CMPG-765/CMPT- 465 Neural Networks and Learning Systems

Homework-1

- 1. Design the **Hebb** function to calculate the weights for a given input/output mapping using the Hebb rule in Matlab using the m-language or any other language. The <u>Hebb function shall be robust</u>, so it shall not depend on the length of the input, the size of a learning set, and on a specific type of input (binary/real). Inputs and desired outputs shall be transferred to the function as its arguments. The Hebb functions shall return a weighting vector. (**undergrads** 50/100, graduates 30/100)
- 2. Using the Hebb function, which you designed, apply the Hebbian learning rule to input/output mappings described by all 16 Boolean functions of 2 variables. Test for each input/output mapping whether the weights obtained by the Hebbian rule implement it or not. Do not forget that Boolean functions must be represented in the {1,-1} alphabet, not {0,1}.

(undergrads - 40/100, graduates -30/100)

3. (Required for graduate students and extra credit for undergrads). Using the Hebb function, which you designed, apply the Hebbian learning rule to input/output mappings described by all 16 Boolean functions of 2 variables substituting their inputs $(1,-1) \rightarrow (0.5,-0.3)$ and $(-1,1) \rightarrow (-0.5,0.7)$, but keeping inputs (1,1) and (-1,-1) and all initial function values. Test for each input/output mapping whether the weights obtained by the Hebbian rule implement it or not.

 $(undergrads-30\ extra\ credit\ points,\ graduates-30/100)$

- 4. Write a brief report with your conclusions. A report should be <u>strictly technical</u>. It should mostly consist of a table of functions, which you tested< followed by the row (column) where it should be marked whether a Hebbian weighting vector implements this function. (10/100)
- 5. Turn in your source code, a screen shot of its test run and your report.

Input/output mappings in the traditional alphabet {0, 1}

y1	y2		AND					XOR	OR	NOR	NXOR					NAND	
0	0	0	0	0	0	0	0	0	0	1	1	1	1	1	1	1	1
0	1	0	0	0	0	1	1	1	1	0	0	0	0	1	1	1	1
1	0	0	0	1	1	0	0	1	1	0	0	1	1	0	0	1	1
1	1	0	1	0	1	0	1	0	1	0	1	0	1	0	1	0	1

The same input/output mappings in the alphabet $\{1,-1\}$ suitable for neurons and neural networks

x 1	x2		AND					XOR	OR	NOR	NXOR					NAND	
1	1	1	1	1	1	1	1	1	1	-1	-1	-1	-1	-1	-1	-1	-1
1	-1	1	1	1	1	-1	-1	-1	-1	1	1	1	1	-1	-1	-1	-1
-1	1	1	1	-1	-1	1	1	-1	-1	1	1	-1	-1	1	1	-1	-1
-1	-1	1	-1	1	-1	1	-1	1	-1	1	-1	1	-1	1	-1	1	-1