

Alex Stewart

CS350 HW10

**Enhanced Data Models and Advanced Applications (DUE Week 11 - Friday night  
at midnight)**

**26.44**

**Consider the following rules:**

Rule 1: REACHABLE (X, Y) = - FLIGHT (X, Y)

Rule 2: REACHABLE (X, Y) = - FLIGHT (X, Z) and REACHABLE (Z, Y)

REACHABLE (X,Y) = city Y can be reached from city X

FLIGHT (X,Y): = a flight is present from city Y to city X

**A.**

**Construct fact predicates that describe the following:**

1. Los Angeles, New York, Chicago, Atlanta, Frankfurt, Paris, Singapore, Sydney  
are the cities.
2. The following existing flights = LA to NY, NY to Atlanta, Atlanta to Frankfurt,  
Frankfurt to Atlanta, Frankfurt to Singapore, and Singapore to Sydney.

REACHABLE(NY,ATL) = - FLIGHT(NY,ATL)

REACHABLE(LA,NY) = - FLIGHT(LA,NY)

REACHABLE(FF,ATL) = - FLIGHT(FF,ATL)

REACHABLE(ATL,FF) = - FLIGHT(ATL,FF)

REACHABLE(FF,SI) = - FLIGHT(FF,SI)

$\text{REACHABLE}(\text{SI}, \text{SY}) = \neg \text{FLIGHT}(\text{SI}, \text{SY})$

**B.**

**Is the given data cyclic? If so, in what sense?**

According to the second rule all locations can reach on another, however you can't assume flight goes in reverse. Atlanta and Frankfurt form a binary cycle, which means the data cannot be considered as cyclic.

**C.**

**Construct a model-theoretic interpretation (that is, an interpretation similar to the one shown in Figure 26.13) of the above facts and rules.**

Rules:

$\text{REACHABLE}(X, Y) = \neg \text{FLIGHT}(X, Y)$

$\text{REACHABLE}(X, Y) = \neg \text{FLIGHT}(X, Z), \text{REACHABLE}(Z, Y)$

Known Facts:

$\text{REACHABLE}(\text{LA}, \text{NY}) = \text{true}$

$\text{REACHABLE}(\text{NY}, \text{ATL}) = \text{true}$

$\text{REACHABLE}(\text{ATL}, \text{FF}) = \text{true}$

$\text{REACHABLE}(\text{FF}, \text{ATL}) = \text{true}$

$\text{REACHABLE}(\text{FF}, \text{SI}) = \text{true}$

$\text{REACHABLE}(\text{SI}, \text{SY}) = \text{true}$

Derived Facts:

REACHABLE(LA,SI) = true

REACHABLE(LA,SY) = true

REACHABLE(NY,FF) = true

REACHABLE(NY,SI) = true

REACHABLE(NY,SY) = true

REACHABLE(ATL,SI) = true

REACHABLE(ATL,SY) = true

REACHABLE(LA,ATL) = true

REACHABLE(LA,FF) = true

**D.**

**Consider the query REACHABLE(Atlanta, Sydney)?**

**How will this query be executed? List the series of steps it will go through.**

Step 1 REACHABLE(X, Y) = - FLIGHT(X, Y) - Rule 1

Step 2 REACHABLE(X, Y) = - FLIGHT(X, Z), REACHABLE(Z, Y) - Rule 2

Step 3 REACHABLE(ATL,FF) - Given

Step 4 REACHABLE(FF,SI) - Given

Step 5 REACHABLE(SI,SY) - Given

Step 6 REACHABLE(ATL,SI) - rules 2, 3 and 4

Step 7 REACHABLE(ATL,SY) -rules 2, 5 and 6

**E.**

**Consider the following rule-defined predicates:**

ROUND-TRIP-REACHABLE(X, Y) = -REACHABLE(X, Y), REACHABLE(Y, X),

DURATION(X, Y, Z)

**Draw a predicate dependency graph for the above predicates. (Note:**

**DURATION(X, Y, Z) means that you can take a flight from X to Y in Z hours.)**

**Diagram On Last Page**

**F.**

**Consider the following query: What cities are reachable in 12 hours from Atlanta? Show how to express it in Datalog. Assume built-in predicates like greater-than(X, Y). Can this be converted into a relational algebra statement in a straightforward way? Why or why not?**

answer(Y) = -DURATION("Atlanta",Y,12)

Yes, it is easily converted

**G.**

**Consider the predicate population(X, Y), where Y is the population of**

city X. Consider the following query: List all possible bindings of the predicate pair (X, Y), where Y is a city that can be reached in two flights from city X, which has over 1 million people. Show this query in Datalog. Draw a corresponding query tree in relational algebraic terms.

$\text{temp}(X) = \text{population}(X, Y), Y > 1000000.$

$\text{temp2}(Z) = \text{REACHABLE}(X, Y), \text{REACHABLE}(Y, Z).$

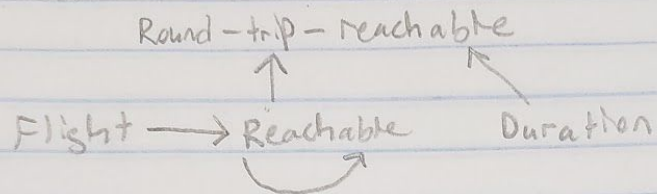
$\text{answer}(X, Y) = \text{REACHABLE}(X, Z), \text{temp}(X), \text{temp2}(Z)$

**Diagram On Last Page**

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HW 19

Part E.



Part G.

