

Exercicio 11

b)
$$p_{N_1}(n_1) = \binom{N}{n_1} p^{n_1} (1-p)^{N-n_1}$$
 Distribuição Binomial

$p = 1/2$ = cada partícula tem probabilidade de $1/2$ de se encontrar numa dada caixa

$$p_{N_1}(n_1) = \frac{N!}{(N-n_1)! n_1!} \left(\frac{1}{2}\right)^N$$

Exercicio 16

a) AAAAAABBBBBBCCCCDDDEEF

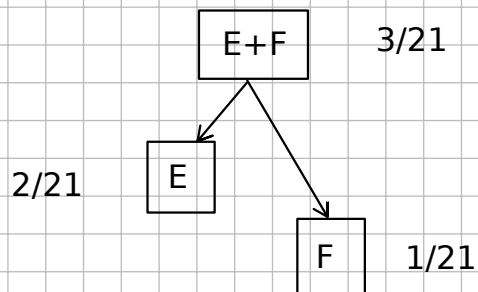
$N(A)=6$; $N(B)=5$; $N(C)=4$; $N(D)=3$; $N(E)=2$; $N(F)=1$

$N_{\text{caracteres}}=21$;

$p(A)=6/21$; $p(B)=5/21$; $p(C)=4/21$; $p(D)=3/21$; $p(E)=2/21$; $p(F)=1/21$

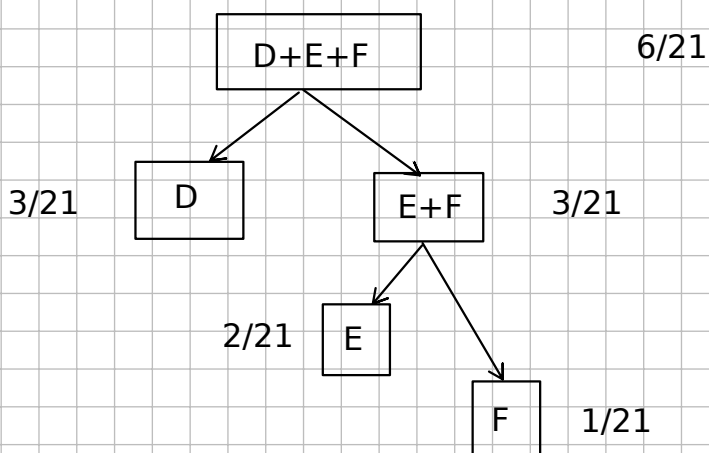
Alfabeto = $X = \{A, B, C, D, E, F\}$

1º passo



Alfabeto = $X = \{A, B, C, D, E+F\}$

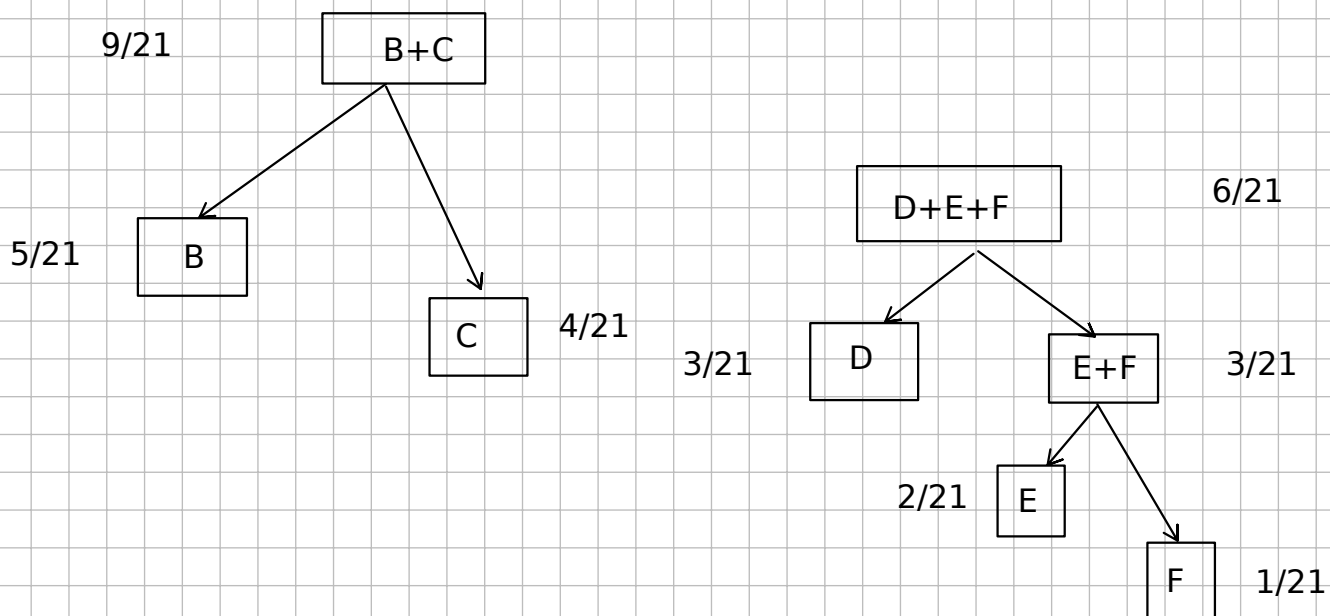
2º passo



Alfabeto = $X = \{A, B, C, D+E+F\}$

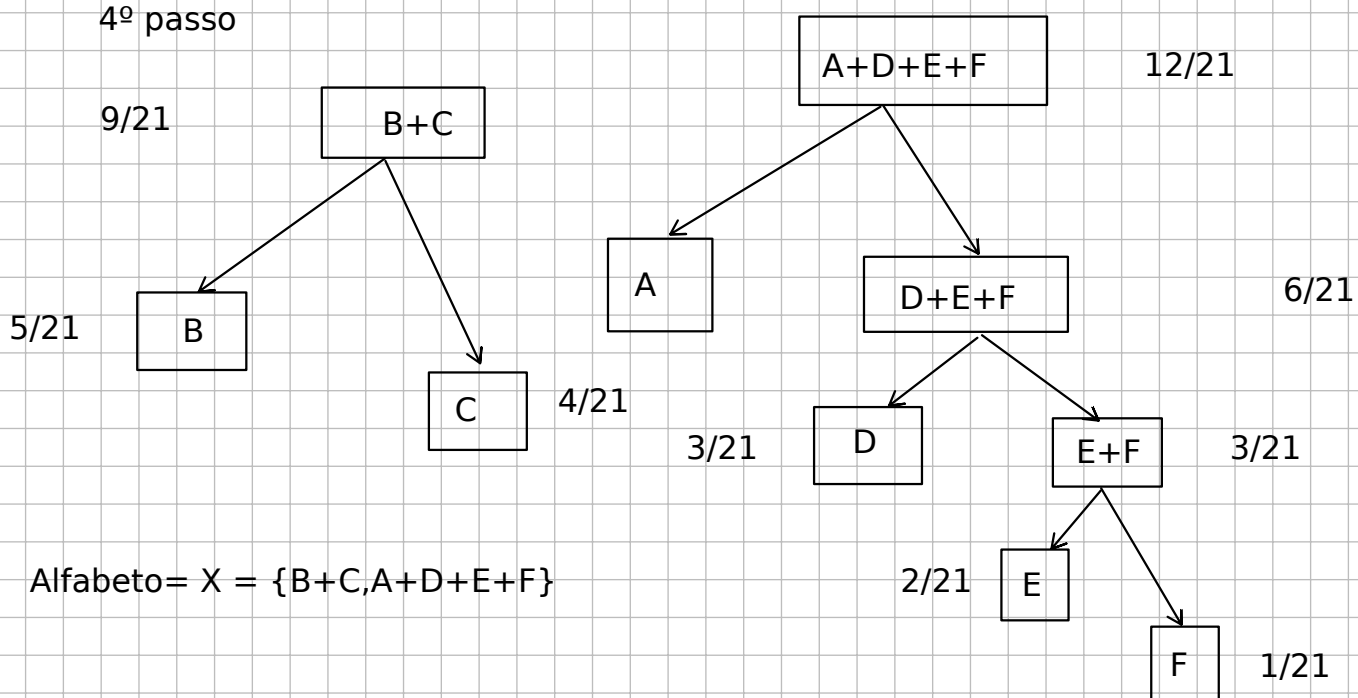
3º passo

Alfabeto= $X = \{A, B+C, D+E+F\}$

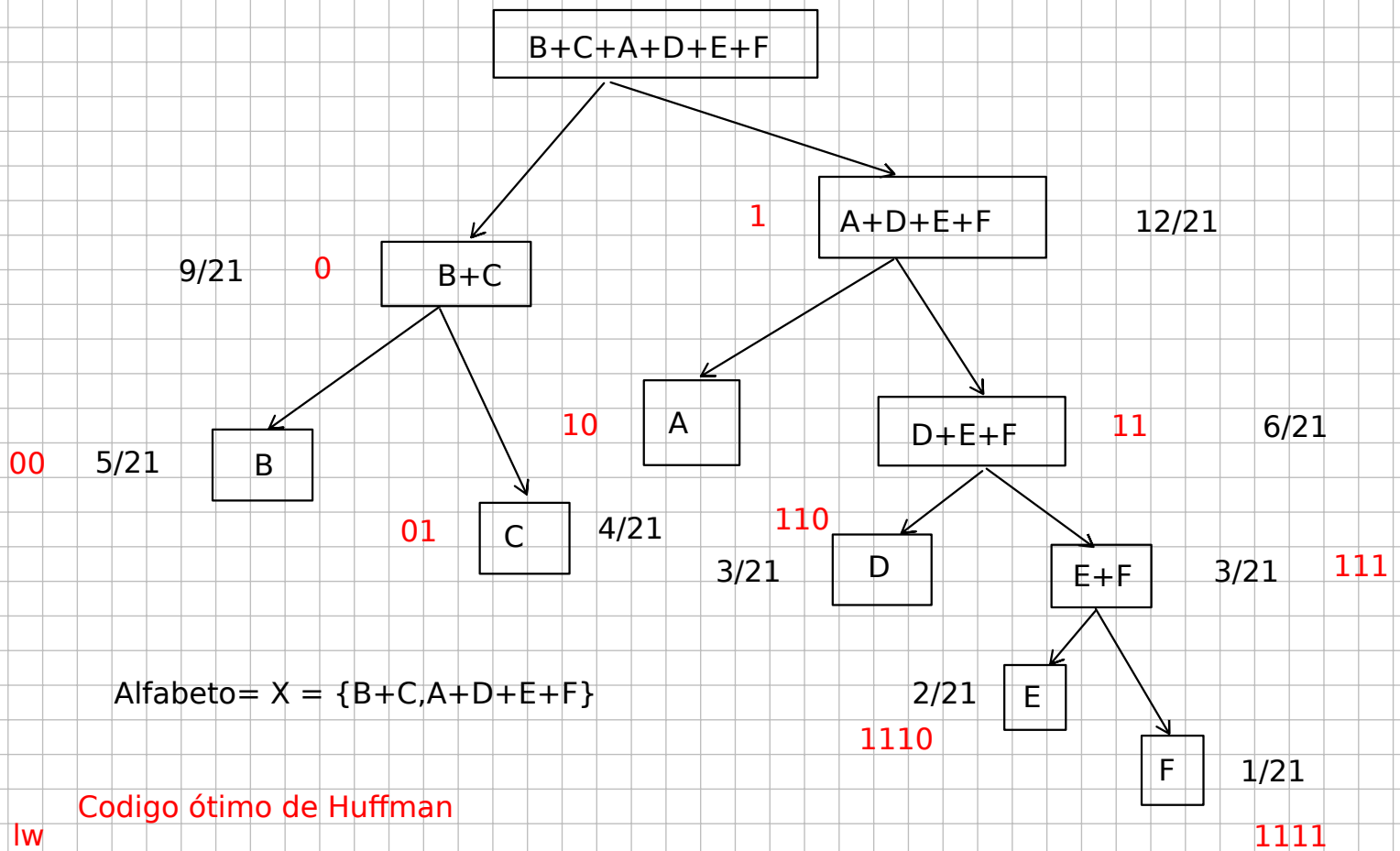


4º passo

Alfabeto= $X = \{B+C, A+D+E+F\}$



5º passo



Código ótimo de Huffman

lw

2	A = 10	texto comprimido
2	B = 00	1010101010100000000000010101011101101101110110111
2	C = 01	$S = -6/21 \cdot \log(6/21) - 5/21 \cdot \log(5/21) - 4/21 \cdot \log(4/21) - 3/21 \cdot \log(3/21) - 2/21 \cdot \log(2/21) - 1/21 \cdot \log(1/21) = 2.4 \text{ bits}$
3	D = 110	
4	E = 1110	$Lotimo = 2 \cdot 6/21 + 2 \cdot 5/21 + 2 \cdot 4/21 + 3 \cdot 3/21 + 4 \cdot 2/21 + 5 \cdot 1/21 = 2,43 \text{ bits}$
5	F = 1111	$S \leq Lotimo \leq S+1$ Teorema da compressão ótima