

Hash Tables

- most practical data structure for implementing a map
- intuitively, a map M supports abstraction of using keys as indices with a syntax such as $M[k]$
- ideally: keys would be well distributed from 0 to $N-1$ by a hash function
 - in practice, there could be a few distinct keys mapped to same index
 - we conceptualize a bucket array, where each index (bucket) may manage a collection of items sent to a specific hash by a hash function

Hash Functions

- goal of a hash function is to map each key k to an integer in range $[0, N-1]$, N being the capacity of the bucket array for a hash table
- we store the item $(key, value)$ in bucket $A[h(key)]$
- If 2 or more keys in bucket w/ same hash value: a collision has occurred
- common to view evaluation of hash function, $h(k)$, consisting of 2 portions:
 - 1.) hash code that maps key to an integer
 - 2.) compression function that maps hash code to integer within $[0, N-1]$

Collision Handling

- existence of collisions prevent us from simply inserting new item (k, v) directly into bucket $A[h(k)]$
- Separate Chaining:
 - simple way of having each bucket $A[j]$ store its own container holding items (k, v) such that $h(k) = j$
 - natural choice for secondary container is small map instance implemented using a list
- Open Addressing: if space is at a premium, rather than using auxiliary data structure
 - we can use approach of always storing item directly in a table slot
- Linear Probing:
 - If we try to insert item (k, v) into a bucket $A[j]$ that is already occupied, then next we try $A[(j+2) \bmod N]$ and so on until we find empty bucket
 - this strategy requires changing implementation for searching for an existing key