

## Syntactic Transformation To Monadic Form

- **Expressions:**

----- exp -----

$$desugar_{\langle exp \rangle} :: Exp \rightarrow Exp$$

```
desugar<exp> exp = desugar<lexp> exp >=> \h -> return h
```

----- lexp -----

$$desugar_{\langle lex \rangle} :: Exp \rightarrow Exp$$

```
-----lexp: fexp -----
```

$$\text{desugar}_{\langle \text{lexp} \rangle} \text{ fexp} = \text{desugar}_{\langle \text{fexp} \rangle} \text{ fexp}$$

----- fexp -----

$$\text{desugar}_{\langle \text{fexp} \rangle} \text{ aexp} = \text{desugar}_{\langle \text{aexp} \rangle} \text{ aexp}$$
$$\text{desugar}_{\langle \text{fexp} \rangle} (\text{fexp literal}) = \text{desugar}_{\langle \text{lexp} \rangle} \text{fexp literal} \geq g_i \rightarrow g_i$$
$$\text{desugar}_{\langle \text{fexp} \rangle} (\text{fexp } \text{qvar}) = \text{desugar}_{\langle \text{lexp} \rangle} \text{fexp } \text{qvar} \gg= \backslash g_i \rightarrow g_i$$
$$\text{desugar}_{\langle \text{fexp} \rangle} (\text{fexp } g\text{con}) = \text{desugar}_{\langle \text{lexp} \rangle} \text{fexp } g\text{con} \geq g_i \rightarrow g_i$$
$$\text{desugar}_{\langle \text{fexp} \rangle} (\text{fexp } (\text{exp})) = \text{desugar}_{\langle \text{lexp} \rangle} \text{fexp exp} \gg= \backslash \text{ex}_i \rightarrow \text{ex}_i$$
$$\text{desugar}_{\langle \text{fexp} \rangle} (\text{fexp} (\text{exp}_1, \dots, \text{exp}_k)) = \text{desugar}_{\langle \text{lexp} \rangle} \text{fexp} (\text{exp}_1, \dots, \text{exp}_k) \gg= \\ \backslash \text{tuple} \rightarrow \text{tuple}$$
$$\text{desugar}_{\langle \text{fexp} \rangle} (\text{fexp} [\text{exp}_1, \dots, \text{exp}_k]) = \text{desugar}_{\langle \text{lexp} \rangle} \text{fexp} [\text{exp}_1, \dots, \text{exp}_k] \geq \backslash \text{list} \rightarrow \text{list}$$

----- aexp -----

```
desugar<aexp> literal = literal
```

$$\text{desugar}_{\langle \text{aexp} \rangle} \text{ qvar} = \text{qvar}$$
$$\text{desugar}_{\langle \text{aexp} \rangle} \text{ gcon} = \text{gcon}$$
$$\text{desugar}_{\langle \text{aexp} \rangle}(\text{exp}) = (\text{desugar}_{\langle \text{lexp} \rangle} \text{exp})$$
$$\text{desugar}_{\langle \text{aexp} \rangle} (\text{exp}_1, \dots, \text{exp}_k) = (\text{desugar}_{\langle \text{lexp} \rangle} \text{exp}_1, \dots, \text{desugar}_{\langle \text{lexp} \rangle} \text{exp}_k)$$
$$\text{desugar}_{\langle \text{aexp} \rangle} [\text{exp}_1, \dots, \text{exp}_k] = [\text{desugar}_{\langle \text{lexp} \rangle} \text{exp}_1, \dots, \text{desugar}_{\langle \text{lexp} \rangle} \text{exp}_k]$$

-----lexp: let decls in exp -----

$\text{desugar}_{\langle \text{lexp} \rangle} (\text{let decls in exp}) = \text{desugar}_{\langle \text{dclrs} \rangle} \text{decls exp}$

- **Declarations**

----- dclrs -----

$\text{desugar}_{\langle \text{dclrs} \rangle} :: \text{Dclrs} \rightarrow \text{Exp}$

$\text{desugar}_{\langle \text{dclrs} \rangle} (\text{dclr1}; \dots ; \text{dclrn}) = \text{desugar}_{\langle \text{dclr} \rangle} \text{dclr1} \dots \text{desugar}_{\langle \text{dclr} \rangle} \text{dclrn}$   
 $\quad \quad \quad | \quad (;) = \backslash\_ \rightarrow$

----- dclr -----

$\text{desugar}_{\langle \text{dclr} \rangle} (\text{funlhs} \mid \text{pat}) (= \text{exp}) = \text{exp} \gg= \backslash(\text{funlhs} \mid \text{pat}) \rightarrow$