let 
$$W^T x = W_1 X + W_2 X$$

$$h(w^{T}x; +b) = \frac{1}{1+e^{-W,x-W_{z}x-b}}$$

$$|et U_{1} = \frac{1}{1 + e^{-W_{1} \times -W_{2} \times -b}} \frac{2u_{1}}{2w_{1}} = \frac{x e^{-b - W_{2} \times -w_{1} \times}}{(e^{-b - W_{2} \times -w_{1} \times} + 1)^{2}}$$

$$\frac{2u_{2}}{2w_{2}} = \frac{x e^{-b - W_{2} \times -w_{1} \times}}{(e^{-b - W_{2} \times -w_{1} \times} + 1)^{2}} \frac{2v}{2b} = \frac{e^{b + W_{1} \times +W_{2} \times}}{(e^{b + W_{1} \times +W_{2} \times} + 1)^{2}}$$

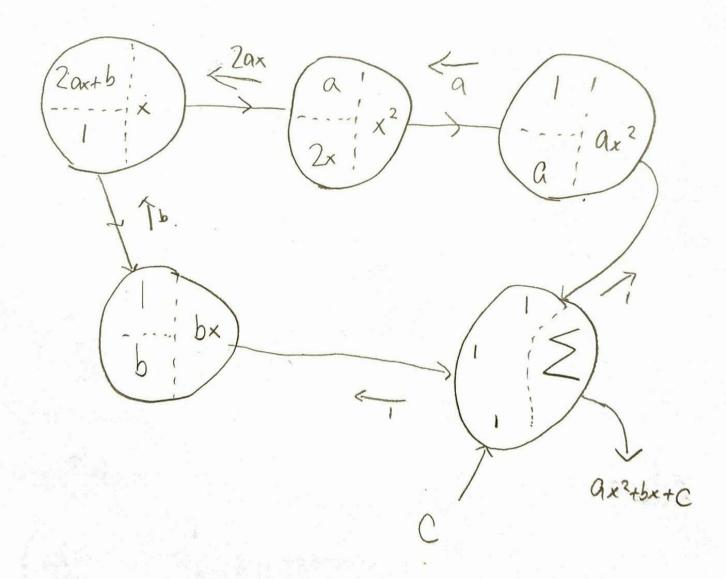
$$\frac{2W_{2}}{2W_{2}} = \frac{Xe^{-b-W_{2}x-w_{1}x}+1}{(e^{-b-w_{2}x-w_{1}x}+1)^{2}}$$

$$\frac{2L}{2W_{1}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ y_{i} \log (U) + (Ly_{i}) (\log (1-U)) \right]$$

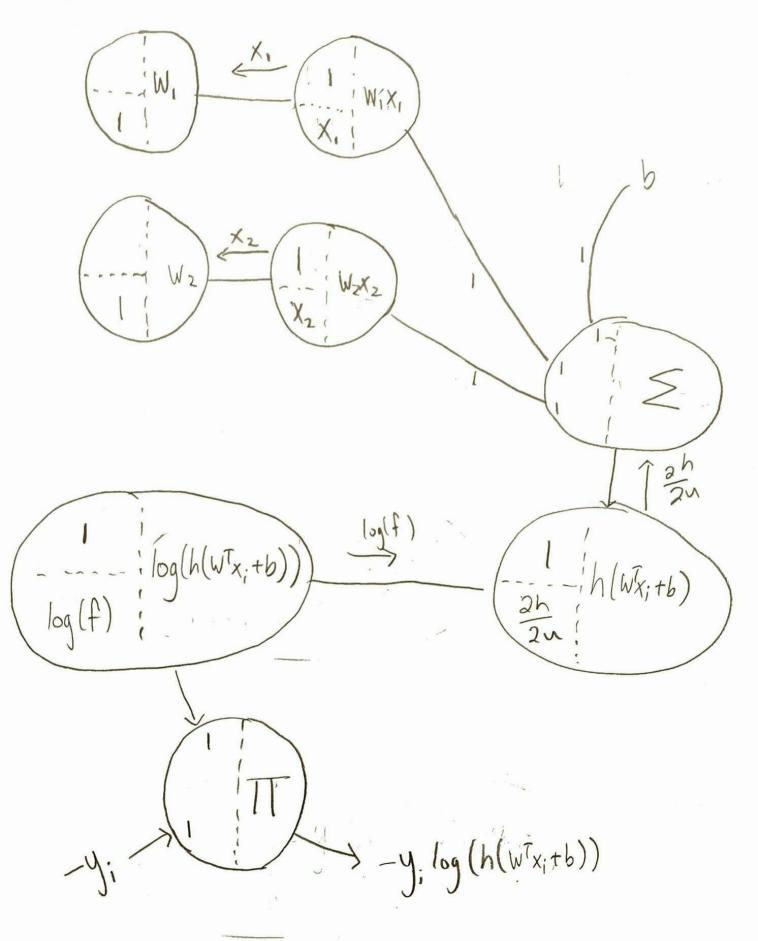
$$\frac{2L}{2u} = -\frac{1}{4} \sum_{i=1}^{M} \left[ \frac{y_i}{u-1} + \frac{(1-y_i)}{u-1} \right]$$

$$\frac{2L}{2u} = \frac{2L}{2u} \cdot \frac{2u_i}{2u} = -\frac{1}{4} \sum_{i=1}^{M} \left[ \frac{y_i}{u-1} + \frac{(1-y_i)}{u-1} + \frac{(1-y_$$

$$\frac{\partial L}{\partial w_{i}} = \frac{\partial L}{\partial u_{i}} \frac{\partial u_{i}}{\partial w_{i}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ \frac{y_{i} \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)}{\chi e^{-b-W_{2}x-W_{i}x}} + \frac{\left( 1-y_{i} \right) \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)}{\chi e^{-b-W_{2}x-W_{i}x} + \left( 1-y_{i} \right) \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)} \right] \frac{\partial L}{\partial w_{2}} = \frac{\partial L}{\partial u_{2}} \frac{\partial u_{2}}{\partial w_{2}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ \frac{y_{i} \left( e^{-1-W_{2}x-W_{i}x} + 1 \right)}{\chi e^{-b-W_{2}x-W_{i}x}} + \frac{\left( 1-y_{i} \right) \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)^{2}}{\chi e^{-b-W_{2}x-W_{i}x} - \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)^{2}} \right] \frac{\partial L}{\partial w_{2}} = \frac{\partial L}{\partial v_{2}} \frac{\partial v_{2}}{\partial v_{2}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ \frac{y_{i} \left( e^{btW_{i}xtw_{2}x} + 1 \right)^{2}}{\chi e^{-b-W_{2}x-W_{i}x} - \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)^{2}} \right] \frac{\partial L}{\partial v_{2}} = \frac{\partial L}{\partial v_{2}} \frac{\partial v_{2}}{\partial v_{2}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ \frac{y_{i} \left( e^{btW_{i}xtw_{2}x} + 1 \right)^{2}}{\left( e^{btW_{i}xtw_{2}x} - e^{btW_{i}xtw_{2}x} + 1 \right)^{2}} \right] \frac{\partial L}{\partial v_{2}} = \frac{\partial L}{\partial v_{2}} \frac{\partial v_{2}}{\partial v_{2}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ \frac{y_{i} \left( e^{btW_{i}xtw_{2}x} + 1 \right)^{2}}{\left( e^{btW_{i}xtw_{2}x} - e^{btW_{i}xtw_{2}x} + 1 \right)^{2}} \right] \frac{\partial v_{2}}{\partial v_{2}} = \frac{\partial L}{\partial v_{2}} \frac{\partial v_{2}}{\partial v_{2}} = -\frac{1}{M} \sum_{i=1}^{M} \left[ \frac{y_{i} \left( e^{-b-W_{2}x-W_{i}x} + 1 \right)^{2}}{\left( e^{btW_{i}xtw_{2}x} - e^{btW_{i}xtw_{2}x} + 1 \right)^{2}} \right] \frac{\partial v_{2}}{\partial v_{2}} = \frac{\partial L}{\partial v_{2}} \frac{\partial v_{2}}{\partial$$



2.3/2.4



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