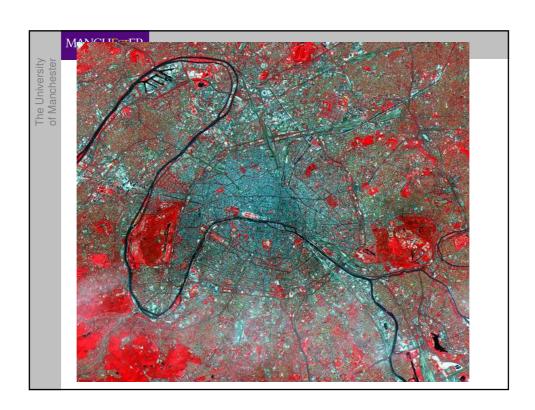
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# **Computer Graphics and Image Processing**

Lecture B4 Region Processing (2)

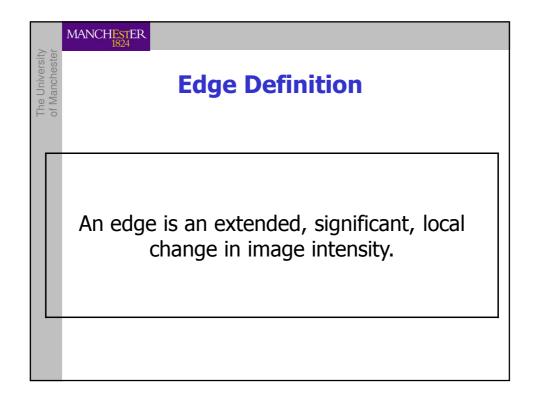


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 n bands of input data
 - Within and beyond visible spectrum

 3 bands of output data
 - An input band
 - Combine sets of input
 - Ratio of input bands

 Calibration with ground truth suggests what mappings are useful



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## First Derivative, Gradient Edge Detection

- If an edge is a discontinuity
- Can detect it by differencing
- Convolve with appropriate templates
  - Suggestions?

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### **Delta X and Delta Y**

- Subtract horizontally adjacent pixels  $\Delta x$
- Subtract vertically adjacent pixels Δy
- Can these be combined to give the correct edge strength?

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### **Roberts Cross Edge Detector**

-1	0
0	1

0	-1
1	0

- Simplest edge detector
- Awkward localisation
  - On the joint between the four pixels
- Noise sensitive
  - If one pixel is corrupted, the edge strength is equally corrupted

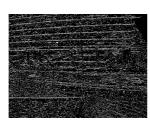
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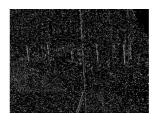
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### **Prewitt/Sobel Edge Detector**

-1	-1	-1
0	0	0
1	1	1

-1	0	1
-1	0	1
-1	0	1





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### **Location and Noise**

- Location estimate is at the centre pixel
- More robust against noise
  - Averaging of pixels either side of edge location
  - Noise magnitude reduced by  $\sqrt{3}$  or  $\sqrt{4}$

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### **Edge Detection**

Combine horizontal and vertical edge estimates

$$Mag = \sqrt{h^2 + v^2}$$

$$\vartheta = \tan^{-1} \frac{v}{h}$$

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### **Problems**

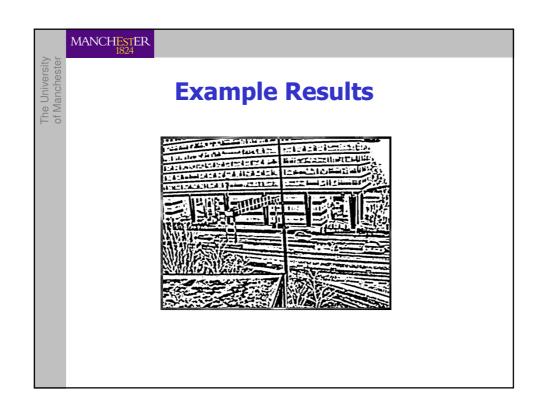
- Images are noise corrupted
  - Edges are noise corrupted
    - problems with detection and localisation
  - Can be improved by smoothing
- Scale
  - What is "local"?
  - Can be investigated by size of smoothing template

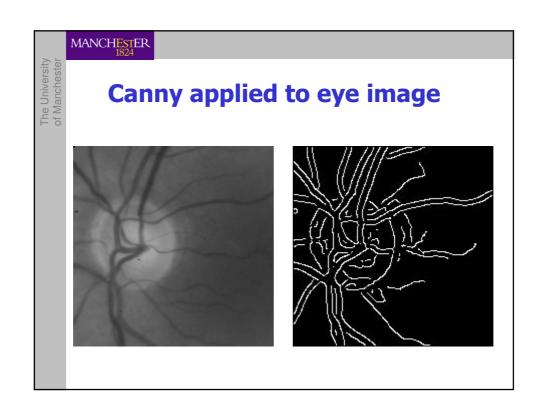
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### **Canny/Deriche Edge Detector**

- Require
  - edges to be detected
  - accurate localisation
  - single response to an edge
- Solution
  - Convolve image with Difference of Gaussian (DoG)
  - Template?



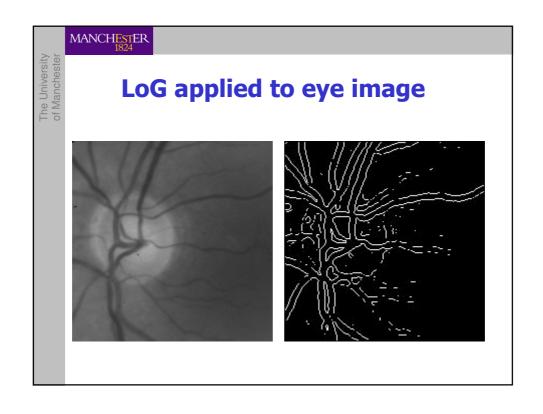


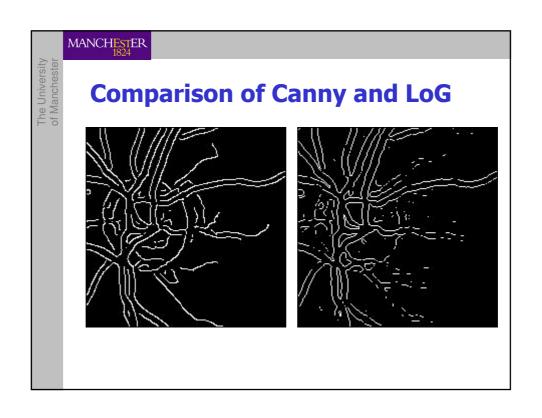
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# **Second Derivative Operators Zero Crossing**

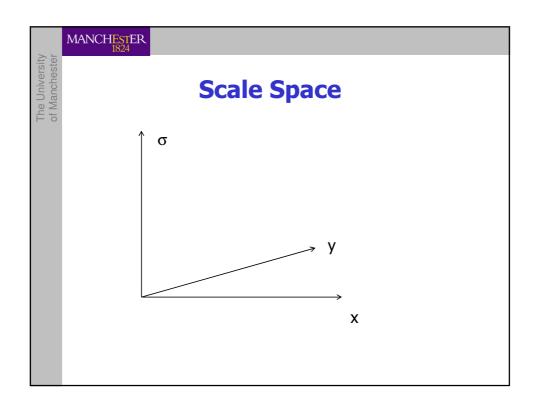
- Models HVS
- Can locate edge to subpixel accuracy
- Convolve image with Laplacian of Gaussian (LoG)
  - Template?
- Edge location at crossing of zero axis

# MANCHESTER REXAMPLE Results Example Results





# Parameter Choices • Width of Gaussian controlled by σ • Large σ - More smoothing before edge detection - Small scale edges are blurred out • What is a good value for σ?





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### **Template matching**

- Technique to measure similarities hence find things
- Define a template
  - a model of the object to be recognised
- Define a measure of similarity
  - between template and similar sized image region

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### **Aside:**

## How to measure similarity and why use convolution

Measure <u>dis</u>similarity between image f[i,j] and template g[i,j]

Place template on image and compare corresponding intensities

Need a measure of dissimilarity

$$\max_{[i,j]\in R} |f-g| \qquad \sum_{[i,j]\in R} |f-g| \qquad \sum_{[i,j]\in R} (f-g)^2$$

Last is best....

...easiest to manipulate

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Expanding

$$\sum_{[i,j]\in R} (f-g)^2 = \sum_{[i,j]\in R} f^2 + \sum_{[i,j]\in R} g^2 - 2 \sum_{[i,j]\in R} fg$$

If f and g fixed (is this reasonable?)

- $\Sigma \mathit{fg}$  a good measure of mismatch

 $\Sigma$  fg a good measure of match

Compute match between template and image with cross-correlation

$$M[i,j] = \sum_{k=-m}^{k=m} \sum_{l=-n}^{l=n} g[k,l] f[i+k,j+l]$$

Compare this to expression for convolution

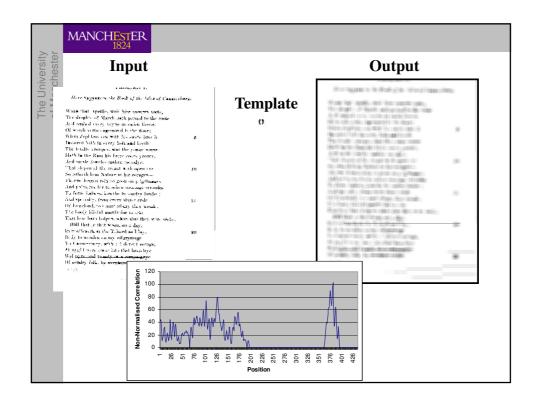
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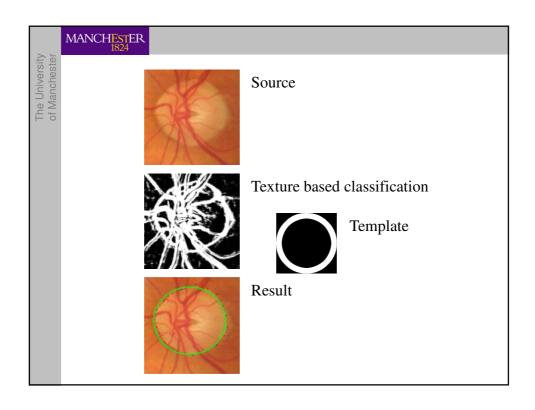
g is constant, f varies and so influences M Normalisation

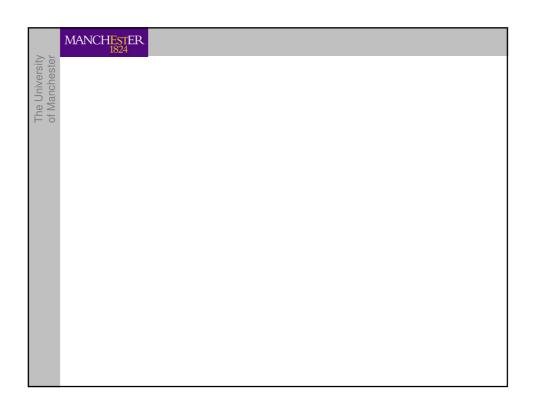
$$C[i,j] = \frac{\sum_{k=-m}^{k=m} \sum_{l=-n}^{l=n} g[k,l] f[i+k,j+l]}{\sqrt{\left(\sum_{k=-m}^{k=m} \sum_{l=-n}^{l=n} f^{2}[i+k,j+l]\right)}}$$

 ${\cal C}$  is maximum where f and g are same. Limitations

- number of templates required
- rotation and size changes
- partial views







# Summary • Sections 3.3, 2.4, 5.5, 7.2

