Conducting Notes

Cambridge etc:

In minor, 3rd place bell, you get the actual coursing order (on way to back, from 3rd to 6ths place; same on way down).

In major etc, you also get actual coursing order, with 2 already seen bells repeating at the dodges on way out.

Fibonacci factorial ('fibofac') definition

Method type	Denoted	Definition
Plain Double	$\mathbb{C}_{pd}(n)$	$\mathit{ff}(n)$
Plain	$\mathbb{C}_{p}(n)$	$\mathit{ff}(n)^2$
Treble Bob Double	$\mathbb{C}_{td}(n)$	$\mathit{ff}(n)^4$
Treble Bob	$\mathbb{C}_{t}(n)$	$\mathit{ff}(n)^8$

$$\mathit{ff}(n) = \prod_{i=0}^{n} fib(i)$$

$$\dot{a} = fib(a)$$

Split parity paradox

${}_n\mathrm{C}_{r-1} \cdot b$

${}_n\mathrm{C}_r - 1$

$\ddot{8} \cdot \dot{7}!$

$\mathit{ff}(7)$

$ff(7)$

$\binom{n}{x}$

Table 2: Plain Hunt Major combinations schematic

Schematic	Combos
12345678	
><......	$\mathbb{P}(6)$
|><.....	$\mathbb{P}(5)$
..><....	$\mathbb{S}(2,4)$
...><...	$\mathbb{S}(3,3)$
....><..	$\mathbb{S}(4,2)$ or $\mathbb{S}(2,4)$
.....><|	$\mathbb{P}(5)$
......><	$\mathbb{P}(6)$
.......|	$\mathbb{P}(7)-1$
><|	
><	
><	
><	
|><	
><	
|.......	$\mathbb{P}(7)-1$

Table 3: Plain Hunt Caters combinations schematic

<table>
<tr><th>Schematic</th><th>Combos</th></tr>
<tr><td><code>123456789</code></td><td></td></tr>
<tr><td><code>><.......</code></td><td>$\mathbb{P}(7)$</td></tr>
<tr><td><code>|><......</code></td><td>$\mathbb{P}(6)$</td></tr>
<tr><td><code>..><.....</code></td><td>$\mathbb{S}(2,5)$</td></tr>
<tr><td><code>...><....</code></td><td>$\mathbb{S}(3,4)$</td></tr>
<tr><td><code>....><...</code></td><td>$\mathbb{S}(4,3)$ or $\mathbb{S}(3,4)$</td></tr>
<tr><td><code>.....><..</code></td><td>$\mathbb{S}(5,2)$ or $\mathbb{S}(2,5)$</td></tr>
<tr><td><code>......><|</code></td><td>$\mathbb{P}(6)$</td></tr>
<tr><td><code>.......><</code></td><td>$\mathbb{P}(7)$</td></tr>
<tr><td><code>........|</code></td><td>$\mathbb{P}(8) - 1$</td></tr>
<tr><td>$\vdots$</td><td></td></tr>
<tr><td><code>|........</code></td><td>$\mathbb{P}(8) - 1$</td></tr>
</table>

Table 4: Plain Hunt Royal combinations schematic

<table>
<tr><th>Schematic</th><th>Combos</th></tr>
<tr><td><code>123456789E</code></td><td></td></tr>
<tr><td><code>><........</code></td><td>$\mathbb{P}(8)$</td></tr>
<tr><td><code>|><.......</code></td><td>$\mathbb{P}(7)$</td></tr>
<tr><td><code>..><......</code></td><td>$\mathbb{S}(2,6)$</td></tr>
<tr><td><code>...><.....</code></td><td>$\mathbb{S}(3,5)$</td></tr>
<tr><td><code>....><....</code></td><td>$\mathbb{S}(4,4)$</td></tr>
<tr><td><code>.....><...</code></td><td>$\mathbb{S}(5,3)$ or $\mathbb{S}(3,5)$</td></tr>
<tr><td><code>......><..</code></td><td>$\mathbb{S}(6,2)$ or $\mathbb{S}(2,6)$</td></tr>
<tr><td><code>.......><|</code></td><td>$\mathbb{P}(7)$</td></tr>
<tr><td><code>........><</code></td><td>$\mathbb{P}(8)$</td></tr>
<tr><td><code>.........|</code></td><td>$\mathbb{P}(9) - 1$</td></tr>
<tr><td>$\vdots$</td><td></td></tr>
<tr><td><code>|.........</code></td><td>$\mathbb{P}(9) - 1$</td></tr>
</table>

$$\mathbb{C}_p(n) = \prod_{i=2}^{n-4} fib(i)$$