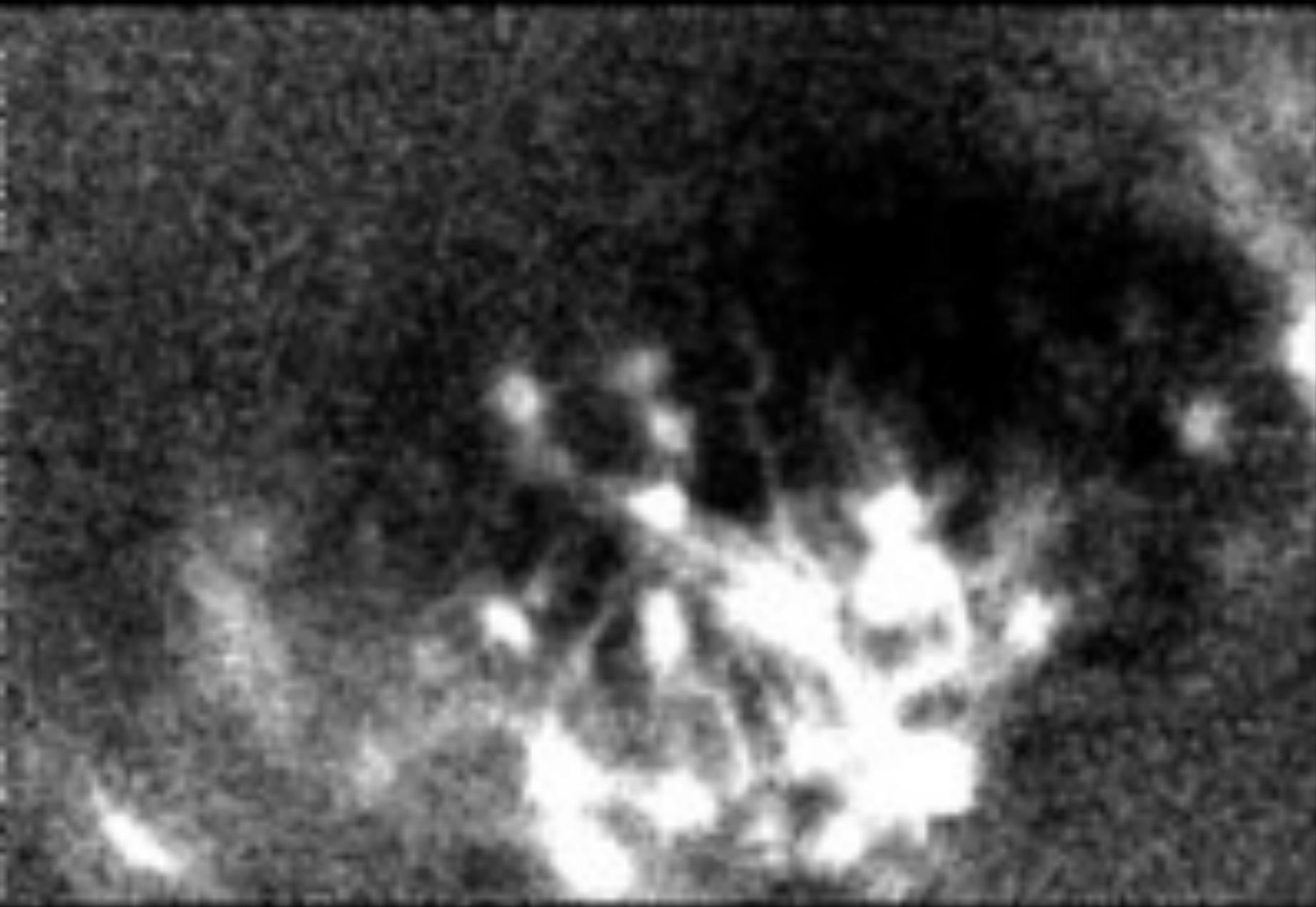


Q355/Q590
Today: Neurophysiology



What is happening in that video?

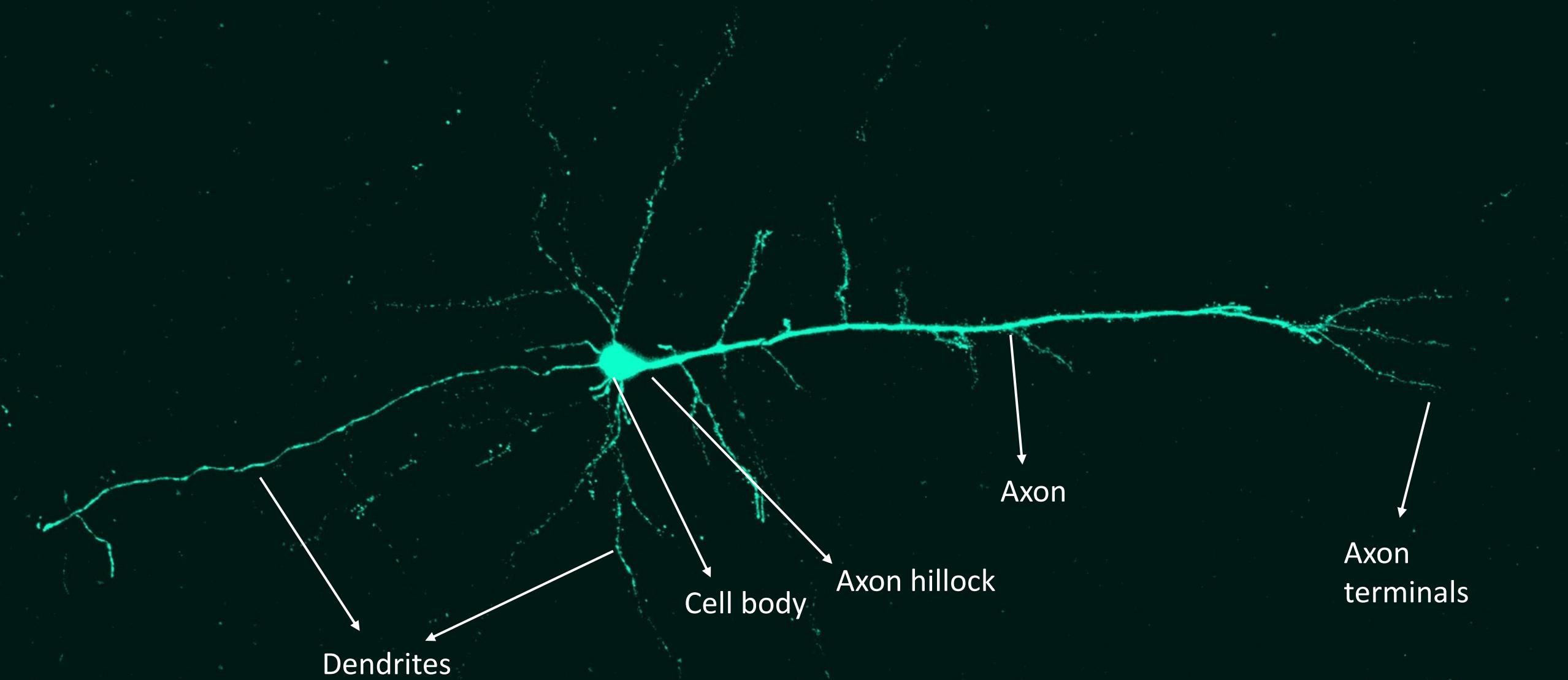
- **Neurons are firing**
- **Neurons are communicating with each other**

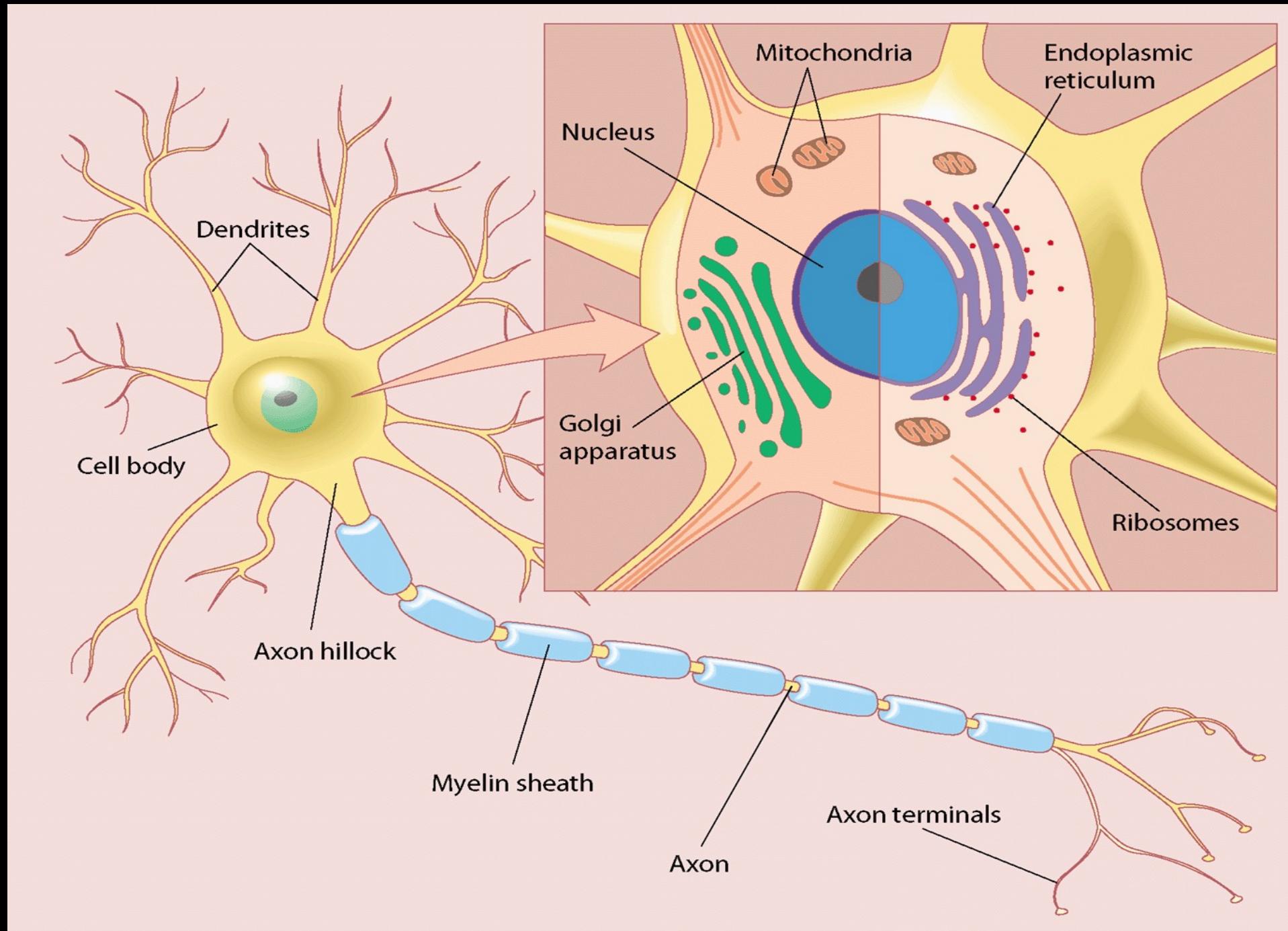
But, how?

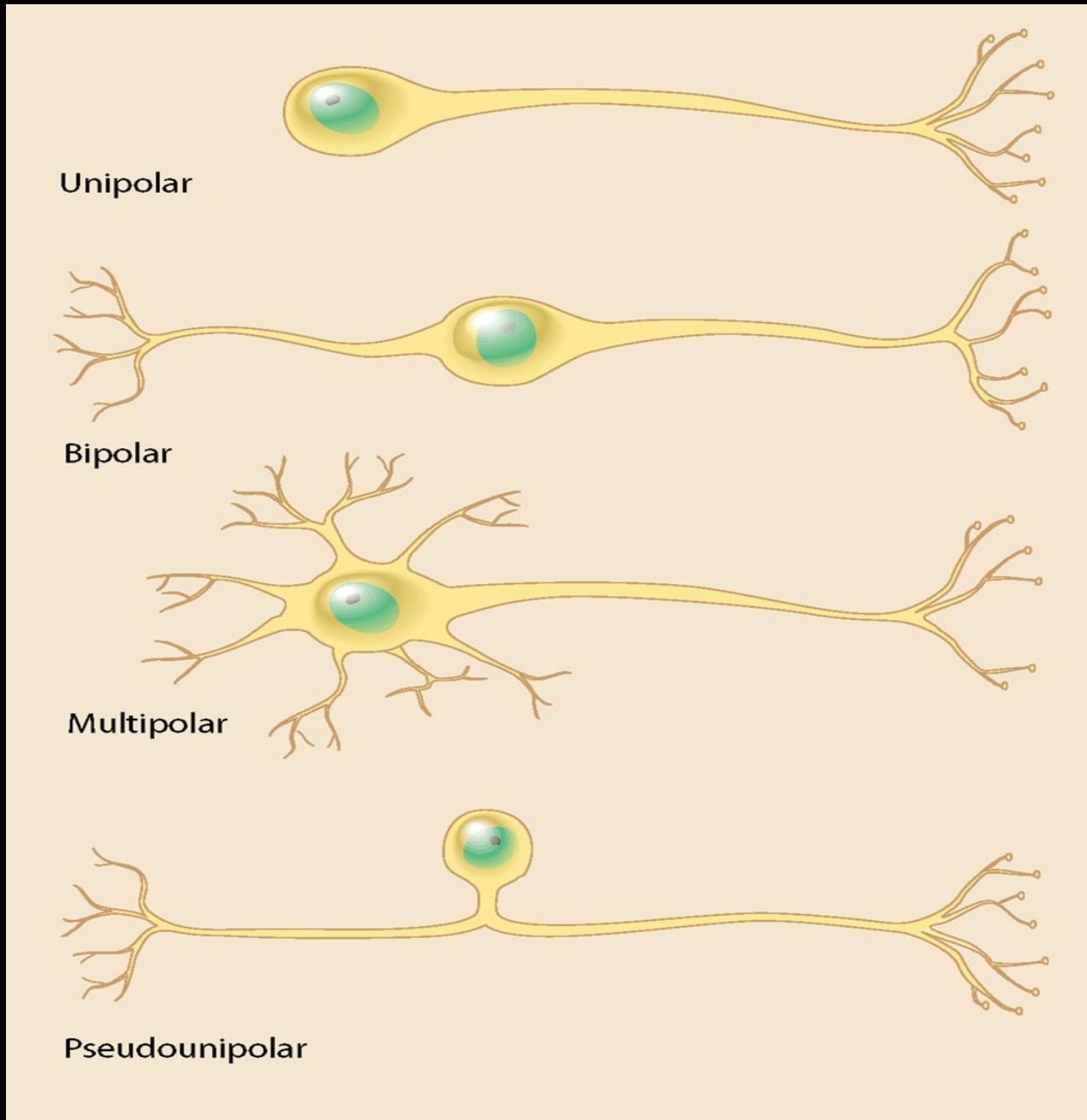
Overview of Lecture

- **Neurophysiology of neurons – action potentials**
- **Hodgkin-Huxley model of action potential generation**
- **Neurophysiology – transmitter release**
- **Neurophysiology – learning**

What does a single neuron look like?



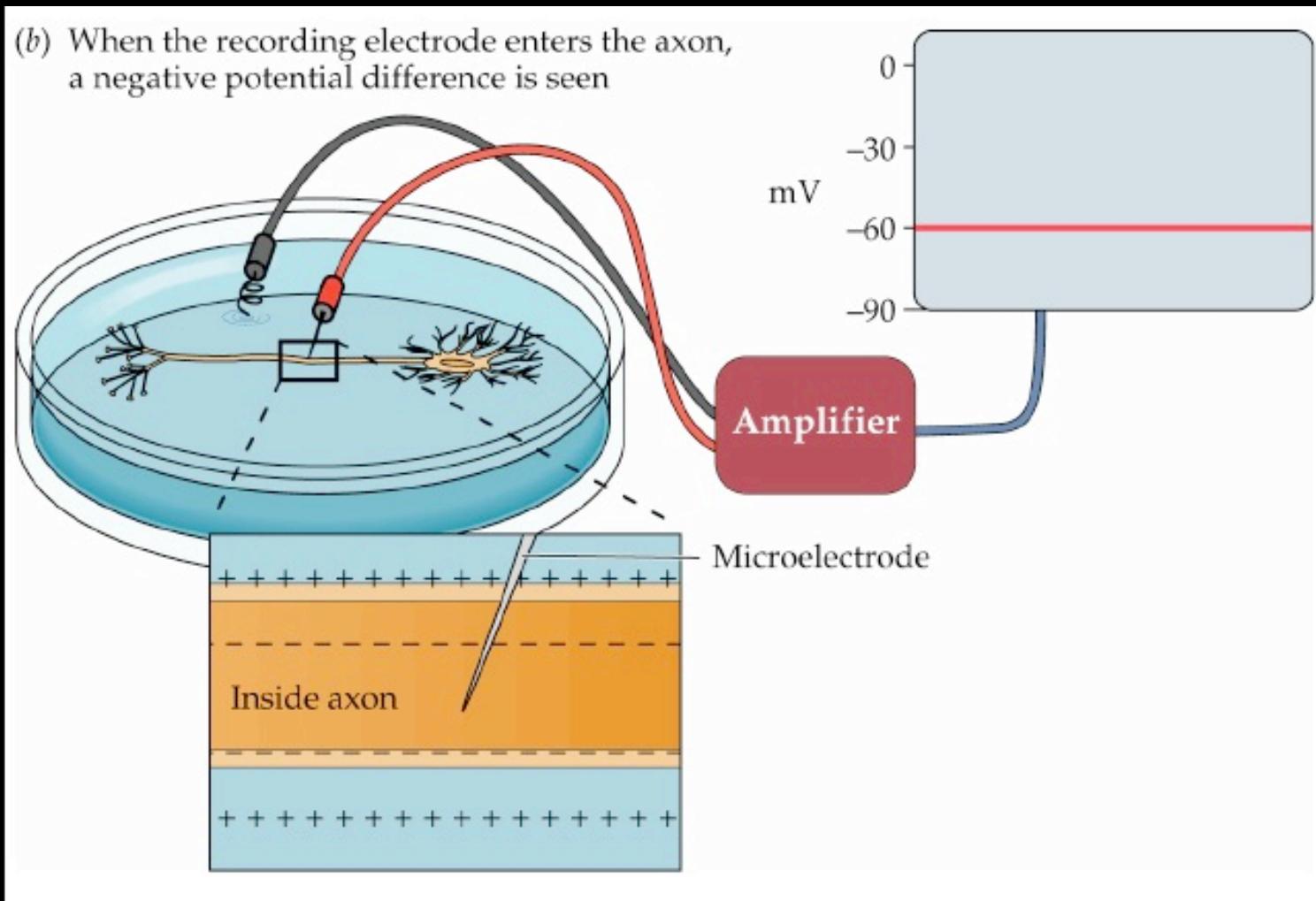




Adapted from Kandel, E.R. Schwartz, J.H., and Jessell, T.M. (Eds.), *Principles of Neural Science*, 3rd edition. Norwalk, Connecticut: Appleton & Lange, 1991. Copyright © 1991 by Appleton & Lange.

How do neurons talk? How is action potential generated?

But first, neuronal membrane potential -



The potential of inside of the resting neuron wrt the outside is **negative**.

Ionic gradients across the membrane lead to neuronal resting membrane potential

Na⁺: IN < OUT

Cl⁻: IN < OUT

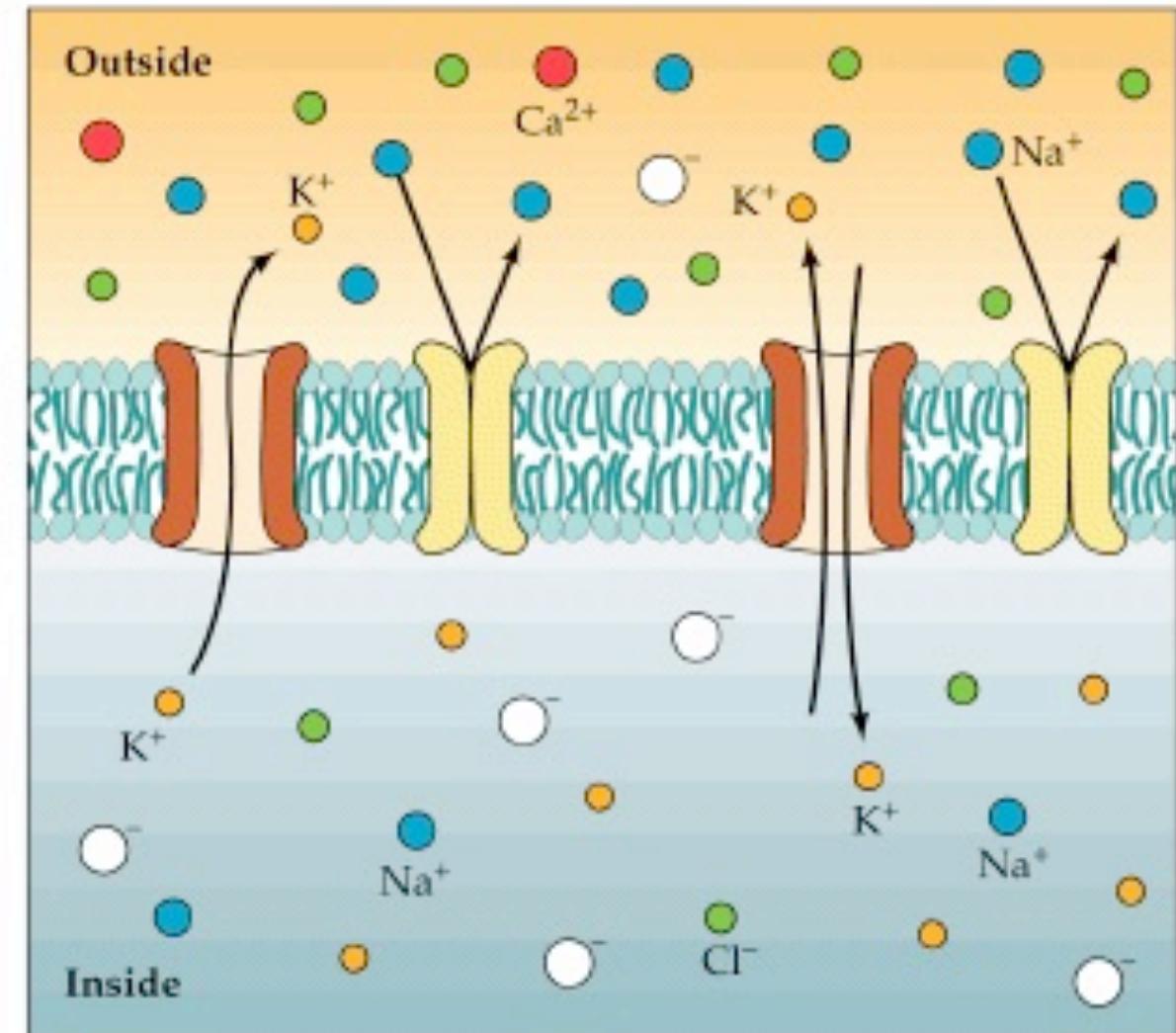
Ca²⁺: IN < OUT

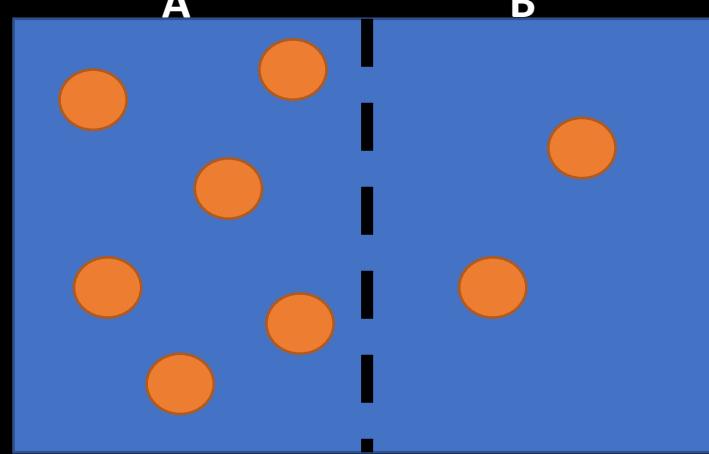
K⁺: IN > OUT

A⁻: IN > OUT

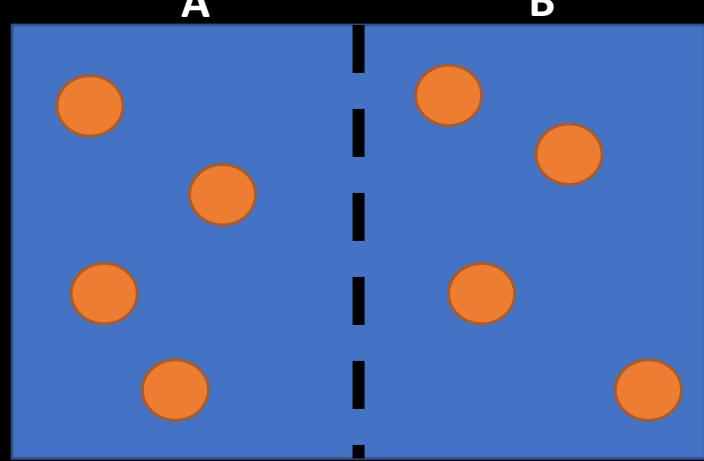
More salty outside!

	● = Na ⁺	● = K ⁺	● = Cl ⁻	● = Ca ²⁺	○ = Anion
Outside cell	440	20	560	10	few
Inside cell	50	400	40–150	0.0001	many





After a while

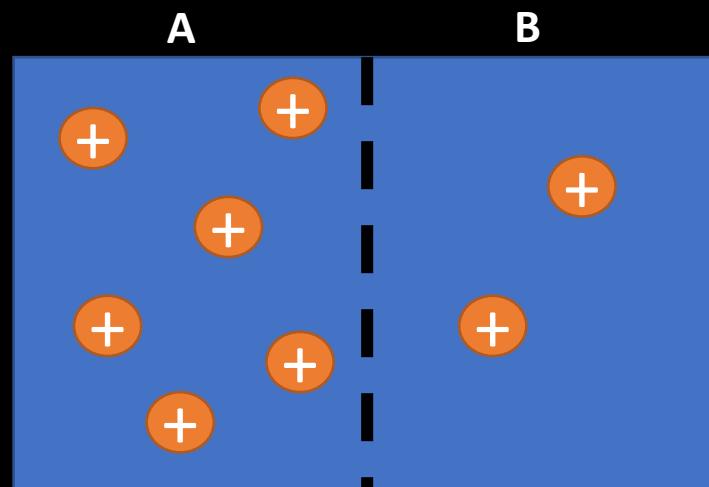


$$\mu : A > B, \quad V : A = B$$

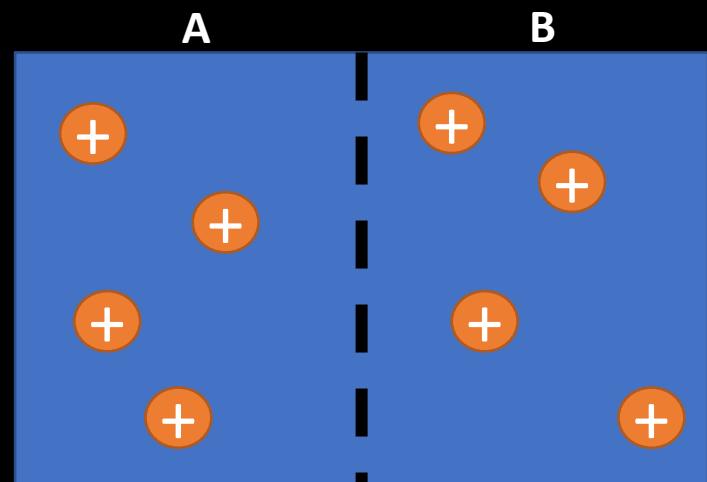
Electrochemical gradient: $\Delta \mu + \Delta V = \text{Nonzero}$

$$\mu : A = B, \quad V : A = B$$

Electrochemical gradient: $\Delta \mu + \Delta V = 0$



After a while

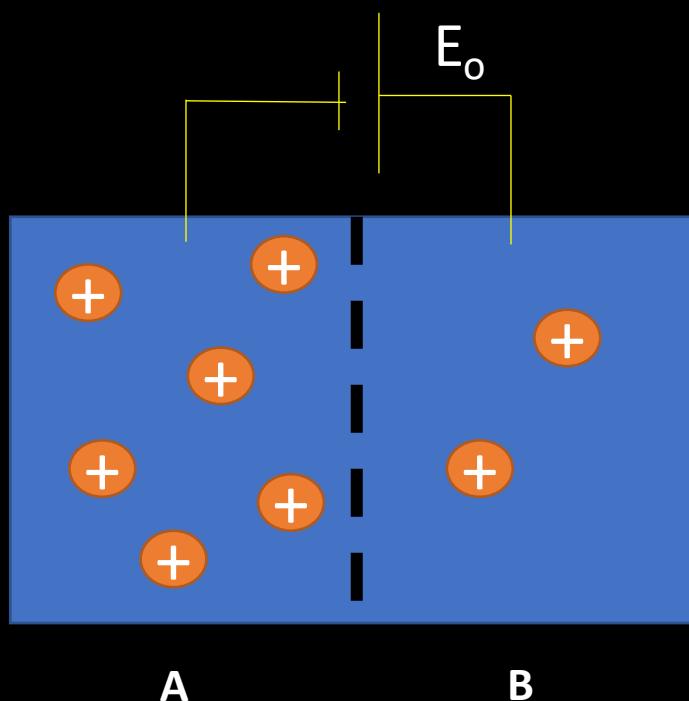


$$\mu : A > B, \quad V : A > B$$

Electrochemical gradient: $\Delta \mu + \Delta V = \text{Nonzero}$

$$\mu : A = B, \quad V : A = B$$

Electrochemical gradient: $\Delta \mu + \Delta V = 0 + 0 = 0$



A B

The ion gradient between A and B will stay as it is **if**,

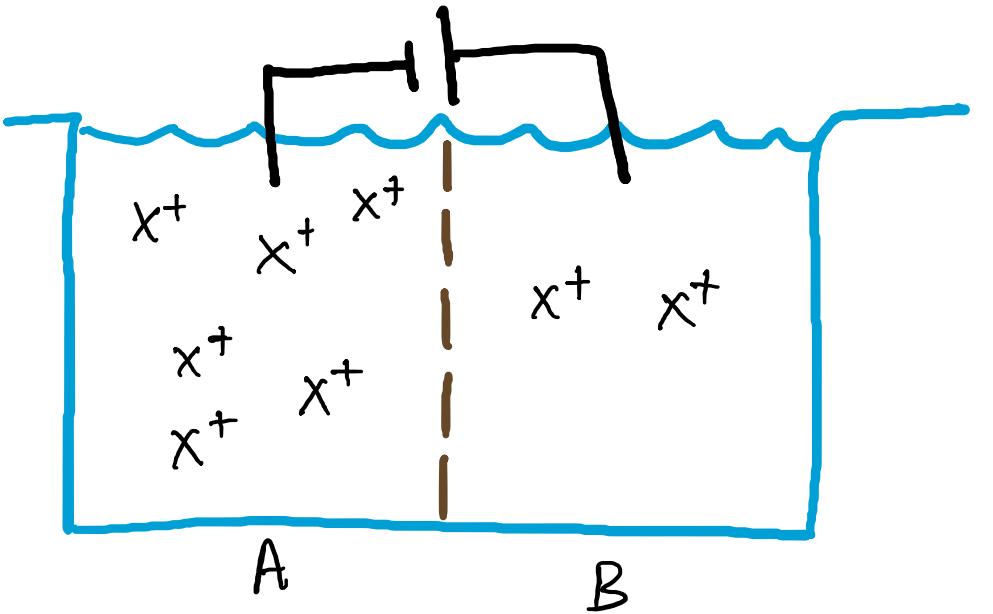
the electrochemical gradient between A and B can somehow be made = 0

In other words, the **net electrical potential difference balances the net chemical potential difference** between A and B; in several other words, the electrical force on ions cancels out the ‘diffusion force’.

$$\text{Net } \Delta V = \Delta \mu$$

This happens when, $E = \frac{RT}{zF} \ln \frac{C_a}{C_b}$ → **Nernst Equation**

(here, E is electric potential of compartment B wrt A; Ca is concentration of ions in A, and Cb is concentration of ions in B)



$$V = V_B - V_A$$

No ions flow between A & B, when

$$3FV = RT \ln \left(\frac{C_A}{C_B} \right)$$

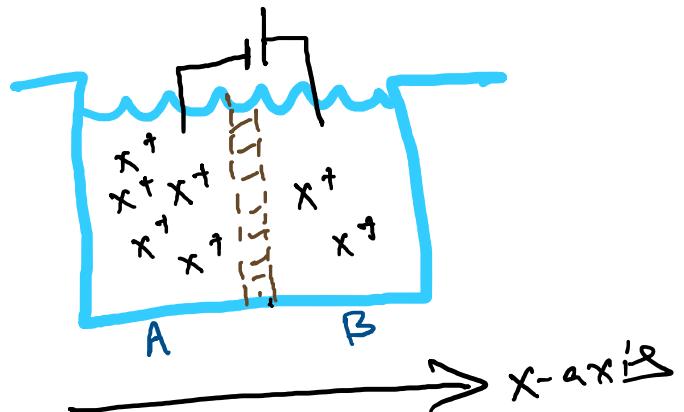
$$V = \frac{RT}{3F} \ln \left(\frac{C_A}{C_B} \right) \Rightarrow \text{Nernst equation}$$

- 1 mole X^+
- Flows against electrical pot.
(Energy required = $3FV$)
 - Flows down chemical potential
(Gibbs free energy released = $RT \ln \left(\frac{C_A}{C_B} \right)$)

Another approach,

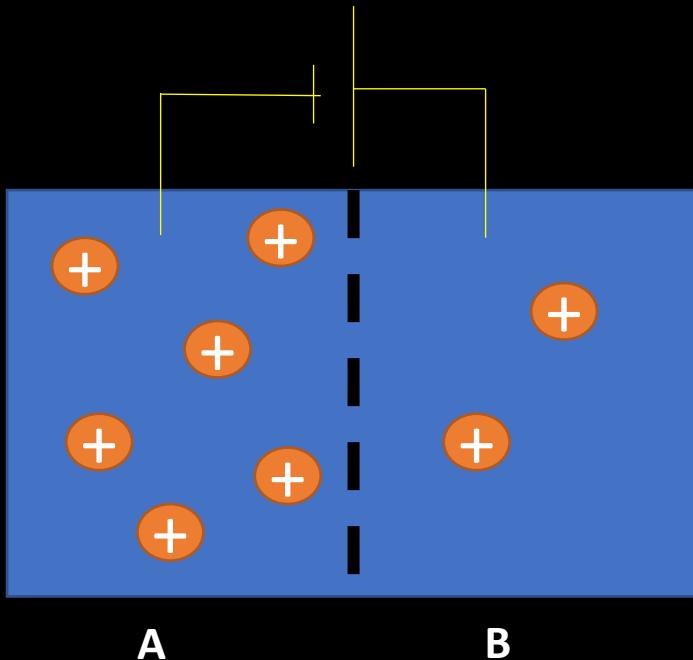
ion flux due
to electrical
potential difference = ion flux
due to
concentration gradient

$$\mu \bar{J} c \frac{\partial V}{\partial x} = D \frac{\partial C}{\partial x}$$



Integrate ∂V from 0 to V
& ∂C from C_a to C_b .

↓
Gives Nernst equation
(Use, $D = \frac{\mu R T}{F}$)



E is called the Nernst potential of ion C → Potential required to maintain the ionic gradient at concentrations (Ca, Cb)

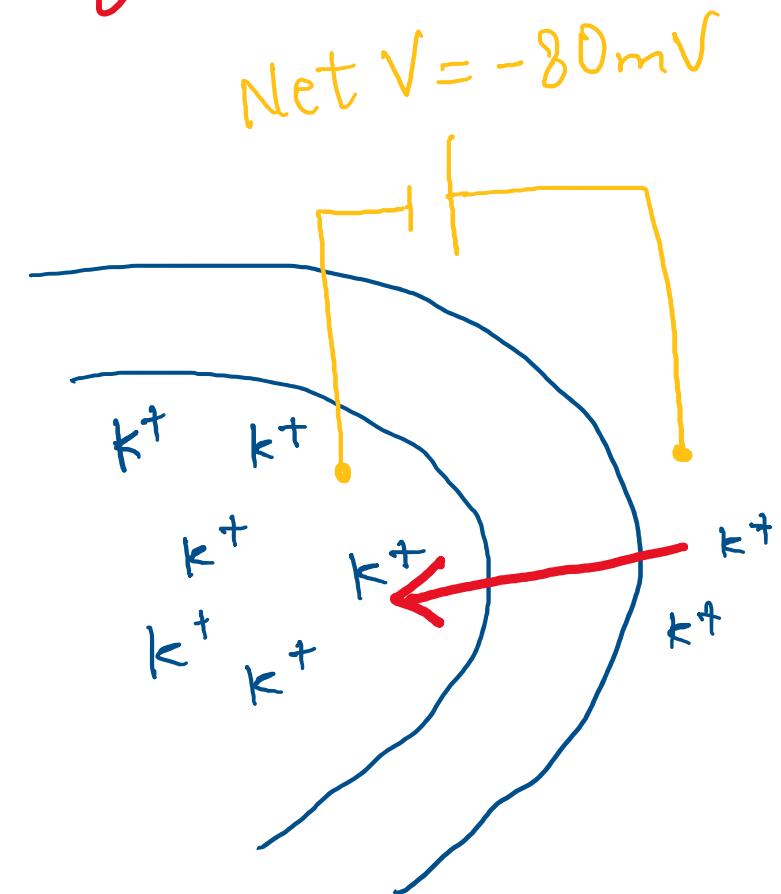
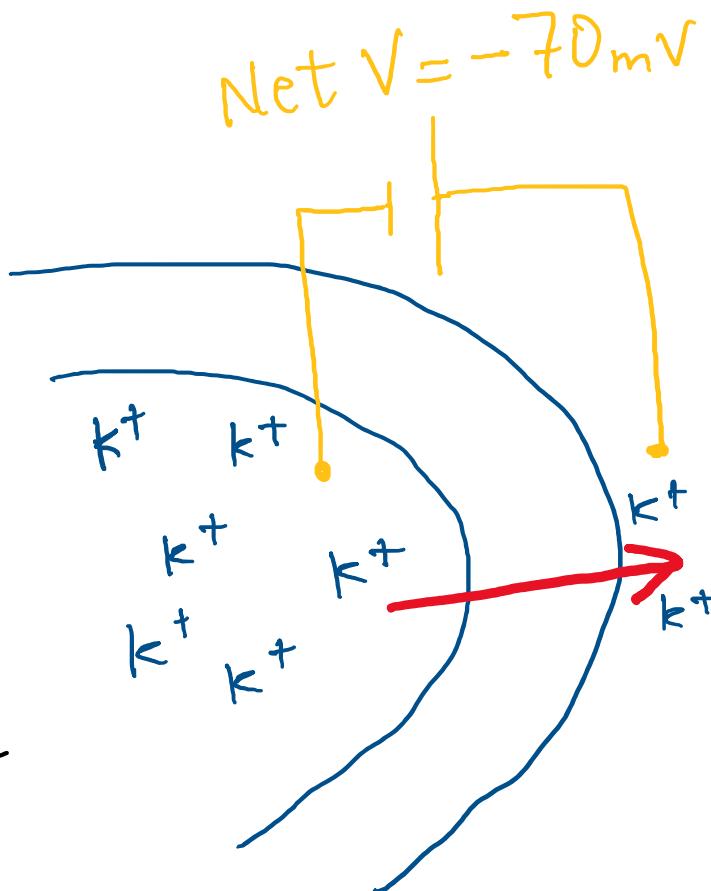
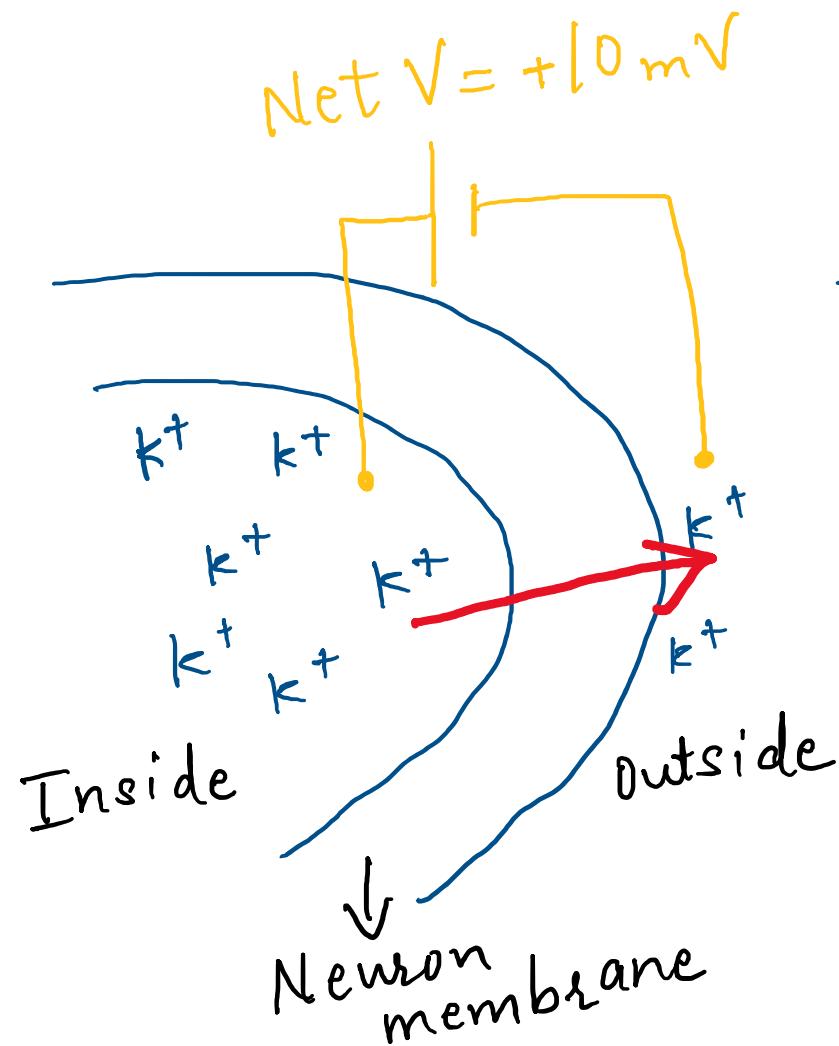
Nernst potentials for Na, and K ions across the membrane:

$$E_{Na} \sim +60 \text{ mV}$$

$$E_K \sim -75 \text{ mV}$$

Note: When we talk about neuronal membrane potentials, the convention is to refer to the potential inside wrt the outside of the cell.

Consider K^+ ions ($E_K = -75\text{mV}$): What will be the direction of K^+ ion flow in following scenarios?



Goldman-Hodgkin-Katz equation

In case of multiple ions (which is the case around neuronal membrane), the required voltage that needs to be maintained to keep them at their ionic gradients is given by Goldman-Hodgkin-Katz equation –

$$V_M = \frac{RT}{F} \ln \frac{P_K[K^+]_{out} + P_{Na}[Na^+]_{out} + P_{Cl}[Cl^-]_{in}}{P_K[K^+]_{in} + P_{Na}[Na^+]_{in} + P_{Cl}[Cl^-]_{out}},$$

= roughly, -70 mV

Here, $[X]_{out}$ - concentration of ion X outside the cell

$[X]_{in}$ - concentration of the ion X inside the cell

P_x – Permeability of the ion X through the membrane

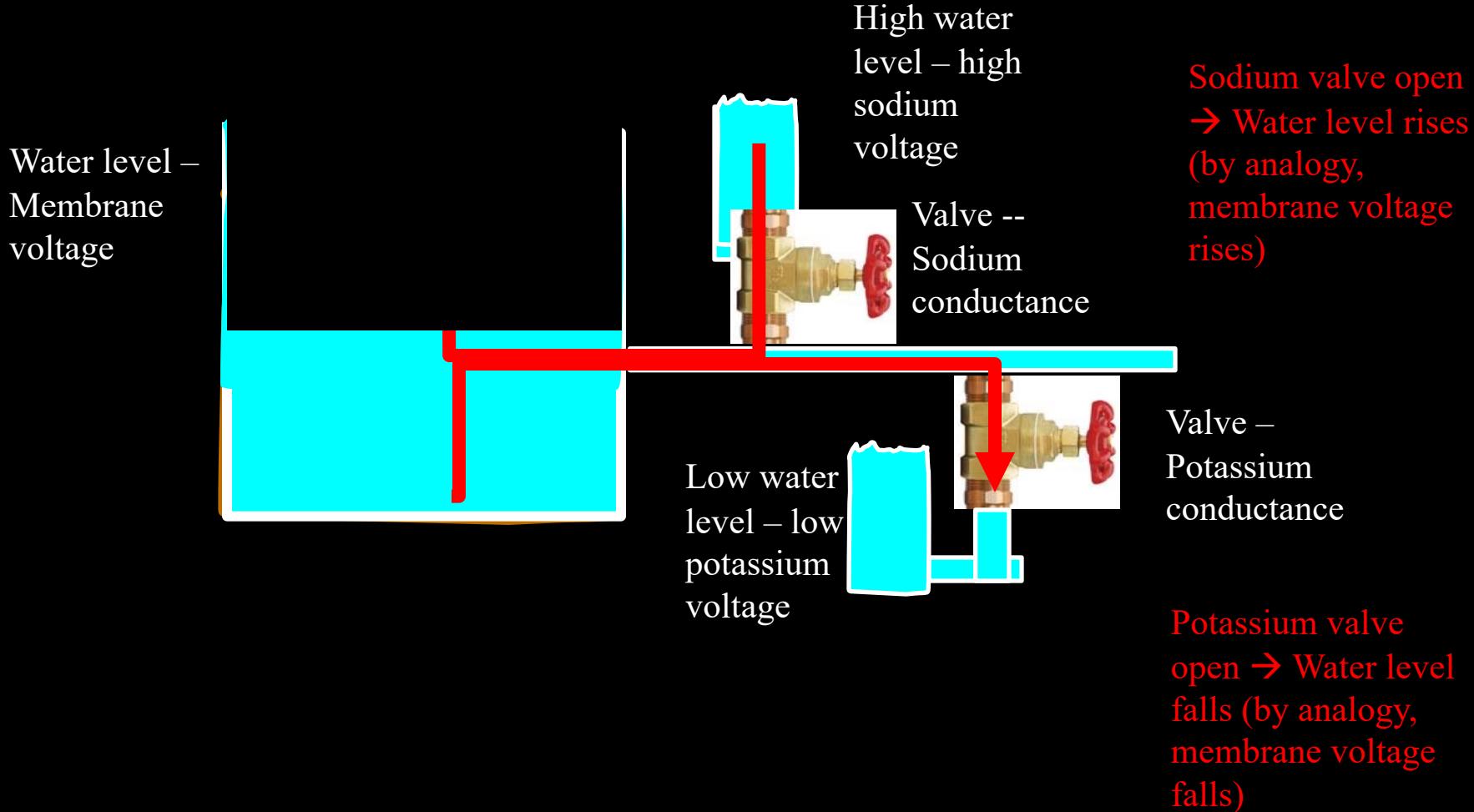
R – Ideal gas constant

T – Temperature

F – Faraday's constant

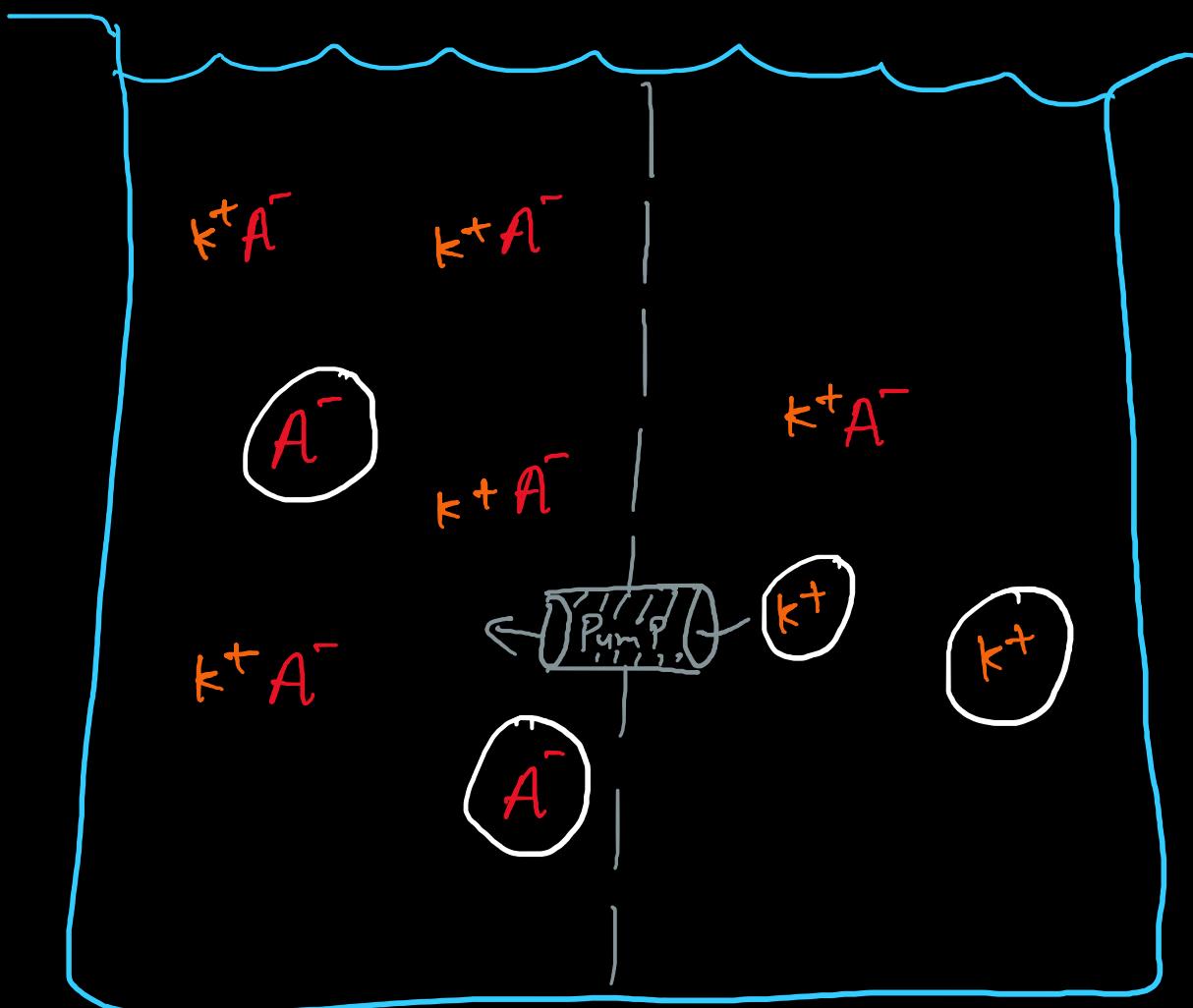
Note: This equation is for mono-valent ions. For divalent ions, a '2' would appear in denominator; For a mix of mono and divalent ions → write the flux balance equation shown a couple slides back for multiple ions taken together, assume V to be constant across the length of the membrane → this will give a quadratic equation in x where, $x = e-FV/RT$, solve for x.

Water tank analogy



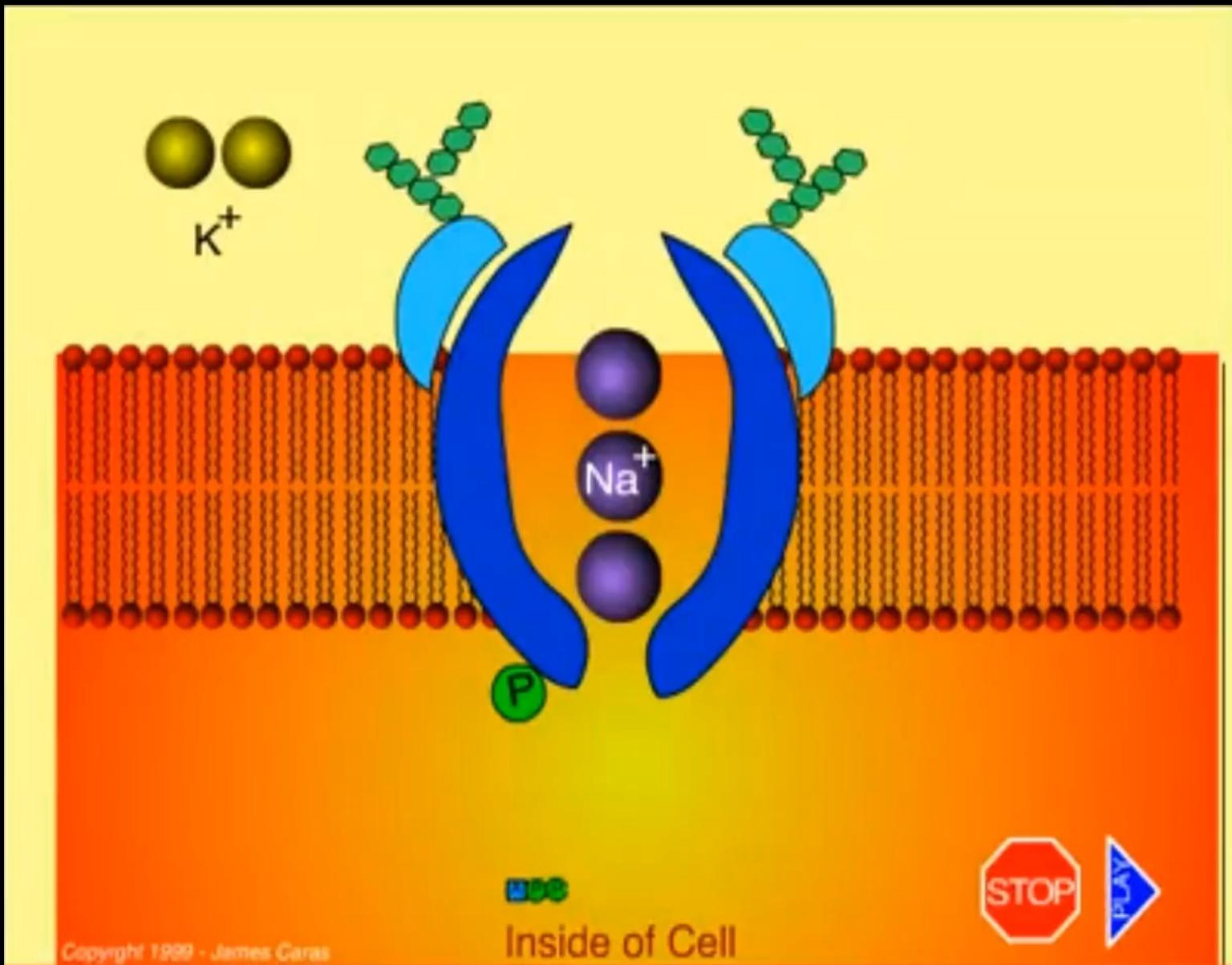
How is the required V_M maintained across neuron membrane?

- Organic anions, A^- , to which the membrane is impermeable
- Electrogenic pumps that actively transfer ions against their ionic gradients



Importance of Na-K pump

At, resting potential $V_M = -70 \text{ mV}$



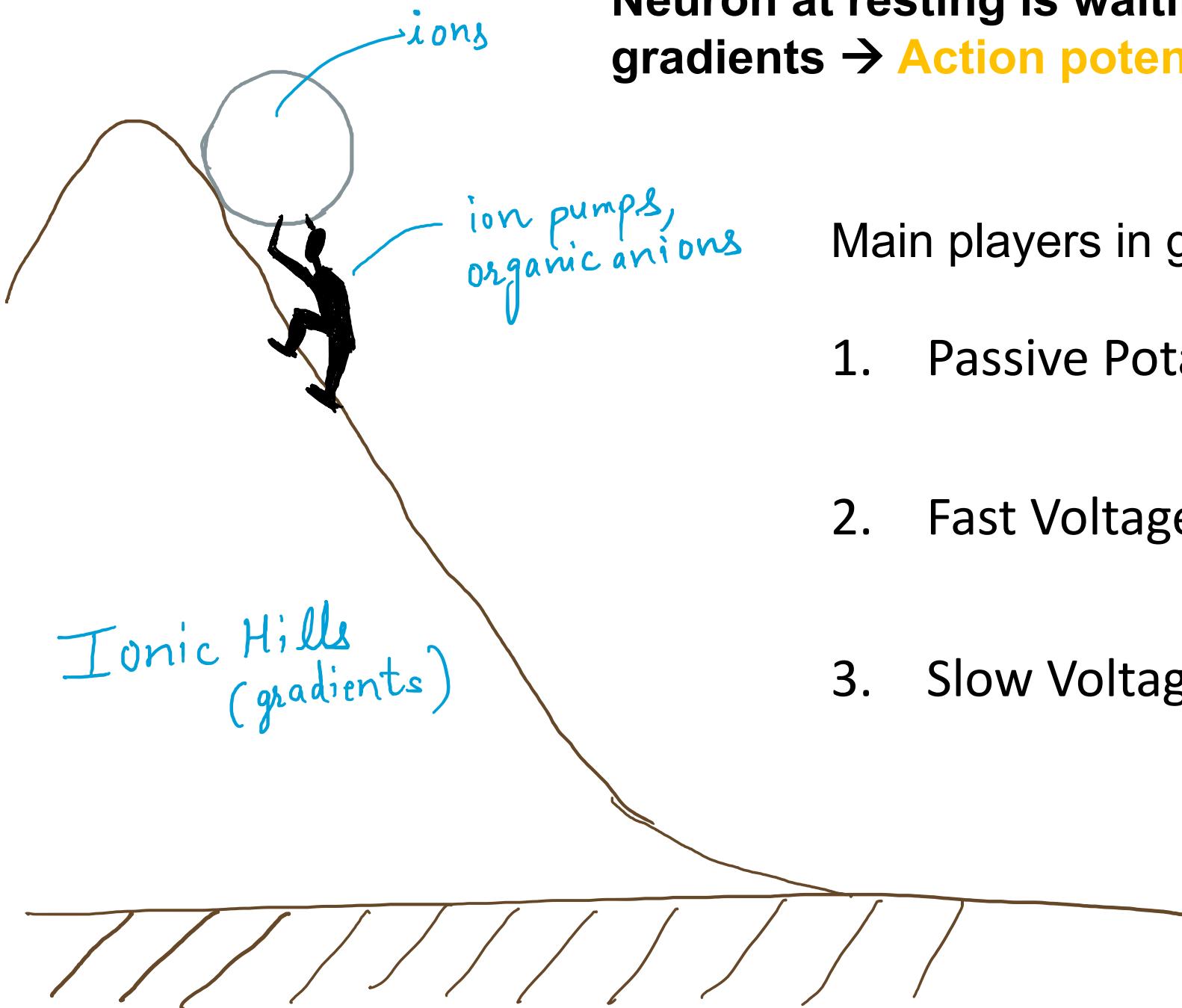
$$I = I_{Na} + I_K + I_{Cl} + I_{leak} = 0$$

But,

$$I_K \neq 0, I_{leak} \neq 0$$

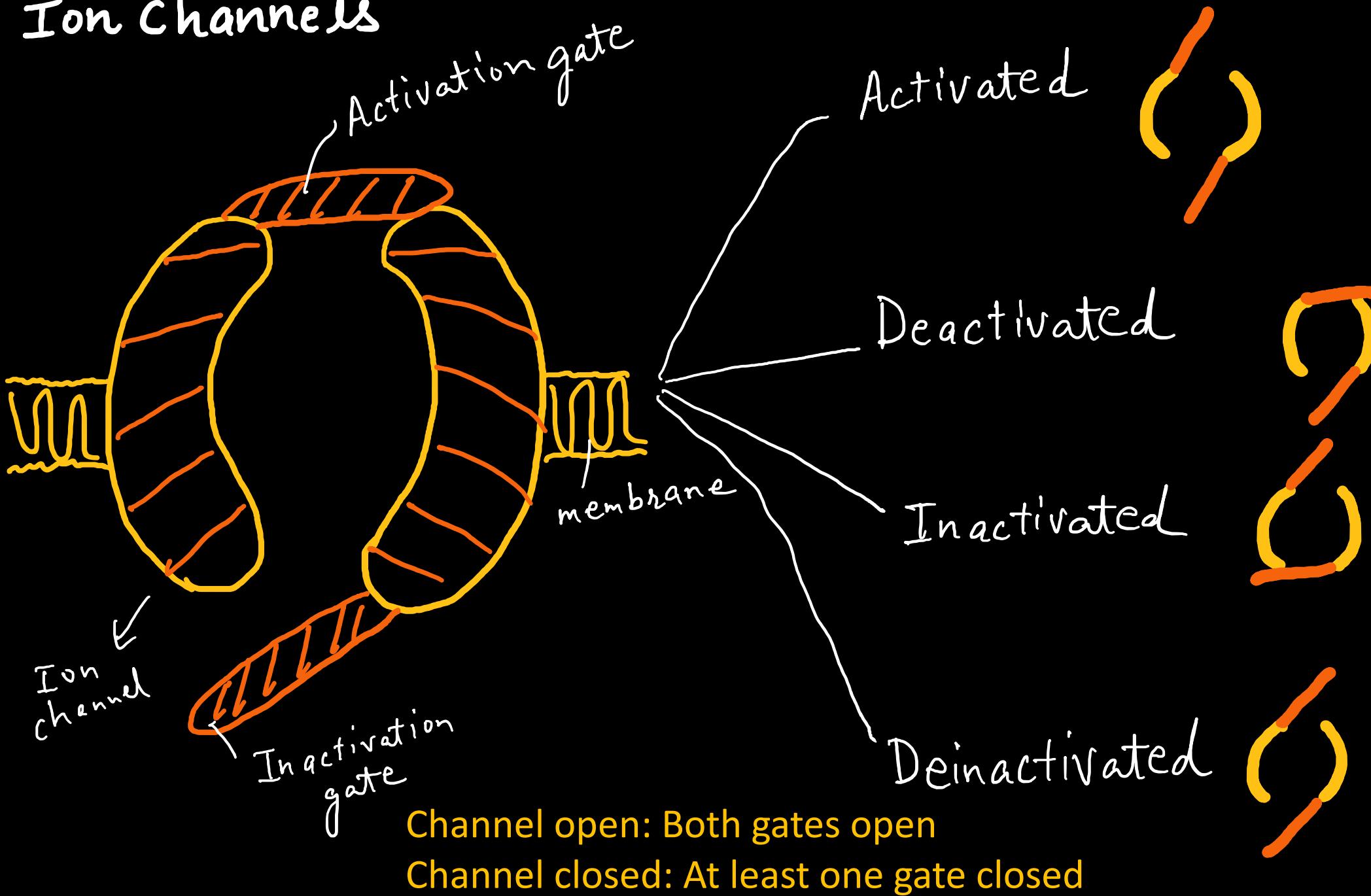
- These individual ion flows would cause the individual ion gradients to change (dissipate)
- Na-K pump prevents that by specifically moving 3 Na^+ ions outside the cell for every 2 K^+ ions moved inside the cell.

Neuron at resting is waiting to roll down its ionic gradients → Action potential



- Main players in generating an action potential -
1. Passive Potassium (K) Channels
 2. Fast Voltage-gated Sodium (Na) Channels
 3. Slow Voltage-gated Potassium Channels

Ion channels



Few terms

Both sodium and potassium channels OPEN with increase in voltage,

BUT

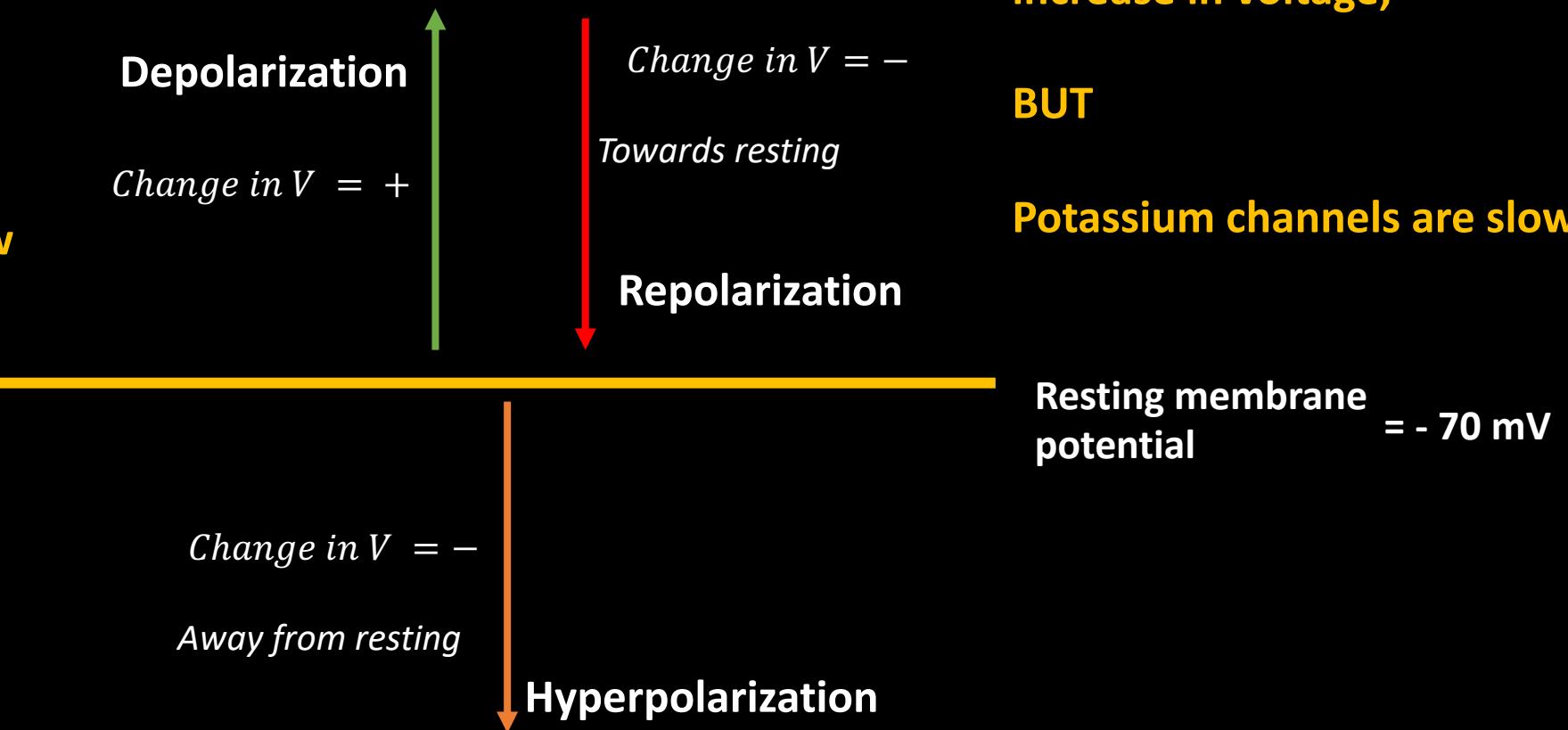
Potassium channels are slow

(Also, sodium channels get inactivated (CLOSE) as voltage becomes very high)

Both sodium and potassium channels CLOSE with increase in voltage,

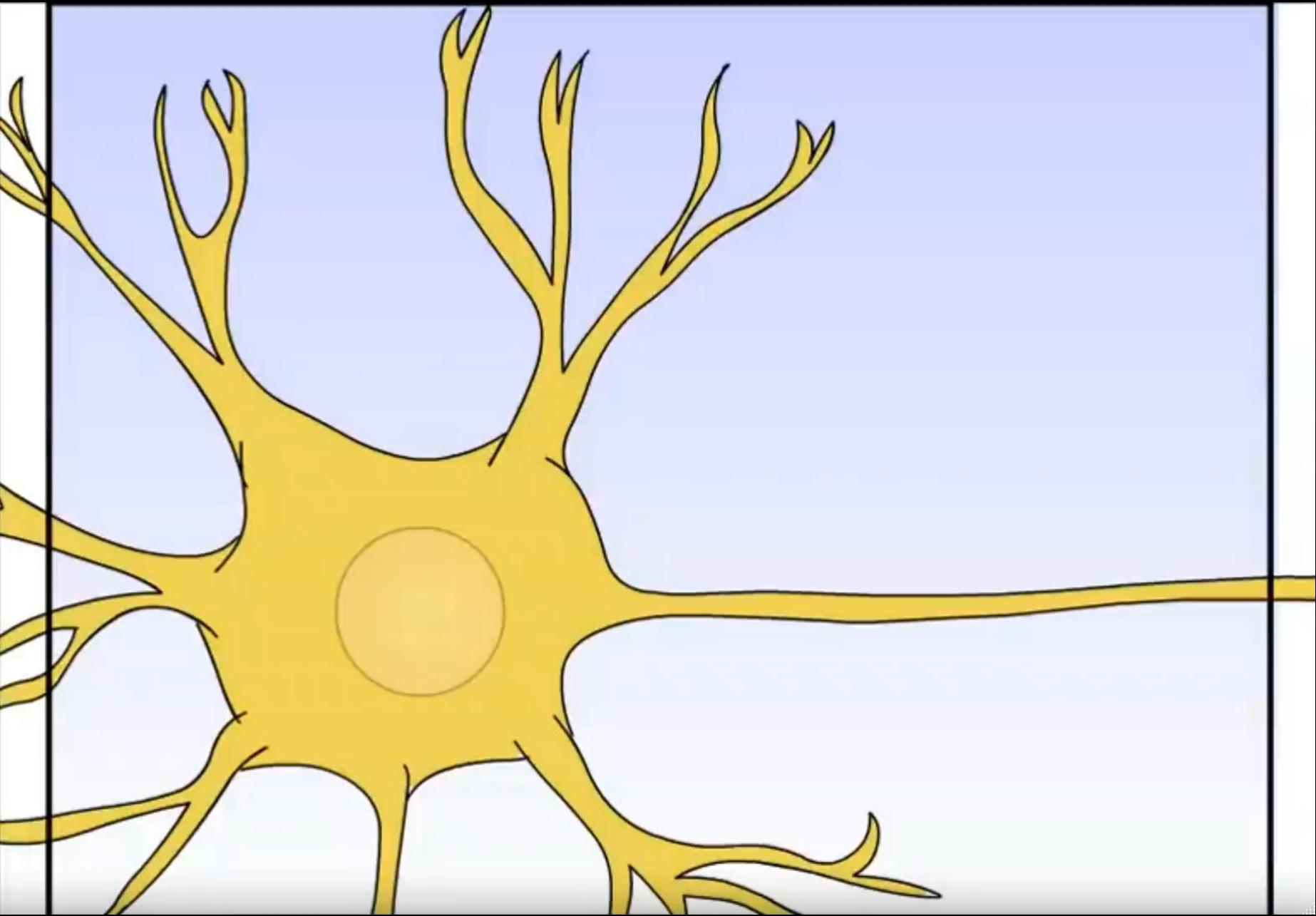
BUT

Potassium channels are slow

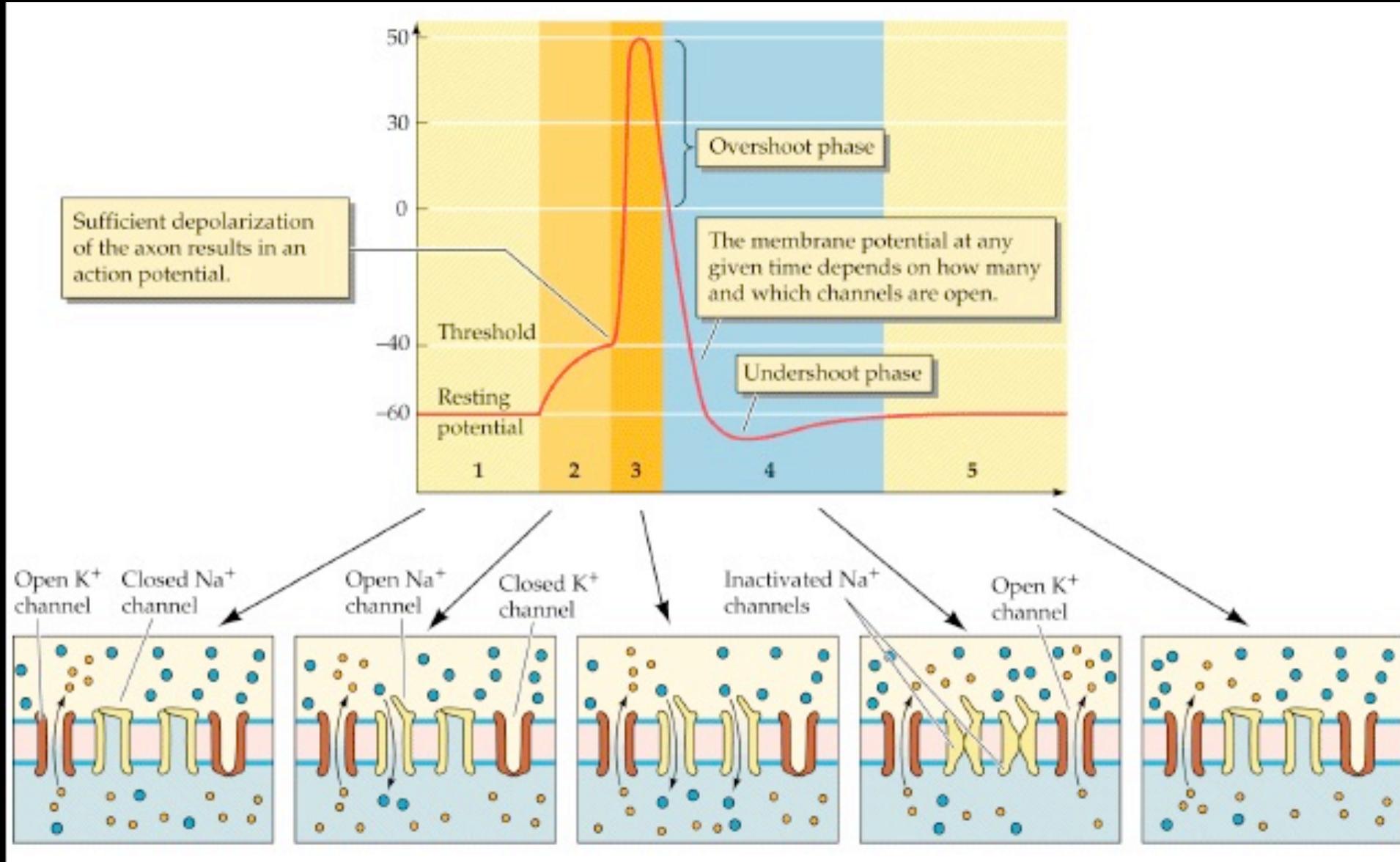


V : Membrane potential ($V_{in} - V_{out}$)

Action potential - animation



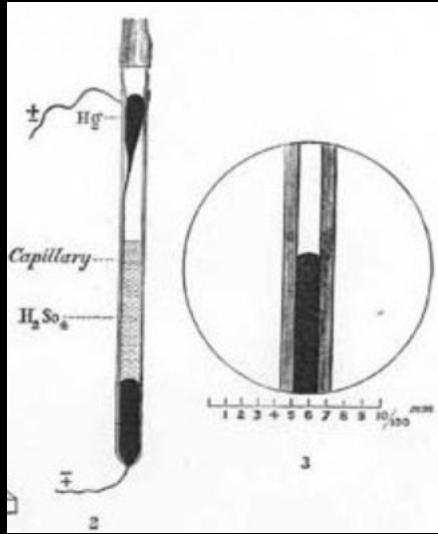
Action Potential



All or none principle



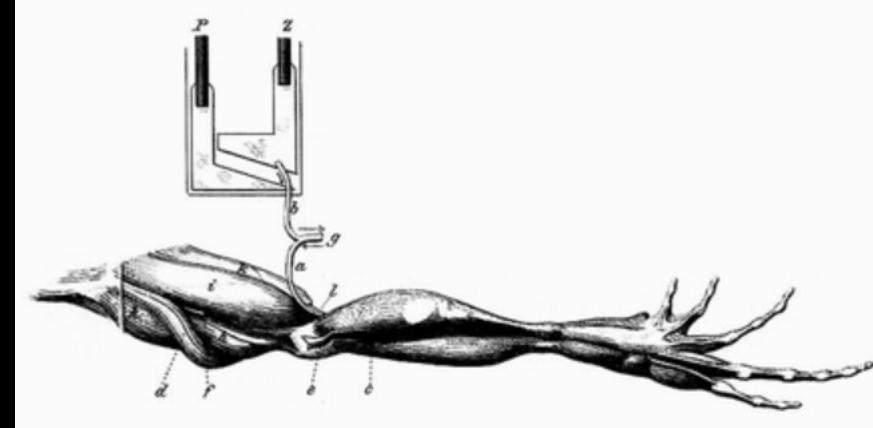
Francis Gotch (1853 – 1913)



Capillary electrometer: Current from nerve impulses was passed through the mercury inside the capillary – this caused mercury to rise
– Always rose the same height; Also, a second height deflection could not be produced right after the first one.
Discovery of all or none principle and refractory period

For any input that is able to induce an action potential in a neuron, the amplitude and the duration of an action potential always remains the same irrespective of the intensity of the input.

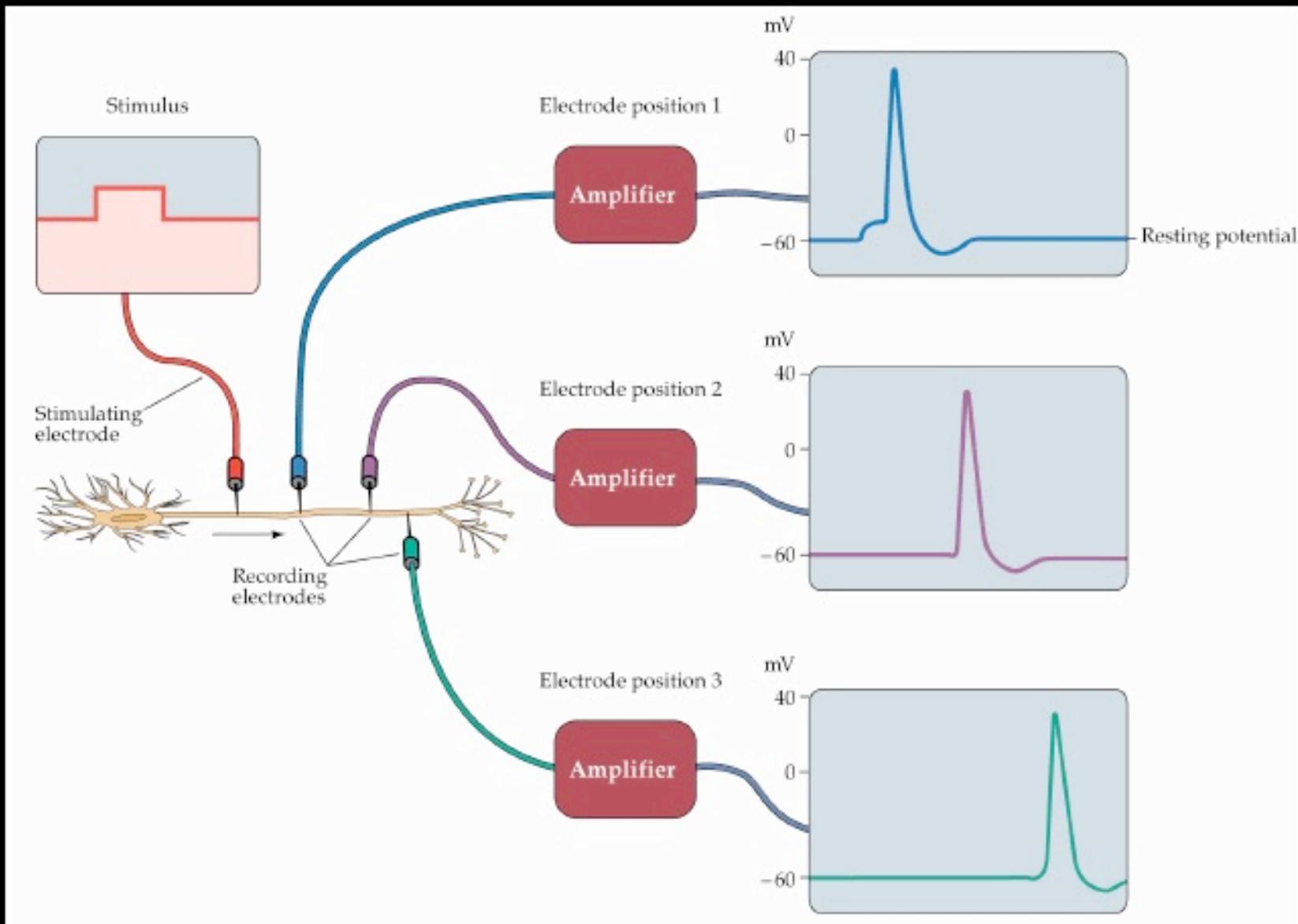
Why is it called ‘action’ potential?



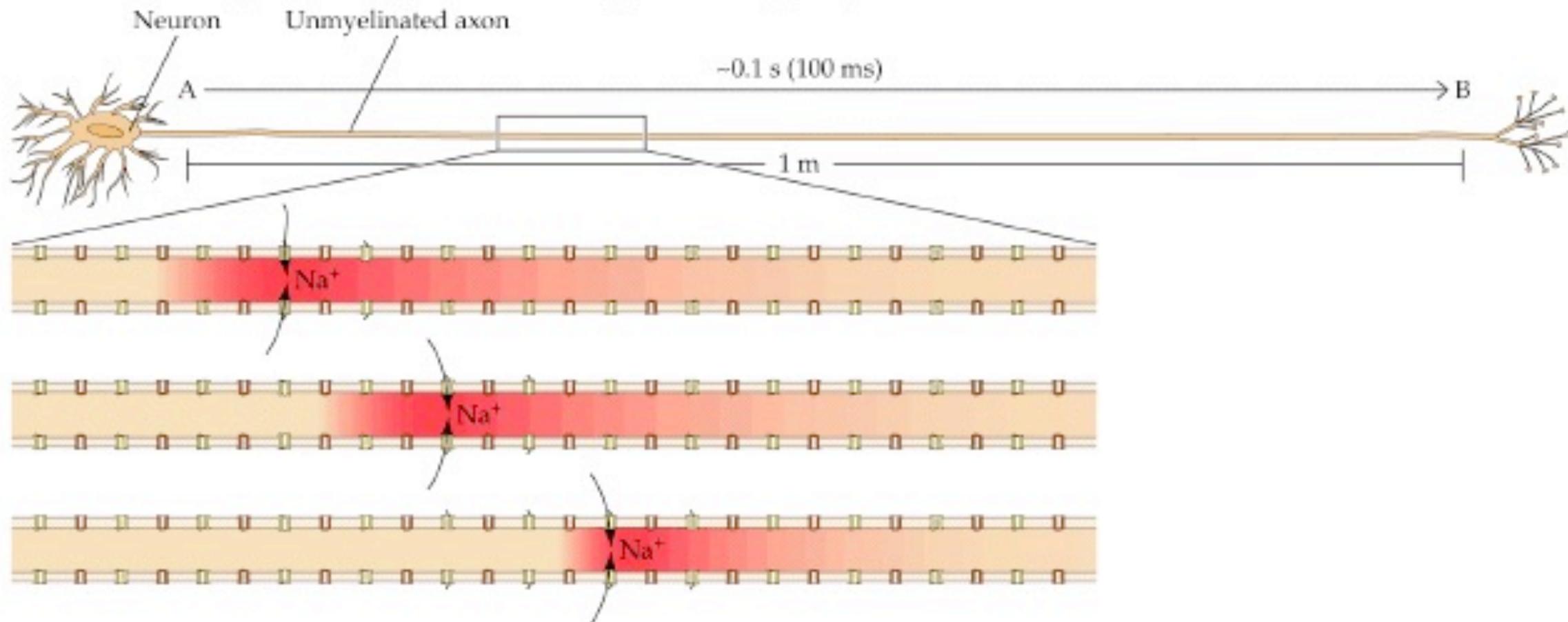
First observation of action potential (1843):
Sciatic nerve of a frog - Wave of relative
negativity observed to be necessary for
muscle contraction ('Action electricity')

Emil Du Bois Reymond
(1818 – 1896)

Action Potential Propagation – unmyelinated axon (~ 10 m/sec)

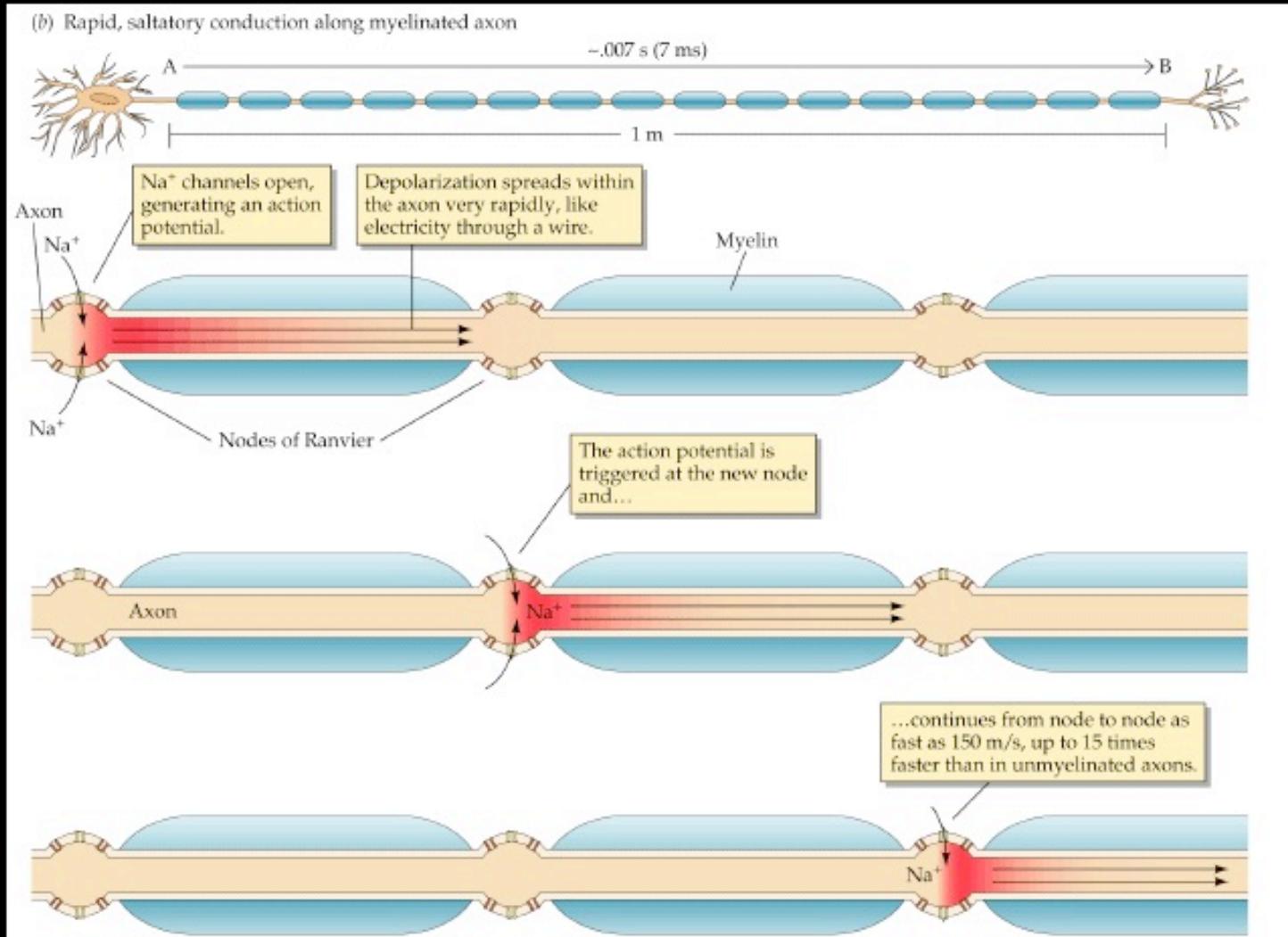


(a) Slow (10 meters per second) conduction of action potential along unmyelinated axon

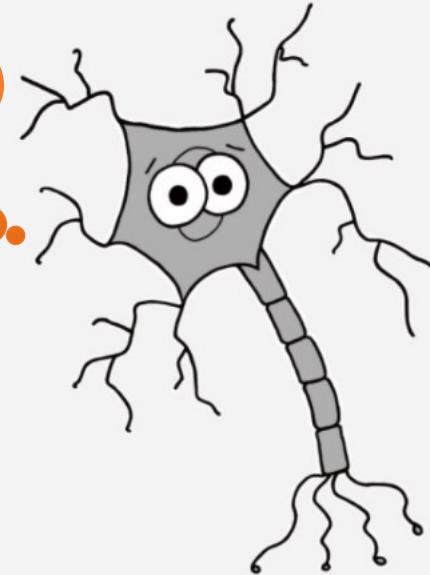


Action Potential Propagation – Myelinated axon (~ 100 m/sec)

- Nodes of Ranvier
- Saltatory conduction



I have some questions!



6. If myelination improves speed, why can't the whole axon be myelinated?

7. Why doesn't the action potential propagate in both directions?
5. The period immediately after an action potential during which the neuron cannot fire another action potential is called?

- A. Repolarization period B. Revenge of K+ C. Refractory period

1. Where is the decision to fire or not made in the neuron?

- A. Dendrites B. Axon terminals
B. Nodes of Ranvier D. Axon hillock

2. Which among the following pulls down the resting membrane potential?

4. Which ion among the following is responsible for repolarization of the action potential?
3. Which among the following constitutes the current during the upshoot of the action

- A. Na^+ B. K^+