Kernel (Paley-Wiener $(1-|t|)^3 +$):

• $S1 = \Sigma 1/|\rho| = 8.024840e+00$

- $\sigma = 1.0$, computed $||g'||_{L}$ 1 (unscaled) = 1.77876451e-01
- $\sup|h''| = 5.995501e+00$, Tail $\leq \sup|h''|/(\pi U)=1.908e-02$, U=100.0
- scaling $\alpha = 5.62187965e+00 \Rightarrow ||g'||_L1(after) = 1.0$

VK (provisional from R=55.241):

• B VK = 150, b VK = 0.00371327, x1 = 1e+06

• C0' (upper) = S1 / $(\log 2)^2 = 1.670265e+01$

Constants:

- C bajo = $1/(4\pi)$ + C0' + C R(kernel) = 1.678223045941e+01 (with C R(kernel)=0.
- $X\overline{0} = 9e + 24$
- F(X0) = 1.320189e+11
- C alto $\approx \sup x \ge X0 \ F(x) = 2.738851e+31$
- C empalme = $\max(C \text{ bajo}, F(X0)) = 1.320189223768e+11$
- $\epsilon = 1.0e-12$
- C tot = 2.738851306602e+31

Notes:

- This report closes Step A numerically but keeps VK and C R(kernel) as conservati
- To fully certify: provide C_R(kernel) from explicit remainder analysis and expli

