

LAB#1

CHAPTER 2

8. (a)

```
college<-read.csv("C:/Users/SanthoshiniSree/Downloads/college.csv",header=
TRUE)
View(college)
```

The screenshot shows the RStudio interface. On the left, the 'Environment' pane displays a data frame 'college' with 12 rows and 8 columns: X, Private, Apps, Accept, Enroll, Top10perc, Top25perc, and F.Undergrad. The first few rows are visible. On the right, the 'Script' pane shows the R code: `college<-read.csv("C:/Users/Santhoshini Sree/Downloads/college.csv",header=TRUE)` and `View(college)`. The 'Console' pane at the bottom shows the execution of these commands.

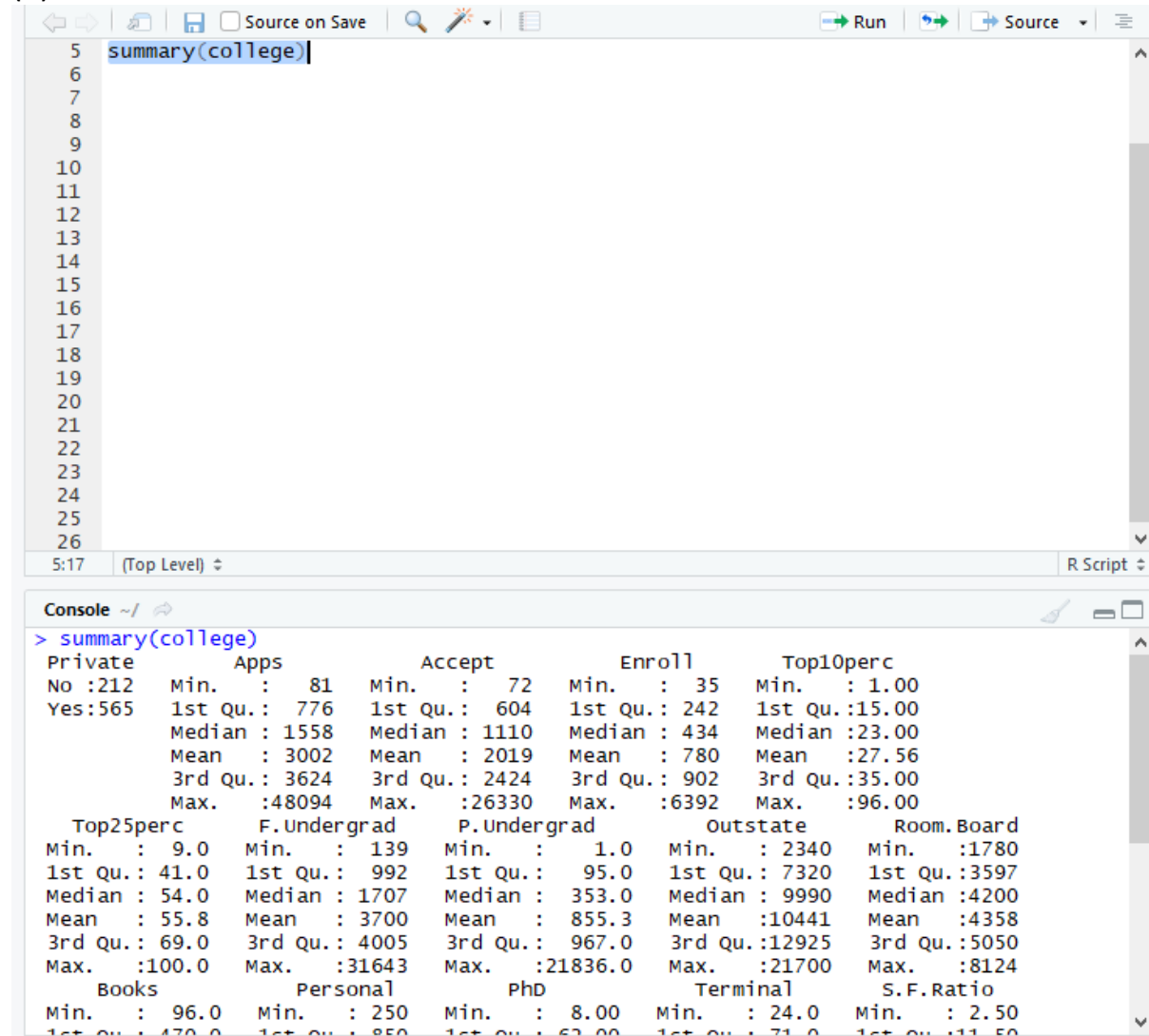
(b)

```
Rownames(college)=college[,1]
Fix(college)
```

The screenshot shows the RStudio interface after running the commands. The 'Script' pane shows the code: `college =college [, -1]` and `fix(college)`. The 'Console' pane shows the execution. On the right, the 'Data Editor' window is open, displaying the data frame with row names set to the first column. The data is shown in a table format with columns: Private, Apps, Accept, Enroll, Top10perc, Top25perc, F.Undergrad, and F.Undergrad. The first 19 rows are visible.

(c)

(1)

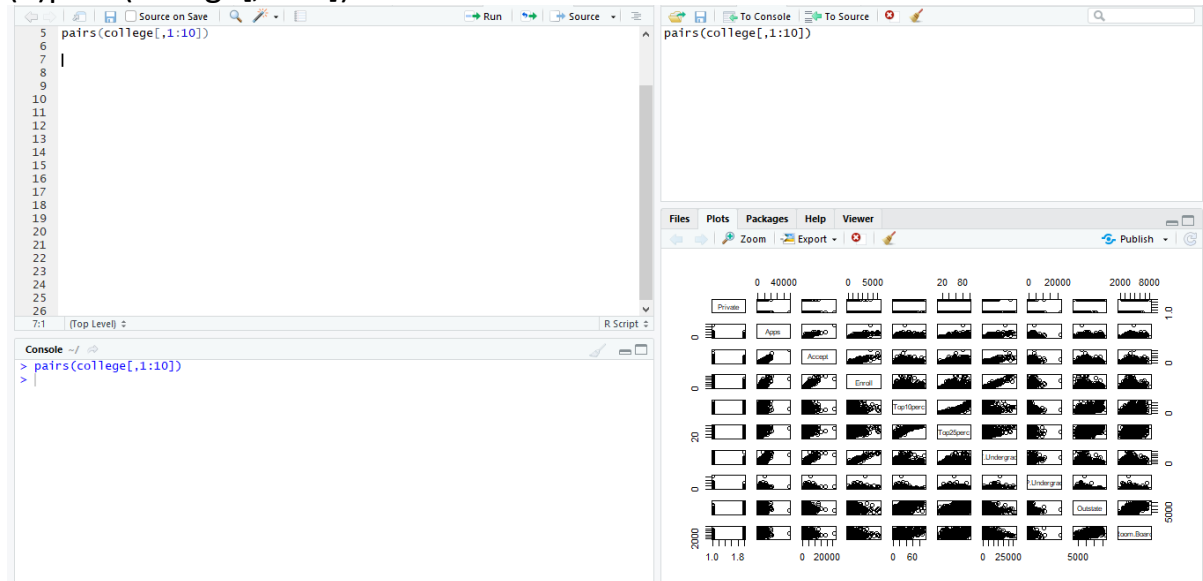


The screenshot shows the RStudio environment. The script editor at the top contains the command `summary(college)` on line 5. The console window at the bottom displays the output of this command, which is a summary of the 'college' dataset. The output is organized into columns for different variables: Private, Apps, Accept, Enroll, Top10perc, Top25perc, F.Undergrad, P.Undergrad, Outstate, Room.Board, Books, Personal, PhD, Terminal, and S.F.Ratio. Each variable is followed by its minimum, 1st quartile, median, mean, 3rd quartile, and maximum values.

```
> summary(college)
```

Private	Apps	Accept	Enroll	Top10perc	Top25perc	F.Undergrad	P.Undergrad	Outstate	Room.Board	Books	Personal	PhD	Terminal	S.F.Ratio
No :212	Min. : 81	Min. : 72	Min. : 35	Min. : 1.00	Min. : 9.0	Min. : 139	Min. : 1.0	Min. : 2340	Min. :1780	Min. : 96.0	Min. : 250	Min. : 8.00	Min. : 24.0	Min. : 2.50
Yes:565	1st Qu.: 776	1st Qu.: 604	1st Qu.: 242	1st Qu.:15.00	1st Qu.: 41.0	1st Qu.: 992	1st Qu.: 95.0	1st Qu.: 7320	1st Qu.:3597	1st Qu.: 170.0	1st Qu.: 850	1st Qu.: 62.00	1st Qu.: 71.0	1st Qu.:11.50
	Median : 1558	Median : 1110	Median : 434	Median :23.00	Median : 54.0	Median : 1707	Median : 353.0	Median : 9990	Median :4200					
	Mean : 3002	Mean : 2019	Mean : 780	Mean :27.56	Mean : 55.8	Mean : 3700	Mean : 855.3	Mean :10441	Mean :4358					
	3rd Qu.: 3624	3rd Qu.: 2424	3rd Qu.: 902	3rd Qu.:35.00	3rd Qu.: 69.0	3rd Qu.: 4005	3rd Qu.: 967.0	3rd Qu.:12925	3rd Qu.:5050					
	Max. :48094	Max. :26330	Max. :6392	Max. :96.00	Max. :100.0	Max. :31643	Max. :21836.0	Max. :21700	Max. :8124					

(2) pairs(college[,1:10])



(3)

```
a<-college$Private
b<-college$Outstate
plot(a,b,col=c("red","yellow"))
```



(4)

```
Elite=rep("No",nrow(college ))
Elite[college$Top10perc >50]=" Yes"
Elite=as.factor(Elite)
college=data.frame(college , Elite)
View(college)
summary(Elite)
plot(college$Elite,college$Outstate,col=c("green","pink"))
```



(5)

```
par(mfrow=c(2,2))
```

```
a<-college$Enroll
```

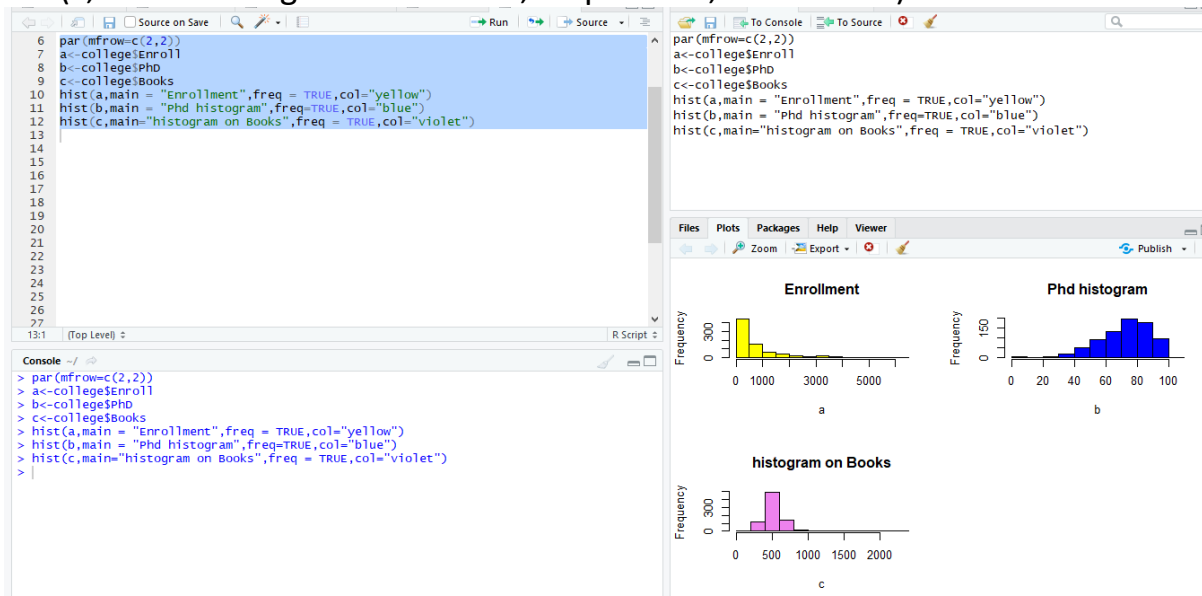
```
b<-college$Phd
```

```
c<-college$Books
```

```
hist(a,main = "Enrollment",freq = TRUE,col="yellow")
```

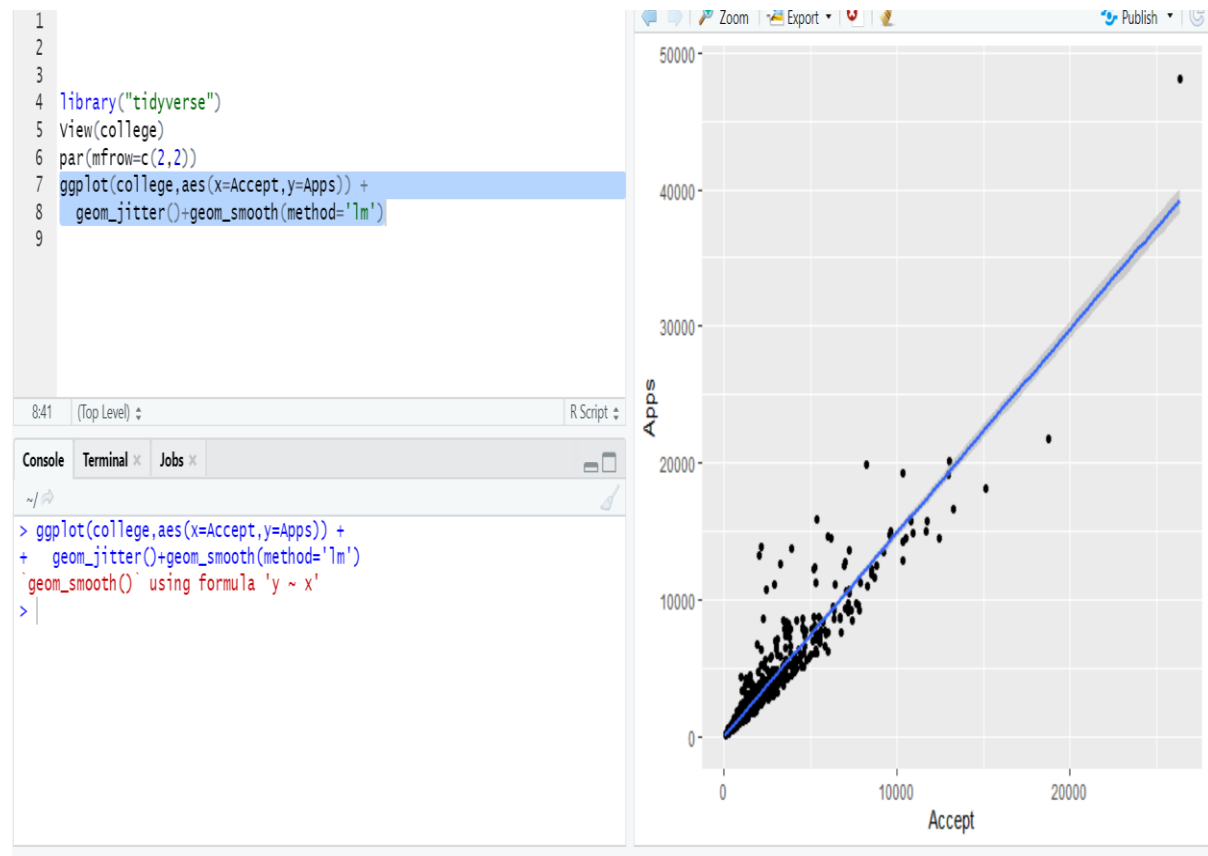
```
hist(b,main = "Phd histogram",freq=TRUE,col="blue")
```

```
hist(c,main="histogram on Books",freq = TRUE,col="violet")
```

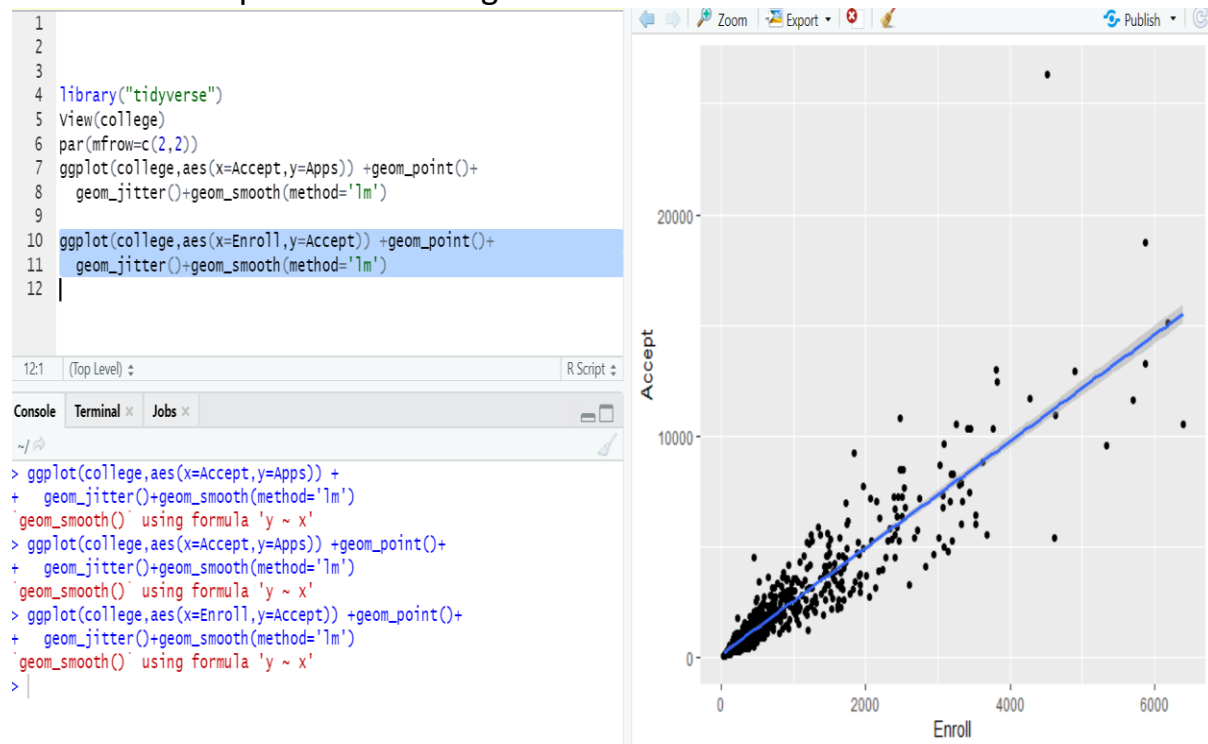


(6)

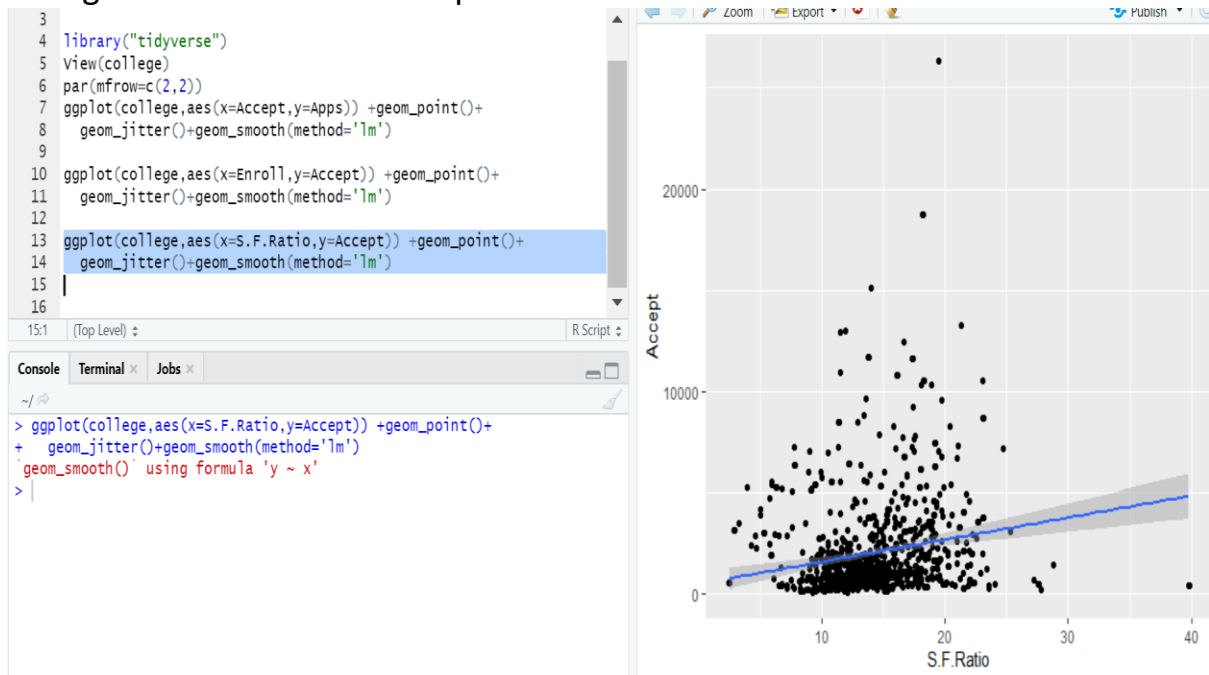
When the applications are more the acceptance rate is less



When the acceptance rate is high enrollment of students is less



Colleges which have less acceptance have less student to teacher ratio.



(9)

(a)The quantitative predictors are:

Mpg, cylinders, displacement, horsepower, weight, acceleration, year and origin

The qualitative predictor is: name

```
1 view(Auto)
2 sapply(colnames(Auto), function(x) class(Auto[[x]]))
3
```

3:1 (Top Level) ⇅

Console ~/

```
> sapply(colnames(Auto), function(x) class(Auto[[x]]))
      mpg      cylinders displacement  horsepower      weight acceleration      year      origin
"numeric"  "numeric"    "numeric"    "numeric"  "numeric"    "numeric"  "numeric"  "numeric"
      name
"factor"
```

(b)Range of each predictor can be shown using sapply()

```
1 sapply(Auto[1:8],function(x) range(x))
2
3
```

1:1 (Top Level) ⇅

Console ~/

```
> sapply(Auto[1:8],function(x) range(x))
      mpg cylinders displacement horsepower weight acceleration year origin
[1,]  9.0         3         68         46    1613          8.0    70      1
[2,] 46.6         8        455        230    5140         24.8    82      3
```

(c) `mean()` and `sd()` function gives mean and standard deviation of the values

```
1 sapply(Auto[1:8],function(x) mean(x) )
2 sapply(Auto[1:8],function(x) sd(x) )
3 |
4
3:1 (Top Level) ↕
```

Console ~/

```
> sapply(Auto[1:8],function(x) mean(x) )
      mpg      cylinders displacement horsepower      weight acceleration      year      origin
23.445918  5.471939   194.411990   104.469388  2977.584184   15.541327   75.979592   1.576531
> sapply(Auto[1:8],function(x) sd(x) )
      mpg      cylinders displacement horsepower      weight acceleration      year      origin
 7.8050075  1.7057832  104.6440039   38.4911599   849.4025600   2.7588641   3.6837365   0.8055182
> |
```

(d) To remove observations `anti_join` is used. `anti_join` is from the library `dplyr`. This function returns all rows of `x` where there is no matching values of `y`.

```
1 library(dplyr)
2 a<-anti_join(Auto,Auto[10:85,])
3 view(a)
4 sapply(a[1:8],function(x) mean(x) )
5 sapply(a[1:8],function(x) sd(x) )
6 sapply(a[1:8], function(x) max(x)-min(x))
7 sapply(a[1:8],function(x) range(x) )
8
4:36 (Top Level) ↕ R Script ↕
```

Console ~/

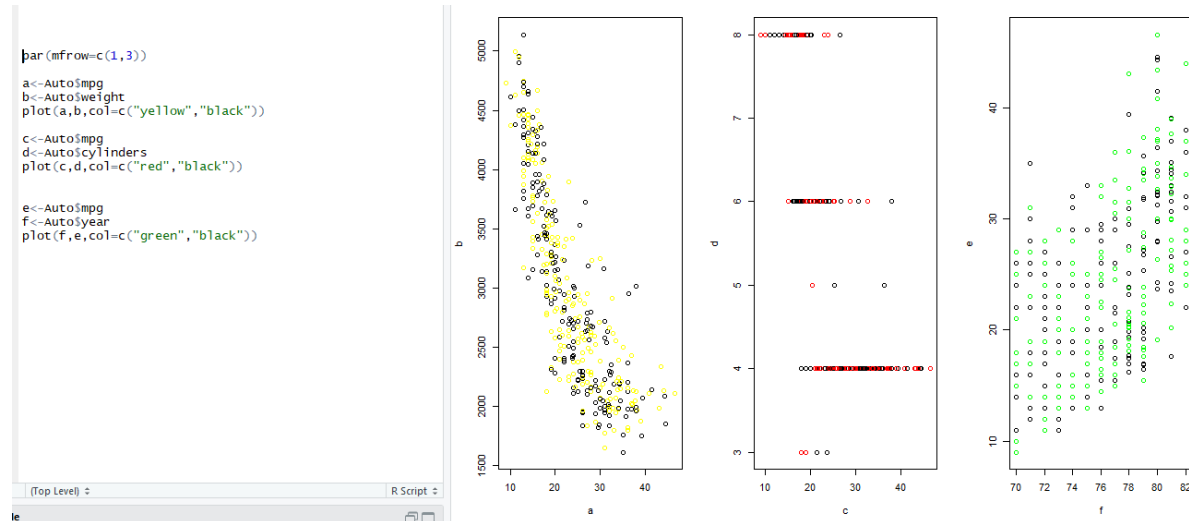
```
> a<-anti_join(Auto,Auto[10:85,])
Joining, by = c("mpg", "cylinders", "displacement", "horsepower", "weight", "acceleration", "year", "origin", "name")
> view(a)
> sapply(a[1:8],function(x) mean(x) )
      mpg      cylinders displacement horsepower      weight acceleration      year      origin
24.404430  5.373418   187.240506   100.721519  2935.971519   15.726899   77.145570   1.601266
> sapply(a[1:8],function(x) sd(x) )
      mpg      cylinders displacement horsepower      weight acceleration      year      origin
 7.867283  1.654179   99.678367   35.708853   811.300208   2.693721   3.106217   0.819910
> sapply(a[1:8], function(x) max(x)-min(x))
      mpg      cylinders displacement horsepower      weight acceleration      year      origin
35.6      5.0      387.0      184.0      3348.0      16.3      12.0      2.0
> sapply(a[1:8],function(x) range(x) )
      mpg cylinders displacement horsepower weight acceleration year origin
[1,] 11.0      3      68      46      1649      8.5      70      1
[2,] 46.6      8      455      230      4997      24.8      82      3
> |
```


(e)

plot 1: Less mpg cylinders have high weight.

Plot2: Most of the cylinders have less mpg.

Plot 3: Over time cars are becoming systematic.



(f) Every predictor correlates with mpg. This can be shown using `pair()` function, which return plot matrix.



```
> cor.test(Auto$mpg,Auto$acceleration)

Pearson's product-moment correlation

data: Auto$mpg and Auto$acceleration
t = 9.2277, df = 390, p-value < 2.2e-16
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.3384724 0.5013550
sample estimates:
      cor 
0.4233285

> cor.test(Auto$mpg,Auto$year)

Pearson's product-moment correlation

data: Auto$mpg and Auto$year
t = 14.08, df = 390, p-value < 2.2e-16
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.5108684 0.6426366
sample estimates:
      cor 
0.580541

> cor.test(Auto$mpg,Auto$origin)

Pearson's product-moment correlation

data: Auto$mpg and Auto$origin
t = 13.531, df = 390, p-value < 2.2e-16
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.4938051 0.6290414
sample estimates:
      cor 
0.5652088
```

(10)

(a) There are 506 rows and 14 columns. The rows represent the locality of Boston. The crime rate, pupil-teacher ratio, full value property tax and more.

The screenshot shows the RStudio interface. On the left, a data frame of the Boston dataset is displayed with 11 rows and 14 columns. The columns are: crim, zn, indus, chas, nox, rm, age, dis, rad, tax, ptratio, black, lstat, and medv. Below the data frame, the console shows the following commands and output:

```
> library("MASS")
> Boston<-Boston
> ?Boston
> nrow(Boston)
[1] 506
> ncol(Boston)
[1] 14
> view(Boston)
> |
```

On the right, the documentation for the Boston dataset is shown. It includes a description, usage, format, and a list of columns with their descriptions:

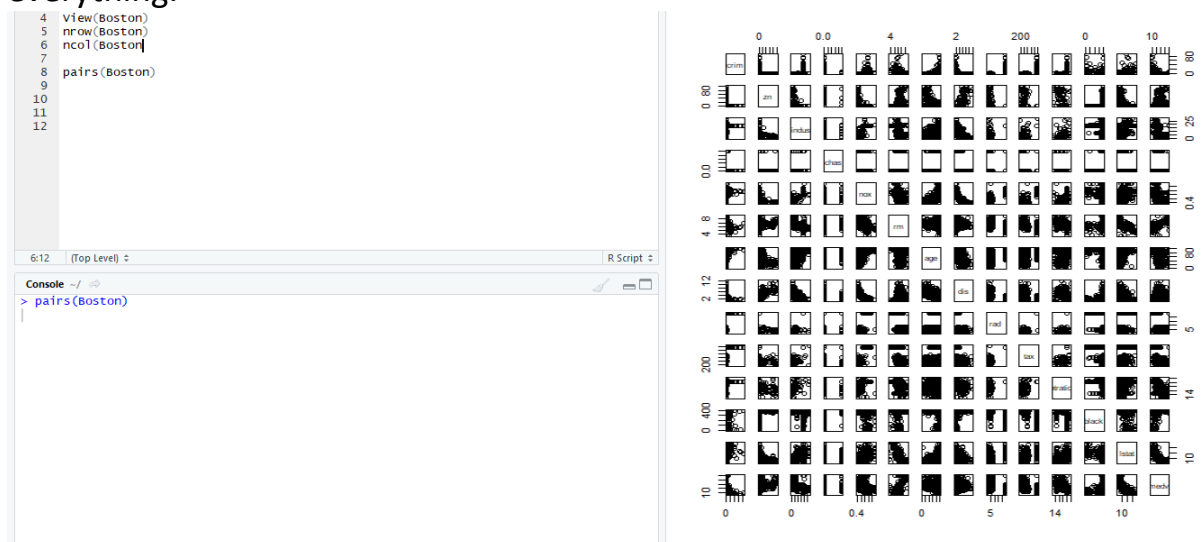
Description
The Boston data frame has 506 rows and 14 columns.

Usage
Boston

Format
This data frame contains the following columns:

- crim: per capita crime rate by town.
- zn: proportion of residential land zoned for lots over 25,000 sq.ft.
- indus: proportion of non-retail business acres per town.
- chas: Charles River dummy variable (= 1 if tract bounds river; 0 otherwise).
- nox: nitrogen oxides concentration (parts per 10 million).

(b) As shown, there are many scatter plots and is difficult to read and clean everything.



(c)

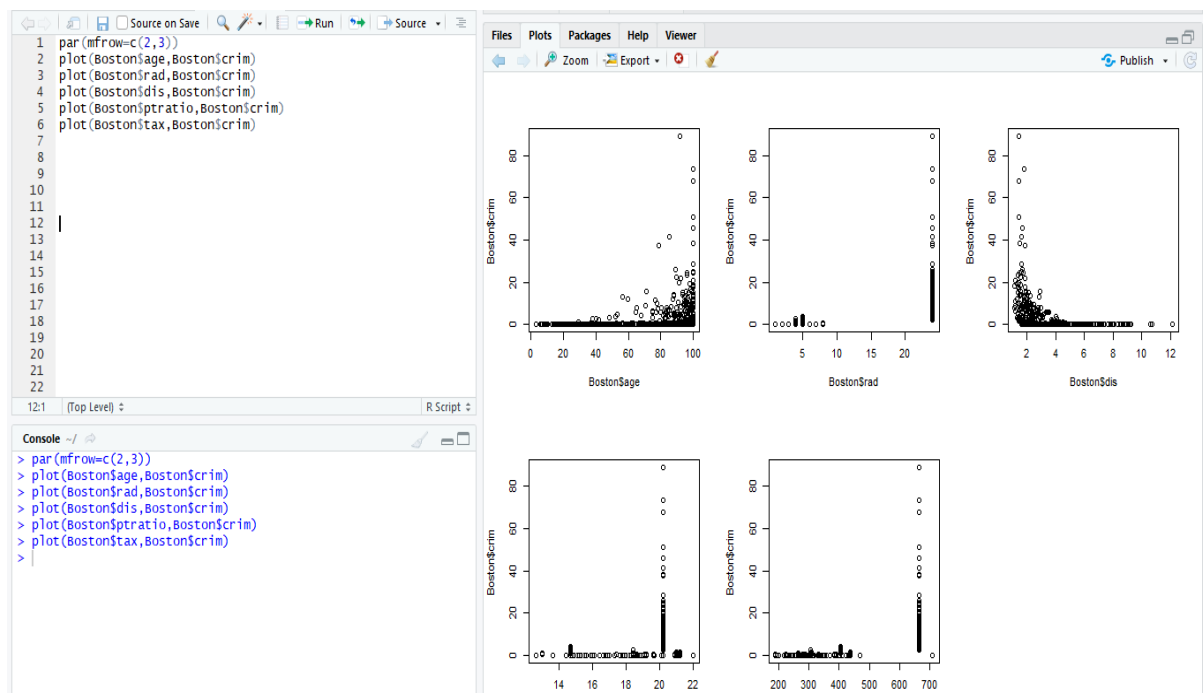
Plot(Boston\$age,Boston\$crim)-units build in 1940 have more crime rates

Plot(Boston\$rad,Boston\$crim)-radial highways have more crime rates

Plot(Boston\$dis,Boston\$crim)-closer to work area have more rates

Plot(Boston\$ptratio,Boston\$crim)-when pupil-teacher is high it has more crime rates

Plot(Boston\$tax,Boston\$crim)-property tax rate has more crime.



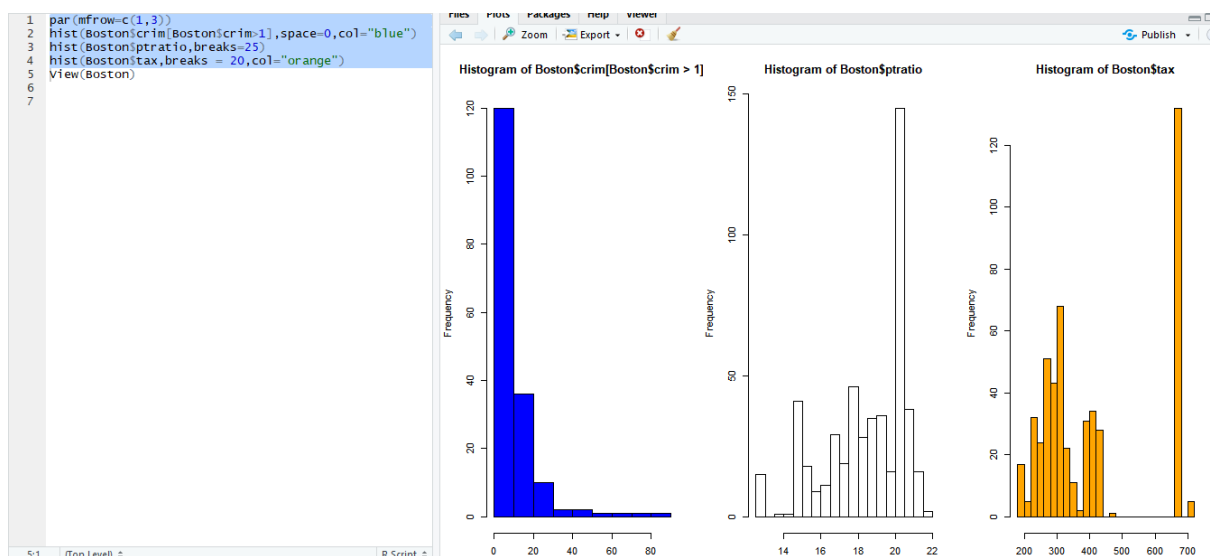
(d)

```
par(mfrow=c(1,3))
```

`barplot(Boston$crim[Boston$crim>1],space=0,col="blue")`- From 0-10 the the bar has significantly increased

`hist(Boston$ptratio,breaks=25)`- The ratio is high between 20 to 22

`hist(Boston$tax,breaks = 20,col="orange")`- In between 680-690 the property tax is high.



(e)

35 suburbs

```
1 sum(Boston$chas==1)
2
```

2:1 (Top Level) ↕

Console ~/ ↶ ↷

```
> sum(Boston$chas==1)
[1] 35
>
```

(f)

```
1 median(Boston$ptratio)
2

1:1 (Top Level) ↕

Console ~/
> median(Boston$ptratio)
[1] 19.05
> |
```

(g)

the crime rate for the median value of owner occupied homes is 38.3518 this means crime rate is high in that area far from highways and Charles river area. So, it is not a better place to live

```
2 subset(Boston,medv==min(Boston$medv))
3 summary(Boston)
4
```

4:1 (Top Level) ↕

Console ~/ ↗

```
> subset(Boston,medv==min(Boston$medv))
      crim zn indus chas  nox  rm
399 38.3518  0  18.1   0 0.693 5.453
406 67.9208  0  18.1   0 0.693 5.683
      age  dis rad tax ptratio black
399 100 1.4896  24 666   20.2 396.90
406 100 1.4254  24 666   20.2 384.97
      lstat medv
399 30.59      5
406 22.98      5
> summary(Boston)
      crim              zn
Min.   : 0.00632   Min.   : 0.00
1st Qu.: 0.08204   1st Qu.: 0.00
Median : 0.25651   Median : 0.00
Mean    : 3.61352   Mean    : 11.36
3rd Qu.: 3.67708   3rd Qu.: 12.50
Max.    :88.97620   Max.    :100.00
      indus          chas
Min.   : 0.46   Min.   :0.00000
1st Qu.: 5.19   1st Qu.:0.00000
Median : 9.69   Median :0.00000
Mean    :11.14   Mean    :0.06917
3rd Qu.:18.10   3rd Qu.:0.00000
Max.    :27.74   Max.    :1.00000
      nox              rm
Min.   :0.3850   Min.   :3.561
1st Qu.:0.4490   1st Qu.:5.886
Median :0.5380   Median :6.208
Mean    :0.5547   Mean    :6.285
3rd Qu.:0.6240   3rd Qu.:6.623
Max.    :0.8710   Max.    :8.780
      age              dis
Min.   : 2.90   Min.   : 1.130
1st Qu.: 45.02   1st Qu.: 2.100
Median : 77.50   Median : 3.207
```

(h)

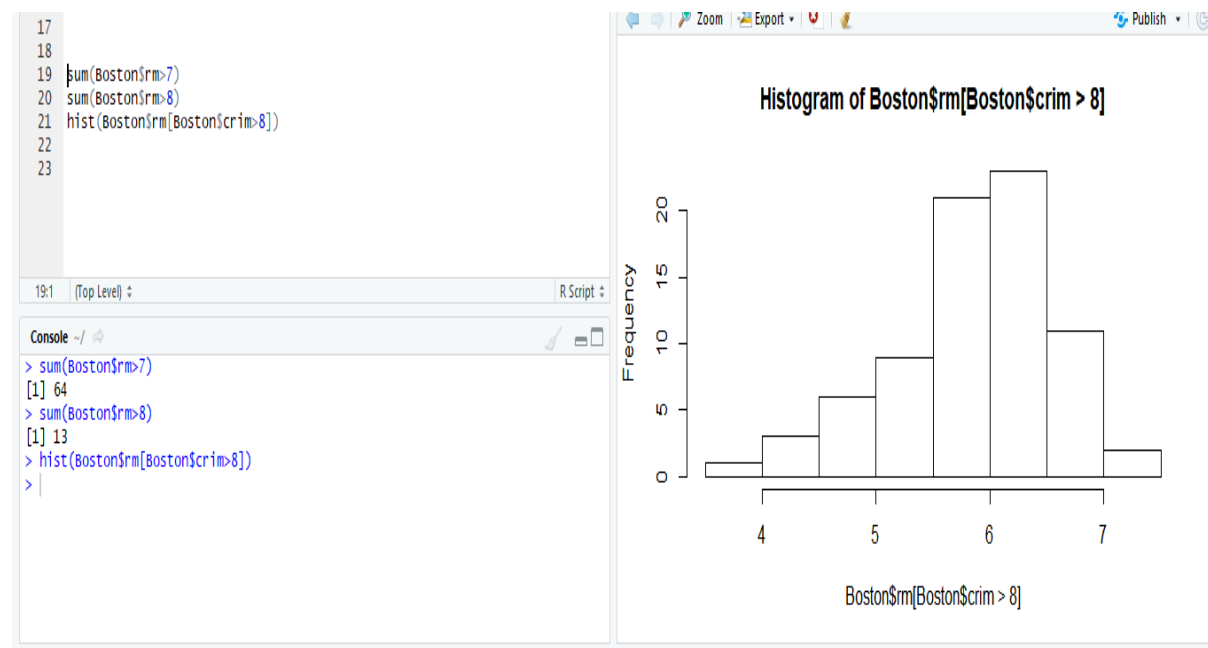
```
sum(Boston$rm>7)
```

```
sum(Boston$rm>8)
```

There are 64 suburbs that average more than 7 rooms per dwelling and 13 suburbs that average more than 8 rooms per dwelling.

```
hist(Boston$rm[Boston$crim>8])
```

In the histogram, the bar simultaneously increased in between the values 5.5 to 6.5



CHAPTER 3

Q8. This question involves the use of simple linear regression on the “Auto” data set.

- a. Use the `lm()` function to perform a simple linear regression with “mpg” as the response and “horsepower” as the predictor. Use the `summary()` function to print the results. Comment on the output. For example :

- i. Is there a relationship between the predictor and the response ?

```
1 #install.packages('ISLR')
2 library(ISLR)
3 data(Auto)
4 fit <- lm(mpg ~ horsepower, data = Auto)
5 summary(fit)
```



```
> data(Auto)
> fit <- lm(mpg ~ horsepower, data = Auto)
> summary(fit)
```

Call:
lm(formula = mpg ~ horsepower, data = Auto)

Residuals:

Min	1Q	Median	3Q	Max
-13.5710	-3.2592	-0.3435	2.7630	16.9240

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	39.935861	0.717499	55.66	<2e-16 ***
horsepower	-0.157845	0.006446	-24.49	<2e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 4.906 on 390 degrees of freedom
Multiple R-squared: 0.6059, Adjusted R-squared: 0.6049
F-statistic: 599.7 on 1 and 390 DF, p-value: < 2.2e-16

Answer: As per the hypothesis testing, The p-value from the above screenshot corresponding to the F-statistic is 7.03198910^{-81} , this indicates a clear evidence of a relationship between “mpg” and “horsepower”.

- ii. How strong is the relationship between the predictor and the response?

Answer: We could see that there is a negative correlation between mpg and horsepower as the coefficient value is -0.16. The unit rise in horsepower decrease the 0.16 milage per gallon. Means there is a fair and considerable correlation between response and predictor variable. Also, we can see that RSE of the `lm.fit` was 4.906 which indicates a percentage error of 20.9237141%. We could see that the multiple R

square is 0.6059483, which means 60.5948258% of the variability in “mpg” will be explained using “horsepower”.

- iii. Is the relationship between the predictor and the response positive or negative?

Answer: As the correlation coefficient is negative from the above screenshot, we can say that there is negative linear relationship between mpg and horsepower.

- iv. What is the predicted mpg associated with a “horsepower” of 98 ?
What are the associated 95% confidence and prediction intervals ?

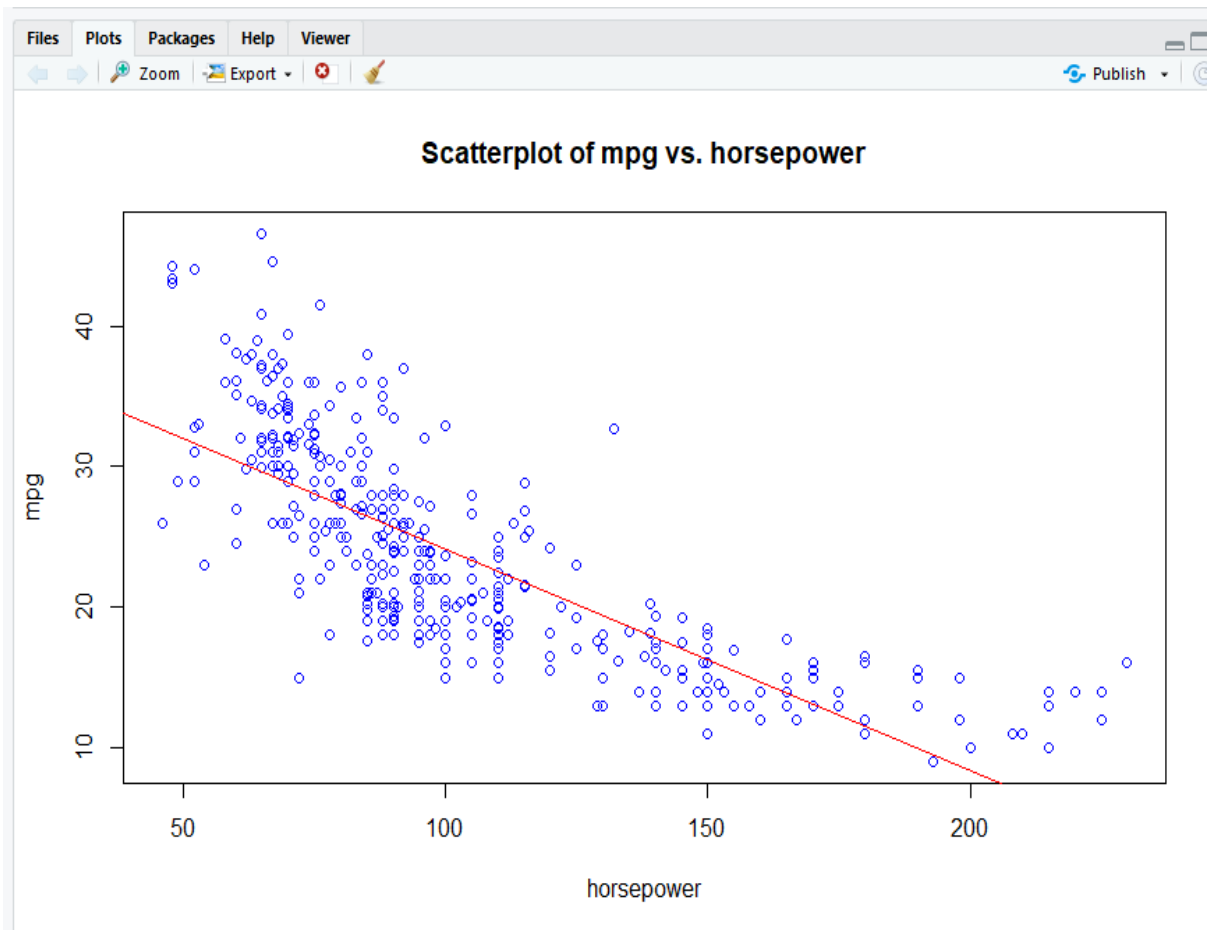
Answer:

```
> predict(fit, data.frame(horsepower = 98), interval = "confidence")
      fit      lwr      upr
1 24.46708 23.97308 24.96108
> |
```

```
> predict(fit, data.frame(horsepower = 98), interval = "prediction")
      fit      lwr      upr
1 24.46708 14.8094 34.12476
> |
```

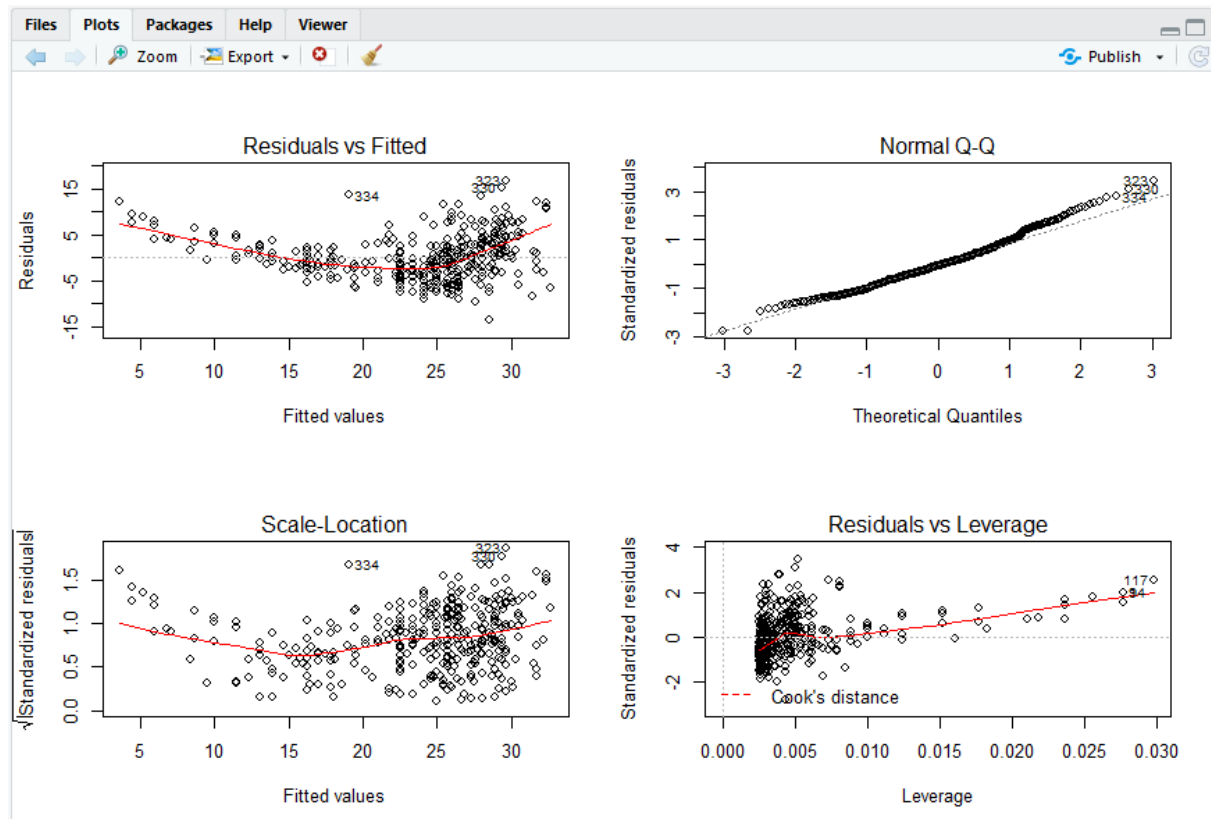
- b. Plot the response and the predictor. Use the abline() function to display the least squares regression line.

```
> plot(Auto$horsepower, Auto$mpg, main = "Scatterplot of mpg vs. horsepower", xlab = "horsepower", ylab = "mpg", col = "blue")
> abline(fit, col = "red")
> |
```



- c. Use the `plot()` function to produce diagnostic plots of the least squares regression fit. Comment on any problems you see with the fit.

```
> par(mfrow = c(2, 2))  
> plot(fit)  
> |
```

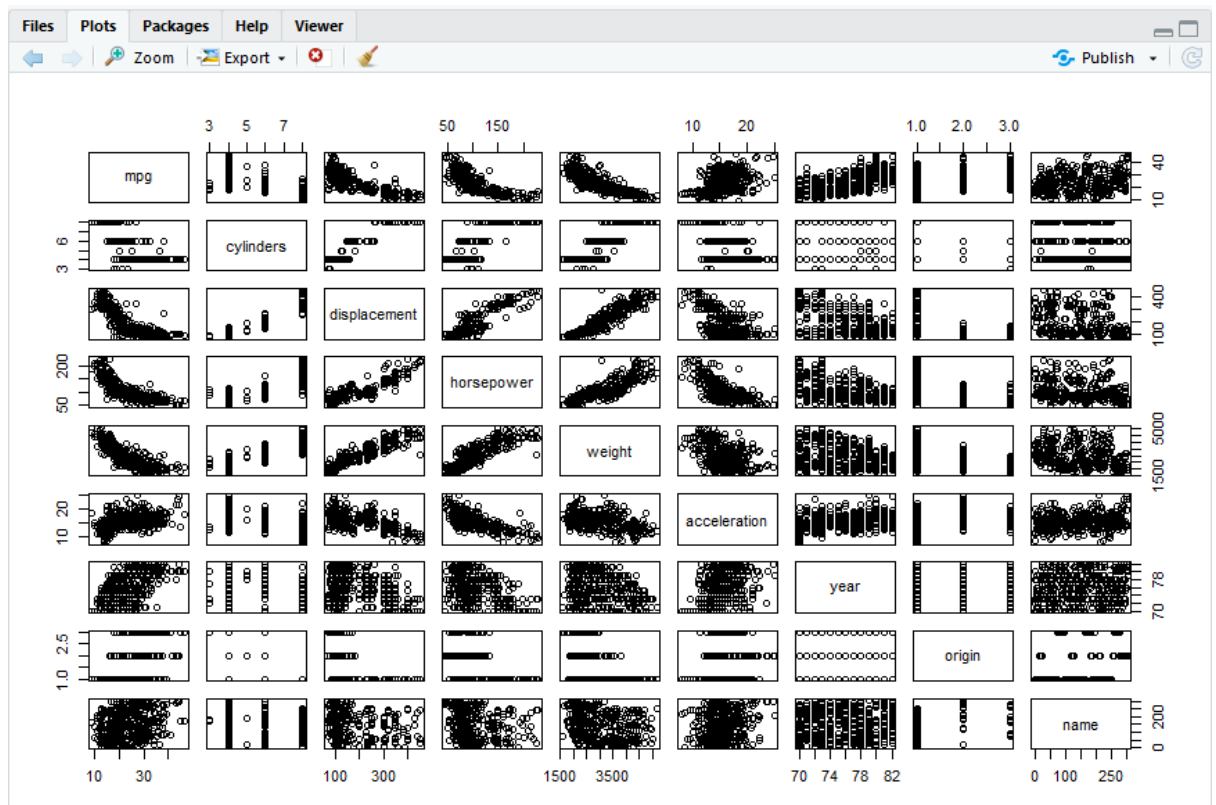


The plot of residuals versus fitted values indicates the presence of non-linearity in the data. The plot of standardized residuals versus leverage indicates the presence of a few outliers (higher than 2 or lower than -2) and a few high leverage points.

9. This question involves the use of multiple linear regression on the “Auto” data set.

- Produce a scatterplot matrix which include all the variables in the data set.

```
> pairs(Auto)
```



- b. Compute the matrix of correlations between the variables using the function `cor()`. You will need to exclude the “name” variable, which is qualitative.

```
> names(Auto)
[1] "mpg"      "cylinders"  "displacement" "horsepower"  "weight"      "acceleration" "year"
[8] "origin"   "name"
> |

> cor(Auto[1:8])
      mpg cylinders displacement horsepower weight acceleration year origin
mpg    1.0000000 -0.7776175 -0.8051269 -0.7784268 -0.8322442  0.4233285  0.5805410  0.5652088
cylinders -0.7776175  1.0000000  0.9508233  0.8429834  0.8975273 -0.5046834 -0.3456474 -0.5689316
displacement -0.8051269  0.9508233  1.0000000  0.8972570  0.9329944 -0.5438005 -0.3698552 -0.6145351
horsepower -0.7784268  0.8429834  0.8972570  1.0000000  0.8645377 -0.6891955 -0.4163615 -0.4551715
weight -0.8322442  0.8975273  0.9329944  0.8645377  1.0000000 -0.4168392 -0.3091199 -0.5850054
acceleration 0.4233285 -0.5046834 -0.5438005 -0.6891955 -0.4168392  1.0000000  0.2903161  0.2127458
year 0.5805410 -0.3456474 -0.3698552 -0.4163615 -0.3091199  0.2903161  1.0000000  0.1815277
origin 0.5652088 -0.5689316 -0.6145351 -0.4551715 -0.5850054  0.2127458  0.1815277  1.0000000
> |
```

- c. Use the `lm()` function to perform a multiple linear regression with “mpg” as the response and all other variables except “name” as the predictors. Use the `summary()` function to print the results. Comment on the output. For instance :

i. Is there a relationship between the predictors and the response ?

```
> fit2 <- lm(mpg ~ . - name, data = Auto)
> summary(fit2)

Call:
lm(formula = mpg ~ . - name, data = Auto)

Residuals:
    Min       1Q   Median       3Q      Max
-9.5903 -2.1565 -0.1169  1.8690 13.0604

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) -17.218435   4.644294  -3.707  0.00024 ***
cylinders    -0.493376   0.323282  -1.526  0.12780
displacement  0.019896   0.007515   2.647  0.00844 **
horsepower   -0.016951   0.013787  -1.230  0.21963
weight       -0.006474   0.000652  -9.929 < 2e-16 ***
acceleration  0.080576   0.098845   0.815  0.41548
year          0.750773   0.050973  14.729 < 2e-16 ***
origin        1.426141   0.278136   5.127  4.67e-07 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 3.328 on 384 degrees of freedom
Multiple R-squared:  0.8215,    Adjusted R-squared:  0.8182
F-statistic: 252.4 on 7 and 384 DF,  p-value: < 2.2e-16

> |
```

By considering the hypothesis testing, the p-value corresponding to the F-statistic is $2.037105910 \times 10^{-139}$, this indicates a clear evidence of a relationship between “mpg” and the input predictors.

ii. Which predictors appear to have a statistically significant relationship to the response?

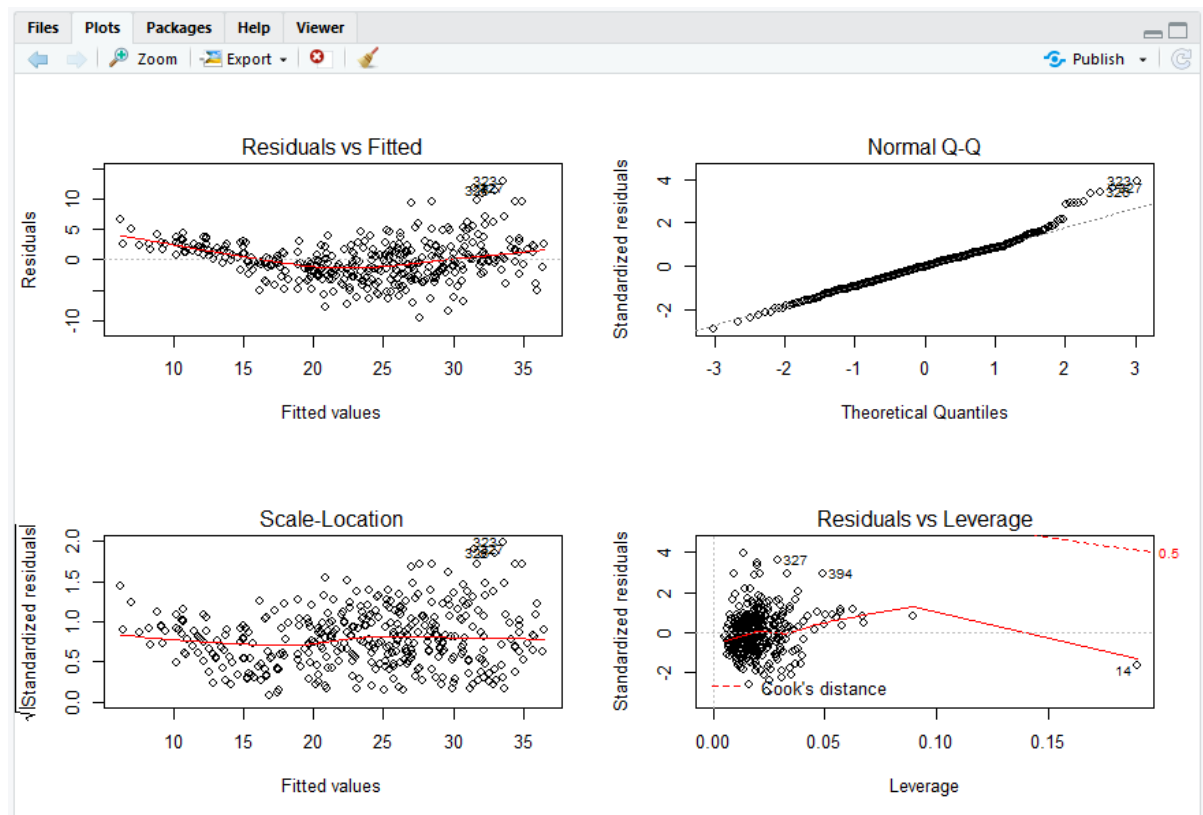
Answer: From the above screenshot reference, the p-value of all the predictors is below threshold that is 0.05 except cylinders, acceleration and horsepower.

iii. What does the coefficient for the “year” variable suggest ?

Answer: The coefficient of variable “year” suggesting that a unit increase in year increases 0.75 times the miles per gallon(mpg). With we can say that, cars are becoming fuel efficient year by year.

d. Use the plot() function to produce diagnostic plots of the linear regression fit. Comment on any problems you see with the fit. Do the residual plots suggest any unusually large outliers ? Does the leverage plots identify any observations with unusually high leverages ?

```
> par(mfrow = c(2, 2))  
> plot(fit2)  
> |
```



From the above screenshots, we can see that there is some trend in the distribution of residuals which disobeys the assumption of homoscedasticity. Hence, it indicates the mild non-linearity. The standardized residuals versus leverage plot indicates the presence of a few outliers.

- e. Use the * and : symbols to fit linear regression models with interaction effects. Do any interactions appear to be statistically significant ?

From the correlation matrix above, we have obtained the two highest correlated pairs like cylinders and displacement and weight and have used them for interaction effects.

```
> fit3 <- lm(mpg ~ cylinders * displacement+displacement * weight, data = Auto[, 1:8])
> summary(fit3)

Call:
lm(formula = mpg ~ cylinders * displacement + displacement *
    weight, data = Auto[, 1:8])

Residuals:
    Min       1Q   Median       3Q      Max
-13.2934  -2.5184  -0.3476   1.8399  17.7723

Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)  5.262e+01  2.237e+00  23.519  < 2e-16 ***
cylinders     7.606e-01  7.669e-01   0.992   0.322
displacement -7.351e-02  1.669e-02  -4.403  1.38e-05 ***
weight       -9.888e-03  1.329e-03  -7.438  6.69e-13 ***
cylinders:displacement -2.986e-03  3.426e-03  -0.872   0.384
displacement:weight  2.128e-05  5.002e-06   4.254  2.64e-05 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 4.103 on 386 degrees of freedom
Multiple R-squared:  0.7272,    Adjusted R-squared:  0.7237
F-statistic: 205.8 on 5 and 386 DF,  p-value: < 2.2e-16

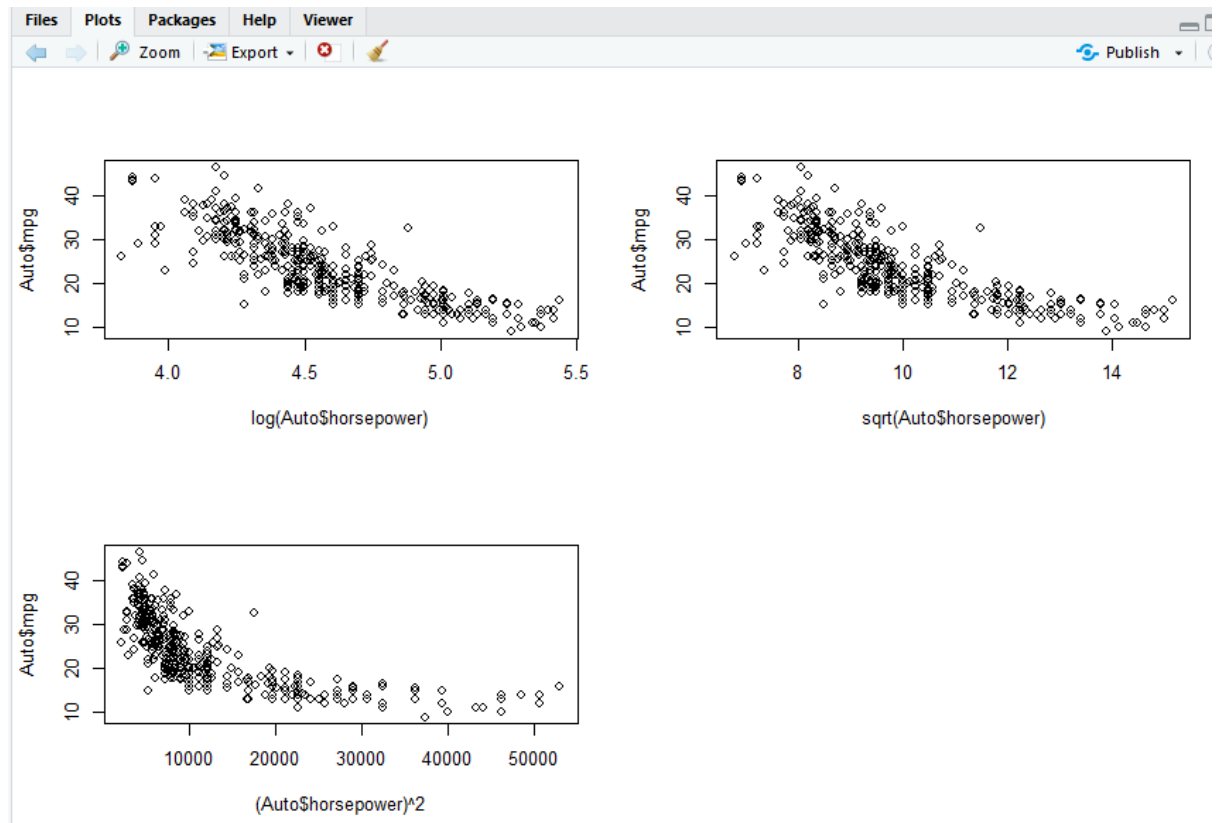
> |
```

From the above p-values, we could see that the interaction between displacement and weight is statistically significant, while the interaction between cylinders and displacement is not.

- f. Try a few different transformations of the variables, such as $\log(X)$, \sqrt{X} , X^2 . Comment on your findings.

Answer:

```
> par(mfrow = c(2, 2))
> plot(log(Auto$horsepower), Auto$mpg)
> plot(sqrt(Auto$horsepower), Auto$mpg)
> plot((Auto$horsepower)^2, Auto$mpg)
> |
```

So far, we have used horsepower as is for model fitting. But the value as is doesn't fit linear as its log transformation fits in the first plot.

Q10. This question should be answered using the “Carseats” data set.

(a) Fit a multiple regression model to predict **Sales** using **Price**, **Urban**, and **US**.

```
1 View(Carseats)
2 ?Carseats
3 model<-lm(Sales~Price+Urban+US,data=Carseats)
4 summary(model)
5
6
```

6:1 (Top Level) ↕

Console ~/ ↗

```
> View(Carseats)
> ?Carseats
> model<-lm(Sales~Price+Urban+US,data=Carseats)
> summary(model)
```

Call:
lm(formula = Sales ~ Price + Urban + US, data = Carseats)

Residuals:

Min	1Q	Median	3Q	Max
-6.9206	-1.6220	-0.0564	1.5786	7.0581

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	13.043469	0.651012	20.036	< 2e-16	***
Price	-0.054459	0.005242	-10.389	< 2e-16	***
UrbanYes	-0.021916	0.271650	-0.081	0.936	
USYes	1.200573	0.259042	4.635	4.86e-06	***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 2.472 on 396 degrees of freedom
Multiple R-squared: 0.2393, Adjusted R-squared: 0.2335
F-statistic: 41.52 on 3 and 396 DF, p-value: < 2.2e-16

```
> |
```

(b) Provide an interpretation of each coefficient in the model. Be careful—some of the variables in the model are qualitative!

Answer:

The coefficient of the 'price' factors might be deciphered by saying that the normal impact of a cost of 1 dollar is a reduction of 54.4588492 units in the sales any remaining indicators staying fixed. The coefficient of the 'urban' factors might be deciphered by saying that the unit deals are 21.9161 units not exactly rural area, The coefficient of the 'US' factors might be deciphered by saying that the normal deals in the US store are 1200.572 units more than in a no US store any remaining predictors.

(c) Write out the model in equation form, being careful to handle the qualitative variables properly.

$$\text{Sales} = 13.0434 + (-0.0544) * \text{price} + (-0.02191) * \text{urban} + (1.2005727) * \text{US} + \epsilon$$

(d) For which of the predictors can you reject the null hypothesis $H_0: \beta_j = 0$?

Answer:

'Price' and 'US' variables can be rejected.

(e) On the basis of your response to the previous question, fit a smaller model that only uses the predictors for which there is evidence of association with the outcome.

```

1 view(Carseats)
2 ?Carseats
3 model<-lm(Sales~Price+Urban+US,data=Carseats)
4 summary(model)
5
6
6:1 (Top Level)

```

```

Console ~/
> view(Carseats)
> ?Carseats
> model<-lm(Sales~Price+Urban+US,data=Carseats)
> summary(model)

Call:
lm(formula = Sales ~ Price + Urban + US, data = Carseats)

Residuals:
    Min       1Q   Median       3Q      Max
-6.9206 -1.6220 -0.0564  1.5786  7.0581

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) 13.043469   0.651012  20.036 < 2e-16 ***
Price       -0.054459   0.005242 -10.389 < 2e-16 ***
UrbanYes    -0.021916   0.271650  -0.081  0.936
USYes       1.200573    0.259042   4.635 4.86e-06 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 2.472 on 396 degrees of freedom
Multiple R-squared:  0.2393,    Adjusted R-squared:  0.2335
F-statistic: 41.52 on 3 and 396 DF,  p-value: < 2.2e-16

> |

```

```

1 view(Carseats)
2 ?Carseats
3 model<-lm(Sales~Price+US,data=Carseats)
4 summary(model)
5
6
5:1 (Top Level)

```

```

Console ~/
> view(Carseats)
> ?Carseats
> model<-lm(Sales~Price+US,data=Carseats)
> summary(model)

Call:
lm(formula = Sales ~ Price + US, data = Carseats)

Residuals:
    Min       1Q   Median       3Q      Max
-6.9269 -1.6286 -0.0574  1.5766  7.0515

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) 13.03079   0.63098  20.652 < 2e-16 ***
Price       -0.05448   0.00523 -10.416 < 2e-16 ***
USYes       1.19964    0.25846   4.641 4.71e-06 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 2.469 on 397 degrees of freedom
Multiple R-squared:  0.2393,    Adjusted R-squared:  0.2354
F-statistic: 62.43 on 2 and 397 DF,  p-value: < 2.2e-16

> |

```

(f) How well do the models in (a) and (e) fit the data?

The smaller model has better R square value compared to bigger model.

(g) Using the model from (e), obtain 95 % confidence intervals for the coefficient(s).

```
1 View(Carseats)
2 ?Carseats
3 model<-lm(Sales~Price+US,data=Carseats)
4 summary(model)
5
6 confint(model)
7
8
```

7:1 (Top Level) ↕

Console ~/ ↗

```
> confint(model)
              2.5 %      97.5 %
(Intercept) 11.79032020 14.27126531
Price       -0.06475984 -0.04419543
USYes       0.69151957  1.70776632
> |
```

(h) Is there evidence of outliers or high leverage observations in the model from (e)?

