Lab Three

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1 Crafting a Compiler

1.1 Exercise 4.7

A grammar for infix expressions follows:

(a) Show the leftmost derivation of the following string. num plus num times num plus num \$

```
<Start> <E> \$ \\ <T> plus <E> \$ \\ <F> plus <E> \$ \\ num plus <E> \$ \\ num plus <E> \$ \\ num plus <T> plus <E> \$ \\ num plus <T> plus <E> \$ \\ num plus <T> times <F> plus <E> \$ \\ num plus <F> times <F> plus <E> \$ \\ num plus num times <F> plus <E> \$ \\ num plus num times num plus <E> \$ \\ num plus num times num plus <E> \$ \\ num plus num times num plus <F> \$ \\ num plus num times num plus <F> \$ \\ num plus num times num plus <F> \$ \\ num plus num times num plus num $
```

(b) Show the rightmost derivation of the following string. num times num plus num times num \$

```
 \begin{array}{l} <\mathsf{Start}>\\ <\mathsf{E}> \$\\ <\mathsf{T}> \;\mathsf{plus} <\mathsf{E}> \$\\ <\mathsf{T}> \;\mathsf{plus} <\mathsf{T}> \$\\ <\mathsf{T}> \;\mathsf{plus} <\mathsf{T}> \;\mathsf{times} <\mathsf{F}> \$\\ <\mathsf{T}> \;\mathsf{plus} <\mathsf{T}> \;\mathsf{times} \;\mathsf{num} \;\$\\ <\mathsf{T}> \;\mathsf{plus} <\mathsf{F}> \;\mathsf{times} \;\mathsf{num} \;\$\\ <\mathsf{T}> \;\mathsf{plus} <\mathsf{F}> \;\mathsf{times} \;\mathsf{num} \;\$\\ <\mathsf{T}> \;\mathsf{plus} \;\mathsf{num} \;\mathsf{times} \;\mathsf{num} \;\$\\ <\mathsf{T}> \;\mathsf{times} <\mathsf{F}> \;\mathsf{plus} \;\mathsf{num} \;\mathsf{times} \;\mathsf{num} \;\$\\ <\mathsf{T}> \;\mathsf{times} \;\mathsf{num} \;\mathsf{plus} \;\mathsf{num} \;\mathsf{times} \;\mathsf{num} \;\$\\ <\mathsf{F}> \;\mathsf{times} \;\mathsf{num} \;\mathsf{plus} \;\mathsf{num} \;\mathsf{times} \;\mathsf{num} \;\$\\ \mathsf{num} \;\mathsf{times} \;\mathsf{num} \;\mathsf{plus} \;\mathsf{num} \;\mathsf{times} \;\mathsf{num} \;\$\\ \end{aligned}
```

(c) Describe how this grammar structures expressions, in terms of the precedence and left- or right- associativity of operators.

This grammar structures expressions with nonterminals on the left hand side and terminals on the right hand side. It uses a right associativity of its operators for $\langle E \rangle$ as $\langle E \rangle$ has the potential for the most expansion in the expression $\langle T \rangle$ plus $\langle E \rangle$, but the grammar uses left associativity for $\langle T \rangle$ as $\langle T \rangle$ is the most expansive in the expression $\langle T \rangle$ times $\langle F \rangle$.

1.2 Exercise 5.2

Consider the following grammar, which is already suitable for LL(1) parsing:

(c) Construct a recursive-descent parser based on the grammar.

```
parseStart(){
  parseValue()
  match($)
}

parseValue(){
  if(currentToken is num){match(num)}
  else{
  match(()
  parseExpr()
  match ())
}
}
```

```
parseExpr(){
if(currentToken is plus){
\mathrm{match}(\mathrm{plus})
parseValue()
parseValue()
else{}
match(prod)
parseValues()
parseValues(){}
if
(currentToken is number or ( )
{
parseValue()
parseValues()
else {
/* epsilon production */
\mathrm{match}(\mathrm{expectedToken})\{
retVal = false
if(currentToken in expectedToken){
\mathrm{retVal}=\mathrm{true}
}
{\rm return}\ {\rm retVal}
}
```

2 THE DRAGON BOOK

2.1 Exercise 4.2.1

Consider the context-free grammar:

$$S \rightarrow S S + |S S *| a$$
 and the string $aa + a*$.

a) Give a leftmost derivation for the string.

$$~~~~~~* ~~~~+ ~~* a ~~+ ~~* aa + ~~* aa + a*~~~~~~~~~~~~~~~~~~$$

b) Give a rightmost derivation for the string.

$$\begin{array}{l} <\!\!S\!\!> \\ <\!\!S\!\!> <\!\!S\!\!>^* \\ <\!\!S\!\!> \!\!a^* \\ <\!\!S\!\!> <\!\!S\!\!> + a^* \\ <\!\!S\!\!> \!\!a + a^* \end{array}$$

c) Give a parse tree for the string.

