Assignment 6

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1

```
geriatric <- read.table(file='~/Documents/uni/STAT359/data/geriatric.txt',</pre>
                        header=TRUE, sep='')
a)
mod1 <-glm(Fall~exp(Int)+exp(Sex)+exp(BI)+exp(SI),</pre>
           data=geriatric, family=poisson)
summary(mod1)
##
## Call:
## glm(formula = Fall ~ exp(Int) + exp(Sex) + exp(BI) + exp(SI),
       family = poisson, data = geriatric)
##
## Coefficients:
                Estimate Std. Error z value Pr(>|z|)
## (Intercept) 2.187e+00 1.668e-01 13.110 < 2e-16 ***
              -5.973e-01 7.800e-02 -7.657 1.9e-14 ***
## exp(Int)
## exp(Sex)
               -5.921e-02 6.986e-02 -0.848
                                                0.397
                                                0.185
## exp(BI)
              1.424e-43 1.073e-43 1.327
## exp(SI)
               2.263e-40 3.204e-40 0.706
                                                0.480
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for poisson family taken to be 1)
##
       Null deviance: 199.19 on 99 degrees of freedom
## Residual deviance: 121.39 on 95 degrees of freedom
## AIC: 389.88
## Number of Fisher Scoring iterations: 5
```

b)

deviance(mod1)

[1] 121.3859

mod1\$df.residual

[1] 95

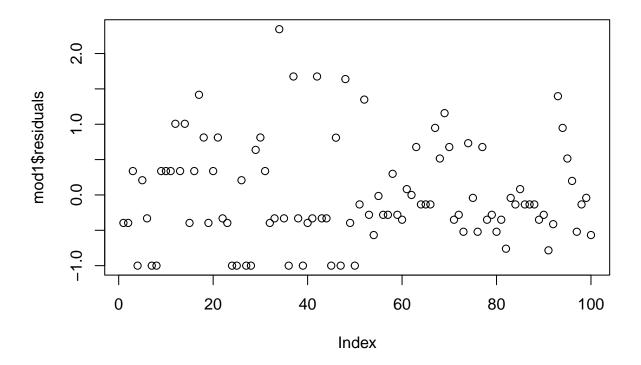
1-pchisq(deviance(mod1), mod1\$df.residual)

[1] 0.03526469

The p-value is ≈ 0.035 , meaning there is evidence that this model is adequate for this data.

c)

plot(mod1\$residuals)



While most points stay within the range [-1, 2], point 34 does appear greater than the rest.

mod1\$residuals[34]

34 ## 2.344157

While this point does stand out, it isn't far out of the range of the other values, so it may not have a significant impact.

d)

```
mod2 <- update(mod1, .~. - exp(Sex))
anova(mod1, mod2, test="Chi")

## Analysis of Deviance Table
##
## Model 1: Fall ~ exp(Int) + exp(Sex) + exp(BI) + exp(SI)
## Model 2: Fall ~ exp(Int) + exp(BI) + exp(SI)
## Resid. Df Resid. Dev Df Deviance Pr(>Chi)
## 1 95 121.39
## 2 96 122.11 -1 -0.71962 0.3963
```

In this case, we have no evidence that a model without sex performs any better than the model that includes it.

e)

```
summary(mod2)
```

```
##
## Call:
## glm(formula = Fall ~ exp(Int) + exp(BI) + exp(SI), family = poisson,
##
       data = geriatric)
##
## Coefficients:
##
                Estimate Std. Error z value Pr(>|z|)
## (Intercept) 2.094e+00 1.273e-01 16.452 < 2e-16 ***
## exp(Int)
               -6.079e-01
                          7.700e-02
                                     -7.895 2.91e-15 ***
## exp(BI)
               1.265e-43 1.056e-43
                                      1.198
                                                0.231
## exp(SI)
               2.726e-40 3.148e-40
                                      0.866
                                                0.386
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## (Dispersion parameter for poisson family taken to be 1)
##
##
      Null deviance: 199.19 on 99 degrees of freedom
## Residual deviance: 122.11 on 96 degrees of freedom
## AIC: 388.6
## Number of Fisher Scoring iterations: 5
confint(mod2, "exp(Int)")
## Waiting for profiling to be done...
        2.5 %
                 97.5 %
```

According to this confidence interval, intervention will reduce the average number of falls by between 0.4 and 0.7.

f)

-0.7620548 -0.4597721

We have reason to believe that aerobic education and exercise do lead to a reduction of falls, even after taking into account both balance and strength.