Looking to clean your data? Learn how to Remove Unwanted Variation with R

Brisbane useR! Conference 2018

Docker

Everything in this talk available at:

https://hub.docker.com/r/johanngb/ruv (https://hub.docker.com/r/johanngb/ruv)

Command:

docker run -it --rm -p 8000:8000 -p 8888:8888 -p 3838:3838 -p 3840:3840 johanngb/ruv:useR2018

Github

Additional code, data and workbooks are available at:

https://github.com/johanngb/ruv-useR2018 (https://github.com/johanngb/ruv-useR2018)

Outline

- 1. Example Dataset
- 2. The RUV Framework
- 3. The ${\tt ruv}$ Package
- 4. Examples with Shiny

Example: Gender in the Brain

Vawter, et al. Neuropsychopharmacology (2004)

Goal: Discover genes differentially expressed in the brains of men and women

- 5 men, 5 women
- Tissue taken from:
 - 1. Anterior Cingulate Cortex
 - 2. Dorsolateral Prefrontal Cortex
 - 3. Cerebellum
- Samples sent to:
 - 1. UC Davis
 - 2. UC Irvine
 - 3. University of Michigan
- Samples assayed by microarray. 12,600 genes.

The Data

```
In [1]: load("gender.rda")
ls()
# Y.raw: Summarized by RMA, but otherwise not preprocessed
# Y.norm: Background corrected and quantile normalized
```

'Y.norm' 'Y.raw' 'geneinfo' 'sampleinfo'

In [2]: Y = Y.norm Y[1:5, 1:5]

	1000_at	1001_at	1002_f_at	1003_s_at	1004_at
01_a_D_f_2.CEL	9.823395	6.258064	5.119432	7.053562	7.358204
01_a_I_f_2.CEL	9.598368	6.382745	5.052340	7.530220	7.244545
01_a_M_f_1.CEL	9.270307	5.633953	4.765587	7.695161	7.466540
01_c_D_f_1.CEL	8.180496	5.162317	4.653400	7.142755	6.679110
01_c_l_f_2.CEL	9.352611	6.569988	4.958501	7.460245	6.935908

In [3]: head(sampleinfo)

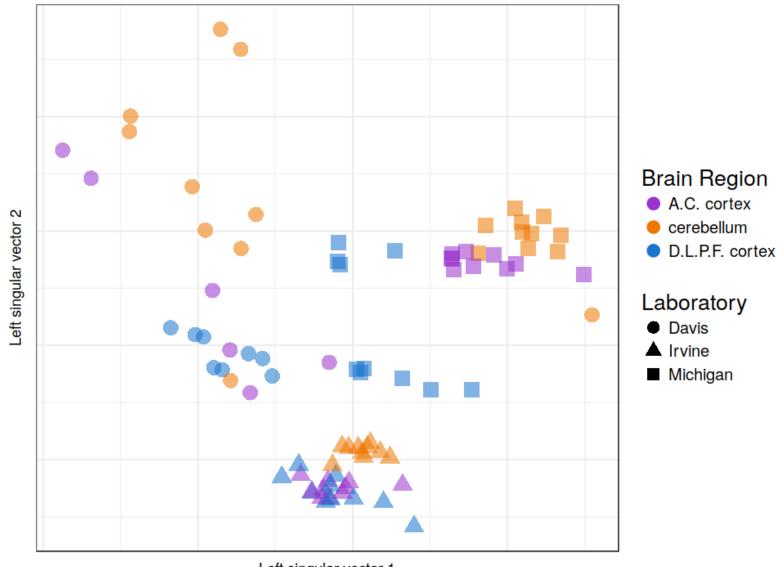
	patient	gender	region	lab	chip.version
01_a_D_f_2.CEL	patient_01	female	A.C. cortex	Davis	v2
01_a_I_f_2.CEL	patient_01	female	A.C. cortex	Irvine	v2
01_a_M_f_1.CEL	patient_01	female	A.C. cortex	Michigan	v1
01_c_D_f_1.CEL	patient_01	female	cerebellum	Davis	v1
01_c_l_f_2.CEL	patient_01	female	cerebellum	Irvine	v2
01_c_M_f_1.CEL	patient_01	female	cerebellum	Michigan	v1

In [4]: head(geneinfo)

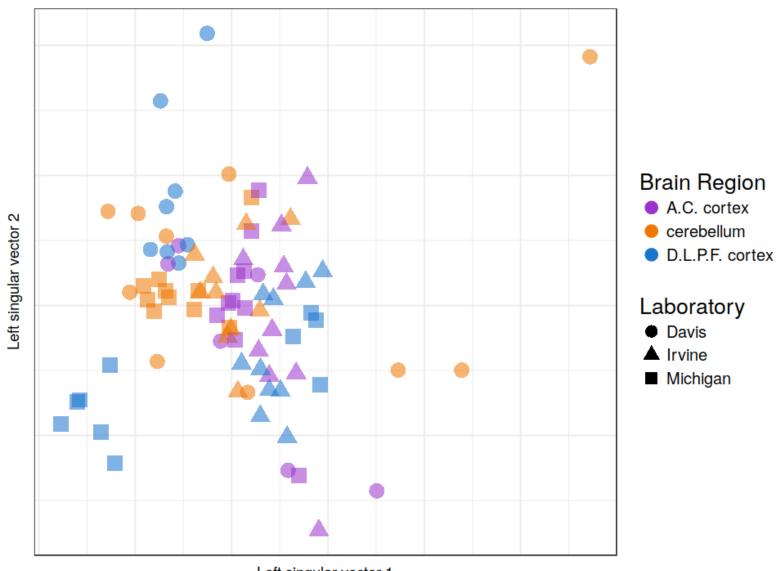
	genetype	sym	chrom	hkctl	spikectl	pctl
1000_at	other	MAPK3	16	FALSE	FALSE	FALSE
1001_at	other	TIE1	1	FALSE	FALSE	FALSE
1002_f_at	other	CYP2C19	10	FALSE	FALSE	FALSE
1003_s_at	other	CXCR5	11	FALSE	FALSE	FALSE
1004_at	other	CXCR5	11	FALSE	FALSE	FALSE
1005_at	other	DUSP1	5	FALSE	FALSE	FALSE

```
In [5]: | # Load the ruv package
        library(ruv)
        # Graphics
        library(ggplot2)
        library(gridExtra)
        gg additions = list(aes(color=sampleinfo$region,
                                 shape=sampleinfo$lab,
                                 size=5, alpha=.7),
                             labs(color="Brain Region",
                                  shape="Laboratory"),
                             scale size identity(guide="none"),
                             scale alpha(guide="none"),
                             theme(legend.text=element text(size=12),
                                   legend.title=element text(size=16)),
                             guides(color = guide legend(override.aes = list(size = 4)),
                                    shape = guide legend(override.aes = list(size = 4
        ))),
                             scale color manual(values=c("darkorchid3", "darkorange2",
         "dodgerblue3"))
        options(repr.plot.width=8, repr.plot.height=6)
```

In [6]: ruv_svdplot(Y) + gg_additions # Technical note: centers columns by default

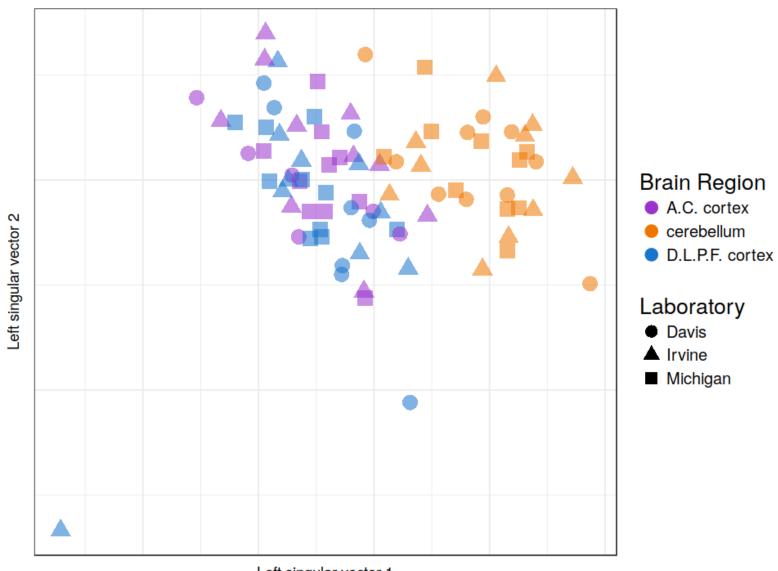


Left singular vector 1



Left singular vector 1

In [8]: ruv_svdplot(RUVIII(Y, replicate.matrix(sampleinfo[,c("patient", "region")]), ge neinfo\$spikectl, k=10)) + gg_additions



Left singular vector 1

The RUV Framework

Mini-Outline

- 1. Model
- 2. Negative Controls
- 3. Secondary Identifying Assumptions (Emphasis on **replicates**)

Model

$$Y_{m imes n} = X_{m imes p} eta_{p imes n} + W_{m imes k} lpha_{k imes n} + \epsilon_{m imes n}$$

Symbol	Meaning	Example
Y	Observed data	Microarray expression data
m	Number of Observations	84
n	Number of features (genes)	12600
X	Factor(s) of interest	gender, brain region
W	Unwanted factors	reagent quality
β, α	coefficients	
ϵ	random error	

Model due to Leek and Storey (2007) and Stegle, et al (2008)

Features (genes) that:

- Are unaffected by the factor of interest
- Are affected by the unwanted factors

Spike-in Controls

Not all 12,600 "probes" measure human RNA
 33 probes measure bacterial RNA



Bacterial RNA is spiked in at fixed, known quantities

• Used as a quality check



Suppose n_c of the n columns of Y are negative controls.

Let Y_c be the $m \times n_c$ submatrix of Y containing only the columns of the negative controls.

$$Y_c = X\beta_c + W\alpha_c + \epsilon_c$$

Suppose n_c of the n columns of Y are negative controls.

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 Equal to 0 by assumption!

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$$Y_c = W\alpha_c + \epsilon_c$$

Suppose n_c of the n columns of Y are negative controls.

Let Y_c be the $m \times n_c$ submatrix of Y containing only the columns of the negative controls.

Define β_c , α_c , and ϵ_c similarly.

$$Y_c = W\alpha_c + \epsilon_c$$

We can estimate W by factor analysis!

The Negative Control Assumption

The negative control assumption:

$$\beta_c = 0$$

Important:

- ullet We do **not** assume the negative controls are uncorrelated with X
- Negative controls cannot be "discovered" de novo

Note:

- Negative controls need not be perfect
- Often, "sparse" or even "zero on average" will do.

Secondary Identifying Assumptions

Negative controls can identify W.

How to identify α ?

"Secondary identifying assumptions":

- Have known factor of interest (X)
- ullet Assume $X \perp W$
- Have gene-wise covariates
- Have replicates

Suppose Y_1 and Y_2 are replicates. Then

$$Y_1 = X_1 \beta + W_1 \alpha + \epsilon_1$$

and

$$Y_2 = X_2 eta + W_2 lpha + \epsilon_2$$

where

$$X_1 = X_2$$

$$Y_2 - Y_1 = (X_2 - X_1)\beta + (W_2 - W_1)\alpha + \epsilon_2 - \epsilon_1$$

$$Y_2 - Y_1 = (X_2 - X_1)\beta + (W_2 - W_1)\alpha + \epsilon_2 - \epsilon_1$$

$$Y_2 - Y_1 = (X_2 \times X_1)\beta + (W_2 - W_1)\alpha + \epsilon_2 - \epsilon_1$$

$$= 0$$

$$Y_2-Y_1=(W_2-W_1)lpha+\epsilon_2-\epsilon_1$$

Then:

$$Y_2-Y_1=(W_2-W_1)lpha+\epsilon_2-\epsilon_1$$

Can be estimated with factor analysis!

Negative Controls vs Replicates

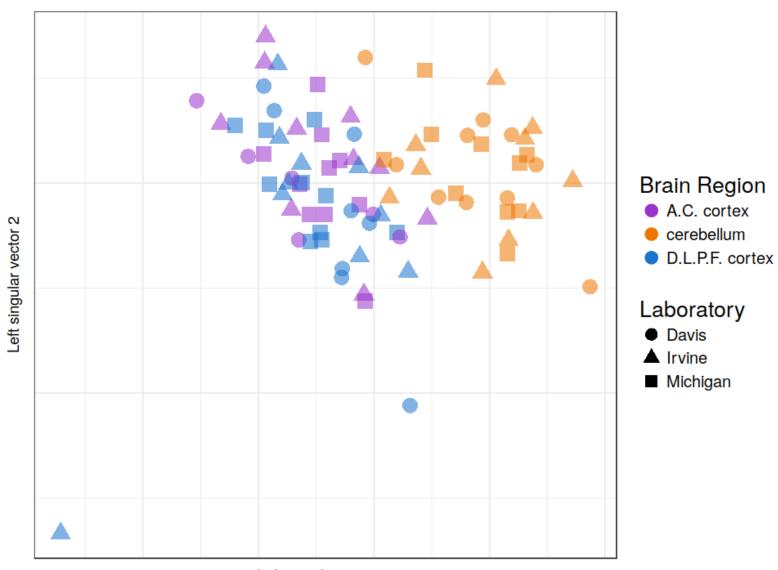
Compare:

Negative controls: Some genes where $\beta = 0$ Allows identification of W

Replicates:

Some array differences where X = 0Allows identification of α

In [9]: ruv_svdplot(RUVIII(Y, replicate.matrix(sampleinfo[,c("patient", "region")]), ge neinfo\$spikectl, k=10)) + gg_additions



Left singular vector 1

The RUV Packages

Our focus today:

"ruv" on CRAN

Other RUV packages:

"RUVnormalize" on Bioconductor

"RUVseq" on Bioconductor

Mini-Outline

- 1. Overview of Functions
- 2. Regression Methods
 - a. Description of Arguments
 - b. Comparison of Methods
 - c. Example Analysis
- 3. Global Adjustments
 - a. RUVI
 - b. RUVIII
 - c. Example analyses

And then on to the case studies...

Overview of Functions

RUV Methods

Global Adjustments	Regression Methods
RUVI	RUV2
RUVIII	RUV4
	RUVinv
	RUVrinv

Helper Functions

For RUVIII	For Regression Methods	Other	
replicate.matrix	ruv_summary	design.matrix	
collapse.replicates	ruv_residuals	residop	
	variance_adjust		

Plot Functions

General	For Regression Methods
ruv_cancorplot	ruv_hist
ruv_rle	ruv_ecdf
ruv_svdplot	ruv_rankplot
ruv_svdgridplot	ruv_projectionplot
ruv_scree	ruv_volcano
	ruv_varianceplot

Typically Not Used

getK	(Possibly useful for RUV4)
<pre>get_empirical_variances</pre>	
google_search	
inputcheck1	
invvar	
projectionplotvariables	
randinvvar	
sigmashrink	

Shiny App

ruv_shiny

Regression Methods

Regression Methods

Common syntax:

```
RUV2 (Y, X, ctl, k, Z = 1, eta = NULL ) 

RUV4 (Y, X, ctl, k, Z = 1, eta = NULL ) 

RUVinv (Y, X, ctl, Z = 1, eta = NULL ) 

RUVrinv (Y, X, ctl, Z = 1, eta = NULL ) ambda=NULL)
```

Regression Methods

Function Arguments:

Argument	Meaning	Example	Data Type	Notes
Υ	Expression data		Matrix	row = sample, column = gene
X	Factor of interest	gender	matrix, factor, vector, or data frame	
ctl	Neg. Controls	spike-ins	index (logical or integer vector)	
Z	array-wise covariates	batch	matrix, factor, vector, or data frame	1 for intercept
eta	gene-wise covariates	GC content	matrix, factor, vector, or data frame	1 for intercept
k	# of unwanted factors		integer	0 for no adjustment
lambda	ridge parameter		numeric	NULL for sensible default

Y

- Expression Data
- ullet m imes n matrix, where
 - lacktriangledown m is the number arrays
 - lacktriangleq n is the number of genes
- Should be log transformed
- Often best **not** to preprocess (quantile normalize, etc.)

X

- Factor of interest (gender, brain region, etc.)
- Should **not** include the intercept
- Rule of thumb: "The fewer factors, the better"
 - \blacksquare More factors in $X \Longrightarrow$ fewer factors estimated in \hat{W}
 - Better to repeat analysis for each factor of interest separately

Z

- Additional covariates (batch, etc.)
- Should include the intercept (if desired)
- Rule of thumb: "The fewer factors, the better"
 - lacksquare More factors in $Z \Longrightarrow$ fewer factors estimated in \hat{W}
 - \hat{W} often captures unwanted variation better than Z
 - ullet Exception: Z is a factor that affects only a small number of genes, and likely the same genes as X.

Example: X is a disease that affects a small number of genes; Z is a drug that affects those same genes

eta (η)

- Gene-wise covariates associated with unwanted factors (GC content, etc.)
- Included for convenience; equivalent to preprocessing by

```
Y = RUVI(Y, eta, ctl)
```

• eta = 1 (for intercept) typically recommended, but **not** default

ctl

- Crucial to success
- Ideally:
 - Unaffected by factor of interest
 - Affected by unwanted factors
 - "representative" of other genes
 (similar range of expressions, not affected by their own unwanted factors, etc.)
- Cannot be automatically "discovered" from the data (at least not naively)
- Need not be perfect
 RUV methods are robust (to varying degrees, and in different ways)

k

- Number of unwanted factors. For RUV2 and RUV4 only.
- ullet Useful when negative controls may contain biology. Keeping k small reduces risk of overadjusting.
- Best chosen "by hand".("getK" function not ideal)

Comparison of Regression Methods

Method	Strengths	Weaknesses	Notes
RUV2	 Simple and Interpretable Not too sensitive to "nonrepresentative" NCs 	Sensitive to misspecified NCs	 Good for spike-in controls Keep k small if NCs may be misspecified
RUV4	Robust to misspecified NCs	 Sensitive to "nonrepresentative" NCs Anti-conservaitve for large k 	 RUV(r)inv usually a better option Good when NCs highly misspecified; keep k small
RUVinv	 Robust to misspecified NCs No tuning parameter Well calibrated p-values 	 Requires large number of NCs Somewhat sensitive to "nonrepresentative" NCs 	
RUVrinv	 Robust to misspecified NCs Reasonable default for lambda 	 Somewhat sensitive to "nonrepresentative" NCs 	Good compromise of features

Technical Note

• RUV2 requires

$$eta_c=0$$

• RUV4, RUVinv, and RUVrinv require $eta_c lpha_c' (lpha_c lpha_c')^{-1} pprox 0$

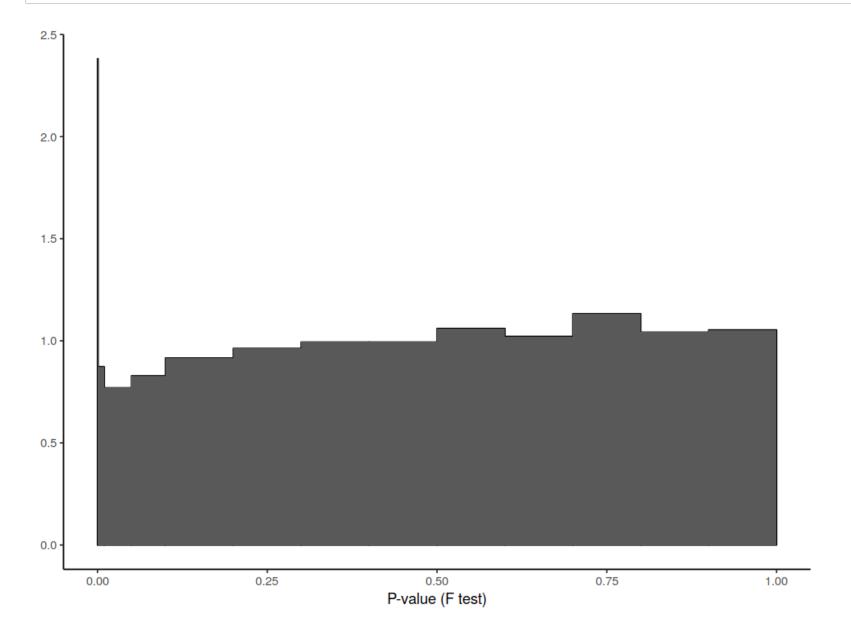
$$eta_c lpha_c' (lpha_c lpha_c')^{-1} pprox 0$$

Example Analysis

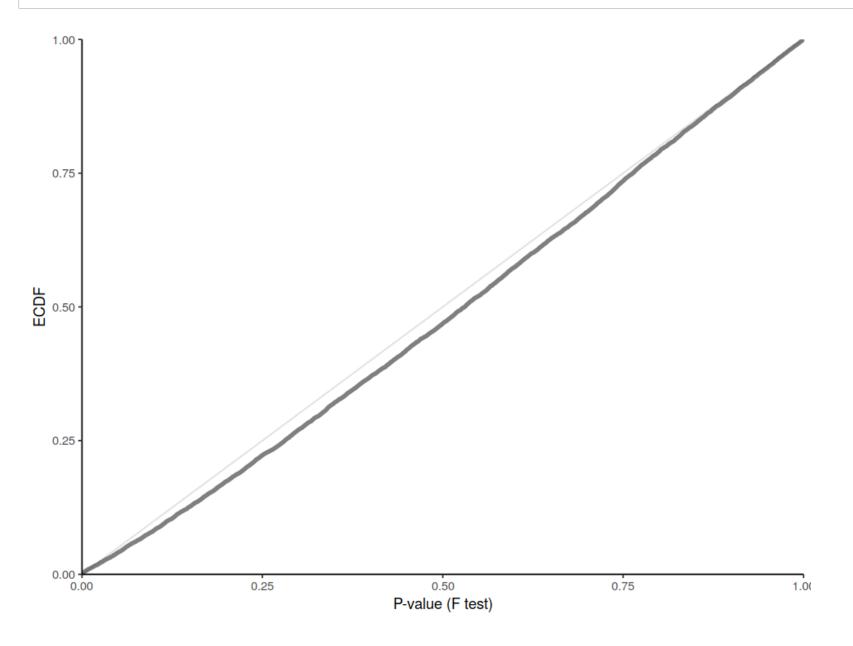
In [10]: | fit = RUVrinv(Y, sampleinfo\$gender, geneinfo\$spikectl) fit.summary = ruv summary(Y, fit, sampleinfo, geneinfo) head(fit.summary\$\overline{C}\)

	F.p	F.p.BH	p_X1.male	p.BH_X1.male	b_X1.male	S
41214_at	1.000000e- 24	1.000000e- 24	1.000000e- 24	1.000000e- 24	2.6714931	С
37583_at	1.000000e- 24	1.321247e- 23	1.000000e- 24	1.321247e- 23	0.7328333	С
38355_at	1.000000e- 24	2.757869e- 21	1.000000e- 24	2.757869e- 21	2.0265366	С
38446_at	4.418298e- 18	1.391764e- 14	4.418298e- 18	1.391764e- 14	-0.9738340	С
35885_at	7.721272e- 16	1.945760e- 12	7.721272e- 16	1.945760e- 12	0.7532324	С
34477_at	2.796912e- 12	5.873516e- 09	2.796912e- 12	5.873516e- 09	0.5352809	С

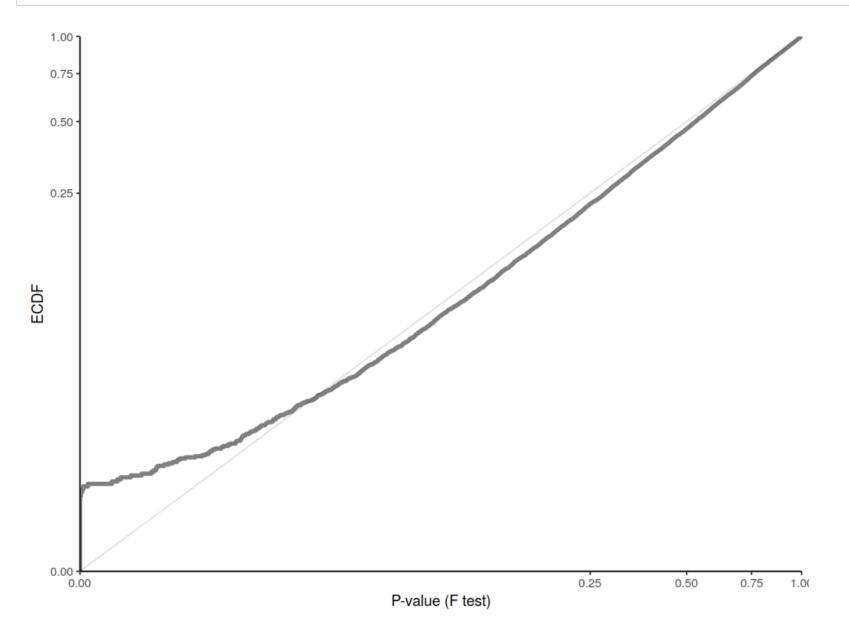
In [11]: ruv_hist(fit.summary)



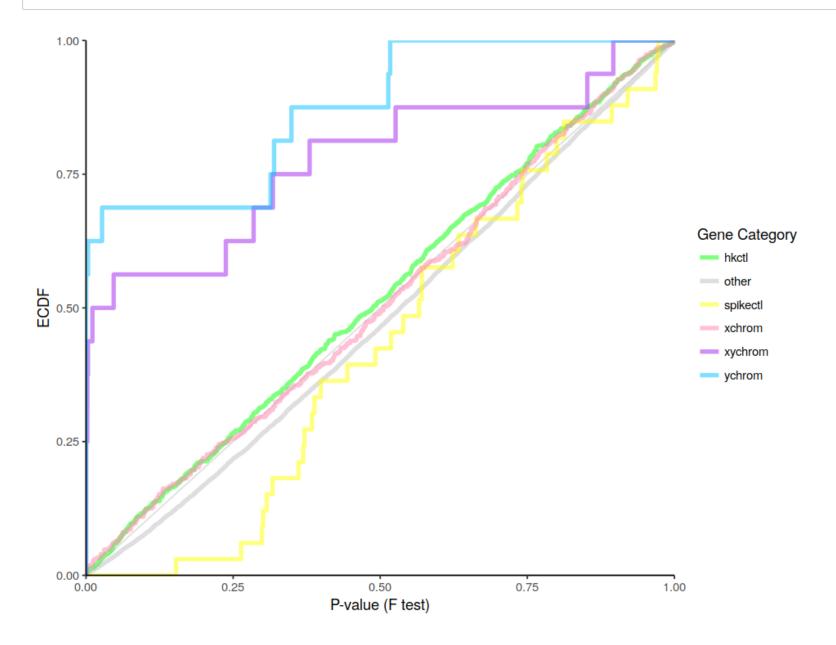
In [12]: ruv_ecdf(fit.summary)

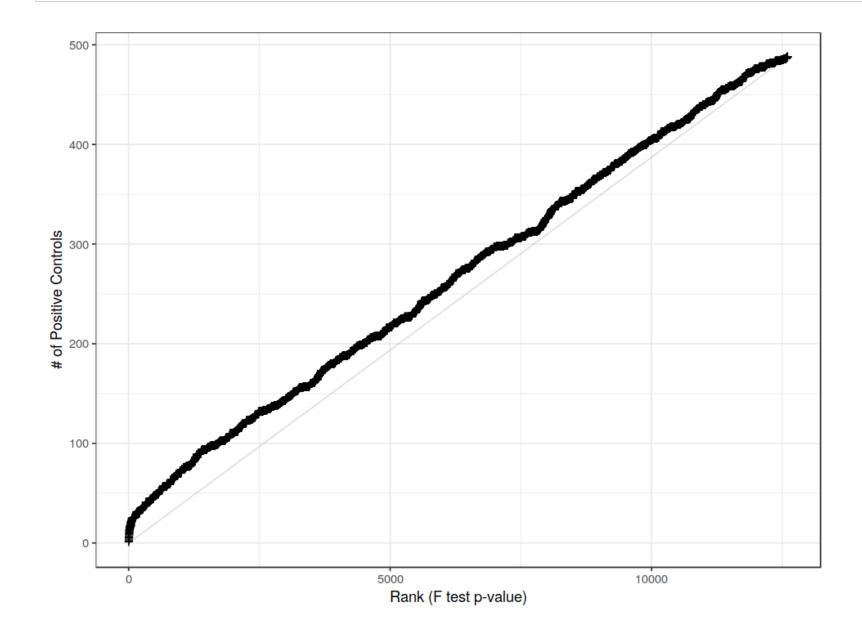


In [13]: ruv_ecdf(fit.summary, power=1/4)

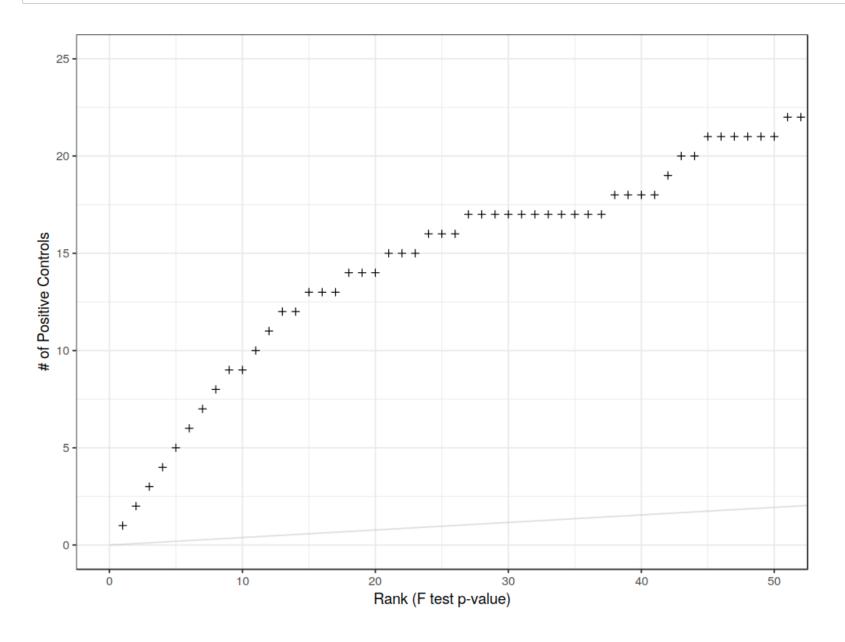


In [15]: ruv_ecdf(fit.summary) + genecoloring

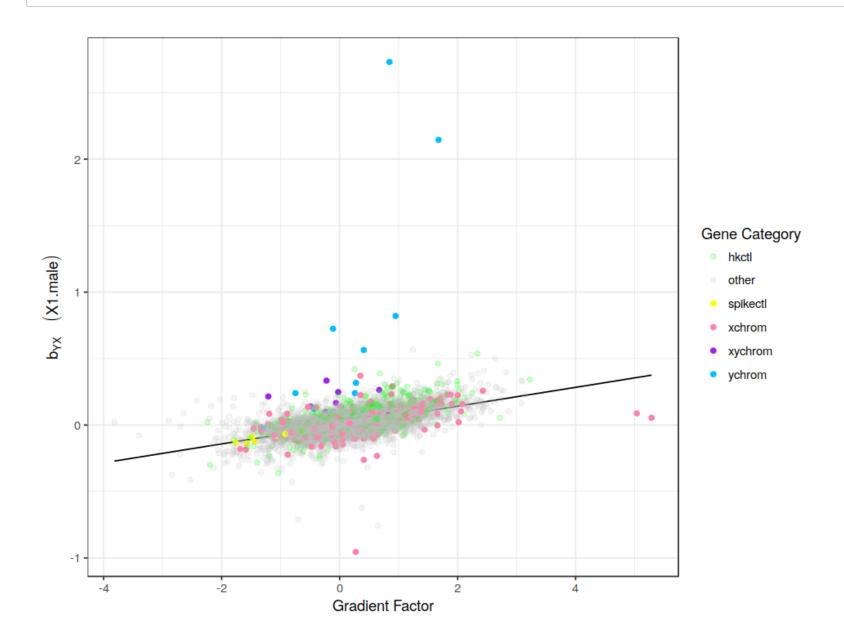




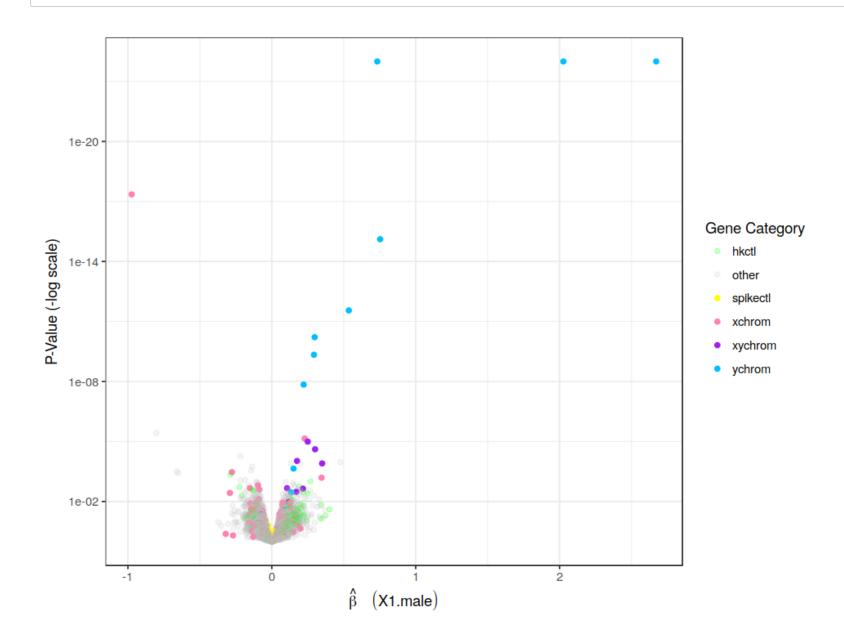
In [17]: ruv_rankplot(fit.summary, "pctl") + coord_cartesian(xlim=c(0,50), ylim=c(0,25))



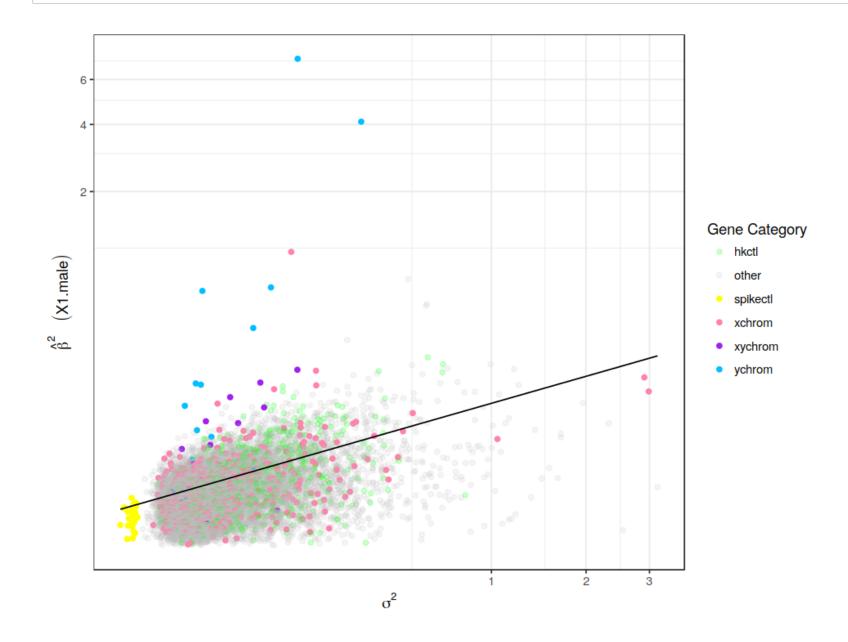
In [18]: ruv_projectionplot(fit.summary) + genecoloring



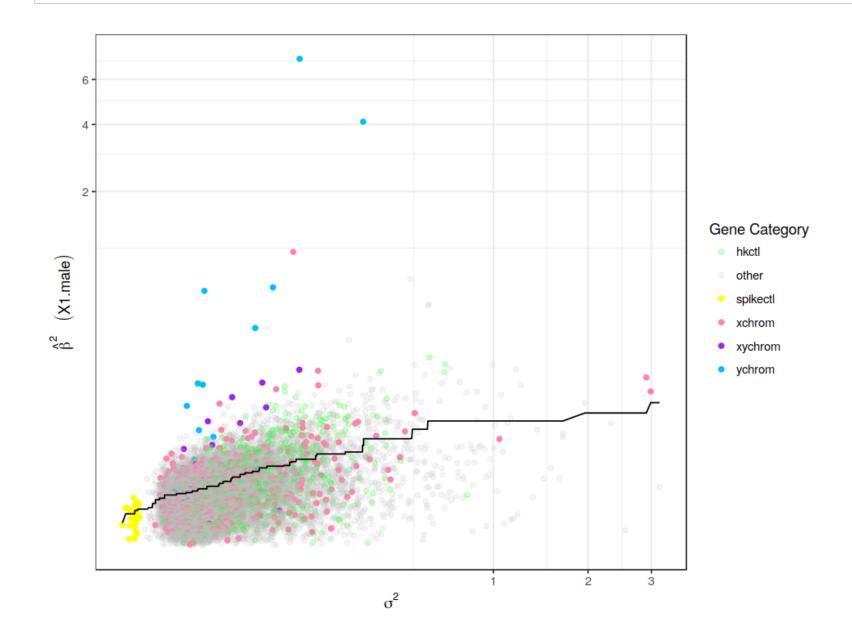
In [19]: ruv_volcano(fit.summary) + genecoloring



In [20]: ruv_varianceplot(fit.summary) + genecoloring



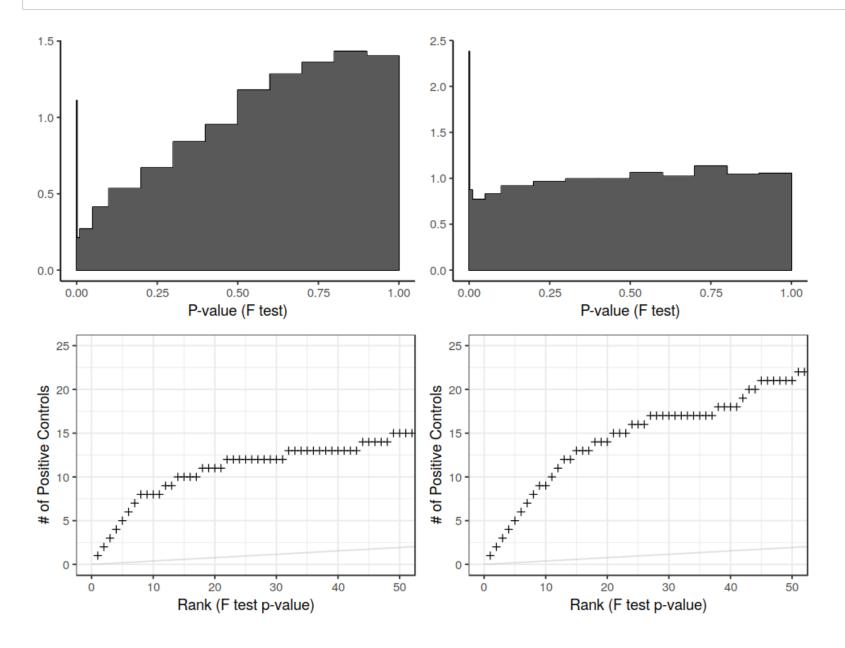
In [21]: fit.summary.evar = ruv_summary(Y, fit, sampleinfo, geneinfo, p.type="evar")
 ruv_varianceplot(fit.summary.evar) + genecoloring



Did we help?

```
In [22]: # RUV4 with k = 0 for no adjustment
# Equivalent to a Limma Analysis
fit.unadj = RUV4(Y, sampleinfo$gender, geneinfo$spikectl, 0)
fit.summary.unadj = ruv_summary(Y, fit.unadj, sampleinfo, geneinfo)
# Make a list of plots to compare side-by-side
plots = list(
    ruv_hist(fit.summary.unadj),
    ruv_hist(fit.summary),
    ruv_rankplot(fit.summary.unadj, "pctl") +
        coord_cartesian(xlim=c(0,50), ylim=c(0,25)),
    ruv_rankplot(fit.summary, "pctl") +
        coord_cartesian(xlim=c(0,50), ylim=c(0,25))
)
```

In [23]: grid.arrange(grobs=plots)



Global Adjustments

Global Adjustments

Not similar:

```
RUVI (Y, eta, ctl)
RUVIII (Y, M, ctl, k = NULL, eta = NULL, average = FALSE)
```

RUVI

RUVI(Y, eta, ctl)

- Requires gene-wise covariates associated with unwanted factors (GC content, etc.)
- Note: Integrated into RUV2/4/inv/rinv for convenience
- eta = 1 corresponds to centering by the mean of the negative controls

RUVIII

RUVIII(Y, M, ctl, k = NULL, eta = NULL, average = FALSE)

- Requires replicates
- M is the replicate mapping matrix
- "average": Average the replicates (after the adjustment)

The Mapping Matrix

- Maps observations (rows of Y) to replicate sets
- $oldsymbol{M}_{ij}=1$ if observation i is in replicate set j $M_{ij}=0$ otherwise
- A replicate set may contain only one observation (a "singleton"). But at least one replicate set must contain multiple observations.
- Any variation within a replicate set is assumed to be unwanted.

replicate.matrix

Generates a mapping matrx.

```
replicate.matrix(a, burst = NULL, return.factor = FALSE)
```

Arguments:

- "a": An object that describes the replicate structure.
 - Converted to a dataframe
 - Observations with identical rows are taken to be replicates
- "burst": Replicate sets to be "burst" into singletons.
- "return.factor": Return a factor instead of a mapping matrix.

collapse.replicates

collapse.replicates(df, M)

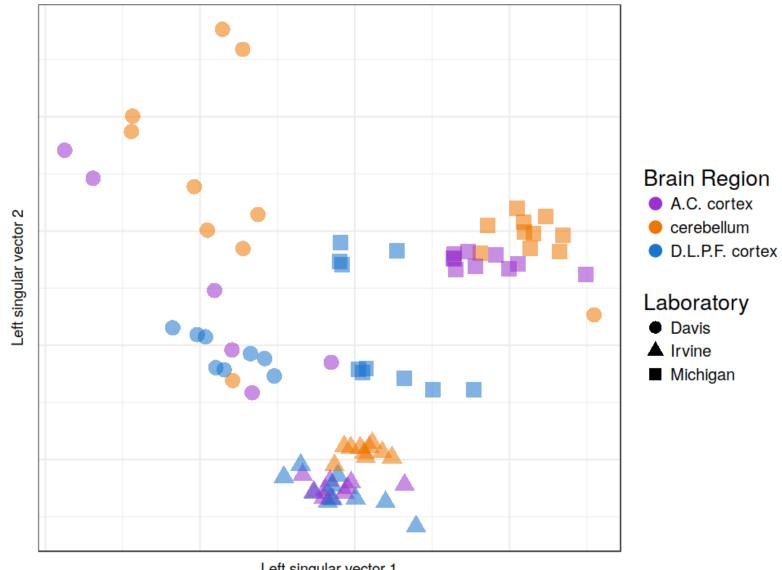
- For use with RUVIII when average=TRUE
- Input: A dataframe containing information about the observations (rows of Y)
- Output: A dataframe containing information about the replicate sets (rows of "new Y")

Example Analyses

Example 1

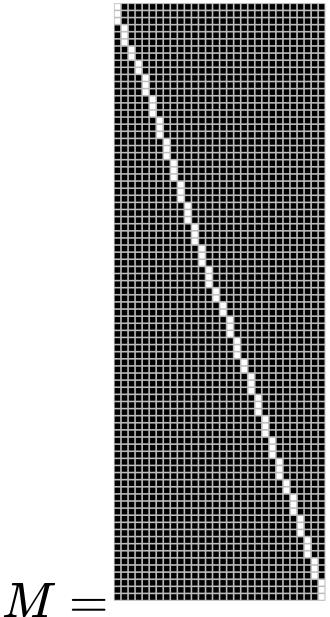
Spike-in Negative Controls and Technical Replicates

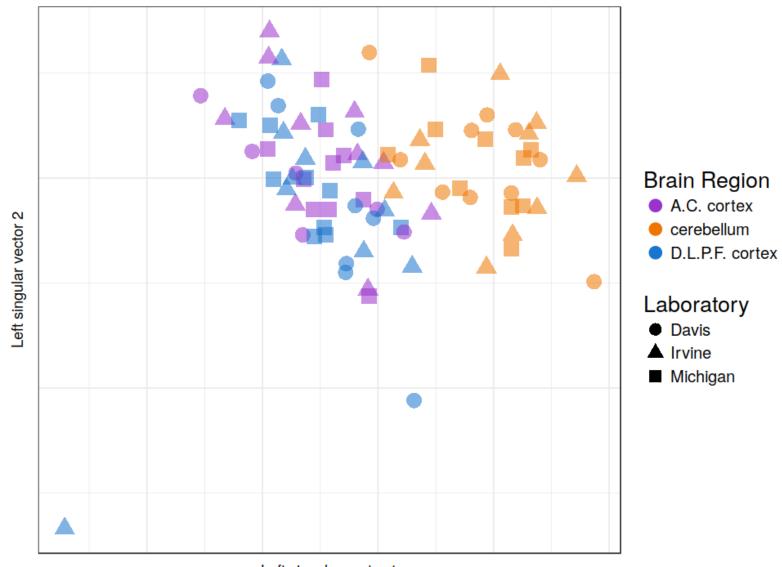
In [24]: | ruv_svdplot(Y) + gg_additions



Left singular vector 1

```
In [25]: M = replicate.matrix(sampleinfo[,c("patient", "region")])
    YIII.spike.tech = RUVIII(Y, M, geneinfo$spikectl, k=10)
```

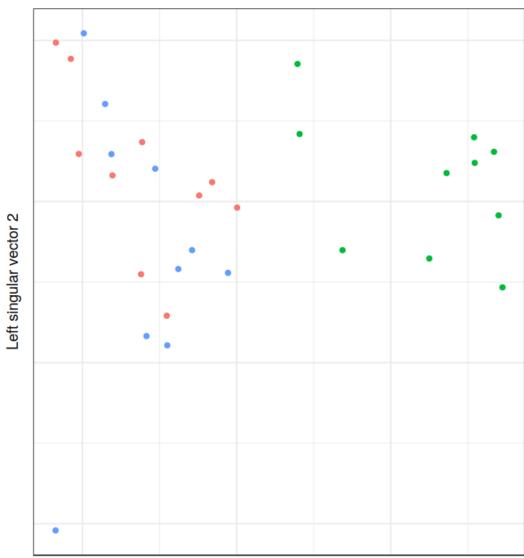




Left singular vector 1

```
In [27]: # This time, set average=TRUE
         YIII.spike.tech.avg = RUVIII(Y, M, geneinfo$spikectl, k=10, average=TRUE)
         # Create "metadata" for the rows of YIII.spike.tech.avg
         sampleinfo.spike.tech.avg = collapse.replicates(sampleinfo, M)
         head(sampleinfo.spike.tech.avg)
```

	patient	gender	region
patient_01_A.Ccortex	patient_01	female	A.C. cortex
patient_01_D.L.P.Fcortex	patient_01	female	D.L.P.F. cortex
patient_01_cerebellum	patient_01	female	cerebellum
patient_02_A.Ccortex	patient_02	male	A.C. cortex
patient_02_D.L.P.Fcortex	patient_02	male	D.L.P.F. cortex
patient_02_cerebellum	patient_02	male	cerebellum



Left singular vector 1

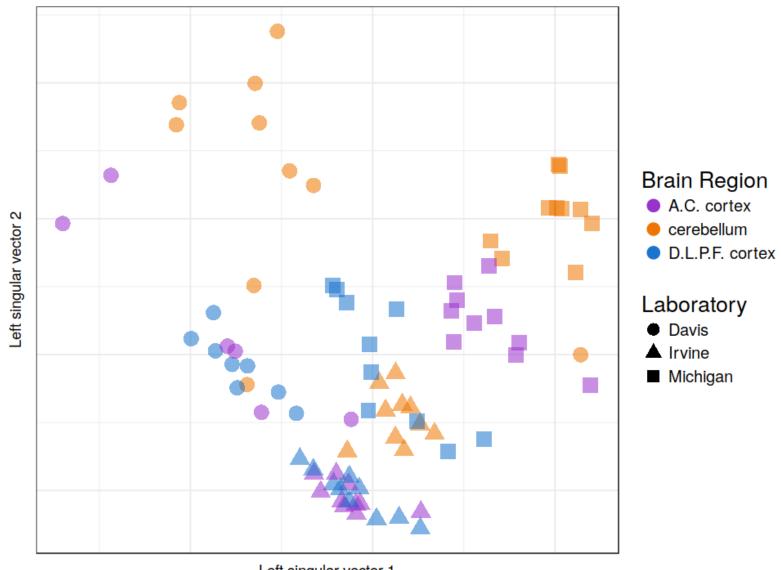
sampleinfo.spike.tech.avg\$region

- A.C. cortex
- cerebellum
- D.L.P.F. cortex

Example 2

Plotting just the X/Y genes

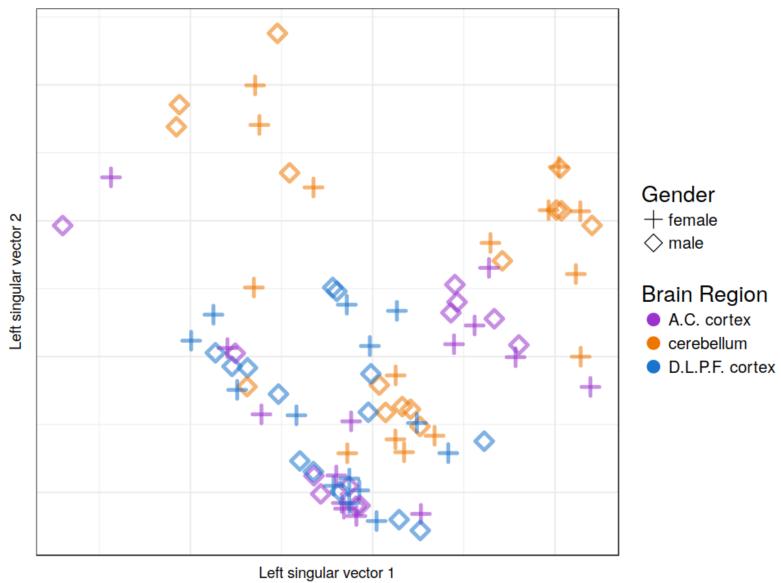
- Same analysis, but plot the PCs of just the X/Y genes
- What will we see...
 - ...before adjustment?
 - ...after adjustment?

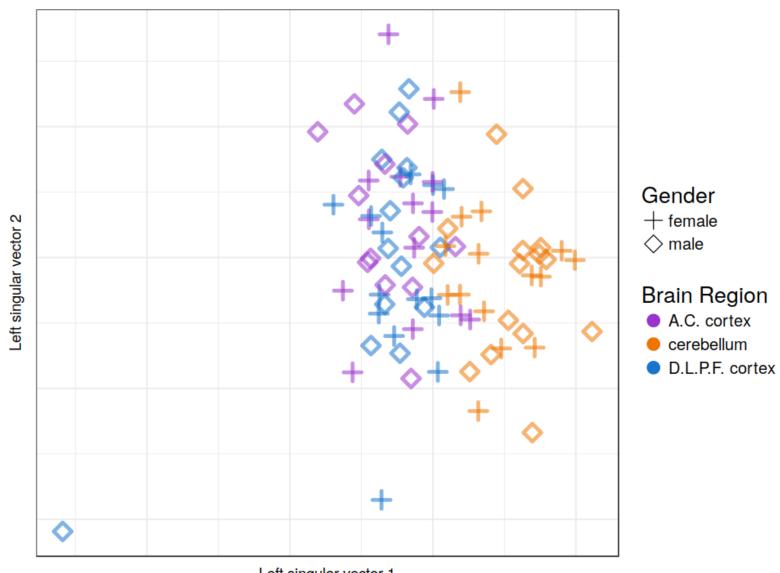


Left singular vector 1

```
In [30]:
         gg gender region = list(aes(color=sampleinfo$region,
                                      shape=sampleinfo$gender,
                                      size=3, alpha=1, stroke=2),
                                  labs(color="Brain Region",
                                       shape="Gender"),
                                  scale size identity(guide="none"),
                                  scale alpha(guide="none"),
                                  scale_shape_manual(values = c("male" = 5, "female" = 3
         )),
                                  theme(legend.text=element text(size=12),
                                        legend.title=element text(size=16)),
                                  guides(color = guide_legend(override.aes = list(size =
         4)),
                                         shape = guide legend(override.aes = list(size =
          4))),
                                  scale color manual(values=c("darkorchid3", "darkorange
         2", "dodgerblue3"))
```

In [31]: ruv_svdplot(Y[,geneinfo\$pctl]) + gg_gender_region



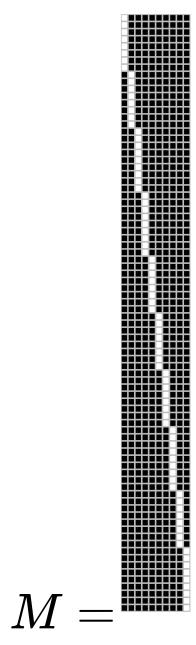


Left singular vector 1

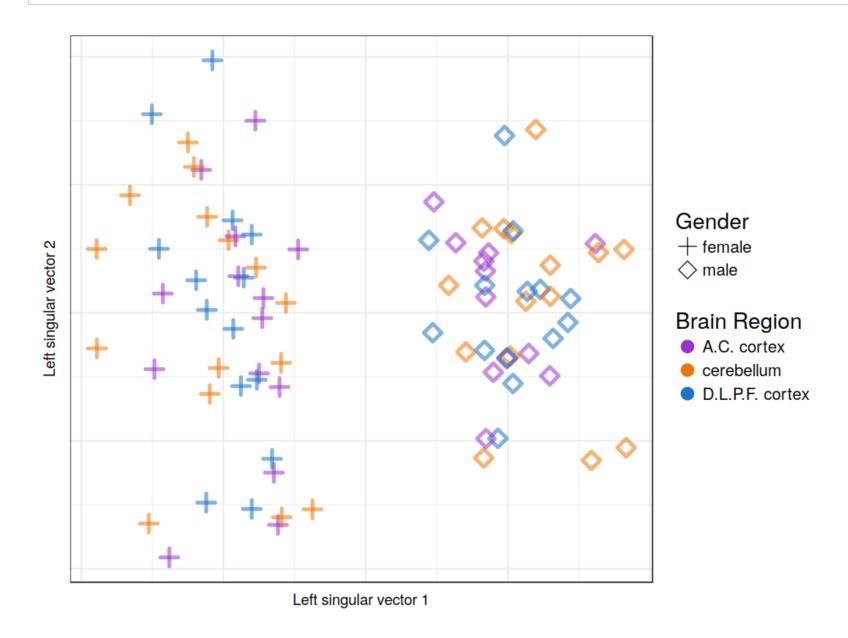
Example 3

- Negative controls: Housekeeping genes
- Replicates: All observations from a single patient

```
In [33]: M = replicate.matrix(sampleinfo[,c("patient")])
    YIII.hk.bio = RUVIII(Y, M, geneinfo$hkctl, k=10)
```



In [34]: ruv_svdplot(YIII.hk.bio[,geneinfo\$pctl]) + gg_gender_region



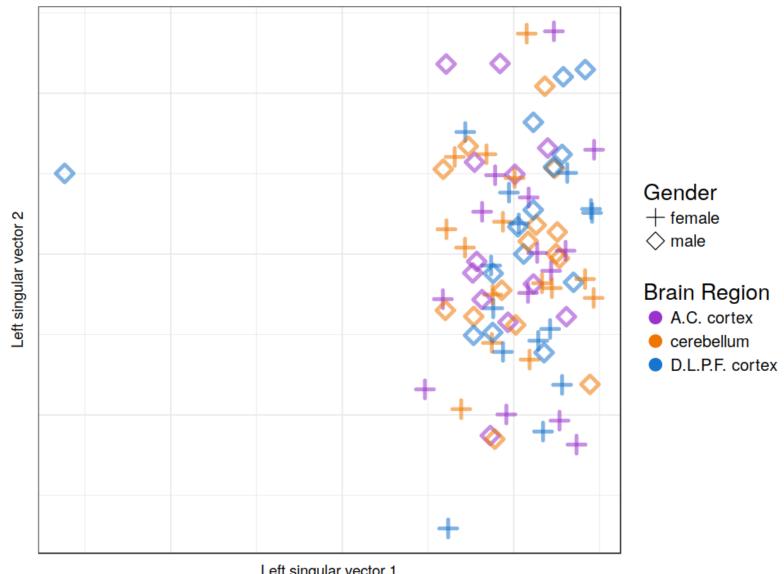
Comment

There is more going on here than simply "regressing out brain region."

Compare:

```
In [35]: # Create a design matrix for brain region:
    region_mat = design.matrix(sampleinfo$region)
    # Regress it out from the "technical-adjusted" dataset
    YIII.spike.tech.region_regression = residop(YIII.spike.tech, region_mat)
```

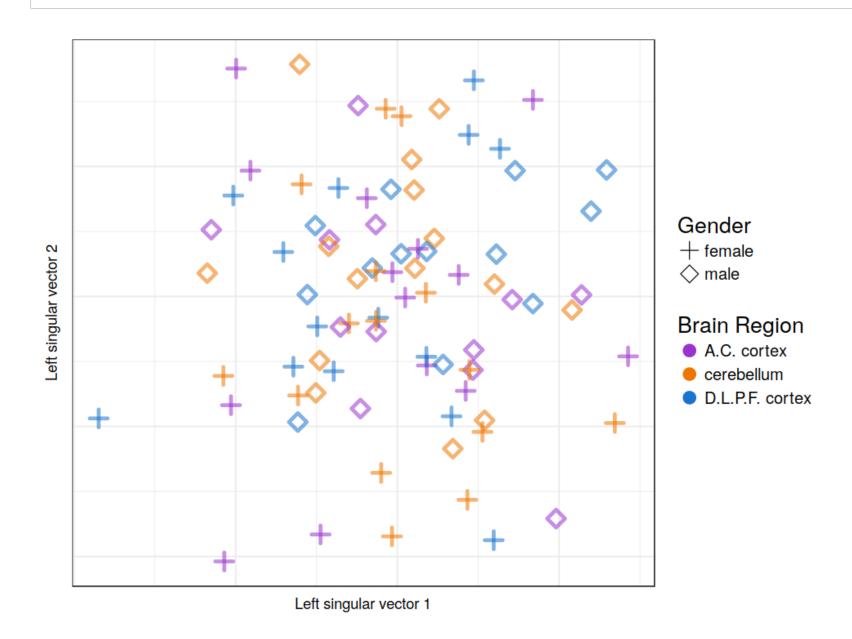
In [36]: | ruv_svdplot(YIII.spike.tech.region_regression[,geneinfo\$pctl]) + gg_gender_regi on



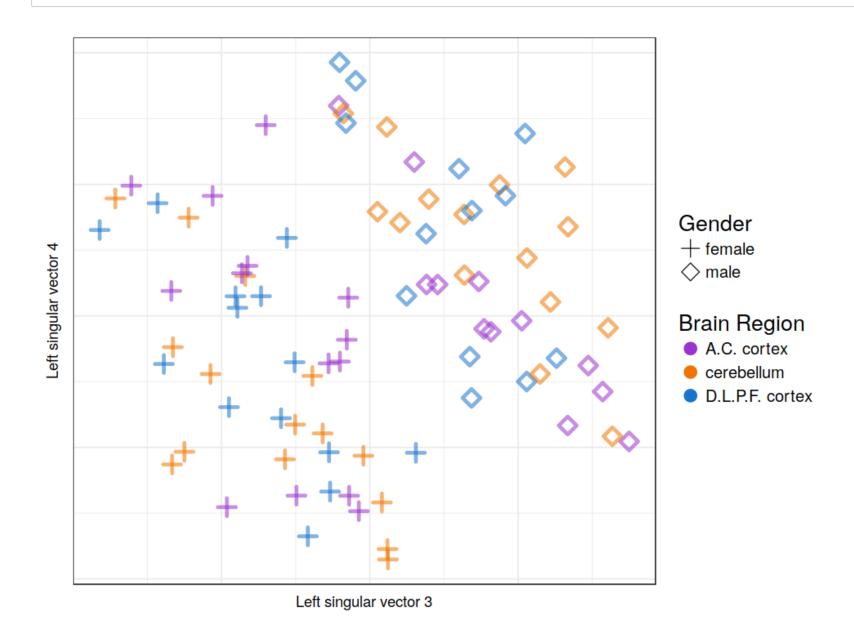
Left singular vector 1

In [38]:

ruv_svdplot(YIII.spike.tech.region_regression[-15,geneinfo\$pctl]) + gg_gender_r
egion_nooutlier



In [39]:



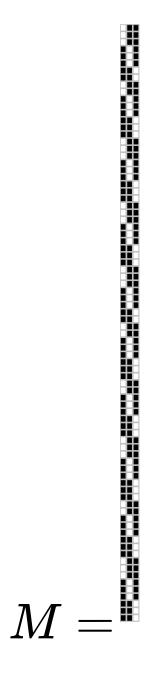
Two Important Differences

- "HK genes + bio replicates" offers a stronger adjustment
- Regressing out brain region problematic if it's correlated with other biology (not relevant in this example)

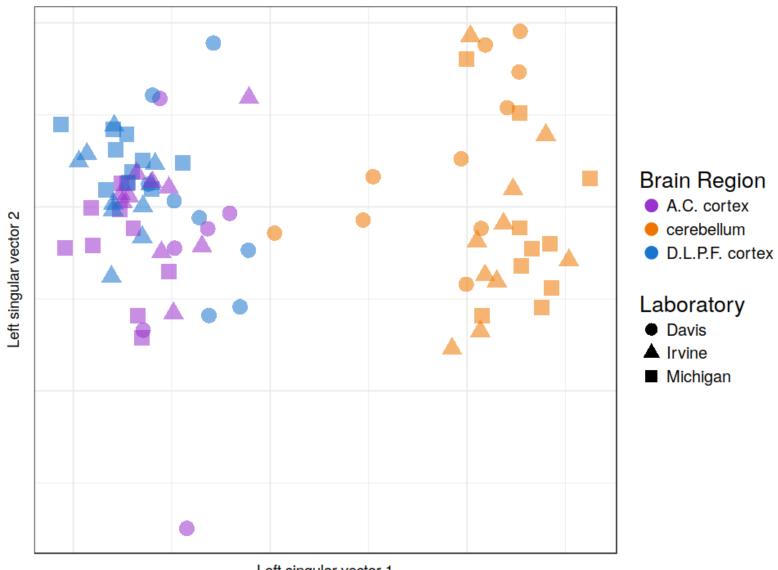
Final Example

Use brain region to define replicates:

```
In [40]: M = replicate.matrix(sampleinfo[,c("region")])
    newY3 = RUVIII(Y, M, geneinfo$hkctl, k=10)
```



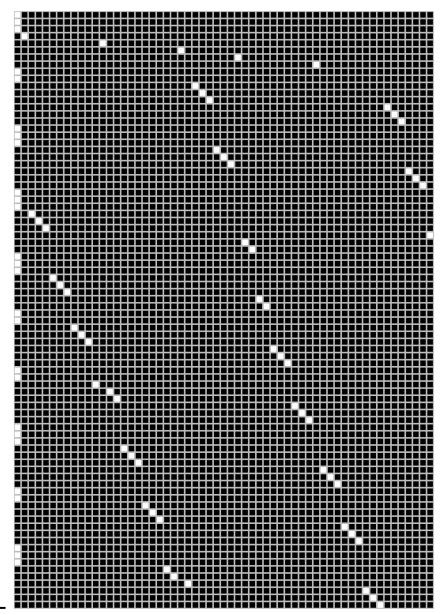
In [41]: ruv_svdplot(newY3) + gg_additions



Left singular vector 1

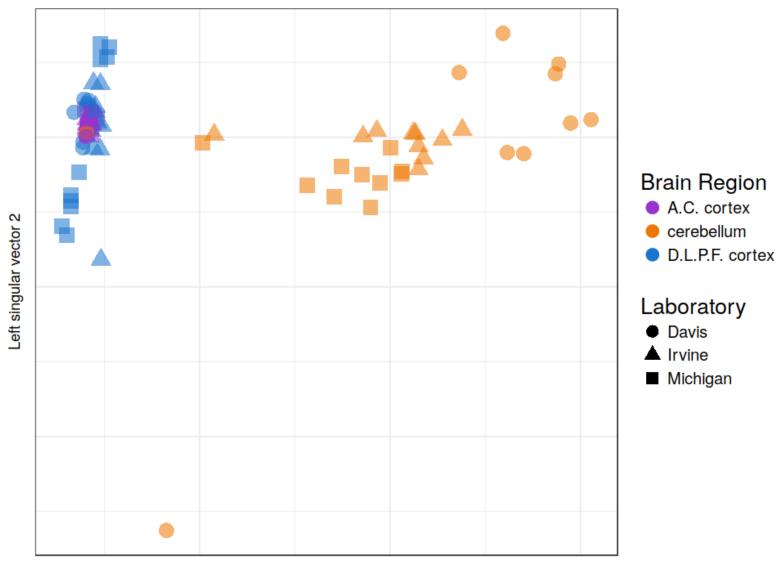
Bursting

- Now "burst" Cerebellum and D.L.P.F. Cortex.
- Only A.C. Cortex samples are treated as replicates.



M =

In [43]: | ruv_svdplot(newY3) + gg_additions



Left singular vector 1

Comments

- Bursting is useful for validating an adjustment.
- The previous example highlights an interesting possibility for cluster analyses to discover disease sub-types:
 - Use healthy controls to define "ordinary" biological variation
 - After adjustment, only "disease-related" variation remains

Examples with Shiny

1. Gender: A Balanced Design

2. Gender: An Imbalanced Design

3. Brain region

Balanced Design

```
In []: library(ruv)
    library(shiny)
    library(colourpicker)
    load("gender.rda")
    Y = Y.norm
    ruv_shiny(Y, sampleinfo, geneinfo, options=list(port=3840, host="0.0.0.0"))
```

Imbalanced Design

```
In []: keep = rep(T,nrow(Y))
    keep[sampleinfo$lab=="Davis" & sampleinfo$gender=="male"] = FALSE
    keep[sampleinfo$lab=="Michigan" & sampleinfo$gender=="female"] = FALSE
    Y.imb = Y[keep,]
    sampleinfo.imb = sampleinfo[keep,]
    ruv_shiny(Y.imb,sampleinfo.imb,geneinfo,options=list(port=3840,host="0.0.0.0"))
```

```
In []: keep = rep(T,nrow(Y))
    keep[sampleinfo$lab=="Davis" & sampleinfo$gender=="male"] = FALSE
    keep[sampleinfo$lab=="Michigan" & sampleinfo$gender=="female"] = FALSE
    Y.imb = Y.raw[keep,]
    sampleinfo.imb = sampleinfo[keep,]
    ruv_shiny(Y.imb, sampleinfo.imb, geneinfo, options=list(port=3840, host="0.0.0.0"))
```

Brain Region

In []: ruv_shiny(Y.raw, sampleinfo, geneinfo, options=list(port=3840, host="0.0.0.0"))

```
In []: newY = RUVI(Y.raw, 1, geneinfo$spikectl)
    M = replicate.matrix(sampleinfo[,c("patient", "region")])
    newY = RUVIII(newY, M, geneinfo$spikectl, k=4, average=TRUE)
    newsampleinfo = collapse.replicates(sampleinfo, M)
    fit = RUV4(newY, newsampleinfo$cortex, rep(TRUE,ncol(newY)), k=1)
    fit = ruv_summary(newY, fit, newsampleinfo, geneinfo)
```

```
In [ ]: ruv_ecdf(fit, uniform.lines=seq(0,1,by=.1))
```

```
In [ ]: mean(fit$C$F.p > .25)
    mean(fit$C$F.p.BH > .5)
```

```
In [ ]: ectl = colnames(newY) %in% rownames(fit$C)[fit$C$F.p.BH > .5]
geneinfo = cbind(geneinfo, neg.cer=ectl)
```

In []: ruv_shiny(Y.raw, sampleinfo, geneinfo)