# svisits: finding HIV transmission and serosorting pairs using shared clinic visit dates

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This package helps to find some stable HIV-infected partnerships in cohort studies based on the assumption that some patients frequently attend the clinical visits together. These pairs are useful for biological and epidemiological research.

Package installation:

```
library(svisits)
set.seed(14051948)
```

The following paragraphs explain step-by-step how the **svisits** package can be used to find stable HIV-infected partnerships. All the steps can be also performed with one function call, which is demonstrated below.

First let us load the database with visit dates in a long format (each row represents a visit of a particular person) and transform it to the appropriate format. The following simulated dataset contains 20 transmission pseudo pairs. The data were simulated based on the visits distribution in the SHCS.

Deconstruct the dates into 3 months periods:

Get unadjusted, observed shared visits. It can take some time.

```
unadjusted_observed_pairs <- get_observed_pairs(db_dates)
head(unadjusted_observed_pairs)</pre>
```

```
## allPairs
## 1000_1163 1000_1168 1000_1258 1000_1310 1000_1347 1000_1388
## 1 1 1 1 1 1 1 1 1
```

Descriptive statistics of shared visits for pairs that shared at least a single visit:

#### summary(as.numeric(unadjusted\_observed\_pairs)) ## Min. 1st Qu. Median Mean 3rd Qu. Max. ## 1.000 1.000 1.000 1.321 1.000 24.000 Prepare the ids: ids\_table <- table(db\_dates\$subject)</pre> ids <- data.table(ids = as.character(names(ids\_table)),</pre> N\_visits = as.character(as.numeric(ids\_table))) setkey(ids, "ids")

Chances that two unrelated cohort members share a visit are increasing with the overall number of visits of each member of the pair. To account for this we have to adjust the number of shared visits S within each pair. This will return the adjusted number of shared visits S' for the observed, unshuffled data

$$S' = S - \frac{\log\left[\binom{\min(T_a, T_b)}{S}\right]}{\log[75]},$$

where  $T_a$  and  $T_b$  denote the number of visits of each member of the pair. The adjusted number of visits is under the column "Corrected":

```
allPairs Freq id_1 id_2 N_visits.x N_visits.y Corrected
## 1
                           10
         1_10
                  1
                       1
                                       46
                                                   68 0.1132248
## 2
         4_10
                  1
                       4
                           10
                                       39
                                                   68 0.1514599
## 3
         8 10
                       8
                                       10
                                                   68 0.4666841
## 4
         9_10
                       9
                                       12
                                                   68 0.4244555
                           10
## 5 161 1000
                    161 1000
                                       17
                                                   11 0.4446087
## 6 176 1000
                  1 176 1000
                                       11
                                                   11 0.4446087
```

#### Threshold for the number of shared visits

#### Shuffling

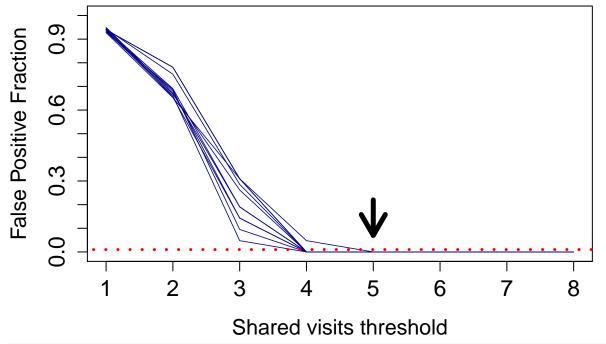
Due to the multiple comparisons problem and strongly simplifying assumptions about the uniform distribution of visits, the corrected number of shared visits is not an optimal test statistic. Instead, the visits are first shuffled within each quarter (such that the original distribution of the number of visits per individual is preserved) and the number of randomly collided shared visits per pair is counted and penalized using "adjust\_visits". In other words, the observed visit dates from a given quarter are randomly re-assigned between the patients that attended the clinic during this quarter.

Define the number of desired shuffling simulations (ideally > 100, but it will take some time) and run. It will take some time to finish.

```
# inspect the false-positive thresholds
head(Shuffling_simulation_output)
## [[1]]
## [8] 0.0000000
##
## [[2]]
## [8] 0.0000000
## [[3]]
## [8] 0.0000000
## [[4]]
## [8] 0.0000000
## [[5]]
## [8] 0.0000000
##
## [[6]]
## [1] 0.92758920 0.65263158 0.30952381 0.04761905 0.00000000 0.00000000
## [7] 0.00000000 0.00000000
Extract the False-Positive thresholds:
# Thresholds
for_thresholds <- do.call("rbind", Shuffling_simulation_output)</pre>
# Take max FP value for each position from all the simulations.
# One can also take mean or median insted of maximum
for_thresholds_max <- apply(X = for_thresholds,</pre>
                      MARGIN = 2,
                      max, na.rm = TRUE)
# find lowest threshold below alpha=0.01
Thresholds_lowest <- match(for_thresholds_max[for_thresholds_max<0.01][1],
                     for_thresholds_max)
Plot the simulations and the False-Positive threshold (indicated by an arrow):
max_threshold <- length(Shuffling_simulation_output[[1]])</pre>
plot(x=1:max_threshold,
    y=unlist(Shuffling simulation output[[1]]),
    xlab="Shared visits threshold", ylab="False Positive Fraction",
    type="1", col="darkblue", yaxp=c(0.0,1,10), lwd=0.8, main="",
    xaxp=c(1,12,11), cex.lab=1.3, cex.axis=1.4, cex.main=1.3, ylim=c(0,1))
arrows(x0 = Thresholds_lowest, x1=Thresholds_lowest,
     y0=0.22, y1=0.07, cex=3, lwd=5)
invisible(lapply(X=1:n_shuffl,
             function(X) {
```

lines(x=1:max\_threshold, y=unlist(Shuffling\_simulation\_output[[X]]),

```
col="darkblue", lwd=0.8 )
}))
lines(c(-100,100), 0.01*c(1,1), lty=3, col="red", lwd=3)
```



Thresholds\_lowest

```
## [1] 5
```

```
# This is the cutoff for the number of adjusted visits
```

Extract the pairs above the threshold:

```
select_shuffled <- adjusted_observed[which(adjusted_observed$Corrected>Thresholds_lowest),]
# We found the 20 pairs
length(select_shuffled[,1])
```

## [1] 20

### Alternative (and much faster approach): Bonferroni correction

Predict the probabilities and than adjust for multiple testing using Bonferroni:

```
## [1] 21
```

## Summary: one-step-approach

```
The above pairs can be alternatively found with one function call:
library(svisits)
data("simulated data")
set.seed(14051948)
# with shuffling and Bonferroni for alpha=0.01
pairs <- find_pairs(simulated_data,</pre>
                    ids_column = "subject",
                    dates column = "sim dates",
                    shuffling = TRUE,
                    n_shuffl = 10)
head(pairs$Shuffled_pairs)
##
           allPairs Freq id_1 id_2 N_visits.x N_visits.y Corrected
## 62746
           328_1453
                      22 328 1453
                                            38
                                                       44 16.48171
## 65536 1173_1468
                      24 1173 1468
                                            70
                                                       77 14.10959
## 85836
           482 1587
                      21 482 1587
                                            77
                                                       66 11.96045
                                                       37 11.55935
## 101885 1504_1696
                      17 1504 1696
                                            44
## 141792
            72 1898
                      16
                          72 1898
                                            33
                                                       39 11.16443
                      18 793 1900
## 142396 793_1900
                                            44
                                                       37 12.53495
# show similarity
identical(select_shuffled, pairs$Shuffled_pairs)
## [1] TRUE
# with only Bonferroni for alpha=0.001
pairs_Bonferroni <- find_pairs(simulated_data,</pre>
                    ids_column = "subject",
                    dates_column = "sim_dates",
                    alpha = 0.001,
                    shuffling = FALSE)
head(pairs_Bonferroni$Bonferroni_pairs)
           allPairs Freq id_1 id_2 N_visits.x N_visits.y Prob_for_Bonferr
           328 1453
## 62746
                      22 328 1453
                                            38
                                                       44
                                                              1.005805e-31
## 65536 1173 1468
                      24 1173 1468
                                            70
                                                       77
                                                              1.885820e-27
## 85836
           482 1587
                      21 482 1587
                                            77
                                                       66
                                                              2.046927e-23
## 101885 1504_1696
                      17 1504 1696
                                            44
                                                       37
                                                              1.617750e-22
## 141792
            72_1898
                          72 1898
                                            33
                                                       39
                                                              9.266487e-22
                      16
## 142396
                      18 793 1900
                                            44
                                                       37
                                                              2.429054e-24
           793_1900
##
              ΒP
                      ltp
## 62746
           62746 30.99749
## 65536
           65536 26.72450
## 85836
           85836 22.68890
## 101885 101885 21.79109
```

```
## 141792 141792 21.03308
## 142396 142396 23.61456

# show similarity
identical(Bonferroni_m_output, pairs_Bonferroni_Bonferroni_pairs)
```

## [1] TRUE