

PS 6

a) yes, we can look at the effect of gender on the likelihood of being admitted to college.

ie
$$\Pr(y=1) = \alpha_{1i} + \beta_{1i}h_i + \epsilon_i$$

b) independence btw. treatment & potential outcomes

ie

$$E(y_{1i}|D_i) = E(y_{1i}|D_i=0) = E(y_{1i}|D_i=1)$$

$$\Rightarrow E[y_{1i}|D_i=1] - E[y_{1i}|D_i=0] = \underbrace{E[y_{1i}|D_i=1] - E[y_{0i}|D_i=1]}_{ATT} + \underbrace{E[y_{0i}|D_i=1] - E[y_{0i}|D_i=0]}_{\text{selection}}$$

background if they were not female
male

$$ATE = E(y_{1i}) - E(y_{0i}) = p_T \cdot ATT + (1-p_T) \cdot ATU$$

selection

the under unconditional independence \rightarrow calculated from the excel file attached
 we just have $E(\text{admission}/\text{mean}) - E(\text{admission}/\text{woman}) = \underline{\underline{14\%}}$

c) Even though ^{gender} assignment is exogenous (assuming no-gender specific abortions & that the characteristics of the parents who decided to take this path would influence admissions status), there is supposedly some selection into different study areas based on gender, so we can't talk about full independence

average within groups
↑ & take average of these averages
d) conditional randomisation ATE

ATE: -4.26%

ATT: -7.10%

e) Generally they are not the same because there are diff. numbers of people in each department/field of study, i.e., the weights we are using are different.

f) see do file. coefficient of -0.018 .

↳

g) OLS & matching not the same

- different weights are used

→ OLS is a linear matching estimator & is parametric, matching is non-parametric

→ OLS uses the full set of observations, matching only uses the matched observations

6.21

For B_2 to be consistent we need:

$$\text{cov}(\text{educ}, u_i | X_i) = 0$$

→ it's likely that ^{some} unobservables influencing education & health are the same → i.e.

$$X_i' \beta \rightarrow B + \frac{\text{cov}(\text{educ}, u_i)}{\text{var}(\text{educ})} \neq 0$$

b) Yes, if we can find a valid instrument (exogenous & relevant), then the problem in a can be solved.

This means we will only be using the variation coming from the instrument in order to estimate causal effects.

c) Assumptions

i.e. no spillover

① SUTVA: potential outcomes only depend on own instrument!
 $\text{educ}(\text{instrument}) = \text{educ}(\text{instrument}_i)$ $\text{health}(\text{educ}, \text{instrument}) = \text{health}(\text{educ}, \text{instrument}_i)$
 $h(M) = h(M_i)$ $h(M, Z) = h(M_i, Z_i)$

② independence $\{h_i(M_{0i}, 1), h_i(M_{0i}, 0), M_{1i}, M_{0i}\} \perp\!\!\!\perp Z_i$

(structural: exogeneity i.e. $\text{cov}(u, Z) = 0$)

→ potential outcomes are independent of education

③ exclusion $h_i(M, 0) = h_i(M, 1)$ -
 structural $\text{cov}(u, Z) = 0$

④ First stage $E(M_{1i} - M_{0i}) \neq 0$
 structural $\text{cov}(Z, M) \neq 0$

⑤ monotonicity $M_{1i} - M_{0i} \geq 0 \quad \forall i \rightarrow$ effects of education on health always go into the same direction for anyone

d)

compliers: $Z=1 \Rightarrow D=1$ & $Z=0 \Rightarrow D=0$
 always comply with the assigned treatment
 being born in the last quarter of the year & graduating
 high school
 being born in 1st quarter of the year & not
 graduating high school

always follow: graduating high school regardless of quarter
 of birth
 never follow: not graduating from high school regardless
 of when you were born

defiers: - graduating HS when you're born in Q1
 - not graduating HS when born in Q4

I Assume there are no defiers

e) BJB & BJ's claims.

1) quarter of birth is not a valid instrument
 because:

a) it is not exogenous, $Cov(Z, \epsilon) \neq 0$
 b) there are unobservable determinants both of quarter of birth &
 well as of whether you complete high school

↳ you would expect correlation only for Q of birth and
 education only if people w. high school diploma & less, but
 you can see these relationships also for above high school
 level

→ exclusion problem doesn't hold, i.e. education is not the only channel through which IQ of birth influences IQ of Bob's sons. IQ of birth can be omitted in a bunch of other factors that influence outcome earnings directly (parents income, physical & mental health etc)

→ weak inferences:

association btw. IQ of birth & education outcomes: weak, i.e. even a small direct association can yield a large bias

→ failure of exogeneity

$$\beta'' = \beta + \frac{\text{cov}(F, U)}{\text{cov}(F, Z)}$$

where F is IQ of birth

and U is error term

f) Theoretically yes.

But the geographical variation of IQ is low

→ it would be hard to be precise

states where there is a lot of people with low education

shouldn't be too likely to have these laws in place for example.

↓ all the other assumptions from (c) would also need to be satisfied

g) people who are more educated learn about what makes a person healthy at school & at the job more likely to do these things which in turn make them more healthy

Kn

see code
 IV operators are much larger, almost 3x as big as OLS ~~est~~ ^{est} objects

years of completed educ_i = quarter at birth \times SMA_i + married_i + region_i - 8' + β_1 + β_2 years
 $\Delta_i +$
 $Health_i = A_i + Educ_i + SMA_i + married_i + region_i + \beta_1 + \beta_2$
 (birth year) + income + income

V. I use "first stage" command.
 My first stage is never weak in all cases.

This is a huge issue because even for small variations of exclusion restriction (which are possible), I'd get just bias.

So, if there I'd expect my 2SLS estimate to be lower because ^{in all data from 1980} education is picking up some of the omitted variable.

m: 2SLS coefficient would be higher due to heteroscedastic treatment effect

→ This instrument captures return for completing as long as the assumption of the LATE theorem hold

Given this, it's possible that returns to education to health are larger with 2SLS.

(M): No, I don't think our instruments are valid here. Leading is a preferred model