

Containment Pressurization Process

Postulated accident: release of primary or secondary coolant within the containment

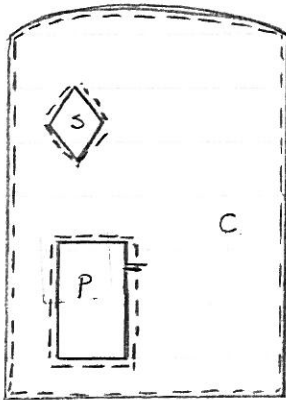
- Magnitude of the peak pressure
- Time to peak pressure.

Final state of the water-air mixture depends on

- ① the initial thermodynamic state mass of the water in reactor and the air in containment
 - ② rate of release of fluid into the containment, and heat sink and sources
 - ③ possible exothermic reactions.
- and ④ core decay heat.

Analysis of Transient Conditions

Control Volume Approach:



Break flow: $\dot{m}(t)$

First Law of thermodynamics:

$$\dot{U}_{c,v} = \dot{m}(t)h_p(t) + \dot{Q}_{wpr-c} - \dot{Q}_{c-st}$$

Integrate between times 1 and 2.

$$U_2 - U_1 = + \int_1^2 h_p(t) \dot{m}(t) dt + Q_{wpr-c} - Q_{c-st}$$

Here :

$$U_2 = m_a u_{a2} + (m_{wc1} + m_{wpd2}) u_{wc2}$$

$$U_1 = m_a u_{a1} + m_{wc1} u_{wc1}$$

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$$m_a u_{a2} + (m_{wc1} + m_{wpd2}) u_{wc2} = m_a u_{a1} + m_{wa1} + \int_1^2 h_p(t) \dot{m}(t) dt + Q_{wpr-c} - Q_{c-st}$$

\dot{m} - break flow rate - from critical flow analysis
 Q_{wpr-c} - heat transferred from the coolant remaining in the vessel to the containment

Q_{c-st} - heat transferred to the containment

Analysis of Final Equilibrium Pressure Conditions.

$$U_2 - U_1 = Q_{n-wpr} - Q_{c-st} \quad \text{control volume approach.}$$

Governing Equations:

Known:

1. Initial state (designated as "1") for the primary and secondary system fluid.
2. The initial mass (m_a) and thermodynamic state of air and the relative humidity
3. The final containment condition

Energy balance:

$$m_w (U_{w2} - U_{w1}) + m_a C_{va} (T_2 - T_{a1}) = Q_{n-wsys} - Q_{c-st}$$

and $m_w U_{w1} = m_{wa} U_{wa1} + m_{wsys} U_{wsys1}$

$$m_w U_{w2} = (m_{wa} + m_{wsys}) U_{w2}$$

m_a - mass of air in containment

$$m_w = m_{wa} + m_{wsys}$$

$u = u(T, v)$ - internal energy per unit mass

U_{w1} - internal energy of water initially in air and

a water initially in the foiled system, i.e., u_{wa} & u_{wsys}
 c_{va} - specific heat of air at constant volume
 T_{a1} - initial air temperature
 T_2 - final temperature

Final equilibrium pressure $p_2 = p_{w2}(T_2) + p_{a2}$

total volume $V_T = m_{w2} v_{w2}(T_2, \text{sat}) \approx m_a v_a(T_2, p_{a2})$

Each mixture occupies the total volume.

steam static quality (x_{st})

$$V_T = m_{w2} [v_{f2} + x_{st} v_{fg2}(T_2, \text{sat})] \approx \frac{m_a p_a T_2}{p_{a2}}$$

air - perfect gas.

Initial air pressure: (p_{a1}) .

(Saturated water vapor) $p_{wa1} = \phi p_{\text{sat}}(T_{a1})$

ϕ = humidity,

$$p_{a1} = p_1 - p_{wa1}$$

$$m_a = \frac{p_{a1} V_c}{p_a T_{a1}}$$

$$p_{a2} \approx p_{a1} \frac{T_2}{T_1}$$

