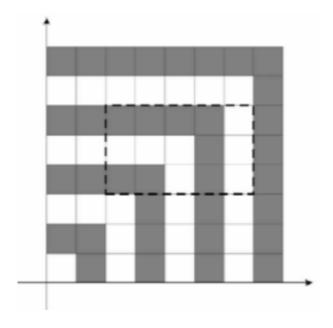
Statement

On the Oxy plane, there is a square of size 1000, with 4 vertices at 4 points: (0, 0), (0, 1000), (1000, 0) and (1000, 1000). We color the regions inside the square like below:



Consider a rectangle with opposite corners at (X1, Y1) and (X2, Y2), where:

- X1, Y1, X2, Y2 are integers
- 0 <= X1, Y1, X2, Y2 <= 1000 (This rectangle lies completely inside our given square).

Each pair of integer points (X, Y) and (X+2, Y+2) where:

- $min(X1, X2) \le X \le X+2 \le max(X1, X2)$
- min(Y1, Y2) <= Y <= Y+2 <= max(Y1, Y2)</pre>

forms a 2*2 square that lies completely inside this rectangle. Count the number of 2*2 squares that contains 2 black cells and 2 white cells.

For example, consider the rectangle with opposite corners (2, 3) and (7, 6) (marked with dashline in the figure above). It contains six 2*2 squares containing 2 black cells and 2 white cells:

- (2, 3) (4, 5)
- \bullet (4, 3) (6, 5)
- (5, 3) (7, 5)
- \bullet (2, 4) (4, 6)
- (3, 4) (5, 6)
- \bullet (5, 4) (7, 6)

Constraints:

• 0 <= X1, Y1, X2, Y2 <= 1000.

Input

- 1st line: T number of test cases.
- Next T lines: each line contains X1, Y1, X2, Y2

Output

• For each test case, print the result

Example

Input

1 2 3 7 6

Output

6