

Deriving Lenses using Generics

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Which functions can we **derive just by knowing the structure of a data type?**

Overall Structure

Types

`data T = T { a :: Int
 , b :: String
 , c :: Bool
 }`

Named Fields

Which **lenses can we **derive** just by knowing the structure of a datatype?**

Lenses

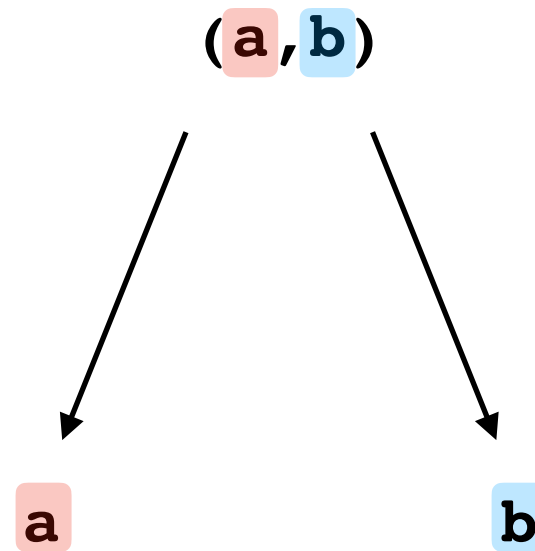
- An abstraction for product-like data structures

```
data Lens s a =  
  Lens { view :: s -> a  
    , set :: a -> s -> s }
```

```
data Lens s a =  
  Lens { view :: s -> a  
        , set  :: a -> s -> s }
```

`_1` is the lens which focuses on the first element in a tuple

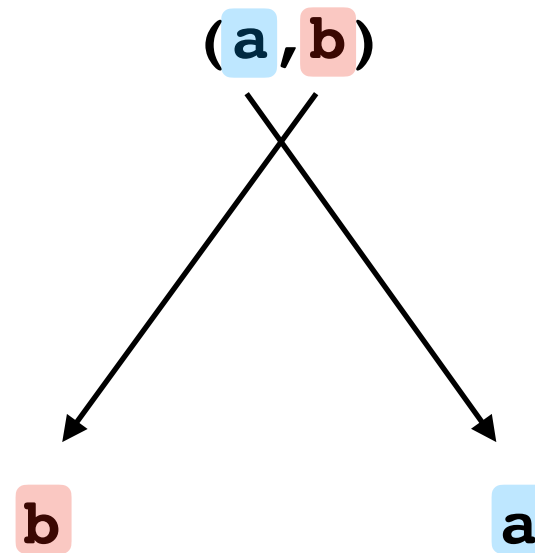
```
_1 :: Lens (a, b) a
```



```
data Lens s a =  
  Lens { view :: s -> a  
        , set  :: a -> s -> s }
```

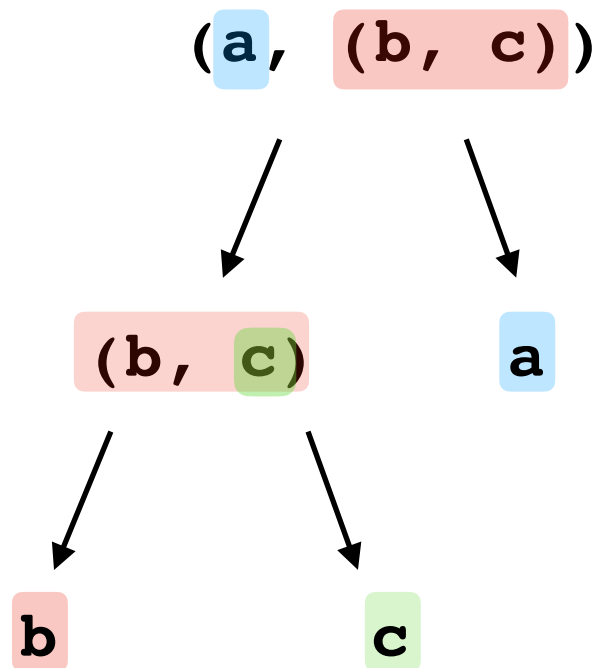
`_2` is the lens which focuses on the second element in a tuple

```
_2 :: Lens (a, b) b
```



Lenses are compositional

`<0> :: Lens s t -> Lens t u -> Lens s u`



`_2 :: Lens (a, (b, c)) (b, c)`

`<0>`

`_1 :: Lens (b, c) b`

Name-directed

The field named "a"

↓

```
data T = T { a :: Int  
            , b :: String  
            , c :: Bool }
```

```
field @"a" :: Lens T Int
```

↙

```
Int
```

↘

```
String × Bool
```

Name-directed

```
data T = T { a :: Int
            , b :: String
            , c :: Bool }
```

```
field @"a" :: Lens T Int
```

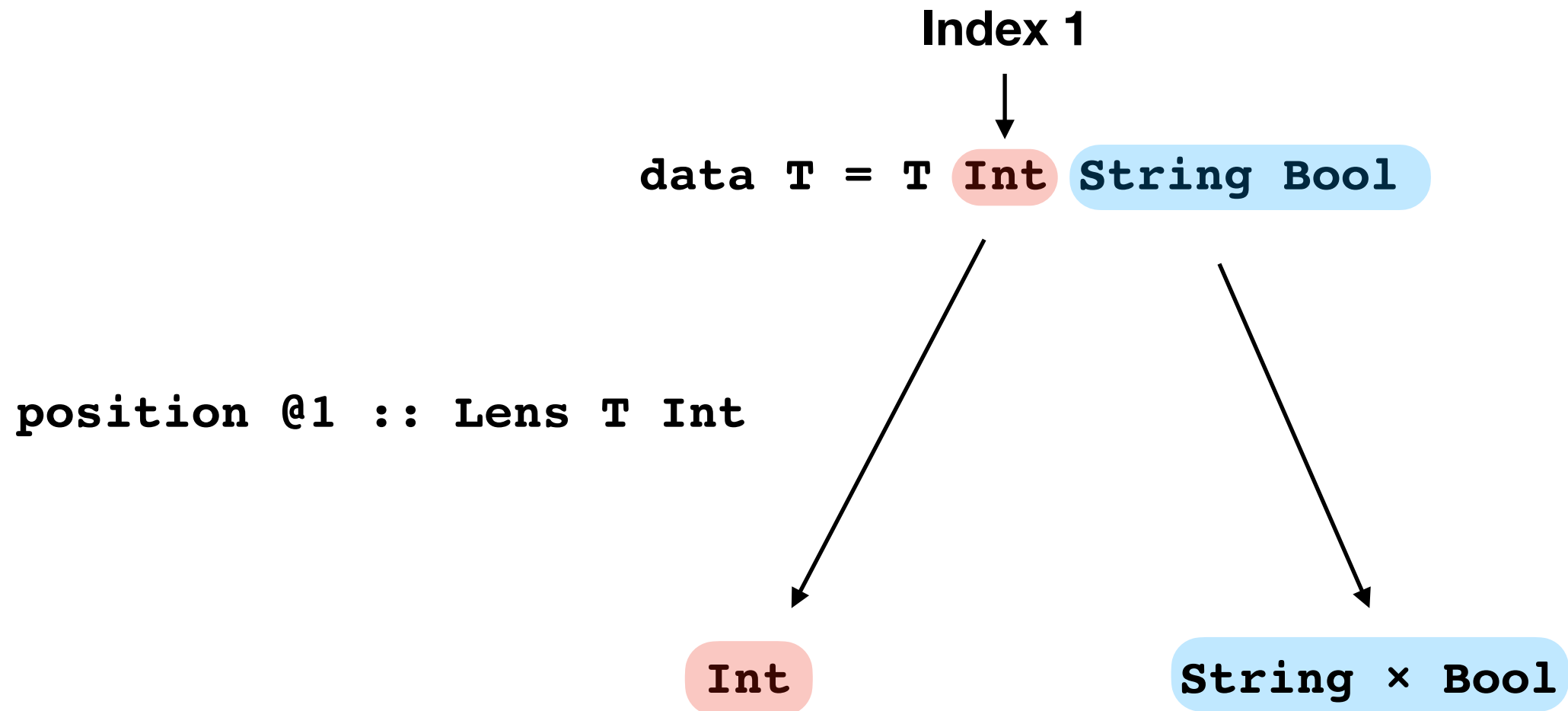
```
> v = T 5 "foo" True
```

```
> view (field @"a") v
5
```

```
> view (field @"c") v
True
```

```
> set (field @"b") "bar" v
T 5 "bar" True
```

Index-directed



Type-directed

Unique field of type Int

`data T = T Int String Bool`

`typed @Int :: Lens T Int`

`Int`

`String × Bool`

Structure-directed

```
data S = S { a :: Int  
            , b :: String  
            }
```

```
data T = T { a :: Int  
            , b :: String  
            , c :: Bool  
            }
```

T is like S but has an additional field



Structure-directed

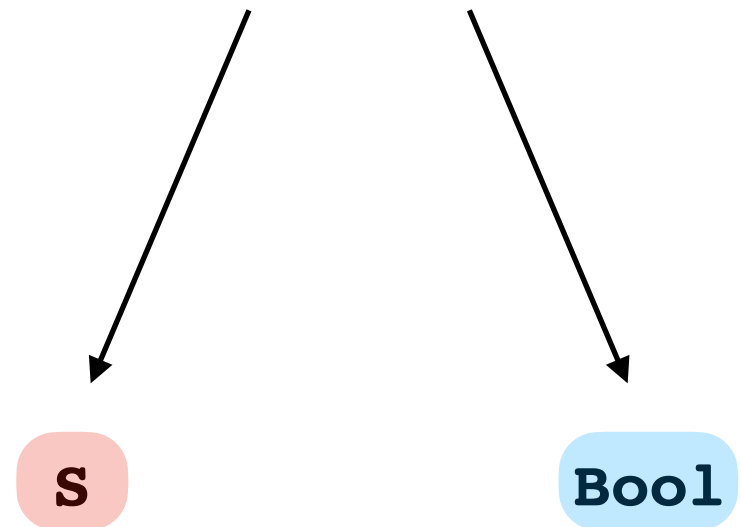
```
data S = S { a :: Int  
            , b :: String  
            }
```



Specify the super type

```
super @S :: Lens T S
```

```
data T = T { a :: Int  
            , b :: String  
            , c :: Bool  
            }
```



Structure-directed

```
data S = S { a :: Int
             , b :: String
             }
```

```
data T = T { a :: Int
             , b :: String
             , c :: Bool
             }
```

```
> :t (super @S)
```

```
Lens T S
```

```
> view (super @S) (T 5 "Csongor" True)
```

```
S 5 "Csongor"
```

```
> set (super @S) (S 6 "Matt") (T 5 "abc" True)
```

```
T 6 "Matt" True
```

```
data FormResponse = FormResponse { name :: String
                                   , age :: Int }
```

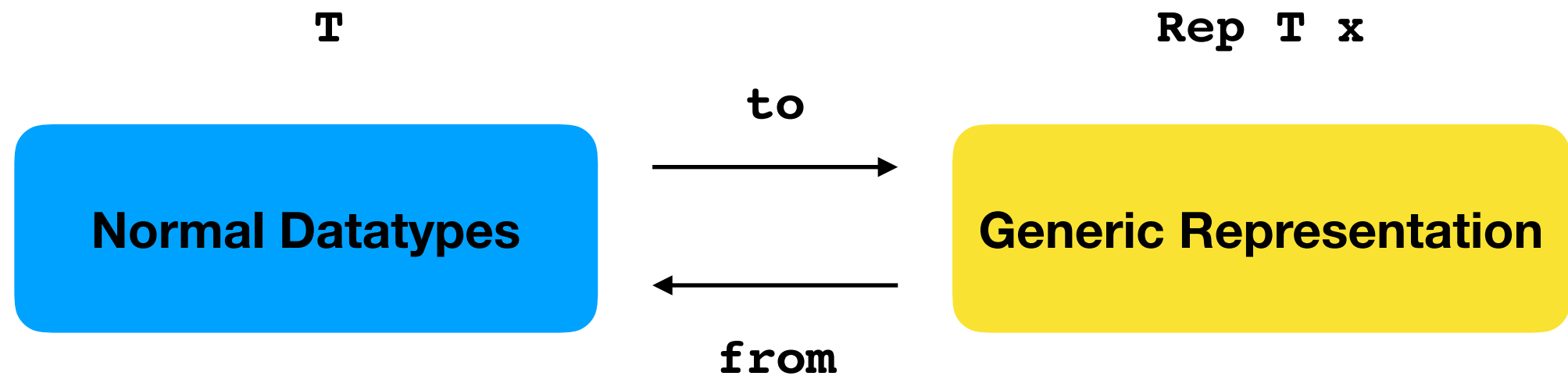
```
data Person = Person { name :: String
                       , age :: Int
                       , uniqueID :: UID
                       , dateModified :: Date
                       , userSettings :: Settings }
```

```
updatePerson :: Person -> IO Person
updatePerson p = do
  formResponse <-
    getFormResponse (view (typed @Settings
                           <◦> super @FormSettings))
                      p)
  date <- getCurrentDate
  return $ p & set (super @FormResponse)
                  formResponse
                & set (field @"dateModified")
                      date
```

Which **lenses** can we **derive** just by knowing the structure
of a datatype?

Implementation

GHC.Generics



```
class Generic a where
  type family Rep a :: * -> *
  from :: a -> Rep a x
  to :: Rep a x -> a
```

GHC.Generics

Empty Types **data v1 p**

Unary Types `data U1 p = U1`

Sum Types

```
data (:+:) f g p = L1 (f p)
                | R1 (g p)
```

Product Types **data** (**:** ***** **:**) **f g p = (f p) :** ***** **:** (**g p**)

Constant Types

```
newtype K1 i c p = K1 { unK1 :: c }
```

Structure becomes evident by inspecting the type

GHC.Generics

From GHC.Generics documentation

```
data Tree a = Leaf a | Node (Tree a) (Tree a)  
  deriving Generic
```

GHC.Generics

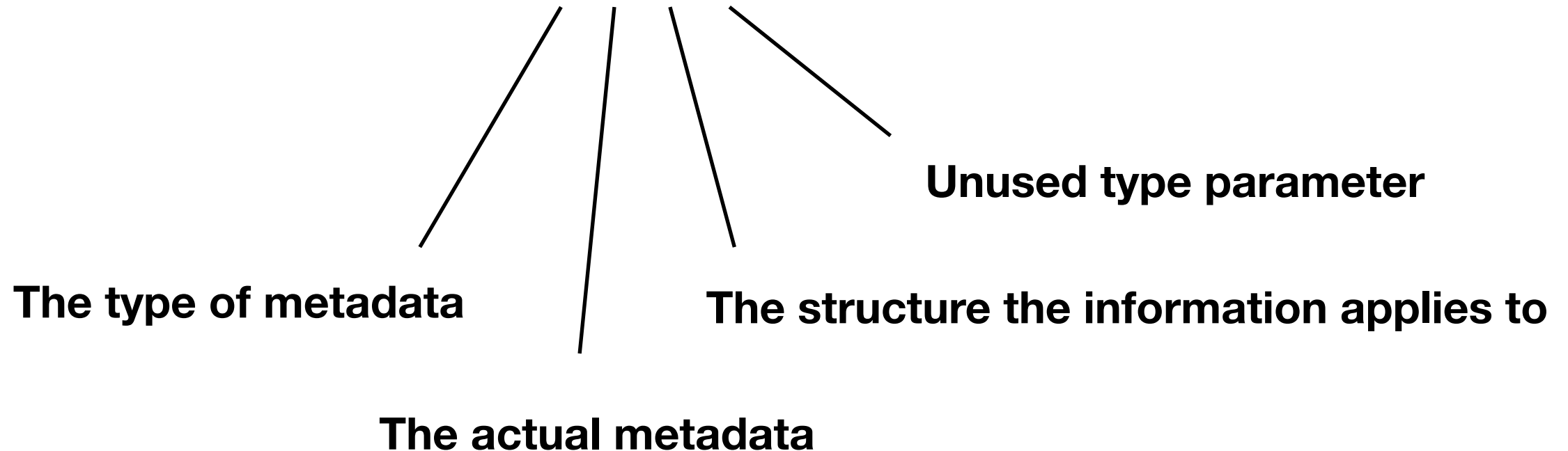
From GHC.Generics documentation

```
data Tree a = Leaf a | Node (Tree a) (Tree a)
  deriving Generic
```

```
instance Generic (Tree a) where
  type Rep (Tree a) =
    Rec0 a
  :+:
  (Rec0 (Tree a) :* Rec0 (Tree a))
```

Metadata Fields

```
newtype M1 i t f p = M1 { unM1 :: f p }
```



```
data T = T { a :: Int } deriving Generic
```

```
type Rep T =
```

```
  M1 D ('MetaData "T" "T" "main" False)
```

```
  (M1 C ('MetaCons "T" 'PrefixI 'GHC.Types.True)
```

```
    (M1 S
```

```
      ('MetaSel
```

```
        (Just "a")
```

```
        'NoSourceUnpackedness
```

```
        'NoSourceStrictness
```

```
        'DecidedLazy)
```

```
      (Rec0 GHC.Types.Int)))
```

Meta information about the datatype

Meta information about the data constructor

Meta information about the record field

Implementation: `field`

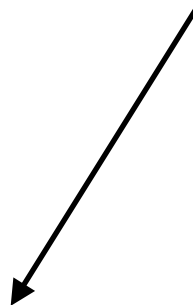
Name-directed

The field named "a"

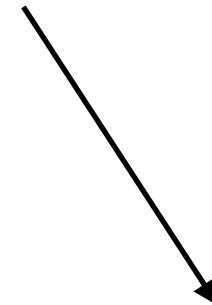


```
data T = T { a :: Int  
            , b :: String  
            , c :: Bool }
```

```
field @"a" :: Lens T Int
```



Int



String × Bool

Implementation: `field`

```
class HasField (field :: Symbol) a s | s field → a where  
  field :: Lens s a
```


```
instance  
  (Generic s  
   ,ErrorUnless field s (HasTotalFieldP field (Rep s))  
   ,GHasField field (Rep s) a  
  ) ⇒ HasField field a s where  
  field = ... gfield ...
```

Idea

- Type class instances for each of the generic constructors
- Specify each simple case in turn

Now of kind $* \rightarrow *$ as this is the type of the generic constructors

```
class GHasField (field :: Symbol) (s :: * → *) a
  | s field → a where
  gfield :: Lens (s x) a
```



Boring Cases

Ignore the metadata for data types and constructors

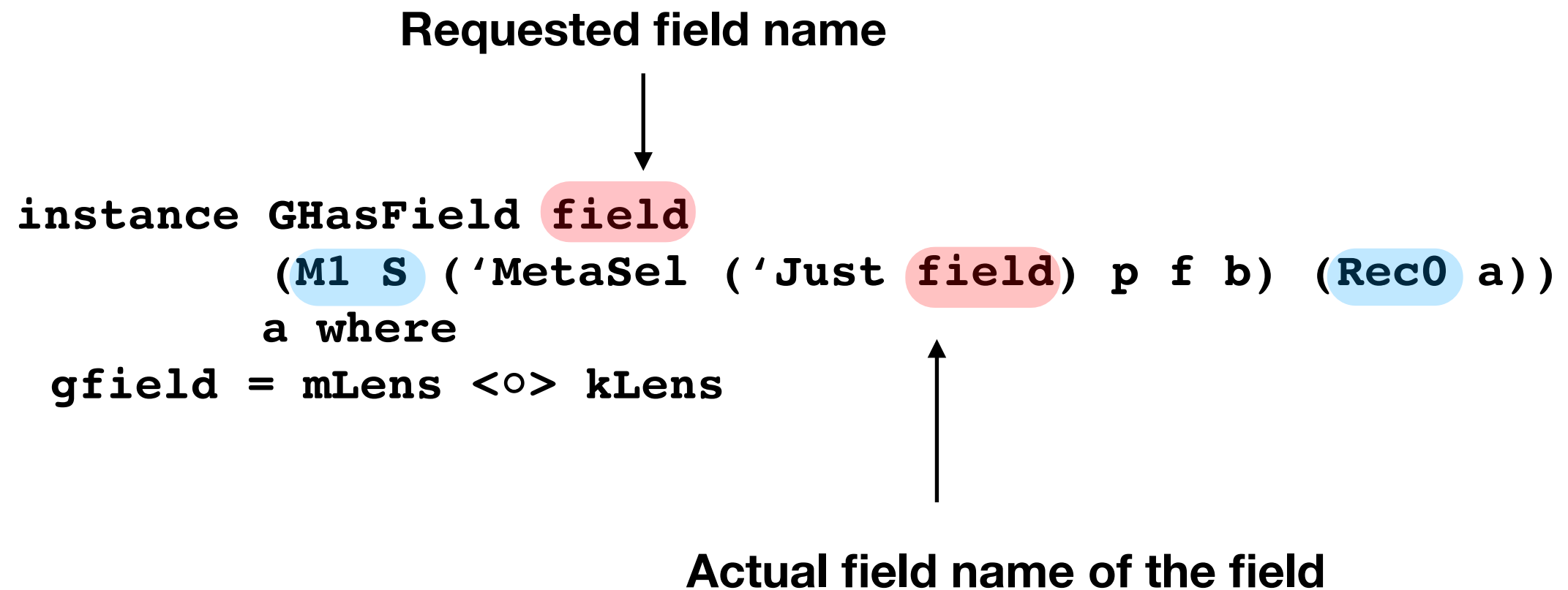
```
instance GHasField field s a
  ⇒ GHasField field (M1 D meta s) a where
  gfield = mLens <◦> gfield @field
```

```
instance GHasField field s a
  ⇒ GHasField field (M1 C meta s) a where
  gfield = mLens <◦> gfield @field
```

```
mLens :: Lens (M1 i c f p) (f p)
```

Selector Metainfo

Select the field which has the correct field name



Tricky Case: Products

Problem: Pick the correct side of the product to recurse into

Tricky Case: Products

First Attempt

```
instance GHasField field f a
  ⇒ GHasField field (f :: g) a where

instance GHasField field g a
  ⇒ GHasField field (f :: g) a where
```

REJECTED: Due to duplicate instances

Tricky Case: Products

Solution: Say which branch of the product the field is in.

```
instance (GProductHasField field f g a (Contains field f))  
  => GHasField field (f :: g) a where  
  gfield = gproductField @field @_ @_ @_ @(Contains field f )
```

Tricky Case: Products

```
instance (GProductHasField field f g a (Contains field f)) ⇒  
    GHasField field (f :: g) a where  
    gfield = gproductField @field @_ @_ @ (Contains field f )
```

```
instance GHasField field l a  
    ⇒ GProductHasField field l r a 'True where  
    gproductField = first <◦> gfield @field
```

```
instance GHasField field r a  
    ⇒ GProductHasField field l r a 'False where  
    gproductField = second <◦> gfield @field
```

More!

- generic-lens - a library which implements the paper
- Prisms
- Better Error Messages using TypeErrors
- Performance Evaluation
- Reflections on building an API around type applications