
List of Publications

Publications (Peer-reviewed)

Monographs

Book Publications

1. A. Kaltenbach. *Pseudo-monotone operator theory for unsteady problems with variable exponents*, **Lecture Notes in Mathematics**, 2023.
DOI: [10.1007/978-3-031-29670-3](https://doi.org/10.1007/978-3-031-29670-3)

PhD Thesis

2. A. Kaltenbach. *Theory of pseudo-monotone operators for unsteady problems in variable exponent spaces*, **Freidok University of Freiburg**, 2021.
DOI: [10.6094/UNIFR/222538](https://doi.org/10.6094/UNIFR/222538)

Journal Publications

3. L. C. Berselli, A. Kaltenbach, and M. Růžička. *Energy conservation for weak solutions of incompressible Newtonian fluid equations in Hölder spaces with Dirichlet boundary conditions in the half-space*, **Mathematische Annalen**, 2024.
DOI: [10.1007/s00208-024-03065-7](https://doi.org/10.1007/s00208-024-03065-7)
4. L. C. Berselli and A. Kaltenbach. *Error analysis for a finite element approximation of the steady $p(\cdot)$ -Navier–Stokes equations*, **IMA Journal of Numerical Analysis**, 2024.
DOI: [10.1093/imanum/drae082](https://doi.org/10.1093/imanum/drae082)
5. S. Bartels and A. Kaltenbach. *Explicit a posteriori error representation for variational problems and application to TV-minimization*, **Foundations of Computational Mathematics**, 2024.
DOI: [10.1007/s10208-024-09676-5](https://doi.org/10.1007/s10208-024-09676-5)
6. A. Kaltenbach and M. Růžička. *Note on quasi-optimal error estimates for the pressure for shear-thickening fluids*, **ESAIM: Mathematical Modelling and Numerical Analysis**, 2024.
DOI: [10.1051/m2an/2024051](https://doi.org/10.1051/m2an/2024051)
7. J. Jeřberger and A. Kaltenbach. *Finite element discretization of the steady, generalized Navier–Stokes equations with inhomogeneous Dirichlet boundary conditions*, **SIAM Journal on Numerical Analysis**, 2024.
DOI: [10.1137/23M1607398](https://doi.org/10.1137/23M1607398)
8. A. Kh. Balci and A. Kaltenbach. *Error analysis for a Crouzeix–Raviart approximation of the variable exponent Dirichlet problem*, **IMA Journal of Numerical Analysis**, 2024.
DOI: [10.1093/imanum/drae025](https://doi.org/10.1093/imanum/drae025)
9. P. A. Gazca–Orozco and A. Kaltenbach. *On the stability and convergence of Discontinuous Galerkin schemes for incompressible flows*, **IMA Journal of Numerical Analysis**, 2024.
DOI: [10.1093/imanum/drae004](https://doi.org/10.1093/imanum/drae004)
10. A. Kaltenbach. *Error analysis for a Crouzeix–Raviart approximation of the p -Dirichlet problem*, **Journal of Numerical Mathematics**, 2023.
DOI: [10.1515/jnma-2022-0106](https://doi.org/10.1515/jnma-2022-0106)
11. A. Kaltenbach and M. Růžička. *A Local Discontinuous Galerkin approximation for the p -Navier–Stokes system, Part III: Convergence rates for the pressure*, **SIAM Journal on Numerical Analysis**, 2023.
DOI: [10.1137/22M1541472](https://doi.org/10.1137/22M1541472)
12. A. Kaltenbach and M. Růžička. *A Local Discontinuous Galerkin approximation for the p -Navier–Stokes system, Part II: Convergence rates for the velocity*, **SIAM Journal on Numerical Analysis**, 2023.
DOI: [10.1137/22M1514751](https://doi.org/10.1137/22M1514751)
13. A. Kaltenbach and M. Růžička. *A Local Discontinuous Galerkin approximation for the p -Navier–Stokes system, Part I: Convergence analysis*, **SIAM Journal on Numerical Analysis**, 2023.
DOI: [10.1137/22M151474X](https://doi.org/10.1137/22M151474X)

14. A. Kaltenbach and M. Růžička. *Convergence analysis of a Local Discontinuous Galerkin approximation for systems with Olicz-structure*, **ESAIM: Mathematical Modelling and Numerical Analysis**, 2023.
DOI: [10.1051/m2an/2023028](https://doi.org/10.1051/m2an/2023028)
15. L. C. Berselli, A. Kaltenbach, R. Lewandowski, and M. Růžička. *On the existence of weak solutions for a family of unsteady rotational Smagorinsky models*, **Pure and Applied Functional Analysis**, 2023.
URL: <http://yokohamapublishers.jp/online2/oppafa/vol8/p83.html>
16. A. Kaltenbach and M. Růžička. *Existence of steady solutions for a model for micropolar electrorheological fluid flows with not globally log-Hölder continuous shear exponent*, **Journal of Mathematical Fluid Mechanics**, 2023.
DOI: [10.1007/s00021-023-00782-y](https://doi.org/10.1007/s00021-023-00782-y)
17. A. Kaltenbach and M. Růžička. *Analysis of a fully-discrete, non-conforming approximation of evolution equations and applications*, **Mathematical Models and Methods in Applied Sciences**, 2023.
DOI: [10.1142/S0218202523500197](https://doi.org/10.1142/S0218202523500197)
18. S. Bartels and A. Kaltenbach. *Explicit and efficient error estimation for convex minimization problems*, **Mathematics of Computation**, 2023.
DOI: [10.1090/mcom/3821](https://doi.org/10.1090/mcom/3821)
19. A. Kaltenbach and M. Růžička. *Existence of steady solutions for a general model for micropolar electrorheological fluid flows*, **SIAM Journal on Mathematical Analysis**, 2023.
DOI: [10.1137/22M1500599](https://doi.org/10.1137/22M1500599)
20. S. Bartels and A. Kaltenbach. *Error estimates for total-variation regularized minimization problems with singular solutions*, **Numerische Mathematik**, 2022.
DOI: [10.1007/s00211-022-01324-w](https://doi.org/10.1007/s00211-022-01324-w)
21. A. Kaltenbach. *Note on the existence theory for non-induced evolution problems*, **Mathematische Nachrichten**, 2022.
DOI: [10.1002/mana.201900555](https://doi.org/10.1002/mana.201900555)
22. L. C. Berselli, A. Kaltenbach, and M. Růžička. *Analysis of fully discrete, quasi non-conforming approximation of evolution equations and applications*, **Mathematical Models and Methods in Applied Sciences**, 2021.
DOI: [10.1142/S0218202521500494](https://doi.org/10.1142/S0218202521500494)
23. A. Kaltenbach and M. Růžička. *Variable exponent Bochner-Lebesgue spaces with symmetric gradient structure*, **Journal of Mathematical Analysis and Applications**, 2021.
DOI: [10.1016/j.jmaa.2021.125355](https://doi.org/10.1016/j.jmaa.2021.125355)
24. A. Kaltenbach and M. Růžička. *Note on the existence theory for pseudo-monotone evolution problems*, **Journal of Evolution Equations**, 2020.
DOI: [10.1007/s00028-020-00577-y](https://doi.org/10.1007/s00028-020-00577-y)

Book Contributions

25. S. Bartels and A. Kaltenbach. *Exact a posteriori error control for variational problems via convex duality and explicit flux reconstruction*, **Advances in Applied Mechanics**, 2024.
DOI: [10.1016/bs.aams.2024.04.001](https://doi.org/10.1016/bs.aams.2024.04.001)

Preprints

26. L. C. Berselli, A. Kaltenbach, and S. Ko. *Error analysis for a fully-discrete finite element approximation of the unsteady $p(\cdot, \cdot)$ -Stokes equations*, submitted, 2025.
URL: <https://arxiv.org/abs/2501.00849>
27. A. Kaltenbach and M. Růžička. *Conditional quasi-optimal error estimate for a finite element discretization of the p -Navier-Stokes equations: the case $p > 2$* , submitted, 2024.
URL: <https://arxiv.org/abs/2411.00043>
28. H. Antil, S. Bartels, A. Kaltenbach, and R. Khandelwal. *Variational problems with gradient constraints: A priori and a posteriori error identities*, submitted, 2024.
URL: <https://arxiv.org/abs/2410.18780>

29. J. Jeřberger and A. Kaltenbach. *Finite element discretization of the steady, generalized Navier–Stokes equations with small shear exponent*, submitted, 2024.
URL: <https://arxiv.org/abs/2408.15731>
30. S. Bartels, T. Gudi, and A. Kaltenbach. *A priori and a posteriori error identities for the scalar Signorini problem*, submitted, 2024.
URL: <https://arxiv.org/abs/2407.10912>
31. L. C. Berselli and A. Kaltenbach. *Convergence analysis of a fully-discrete finite element approximation of the unsteady $p(\cdot, \cdot)$ -Navier–Stokes equations*, submitted, 2024.
URL: <https://arxiv.org/abs/2402.16606>
32. J. Blechta, P. A. Gazca–Orozco, A. Kaltenbach, and M. Růžička. *Quasi-optimal discontinuous Galerkin discretizations of the p -Dirichlet problem*, submitted, 2023.
URL: <https://arxiv.org/abs/2311.15737>
33. S. Bartels and A. Kaltenbach. *Error analysis for a Crouzeix–Raviart approximation of the obstacle problem*, submitted, 2023.
URL: <https://arxiv.org/abs/2302.01646>
34. A. Kaltenbach and M. Zeinhofer. *The Deep Ritz Method for parametric p -Dirichlet problems*, submitted, 2022.
URL: <https://arxiv.org/abs/2207.01894>