## Homework 10

Consider the grammar with productions:

 $S \rightarrow AB^{1}$ 

A -> (S)  $^{2}$  | int C  $^{3}$ 

B -> + S  $^{4}$  |  $\epsilon$   $^{5}$ 

 $C \rightarrow *A^6 \mid \epsilon^7$ 

Construct FIRST, FOLLOW, LL(1) table and perform LL(1) parsing for w = (int) + int

	F <sub>0</sub>	F <sub>1</sub>	First
S	Ø	(, int	(, int
Α	(, int	(, int	(, int
В	+ , &	+ , &	+ , &
С	*, &	*, &	*,ε

 $F_0$  – we consider:

A -> (S); A -> int C

B -> +; B -> ε

C -> \*; C -> ε

 $\mathbf{F_1}$  – we consider:

 $S -> AB => F_1(S) = F_0(A)$ 

 $F_2$  – all productions were considered = First

	L <sub>0</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>3</sub>	Follow
S	3	ε,)	ε,)	ε,)	ε,)
Α	Ø	+ , ε	+, ε,)	+,ε,)	+, & , )
В	Ø	3	ε,)	ε,)	ε,)
С	Ø	Ø	+ , &	+,ε,)	+, ε,)

 $L_0$  – initialize with  $\epsilon$  for S and with empty set for the others

**L**<sub>1</sub> – we consider:

$$B -> + S -> L_0(B)$$

$$\varepsilon$$
 in First(B) -> L<sub>0</sub>(S)

$$C -> *A -> L_0(C)$$

B: 
$$S -> AB -> L_0(S)$$

C: A -> int C -> 
$$L_0(A)$$

**L<sub>2</sub>** – new changes:

A: L<sub>1</sub>(S)

B: L<sub>1</sub>(S)

C: L<sub>1</sub>(A)

L<sub>3</sub> – new changes:

C: L<sub>2</sub>(A)

Nonterminals: S A B C Terminals: () int + \*

	(	)	int	+	*	\$
S	AB, 1		AB, 1			
Α	(S), 2		Int C, 3			
В		ε, 5		+ S, 4		ε, 5
С		ε, 7		ε, 7	* A, 6	ε, 7
(	рор					
)		рор				
Int			рор			
+				рор		
*					рор	
\$						Acc

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1: S \rightarrow AB; First(AB) = (, int

2: A \rightarrow (S); First((S)) = (

3: A \rightarrow int C; First(int C) = int

4: B \rightarrow + S; First(+ S) = +

5: B \rightarrow \epsilon; Follow(B) = ), \epsilon = ), $

6: C \rightarrow A; First(* A) = *

7: C \rightarrow \epsilon; Follow(C) = +, \epsilon, ) = +, $, )
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## w = (int) + int

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([int)+int$, $$, $\epsilon$) |- ([int)+int$, $\textbf{AB$}, 1) |- ([int)+int$, $\epsilon$) |- ([int)+int$, $\epsil
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Productions: 12137541375

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S \rightarrow AB \rightarrow (S)B \rightarrow (AB)B \rightarrow (int C B)B \rightarrow (int \epsilon B)B \rightarrow (int \epsilon B)B \rightarrow (int \epsilon B)B \rightarrow (int) + S \rightarrow (int) + AB
-> (int) + int C B \rightarrow (int) + int \epsilon B \rightarrow (int) + int \epsilon D \rightarrow (int) + int \epsilon
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